28-05-2020

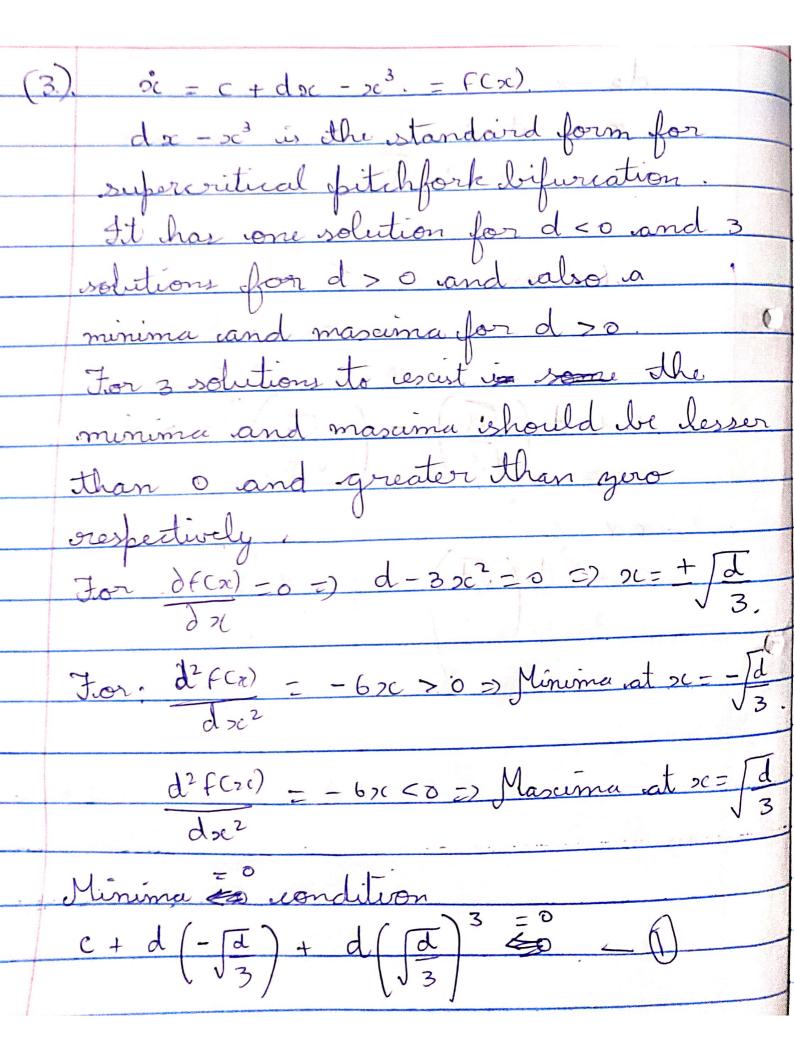
AM5650-END-SEM EXAM

S. TARUN PRASAD

ME17 B114

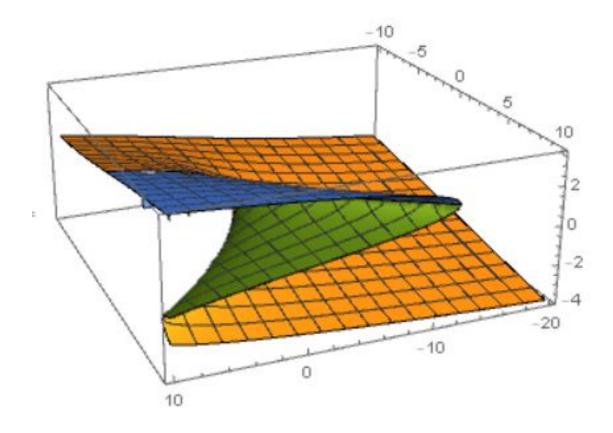
"The work being submitted is my own work. I have not sought the help of any person in doing it is work."

(and)

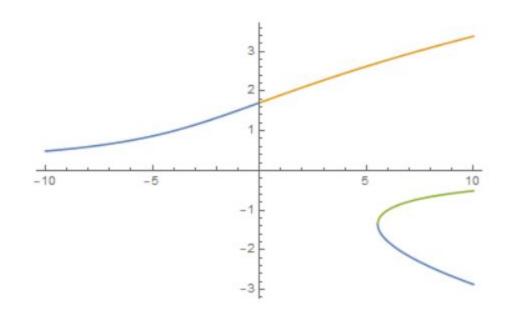


Mascima = condition. $C + d\left(\int \frac{d}{3}\right) - d\left(\int \frac{d}{3}\right)^3 = 0$. -2. When the Cold domain space moves from a point where (1) & a not satisfied to a point where to la are satisfied we have a transcritical pitchfork doifurcation. On one side of (c,d) domain space across condition () there is only one solution and on the other side there 2 more solutions along with the old rolution. The situation is likewise for condition 3. But the old solution with the two new solution, conly for D& Q i.e., C = 0 and here it forms a supercontical pitch fork differention Everywhere ælse where Dor Quis satisfied there is a fitchfork diffurcation

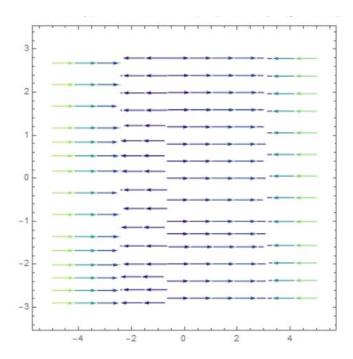
Plot of $\dot{x} = 0$ over (c, d) domain space:



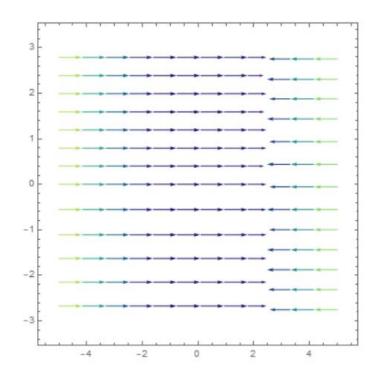
Saddle Node: Plot of $\dot{x} = 0$ versus d for c = 5:



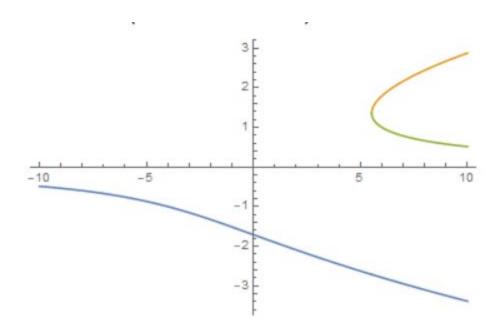
Phase Portrait for d = 8 and c = 5:



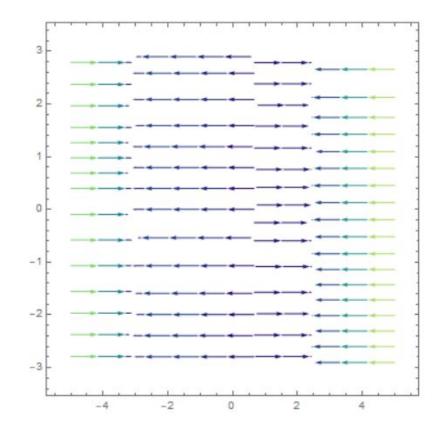
Phase Portrait for d = 4 and c = 5:



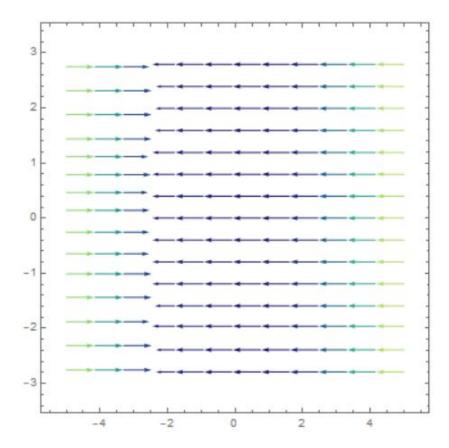
Saddle Node: Plot of $\dot{x} = 0$ versus d for c = -5:



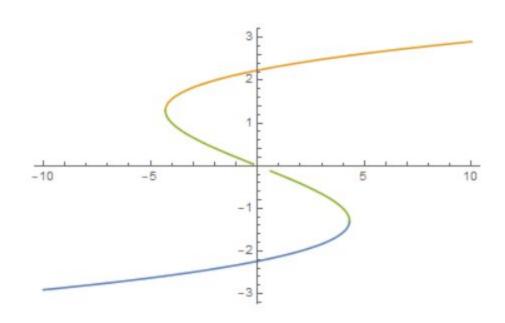
Phase Portrait for d = 8 and c = -5:



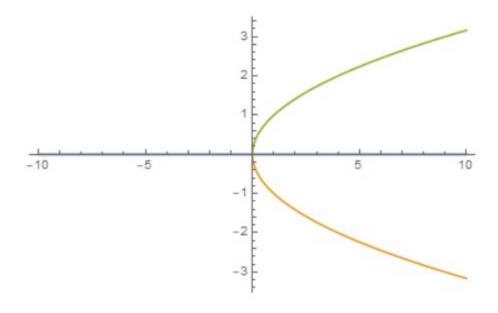
Phase Portrait for d = 4 and c = -5:



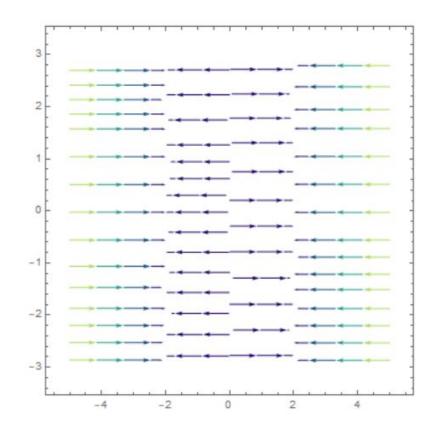
Two Saddle Nodes: Plot of $\dot{x} = 0$ versus c for d = 5:



Supercritical Pitchfork Bifurcation: Plot of $\dot{x} = 0$ versus d for c = 0:



Phase Portrait for d = 4 and c = 0:



Phase Portrait for d = -4 and c = 0:

