

# Scheduling: FIFO and SJF

CS 571: Operating Systems (Spring 2020) Lecture 4

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### **Outline**

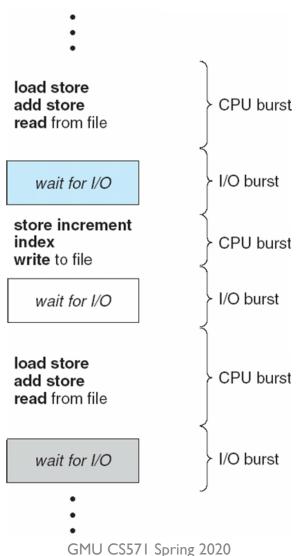
- Basic concept
- Scheduling criteria
- Scheduling algorithms
  - First In, First Out (FIFO)
  - Shortest Job First (SFJ)
  - Shortest Time-to-Completion First (STCF)
  - Round Robin (RR)
  - Priority
  - Multi-Level Feedback Queue (MLFQ)

## **Basic Concepts**

- During its lifetime, a process goes through a sequence of CPU and I/O bursts
- The CPU scheduler (a.k.a. short-term scheduler) will select one of the processes in the ready queue for execution

- The CPU scheduler algorithm may have tremendous effects on the system performance
  - Interactive systems: Responsiveness
  - Real-time systems: Not missing the deadlines

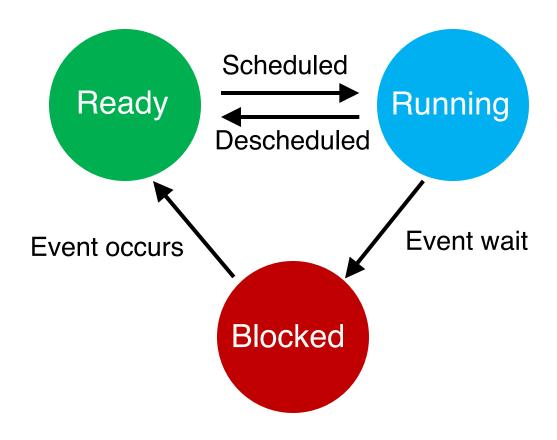
### Alternating Sequence of CPU and I/O Bursts



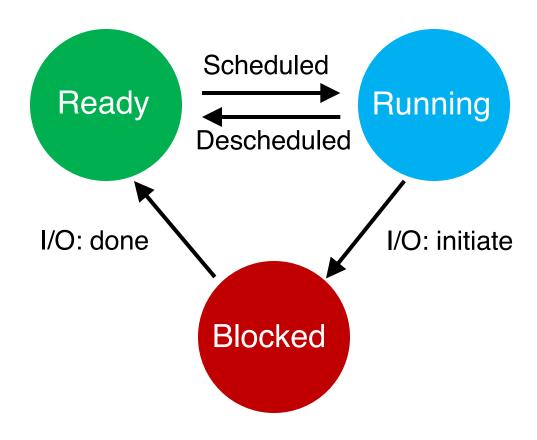
### When to Schedule?

- Under the simple process state transition model, CPU scheduler can be potentially invoked at five different points:
  - 1. When a process switches from the new state to the ready state
  - 2. When a process switches from the running state to the waiting (or blocked) state
  - 3. When a process switches from the running state to the ready state
  - 4. When a process switches from the waiting state to the ready state
  - 5. When a process terminates

### **Process State Transitions**



### **Process State Transitions**



## Dispatcher

- Dispatcher module gives control of the CPU to the process selected by the short-term scheduler; this involves:
  - switching context
  - switching to user mode
  - jumping to the proper (previously saved) location in the user program to restart that program
- Scheduler → Policy: When and how to schedule
- Dispatcher 

  Mechanism: Actuator following the commands of the scheduler

# **Scheduling Metrics**

- To compare the performance of scheduling algorithms
  - CPU utilization percentage of time CPU is busy executing jobs
  - Throughput # of processes that complete their execution per time unit
  - Turnaround time amount of time to execute a particular process
  - Waiting time amount of time a process has been waiting in the ready queue
  - Response time amount of time it takes from when a request was submitted until the first response is produced, not the complete output

# **Optimization Goals**

#### To maximize:

- Maximize the CPU utilization
- Maximize the throughput

#### • To minimize:

- Minimize the (average) turnaround time
- Minimize the (average) waiting time
- o Minimize the (average) response time

# **Waiting Time**

Waiting time definition

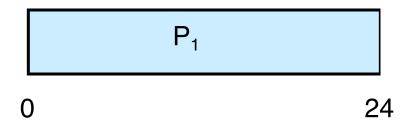
$$T_{waiting} = T_{start} - T_{arrival}$$

• Average waiting time =  $Sum(T_{waiting})$ / #processes

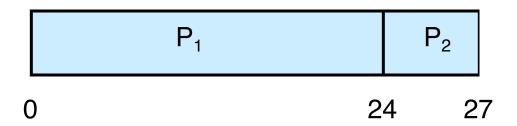
- For now, we assume
  - Average waiting time is the performance measure
  - •Only one CPU burst (e.g., in milliseconds or ms) per process
  - •Only CPU, No I/O
  - •All processes arrive at the same time
  - Once started, each process runs to completion

# First In, First Out (FIFO)

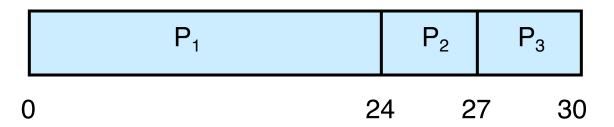
$$\frac{\text{Process}}{P_1} \quad \frac{\text{Burst Time}}{24}$$



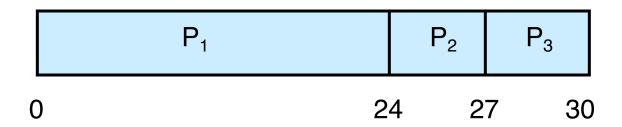
<u>Process</u>	Burst Time
$P_1$	24
$P_2$	3



<u>Process</u>	Burst Time
$P_1$	24
$P_2$	3
$P_3$	3

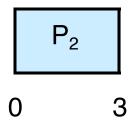


<b>Process</b>	<b>Burst Time</b>
$P_1$	24
$P_2$	3
$P_3$	3

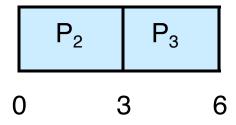


- Waiting time for  $P_1 = 0$ ;  $P_2 = 24$ ;  $P_3 = 27$
- Average waiting time: 17

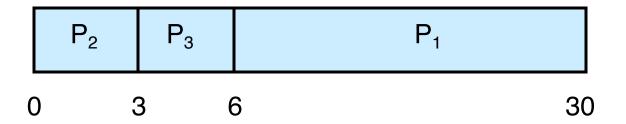
- Suppose that the processes arrive in order  $P_2$ ,  $P_3$ ,  $P_1$
- The Gantt chart for the schedule:



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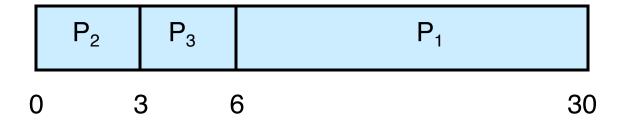


- Suppose that the processes arrive in order  $P_2$ ,  $P_3$ ,  $P_1$
- The Gantt chart for the schedule:



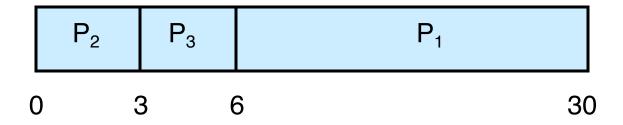
• Suppose that the processes arrive in order  $P_2$ ,  $P_3$ ,  $P_1$ 

The Gantt chart for the schedule:



- Waiting time for  $P_1 = 6$ ;  $P_2 = 0$ ;  $P_3 = 3$
- Average waiting time: (6 + 0 + 3)/3 = 3

- Suppose that the processes arrive in order  $P_2$ ,  $P_3$ ,  $P_1$
- The Gantt chart for the schedule:



- Waiting time for  $P_1 = 6$ ;  $P_2 = 0$ ;  $P_3 = 3$
- Average waiting time: (6 + 0 + 3)/3 = 3
- Problems:
  - Convoy effect (short processes behind long processes)
  - Non-preemptive: Not suitable for time-sharing systems

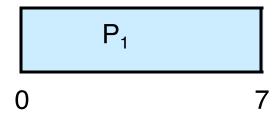
# **Shortest Job First (SJF)**

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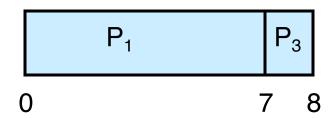
- Associate with each process the length of its next CPU burst
- The CPU is assigned to the process with the smallest (next) CPU burst (run\_time)

- Two schemes (modes):
  - Non-preemptive
  - Preemptive: Also known as the Shortest Time-to-Completion First (STCF)

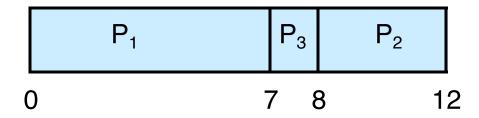
<u>Process</u>	<u> Arrival Time</u>	<b>Burst Time</b>
$P_1$	0.0	7
$P_2$	2.0	4
$P_3$	4.0	1
$P_{\scriptscriptstyle A}$	5.0	4



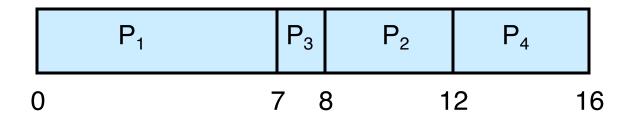
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$P_{\scriptscriptstyle \mathcal{A}}$	5.0	4

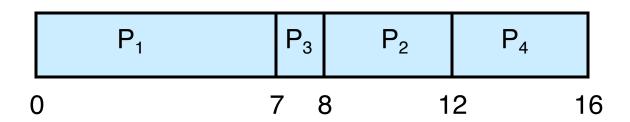


<u>Process</u>	<u> Arrival Time</u>	<b>Burst Time</b>
$P_1$	0.0	7
$P_2$	2.0	4
$P_3$	4.0	1
$P_{\scriptscriptstyle 4}$	5.0	4



<u>Process</u>	<u> Arrival Time</u>	<b>Burst Time</b>
$P_1$	0.0	7
$P_2$	2.0	4
$P_3$	4.0	1
$P_{\scriptscriptstyle 4}$	5.0	4

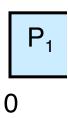
• SJF (non-preemptive)



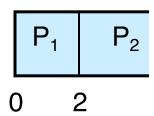
• Average waiting time = (0 + 6 + 3 + 7)/4 = 4

 $\frac{\text{Process}}{P_1} \quad \frac{\text{Arrival Time Burst Time Left Time}}{7}$ 

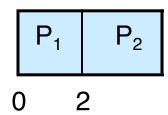
<u>Process</u>	<u> Arrival Tin</u>	<u>ne</u> <u>Burst Time</u>	Left Time
$P_1$	0.0	7	5
$P_2$	2.0	4	



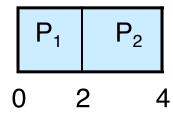
<u>Process</u>	<u> Arrival Tim</u>	Left Time	
$P_{1}$	0.0	7	5
$P_{2}$	2.0	4	4



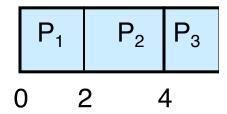
<u>Process</u>	<u> Arrival Tim</u>	<u>ne</u> <u>Burst Time</u>	Left Time
$P_1$	0.0	7	5
$P_2$	2.0	4	4
$P_3$	4.0	1	1



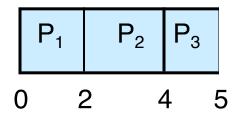
<u>Process</u>	<b>Arrival Time</b> Burst Time		Left Time
$P_1$	0.0	7	5
$P_2$	2.0	4	2
$P_3$	4.0	1	1



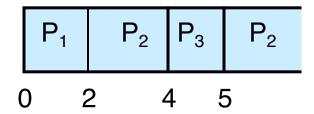
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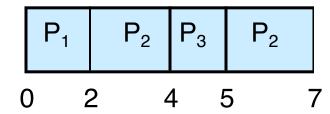
<u>Process</u>	<u> Arrival Tim</u>	<u>ne Burst Time</u>	Left Time
$P_1$	0.0	7	5
$P_2$	2.0	4	2
$P_3^-$	4.0	1	0
$P_{A}$	5.0	4	4



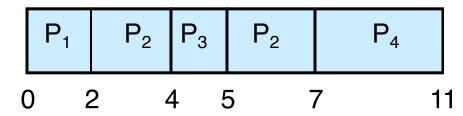
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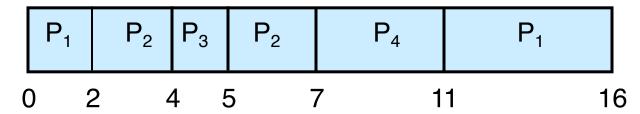
<u>Process</u>	<u> Arrival Tim</u>	Left Time	
$P_{1}$	0.0	7	5
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$P_{\lambda}$	5.0	4	4



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$P_{A}$	5.0	4	0

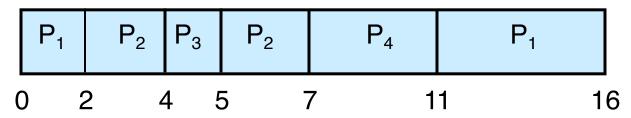


<u>Process</u>	<u> Arrival Tim</u>	<u>ie Burst Time</u>	Left Time
$P_{\scriptscriptstyle 1}$	0.0	7	0
$P_2$	2.0	4	0
$P_3^-$	4.0	1	0
$P_{\scriptscriptstyle A}$	5.0	4	0



<u>Process</u>	<u> Arrival Tim</u>	<u>ie Burst Time</u>	Left Time
$P_1$	0.0	7	0
$P_2$	2.0	4	0
$P_3$	4.0	1	0
$P_{\scriptscriptstyle A}$	5.0	4	0

• SJF (preemptive)



• Average waiting time = (9 + 1 + 0 + 2)/4 = 3