# Baseball5\_TY

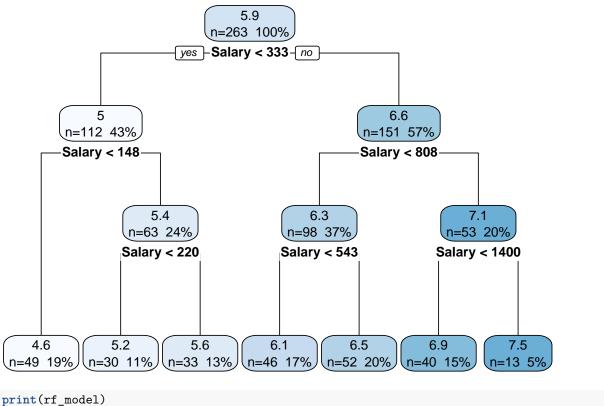
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#### Load Hitters DATA

Hitters Data Set from Kaggle: https://www.kaggle.com/datasets/floser/hitters

## **Build models**



```
##
##
  Call:
    randomForest(formula = LogSalary ~ ., data = hitters)
##
##
                  Type of random forest: regression
##
                        Number of trees: 500
##
  No. of variables tried at each split: 6
##
##
             Mean of squared residuals: 0.03549914
##
                       % Var explained: 95.49
```

#### Check Performance

```
# CART R-squared
r_squared <- 1 - (sum((hitters$LogSalary - predict(tree_model, hitters))^2) /
                   sum((hitters$LogSalary - mean(hitters$LogSalary))^2))
# Random forest R-squared
r_squared_rf <- 1 - (sum((hitters$LogSalary - predict(rf_model, hitters))^2) /
                       sum((hitters$LogSalary - mean(hitters$LogSalary))^2))
# Compare R-squared values
print(paste("Regression Tree R-squared:", r_squared))
```

## [1] "Regression Tree R-squared: 0.969783114157923"

```
print(paste("Random Forest R-squared:", r_squared_rf))

## [1] "Random Forest R-squared: 0.991052330662277"

# CART RMSE
rmse <- sqrt(mean((hitters$LogSalary - predict(tree_model, hitters))^2))

# # Random forest RMSE
rmse_rf <- sqrt(mean((hitters$LogSalary - predict(rf_model, hitters))^2))

# Compare RMSE values
print(paste("Regression Tree RMSE:", rmse))

## [1] "Regression Tree RMSE: 0.154274220152242"

print(paste("Random Forest RMSE:", rmse_rf))

## [1] "Random Forest RMSE: 0.0839505355488118"</pre>
```

## Interpretation

Lower RMSE is better: RMSE (Root Mean Squared Error) measures the average difference between the predicted values and the actual values. The random forest model had a lower RMSE indicates that the model's predictions are closer to the true values.

Improvement in R-squared: The random forest model had a higher R-squared value than the regression tree, suggesting that it explains more of the variance in LogSalary