

Waveform Feature Extraction Using (Relatively) Slow Digitization

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Motivation & Goals

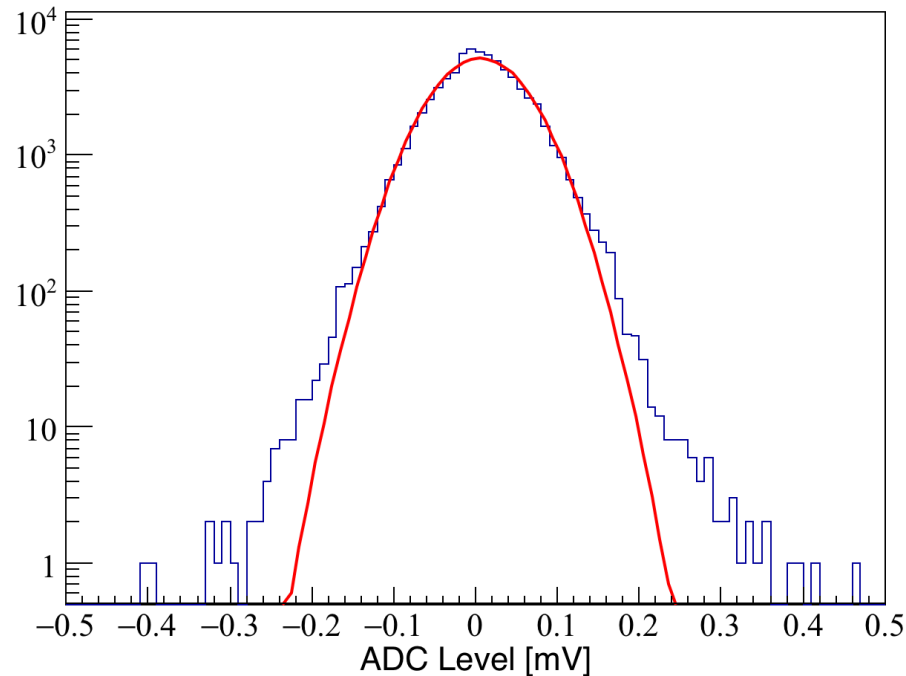
- **Slow digitization (~40 Msps) yields power and cost savings in proposed Gen2 optical module**
- **Single digitization source simplifies hardware, calibration, and downstream software**
- **Question:** Do we impair physics capabilities with slower digitization?
- **Goal:** Evaluate effects of using a single, slow digitizer on feature extraction:
 1. Charge resolution
 2. Timing resolution
 3. Double-pulse separation

Analysis

- **Simulate a 40 Msps device with identical low-pass pulse shaping to the IceCube fADC**
 - Create 40 Msps waveforms by injecting pulses assuming the standard IceCube fADC SPE pulse template
 - Add random noise to each bin (128 total bins)
 - Make bin value discrete assuming SPE peak → 20 counts
- **Unfold waveforms using wavedeform**
 - Modified to handle waveforms from single digitizer
- **Compare unfolded pulses to true injected pulses**
- **Do the same for ATWD-like device, for comparison**

IceCube DOM fADC Noise

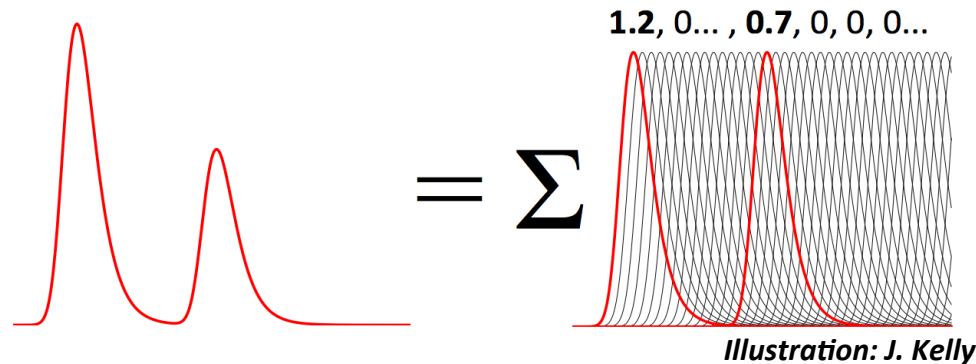
- **Create a histogram of the first bin of fADC waveforms with local coincidence**



- **Noise peak is reasonably well-described by a Gaussian of width 54 μ V**
 - Use this Gaussian in model

Waveform Unfolding: Wavedeform

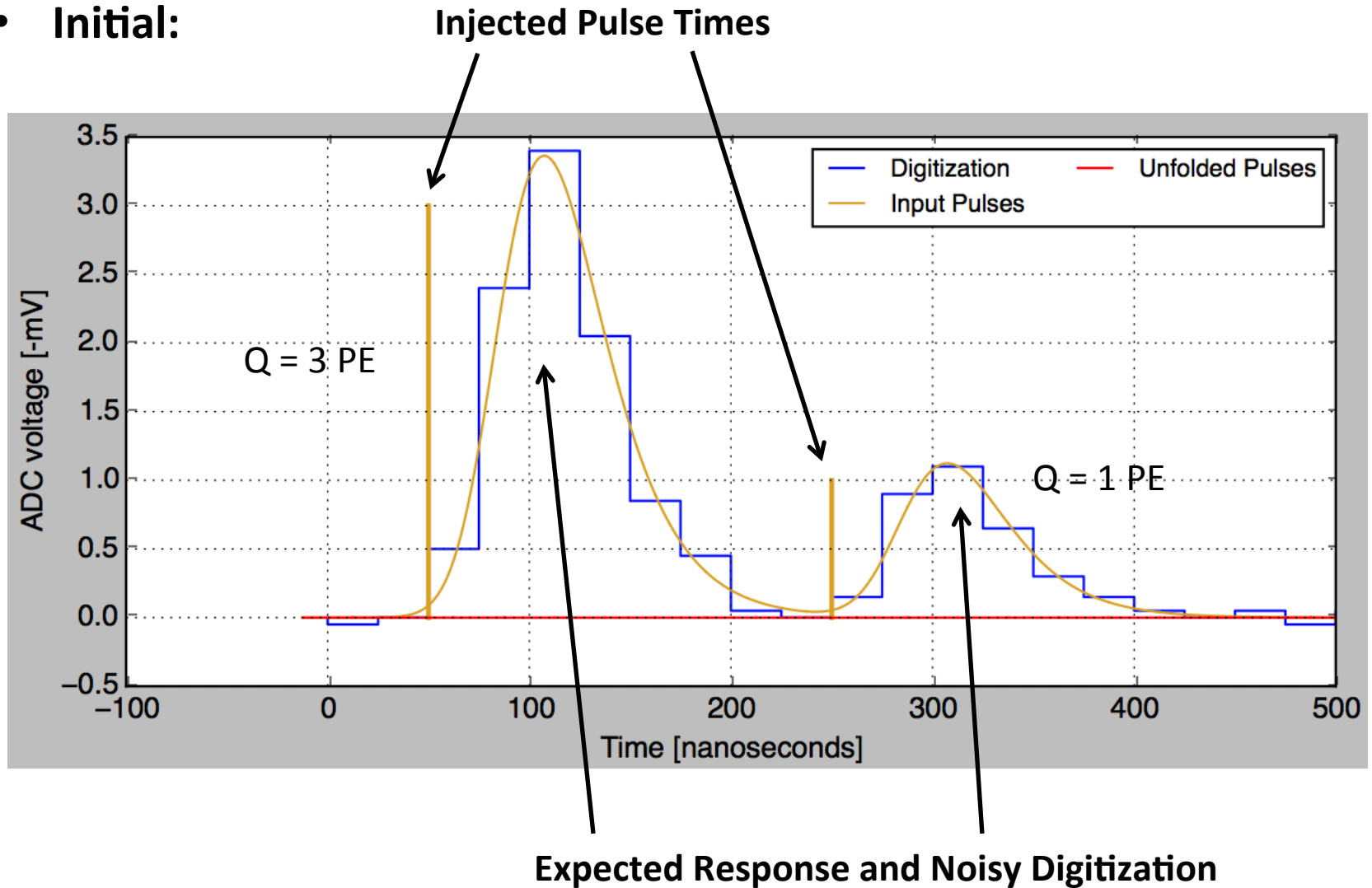
- **Waveform is a superposition of SPEs**
- **SPE template waveform represents response to SPE**
 - Unfold the waveform using a vector of time-shifted SPE templates as a basis



- **Formulate the unfolding as a least-squares problem**
 - Solution is the weighted superposition of basis functions that minimizes the chi-squared (basis weight == charge)
 - Basis weights must be non-negative: we can't simply invert the basis matrix to get the answer
 - Use Lawson-Hanson NNLS: Represent the waveform using the fewest basis functions possible
 - Use relatively dense basis with 1 ns spacing
 - Use IceCube “road-grading”: bins within 2σ of noise are set to zero

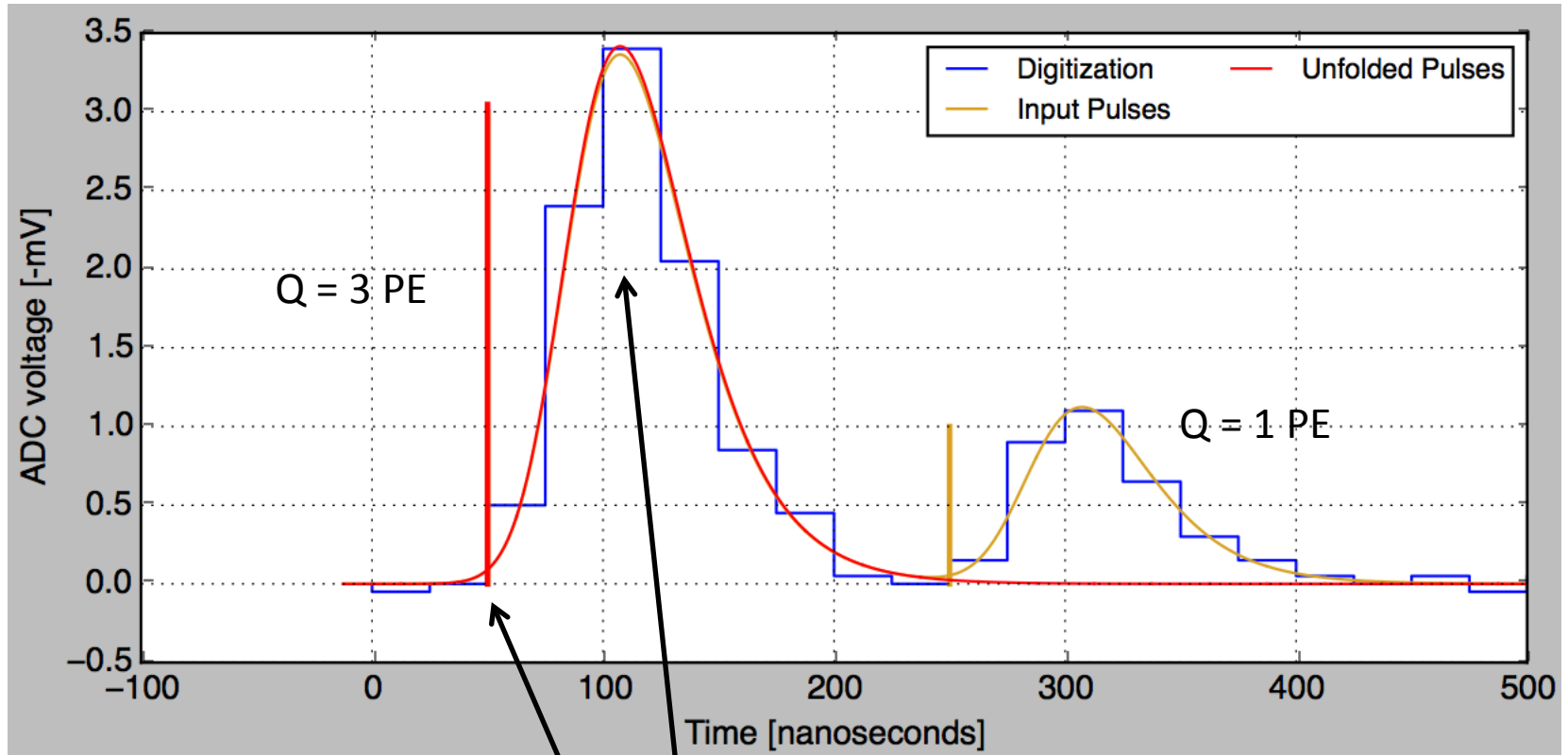
Waveform Unfolding

- Initial:



Waveform Unfolding

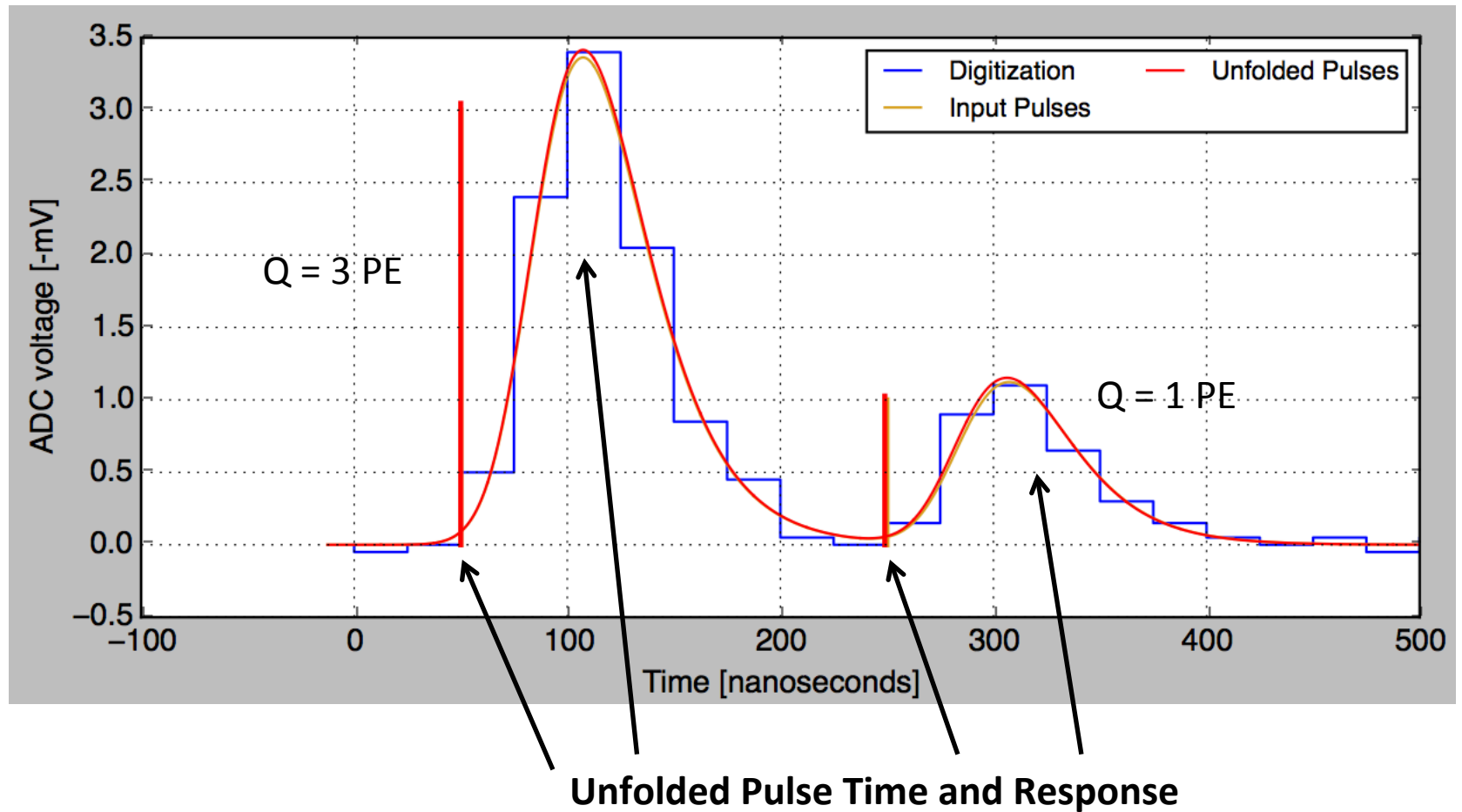
- Iteration #1:



Unfolded Pulse Time and Response

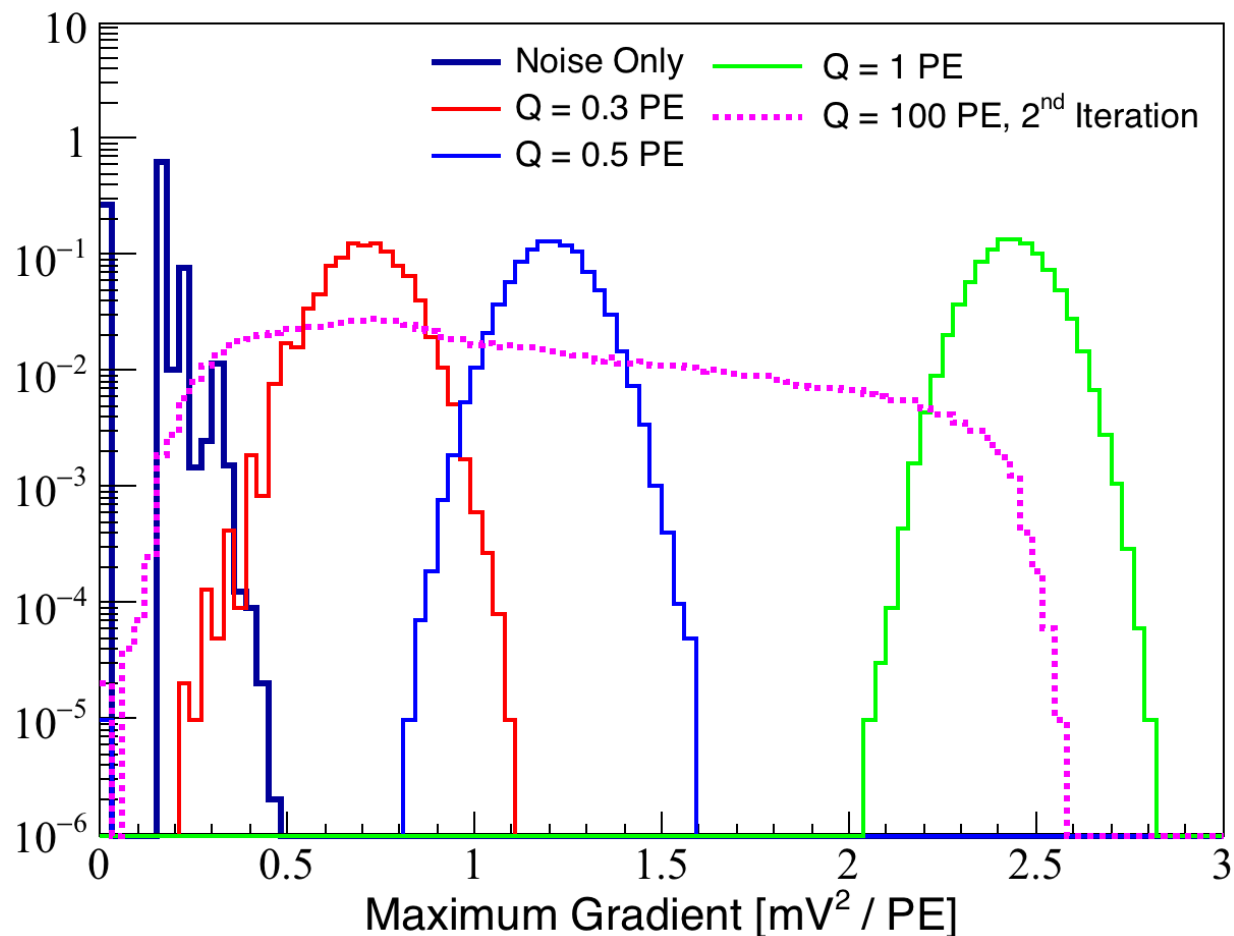
Waveform Unfolding

- Iteration #2:



Free Parameter: Stopping Tolerance

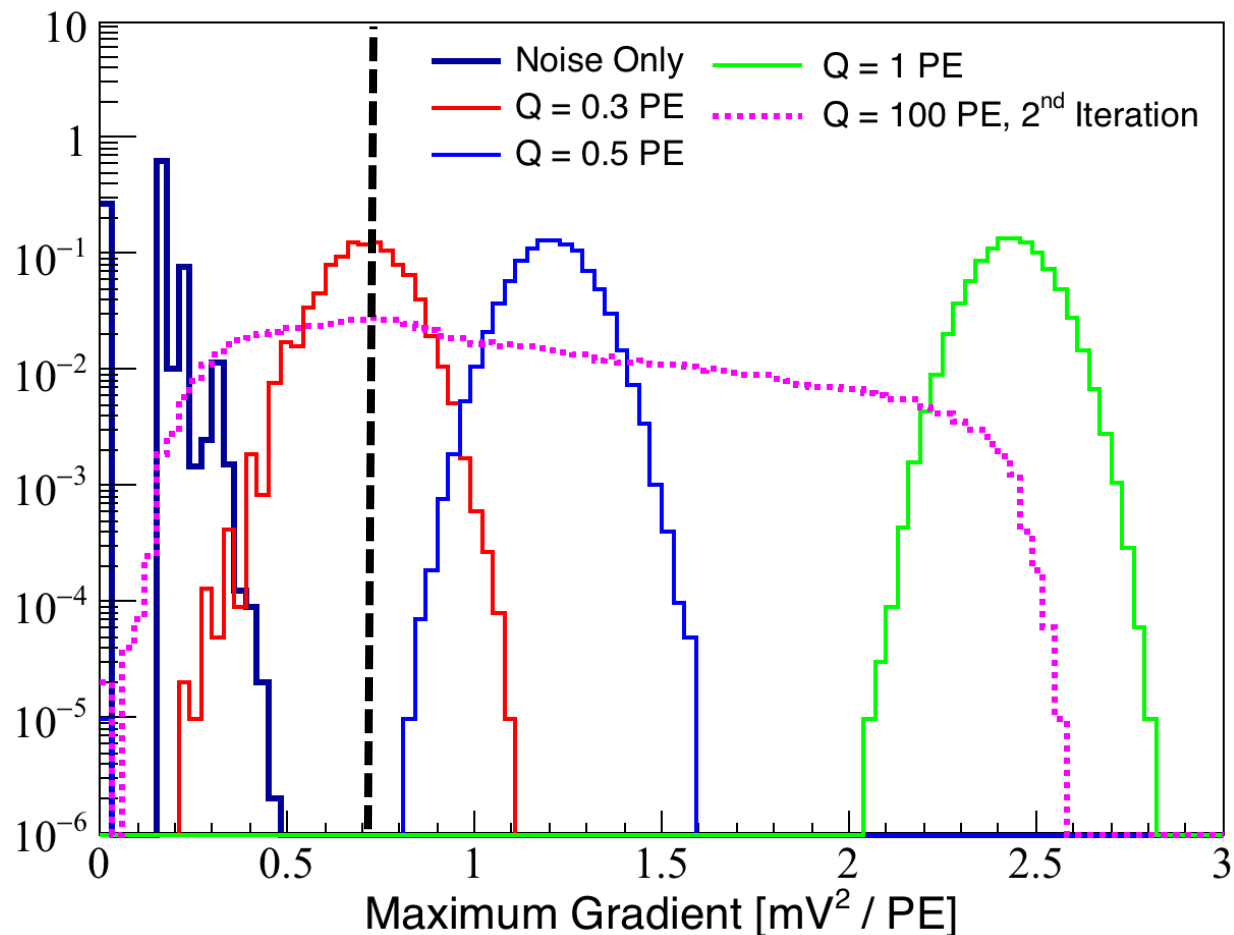
- **Add pulses to the waveform in order of max basis gradient**
 - Stop when no member of basis set has a gradient larger than specified tolerance
 - Determine best tolerance by injecting noise only and single pulses



Free Parameter: Stopping Tolerance

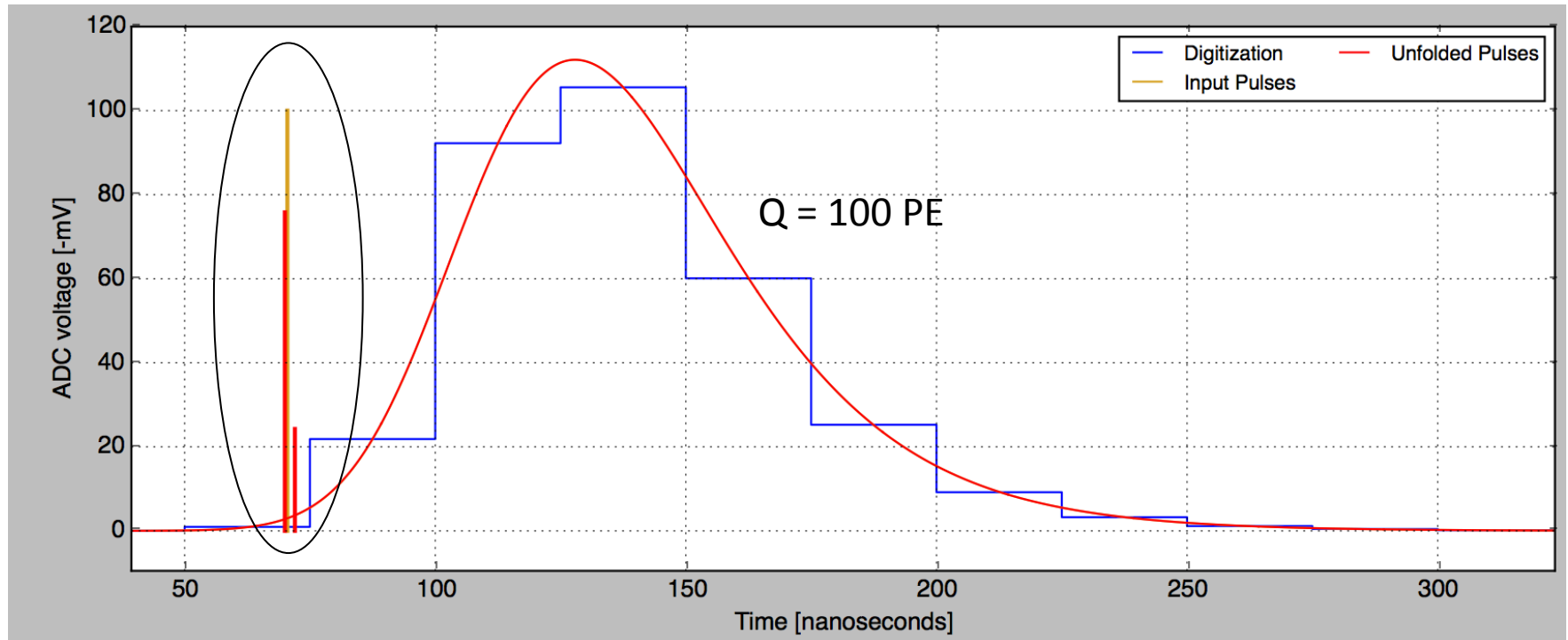
- **Add pulses to the waveform in order of max basis gradient**
 - Stop when no member of basis set has a gradient larger than specified tolerance
 - Determine best tolerance by injecting noise only and single pulses

- **$0.7 \text{ mV}^2/\text{PE}$ tolerance avoids noise-only pulses and captures ~50% of 0.3 PE pulses**
- **Produces a 2nd pulse for ~50% of 100 PE pulses**



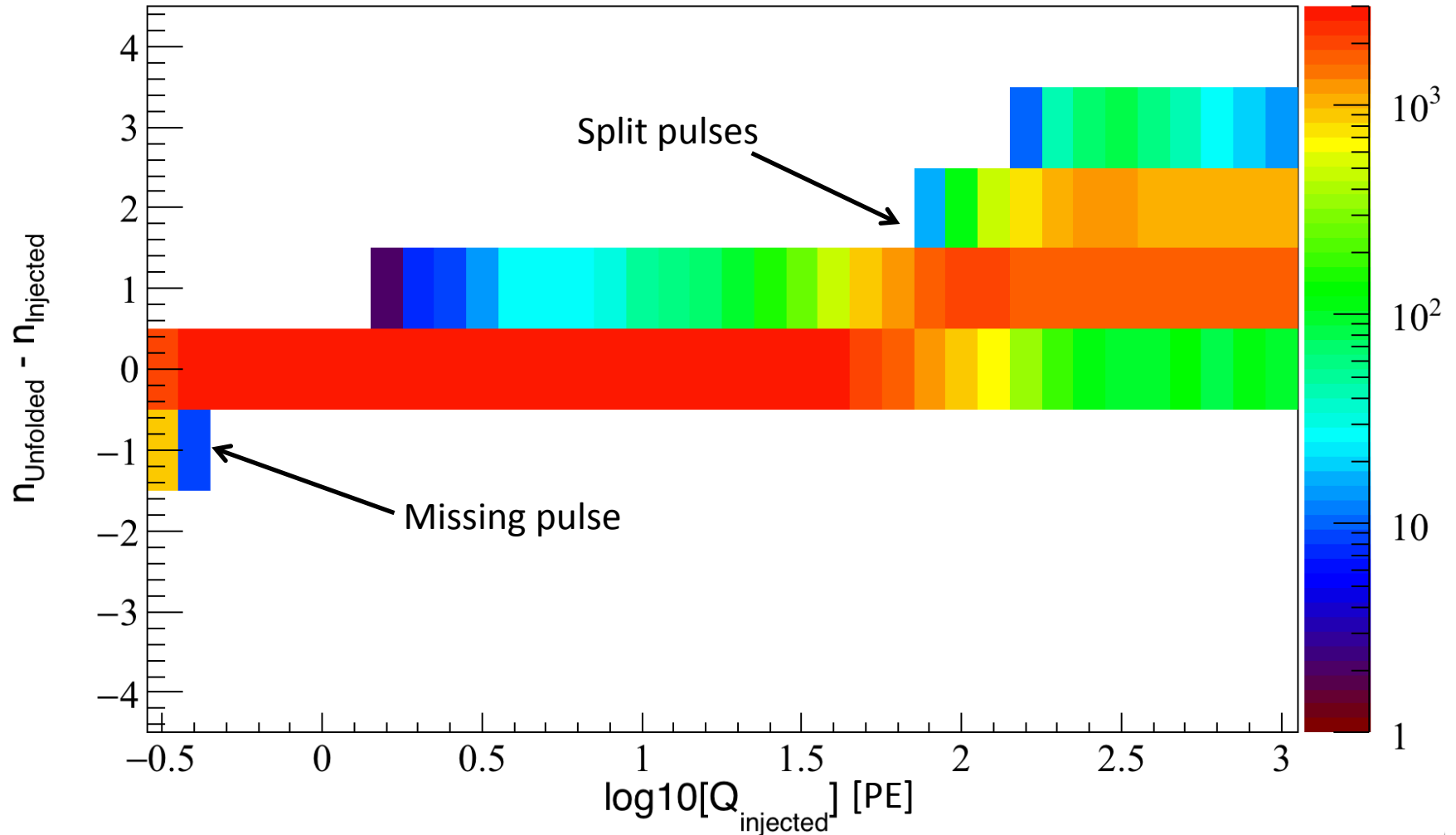
Split Pulses

- Occurs when pulse is injected in between start times in basis



- Data is fit nearly perfectly with unfolded solution
- Unfolding problem is extremely underdetermined
 - Behavior like this is impossible to avoid

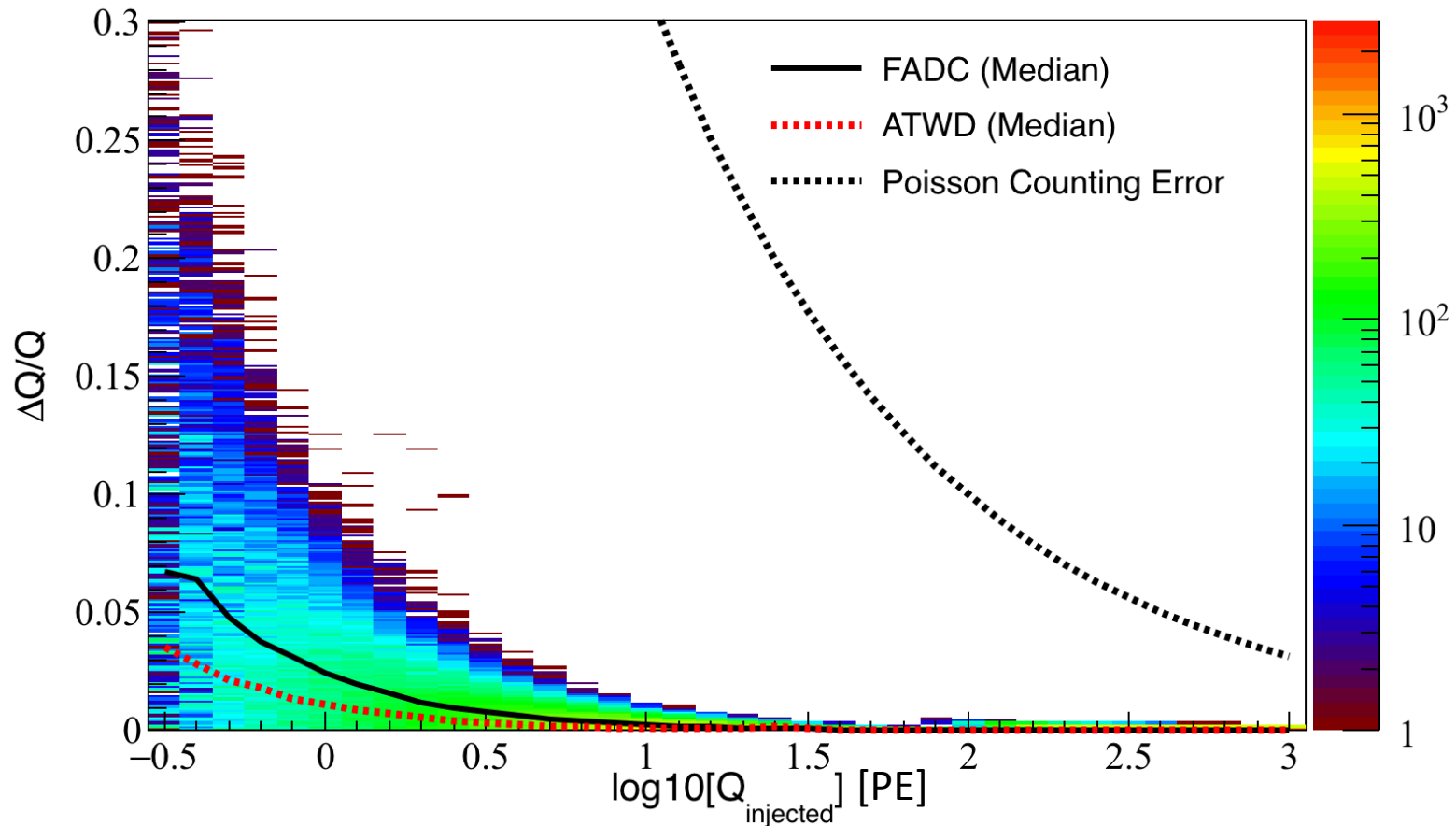
Split Pulses



- **Pulses $> \sim 50$ PE tend to be split**
- **Splitting pulses isn't necessarily bad**
 - Photons don't all arrive at the same time in real life

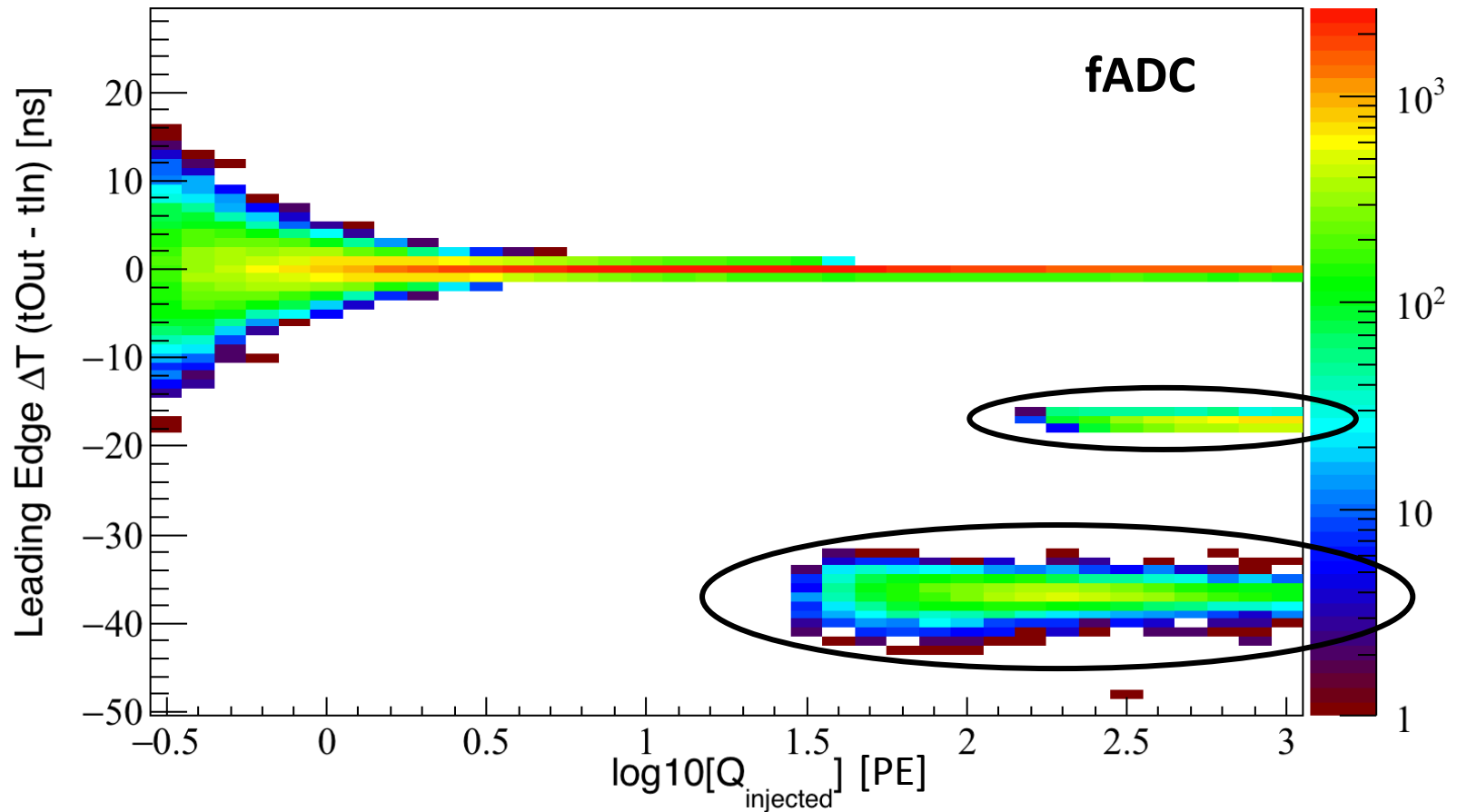
Charge Resolution

- Inject single pulses with charge $0.3 \text{ PE} < Q < 1000 \text{ PE}$



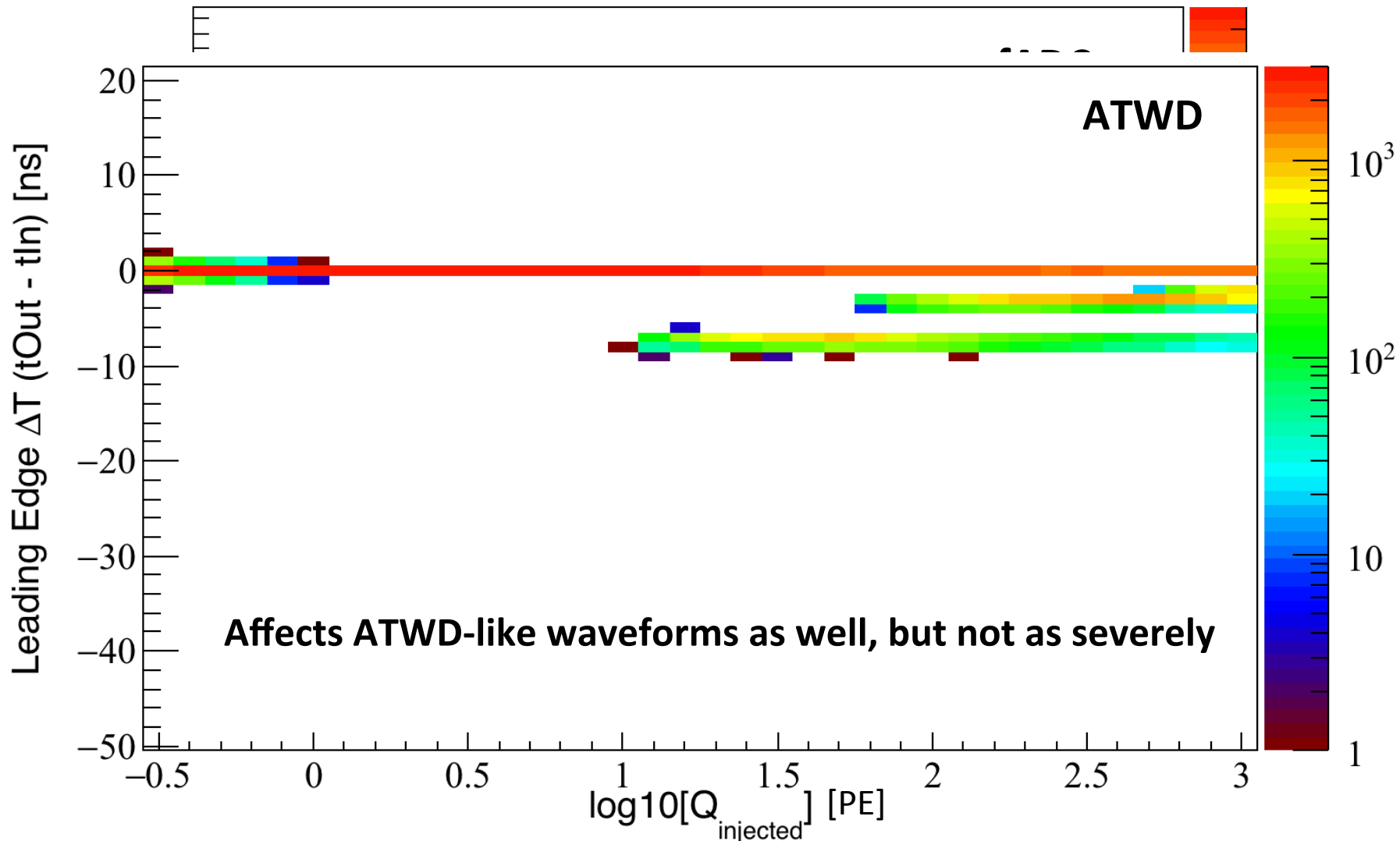
- Poisson error dominates if using Q_{unfolded} to measure amplitudes
- Resolution better than 1 PE over entire range of Q_{injected}
- Shouldn't be significantly different with more complex waveforms

Leading-Edge Time Resolution



- **Unfolding produces early pulses for $Q > 30$ PE**
- **Early pulses are problematic for reconstruction**
 - A single early pulse can significantly affect track reconstruction
- **This is a major problem**

Leading-Edge Time Resolution

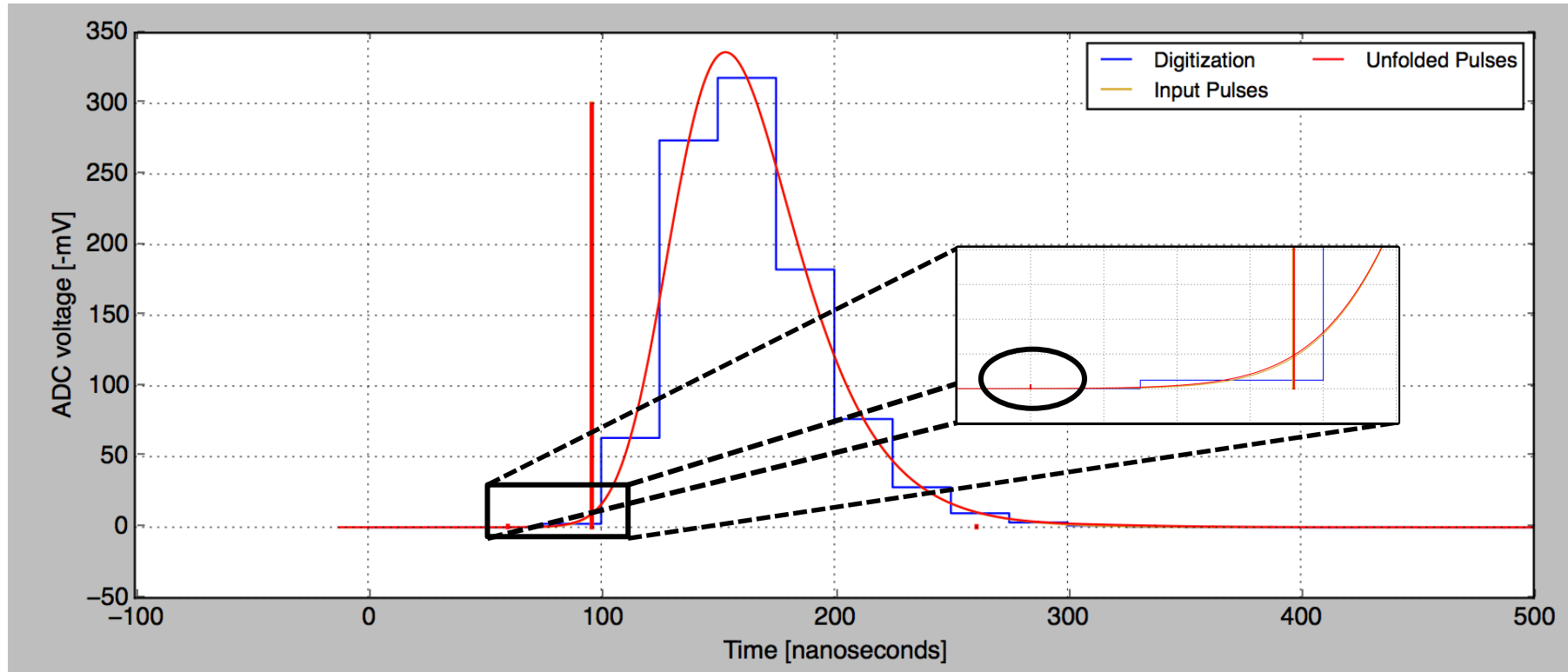


— A single early pulse can significantly affect track reconstruction

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Leading-Edge Time Resolution

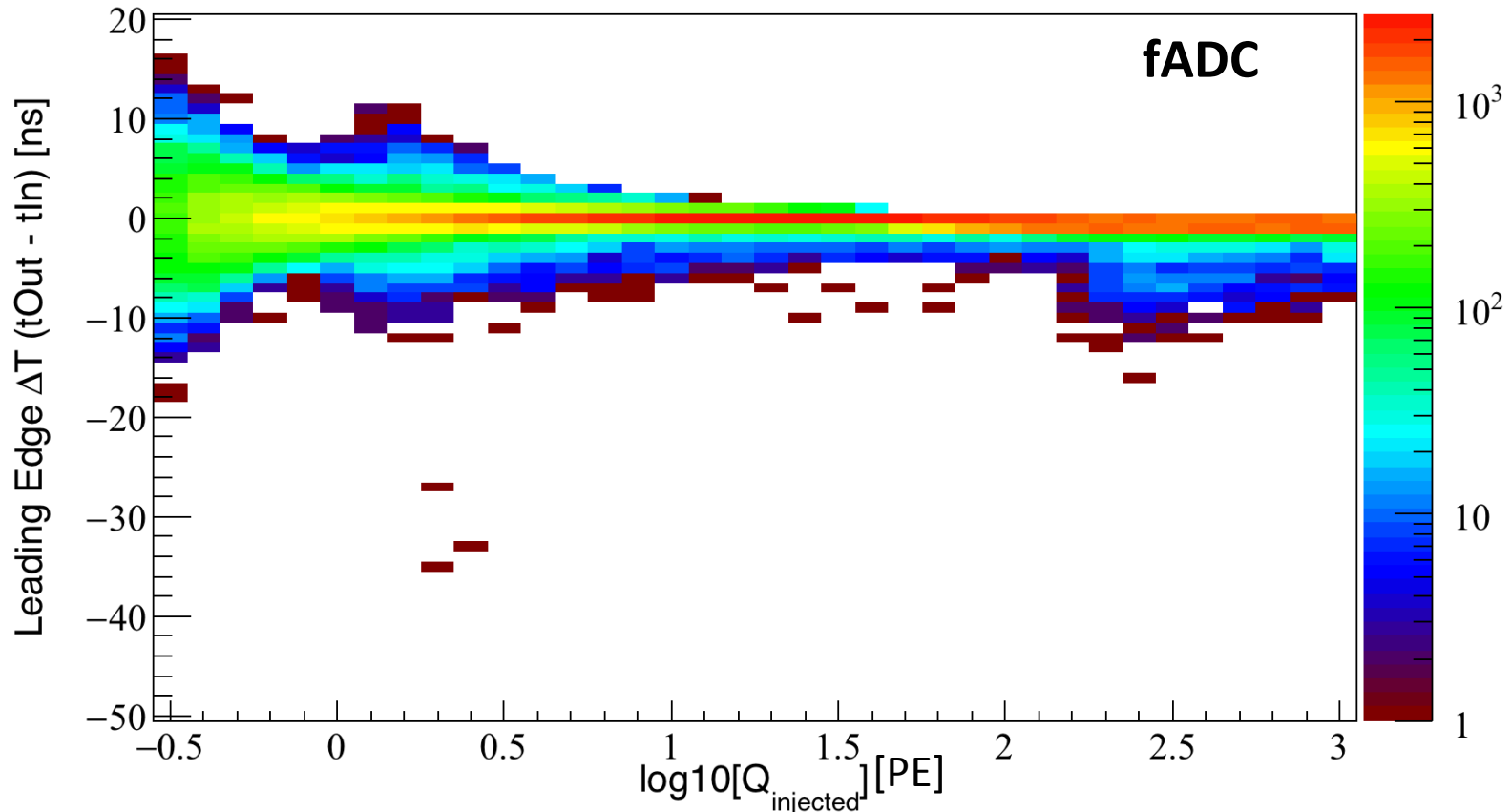
- **Mechanism: Large pulse immediately preceding a start time in basis**
 - Algorithm adds a pulse 1-2 waveform bins earlier to match leading edge



- **Best description of waveform is a superposition of start times on either side of start time of injected pulse**
 - This solution is not considered because tolerance is reached before neighboring basis function is allowed to become nonzero

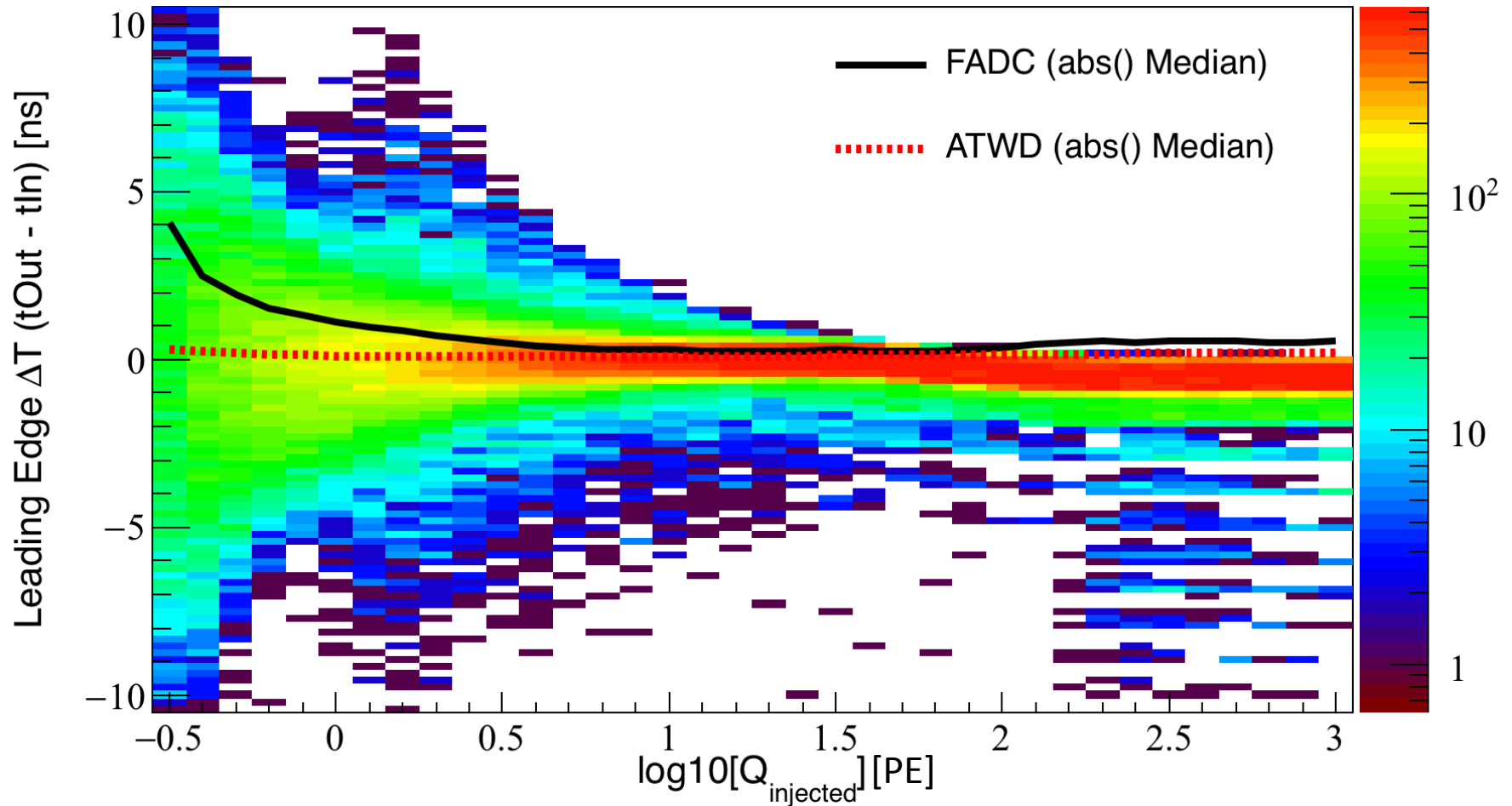
Leading-Edge Time Resolution

- **Ad hoc solution: Run unfolding until no basis has a positive gradient, then add back basis in order of charge until tolerance is reached**



- **Significantly reduces artificial early start times**
- **Work to improve algorithm is needed and is ongoing**
- **This problem indicates that waveform templates must be precise!**

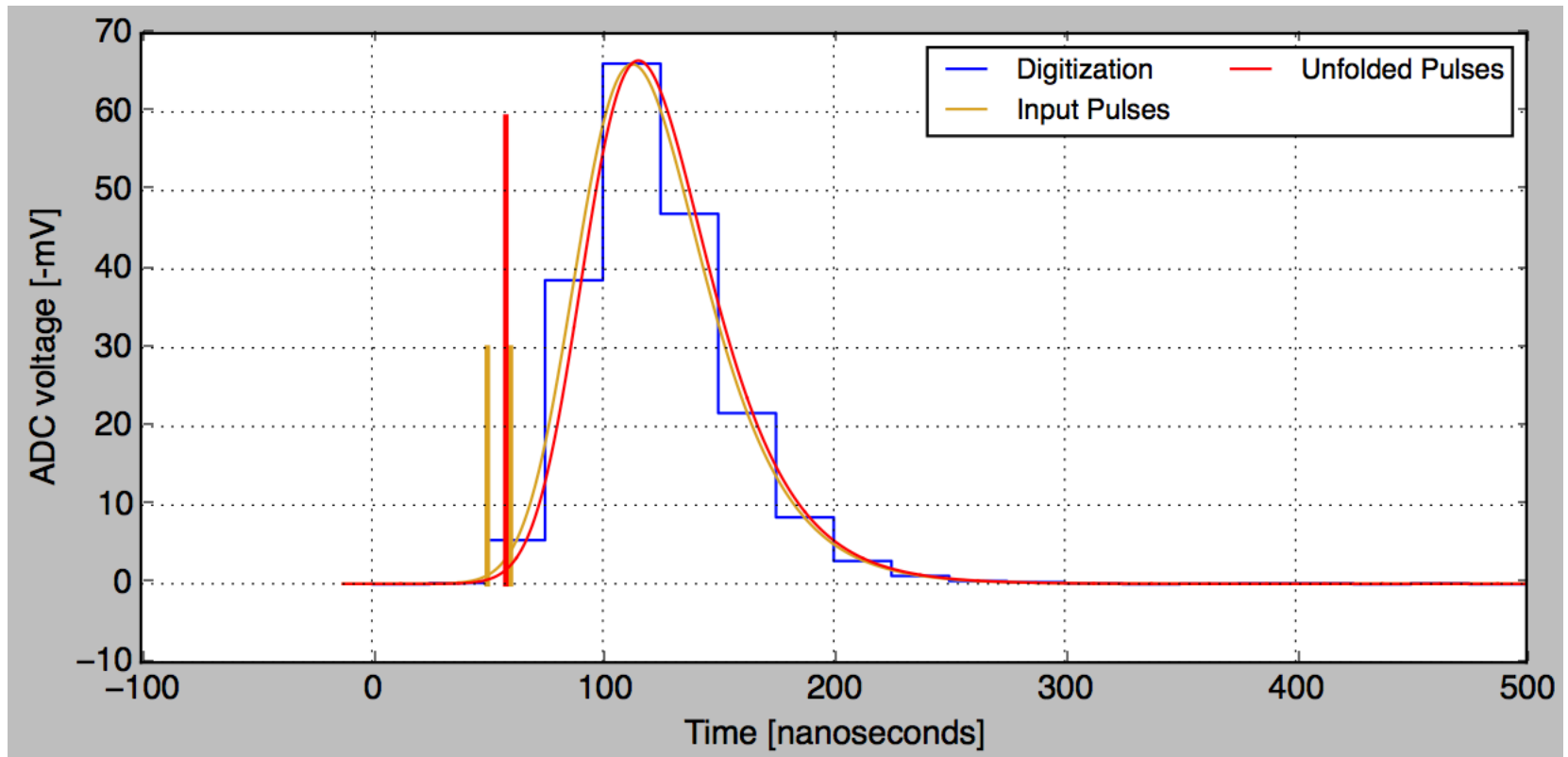
Leading-Edge Time Resolution



- **Median timing uncertainty from unfolding already near 1 ns at 1 PE**

Double Pulse Resolution

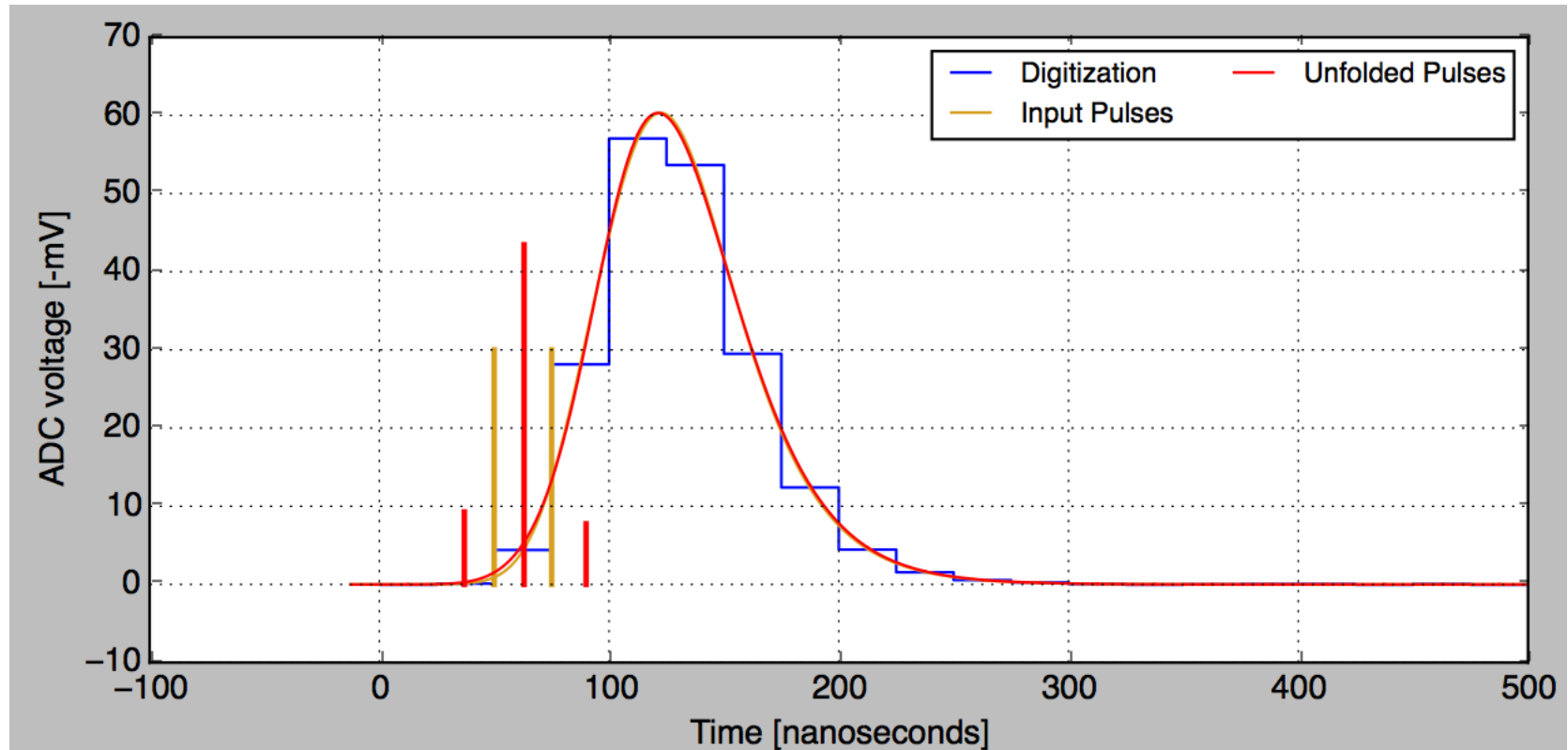
- Inject two pulses: $Q1 = Q2 = 30$ PE
- $\Delta T = 10$ ns



- Double pulse not resolved
- Treated as single, large pulse

Double Pulse Resolution

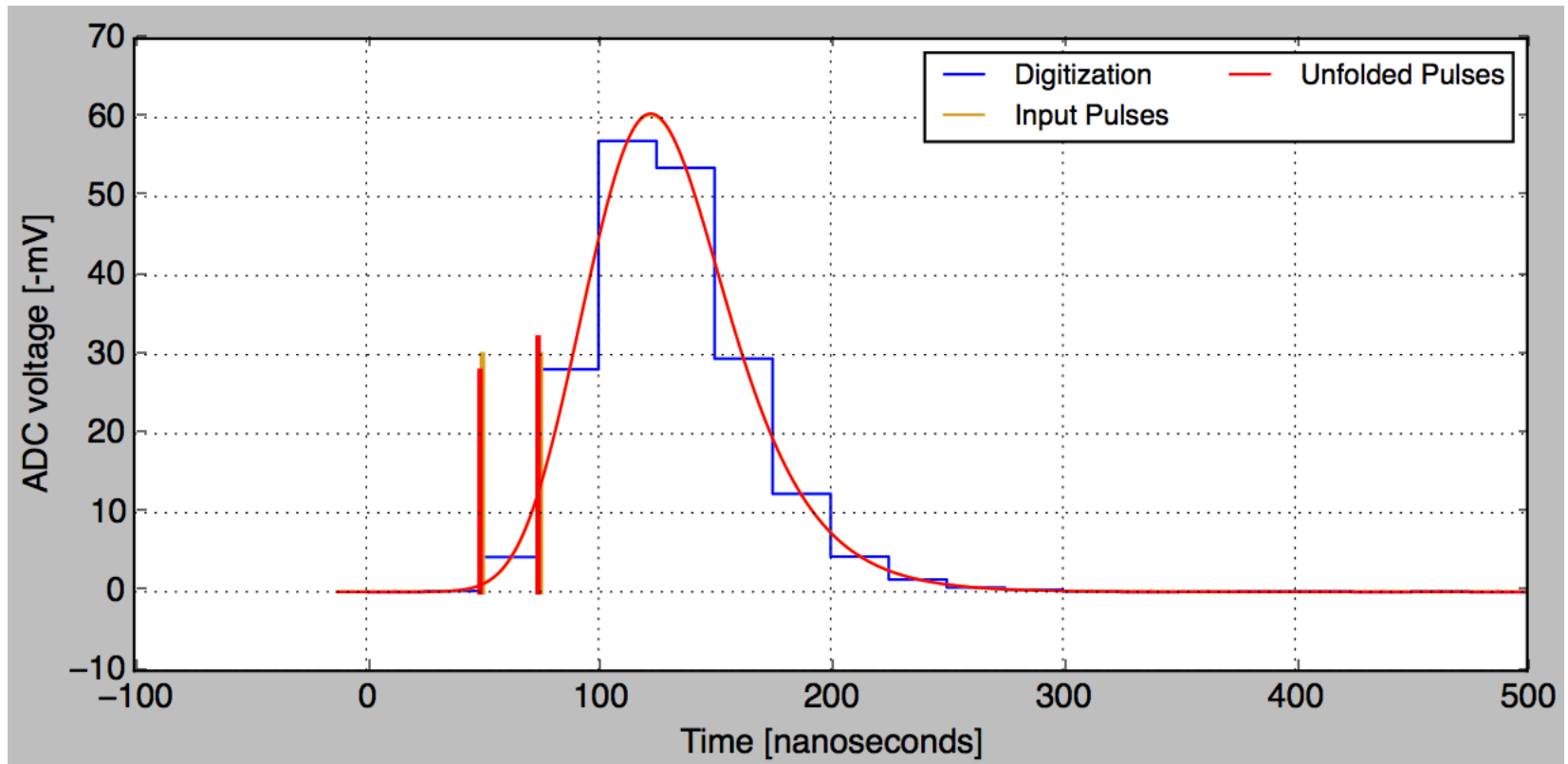
- Inject two pulses: $Q1 = Q2 = 30$ PE
- $\Delta T = 25$ ns



- Waveform unfolded into three pulses, with largest in the middle of the two injected pulses

Double Pulse Resolution

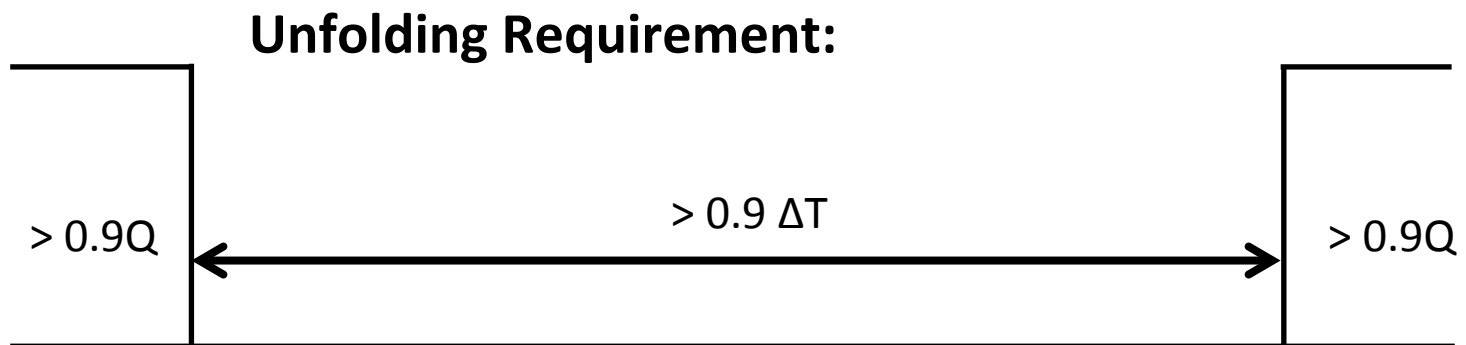
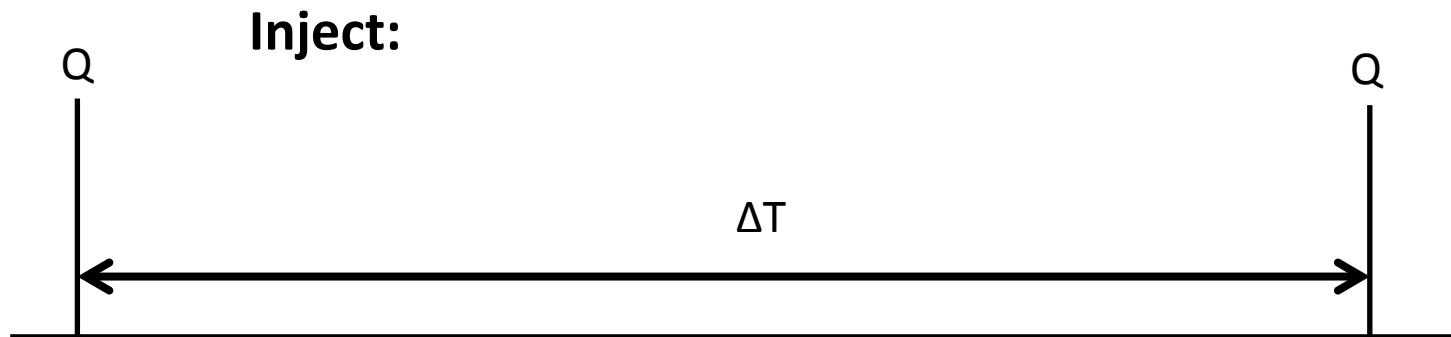
- Inject two pulses: $Q1 = Q2 = 30$ PE
- $\Delta T = 25$ ns



- Same waveform, but with unfolding modifications from leading edge study
- Double pulse resolved even though not obvious from waveform by eye

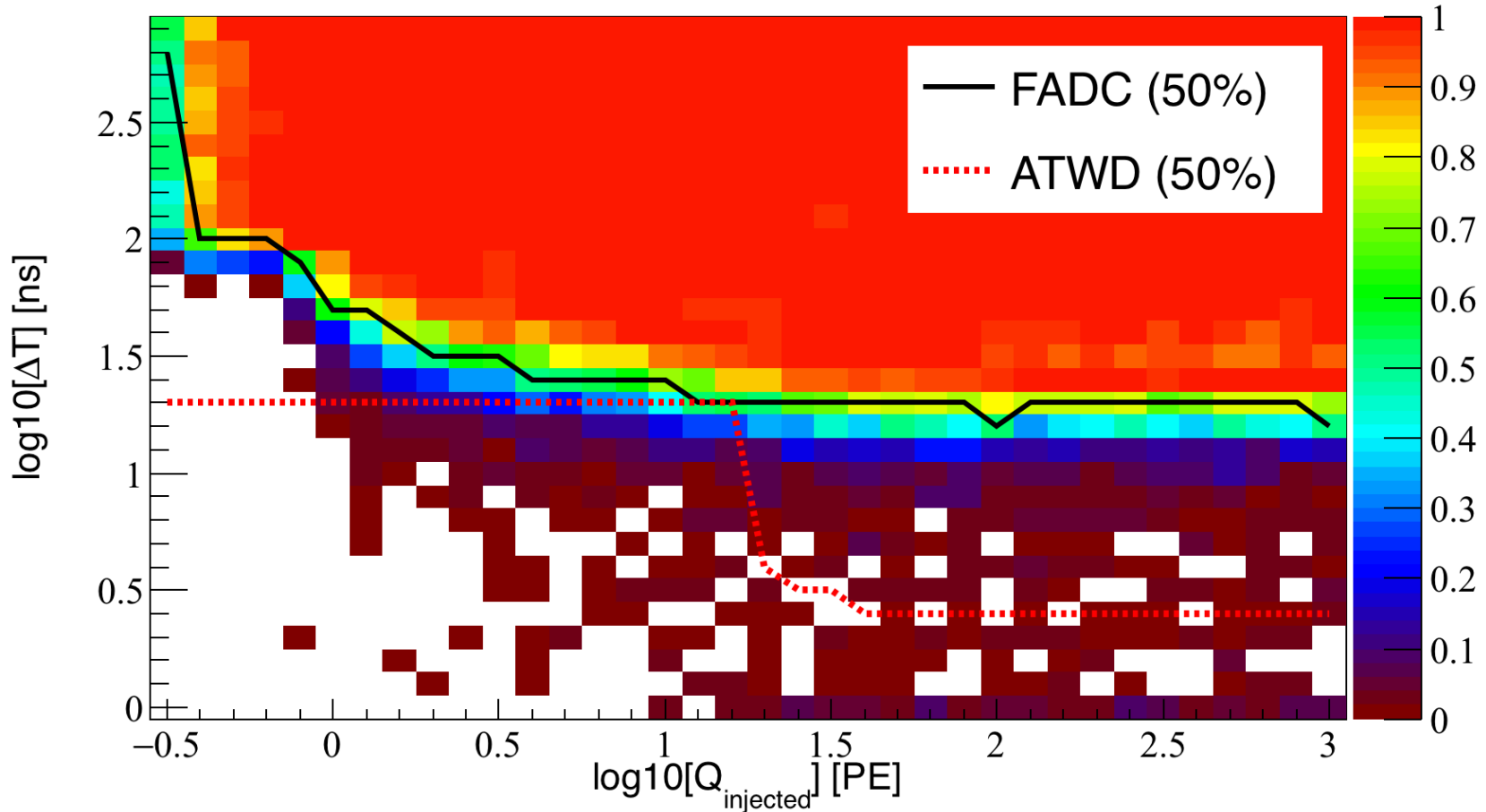
Double Pulse Resolution

- Inject two pulses, each with charge Q and separation ΔT
- Declare double-pulse resolved if there is a gap of at least $0.9 * \Delta T$ inside the 0.45 – 0.55 quantiles of unfolded charge



Double Pulse Resolution

- Fraction of double pulses resolved



- $Q = 1$ PE: ~ 50 ns
- $Q > 10$ PE: ~ 20 ns

• Not fully optimized!

Conclusions and Caveats

- **We can extract charge and leading edge time from a 40 Msps waveform with accuracy better than other limitations (i.e. Poisson sampling, time calibration, etc.)**
- **We make the implicit assumption that the SPE template used for unfolding is the same one that we injected**
 - If SPE template used for unfolding is not correct, results could be very different, particularly for large pulses
 - SPE pulse templates probably need to be more accurate than those used in IceCube
- **The performance of wavedeform out-of-the-box is unacceptable for this use case**
 - Modifications to the algorithm yield acceptable performance
 - Additional work likely needed if single 40 Msps digitizer is used in Gen2

Extra Slides

