

Production rule	Semantic action
<p>⊙</p> <p>Switch E</p> <p>⌚</p> <p>Ⓜ case v1 : s1</p> <p>Ⓜ case v2 : s2 ...</p> <p>Ⓜ</p> <p>Ⓜ case v_{n-1} : s_{n-1}</p> <p>default : s_n</p> <p>}</p>	<p>Evaluate <u>E</u> into <u>t</u> such that <u>t = E</u> goto check <u>L1 : code for s1</u> goto last</p> <p>L2 : <u>code for s2</u> goto last</p> <p>L_n : <u>code for s_n</u> goto last</p> <p>check: if <u>t = v1</u> goto <u>L1</u> if <u>t = v2</u> goto <u>L2</u> ... if t = v_{n-1} goto L_{n-1} goto L_n</p> <p>last</p>

```
switch(ch)
```

```
{
```

```
    case 1 : c = a + b;
```

```
    break;
```

```
    case 2 : c = a - b;
```

```
    break;
```

```
}
```

```
if ch = 1 goto L1
```

```
if ch = 2 goto L2
```

```
L1: t1 := a + b
```

```
    c := t1
```

```
    goto last
```

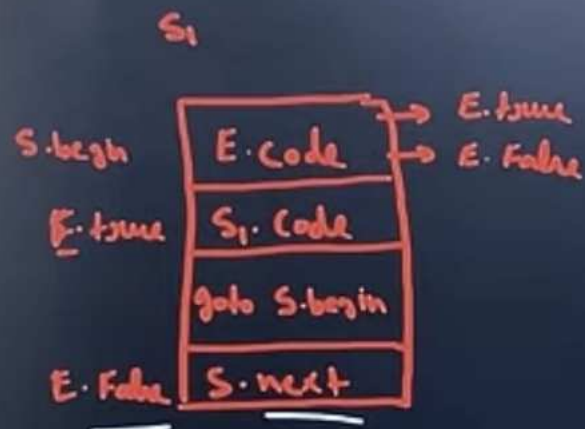
```
L2: t2 := a - b
```

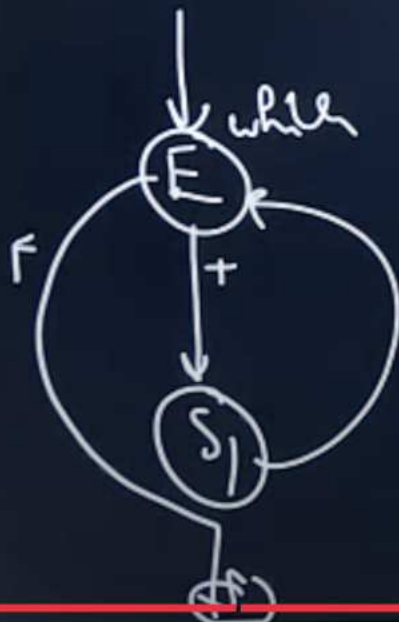
```
    c := t2
```

```
    goto last
```

$S \rightarrow \text{while } E$

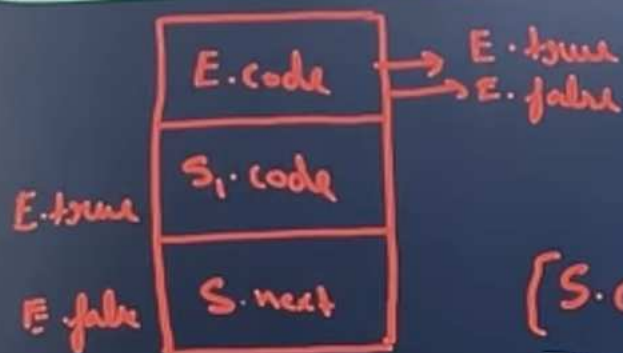
SDT for Flow Control

 $S.\text{begin} = \text{newlabel}()$ $E.\text{true} = \text{newlabel}()$ $E.\text{false} = S.\text{next}$ $S_1.\text{next} = S.\text{begin}$

$$S.\text{code} = \text{gen}(S.\text{begin}) \parallel E.\text{code} \parallel \text{gen}(E.\text{true}) \parallel S_1.\text{code} \parallel \text{gen}(\text{'goto' } S.\text{begin})$$


$S \rightarrow \text{if } E \text{ then } S_1$

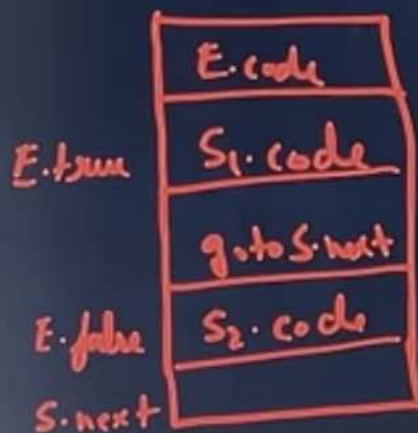
SDT for Flow Control



$E.true = \text{newLabel}$ ✓
 $S.false = S.next$ ✓
 $S_1.next = S.next$ ✓

$S.code = E.code \parallel \text{gen}(E.true) \parallel S_1.code$

$S \rightarrow \text{if } E \text{ then } S_1 \text{ else } S_2$



$E.true = \text{newLabel}$
 $E.false = \text{newLabel}$
 $S_1.next = S.next$
 $S_2.next = S.next$

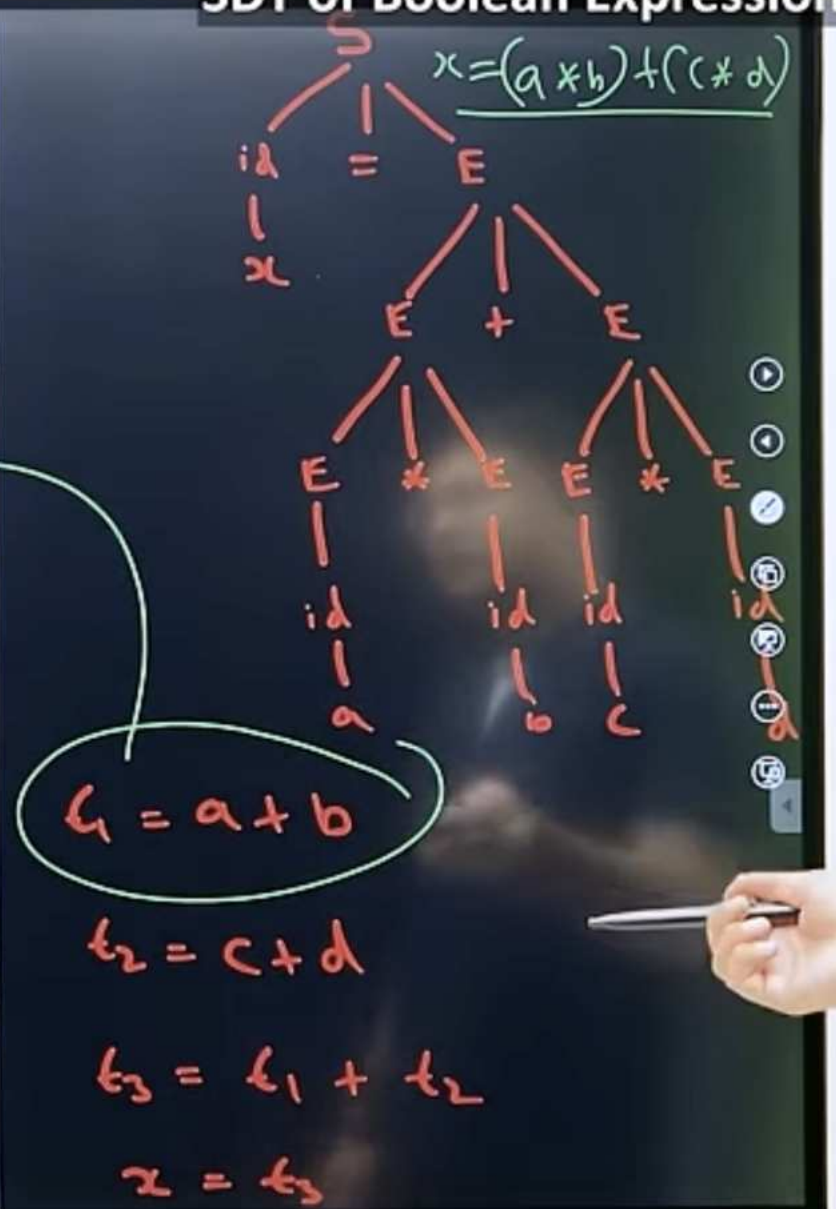
$S.code = E.code \parallel \text{gen}(E.true) \parallel S_1.code \parallel \text{gen}(S_2.next) \parallel \text{gen}(E.false) \parallel S_2.code$



Chapter-3 (SYNTAX-DIRECTED TRANSLATION)

SDT of Boolean Expression

Production rule	Semantic actions
$S \rightarrow id := E$	{ $id_entry := look_up(id.name)$; if $id_entry \neq nil$ then append ($id_entry := E.place$) else error; /* id not declared */ }
$E \rightarrow E_1 + E_2$	{ $E.place := newtemp()$; append ($E.place := E_1.place + E_2.place$) }
$E \rightarrow E_1 * E_2$	{ $E.place := newtemp()$; append ($E.place := E_1.place * E_2.place$) }
$E \rightarrow - E_1$	{ $E.place := newtemp()$; append ($E.place := 'minus' E_1.place$) }
$E \rightarrow (E_1)$	{ $E.place := E_1.place$ }
$E \rightarrow id$	{ $id_entry := look_up(id.name)$; if $id_entry \neq nil$ then append ($id_entry := E.place$) else error; /* id not declared */ }



SDT of Boolean Expression

$E \rightarrow E_1 \text{ OR } E_2$	<pre>E.place=newtemp(); Emit(E.place=E₁.place 'or' E₂.place);</pre>
$E \rightarrow E_1 \text{ AND } E_2$	<pre>E.place=newtemp(); Emit(E.place=E₁.place 'and' E₂.place);</pre>
$E \rightarrow \text{NOT } E_1$	<pre>E.place=newtemp(); Emit(E.place= 'not' E₁.place);</pre>
$E \rightarrow (E_1)$	<pre>E.place=E₁.place;</pre>
$E \rightarrow \text{TRUE}$	<pre>E.place=newtemp(); Emit(E.place='1');</pre>
$E \rightarrow \text{FALSE}$	<pre>E.place=newtemp(); Emit(E.place='0');</pre>

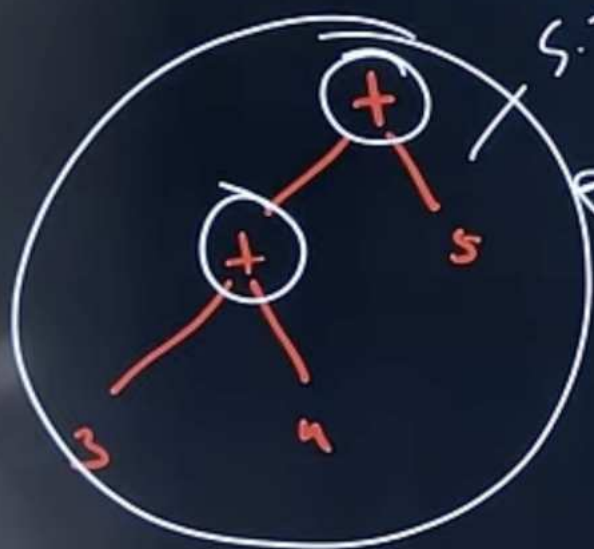


Chapter-3 (SYNTAX-DIRECTED TRANSLATION)

Address statements in intermediate code

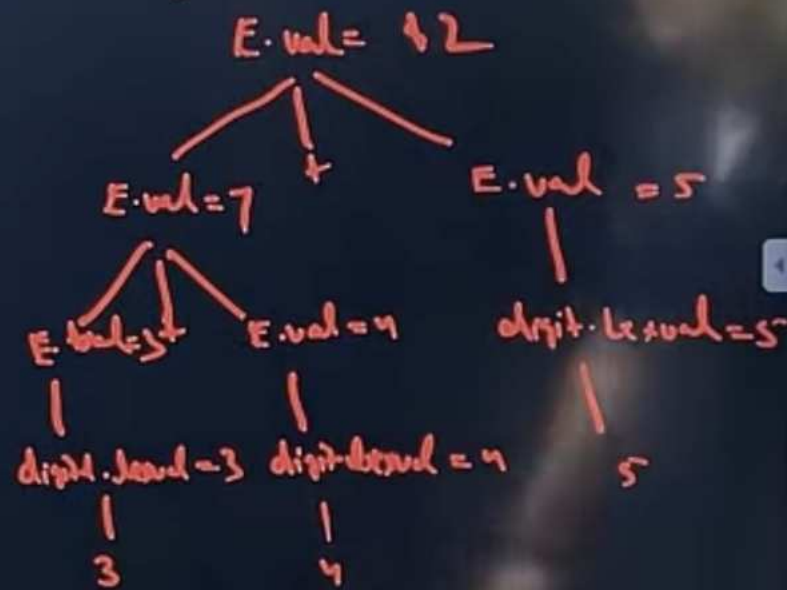
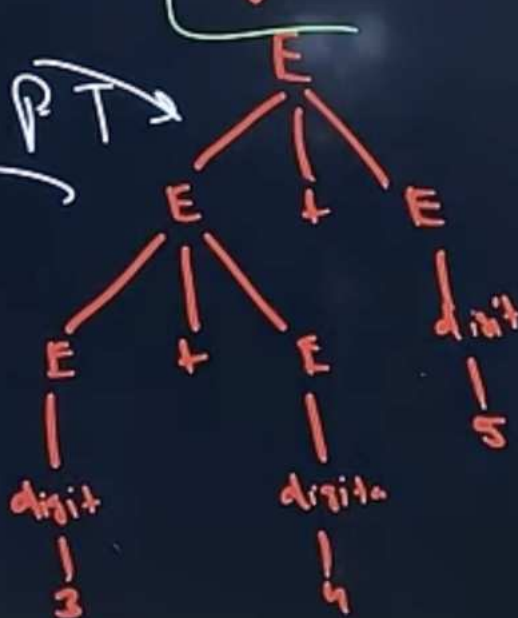
- **Syntax Tree:** An abstract representation of the syntactic structure of a program, omitting syntactical elements like brackets and punctuation.
- **Parse Tree:** A detailed tree diagram showing all the syntactical elements of a program, including brackets, punctuation, and keywords.
- **Annotated Parse Tree:** A parse tree enhanced with additional information like values, types, or variable bindings, useful for semantic analysis and code generation.

3 + 4 + 5



$E \rightarrow E + E \mid \text{Digit}$

$\text{Digit} \rightarrow 0 \mid 1 \mid 2 \mid \dots \mid 9$



Types of 3-address Statements in intermediate Code

Assignment Statement	$X = y \text{ op } z$ ✓
Assignment Instruction	$X = \text{op } y$ ✓
Copy Statement ➤	$X = y$ ✓
Unconditional Jump ➤	Goto L ✓
Conditional Jump ➤	If (x relop y) goto L ✓
Procedure Call ➤ ➤ ➤ ➤	Parm x1 Parm x2 . Parmxn Call p,n Return y
Array Statement	$X = y[i]$ $X[i] = y$
Address and Pointer Assignment	$X = \&y$ $X = *y$ $*x = y$

Chapter-3 (SYNTAX-DIRECTED TRANSLATION)

Binary Tree

Q Consider the grammar with the following translation rules and E as the start symbol.

$E \rightarrow E_1 + T$ { $E.nptr = \text{mknode}(E_1.nptr, +, T.ptr);$ }

$E \rightarrow T$ { $E.nptr = T.nptr$ }

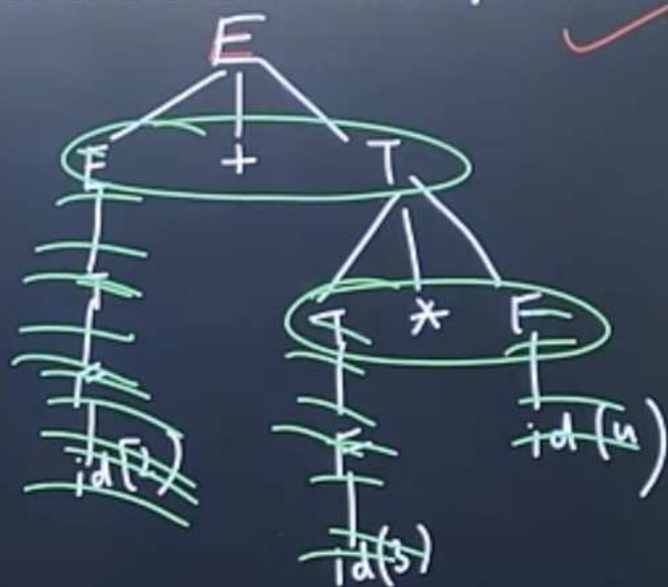
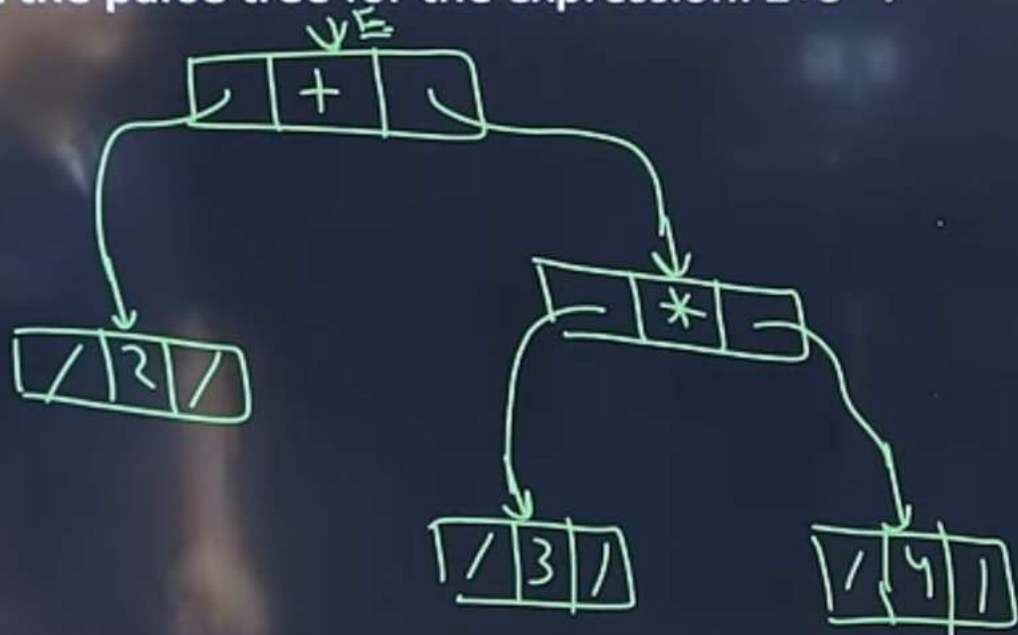
$T \rightarrow T_1 * F$ { $T.nptr = \text{mknode}(T_1.nptr, *, F.ptr);$ }

$T \rightarrow F$ { $T.nptr = F.nptr$ }

$F \rightarrow id$ { $F.nptr = \text{mknode}(\text{null}, \text{id name}, \text{null});$ }

Ⓢ

Construct the parse tree for the expression: $2+3*4$



Q Generate three address code for the following code :

switch a + b

{

case 1 : $x = x + 1$

case 2 : $y = y + 2$

case 3 : $z = z + 3$

default : $c = c - 1$

}

101: $t_1 = a + b$ goto 103

102 : goto 115

103 : $t = 1$ goto 105

104 : goto 107

105: $t_2 = x + 1$

106 : $x = t_2$

107 : if $t = 2$ goto 109

108 : goto 111

109: $t_3 = y + 2$

110 : $y = t_3$

111 : if $t = 3$ goto 113

112 : goto 115, 113: $t_4 = z + 3$

114 : $z = t_4$

115: $t_5 = c - 1$

116 : $c = t_5$

117 : Next statement



One Dimensional array

- Address of the element at k^{th} index

$$a[k] = B + W * k$$

$$a[k] = B + W * (k - \text{Lower bound})$$

- B is the base address of the array
- W is the size of each element
- K is the index of the element
- Lower bound index of the first element of the array
- Upper bound index of the last element of the array

$$a[k] = \text{Address}_A + W * k - W * 1$$

$$a[k] = \text{Address}_A - W + W * k$$

t_L

t_1

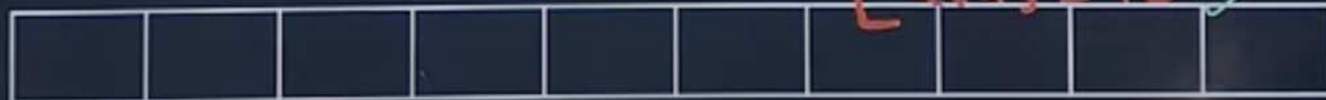
$$a[i] = t_L[t_1]$$

i.e. $(LB=1)$

e.g. $a[i] = 10$

$W=4$

$$\begin{cases} t_1 = 4 * i \\ t_L = \text{Address}_A - 4 \\ t_L[t_1] = 10 \end{cases}$$



Q Write the quadruples, triple and indirect triple for the following expression : $(x+y) * (y+z) + (x+y+z)$?

$$t_1 = x + y$$

$$t_2 = y + z$$

$$t_3 = t_1 * t_2$$

$$t_4 = x + y + z$$

$$t_5 = t_3 + t_4$$

Index	Operator	Arg1	Arg2
0	+	x	y
1	+	y	z
2	*	0	1
3	+	x	y
4	+	3	z
5	+	2	4

Pointer	Index
p0	0
p1	1
p2	2
p3	3
p4	4
p5	5

Triplet

	Operator	Operand ₁	Operand ₂
1)	+	a	b
2)	-	1	
3)	+	c	d
4)	*		3
5)	+		b
6)	+	5	c
7)	+	4	6

$$1) t_1 = a + b$$

$$2) t_2 = -t_1$$

$$3) t_3 = c + d$$

$$4) t_4 = t_2 * t_3$$

$$5) t_5 = a + b$$

$$6) t_6 = t_5 + c$$

$$7) t_7 = t_4 + t_6$$

not wasted

Disadvantage

- Statement cannot be moved

Quadruples

	Operator	Operand ₁	Operand ₂	Result
1)	+	a ✓	b ✓	t ₁ ✓
2)	-	t ₁		t ₂
3)	+	c	d	t ₃
4)	*	t ₂	t ₃	t ₄
5)	+	a	b	t ₅
6)	+	t ₅	c	t ₆
7)	+	t ₄	t ₆	t ₇

1) $t_1 = a + b$

2) $t_2 = -t_1$

3) $t_3 = c + d$

4) $t_4 = t_2 * t_3$

5) $t_5 = a + b$

6) $t_6 = t_5 + c$

7) $t_7 = t_4 + t_6$



3 Address Code

Types of 3 address codes

1) x = y operator z

2) x = operator z

3) x = y

4) goto L

5) A[i] = x

y = A[i]

6) x = *p

y = &x

$x = -y$
!y
&x

W
R



3 Address Code

- Three-address code is a type of intermediate code where each instruction can have at most three operands and one operator, like $a := b \text{ op } c$. It simplifies complex operations into a sequence of simple statements, supporting various operators for arithmetic, logic, or boolean operations.

$$a = b \text{ op } c$$



$(a+b) * (a+b+c)$

Post fix

$ab+ab+c+*$

Three address code

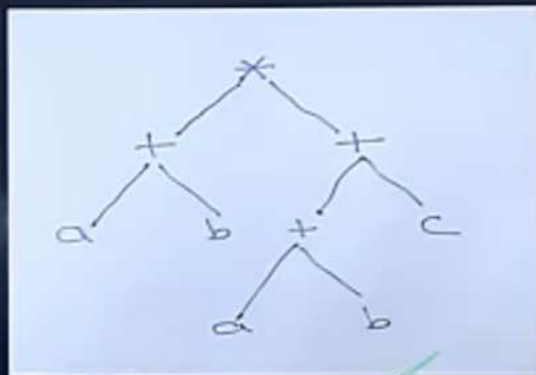
$$t_1 = a+b$$

$$t_2 = a+b$$

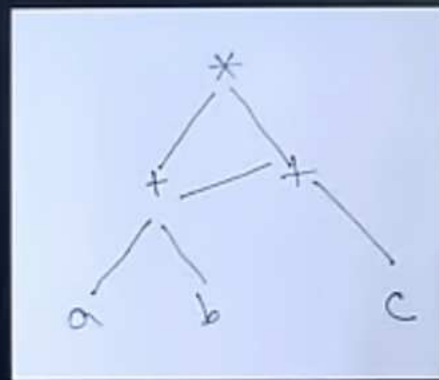
$$t_3 = t_2 + c$$

$$t_4 = t_1 * t_3$$

Syntax Tree



Direct Acyclic Graph



①

```

if c
  then x
  else
    y
  
```

c? x y \rightarrow c x y?



②

```

if a
  then
    if c-d
      then a+c
    else
      a*c
  else
    a+b
  
```

a? [c-d? a+c a*c] a+b

a? [cd-? ac+ ac*] ab+

a? [cd-ac+ac*?] a b+

a cd-ac+ac*? a b+?

Q Draw syntax tree for the arithmetic expressions : $a * (b + c) - d/2$. Also write the given expression in postfix notation ?

$*$ /

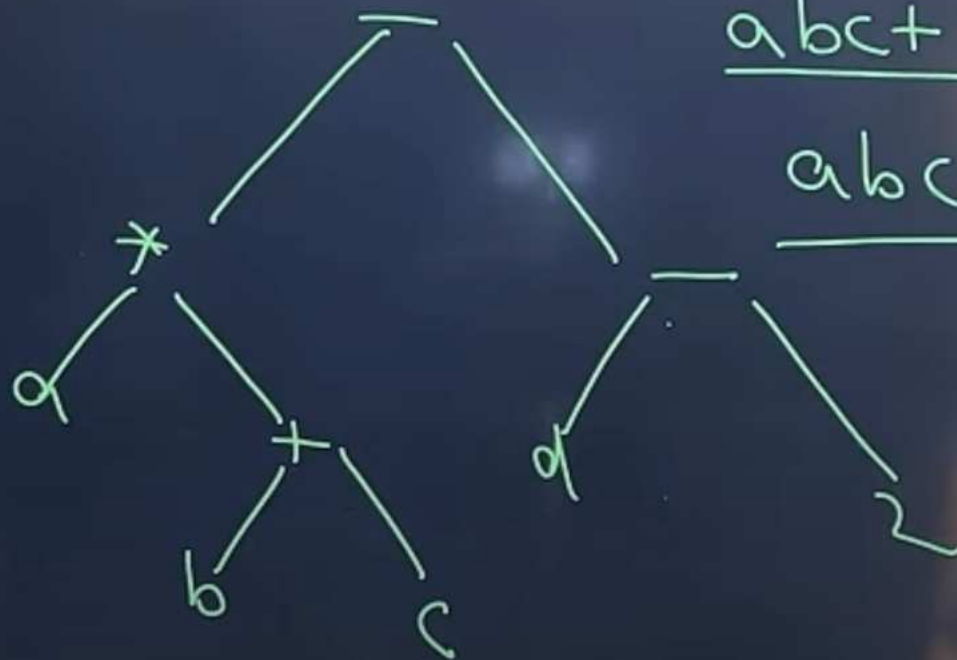
$+$ -

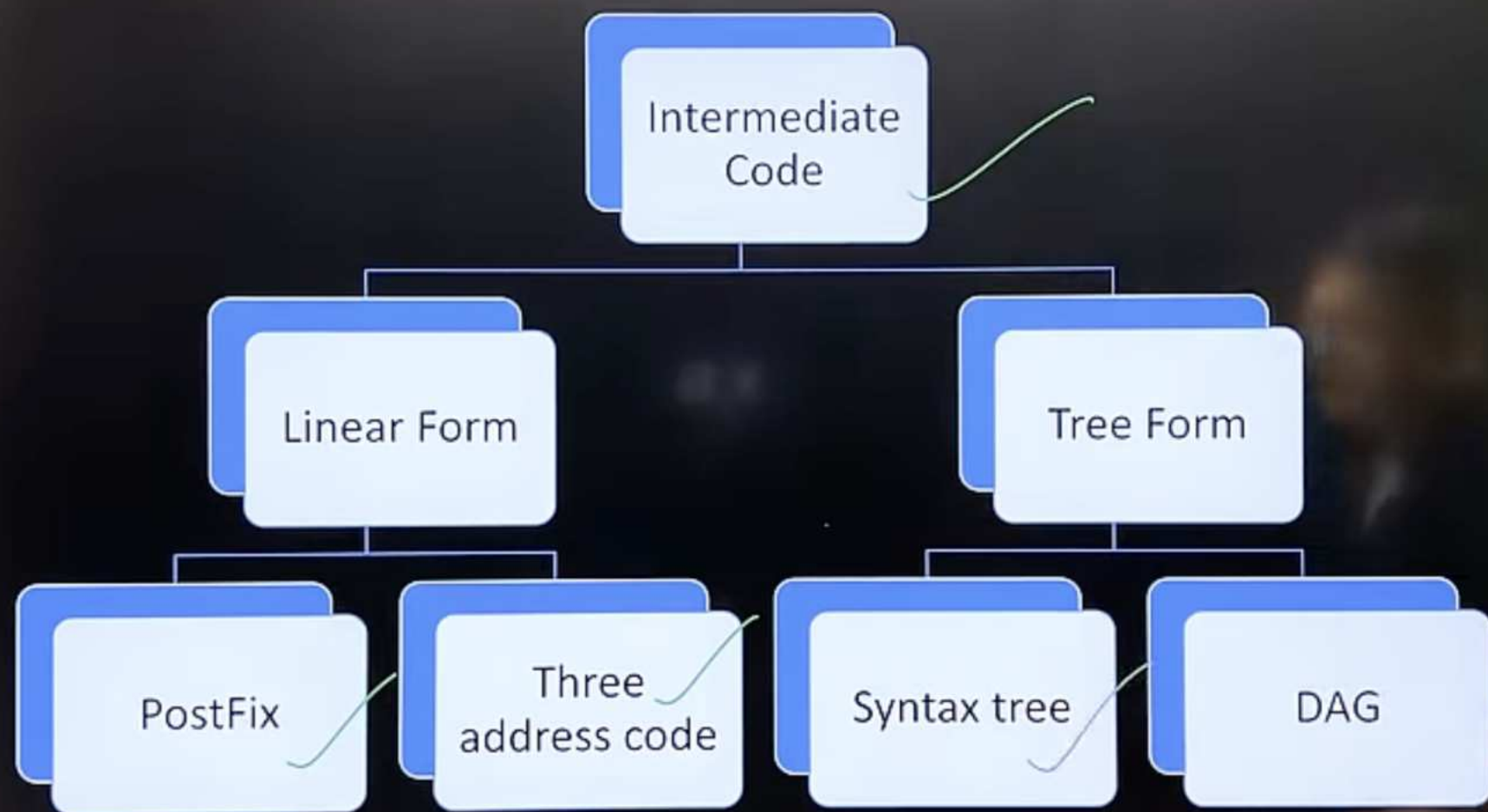
$a * (b + c) - d/2$

$a * b c + - d / 2$

$a b c + * - d 2 /$

$a b c + * d 2 / -$



Intermediate Code Generation

Intermediate Code Generation

- Intermediate code generation in compilers creates a machine-independent, low-level representation of source code, facilitating optimization and making the compiler design more modular. This abstraction layer allows for:
 - **Portability**: Easier adaptation of the compiler to different machine architectures, as only the code generation phase needs to be machine-specific.
 - **Optimization Opportunities**: More efficient target code through optimizations performed on the intermediate form rather than on high-level source or machine code.
 - **Ease of Compiler Construction**: Simplifies the development and maintenance of the compiler by decoupling the source language from the machine code generation.

- $x = y + z * 60$

$$t_1 = z * 60$$

$$t_2 = y + t_1$$

$$x = t_2$$

S-Attributed SDT

Uses only Synthesized attributes

$\alpha \rightarrow \beta \gamma [S.A]$

Semantic actions are placed at extreme right on right end of production

Attributes are evaluated during BUP

L-Attributes SDT

Uses both inherited and synthesised attributes. Each inherited attribute is restricted to inherit either from parent or left sibling only.

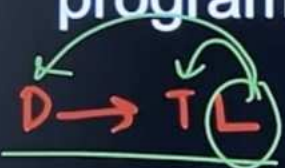
$\alpha \rightarrow \beta [S.A] \gamma$

Semantic actions are placed anywhere on right hand side of the production.

Attributes are evaluated by traversing parse tree depth first left to right.

Synthesized Attributes	Inherited Attributes
Computed from the attribute values of a node's children in the parse tree.	Computed from the attribute values of a node's siblings and parent.
Used to pass information up the parse tree.	Used to pass information down or across the parse tree.
Examples include the evaluated value of an expression or the size of a data type.	Examples include the data type expected for a child node or the environment in which a node should be evaluated.
Often associated with bottom-up parsing techniques like LALR or SLR.	Often associated with top-down parsing techniques such as LL parsers.
They do not need context from parent nodes, only from children and the node itself.	They require context from parent or surrounding nodes to be computed.

- **Inherited Attributes:** The attribute whose values are evaluated in terms of attribute value of parents & Left siblings is known as inherited attributes.
- Inherited attributes are convenient for expressing dependence of a programming language construct on the context in which it appears.



$$L.type = T.type$$

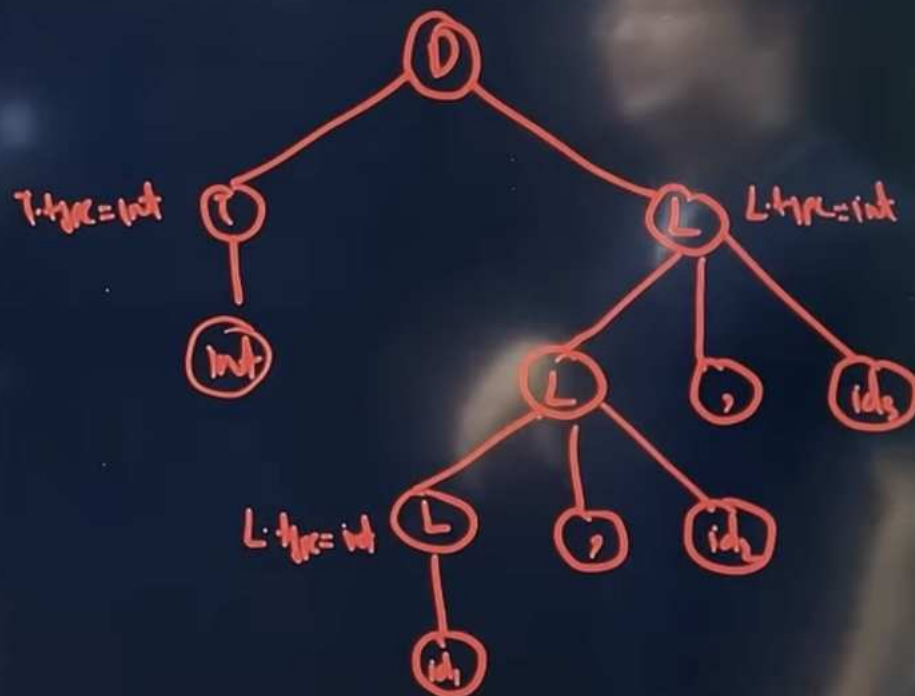
$$T.type = integer$$

$$T.type = real$$

$$L.type = L.type$$

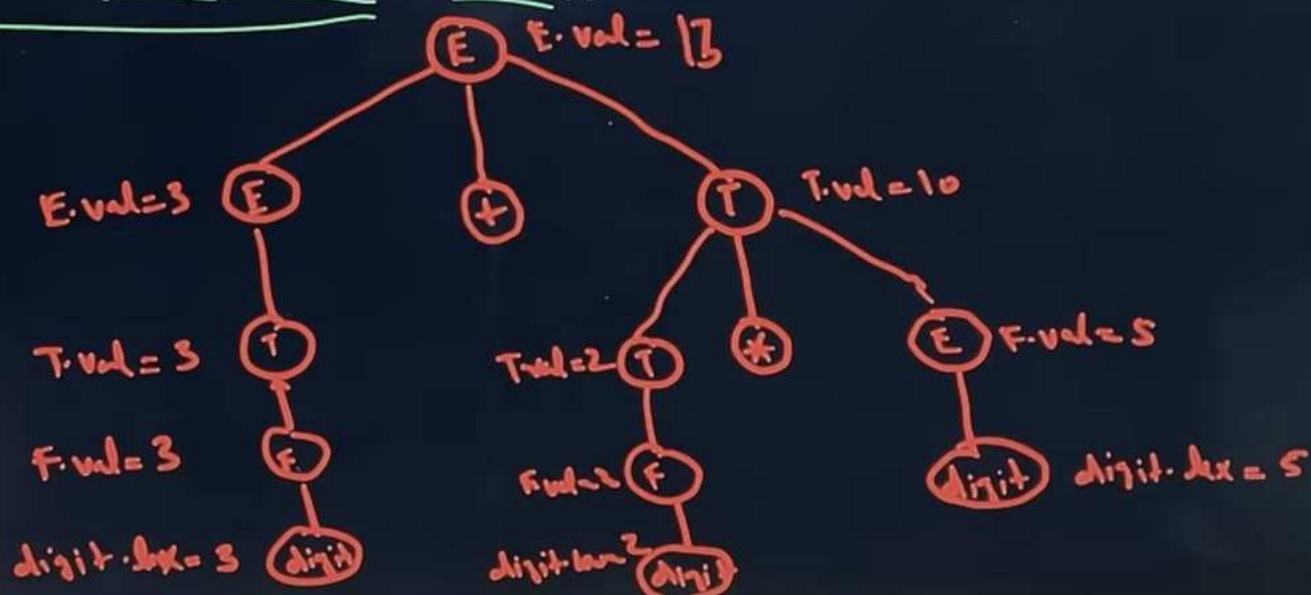
$$enter(id.part, L.type)$$

$$enter(id.part, L.type)$$



- Synthesized attributes are derived from a node's children within a parse tree, and a syntax-directed definition relying solely on these attributes is termed as S-attributed.
- S-attributed definitions allow parse trees to be annotated from the leaves up to the root, enabling parsers to directly evaluate semantic rules during the parsing process.

$A \rightarrow XYZ \{A.S = f(X.S / Y.S / Z.S)\}$



Attributes

- Attributes attach relevant information like strings, numbers, types, memory locations, or code fragments to grammar symbols of a language, which are used as labels for nodes in a parse tree.
- The value of each attribute at a parse tree node is determined by semantic rules associated with the production applied at that node, defining the context-specific information for the language construct.

$$X \rightarrow Y + Z$$

Q Consider the translation scheme shown below $S \rightarrow T R$

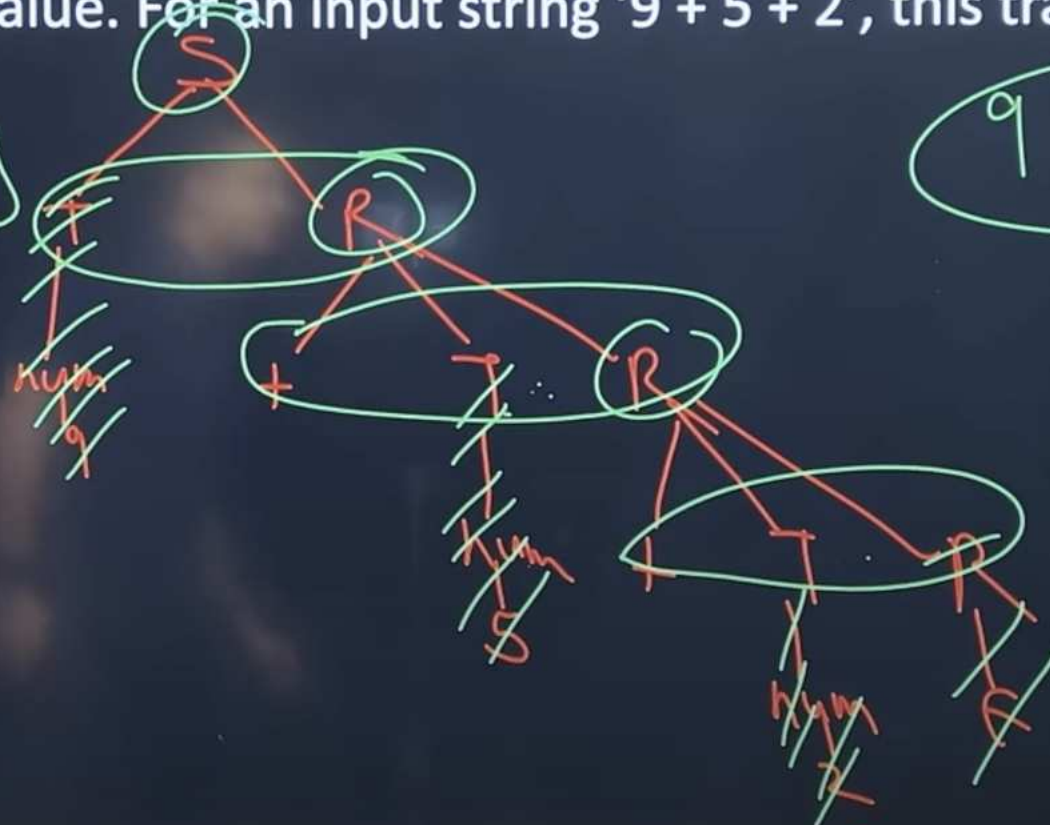
$R \rightarrow + T \{ \text{print ('+')}; \} R / \epsilon$

$T \rightarrow \text{num} \{ \text{print (num.val)}; \}$

Here num is a token that represents an integer and num.val represents the corresponding integer value. For an input string '9 + 5 + 2', this translation scheme will print

$\alpha \rightarrow \beta \gamma [s.r]$

$\alpha \rightarrow \beta [s.r] \gamma$



9 5 + 2 +

Q Consider the grammar with the following translation rules and E as the start symbol.

$E \rightarrow E_1 + T$ {print ('+');}

$E \rightarrow T$

$T \rightarrow T_1 * F$ {print ('*');}

$T \rightarrow F$

$F \rightarrow \text{num}$ {print ('num.val');}

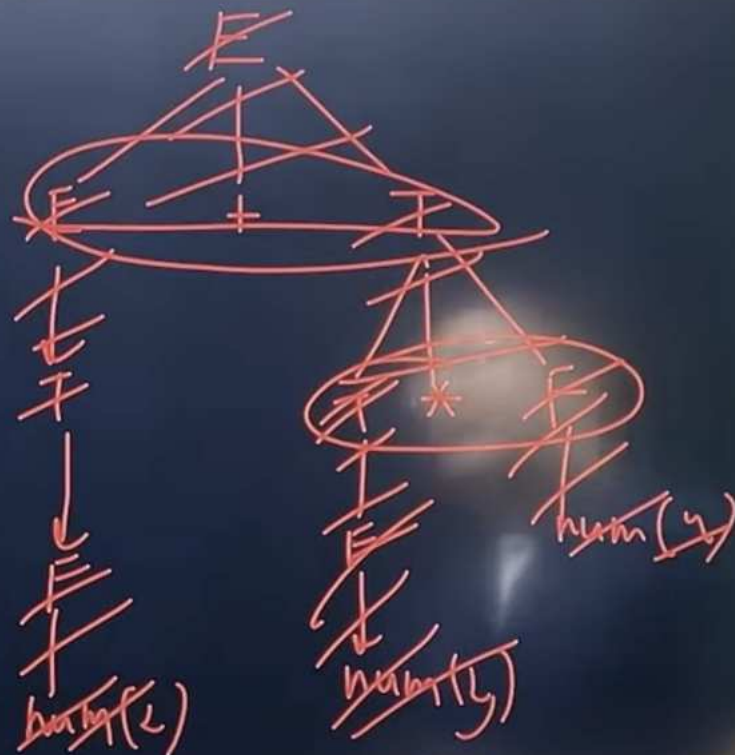
Construct the parse tree for the

String 2 + 3 * 4, and find what will be printed.

2 + 3 * 4

2 + 3 * 4

2 3 4 * +



2 3 4 * +

Q Consider the grammar with the following translation rules and E as the start symbol.

$E \rightarrow E_1 + T$ {print ('+');}

$E \rightarrow T$

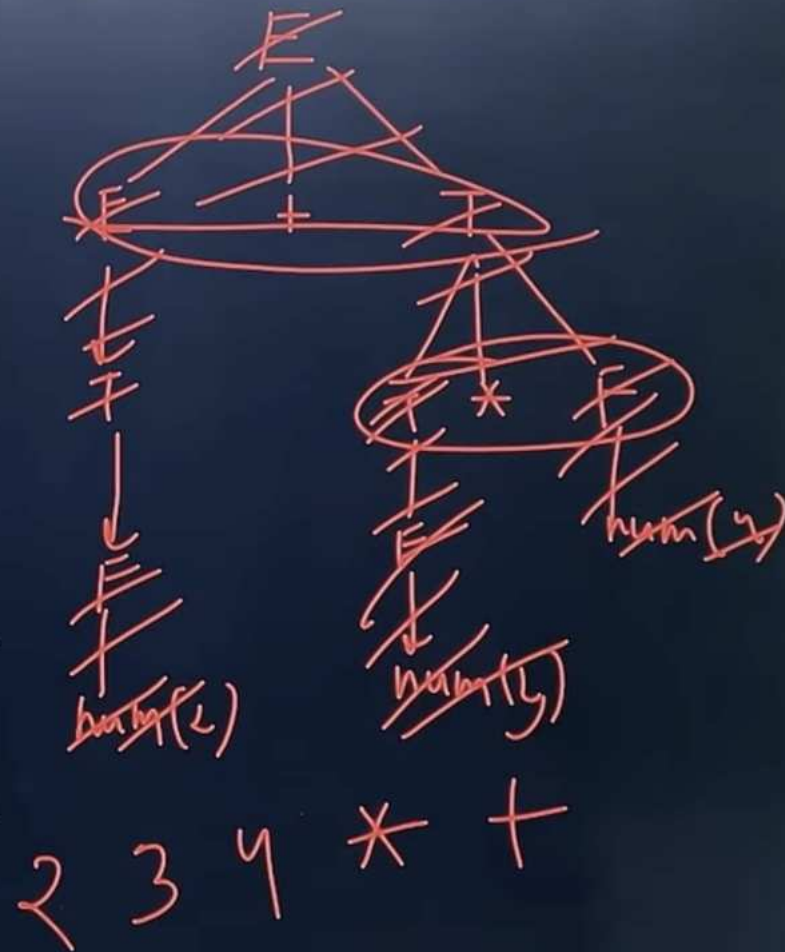
$T \rightarrow T_1 * F$ {print ('*');}

$T \rightarrow F$

$F \rightarrow \text{num}$ {print ('num.val');}

Construct the parse tree for the

String 2 + 3 * 4, and find what will be printed.



Q Consider the grammar with the following translation rules and E as the start symbol.

$E \rightarrow E_1 \# T \{ E.value = E_1.value * T.value \}$

$E \rightarrow T \{ E.value = T.value \}$

$T \rightarrow T_1 \& F \{ T.value = T_1.value + F.value \}$

$T \rightarrow F \{ T.value = F.value \}$

$F \rightarrow num \{ F.value = num.value \}$

Compute E.value for the root of the parse tree

for the expression: 2 # 3 & 5 # 6 & 4.

...

Ⓢ

, # * ($L \rightarrow R$)

ℓ + ($L \rightarrow R$)

2 # 3 & 5 # 6 & 4

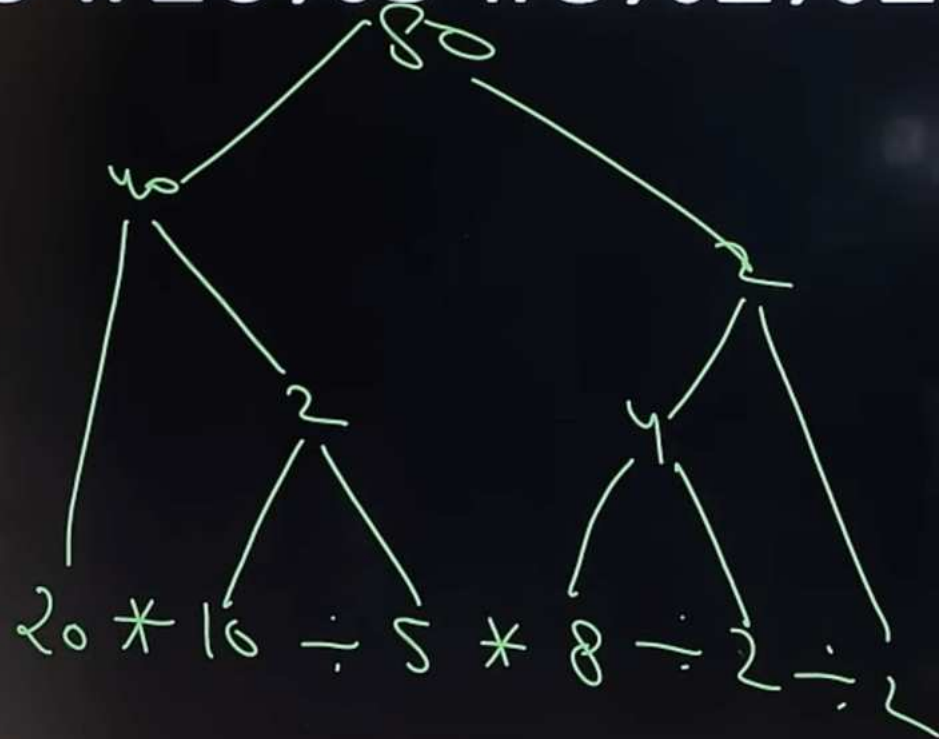
2 * 3 = 6
 6 + 5 = 11
 11 * 6 = 66
 66 + 4 = 70

Chapter-3 (SYNTAX-DIRECTED TRANSLATION)

Practice Question

Q Consider the following grammar along with translation rules. Here # and % are operators and id is a token that represents an integer and id_{val} represents the corresponding integer value. The set of non-terminals is {S, T, R, P} and a subscripted non-terminal indicates an instance of the non-terminal. Using this translation scheme, the computed value of S_{val} for root of the parse tree for the expression $20 \# 10 \% 5 \# 8 \% 2 \% 2$ is 80.

20 # 10 % 5 # 8 % 2 % 2



$S \rightarrow \underline{S_1} \# T$	$\{S_{val} = S_{1val} * T_{val}\}$
$S \rightarrow T$	$\{S_{val} = T_{val}\}$
$T \rightarrow \underline{T_1} \% R$	$\{T_{val} = T_{1val} \div R_{val}\}$
$T \rightarrow R$	$\{T_{val} = R_{val}\}$
$R \rightarrow id$	$\{R_{val} = id_{val}\}$

* / (L → R)

Semantic Analysis

- Grammar + Semantic Rule + Semantic Actions = Syntax Directed Translation. SDT is the generalization of CFG.
- With grammar we give meaningful rules, and apart from semantic analysis SDT can also be used to perform things like
 - Code generation
 - Intermediate code generation
 - Value in the symbol table
 - Expression evaluation
 - Converting infix to post fix
- Things can be done in parallel to parsing...so with semantic action and rule parsers become much powerful

Semantic Analysis

Input and output: Semantic analysis takes an Abstract Syntax Tree (AST) generated by the syntax analysis phase as its inputs.

Process: It performs type checking, scope resolution, and validates semantic consistency, ensuring that the operations and expressions in the source code are according to the language's rules and semantics.