Numerical analysis Assignment no 2

Find a root of the equation

correct to 4 dp in [0,1]

Using the Newton Raphson method, Also perform 10 iterations by using any programming language.

0 - 0	
	0.
	P0 = 0
	P1 = P0 - f(P0)/f'(P0) P1 = 06/14 = 0.4286
	P1 = 06/14 = 0.4286
	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
	P2 = P1 - f(P1)/f'(P1) P2 = 0.4286 + 1.2070/8.5510 =0.5697
	P2 = 0.4286 + 1.2070/8.5510 =0.5697
	P3 = P2 - f(P2)/f'(P2) P3 = 0.5697 + 0.1/10/6.9976 = 0.5856
	P3 = 0.5697 + 0.1/10/6.9976 = 0.5856
	P4 = P3 - f(P3)/f'(P3)
	P4 = P3 - f(P3)/f'(P3) P4 = 0.5856 + 0.00/3/6.8305 =0.5858
	P5 = P4 - f(P4)/f'(P4) P5 = 0.5858 + 1.9825/6.8284= 0.5858
	P5 = 0.5858 + 1.9825/6.8284= 0.5858
	P6 = P5 - f(P5)/f'(P5) P6 = 0.5858 + 5.3290/6.8284= 0.5858
	P6 = 0.5858 + 5.3290/6.8284= 0.5858
	P7 = P6 - f(P6)/f'(P6)
	P7 = P6 - f(P6)/f'(P6) P7 = 0.5858 - 0/6.8284 =0.5858
	P8 = P7 - f(P7)/f'(P7)
	P8 = P7 - f(P7)/f'(P7) P8 = 0.5858 - 0/6.8284 = 0.5858
	P9 = P8 - f(P8)/f'(P8)
	P9 = P8 - f(P8)/f'(P8) P9 = 0.5858 - 0/6.8284 =0.5858
	P10 = P9 - f(P9)/f'(P9)
	P10 = P9 - f(P9)/f'(P9) P10 = 0.5858 - 0/6.8284 = 0.5858

```
. .
from math import *
class Polynomial:
    def __init__(self, coef, const):
        self.coef = coef
        self.const = const
    def __str__(self):
        result =
        for item in self.coef:
            term = f"{self.coef[item]}x^{item}"
            result += f''(\{term\}) +
        result += f" ({self.const})"
        return result
    def evaluate(self, value):
        ans = self.const
        for var in self.coef:
            ans += self.coef[var] * (value ** var)
        return ans
    def derivative(self):
        der = Polynomial({}, 0)
        for var in self.coef:
            der.coef[var-1] = self.coef[var] * var
        return der
    def formula(self, P0):
        f_P0 = self.evaluate(P0)
        f_der_P0 = (self.derivative()).evaluate(P0)
        result = P0 - (f_P0/f_der_P0)
        return result
```

```
• • •
from Polynomial import *
def newton_raphson_iterations(fx, p0, n):
    pn = [p0]
for i in range(1, n+1):
        ans = fx.formula(pn[i-1])
        pn.append(ans)
    return pn
fx = Polynomial(
        3: 1,
        2: -7,
        1: 14,
    }, -6
print(f"f(x) = \{fx\}")
p0 = [0,1]
n = 10
pn = newton_raphson_iterations(fx, p0[0], n)
print(f"\nP\tNewton Raphson")
for i in range(len(pn)):
    print(f"{i} \t {'%.4f' % pn[i]}")
```

Figure 3: Output

```
f(x) = (1x^3) + (-7x^2) + (14x^1) + (-6)
   Newton Raphson
0
    0.0000
1
     0.4286
2
     0.5697
3
    0.5856
4
    0.5858
5
     0.5858
    0.5858
6
     0.5858
8
     0.5858
9
     0.5858
     0.5858
```