# Trabalho - Parte I

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#### **Parametros**

```
n = 500
## ParÃf¢metros da distribuiÃf§ao
mu = 13
sigma2 = 8
nu = 0.2
#ParÃf¢metros das distribuiÃf§Ãfµes a priori
m = 11
V = 1
a = 3
d = 5
```

## Gerando a amostra

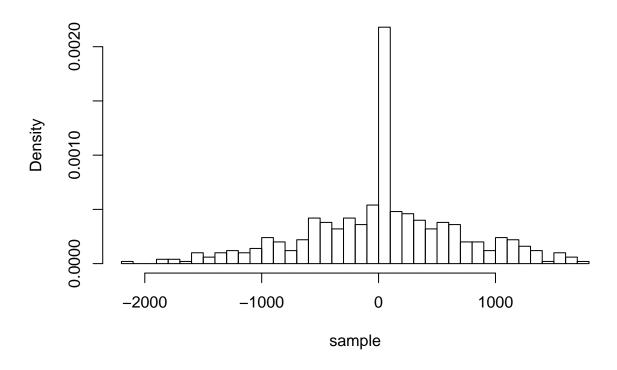
Definindo a pdf para uma indicadora de  $U_i$ :

```
IU_pdf <- function(n, nu, a = 0, b = 1) {
  unif = runif(n)
  (unif < nu)*a + (unif >= nu)*b
}
```

Gerando uma amostra de tamanho n:

```
IU = IU_pdf(n, nu)
sample = IU * (mu + sigma2*100*rnorm(n)) + (1 - IU)*(mu + sigma2*rnorm(n))
hist(sample, breaks = 50, prob=T)
```

# Histogram of sample



### Definindo a posteriori

```
A <- function(X, mu, sigma2, nu) {
    n = length(X)
    sum_arg = 0;
    for (i in 1:n) {
        a = (nu/10)*exp(-(X[i]-mu)^2/(2*100*sigma2))
        b = (1 - nu)*exp(-(X[i]-mu)^2/(2*sigma2))

    if (a > b) {
        sum_arg = sum_arg + log(a) + log(1+(c/a))
    } else {
        sum_arg = sum_arg + log(c) + log(1+(a/c))
    }
} exp(sum_arg)
}

h <- function(aux, n, mu, sigma2, nu, m, V, a, d) {
    aux * (1/sigma2)^((n+1)/2 + a + 1) * exp(-((mu-m)^2/(2*V) + d) / sigma2)
}</pre>
```

# Quadratura

#### Definindo as regioes de aproximação

```
L = 1000
mu_bounds = 10
mu_grid = seq(m-mu_bounds, m+mu_bounds, 2*mu_bounds/L)
sigma2_grid = seq(0.1, sigma2*2, (sigma2*2 - 0.1)/L)
nu_grid = seq(0, 1, 1/L)
```

#### Estimando o K

```
inv_k = 0
n = length(sample)

# for (i in 1:length(mu_grid)) {
# for (j in 1:length(sigma2_grid)) {
# for (k in 1:length(nu_grid)) {
# aux = A(sample, mu_grid[i], sigma2_grid[j], nu_grid[k])
# inv_k = inv_k + h(aux, n, mu_grid[i], sigma2_grid[j], nu_grid[k], m, V, a, d)
# }
# }

inv_k
```

#### ## [1] 0

Gerando uma amostra de tamanho n.