

Modern Digital System Design Final Project

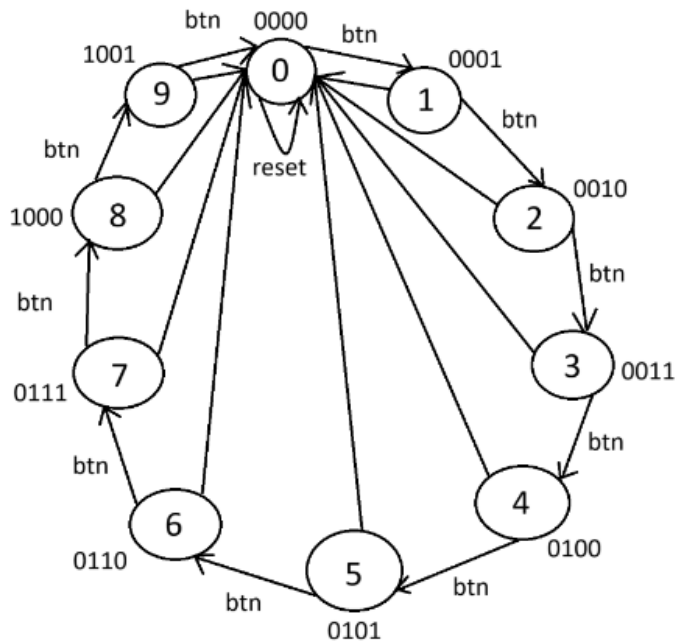
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Input Select Module

Inputs

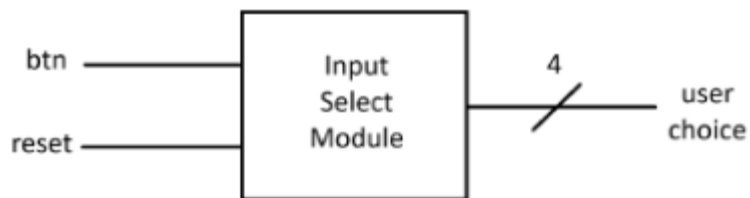
btn -> increment button

reset -> reset button



Outputs

user_choice -> 4 bit user choice



Full Adder Module

Truth Table

A	B	C	F	G
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

Inputs

A -> input bit

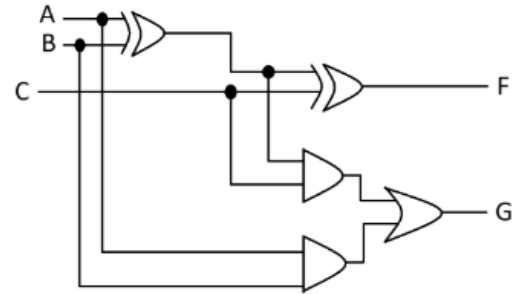
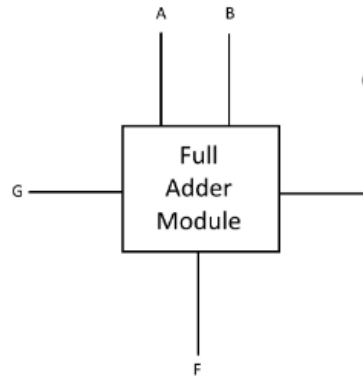
B -> input bit

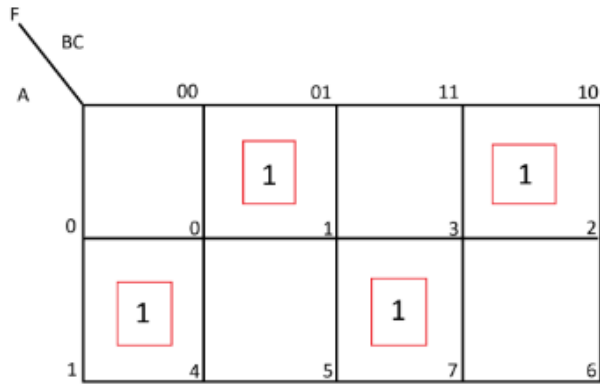
C -> carry in

Outputs

F -> sum

G -> carry out





$$F = \sum m(1, 2, 4, 7)$$

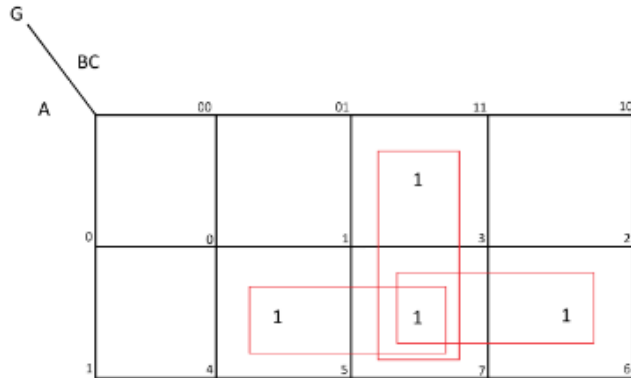
$$F = A'B'C + A'BC' + AB'C' + ABC$$

F is 1 when an odd number of inputs are 1.

XOR is 1 when an odd number of inputs are 1.

$$F = (A \wedge B) \wedge C$$

$$F = A \wedge B \wedge C$$



$$G = \sum m(3, 5, 6, 7)$$

$$G = -11 + 1-1 + 11-$$

$$G = BC + AC + AB$$

Ripple Carry Adder Subtractor Module

Inputs

A -> 4 bits

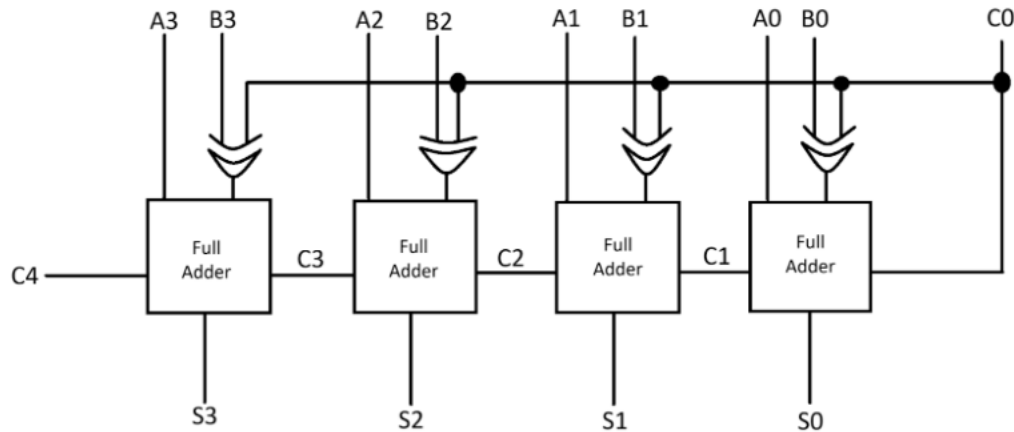
B -> 4 bits

C0 -> carry in (mode select)

Outputs

S -> 4 bit sum or difference

C4 -> carry out



This module takes two 4 bit inputs A and B and a carry in C0 that functions as the mode selector. If the carry in is 0, A and B are added. If the carry in is 1, subtraction is performed by inverting the bits of B and adding 1 from the carry in. The module has a 5 bit output. The sum S represents the lower 4 bits of the output. C4 represents the most significant 5th bit of the output.

Output Splitter Module

Inputs

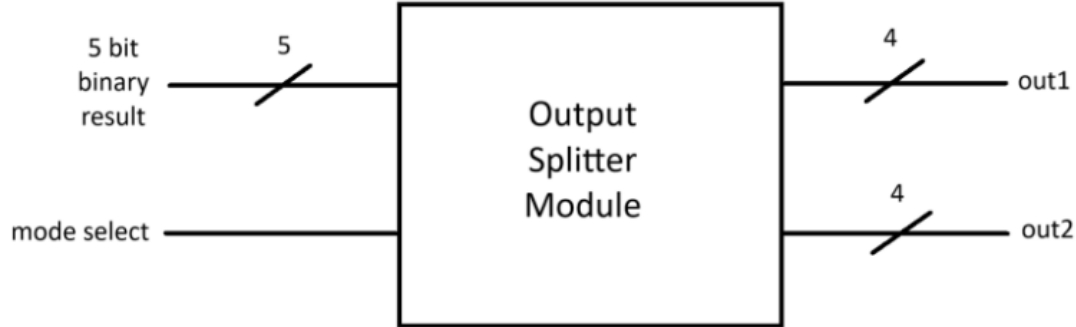
bin -> 5 bit binary result from adder

mode_select -> mode select

Outputs

out1 -> 4 bits to decoder

out2 -> 4 bits to decoder



This module takes the 5 bit result from the adder subtractor and turns it into two 4 bit outputs using equations derived from solving K-maps. This module also takes the mode selector as an input. When mode select is 1 (subtraction), the module flips the most significant bit of the 5 bit result before interpreting it. This has to be done to ensure the proper output on the display.

Output Splitter Truth Table

Decimal	A	B	C	D	E	I3	I2	I1	I0	J3	J2	J1	J0
0	0	0	0	0	0	0	0	0	0	0	0	0	0
1	0	0	0	0	1	0	0	0	0	0	0	0	1
2	0	0	0	1	0	0	0	0	0	0	0	1	0
3	0	0	0	1	1	0	0	0	0	0	0	1	1
4	0	0	1	0	0	0	0	0	0	0	1	0	0
5	0	0	1	0	1	0	0	0	0	0	1	0	1
6	0	0	1	1	0	0	0	0	0	0	1	1	0
7	0	0	1	1	1	0	0	0	0	0	1	1	1
8	0	1	0	0	0	0	0	0	0	1	0	0	0
9	0	1	0	0	1	0	0	0	0	1	0	0	1
10	0	1	0	1	0	0	0	0	1	0	0	0	0
11	0	1	0	1	1	0	0	0	1	0	0	0	1
12	0	1	1	0	0	0	0	0	1	0	0	1	0
13	0	1	1	0	1	0	0	0	1	0	0	1	1
14	0	1	1	1	0	0	0	0	1	0	1	0	0
15	0	1	1	1	1	0	0	0	1	0	1	0	1
16	1	0	0	0	0	0	0	0	1	0	1	1	0
17	1	0	0	0	1	0	0	0	1	0	1	1	1
18	1	0	0	1	0	0	0	0	1	1	0	0	0

Decimal	A	B	C	D	E	I3	I2	I1	I0	J3	J2	J1	J0
-9	1	0	1	1	1	1	0	1	0	1	0	0	1
-8	1	1	0	0	0	1	0	1	0	1	0	0	0
-7	1	1	0	0	1	1	0	1	0	0	1	1	1
-6	1	1	0	1	0	1	0	1	0	0	1	1	0
-5	1	1	0	1	1	1	0	1	0	0	1	0	1
-4	1	1	1	0	0	1	0	1	0	0	1	0	0
-3	1	1	1	0	1	1	0	1	0	0	0	1	1
-2	1	1	1	1	0	1	0	1	0	0	0	1	0
-1	1	1	1	1	1	1	0	1	0	0	0	0	1

I3 & I1

CDE		000	001	011	010	110	111	101	100
AB	00	0	1	3	2	6	7	5	4
	01	8	9	11	10	14	15	13	12
	11	1	1	1	1	1	1	1	1
	10	16	17	19	18	22	23	21	20
	00	0	1	3	2	6	7	5	4

$$I3 = \sum m(23,24,25,26,27,28,29,30,31)$$

$$I3 = 11 \dots + 1 \dots 111$$

$$I3 = AB + ACDE$$

$$I1 = AB + ACDE \text{ (I3 and I1 are identical)}$$

$$I2 = 0 \text{ (I2 is always equal to 0 so does not require a K map)}$$

IO

CDE		000	001	011	010	110	111	101	100
AB									
00		0	1	3	2	6	7	5	4
01		8	9	11	10	14	15	13	12
11		24	25	27	26	30	31	29	28
10		16	17	19	18	22	23	21	20

$$I0 = \sum m(10,11,12,13,14,15,16,17,18)$$

$$I0 = 0101 - + 011 - - + 10000 - + 10010$$

$$I0 = A'BC'D + A'BC + AB'C'D' + AB'C'DE'$$

J3

		CDE							
AB		000	001	011	010	110	111	101	100
		0	1	3	2	6	7	5	4
00									
01		1	1						
11		1							
10					1		1		

$$J3 = \sum m(8,9,18,23,24)$$

$$J3 = 0100 + 11000 + 10010 + 10111$$

$$J3 = A'BC'D' + ABC'D'E' + AB'C'DE' + AB'CDE$$

J2

		CDE							
AB		000	001	011	010	110	111	101	100
00		0	1	3	2	6	7	5	4
01		8	9	11	10	14	15	13	12
11		24	25	27	26	30	31	29	28
10		16	17	19	18	22	23	21	20

$$J2 = \sum m(4,5,6,7,14,15,16,17,25,26,27,28)$$

$$J2 = 1000 + 1001 + 1100 + 1101 + 0111 + 0011 + 0010 + 0011$$

$$J2 = AB'C'D' + AC'D'E + ABC'E + ABC'D + A'BCD + A'B'C$$

J1

		CDE							
AB		000	001	011	010	110	111	101	100
00				1	1	1	1		
	0	1	3	2	6	7	5	4	
01								1	1
	8	9	11	10	14	15	13	12	
11		1		1	1		1		
	24	25	27	26	30	31	29	28	
10		1	1						
	16	17	19	18	22	23	21	20	

$$J1 = \sum m(2,3,6,7,12,13,16,17,25,26,29,30)$$

$$J1 = 00 - 1 - + 0110 - + - 1101 + 11 - 10 + 1 - 001 + 1000 -$$

$$J1 = A'B'D + A'BCD' + BCD'E + ABDE' + AC'D'E + AB'C'D'$$

J0

		CDE							
AB		000	001	011	010	110	111	101	100
00		0	1	3	2	6	7	5	4
01		8	9	11	10	14	15	13	12
11		24	25	27	26	30	31	29	28
10		16	17	19	18	22	23	21	20

$$J0 = \sum m(1,3,5,7,9,11,13,15,17,23,25,27,29,31)$$

$$J0 = - - 001 + 0 - 011 + - 1011 + - - 111 + 0 - 101 + - 1101$$

$$J0 = C'D'E + A'C'DE + BC'DE + CDE + A'CD'E + BCD'E$$

2 to 1 Multiplexer Module

Inputs

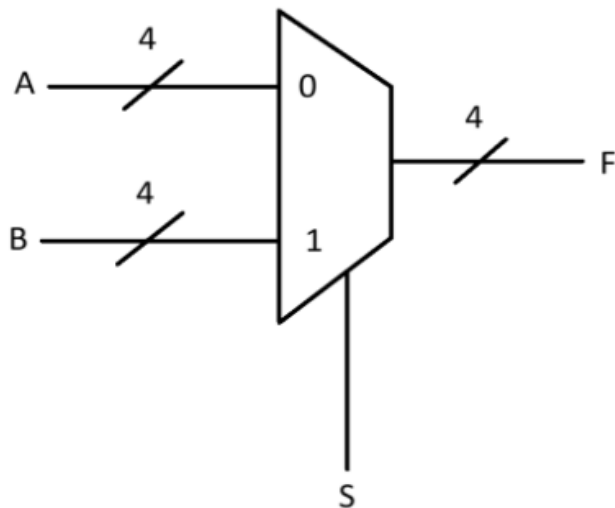
A -> 4 bit binary

B -> 4 bit binary

S -> Selector

Outputs

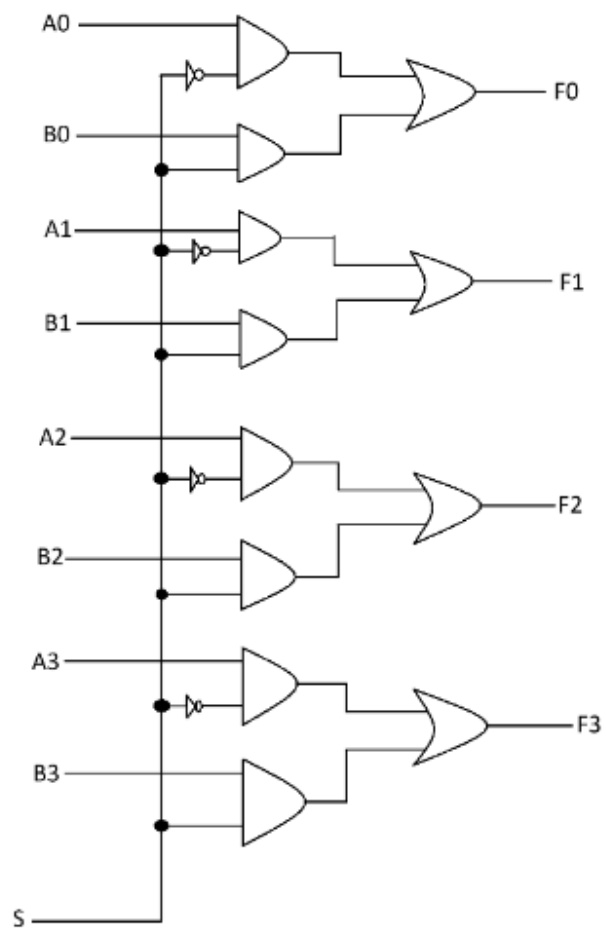
F -> 4 bit binary



$F = S ? B : A;$

If S is 1, select B. Otherwise, select A.

S	F
0	A
1	B



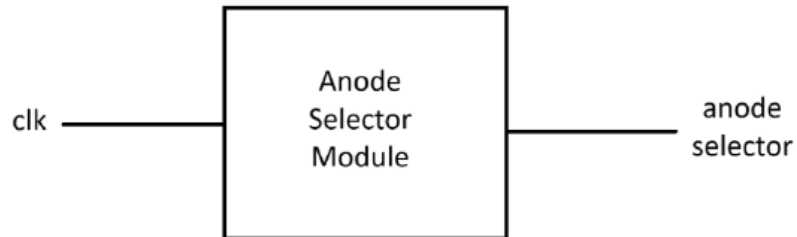
Anode Selector Module

Inputs

clock

Outputs

anode selector



Clock (rising edge)	Anode Selector (current)	Anode Selector (next)
0 -> 1	0	1
0 -> 1	1	0

4 Bit 7 Segment Decoder Module

Inputs

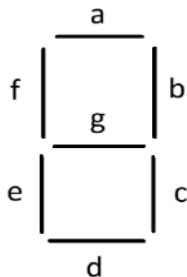
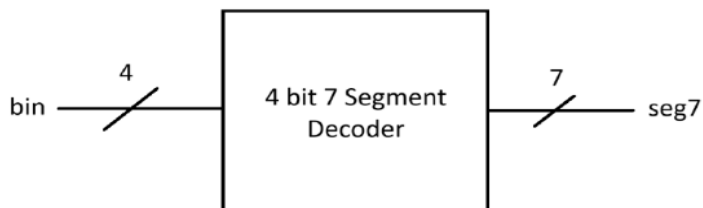
bin -> 4 bit binary input

A	B	C	D	a	b	c	d	e	f	g
0	0	0	0	1	1	1	1	1	1	0
0	0	0	1	0	1	1	0	0	0	0
0	0	1	0	1	1	0	1	1	0	1
0	0	1	1	1	1	1	1	0	0	1
0	1	0	0	0	1	1	0	0	1	1
0	1	0	1	1	0	1	1	0	1	1
0	1	1	0	1	0	1	1	1	1	1
0	1	1	1	1	1	1	0	0	0	0
1	0	0	0	1	1	1	1	1	1	1
1	0	0	1	1	1	1	1	0	1	1
1	0	1	0	X	X	X	X	X	X	X
1	0	1	1	X	X	X	X	X	X	X
1	1	0	0	X	X	X	X	X	X	X
1	1	0	1	X	X	X	X	X	X	X
1	1	1	0	X	X	X	X	X	X	X
1	1	1	1	X	X	X	X	X	X	X

Outputs

seg7 -> 7 bit LED cathode

outputs, active high
assumes common
anode LEDs



Top Module

Inputs

btn1
btn2
reset
mode selector
equals switch
clock
anode selector

Outputs

seg7

