

► Bit manipulation

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these and
their
variants

ex. $a \& b = b$

- | | |
|-----------------------------------------------------|-------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| \sim
\ll
\gg
$\&$
$ $
\wedge | complement \rightarrow flip bits $\emptyset \leftrightarrow 1$
left shift : always shifts in \emptyset s
right shift : shifts in \emptyset s for unsigned types
and
or
xor |
|-----------------------------------------------------|-------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|

Typical questions: COMPLEMENT

- Assume 16-bit unsigned short:

$$\text{unsigned short } n = \emptyset \times A2B3;$$

Find $\sim n$ in hexadecimal.

$$\begin{aligned}
n &= \emptyset \times A2B3 = 1010 \ 0010 \ 1011 \ 0011 \quad \text{flip bits} \\
\sim n &= \overline{T} = 0101 \ 1101 \ 0100 \ 1100 = \emptyset \times 5D4C
\end{aligned}$$

don't count
this

Note: C Review Exercise 2 NO 2. d), e)

TYPICAL QUESTIONS

- Left Shift \ll

ex. unsigned short n = $\phi \times A2B3;$
 $\begin{array}{r} 1100 \\ 1101 \\ 0100 \\ 0101 \\ \hline \end{array} = \begin{array}{r} 1010 \\ \uparrow \\ 0010 \\ 1011 \\ 0011 \\ \downarrow \text{000} \end{array}$

$$n \ll 3 = 0001\ 0101\ 1001\ 1000 = \phi \times 1598$$

doesn't
usually ask
for RSHIFT

- Right shift \gg → shifts in ϕ 's for unsigned types

→ " " for non-neg. values in signed types for neg. values (signed types)
 which may shift in either ϕ 's or 1's

unsigned short n = $\phi \times A2B3;$
 $\begin{array}{r} 1010 \\ \uparrow \\ 0010 \\ 1011 \\ 0011 \\ \downarrow \text{000} \end{array}$

$$n \gg 3 = 0001\ 0100\ 0101\ 0110 = \phi \times 1456$$

- And $\&$ → 1 if both bits are 1; otherwise ϕ

Find m & n : unsigned short m = $\phi \times 9C3F$, n = $\phi \times A2B3;$

$$m = \phi \times 9C3F = 1001\ 1100\ 0011\ 1111$$

$$n = \phi \times A2B3 = 1010\ 0010\ 1011\ 0011$$

$$m \& n = 1000\ 0000\ 0011\ 0011 = \phi \times 8033$$

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► Typical Questions cont.

- OR 1 → Ø if both bits are Ø; otherwise 1

Find $m \setminus n$:

$$m = \emptyset \times 9C3F \quad 1001 \quad 1100 \quad 0011 \quad 1111$$

$$n = \emptyset \times A2B3 \quad 1010 \quad 0010 \quad 1011 \quad 0011$$

$$m \setminus n = 1011 \quad 1110 \quad 1011 \quad 1111 = \emptyset \times BEBF$$

$$m \wedge n = 0011 \quad 1110 \quad 1000 \quad 1100 = \emptyset \times 3E8C$$

- XOR ^ → 1 if bits are different; otherwise Ø.

► Control Flow

1) if / elseif / else

ex. if (argc == 1) {

} elseif (argc == 2) {

} else {

}

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2) switch / case

ex. `char choice = get-choice();`

`switch (choice) {` must be a integral type
`case 'y': case 'Y':` what?

...

`break;`

`} case 'n': case 'N':`

...

`break;`

`default:`

...

}

Ask yourself: ① how many times is the loop run?

3) while (4 types)

② what is printed the first time?

`int n = 1;`

`4x < while (n++ < 5)`

`2 3 4 5`

`printf ("%d", n);`

`int n = 1;`

`while (+tn < 5)`

`> 3x`

`printf ("%d", n);`

`2 3 4`

`int n = 1;`

`4x < while (n < 5)`

`2 3 4 5`

`printf ("%d", +tn);`

`int n = 1;`

`while (n < 5)`

`> 4x`

`printf ("%d", n++);`

`1, 2 3 4`

Know difference
between `n++`
and `+n++`

$\rightarrow +n$ vs. $n++$

value AFTER
incrementing

value BEFORE
incrementing

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4) Do while

```
do {  
    ... /* exe. at least once */  
} while (...);
```

5) For Loop

```
for (initialization ; test to Continue ; update) {  
    body  
}
```

ex. `for (i = 0; i < 10; i++) { printf ("%d", i * i); }`

white loop

$i = 0;$

```
while ( $i < 10$ ) {  
    printf ("%d", i * i);  
    i++;  
}
```

6) break / continue : must be used in loops

while (...) { ex. `while (i < 10) {`

```
    if (...) continue;  
    if (...) break;  
    ...  
}
```

if (...)

continue;

i is NOT
incremented

$i++;$

vs.

```
for (...; ...; i++) {  
    if (...)
```

continue;

}

▷ Standard idiom to process an array backwards

type some positive integer

```

T a[N];
size_t i;
for (i = N; i > 0; i--) {
    /* process a[i-1] */
}

```

→ example to check if two strings are palindromes

```

int is_palindrome (const char []) {
    size_t i;
    for (i = 0, j = strlen(s); i < j; i++, j--) {
        if (s[i] != s[j-1]) {
            return 0;
        }
    }
    return 1;
}

```