

# Programming Language Concepts

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\* Some slides are adapted from those by Dr. Danfeng Zhang

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## Supplementary Slides Chap 11 Functional Languages

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### Why Study Functional Programming (FP)?

- Expose you to a new programming model
  - FP is drastically different
    - Scheme: no loops; recursion everywhere
- FP has had a long tradition
  - Lisp, Scheme, ML, Haskell, ...
  - The debate between FP and imperative programming
- FP continues to influence modern languages
  - Most modern languages are multi-paradigm languages
  - Delegates in C#: higher-order functions
  - Python: FP; OOP; imperative programming
  - Scala: mixes FP and OOP
  - C++11: added lambda functions
  - Java 8: added lambda functions in 2014
  - Erlang: behind WhatsApp

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### A Brief History of Functional Programming

- Theoretical foundation: Lambda calculus
  - Alonzo Church (1930s)
  - Computability: Lambda calculus = Turing Machine
  - Church-Turing Thesis
- Lisp (McCarthy, 1950s)
  - Directly based on lambda calculus
  - Mostly used for symbolic computation (e.g., symbolic differentiation)
- Scheme (Steele and Sussman, 1970s)
  - A relatively small language that provides constructs at the core of Lisp
- OCaml; Haskell; F#;...

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## Scheme

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### Learning Functional Programming in Scheme

- Follow the lectures
- Chap 11 in the textbook
- Online tutorials (links on the course website)
  - [Teach Yourself Scheme in Fixnum Days](#)
  - [An Introduction to Scheme and its Implementation](#)
    - Long and comprehensive
  - [Official Scheme Standard](#)
    - Chapter 6 lists all the predefined procedures

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## DrRacket

- An interactive, integrated, graphical programming environment for Scheme
- Installation
  - You could install it on your own machines
    - <http://racket-lang.org/>
- Interactive environment
  - read-eval-print loop
    - try 3.14159, (\* 2 3.14159)
  - Compare to typical Java/C development cycle

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## DrRacket: Configuration

- Be sure that the language "Standard (R5RS)" is selected
  - Click Run
- Select View->Hide Definitions to focus on interpreter today

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## Functional Programming in Scheme

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## Scheme Variables

- Variables
  - (define pi 3.14)
  - No need to declare types
- Variables are case insensitive
  - pi is the same as Pi

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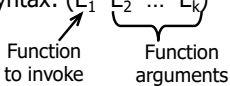
## Scheme Expressions

- Prefix notation (Polish notation):
  - 3+4 is written in Scheme as (+ 3 4)
  - Parentheses are necessary
  - Compare to the infix notation: (3 + 4)
- 4+(5 \* 7) is written as
  - (+ 4 (\* 5 7))
  - Parentheses are necessary

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## Scheme Expressions

- General syntax:  $(E_1 E_2 \dots E_k)$   


- Applying the function E1 to arguments E2, ..., Ek
- Examples: (+ 3 4), (+ 4 (\* 5 7))
- Uniform syntax, easy to parse

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## Built-in Functions

### □ $+$ , $*$

- take 0 or more parameters
- applies operation to all parameters together
- $(+ 2 4 5)$
- $(* 3 2 4)$
- zero or one parameter?
  - $(+)$
  - $(*)$
  - $(+ 5)$
  - $(* 8)$

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## User-Defined Functions

### □ Mathematical functions

- Take some arguments; return some value

### □ E.g., $f(x) = x^2$

- $f(3) = 9$ ;  $f(10) = 100$

### □ Scheme syntax

- $(\text{define (square } x) (* x x))$

### □ A two-argument function: $f(x,y) = x + y^2$

- $(\text{define (f } x\ y) (+ x (* y y)))$
- calling the function:  $(f\ 3\ 4)$

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## Anonymous Functions

### □ Syntax based on Lambda Calculus: $\lambda x. x^2$

### □ Anonymous functions

- $(\text{lambda } (x) (* x x))$
- Can be used only once:  $((\text{lambda } (x) (* x x)) 3)$
- Introduce names
  - $(\text{define square } (\text{lambda } (x) (* x x)))$
  - Same as  $(\text{define (square } x) (* x x))$

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## Scheme Parenthesis

### □ Scheme is very strict on parentheses

- which is reserved for function call (function invocation)
- $(+ 3 4)$  vs.  $(+ (3) 4)$
- $(\text{lambda } (x) x)$  vs.  $(\text{lambda } (x) (x))$ 
  - the second treats  $(x)$  as a function call
- $(\text{lambda } (x) (* x x))$  vs.  $(\text{lambda } (x) (* (x) x))$

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## Defining Recursive Functions

### □ $(\text{define diverge } (\text{lambda } (x) (\text{diverge } (+ x 1))))$

- Call this a diverge function

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## Booleans

### □ Boolean values

- $\#t$ ,  $\#f$  for true and false

### □ Predicates: funs that evaluate to true or false

- convention: names of Scheme predicates end in "?"
- $\text{number?}$ : test whether argument is a number
- $\text{equal?}$ 
  - ex:  $(\text{equal? } 2\ 2)$ ,  $(\text{equal? } x\ (*\ 2\ y))$ ,  $(\text{equal? } \#t\ \#t)$
- $=$ ,  $>$ ,  $<$ ,  $<=$ ,  $>=$ 
  - $=$  is only for numbers
  - $(= \#t \#t)$  won't work
- $\text{and}$ ,  $\text{or}$ ,  $\text{not}$ 
  - $(\text{and } (> 7\ 5) (< 10\ 20))$

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## If expressions

### □ If expressions

- (if P E1 E2)
  - eval P to a boolean, if it's true then eval E1, else eval E2
- examples: max
  - (define (max x y) (if (> x y) x y))
- It does not evaluate both branches
  - (define (f x) (if (> x 0) 0 (diverge x)))
  - what is (f 1)? what is (f -1)

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## Mutual Rec. Functions

- even = true, if n = 0  
odd(n-1), otherwise
- odd = false, if n = 0  
even(n-1), otherwise

### □ (define myeven?

```
(lambda (n)
  (if (= n 0) #t (myodd? (- n 1)))))
```

### (define myodd?

```
(lambda (n)
  (if (= n 0) #f (myeven? (- n 1)))))
```

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## Multi-Case Conditionals

### □ (cond (P<sub>1</sub> E<sub>1</sub>)

```
...
(Pn En)
(else En+1)))
```

- "If P E<sub>1</sub> E<sub>2</sub>" is a syntactic sugar

### □ examples

- Problem: Write a function to assign a grade based on the value of a test score. an A for a score of 90 or above, a B for a score of 80-89, a C for a score of 70-79, a D for 60-69, a F otherwise.

```
(define (testscore x)
  (cond ((>= x 90) 'A)
        ((>= x 80) 'B)
        ((>= x 70) 'C)
        ((>= x 60) 'D)
        (else 'F)))
```

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