

```
ln[1]:= (* Thermal dist. population expression *)
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```
ln[2]:= P[nbar_] := 
$$\frac{\text{nbar}^n}{(\text{nbar} + 1)^{(n+1)}}$$

```

```
ln[3]:=
```

```
(* Assume  $\Omega = 1$  and  $\eta = 0.06$  *)
```

```
 $\Omega = 1;$ 
```

```
 $\eta = 0.07;$ 
```

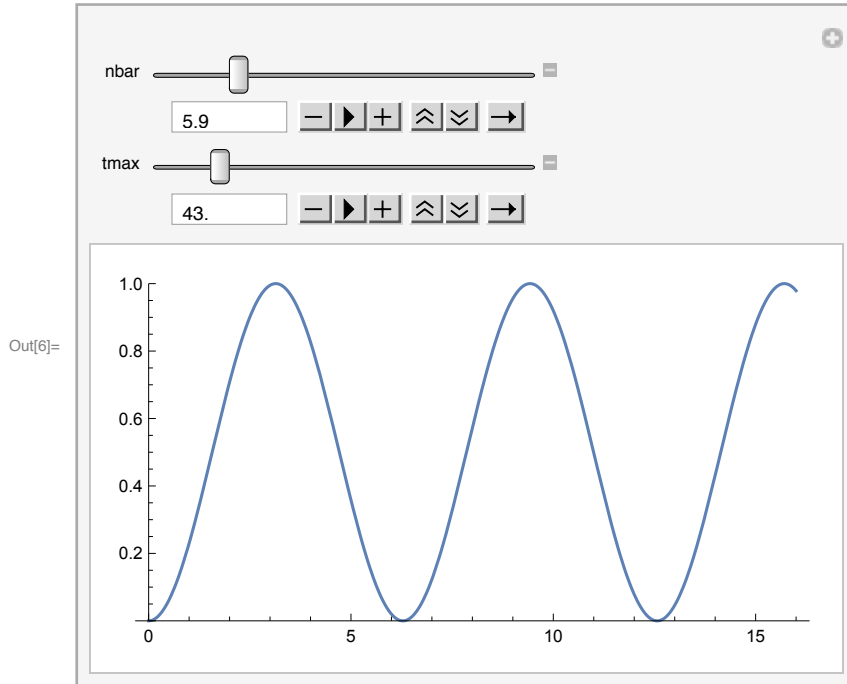
```
ln[5]:=
```

```
(* Carrier flops as function of nbar -- sum truncated at n = 500. *)
```

```

In[6]:= Manipulate[
  Plot[
    Sum[ P[nbar] * Sin[  $\frac{1}{2} \Omega (1 - \eta^2 n) t$  ]^2 , {n, 0, 500} ],
    {t, 0, tmax}, AspectRatio → 1/2, PlotRange → {0, 1}],
  {nbar, 0.01, 30}, {tmax, 1, 300} ]

```



In[7]:=

(* Red and Blue sideband flops as function of nbar *)

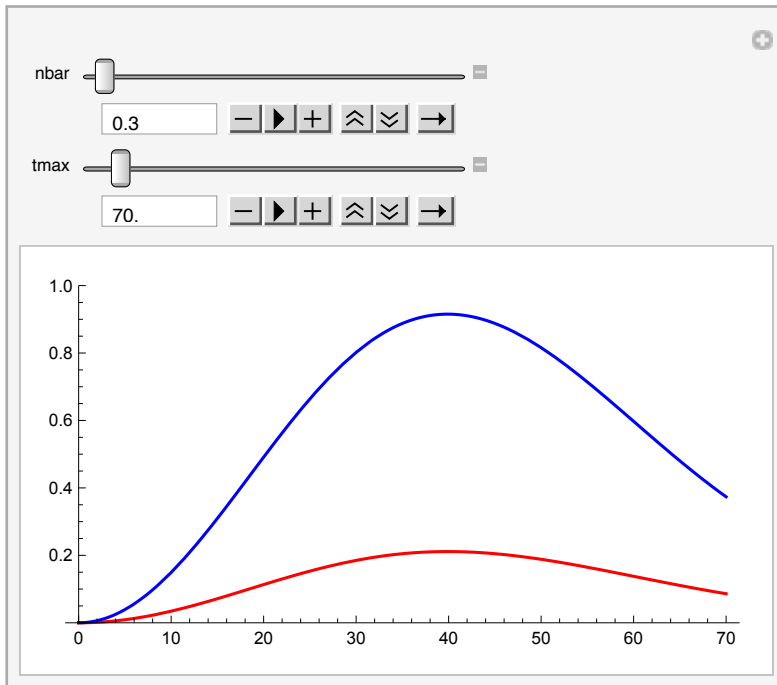
In[8]:=

```

Manipulate[
  Plot[ {
    Sum[ P[nbar] * Sin[  $\frac{1}{2} \Omega \eta \sqrt{n} t$  ]^2 , {n, 0, 500} ],
    Sum[ P[nbar] * Sin[  $\frac{1}{2} \Omega \eta \sqrt{n+1} t$  ]^2 , {n, 0, 500} ]
  },
  {t, 0, tmax}, AspectRatio -> 1/2, PlotRange -> {0, 1}, PlotStyle -> {Red, Blue}],
  {nbar, 0.01, 30}, {tmax, 1, 1200} ]

```

Out[9]=



In[10]:=

(* A look at the Fock state distribution as a function of nbar *)

```
In[11]:= Manipulate[  
  Plot[ P[nbar], {n, 0, 25} , PlotRange -> {0, 1}, AspectRatio -> 1 / 1.5],  
  {nbar, 0.01, 30}  
]
```

Out[11]=

