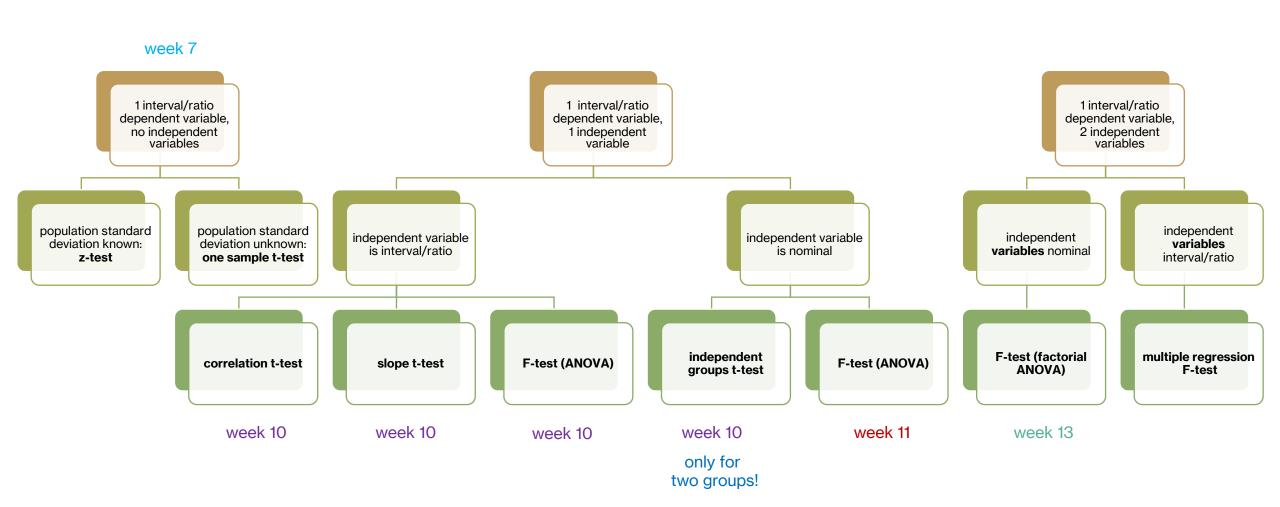


DATA ANALYSIS

Hypothesis tests collection

overall framework (all between-subject designs so far)



z-test

one DV, no IV
population standard
deviation known

step 1: state the hypotheses step 2: set criteria for decision step 3: collect data step 4: make a decision!

$$H_0$$
: $\mu=80$
 H_1 : $\mu\neq80$
compute μ and $\sigma_M=\frac{\sigma}{\sqrt{n}}$
for sampling distribution under H_0

$$\alpha = .05$$
 find $z_{critical}$ based on one vs. two tailed test

(1) compute
$$z_{observed} = \frac{M - \mu}{\sigma_M}$$

(2) find p-value for z-score

one sample t-test

one DV, no IV population standard deviation **unknown**

step 1: state the hypotheses step 2: set criteria for decision step 3: collect data step 4: make a decision!

 $H_0: \mu = 80$ $H_1: \mu \neq 80$ compute μ for sampling distribution of means under H_0

$$\alpha = .05$$

find $t_{critical}$ based on
one vs. two tailed
test and degrees of
freedom = $n-1$

- (1) compute sample standard deviation (s)
- (2) compute $s_M = \frac{s}{\sqrt{n}}$
- (3) compute $t_{observed} = \frac{M \mu}{S_M}$
- (4) find p-value for t-score

correlation t-test

one DV, one IV interval/ratio IV

step 1: state the hypotheses step 2: set criteria for decision

step 3: collect data step 4: make a decision!

 $H_0: \rho = 0$ $H_1: \rho \neq 0$ compute μ for sampling distribution of correlations under H_0

$$\alpha = .05$$

find $t_{critical}$ based on
one vs. two tailed
test and degrees of
freedom = $n-2$

- (1) compute correlation r
- (2) compute $SE_r = \sqrt{\frac{1-r^2}{n-2}}$
- (3) compute $t_{observed} = \frac{r \rho}{SE_r}$
- (4) find p-value for t-score

slope t-test

one DV, one IV interval/ratio IV

step 1: state the hypotheses step 2: set criteria for decision step 3: collect data step 4: make a decision!

 $H_0: \beta = 0$ $H_1: \beta \neq 0$ compute μ for sampling distribution of slopes under H_0

$$lpha = .05$$
 find $t_{critical}$ based on one vs. two tailed test and degrees of freedom = $n-2$

- (1) compute correlation r
- (2) compute $b = r \frac{s_y}{s_x}$
- (3) compute $SE_b = SE_r \frac{s_y}{s_x}$
- (2) compute $t_{observed} = \frac{b \beta}{SE_b}$
- (3) find p-value for t-score

linear regression: F-test

one DV, one IV interval/ratio IV

step 1: state the hypotheses step 2: set criteria for decision

step 3: collect data step 4: make a decision!

```
H_0: \beta = 0
H_1: \beta \neq 0
```

```
lpha=.05 find F_{critical} based on right tailed test and degrees of freedom df_1=k-1 df_2=n-k k=2 for simple linear regression
```

```
(1) compute correlation r

(2) compute b = r \frac{s_y}{s_x}

(3) compute a = M_y - bM_x

(4) compute \hat{Y} = a + bX

(5) compute SS_{total} = \sum (Y - M_y)^2

(6) compute SS_{error} = \sum (Y - \hat{Y})^2

(7) compute SS_{model} = SS_{total} - SS_{error}

(8) compute F_{observed} = \frac{MS_{model}}{MS_{error}}
```

(9) find p-value for F-score

check whether $F_{observed}$ is beyond $F_{critical}$ and p-value < .05. if so, reject null hypothesis!

sheets solution video tutorial

two independent groups t-test

one DV, one IV
nominal IV with
ONLY TWO levels

step 1: state the hypotheses step 2: set criteria for decision

step 3: collect data step 4: make a decision!

$$H_0$$
: $\beta = 0$ or $\mu_2 - \mu_1 = 0$

$$H_1$$
: $\beta \neq 0$ or $\mu_2 - \mu_1 \neq 0$

$$\alpha = .05$$

find $t_{critical}$ based on
one vs. two tailed
test and degrees of
freedom
 $df = n_1 + n_2 - 2$

(1) compute
$$s_p^2 = \frac{SS_1 + SS_2}{df_1 + df_2}$$

(2) compute
$$s_{M2-M1} = \sqrt{\frac{s_p^2}{n_1} + \frac{s_p^2}{n_2}}$$

(3) compute
$$b = M_2 - M_1$$

(4) compute
$$t_{observed} = \frac{b - \beta}{s_{M2-M1}}$$

two independent groups F-test

one DV, one IV
nominal IV with
ONLY TWO levels

step 1: state the hypotheses step 2: set criteria for decision

step 3: collect data step 4: make a decision!

$$H_0: \mu_2 - \mu_1 = 0$$

 $H_1: \mu_2 - \mu_1 \neq 0$

$$lpha=.05$$
 find $F_{critical}$ based on right tailed test and degrees of freedom $df_1=k-1$ $df_2=n-k$ $k=2$ for IV with only two levels

- (1) compute grand mean M_Y
- (2) compute $SS_{total} = \sum (Y M_Y)^2$
- (3) compute $SS_{error} = \sum (Y M_{group})^2$
- (4) compute $SS_{model} = SS_{total} SS_{error}$

(2) compute
$$F_{observed} = \frac{MS_{model}}{MS_{error}} = \frac{SS_{model}/df_{model}}{SS_{error}/df_{error}}$$

(3) find p-value for F-score

one-way ANOVA / F-test

one DV, one IV
nominal IV with ANY
number of levels

step 1: state the hypotheses step 2: set criteria for decision

step 3: collect data step 4: make a decision!

 H_0 : $\mu_1 = \mu_2 = \dots = \mu_n$ H_1 : at least one mean difference

```
lpha=.05 find F_{critical} based on <u>right</u> tailed test and degrees of freedom df_1=k-1 df_2=n-k k=2 for IV with only two levels
```

- (1) compute grand mean M_Y
- (2) compute $SS_{total} = \sum (Y M_Y)^2$
- (3) compute $SS_{error} = \sum (Y M_{group})^2$
- (4) compute $SS_{model} = SS_{total} SS_{error}$

(2) compute
$$F_{observed} = \frac{MS_{model}}{MS_{error}} = \frac{SS_{model}/df_{model}}{SS_{error}/df_{error}}$$

(3) find p-value for F-score