

# Translucent Mode Transport

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## 1 Dimensioning using ILP

- Table Variables
- Objective Function

# Table Variables

Description of notation used in the objective function	
$i$	index for start node of a physical link
$j$	index for end node of a physical link
$o$	index for node that is origin of a demand
$d$	index for node that is destination of a demand
$(i,j)$	physical link between the nodes $i$ and $j$
$(o,d)$	demand between the nodes $o$ and $d$
$c$	Client traffic Type ( 1 to 5 )
$L_{ij}^{od}$	Number of ODU-o low speed signals from node $o$ to node $d$ employing lightpath $(i,j)$
$f_{ij}^{od}$	Number of 100 Gbit/s optical channels (number of flows) between the link $i$ and $j$ for all demand pairs between $o$ and $d$
$W_{od}$	Number of lightpath channels between the nodes $o$ and $d$
$B$	Client signals granularities (1.25, 2.5, 10, 40, 100)
$D_{od}$	Client traffic demands between the nodes $o$ and $d$
$G$	Network topology in form of adjacency matrix
$BD$	Bandwidth

# Objective Function

*minimize*

$$\sum_{(o,d)} W_{od} \quad (1)$$

*subject to*

$$\sum_{jn\{o\}} L_{ij}^{od} = D_{odc} \quad \forall(o, d) : o < d \quad (2)$$

$$\sum_{jn\{o\}} L_{ji}^{od} = \sum_{jn\{d\}} L_{ji}^{od} \quad \forall(o, d) : o < d, \forall i : i \neq o, d \quad (3)$$

$$\sum_{jn\{d\}} L_{ij}^{od} = D_{odc} \quad \forall(o, d) : o < d \quad (4)$$

$$\sum_{(o,d):o<d} \left( B(c) \times L_{ij}^{od} \right) \leq \sum BD \times W_{ij} \quad \forall(i, j) \quad (5)$$

# Objective Function

$$L_{ij}^{od} \geq 0;$$

$$\forall(i, j), \forall(o, d) : o < d \quad (6)$$

$$\sum_{jn\{o\}} f_{ji}^{od} = W_{od}$$

$$\forall(o, d) : o < d \quad (7)$$

$$\sum_{jn\{o\}} f_{ji}^{od} = \sum_{jn\{d\}} f_{ji}^{od}$$

$$\forall(o, d) : o < d, \forall i : i \neq o, d \quad (8)$$

$$\sum_{jn\{d\}} f_{ji}^{od} = W_{od}$$

$$\forall(o, d) : o < d \quad (9)$$

$$\sum_{(o,d):o<d} (f_{ij}^{od} + f_{ji}^{od}) \leq 80 G_{ij}$$

$$\forall(i, j) : i < j \quad (10)$$

$$f_{ij}^{od} \geq 0$$

$$\forall(i, j) \forall(o, d) \quad (11)$$