Appendices C: Matlab Code:

Part 1: Main code for data visualisation

```
file = 'emg_6.lvm;
e mg = i mport dat a(fil e,'\t', 23)
a = e mg. dat a;
% column 1 in excel sheet, time
e mg X = e mg. dat a(:, 1);
% column 2 in excel sheet, the amplitude
e mg Y = e mg. dat a(:, 2);
%% Plot real-time EMG signal
figure(1)
plat(emg X, emg Y)
xl abd ('Seconds'); yl abd ('Amplitude (V)'); legend('Raw Time EMG signal')
gri d on
title('Raw EMG signal Case 6')
%% Rectifying the signal
figur e(2)
rec_e mg Y=abs(e mg Y);
                              %taking absolute values for all amplitude values
plot(e mg X, rec_e mg Y)
xl abd ('Seconds')
yl abel (' Amplit ude ( V)')
title('Rectified EMG signal Case 6), Legend('Rectified EMG signal')
%% PSD
figure(3)
fs = 1000
n = I engt h (e mg Y);
Y = fft(emg Y)
Pyy = Y.*conj(Y)

f = fs*(0: n/2-1);
nyquist = 1/(2*0.001);
freq = (1: n/2)/(n/2)*nyquist;
pl at (freq, Pyy(1:n/2))
title('Power Spectral Density 6');
xl abel ('Frequency (Hz)');
yl abel (' Power');
%% Plot figure 1, 2, 3 in one figure
figure(4)
subpl ot (3, 1, 3)
fs = 1000;
n = length (emg Y);
Y = fft(emg Y)
Pyy = Y. *conj (Y)

f = fs*(0: n/2-1);
nyqui st = 1/(2*0.001);
freq = (1: n/2)/(n/2)*nyquist;
P = Pyy(1:n)
pl at (freq, Pyy( 1: n/ 2))
gri d on;
title('Power spectral density);
xl abel ('Frequency (Hz)');
yl abel ('Power');
subplot (3, 1, 2);
pl at ( e mg X, r ec_e mg Y)
xl abel ('Seconds (s)')
yl abel (' Amplit ude ( V)');
title('Rectified EMG Signal'), Legend('Rectified EMG signal')
subpl ot (3, 1, 1)
plot(emg X, emg Y);\\
xl abel ('Seconds (s)');
yl abd (' Amplit ude ( V)');
title('Raw EMG Signal'), Legend('Raw EMG signal')
```

```
%% Nu merical Values
Ma = max(emg Y)
M = m n (e mg Y)
r = r ms(rec_e mg Y)
s = st d(e mg Y)
freq1 = medfreq(emg Y, fs)
freq2 = meanfreq(emgY,fs)
%% DWT/CWT
[I Haar, hHaar] = dwt(emgY, 'haar');
figure(5)
subpl ot (1, 2, 1);
plot([l Haar, hHaar])
subpl ot (1, 2, 2);
[I Haar 2, h Haar 2] = cwt(e mg Y, 'morse');
plot([I Haar 2, h Haar 2])
%% RMS envelope with Raw EMG Signal
E = envel ope( e mg Y, 150, 'r ms')
figure(6)
plot (emg X, emg Y)
hol d on
pl at(emg X, E, rd)
xl abel ('Seconds (s)');
yl abel (' Amplit ude ( V)');
gri d on;
title('EMG Signal with RMS envelope')
%% Peak Envelope
figure(7)
[yupper, yl ower] = envel ope(emg Y, 500, 'peak')
pl at ([yupper, ylower])
hol d o
pl at (e mg Y, 'k')
xl abel ('Samples');
yl abel (' Amplitude ( V)');
title('EMG Signal with Peak envelope')
%% Wavel et Transform Fail
wt = cwt (emg Y, 1000)
plot (wt)
%% Wavelet Fail
freq = 20: .1:500;
fs = scal \ 2frq \ (freq. 'cmor 4- 2.5, 0.004);
C = cwt(emgY(1:length(emgY)),fs,'cmor4-2.5)
coefs = wcode mat(abs(C), 80, mat', 1);
i mage ( (1:l engt h(emg Y))./250, wr ev(fr eq), coef s);
xl abel (' Time (s)');
yl abel ('Frequency (Hz)');
title('Time Frequency Analysis using CWT')
%% WT Denoising
[SIGDEN, ~, thr Params, ~, Best Nb Of Int] = cmddenoi se(emg Y, 'db3', 6);
plot(e mg Y, ' K)
hold on;
set(gca, 'Xi m, [500, 1000]);
plat(SIGDEN)
title (Denoised Signal vs. Original Signal)
set(gca, 'Xi m, [500, 1000]);
xi abel (No. of Samples); yi abel (Amplitude (V)');
Legend('Oi ginal Signal', Denoi sed Signal', Location', North East Outside')
%% DWT Haar
x = e mg Y
sampling_rate = 1000
subpl ot (4, 2, 1)
plot(x);
xl abel (' T me (seconds)');
title('Oringinal Signal');
axi s([ 0 256 - 1 1]);
subpl ot (4, 2, 2)
scale_level = 1;
y = DWT2(x, sampling_rate, scale_level);
xl abel (' T me (seconds)');
yl abel (' Frequency (Hz)');
```

```
title('Scale Level = 1');
subpl ot (4, 2, 3)
scale_level = 2;
y = DWT2(x, sampling_rate, scale_level);
xl abel (' Ti me (seconds)');
yl abel ('Frequency (Hz)');
title('Scale Level = 2);
subpl ot (4, 2, 4)
scale_level = 3;
y = DWT2(x, sampling_rate, scale_level);
xl abd (' T me (seconds)');
yl abel ('Frequency (Hz)');
title('Scale Level = 3);
subpl ot (4, 2, 5)
scale_level = 4;
y = DWT2(x, sampling_rate, scale_level);
xl abel (' Ti me (seconds)');
yl abel ('Frequency (Hz)');
title('Scale Level = 4');
subpl ot (4, 2, 6)
scale_level = 5;
y = DWT2(x, sampling_rate, scale_level);
xl abel (' Ti me (seconds)');
yl abel ('Frequency (Hz)');
title('Scale Level = 5);
subpl ot (4, 2, 7)
scale_level = 6;
y = DWT2(x, sampling_rate, scale_level);
xl abel (' Time (seconds)');
yl abel ('Frequency (Hz)');
title('Scale Level = 6');
subpl ot (4, 2, 8)
scale_level = 7;
y = DWT2(x, sampling_rate, scale_level);
xl abel (' T me (seconds)');
yl abel ('Frequency (Hz)');
title('Scale Level = 7);
```

Part 2: DWT2.m for testing using Wavelet Transform

```
function y = DWT2(x, sampling_rate, scale_level)
y = DWT2(x, sampling_rate, scale_level)
\% DWT2 produces the discrete wavelet. Haar transform of "x", for
\% the number of "scale-levels" indicated. The length of "x" is
% expected to be a power of 2; other wise, it is zero padded to the
\% next power of 2 greater than the length of "x". "Sampling_rate"
\% is the time increment between samples in seconds. The output image
% is nor malized to show the high frequencies.
if (nargin ~= 3)
    d sp(' DWT2 requires 3 input arguments!')
  return;
end
if ((scale_level < 1) | (round(scale_level) ~= scale_level))</pre>
  dsp('The argument "scale_level" must be an integer greater than 0.');
  return;
end
if (sampling_rate <= 0)</pre>
  d sp(' The argument "sampling_rate" must be greater than 0.');
end
[m, n] = size(x);
if (m \sim = 1)
  X = X;
el se
  X = x:
end
[m, n] = size(X);
```

```
if (m \sim 1)
   dsp('X must be a vector, not a matrix!');
  return;
end
LENX = I ength(X);
PAD = 2^(cell(log2(LENX))) - LENX;
XX = [X zeros(1, PAD)];
LENXX = I engt h(XX);
if (scale_level >log2(LENXX))
  d sp(' The argument "scale_level" is too large.');
  return;
end
SL = 2^scal e_l evel;
SLT = SL;
y = zeros((LENXX/2), SL);
y_i mg = zeros((LENXX 2), SL);
h0 = [ sqrt(2)/2 sqrt(2)/2 ];
h1 = [-sqrt(2)/2 sqrt(2)/2];
TY = [];
C = XX;
for jj = 1: 1: scal e_l evel
  L = I engt h(c);
   d = conv(c, h1)
  d = d(1:2:L);
  c = conv(c, h0)
  C = C(1:2:L)
  TY = [d TY];
end
TY = [c TY];
TY = flipr(TY);
ST = 1; COL = SL;
for kk = 1: 1: (scal e_l evel +1)
% CHOP UP DATA VECTOR FROM TYINTO T3, ITERATI VELY.
   SLT = SLT/2;
   SP = 2^{(kk-1)}
   SA = LENXX (SP* 2);
   T3 = zeros(1, (LENXX/2));
  if (kk ~= (scal e_l evel +1))
      T3(1: SP.(LENXX/2)) = TY(ST: 1:(ST+SA-1));
     ST = ST + SA
     SLT = SLT^*2;
      SP = SP/2;
     T3(1: SP.(LENXX/2)) = TY(ST: 1: LENXX);
% SHIFT AND COPY T3 TO FILLIN TIME SLOTS AT LOWER FREQUENCIES.
   for nn = 2:1:SP
     T2 = [zeros(1, (nn-1)) T3]; T2 = T2(1:1:LENXX/2);
     T3 = T3 + T2;
% NORMALI ZE T3
   T3 = abs(T3)/max(abs(T3));
% REPEAT T3 VECTOR TO FILL IN FREQUENCY SLOTS IN MATRIX "y".
  for mm = SLT: - 1: 1
     y(:, COL) = T3;
y_i mg(:, COL) = T3;
     COL = COL - 1;
  end
end
y = fli pud(y);
y_i mg = fli pud(y_i mg);
freq = (1/sampling_rate)/2;
i\ magesc([\ 0.\ sa\ mpli\ ng\_r\ at\ e^*\ 2\ (sa\ mpli\ ng\_r\ at\ e^*\ (\ L\ E\ N\ X\ X\ -\ 1)))], [\ 0\ (fr\ eq'\ (\ SL\ -\ 1))^*[\ 1:\ 1:\ (\ SL\ -\ 1)]], (y\_i\ mg'\ ).\ ^2);
xl abel (' T me (seconds)');
```

```
yl abel ( Frequency ( Hz)');
axis([ 0 (sampling_rate* LENXX) 0 freq]);
axis( xy')
```

Part 3: Smoothing Matlab built-in function

```
\%\% X axis limit values changes for each case based on the peaks observed
s1 = s moot h (rec_e mg Y, 'l owess')
subpl ot (6, 1, 1)
plot(emg X, s1)
set(gca, 'Xi m, [8, 9]);
title('Comparison of Different Smoothing Methods for Selected Segment')
s2 = s moot h (rec_e mg Y, 'movi ng')
subpl ot (6, 1, 2)
plot(emg X, s2)
set(gca, 'Xi m, [8, 9]);
s3 = s \mod h (rec_e mg Y, loess)
subpl ot (6, 1, 3)
plot(emg X, s3)
set(gca, 'Xim, [8, 9]);
s4 = s moot h (rec_e mg Y, 'sgod ay')
subplot (6, 1, 4)
plot(emg X, s4)
set(gca, 'Xi m, [8, 9]);
s5 = s moot h (rec_e mg Y, 'rl owess')
subpl ot (6, 1, 5)
plot(e mg X, s5)
set(gca, 'Xi m, [8, 9]);
s6 = s moot h (rec_e mg Y, 'rl oess')
subpl ot (6, 1, 6)
plot(emg X, s6)
set(gca, 'Xi m, [8, 9]);
xl abel ('Seconds')
yl abel (' Amplitude ( V)')
```