

Using Fast Repetition Rate fluorometry to estimate PSII electron flux per unit volume: A purely optical method for estimating GPP?

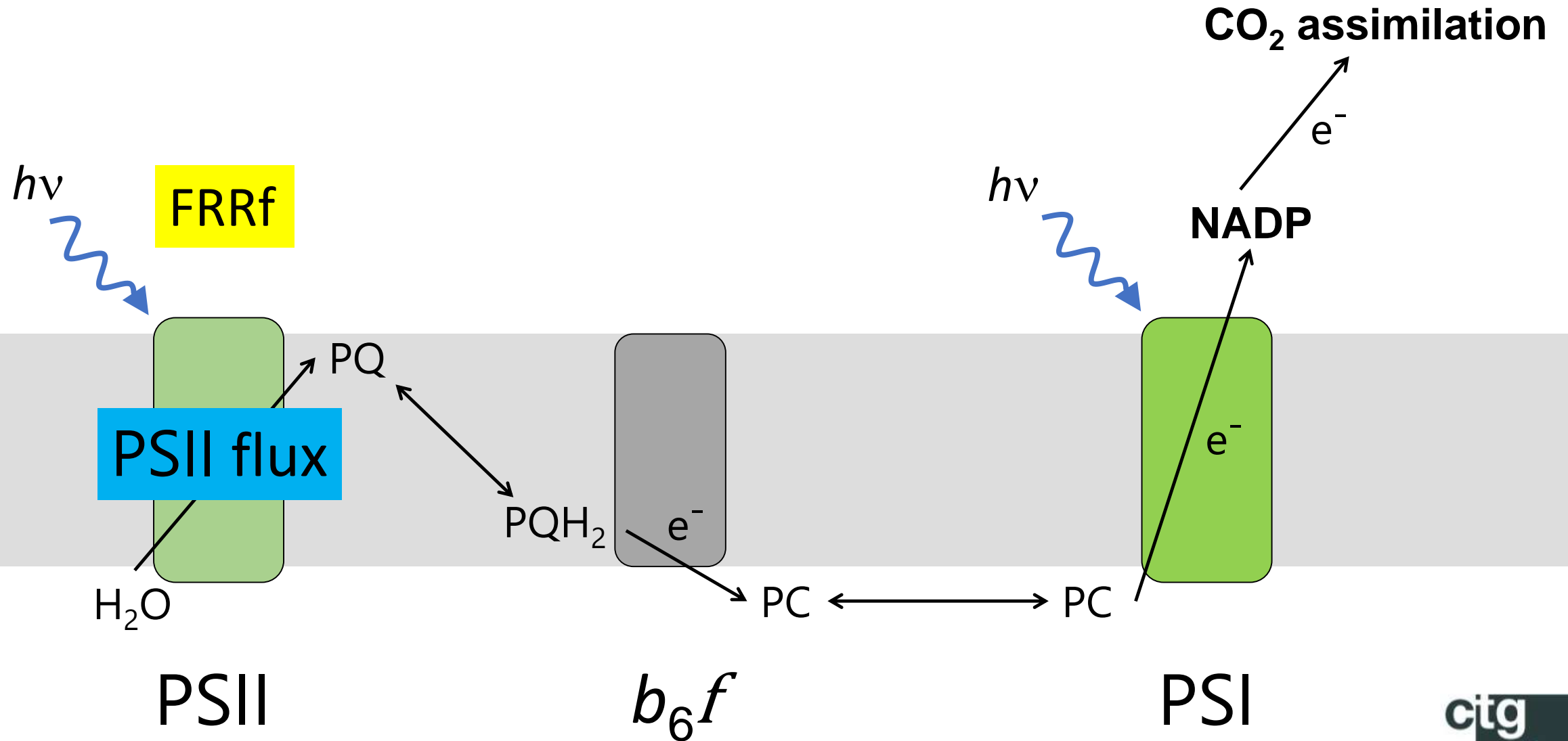
Kevin Oxborough
Principal Scientist

Kevin Oxborough (CTG)

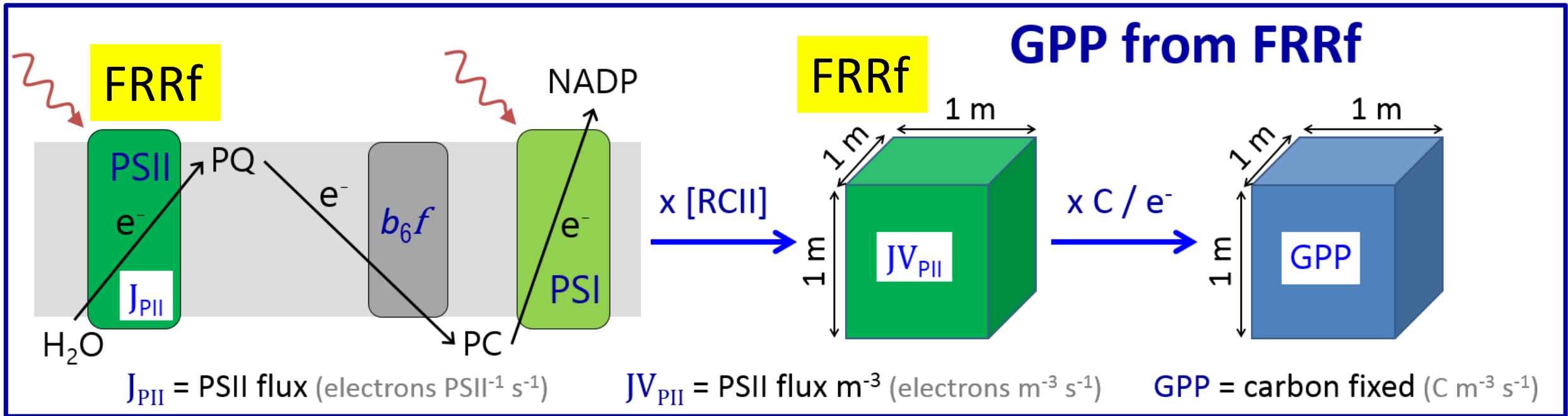
Mark Moore (Southampton)

Dave Suggett, Richard Geider (Essex)

Photosynthetic electron transport



From PSII electron flux to GPP



$$J_{PII} = \sigma_{PII}' \cdot E$$

$$JV_{PII} = a_{PII}' \cdot E$$

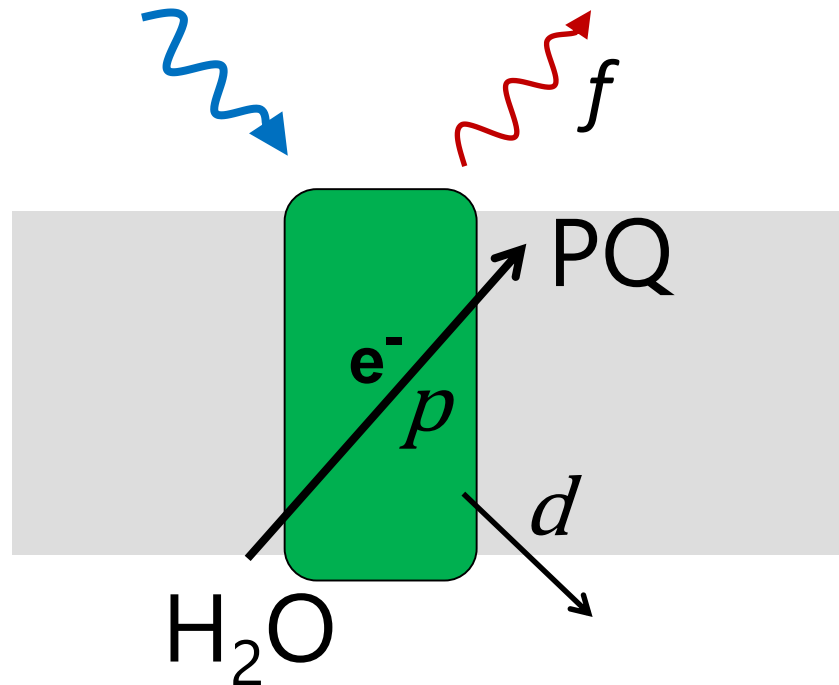
σ_{PII}' = absorption cross section of PSII photochemistry ($\text{m}^2 \text{ PSII}^{-1}$)

a_{PII}' = absorption coefficient for PSII photochemistry (m^{-1})

E = Photon irradiance ($\text{photons m}^{-2} \text{ s}^{-1}$)

Photochemistry and fluorescence

Open RCII



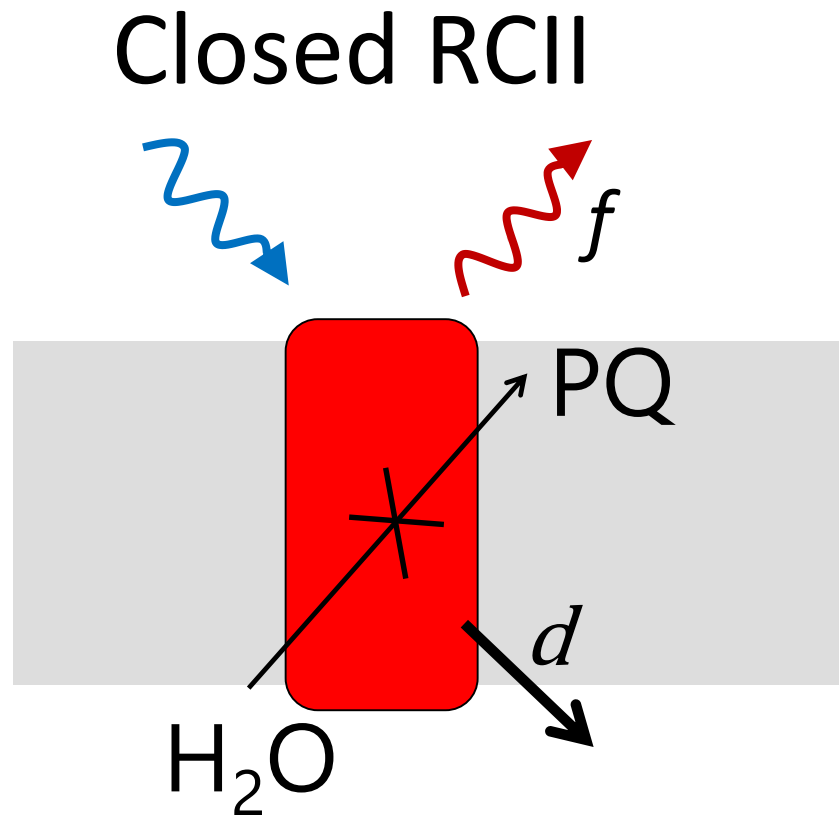
$$\phi_f = \frac{k_f}{k_p + k_f + k_d}$$

$$\phi_p = \frac{k_p}{k_p + k_f + k_d}$$

$$\frac{P}{F} \propto \frac{k_p}{k_f}$$

How consistent is this relationship?

Photochemistry and fluorescence



$$\phi_f = \frac{k_f}{k_f + k_d}$$

$$\phi_p = 0$$

The FRRf technique



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Measurements of variable chlorophyll fluorescence using fast repetition rate techniques: defining methodology and experimental protocols

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Single turnover (ST) FRRf measurement

Closed RCII \rightarrow

F_m or F_m'

Absorption cross section of
PSII photochemistry

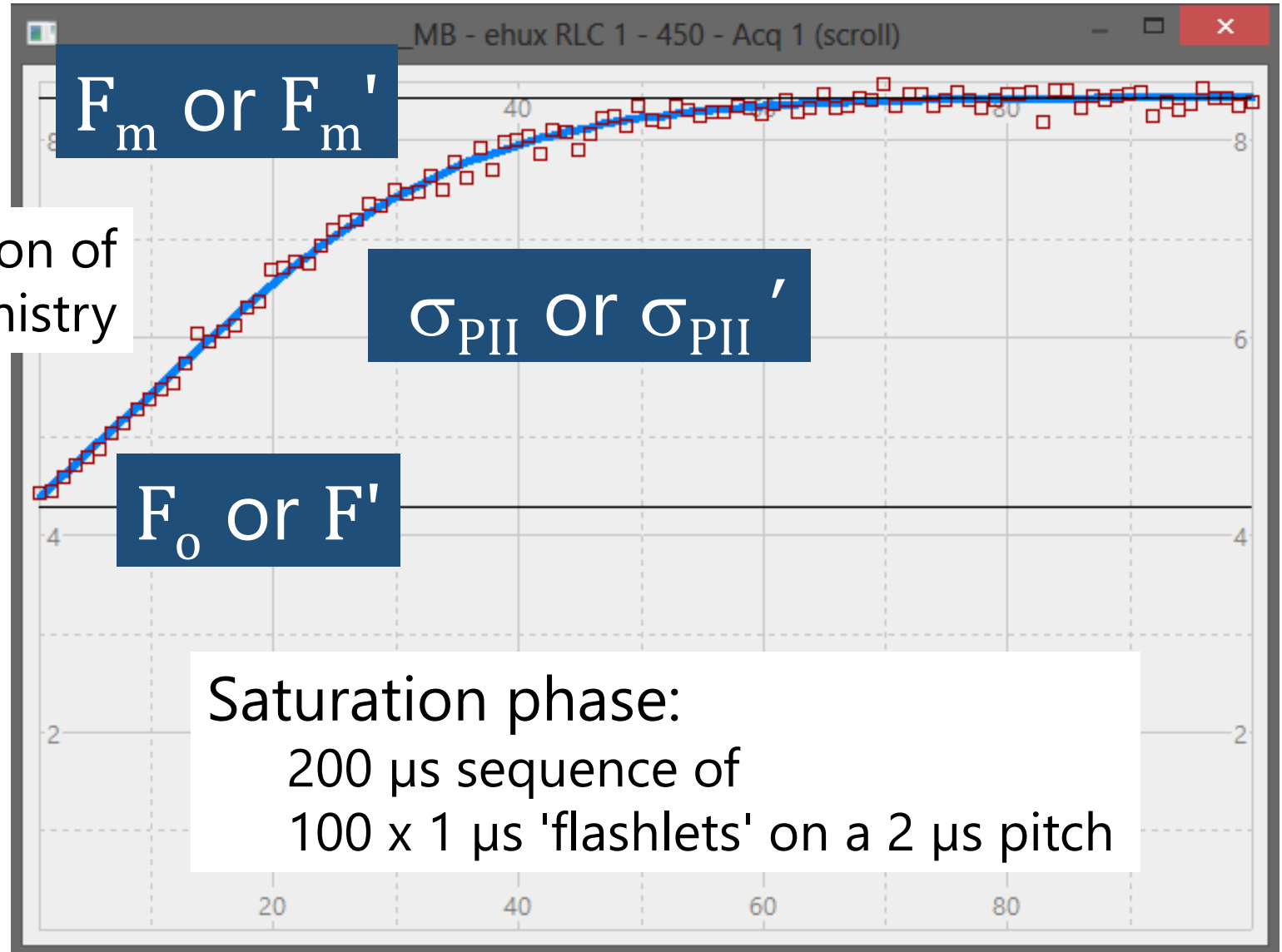
σ_{PII} or σ_{PII}'

Open RCII \rightarrow

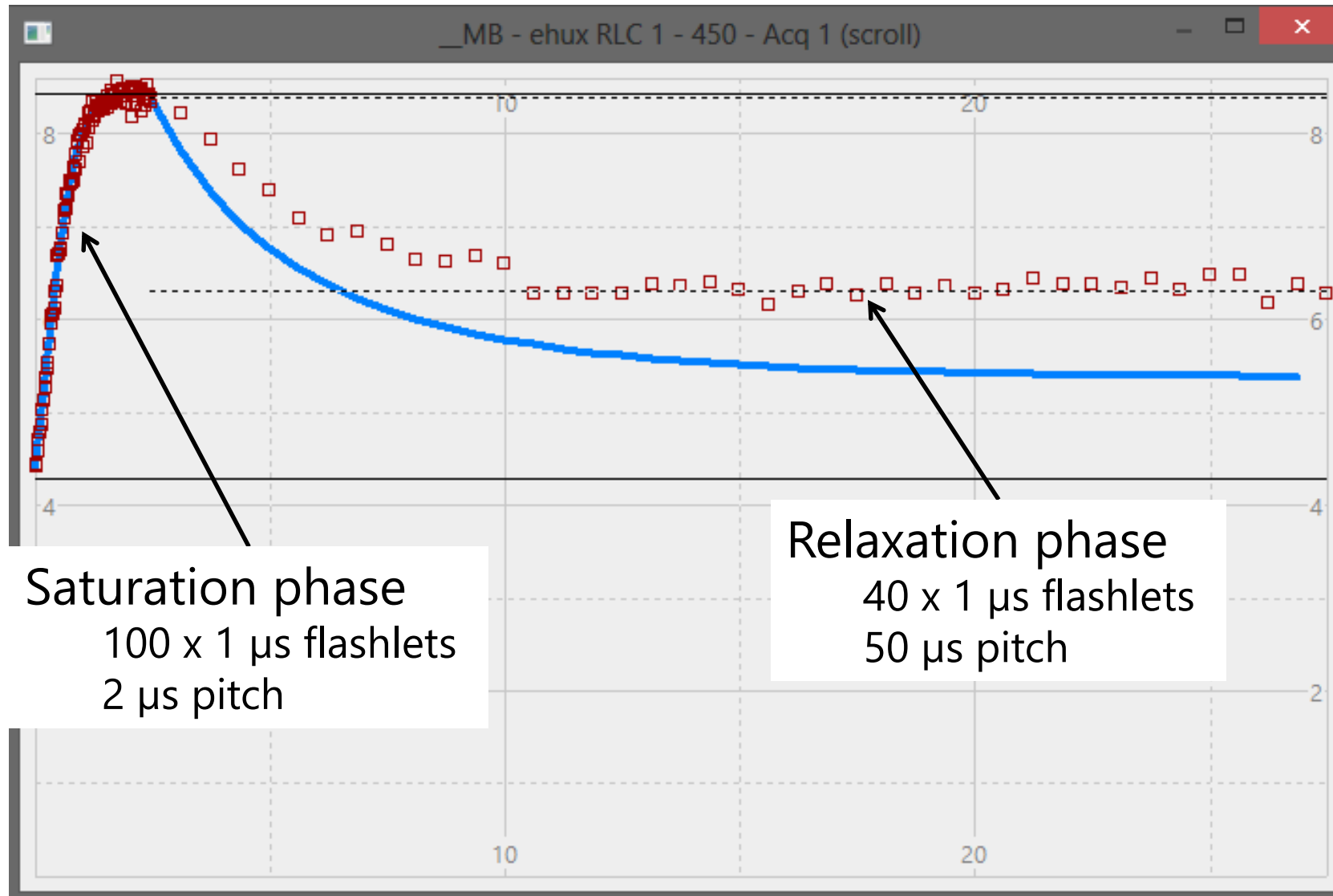
F_0 or F'

Saturation phase:

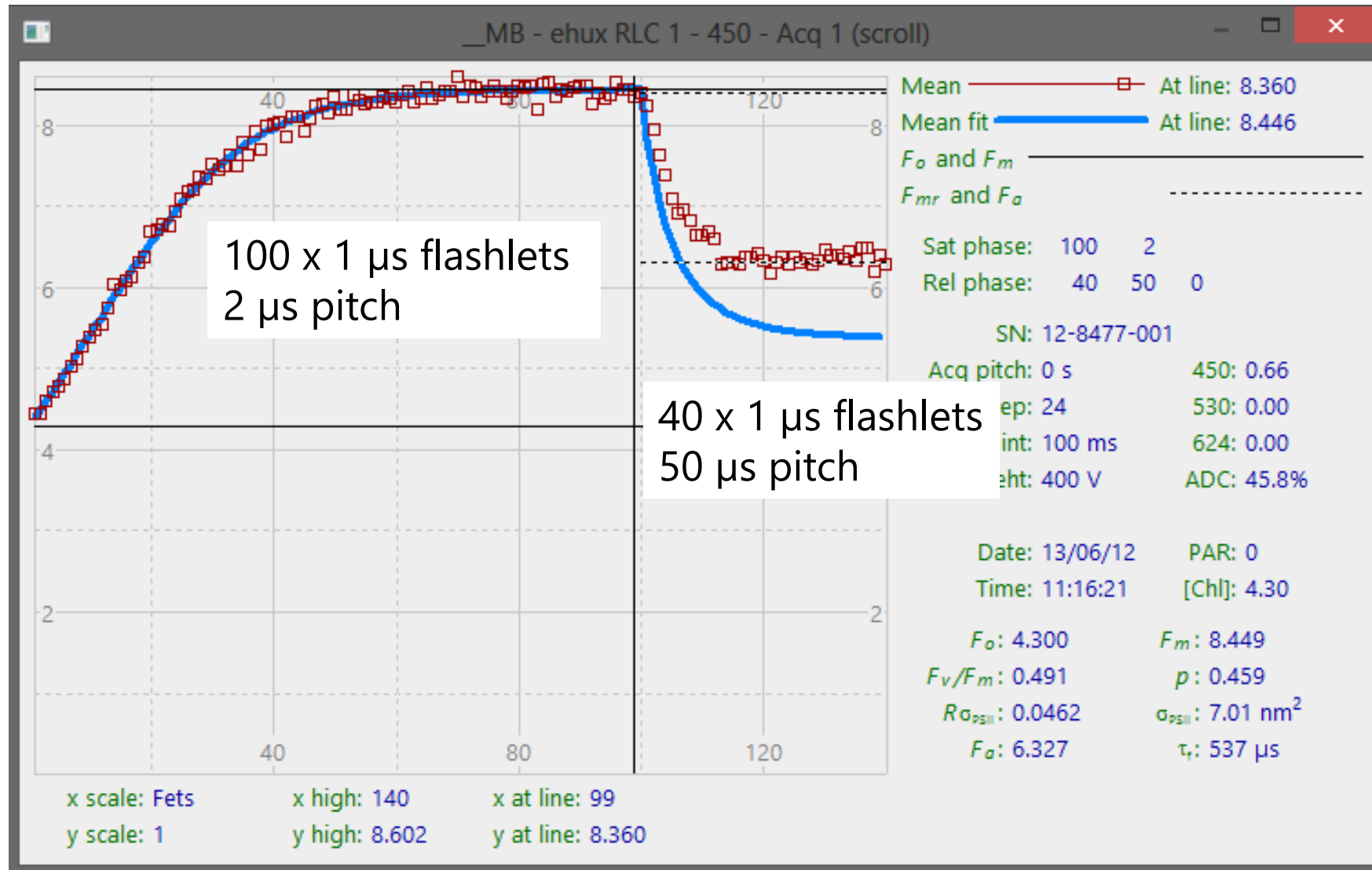
200 μs sequence of
100 x 1 μs 'flashlets' on a 2 μs pitch



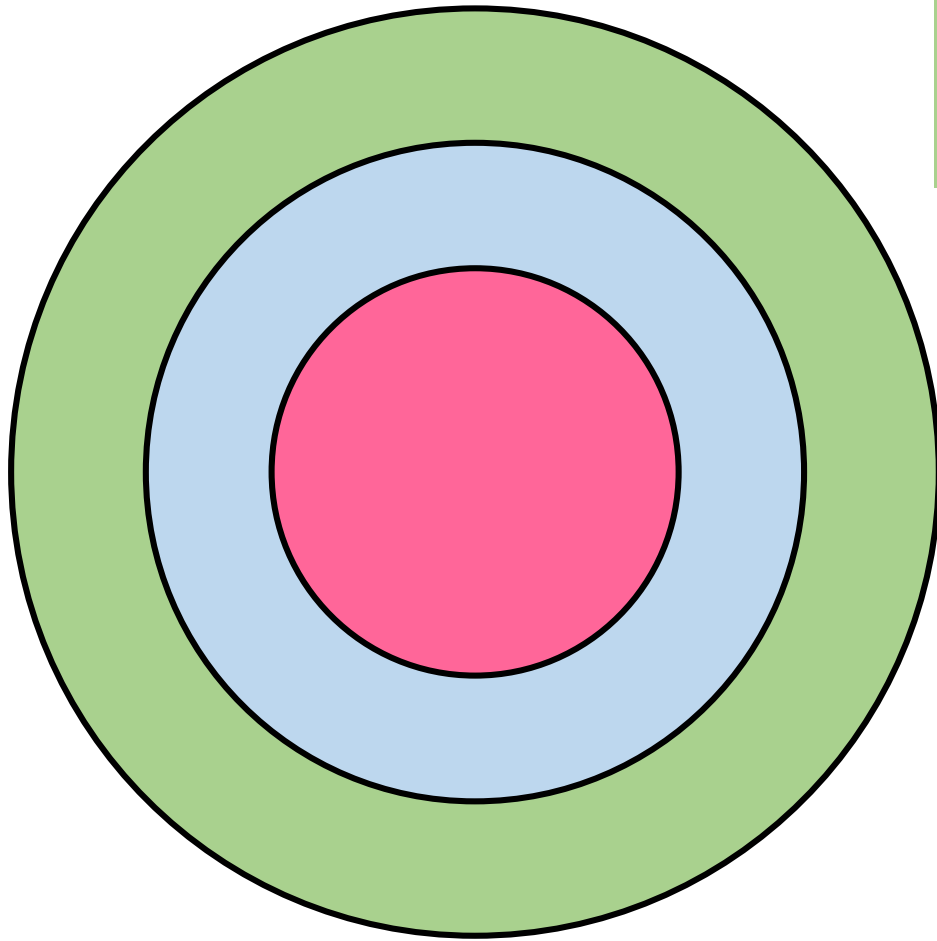
Saturation and relaxation phases



Saturation and relaxation phases



Absorption cross section (Sigma)



Physical cross section of the PSII
light-harvesting system (LHII)

Absorption cross section of
LHII (σ_{LHII})

Absorption cross section of
PSII photochemistry (σ_{PII})

All unit area ($\text{m}^2 \text{ PSII}^{-1}$)

The FRR-ST data fit

$$C_n = C_{n-1} + R\sigma_{\text{PII}} \cdot \frac{1 - C_{n-1}}{1 - C_{n-1} \cdot p}$$

$$F_n = F_o + (F_m - F_o) \cdot C_n \cdot \frac{1 - p}{1 - C_n \cdot p}$$

C_n = closed RCII at flashlet n

$R\sigma_{\text{PII}}$ = RCII closed by first flashlet

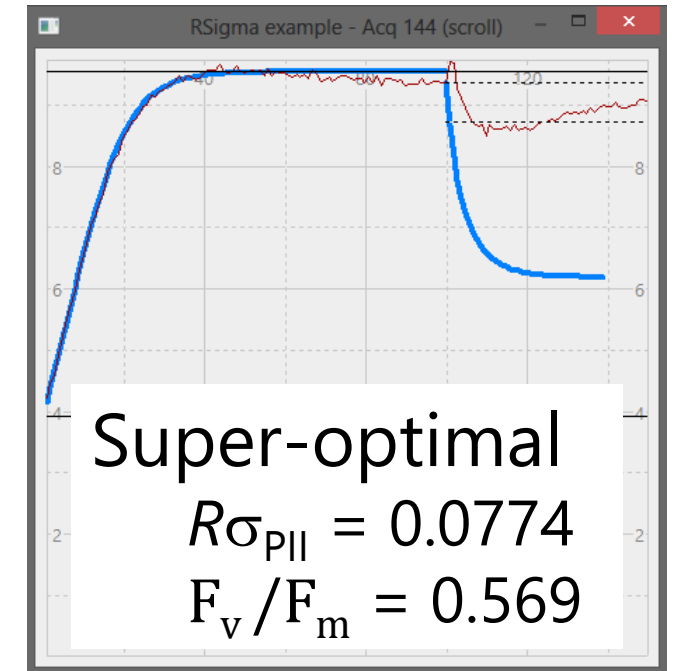
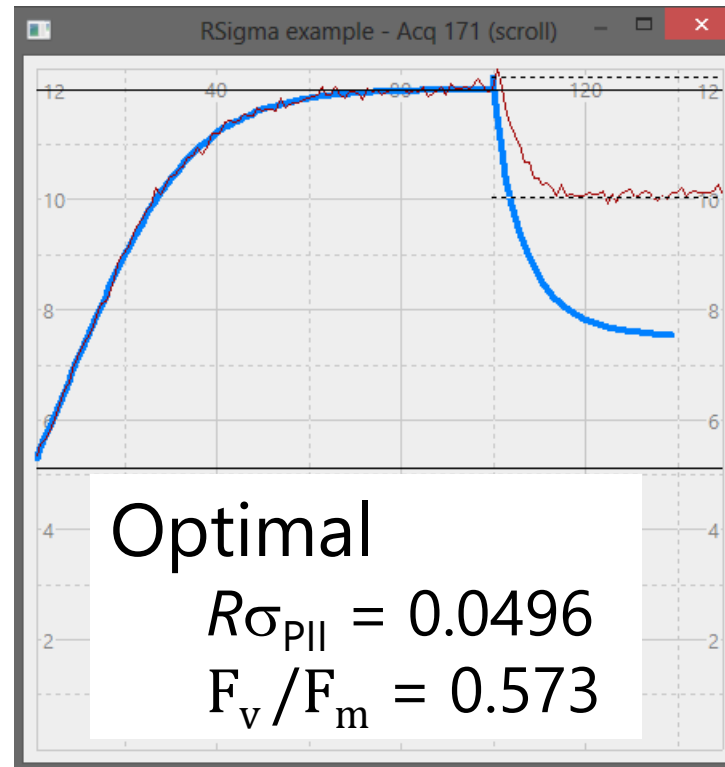
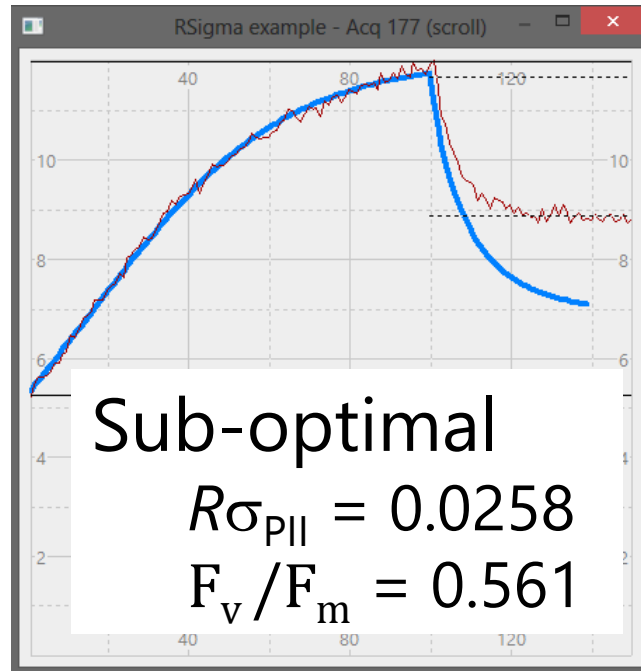
p = RCII connectivity

Kolber, Prášil and Falkowski (1998)

$$R\sigma_{\text{PII}}$$

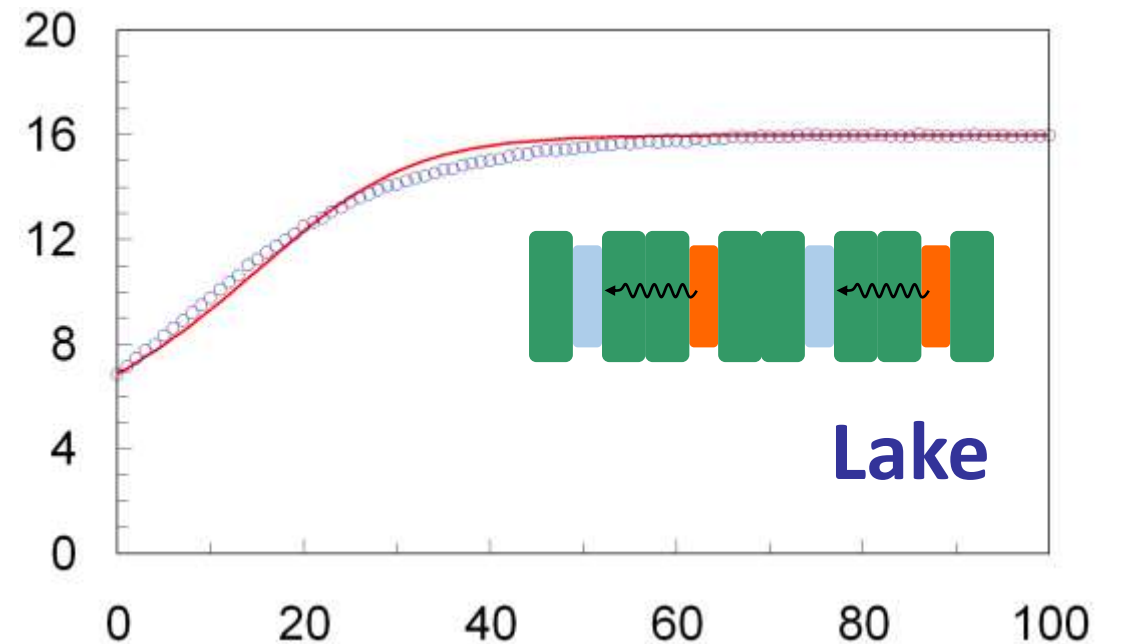
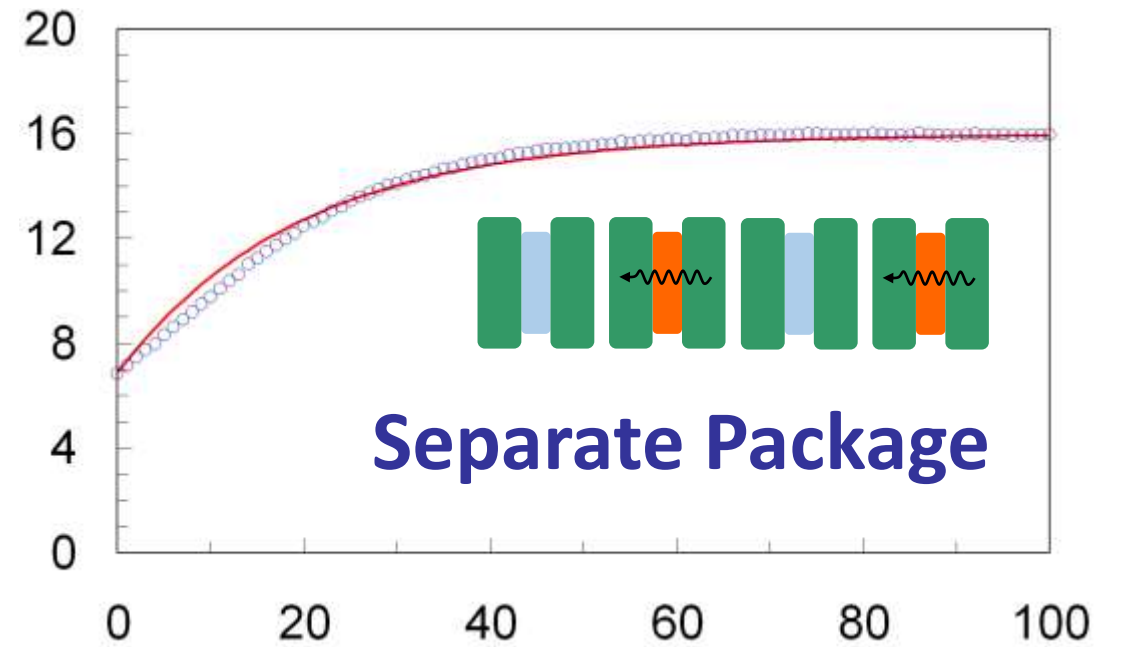
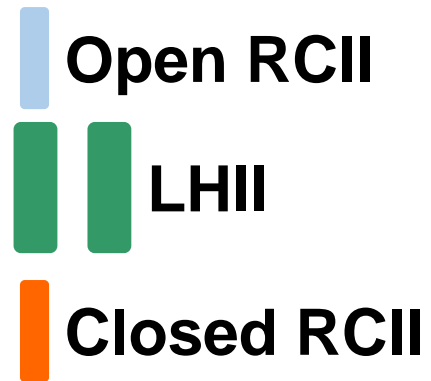
- Probability of an RCII being closed by the first flashlet in an FRR-ST sequence
- Dimensionless parameter
- Workable range of 0.03 to 0.06
- Can be 'set' by changing E_{LED}

$R\sigma_{\text{P||}}$ – optimum E_{LED} intensity

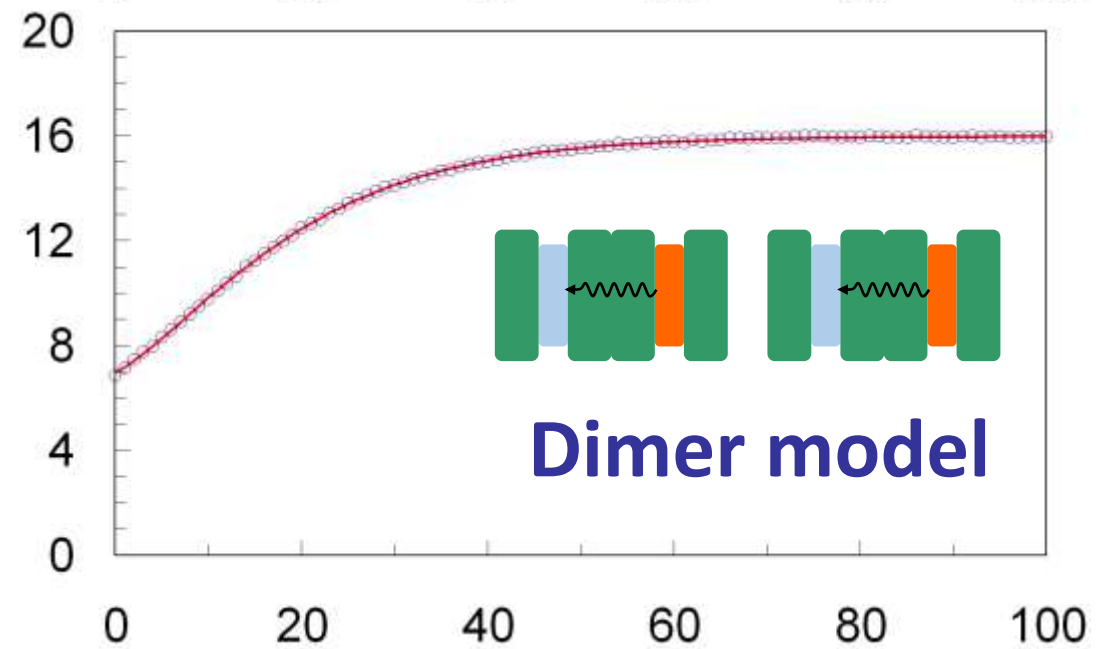
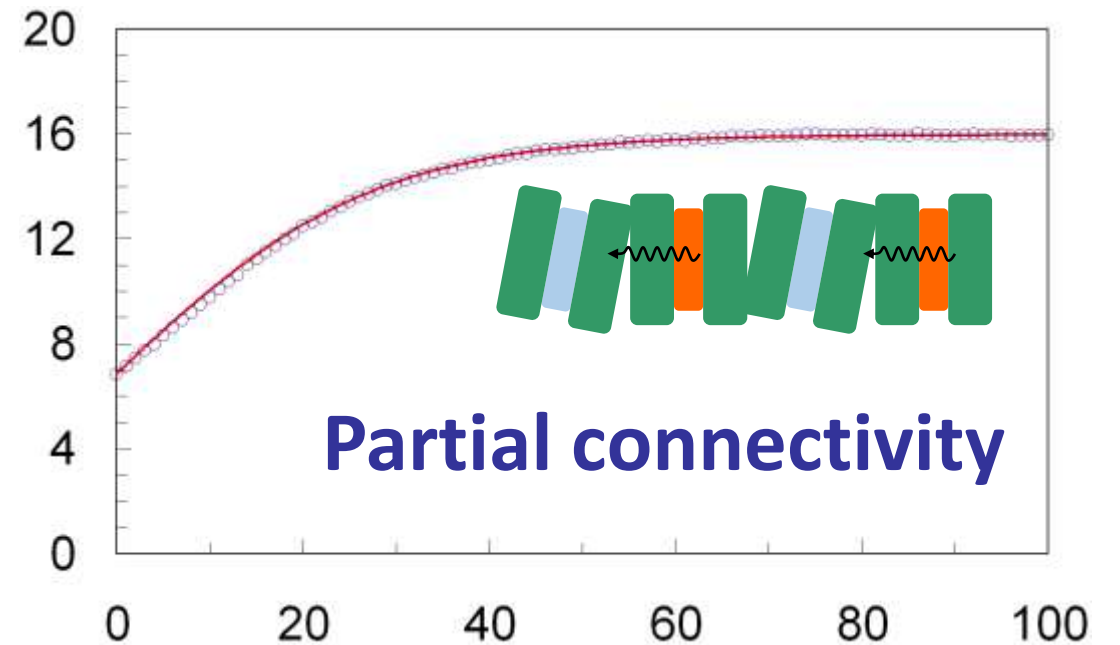
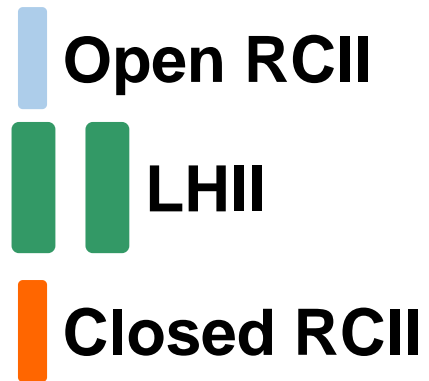


Increasing E_{LED}

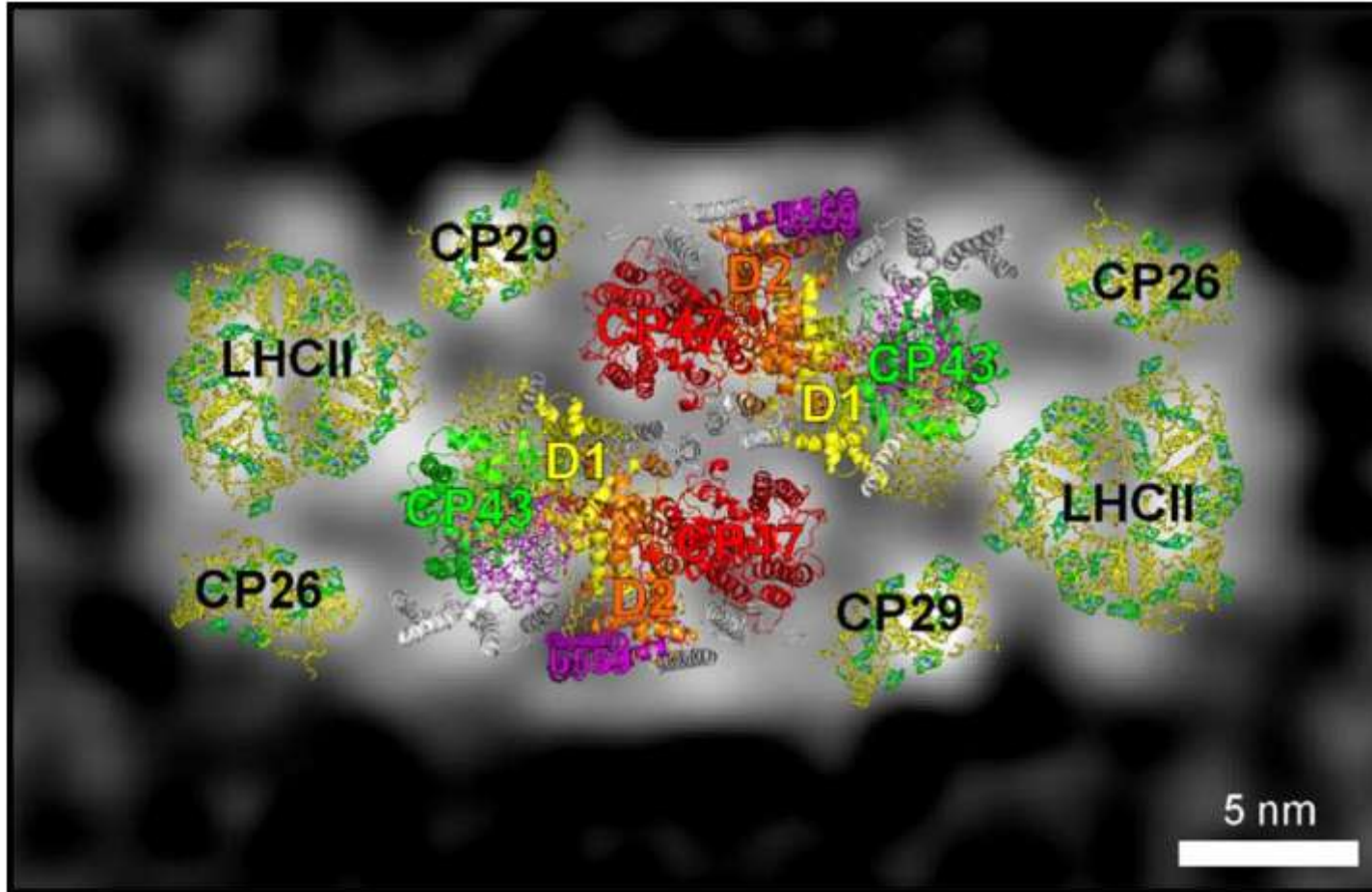
Connectivity among RCIs



Connectivity among RCIs



Photosystem II dimer



- X-ray crystallography
- Core from cyanobacterium
- LHCII from spinach
- Cryo-EM from spinach

taken from Nield & Barber (2006)

Basic terminology

Parameter	PSII photochemistry	PSII light harvesting
Absorption cross section ($\text{m}^{-2} \text{PSII}^{-1}$)	$\sigma_{\text{PII}}^{(')}$	σ_{LHII}
Absorption coefficient (m^{-1})	$a_{\text{PII}}^{(')}$	a_{LHII}
Photon efficiency (dimensionless)	$\phi_{\text{PII}}^{(')}$	

$$\sigma_{\text{PII}}^{'} = \sigma_{\text{LHII}} \cdot \phi_{\text{PII}}^{'}$$

$$a_{\text{PII}}^{'} = a_{\text{LHII}} \cdot \phi_{\text{PII}}^{'}$$

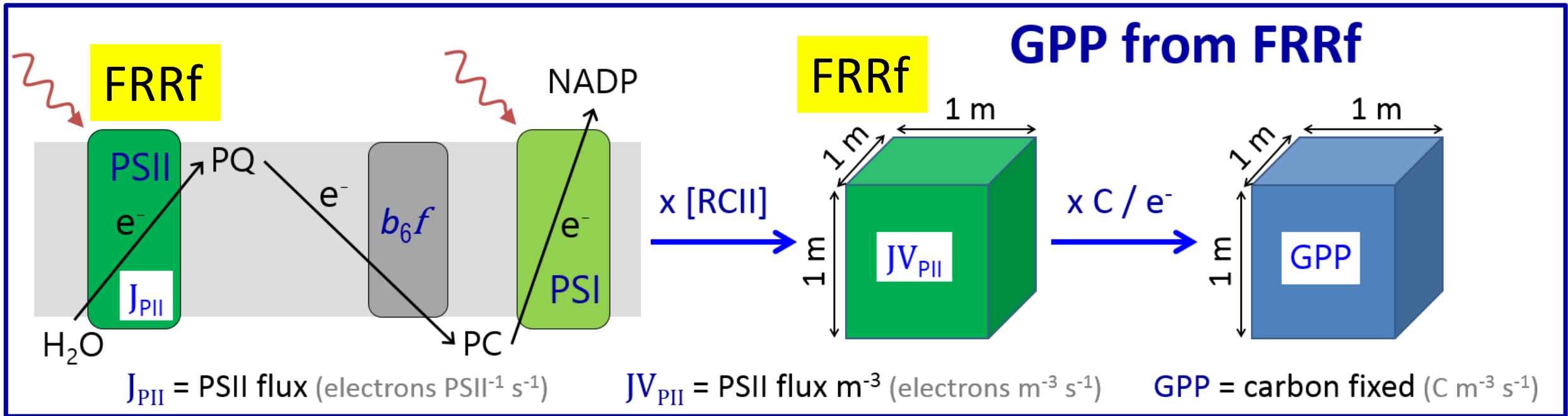
Flux terminology

Flux	PSII electron flux	Photon flux
Defined area	$J_{\text{PSII}} (\text{e}^- \text{ PSII}^{-1} \text{ s}^{-1})$	
Unit area		$E (\text{photons m}^{-2} \text{ s}^{-1})$
Unit volume	$JV_{\text{PSII}} (\text{e}^- \text{ m}^{-3} \text{ s}^{-1})$	

$$\text{e}^- \text{ PSII}^{-1} \text{ s}^{-1} \quad J_{\text{PSII}} = \sigma_{\text{PSII}}' \cdot E \quad \text{m}^2 \text{ PSII}^{-1} \cdot \text{photons m}^{-2} \text{ s}^{-1}$$

$$\text{e}^- \text{ m}^{-3} \text{ s}^{-1} \quad JV_{\text{PSII}} = a_{\text{PSII}}' \cdot E \quad \text{m}^{-1} \cdot \text{photons m}^{-2} \text{ s}^{-1}$$

From PSII electron flux to GPP



$$J_{P_{II}} = \sigma_{P_{II}}' \cdot E$$

Sigma method

$$JV_{P_{II}} = a_{P_{II}}' \cdot E$$

$$= a_{LHII} \cdot \phi_{P_{II}}' \cdot E$$

Absorption method

Calculation of PSII electron flux per unit volume (JV_{PSII}) using the sigma method

$$JV_{\text{PSII}} = \sigma_{\text{PSII}}' \cdot [\text{RCII}] \cdot (1 - C) \cdot E$$

$\sigma_{\text{PSII}}' \rightarrow$ from iterative curve fit to FRR-ST data

$[\text{RCII}] \rightarrow$ from chlorophyll determination (n_{PSII})

$(1 - C) \rightarrow$ from light + dark FRR data

$E \rightarrow$ from PAR sensor

Kolber, Prášil and Falkowski (1998)

The sigma method (Kolber et al. 1998)

- ✓ Can be applied on wide spatial and temporal scales
 - ✓ Can be used to probe PSII photochemistry
 - ✓ Provides a good estimate of PSII electron flux (J_{PII})
 - ✓ Estimate of rETR (relative electron transport rate to NADP)
-
- JV_{PII} requires an independent estimate of [RCII]
 - Requires an assumed level of connectivity to quantify C

The absorption method (Oxborough et al. 2012)

LIMNOLOGY and OCEANOGRAPHY: METHODS

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Direct estimation of functional PSII reaction center concentration and PSII electron flux on a volume basis: a new approach to the analysis of Fast Repetition Rate fluorometry (FRRf) data

Kevin Oxborough^{1}, C. Mark Moore², David J. Suggett³, Tracy Lawson³, Hoi Ga Chan¹, and Richard J. Geider³*

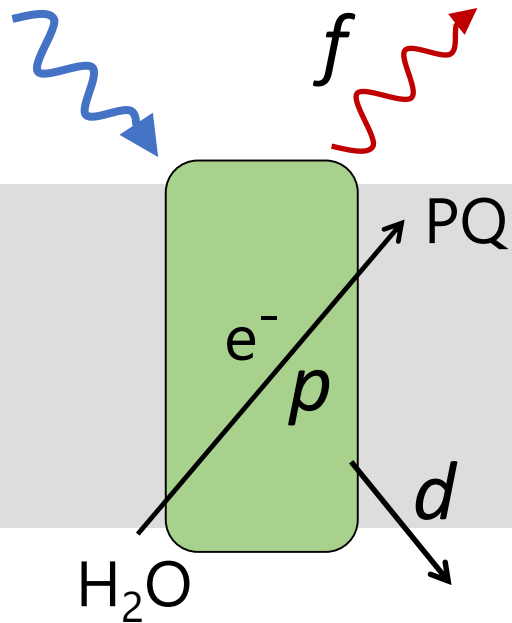
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³School of Biological Sciences, University of Essex, CO4 3SQ, UK



Basic principle of the absorption method



$$\phi_f = \frac{k_f}{k_p + k_f + k_d}$$

$$\phi_p = \frac{k_p}{k_p + k_f + k_d}$$

$$\frac{P}{F} \propto \frac{k_p}{k_f}$$

Absorption method requires that this is a consistent relationship

Open RCII

Calculation of [RCII] using the absorption method

Hypothesis:

$\frac{k_p}{k_f}$ falls within a very narrow range

Consequence:

$$[\text{RCII}] = \frac{F_o}{\sigma_{\text{PII}}} \cdot \frac{K_R}{E_{\text{LED}}}$$

NIOZ PROTOCOL workshop, Yerseke (2012)

Organised by: Greg Silsbe & Jacco Kromkamp

12 phytoplankton species

Chaetoceros sp.

Ditylum brightwellii

Emiliana huxleyi

Nannochloropsis gaditana

Phaeocystis glabrosa

Prorocentrum sp.

Skeletonema sp.

Synechococcus (red 9903 + green 0417)

Tetraselmis sp.

Thalassiosira pseudonana (-Fe / +Fe)

Thalassiosira westfloggii (-Fe / +Fe)

Methods

Fast Repetition Rate fluorometers

Mk I and Mk II FAST *tracka*

FastOcean

Flash O₂ release

Thermoluminescence

MIMS

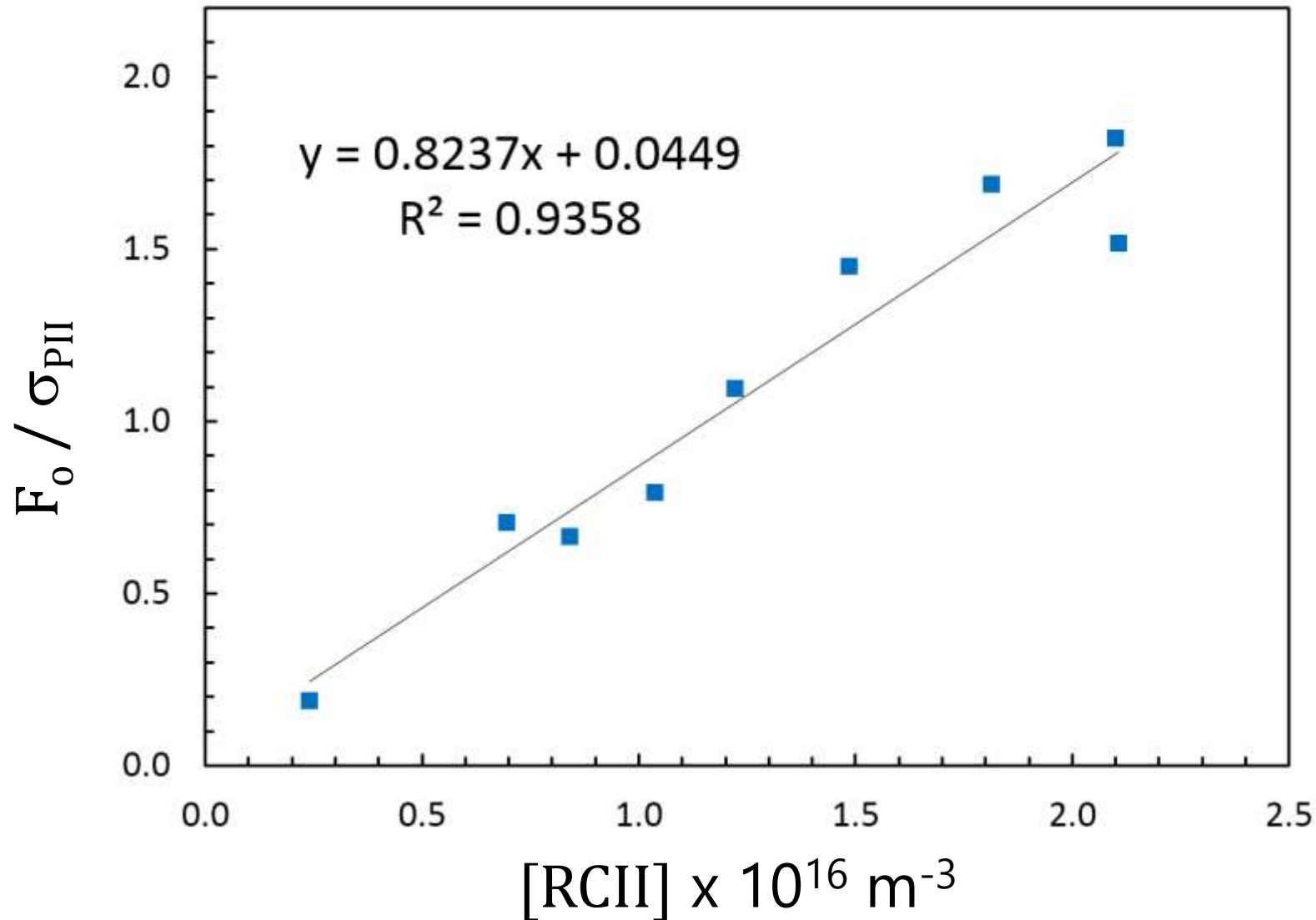
¹³C

Absorption spectrometry

Fluorescence excitation spectrometry



NIOZ PROTOCOL workshop, Yerseke (2012)



Implications for the sigma algorithm

$$JV_{PII} = \sigma_{PII}' \cdot [RCII] \cdot (1 - C) \cdot E$$

$\sigma_{PII}' \rightarrow$ from iterative curve fit to FRR-ST data

$[RCII] \rightarrow$ from FRR-ST data

$(1 - C) \rightarrow$ from light + dark FRR data

$E \rightarrow$ from PAR sensor

No longer a requirement for independent measurement of $[RCII]$

The absorption algorithm

Hypothesis:

$\frac{k_p}{k_f}$ falls within a very narrow range

Consequence:

$$JV_{\text{PII}} = oF' \cdot \frac{K_R}{E_{\text{LED}}} \cdot E$$

Where oF' is the emission from open RCII under ambient light

Comparing the sigma and absorption algorithms

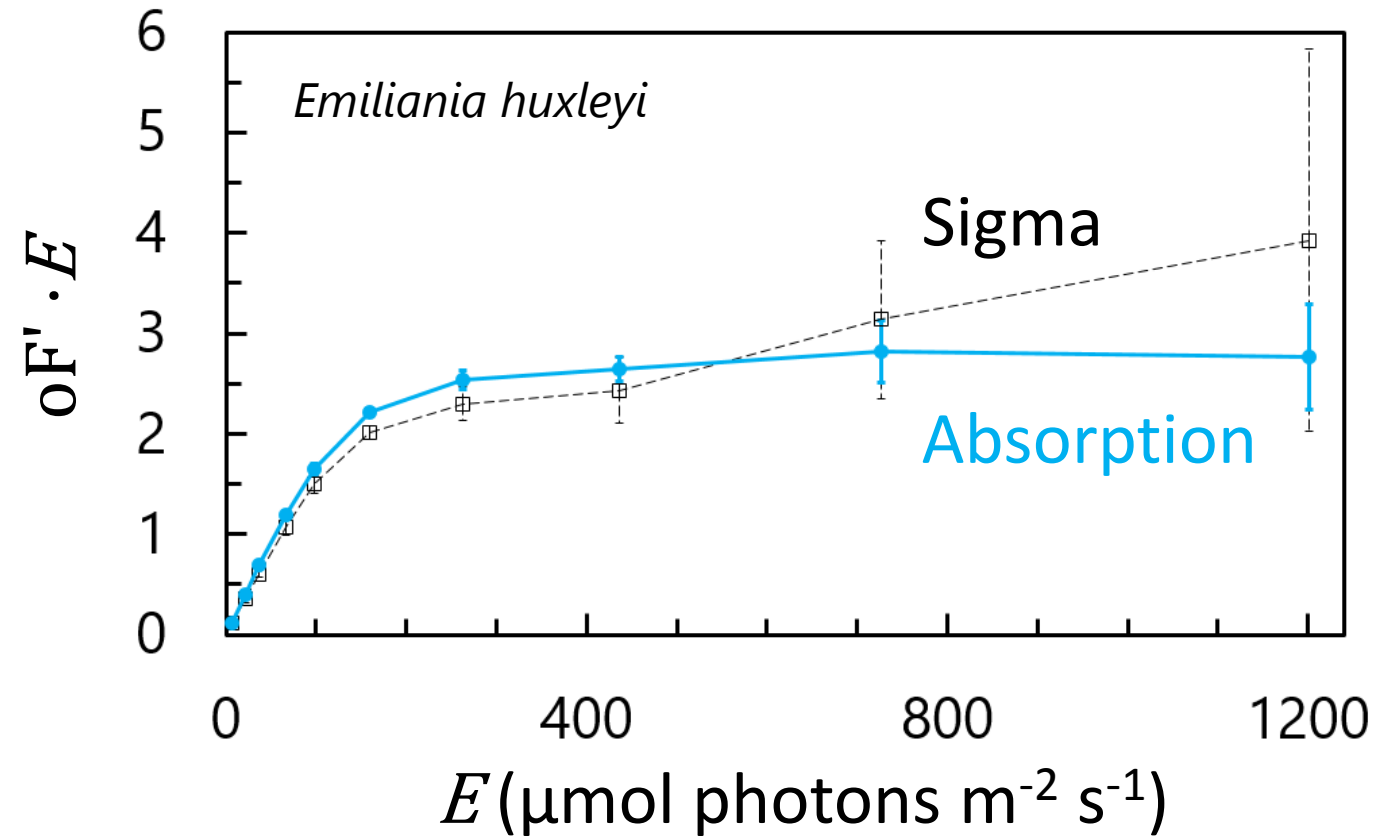
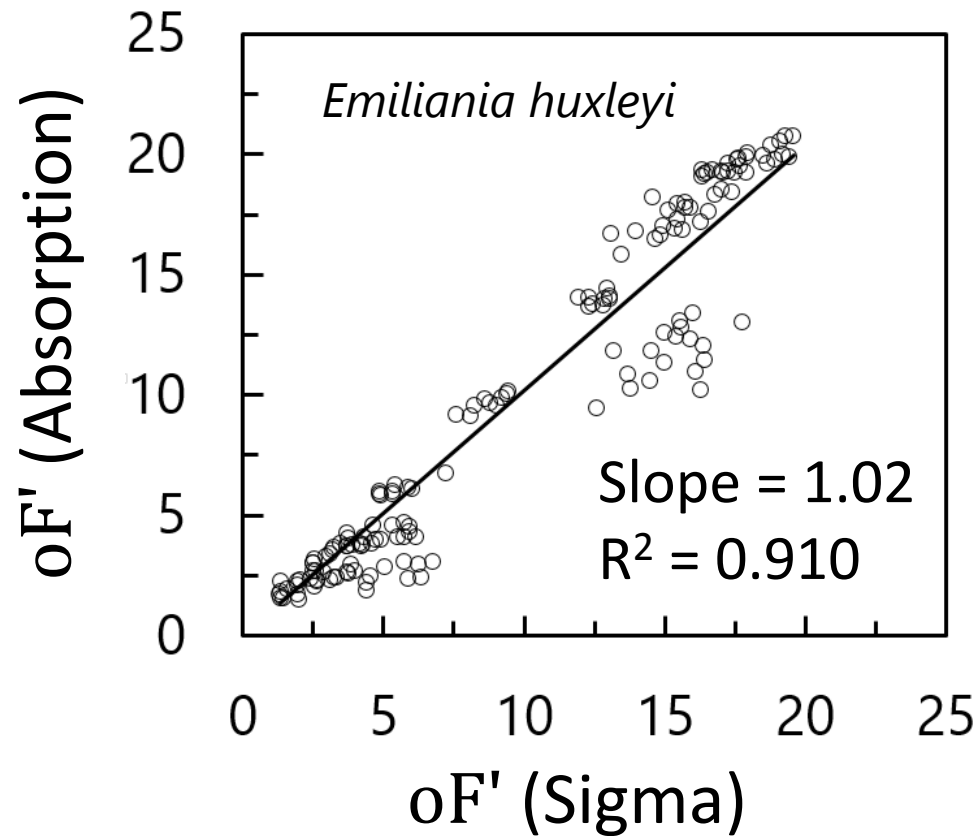
$$oF' = F_o \cdot \frac{\sigma_{\text{PII}}'}{\sigma_{\text{PII}}} \cdot (1 - \mathcal{C}) \quad (\text{Sigma algorithm})$$

$$oF' = \frac{F_m \cdot F_o}{F_m - F_o} \cdot \frac{F'_m - F'}{F'_m} \quad (\text{Absorption algorithm})$$

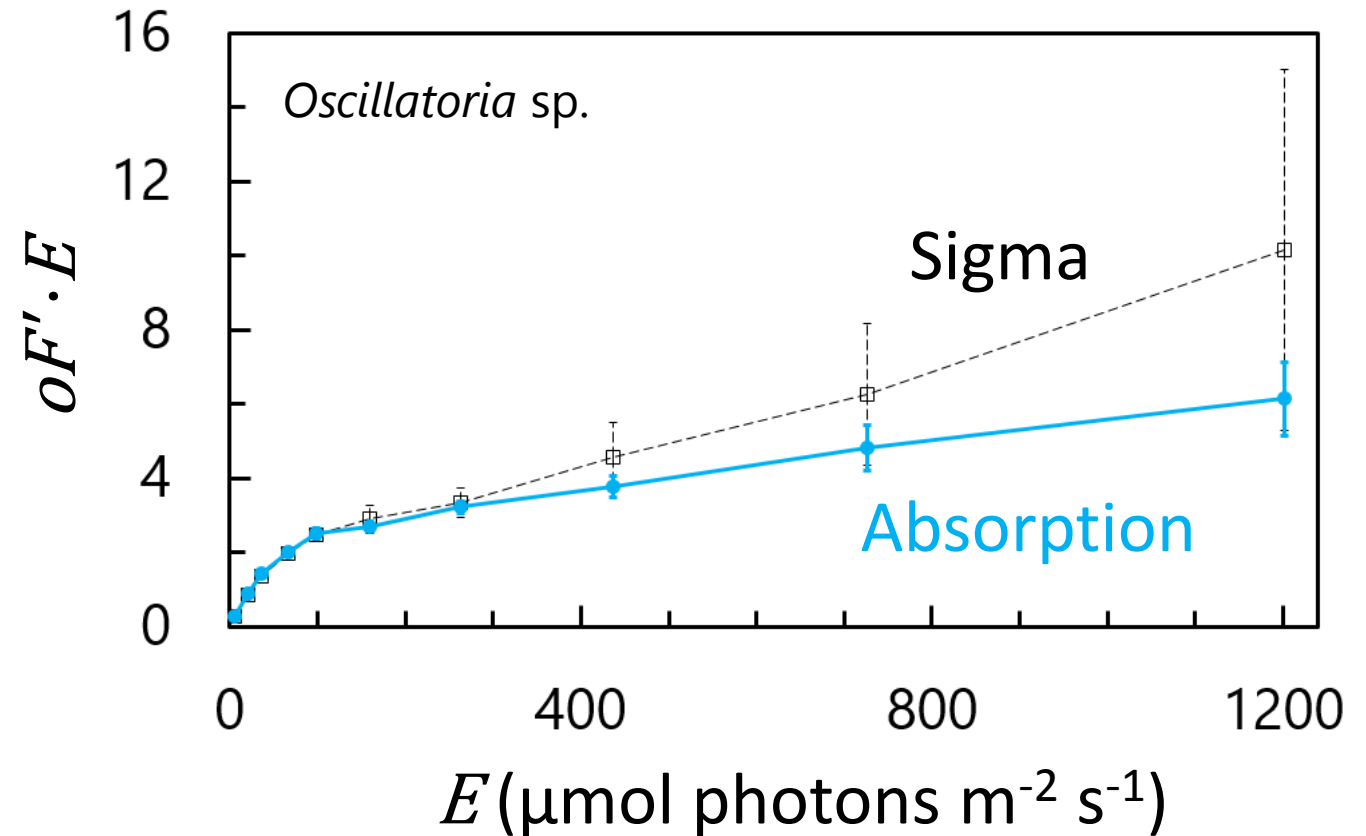
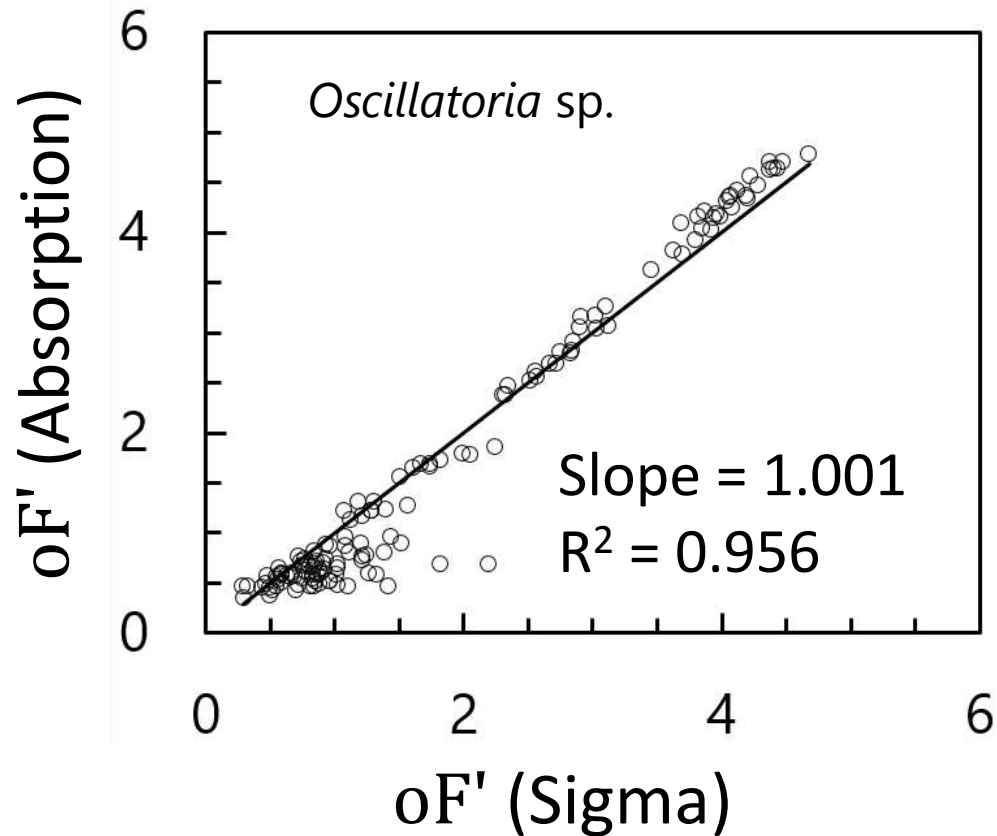
Absorption algorithm doesn't require σ_{PII} , σ_{PII}' or $1 - \mathcal{C}$



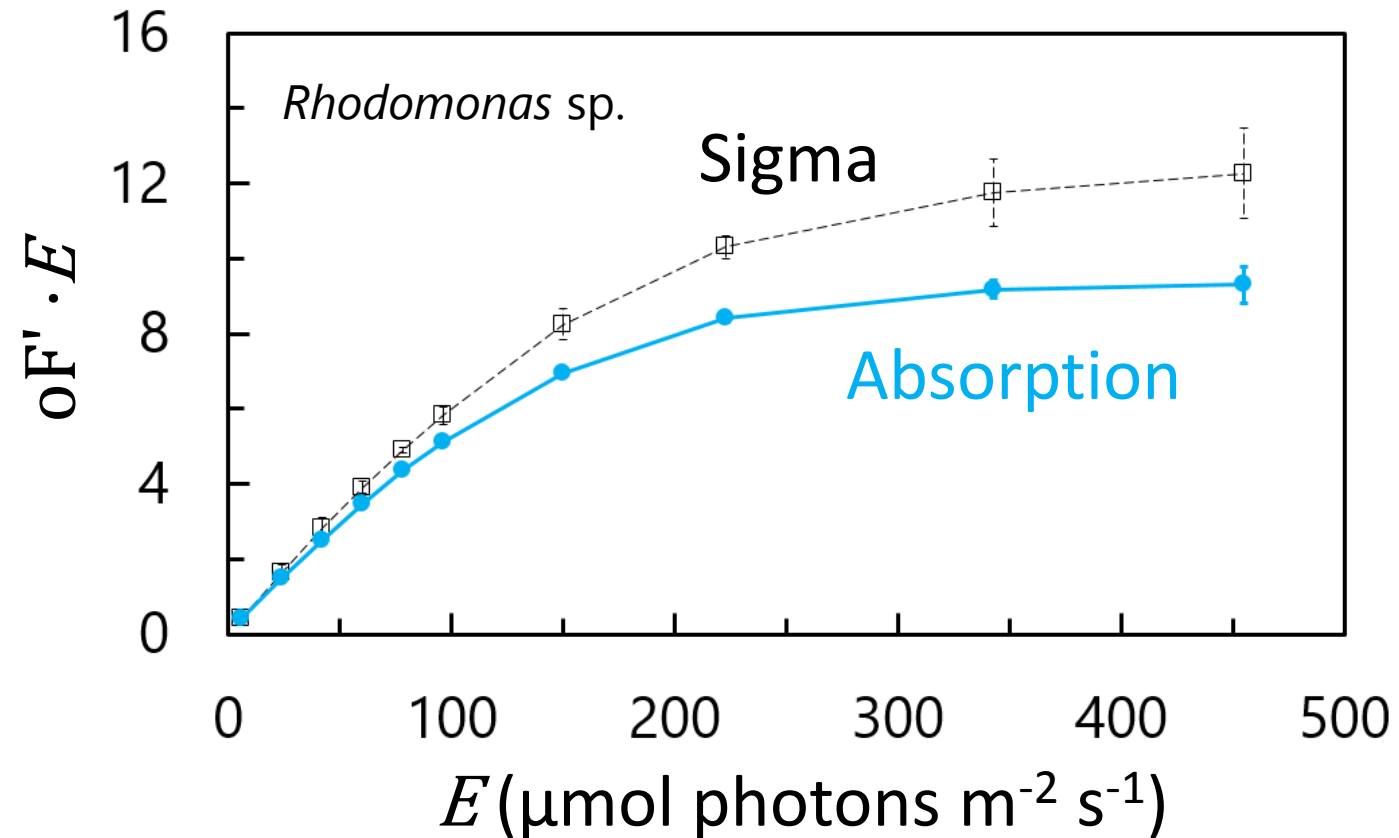
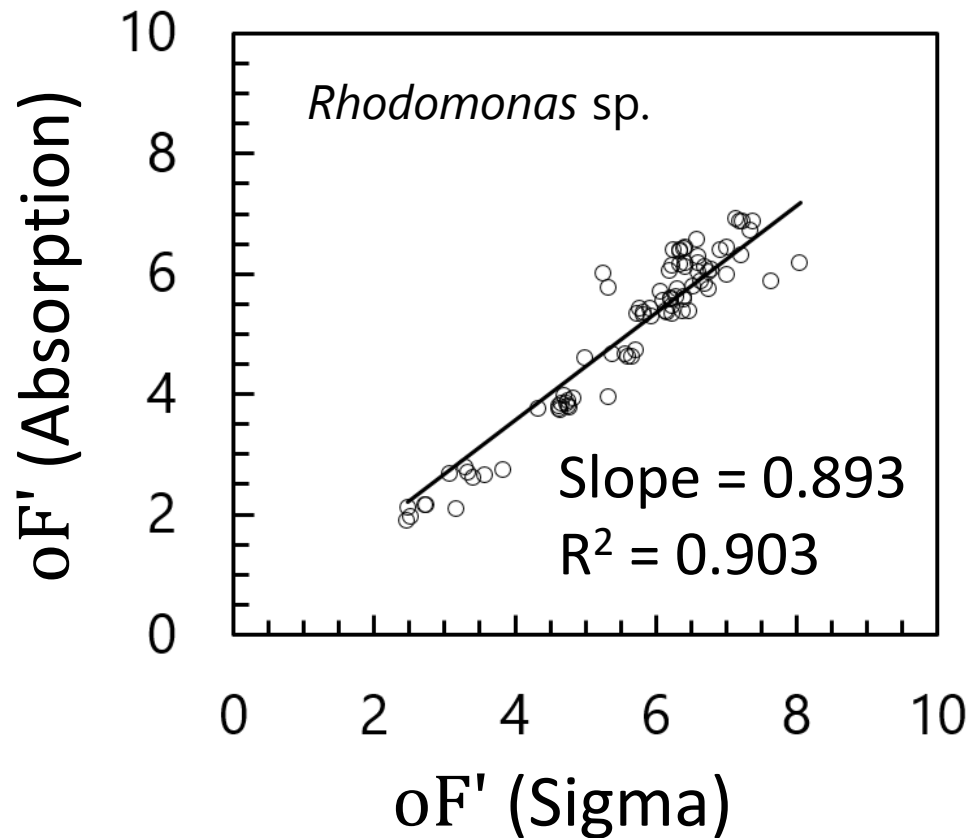
Comparing the sigma and absorption algorithms



Comparing the sigma and absorption algorithms



Comparing the sigma and absorption algorithms



Instrument calibration

Oxborough et al. (2012):

$$[\text{RCII}] = \frac{F_o}{\sigma_{\text{PII}}} \cdot \frac{K_R}{E_{\text{LED}}}$$

K_R is an instrument specific constant, which cannot be used with other instruments of the same design

FastOcean calibration:

$$[\text{RCII}] = \frac{F_o}{\sigma_{\text{PII}}} \cdot K_a$$

K_a is an instrument type-specific constant, which can be used with all FastOcean sensors

Practical overview of the sigma method

Instrument calibration –

Gain against chlorophyll *a*

E_{LED} (photons $\text{m}^{-2} \text{s}^{-1}$)

GPP estimated through –

$$J V_{\text{PII}} = \sigma_{\text{PII}}' \cdot [\text{RCII}] \cdot (1 - C) \cdot E$$

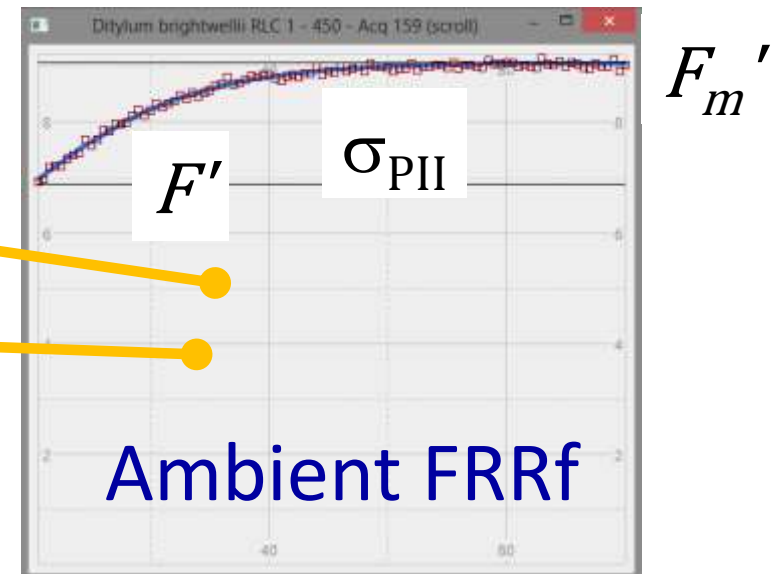
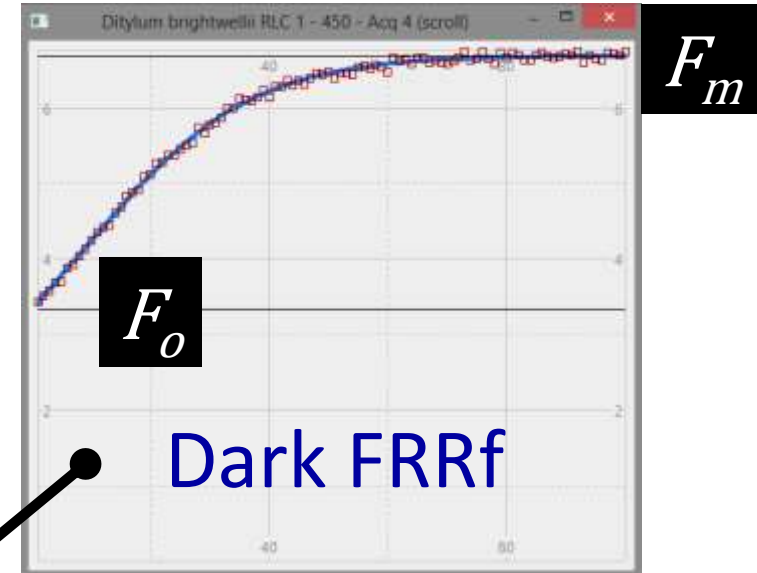
Each measurement requires –

σ_{PII}' (m^2) from ambient FRR-ST data

$[\text{RCII}]$ (m^{-3}) from chlorophyll (n_{PSII})

$1 - C$ (proportion) = $(F_m' - F') / (F_m' - F_o')$

E (photons $\text{m}^{-2} \text{s}^{-1}$) from a PAR sensor



Practical overview of the absorption method

Instrument calibration –

Same as Sigma method plus:

$$K_a \text{ (m}^{-1}\text{)} = [\text{RCII}] \cdot (\sigma_{\text{PII}} / F_o)$$

Derivation of K_a requires –

$[\text{RCII}] \text{ (m}^{-3}\text{)}$ from flash O_2 release

F_o (dimensionless) and...

$\sigma_{\text{PII}} \text{ (m}^2\text{)}$ from dark FRRf data

GPP estimated through –

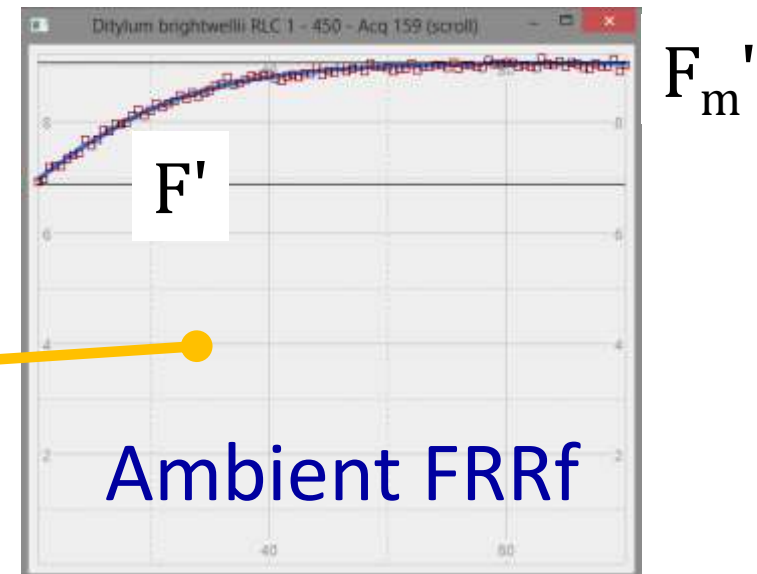
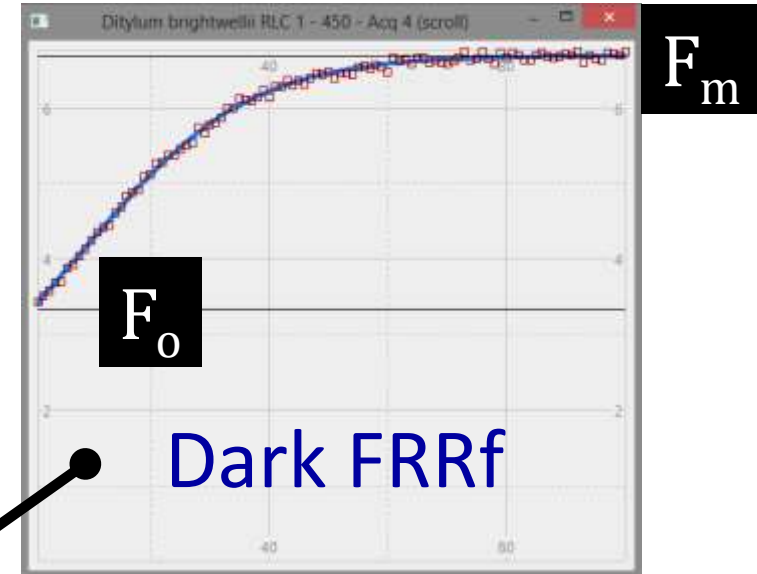
$$JV_{\text{PII}} = a_{\text{LHII}} \cdot \phi_{\text{PII}}' \cdot E$$

Each measurement requires –

$$a_{\text{LHII}} \text{ (m}^{-1}\text{)} = ([F_m \cdot F_o] / [F_m - F_o]) \cdot K_a$$

$$\phi_{\text{PII}}' = 1 - (F' / F_m')$$

$E \text{ (photons m}^{-2} \text{ s}^{-1}\text{)}$ from a PAR sensor



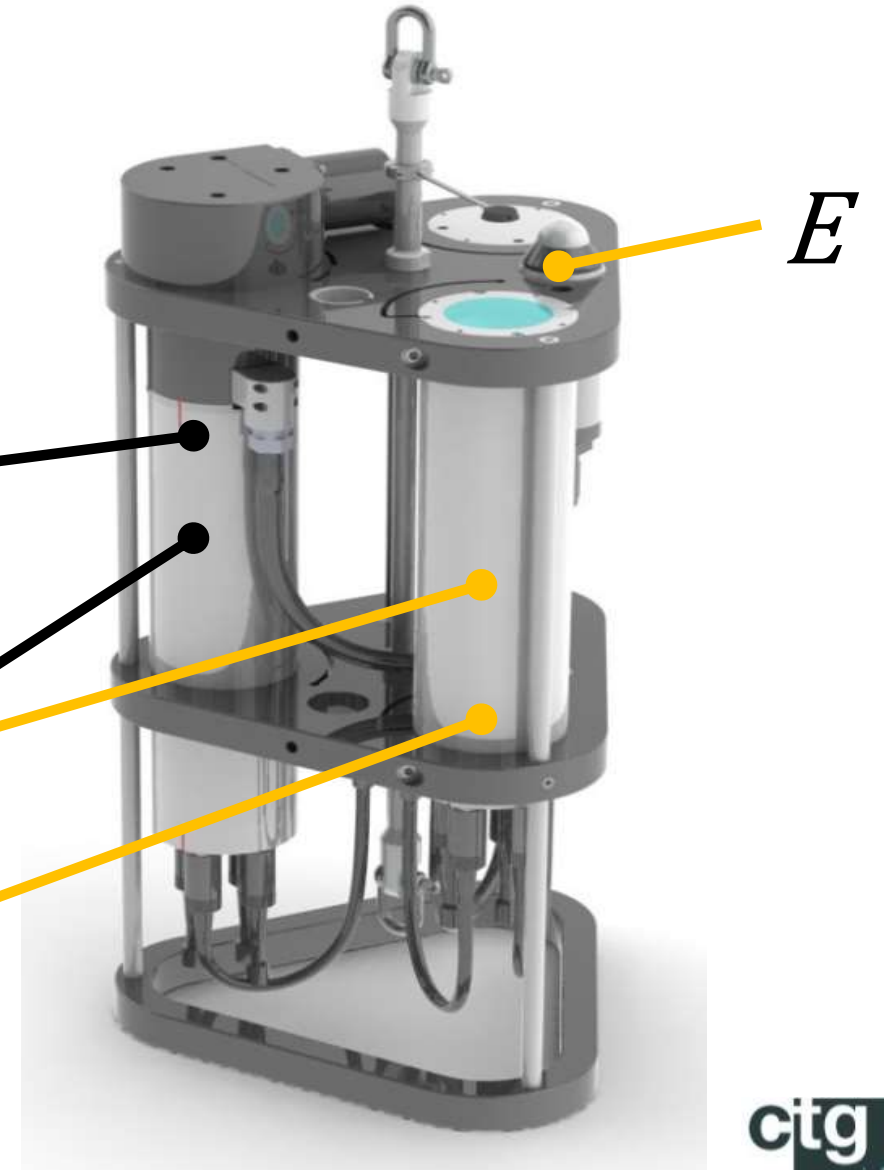
Field measurements - sigma

$$J V_{\text{PII}} = \sigma_{\text{PII}}' \cdot [\text{RCII}] \cdot (1 - C) \cdot E$$

$$[\text{RCII}] = K_a \cdot \frac{F_o}{\sigma_{\text{PII}}}$$

$$1 - C = \frac{F_m' - F'}{F_m' - F_o'}$$

$$\sigma_{\text{PII}}'$$

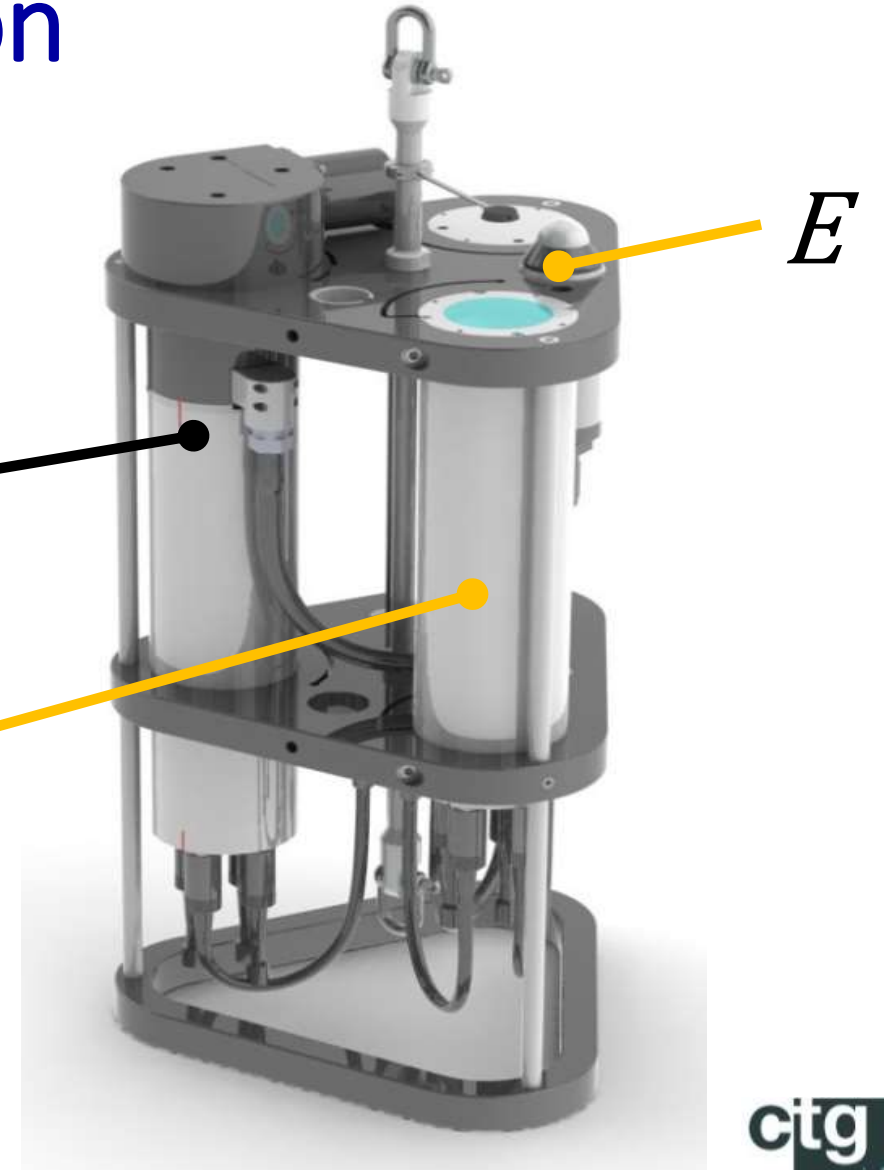


Field measurements - absorption

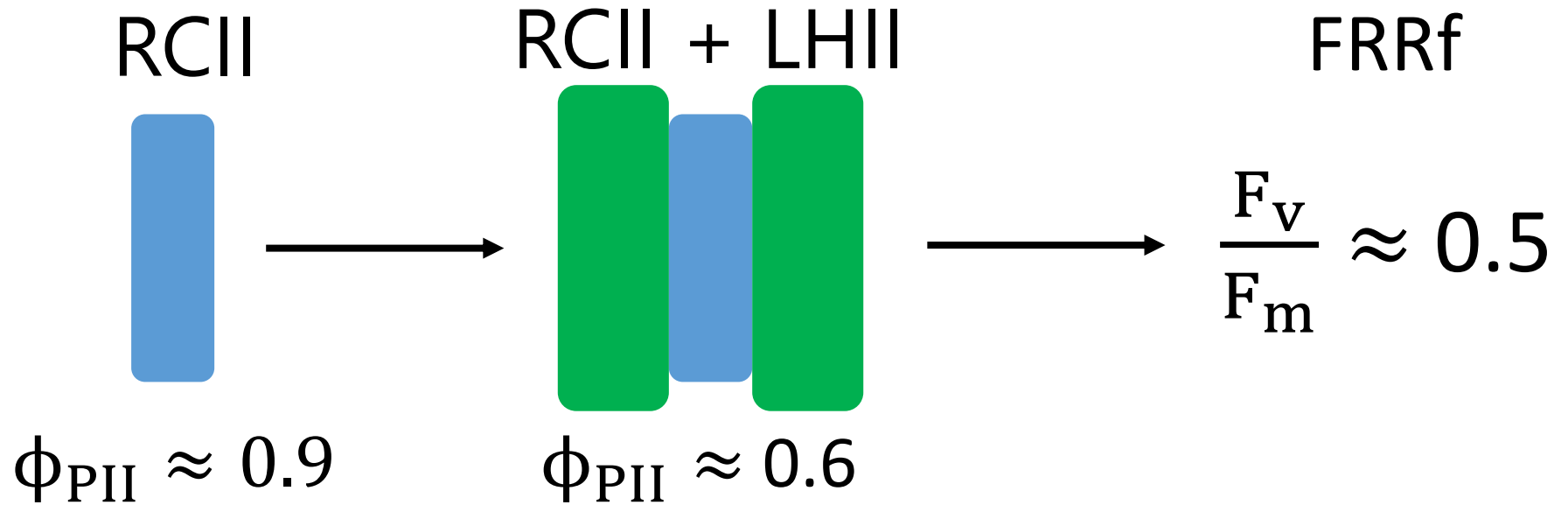
$$JV_{\text{PII}} = a_{\text{LHII}} \cdot \phi_{\text{PII}}' \cdot E$$

$$a_{\text{LHII}} = ([F_m \cdot F_o] / [F_m - F_o]) \cdot K_a$$

$$\phi_{\text{PII}}' = 1 - (F' / F_m')$$



Baseline fluorescence



$\frac{F_v}{F_m} < 0.5$ due to:

- Photoinactivation of RCII (photoinhibition)
- Downregulation (non-photochemical quenching)

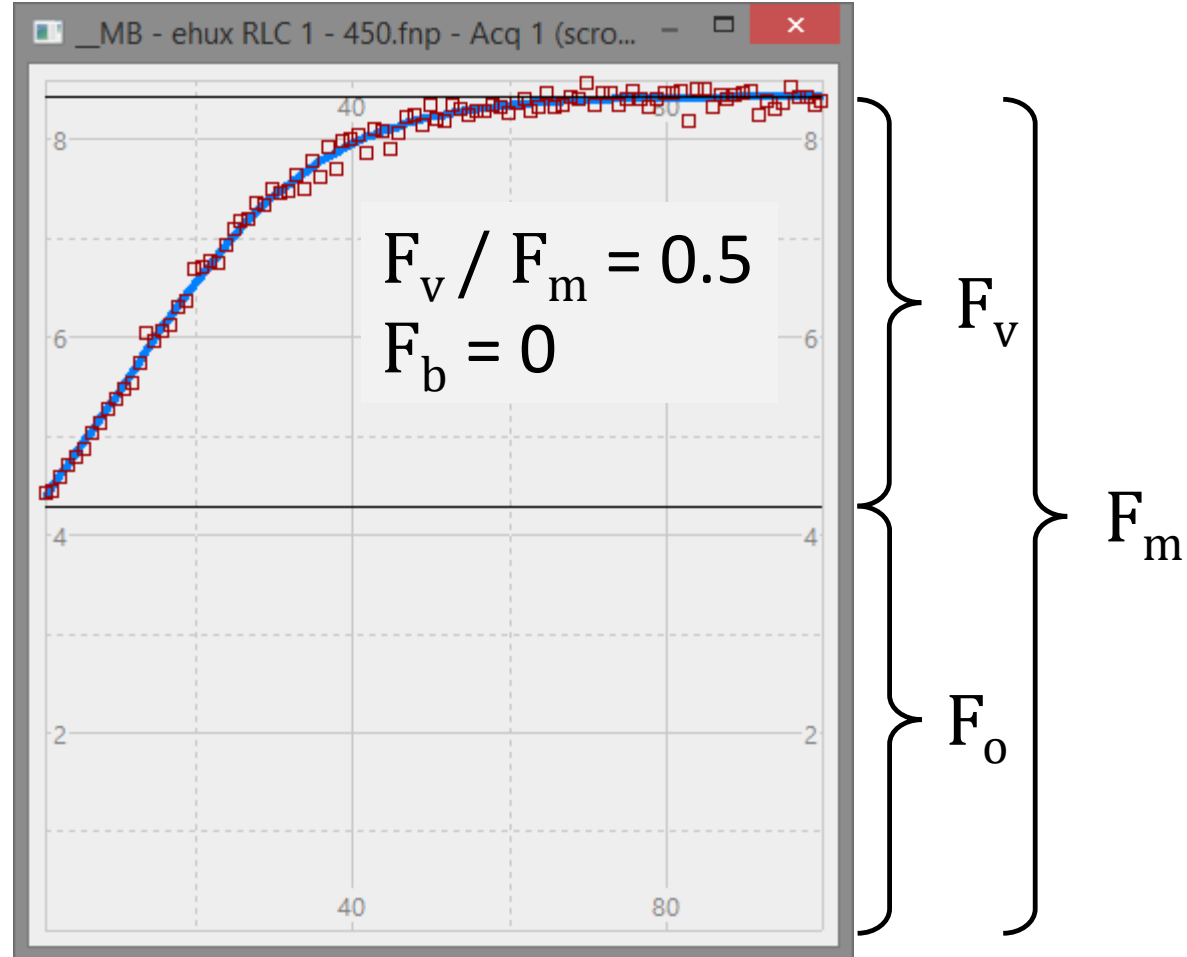
Baseline fluorescence

$$F_b = F_m - F_v / (F_v/F_m)^*$$

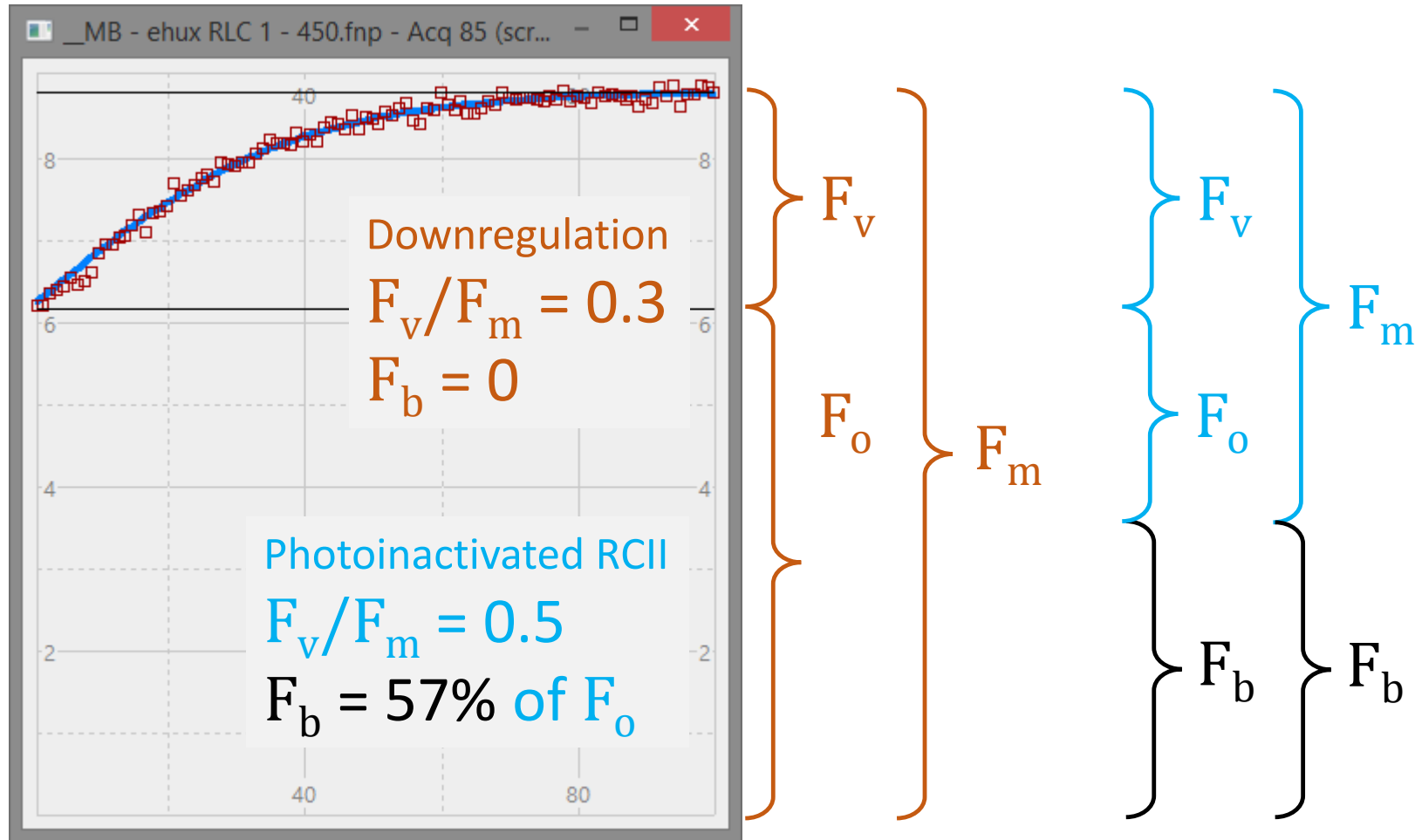
Where:

- $(F_v/F_m)^*$ is the assumed 'true' F_v/F_m from active RCII
- F_b is baseline fluorescence

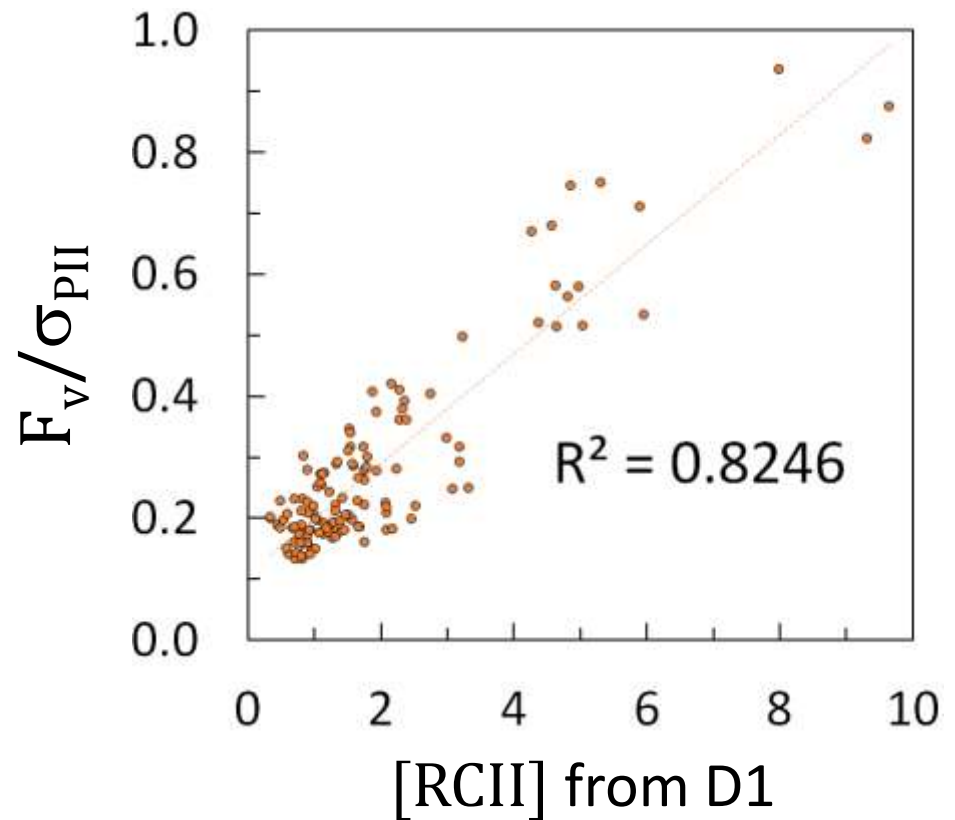
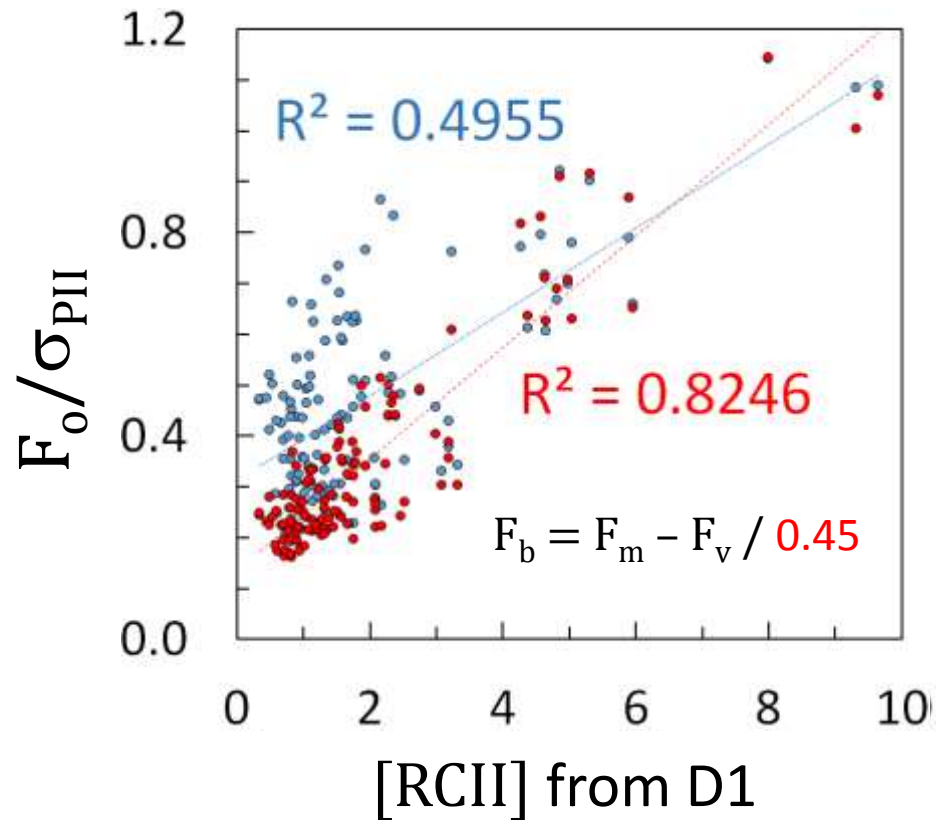
Baseline fluorescence = 0



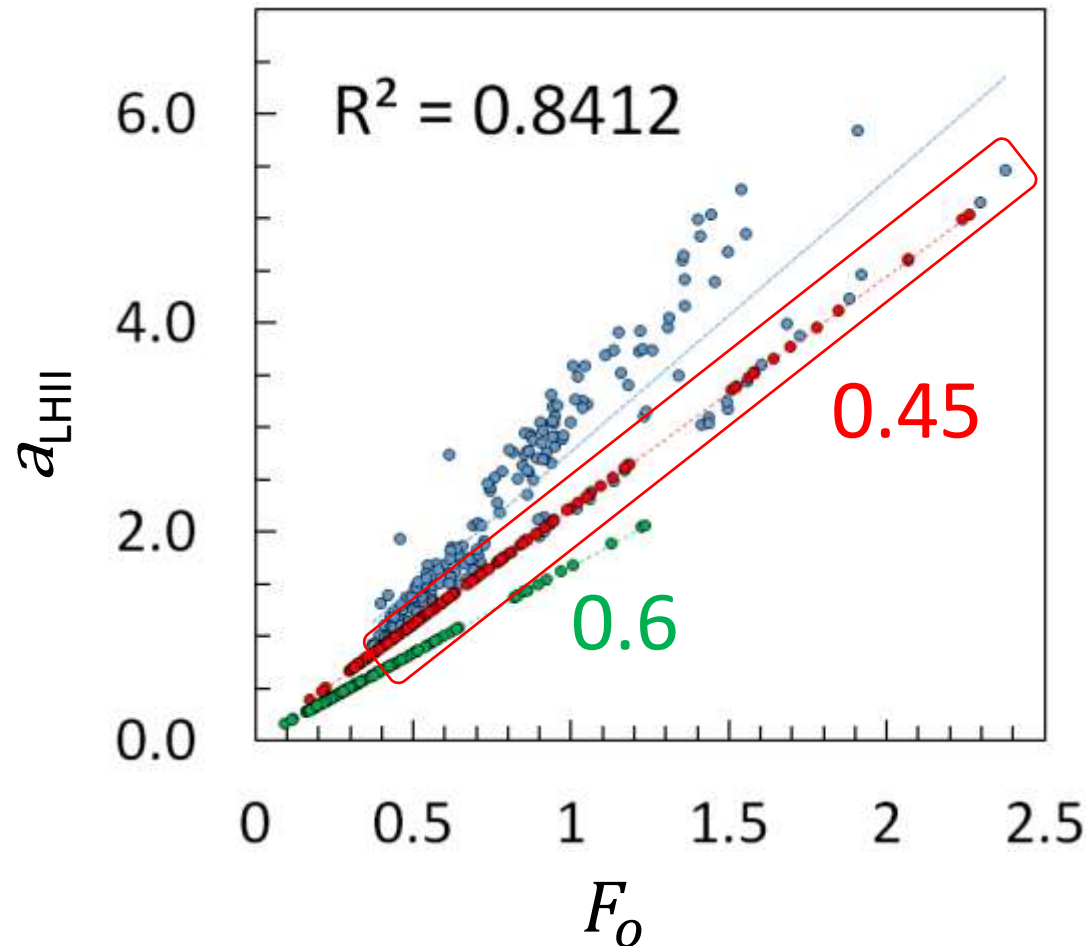
Baseline fluorescence = 0 or F_b



Fe-limited, oligotrophic conditions – natural phytoplankton population



Fe-limited, oligotrophic conditions – natural phytoplankton population



$F_v/F_m = 0.45$ gives the best fit to the +Fe points

$F_v/F_m = 0.6$ would give lower JV_{PII} values than 0.45

Summary

The absorption method:

- Can be used to estimate JV_{PII} on wide spatial and temporal scales
- Provides a much better S:N than the sigma method – particularly at high ambient photon irradiance (E)
- Baseline 'correction' of data looks to be a viable method for dealing with low F_v/F_m from dark-adapted material
 - More data are required to test this idea