## Approach

Find a weight for Jaccard similarity (see baseline.ipynb) and recipe popularity percentile (see baselines.ipy), and calculate the weighed average.

If the weighed average >= a value we set (here we use 0.5), the user\_id and recipe\_id combination is predicted to be actually have happened.

## **Baseline**

An alternate baseline than the one provided might make use of the Jaccard similarity (or another similarity metric). Given a pair (u,g) in the validation set, consider all training items g'that user u has cooked. For each, compute the Jaccard similarity between g and g', i.e., users (in the training set) who have made g and users who have made g'. Predict as 'made' if the maximum of these Jaccard similarities exceeds a threshold.

There are 500,000 entries in the csv file, we use 2% of them (10,000 entries) as the validation dataset, and generate another 10,000 random combination of user\_id and recipe\_id and add them to the validation set.

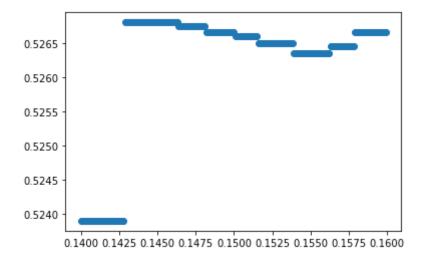
## The goal

Determine an optimal threshold for the Jaccard similarity for this binary classification problem.

```
In [ ]: from typing import Literal
        ResultType = Literal[0, 1]
        import matplotlib.pyplot as plt
        from sklearn.model selection import train test split
        import numpy as np
        from numpy import genfromtxt
        my data = genfromtxt('trainInteractions.csv', delimiter=',', dtype=int, skip he
        d = my data
        # drop the last 2 columns of d
        d = d[:,:-2]
        y = np.ones((500 000, 1), dtype=int)
        X train, X test, y train, y test = train test split(d,
                                                             test size=0.02,
                                                             random state=42)
        [x.shape for x in (X_train, X_test, y_train, y_test)]
Out[]: [(490000, 2), (10000, 2), (490000, 1), (10000, 1)]
In [ ]: from collections import defaultdict
        user cooked set train = defaultdict(set)
        recipe to users train = defaultdict(set)
```

```
for u, r in X_train:
                user_cooked_set_train[u].add(r)
                recipe_to_users_train[r].add(u)
In [ ]: def jaccard(a: set, b: set) -> float:
                return len(a.intersection(b)) / len(a.union(b))
        def jaccard_sim_max(user_id: int, recipe_id: int) -> float:
            recipes_cooked_by_user_id = user_cooked_set_train[user_id]
            users that used recipe id = recipe to users train[recipe id]
            return max((jaccard(users_that_used_recipe_id, recipe_to_users_train[r])
                         for r in recipes_cooked_by_user_id),
                       default=.0)
        def gen_random_validation_set(
                X_train: np.ndarray,
                user_cooked_set_train: dict[int,
                                            set]) -> tuple[int, int]: # type: ignore
            # already done = True
            while 1:
                # choose a random user from the first column in X_train
                user_id = np.random.choice(X_train[:, 0])
                recipe id = np.random.choice(X train[:, 1])
                if recipe_id not in user_cooked_set_train[user_id]:
                    # already done = False
                    return user_id, recipe_id
        def max sim to result(max sim: float, threshold: float, expected: ResultType)
                if max sim >= threshold:
                        result = 1
                else:
                        result = 0
                return result == expected
In [ ]: random list: list[tuple[int, int]] = [
            gen_random_validation_set(X_train, user_cooked_set_train)
            for _ in range(X_test.shape[0])
        X random = np.array(random list)
        # X random.shape
        X_test_and_random = np.vstack((X_test, X_random))
        # X test and random.shape
        Y random = np.array([[0] for in range(X random.shape[0])])
        # Y random.shape, y test.shape
        y test and random = np.vstack((y test, Y random))
        # y test and random.shape
        y_test_and_random.reshape((y_test_and_random.shape[0],))
        # y test and random.shape
        y_test_and_random[(X_random.shape[0] - 2):(X_random.shape[0] + 2), :]
        y test and random.resize((y test and random.shape[0],))
        y test and random.shape
Out[]: (20000,)
In []; jaccard max sims = [jaccard sim max(u, r) for u, r in X test and random]
```

```
len(jaccard_max_sims)
In [ ]:
         20000
Out[]:
In [ ]:
         def plot_accuracies(start, stop, step):
                 accuracies: list[tuple[float, float]] = []
                 for threshold in np.arange(start, stop, step):
                          predictions_binary = [max_sim_to_result(x, threshold, y_test_ar
                          accuracy = sum(predictions_binary) / len(predictions_binary)
                          accuracies.append((threshold, accuracy))
                 plt.scatter(*zip(*accuracies)) # type: ignore
                 plt.show()
In [ ]: plot_accuracies(0.0, 1.0, 0.01)
         0.52
         0.51
         0.50
         0.49
         0.48
              0.0
                       0.2
                               0.4
                                        0.6
                                                0.8
                                                         1.0
In [ ]: plot_accuracies(0.1, 0.25, 0.001)
         0.526
         0.524
         0.522
         0.520
         0.518
                                                 0.22
              0.10
                    0.12
                          0.14
                               0.16
                                     0.18
                                           0.20
In [ ]: plot_accuracies(0.14, 0.16, 0.0001)
```



## Result

Here we choose the optimal threshold for Jaccard similarity as 0.1430.