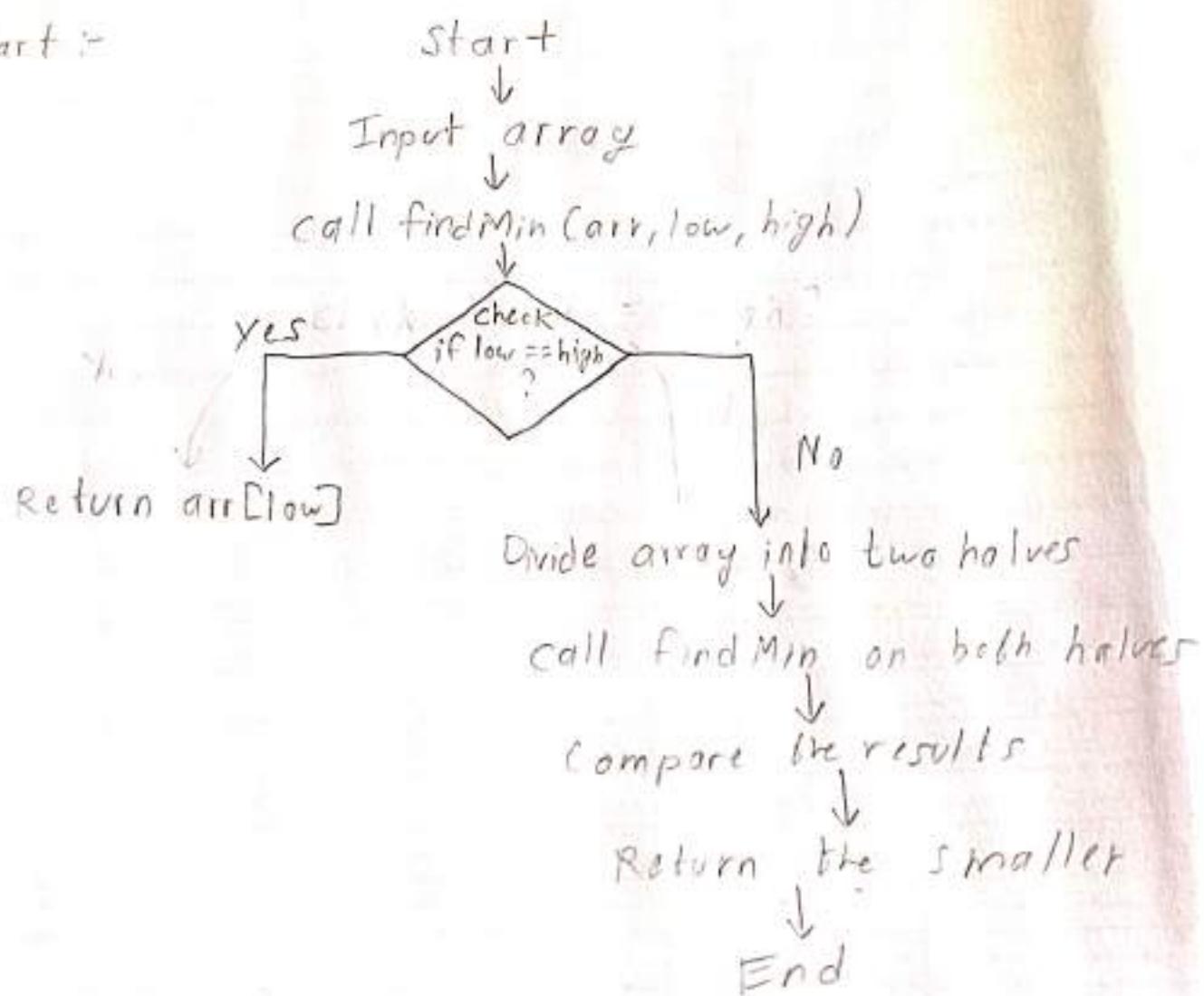


### Practical No 1

Aim - Write a program to implement the concept of divide and conquer strategy.

Flowchart :-



Output :- Minimum value in the array is :



## Practical No 1

Aim:- Write a program to implement the concept of Divide and conquer strategy

### Theory:

#### Divide and conquer

Both merge sort and quicksort employ a common algorithmic paradigm based on recursion. This paradigm, divide and conquer, breaks a problem into subproblems that are similar to the original problem, recursively solves the subproblems, and finally combines the solutions to the subproblems to solve the original problem.

Because divide-and-conquer solves subproblems recursively, each subproblem must be smaller than the original problem, and there must be a base case for subproblems. You should think of a divide-and-conquer algorithm as having three-parts:

- 1) Divide the problem into a number of subproblems that are smaller instances of the same problem.
- 2) Conquer the subproblems by solving them recursively. If they are small enough, solve the subproblems to as base cases.
- 3) Combine the solutions to the subproblems into the solution for the original problem.

## Program

```
#include <stdio.h>
```

```
#define size 100
```

```
int min1, max2;
```

```
Void div-con (int *list, int n, int *min, int *max)
```

{

```
    int mid, min2, max2;
```

```
    if (n == 1)
```

{

```
        *min = *max = list[0];
```

}

```
    else if (n == 2)
```

{

```
        if (list[0] < list[1])
```

{

```
            *min = list[0];
```

```
            *max = list[1];
```

}

```
        else if (list[0] > list[1])
```

{

```
            *min = list[1];
```

```
            *max = list[0];
```

}

```
    else
```

{

```
        mid = n / 2;
```

```
        div-con (list, mid, min1, max1),
```

page No. \_\_\_\_\_



```
div-con (list + mid, n - mid, &min2, &max1),  
if (min2 < *min) *min = min2;  
if (max2 > *max) *max = max2;  
}
```

```
}  
int main ()  
{
```

```
    int i; list [size], number;  
    int min, max;
```

```
    printf ("\\n Input the number of elements  
           in the list : ");  
    scanf ("%d", &number);
```

```
    printf ("\\n Input the list elements: \\n");  
    for (i = 0; i < number; i++)  
        scanf ("%d", &list [i]);
```

```
    div-con (list, number, &min, &max);
```

```
    printf ("\\n Minimum element is : %d", min);  
    printf ("\\n Maximum element is : %d", max);
```

```
    return 0;
```

```
}
```



## Algorithm

Step1: Start

Step2: Input the number of elements ('n') in the list.

Step3: Input the list elements.

Step4: Call the 'div-con' function with the list, 'n', and pointers to 'min' and 'max'.

- Function 'div-con':

1) Base Case :

- If ' $n = 1$ ', set ' $\text{min} = \text{max} = \text{list}[0]$ '.
- If ' $n = 2$ ', compare two elements:
  - If ' $\text{list}[0] < \text{list}[1]$ ', set ' $\text{min} = \text{list}[0]$ ' and ' $\text{max} = \text{list}[1]$ '.
  - Else, set ' $\text{min} = \text{list}[1]$ ' and ' $\text{max} = \text{list}[0]$ '.

2) Divide

- If ' $n > 2$ ', find the middle index ' $\text{mid} = n/2$ '

3) Conquer :

- Recursively apply 'div-con' to the left half ' $\text{list}[0.. \text{mid}-1]$ ' and the right half ' $\text{list}[\text{mid..n-1}]$ '.

4) Combine:

- Set ' $\text{min}$ ' to the minimum of ' $\text{min}$ ' and ' $\text{min}_2$ ' (from right half).



→ Set 'max' to the maximum of 'max' and  
'max<sup>2</sup>' (From right half).

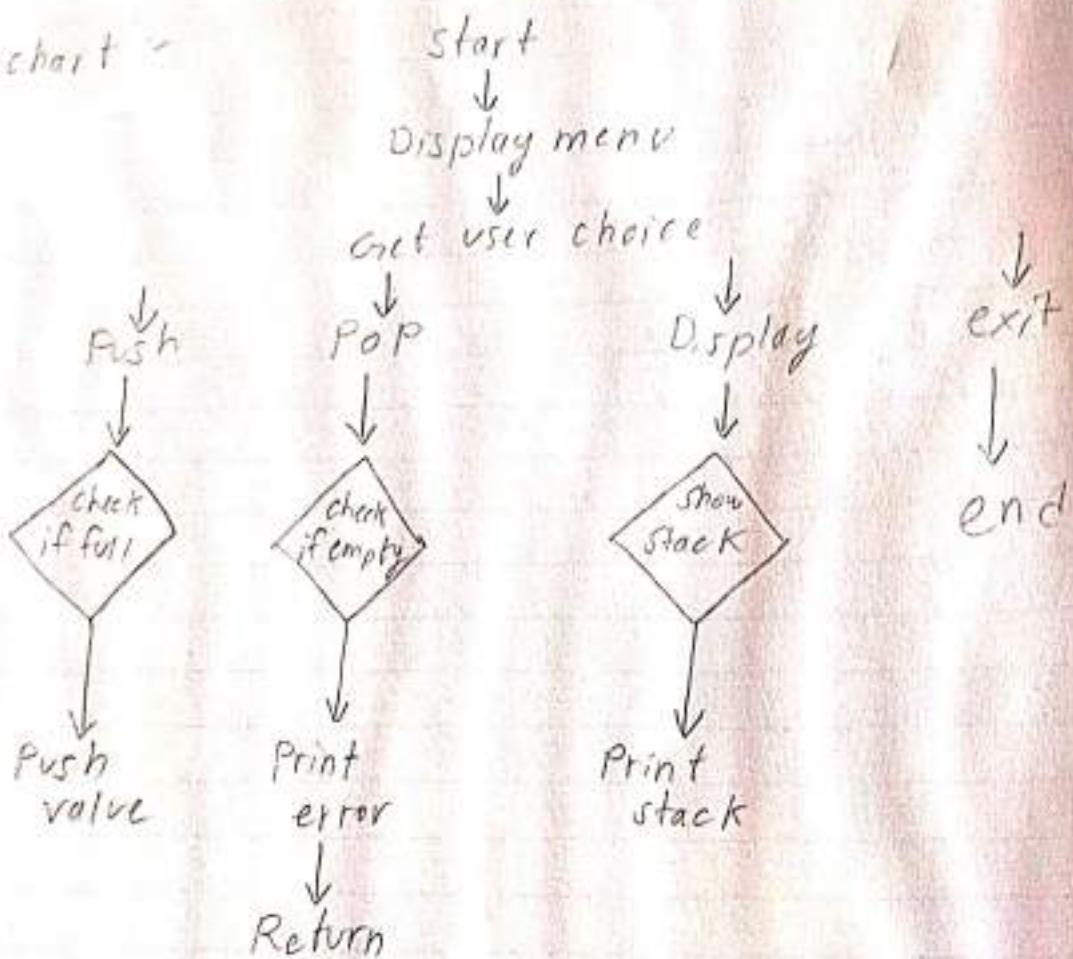
Step :- Output the 'min' and 'max' values.

Step :- End.

# Result :- We have executed the program  
successfully.

Aim - Write a program to implement stack using an array.

Flowchart -



Output:-

- 1) Push
- 2) POP
- 3) Display
- 4) exit

Enter your choice: 1

Enter value to push = 10  
10 pushed onto stack.



## Practical No 2

Aim :- Write a program to implement stack using an array.

Theory :- Stack is an abstract data type with a bounded (predefined) capacity. It is a simple data structure that allows adding and removing elements in a particular order. Every time an element is added, it goes on the top of the stack, the only element that can be removed is the element that was at the top of the stack, just like a pile of objects.

Algorithm :-

Step 1:- Initialize 'top = -1'

Display menu:

- ) "1. push", "2. pop", "3. Display", "0. Quit".

Input choice from the user.

Switch choice :

• case 1:

•) check if ' $\text{top} < \text{SIZE} - 1$ '

•) If true, increment ' $\text{top}$ ' and set ' $\text{stack}[\text{top}] = \text{data}$ '

•) Else, display "stack overflow".

•) Case 2:

- ) check if ' $\text{top} >= 0$ '
- ) If true, display ' $\text{stack}[\text{top}]$ ' and decrement ' $\text{top}$ '.
- ) Else, display "stack underflow"

•) Case 3:

- ) check if ' $\text{top} >= 0$ '
- ) If true, display elements from ' $\text{stack}[\text{top}]$ ' to ' $\text{stack}[0]$ '.
- ) Else, display "stack is empty"

•) Case 0: Exit the program

Step 5: Repeat until the user selects "0" to quit.



## # Program

```
# include < stdio.h>
# define SIZE 10
```

```
int top = -1;
int stack [SIZE];
```

```
Void push (int data)
```

```
{ if (top >= SIZE - 1)
```

```
{ printf ("In stack overflow");
```

```
else
```

```
{
```

```
stack [top] = data;
```

```
printf ("In pushed %d into the stack",
       data);
```

```
}
```

```
}
```

```
Void pop ()
```

```
{
```

```
if (top < 0)
```

```
{
```

```
printf ("In stack Underflow");
```

```
}
```

```
else {
```

```
printf ("In popped %d from the stack",
       stack [top - 1]);
```

```
}
```

```
}
```



Case 2 :

```
pop C / ;  
break ;
```

Case 3 :

```
display C / ;  
break ;
```

case 0 ;

```
return 0 ;
```

default :

```
printf("Invalid choice");
```

}

}

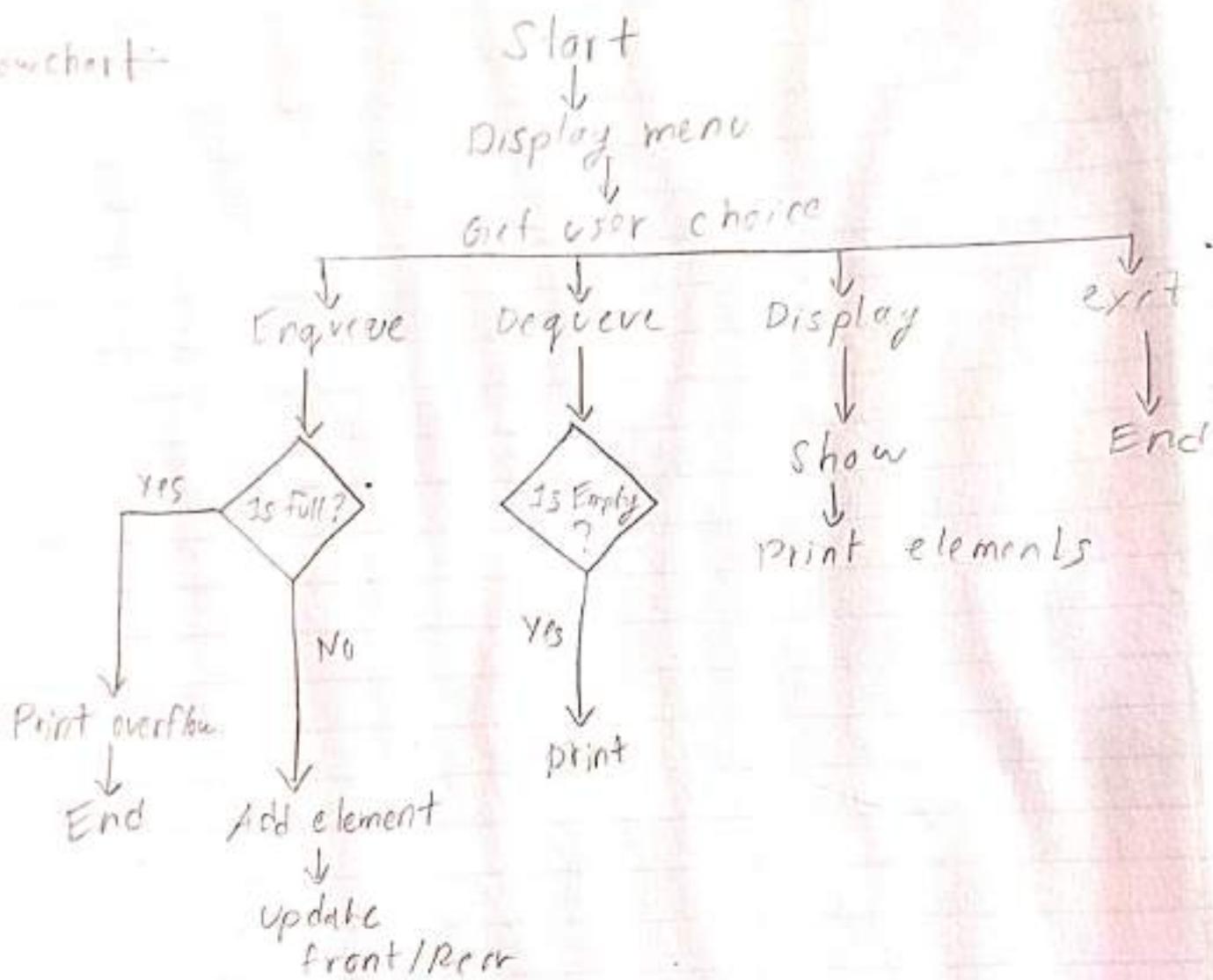
}

Result:- We have executed the program successfully.

## Practical 10

Ques - Write a program to implement Queue using an array

Flowchart:-



Output:-

- 1) Enqueue
- 2) Dequeue
- 3) Display
- 4) Exit

Enter your choice: 4



### Practical no. 3

**Aim :-** Write a program to implement Queue using an Array.

**Theory :-** Queue is also an abstract data type or a linear data structure, in which the first element is inserted from one end called REAR (also called tail), and the deletion of existing element takes place from the other end called as FRONT (also called head). This makes queue as FIFO data structure, which means that element inserted first will also be removed first. The process to add an element into queue is called Enqueue and the process of removal of an element from queue is called Dequeue.

#### Algorithm

**Step 1 :-** Initialize 'front = -1' and 'rear = -1'.

**Step 2 :-** Display menu:

- 1. Insert
- 2. Delete
- 3. Display
- Q. Quit

**Step 3 :-** Input choice from the user.

**Step 4 :-** Switch choice:



- Case 1 (Insert) :

- Check if 'rear' is equal to 'SIZE - 1' :
  - If true, display "Queue Overflow"
  - If false, increment 'rear'.
  - If 'front == -1', set 'front = 0'.
  - Insert 'data' into 'queue[rear]'.

- Case 2 (Delete)

- Check if 'front == -1' or 'front > rear' :
  - If true, display "Queue Underflow"
  - If false, display 'queue[front]' and increment 'front'.
    - If 'front > rear', reset 'front' and 'rear' to '-1'.

- Case 3 (Display) :

- Check if 'front == -1' :
  - If true, display "Queue is empty"
  - If false, display all elements from 'queue[front]' to 'queue[rear]'.

- Case 0 : Exit the program

Step 5: Repeat until the user selects '0' to quit.



Program :-

```
#include <stdio.h>
#define SIZE 10
```

```
int front = -1;
int rear = -1;
int queue[SIZE];
```

```
void insert_q(int data)
```

```
{ if (rear == SIZE - 1)
```

```
{
```

```
printf("In Queue Overflow");
```

```
}
```

```
else {
```

```
if (front == -1) front = 0;
```

```
queue[++rear] = data;
```

```
printf("Inserted %d into the queue", data);
```

```
}
```

```
}
```

```
void del_q() {
```

```
if (rear == SIZE - 1) {
```

```
printf("In Queue Overflow");
```

```
}
```

```
else {
```

```
if (front == -1) front = 0;
```

```
queue[++front] = data;
```

```
printf("In Inserted %d into the queue", data);
```

```
}
```

```
void del_q() {
```

```
if (front == -1 || front > rear)
```

```
}
```



```

printf ("\n Queue Underflow"),
}
else {
    printf ("\n deleted %d from the
            queue", queue [front++]);
    if (front > rear) front = rear = -1;
}
}

void display () {
    if (front == -1) {
        printf ("\n Queue is empty");
    }
    else {
        printf ("\n Queue elements are : ");
        for (int i = front; i <= rear; i++) {
            printf ("\n %d", queue [i]);
        }
    }
}

int main () {
    int choice, data;
    while (1) {
        printf ("\n \n 1. Insert \n 2. Delete \n 3.
                Display \n 0. Exit ");
        printf ("\n Enter your choice : ");
        scanf ("%d", &choice);

        switch (choice) {
            case 1:
                printf ("Enter the element to insert : ");
                scanf ("%d", &data);
        }
    }
}

```



```
insert_q (data);  
break;
```

```
case 2 :
```

```
del_q ();  
break;
```

```
case 3 :
```

```
display ();  
break;
```

```
case 0 :
```

```
return 0;
```

```
default :
```

```
    printf ("\\n Invalid choice");
```

```
}
```

Result: We have executed the program successfully.



## Practical No 9

Aim :- Write a program to implement insertion and Deletion on Singly link list.

Theory :- A singly linked list is a sequence of nodes where each node contains data and a reference to the next node. The list is accessed via a head pointer, and each node points to the next , with the last node pointing to 'null'.

### 1) Insertion

- At Beginning: Create a new node, set its 'next' to the current head, and update the head.
- At the end : Traverse to the last node and set its 'next' pointer to the new node.

### 2) Deletion

- By value :- Traverse the list to find the node with the specified value. Adjust the 'next' pointer of the preceding node to bypass the node to be deleted. If the node to be deleted is the head, update the head pointer.



Algorithm :-

Step 1 :- Initialize : 'head = NULL'.

Step 2 :- Insert operation :

- > Create a new node
- > If inserting at the beginning, set its 'next' to 'head' and update 'head.'
- If inserting at ~~the~~ the end, traverse to the last node, set its 'next' to the new node.

Step 3 :- Delete operation :

- > If deleting from the beginning, update 'head' to 'head->next' and free the old head.
- > If deleting from the end, traverse to the second last node, free the last node, Set 'second\_last->next' to 'NULL'.

Step 4 :- Display : Traverse from 'head', print each node's data.

Step 5 :- Main loop : Based on user input

- '1' : insert at beginning
- '2' : insert at end.
- '3' : Delete from beginning
- '4' : Delete from end
- '5' : Display list
- '0' : exit.



Problem:-

```
#include <stdio.h>
```

```
#include <stdlib.h>
```

```
typedef struct Node {
    int data;
    struct Node *next;
} Node;
Node* head = NULL;
```

```
Void insert (int data, int at_end) {
    Node** curr = &head;
    if (at_end) while (*curr) curr = &(*curr)
        ->next;
    *curr = (Node*) malloc (sizeof (Node));
    (*curr) -> data = data;
    (*curr) -> next = NULL;
}
```

```
Void delete (int from_end) {
    Node** curr = &head;
    if (from_end) while (*curr && (*curr) -> next)
        curr = &(*curr) -> next;
    Node* temp = *curr;
    *curr = temp ? temp -> next : NULL;
    free (temp);
}
```

```
Void display () {
```

```
for (Node* temp = head; temp; temp = temp -> next)
```

```
printf ("%d -> ", temp -> data);
```

```
printf ("NULL \n");
```

```
}
```



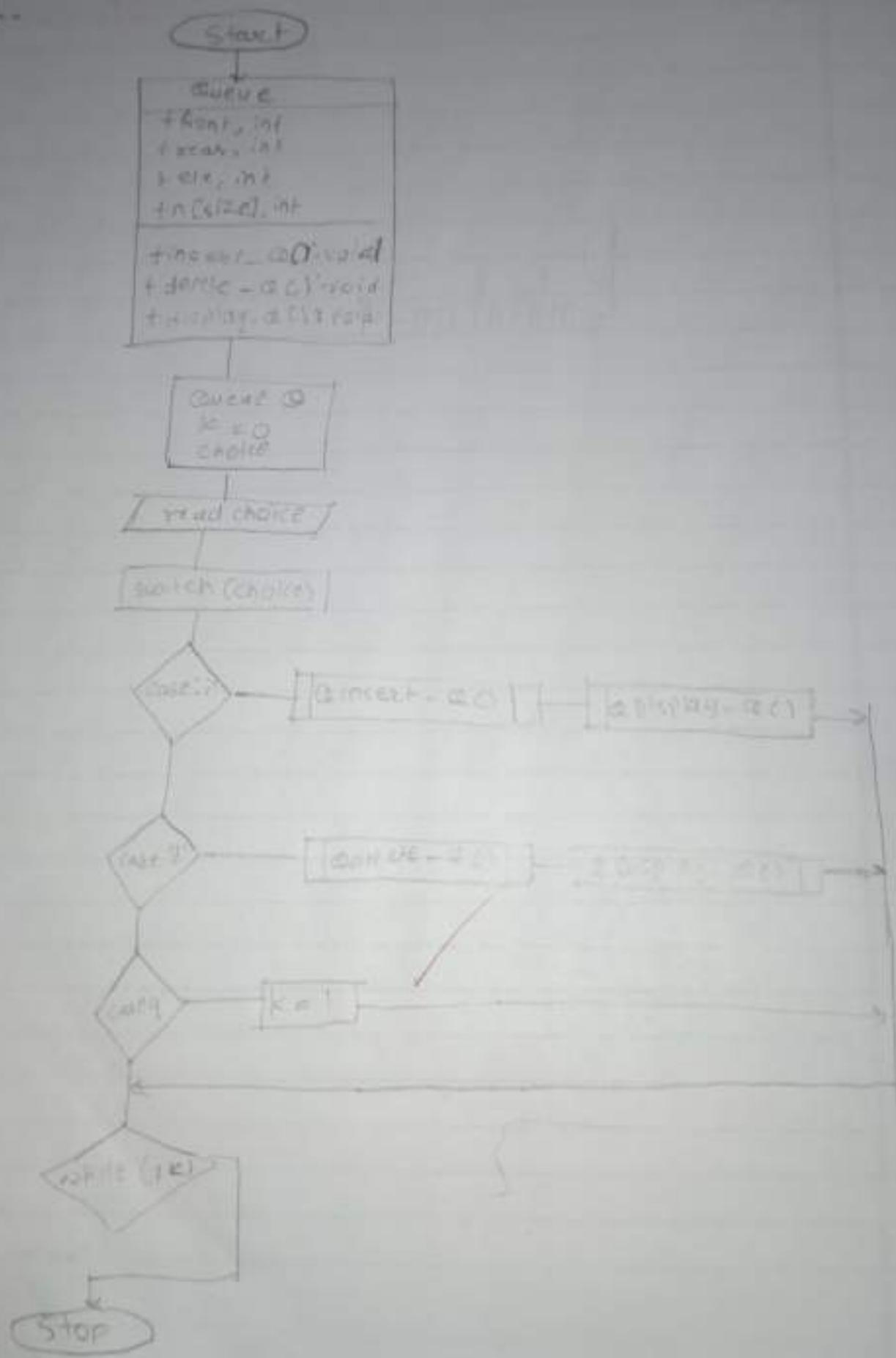
Date :

```
int main() {
    int choice, data;
    while(1) {
        printf("1. Insert at Beginning\n 2. Insert
at End\n 3. Delete from Beginning
\n 4. Delete from End\n 5.
Display\n 0. Quit\n choice:");
        scanf("%d", &choice);
        if (choice == 0) break;
        if (choice == 5) display();
        else if (choice == 1 || choice == 2) {
            printf("Enter data:");
            scanf("%d", &data);
            insert(data, choice - 1);
        }
        else if (choice == 3 || choice == 4)
            delete(choice - 3);
    }
    return 0;
}
```

Result : We have executed the program successfully.

Program No-4  
Ques:- Write a program to implement queue using an array

Flowchart -





## Practical no-4

**Aim :-** Write a program to implement queue using an array

**Theory :-** Queue is also an abstract datatype or a linear data structure, in which the first element is inserted from one end called REAR (also called tail) and the deletion of an element takes place from the other end called as FRONT (also called head). This makes queue as FIFO data structure, which means that element inserted first and also removed first. The process to add an element into queue is called Enqueue and the process of removal of an element from queue called dequeue.

### Algorithm

Step1:- Initialize 'front = -1' and 'rear = -1'

Step2 - Display menu

1. Insert
2. Delete
3. Display
4. Quit

Step3 - Input choice from the user

Step4 - Switch choice

#### Case1 (Insert)

(i) Check if 'rear' is equal to 'size - 1':

(ii) If true, display "Queue overflow".

(iii) If false, increment 'rear'.

(iv) If "front == -1", Set 'front = 0'.

(v) Insert 'data' into queue[rear]

#### Case2 (Delete)

(i) Check if 'front == -1' or 'front > rear'

(ii) If true display "Queue underflow".



(iii) If false, display 'queue[front]' and increment 'front'.  
 (iv) If 'front > rear', reset 'front' and 'rear' to '-1'.

case 3 (display)

- (i) Check if 'front == -1'
- (ii) If true, display "Queue is empty"
- (iii) If false, display all elements 'queue[front]' to 'queue[rear]'

case 0:

Exit the program

Step 5 - Repeat until the user selects '0' to quit

Step 6 - End

Program :-

```
#include <stdio.h>
#define Size 10
int front = -1;
int rear = -1;
int queue[Size];
void insert(q, (int data))
{
  If (rear = Size - 1)
    printf ("Queue overflow");
  else {
    if (front == -1) front = 0;
    queue[rear + 1] = data;
    printf ("Inserted %d into the queue", data);
  }
}
```



```

Void del_q() {
    if (front == -1 || front > rear)
        printf("In queue underflow");
    else {
        printf("In deleted %d from the queue", queue[front]);
        if (front > rear)
            front = rear = -1;
    }
}

Void display() {
    if (front == -1)
        printf("In queue is empty");
    else {
        printf("In queue element are:");
        for (int i = front; i <= rear; i++)
            printf("In %d", queue[i]);
    }
}

Int main() {
    int choice, data;
    while () {
        printf("In 1. Insert\n2. Delete\n3.\nDisplay\nEnter your choice:");
        printf("In enter your choice:");
        scanf("%d", &choice);
        switch (choice) {
    
```

Output-

- 0. Exit
- 1. Insert
- 2. Delete
- 3. display

Enter your choice: 1.

Enter the element to insert: 52

= 52



Case 1 :

```
printf ("Enter the element to Insert : ");
scanf ("%d", &data);
insert_q (data);
break;
```

Case 2 :

```
del_q();
break;
```

Case 3 :

```
display();
break;
```

Case 0 :

```
return 0;
```

default :

```
printf ("In Invalid choice");
```

?

?

?

~~Result :- We have Executed the program Successfully~~

~~Ques~~

~~Viva Question~~

1. What is queue ?

→ Queue is a data structure in which insertion take place from one end called "FRONT" and deletion take place from another end called "HEAT" and it follow the principle of FIFO (first in first out).

2. How is the queue different from the stack ?

→ Queue follows the principle of first in first out (FIFO) and insertion take place from one end



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deletion take place from another end while in stack the insertion and deletion take place from only one end and follows the principle of last in first out (LIFO).

3. What are the operations performed on queue?
- The operations performed on queue are as follows:
- 1) Enqueue
  - 2) Dequeue
  - 3) peek

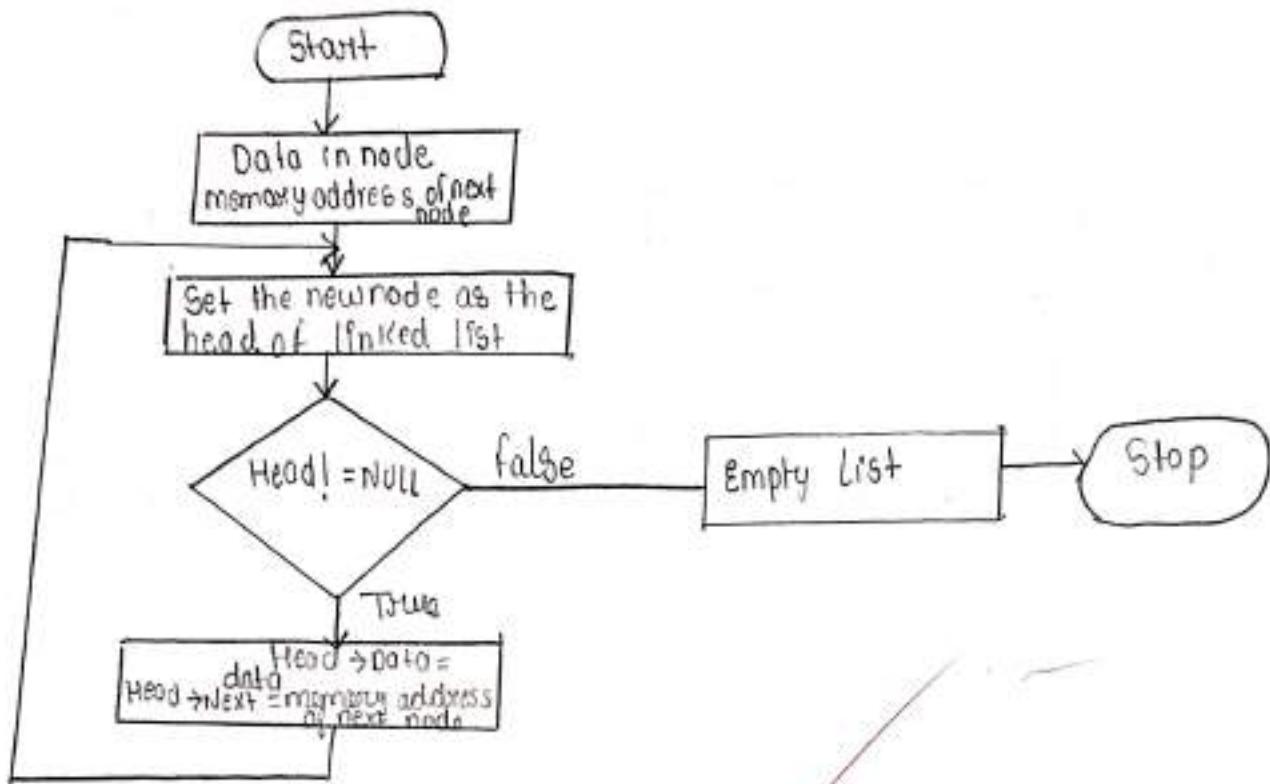
4. How do you represent the queue in computer memory?
- We can represent queue in the form of an array using pointer : front and rear.

5. What are the disadvantage of queue?
- The disadvantage of queue are as follow:-
1. No Random access
  2. The operation such as insertion and deletion of element from the middle are time consuming
  3. Restricted access
  4. Bounded capacity
  5. additional programming complexity

## practical no - 5

Aim :- Write a program to implement insertion and deletion on Singly link list

Flowchart  $\Rightarrow$  Insertion



## Practical no-5



**Aim :** Write a program to implement insertion and deletion on Singly linked list.

**Theory** → A Singly linked list is a sequence of nodes where each node contains data and a reference to the next node. The list is accessed via a head pointer, and each node points to the next, with the last node pointing to 'null'.

### 1) Insertion

- At beginning - Create a new node, Set its 'next' to the current head, and update.
- At the end - Traverse to the last node and set its 'next' pointer to the new node.

### 2) Deletion

- By value - Traverse the list to find the node with specified value. Adjust the 'next' pointer of the preceding node to bypass the node to be deleted. If the node to be deleted is the head, update the head pointer.

### Algorithm -

Step1 - Start

Step2 - Initialize : 'head = null'

Step3 - Insert operation

- Create a new node
- If inserting at the beginning, set its 'next' to 'head' and update 'head'.
- If inserting at the end, traverse to the last node. Set its 'next' to the new node.

Step4 - Delete operation

- If deleting from the beginning, update 'head' to  $head \rightarrow next$  and free the old head.



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- If deleting from the end, traverse to the Second last node, free the last node Set Second\\_last → next to 'NULL'

Step 5 - Display : Traverse from 'head', print each node's data

Step 6 - main loop : Based on user input :-

- '1' : insert at beginning
- '2' : insert at end
- '3' : Delete from beginning
- '4' : Delete from end
- '5' : Display list
- '0' : Exit

Program -

```
// linked list operation in c
#include <stdio.h>
#include <stdlib.h>
// Create a node
Struct Node {
    int data;
    Struct Node *next;
};

//insert at the beginning
void insertAtBeginning(Struct Node** head_ref, int new_data)
{
    //Allocate memory to a node.
    Struct Node *New_Node = (Struct Node*) malloc(sizeof(Struct Node));
    //insert the data
    New_Node->data = new_data;
    New_Node->next = (*head_ref);
    //move head to new node
}
```

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```

(*head_ref) = new_node;
}

// Insert a node after anode
void insertAfter(Struct Node *prev_node, int new_data) {
    if (prev_node == NULL) {
        printf("the given previous node cannot be Null");
        return;
    }
    Struct Node *new_node = (Struct Node *) malloc(sizeof(Struct Node));
    new_node->data = new_data;
    new_node->next = prev_node->next;
    prev_node->next = new_node;
}

// Insert at end
void insertAtEnd(Struct Node **head_ref, int new_d
{
    Struct Node *new_node = (Struct Node *) malloc(sizeof(Struct Node));
    Struct Node *last = head_ref;
    new_node->data = new_data;
    new_node->next = NULL;
    if (*head_ref == NULL) {
        *head_ref = new_node;
        return;
    }
    while (last->next != NULL) last = last->next;
    last->next = new_node;
    return;
}

// Delete a node

```



```

Void deleteNode (Struct Node ** head_ref, int Key)
{
    Struct node * temp = * head_ref, * prev;
    if (temp != NULL && temp->data == key)
    {
        * head_ref = temp->next;
        free (temp);
        return;
    }
    // find the key to delete
    while (temp != NULL && temp->data != key) {
        prev = temp;
        temp = temp->next;
    }
    // If the key is not present
    if (temp == NULL)
        return;
    // Remove the node
    prev->next = temp->next;
    free (temp);
}

// print the linked list
Void printList (Struct Node * node) {
    while (node != NULL) {
        printf ("%d", node->data);
        node = node->next;
    }
}

// Driver program
int main()
{
}

```

Output

Linked list : 3 2 5 1

After deleting an element : 2 5 1

Result - we have executed the code successfully.



```

Struct Node * head = NULL;
Insert At End (&head, 1);
Insert At Beginning (&head, 2);
Insert At Beginning (&head, 3);
Insert At End (&head, 4);
Insert After (head->next, 5);
printf ("Linked List: ");
PrintList (head);
printf ("\nAfter deleting an element: ");
DeleteNode (&head, 3);
PrintList (head);
    
```

?

~~Ques 03~~ Result - We have executed the code successfully

### Viva question

1. What are the types of link list

- • Singly Linked List
- Doubly Linked List
- Circular Linked List
- Circular doubly linked list .

2. What are the advantage of link list ?

- 1) Easy implementation
- 2) No space overhead
- 3) Easy insertion and deletion
- 4) Size can be change
- 5) Efficient memory utilizations



3. What are the application of the Link List?

→ Application of Link List

1. Image viewer

2. Music player

3. GPS navigation System

4. Image processing

5. File system

4. What is node?

→ A node is a basic unit that contain data and a reference to the next node in the sequence. Nodes are building block of a linked list.

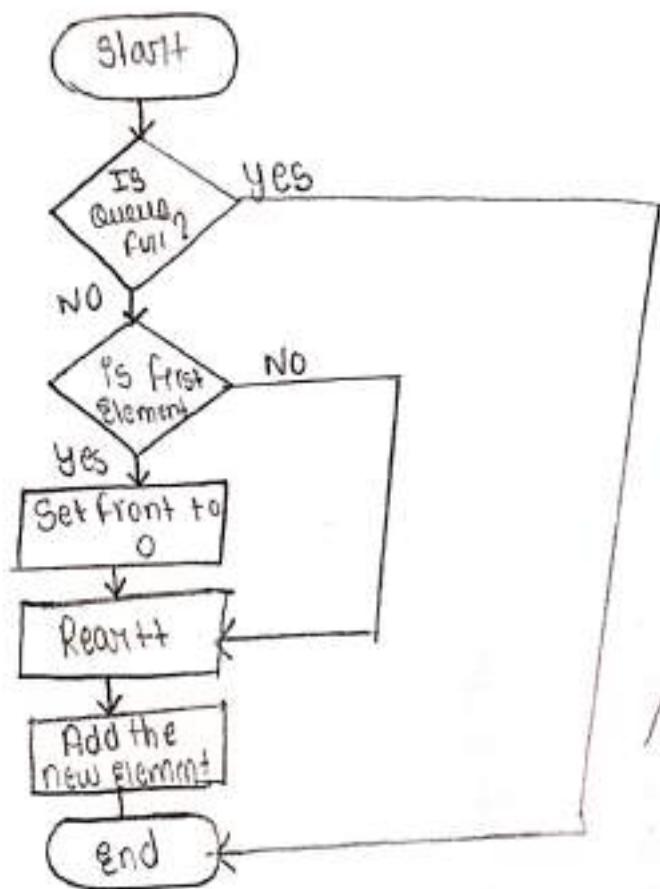
5. What do you mean by free pull?

→ "Free pull" is said to be when the user check for the free memory.

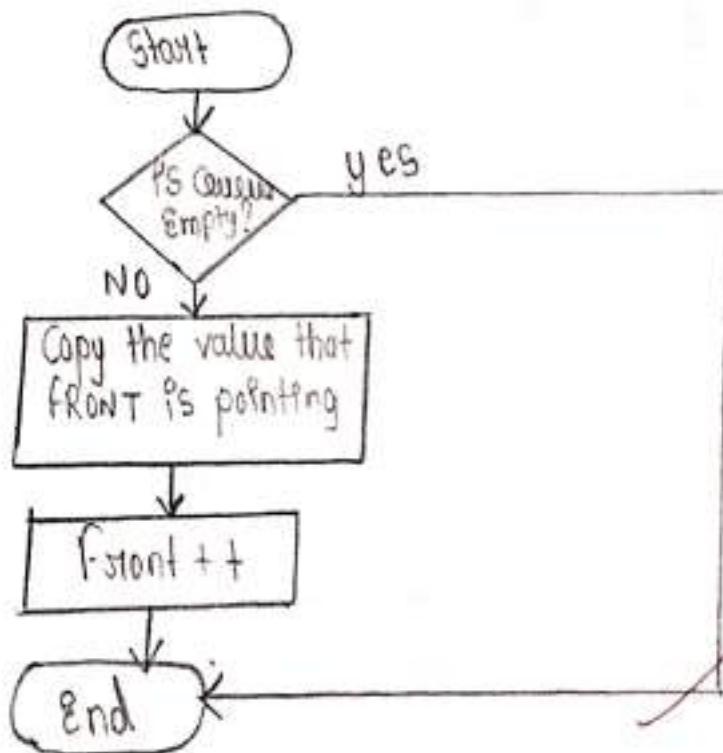
practical 10-6

Aim :- Write a program to implement Circular Queue.

Flowchart:- Enqueue



Dequeue



## Practical no-6



**Ques:** Write a program to implement Circular Queue

**Theory** → In a standard queue data structure we buffering problem occurs for each dequeue operation. To solve this problem by joining the front and rear ends of a queue to make the queue as a circular queue. The last is a linked data structure. It follows FIFO principle. In circular queue the last node is connected back to the first node to make a circle. Circular linked list follows the First In First Out principle. Elements are added at the rear end and the elements are deleted at front end of the queue. Both the front and the rear points to the beginning of the array. It is also called as "Ring Buffer". Items can inserted and deleted from a queue in  $O(1)$  time.

**Algorithm -**

Insertion of element in Circular Queue

Step1 - Start

Step2 - [check for the overflow]

If  $\text{front} = 0$  and  $\text{rear} = (n-1)$

Output, "Overflow" & return

Step3 - [present element in the queue]

else if  $\text{front} = -1$

Set  $\text{front} = 0$   $\text{rear} = 0$

$\text{queue}[\text{rear}] = \text{element}$

Step4 - [check if the rear is at the end of the queue]

else if  $\text{rear} = (n-1)$

$\text{rear} = 0$

$\text{queue}[\text{rear}] = \text{element}$

Step5 - [insert the element]

else



$rear = rear + 1$

Queue[rear] = Element

Step 6 - Insert

Step 7 - Stop

Deletion of an element from Circular Queue

Step 1 - Start

Step 2 - [Check for underflow]  
If front = -1

Step 3 - [Name the element]  
Output, "Underflow" and return

Step 4 - [Check whether the queue is empty or not]  
If front = rear

Step 5 - [Check the front pointer position]  
Else If front = (n-1)

front = 0

Else

front = front + 1

Step 6 - [Return the removed element]  
return (Element)

Step 7 - Stop

Program -

```
//C program to implement the Circular Queue
#include <stdio.h>
// Define the maximum size of queue
#define MAX_SIZE 5
// Declare the queue array and front, rear variable
int queue[MAX_SIZE];
int front = -1, rear = -1;
```



Date \_\_\_\_\_

// Function to check if queue is full.  
int isfull ()

{

// If the next position is front, the queue is full  
return ((rear + 1) % MAX\_SIZE == front);

// Function to check if the queue is empty  
int isempty ()

{

// If the front hasn't been set, the queue is empty  
return front == -1;

// Function to enqueue (insert) an element  
void enqueue (int data)

{

// If the queue is full, print an error message and  
return

if (isfull ()) {

printf ("Queue overflow \n");

return ;

// If the queue is empty, Set the front to first pos

if (front == -1) {

front = 0;

{

// Add the data to the queue and move the rear point

rear = (rear + 1) % MAX\_SIZE ;

queue [rear] = data;

printf ("Element %d inserted \n", data);

{

// Function to dequeue (remove) an element

int dequeue ()

```

{
    // If the queue is empty, print an error message and
    // return -1
    if (isEmpty()) {
        printf("Queue Underflow\n");
        return -1;
    }
    // Get the data from the front of the queue
    int data = queue[front];
    // If the front and rear pointers are at the same
    // position, reset them
    if (front == rear) {
        front = rear = -1;
    }
    else {
        // otherwise, move the front pointer to the next
        // position
        front = (front + 1) % MAX_SIZE;
    }
    // Return the dequeued data
    return data;
}

// Function to display the queue elements
void display()
{
    // If the queue is empty, print a message and
    // return
    if (isEmpty()) {
        printf("Queue is empty\n");
        return;
    }
}

```

Output

Element 10 inserted

Element 20 inserted

Element 30 inserted.

Queue Elements : 10 20 30

Dequeued Element: 10

Queue elements : 20 30

Result :- We have Executed the program successfully



Date :

```
3 // print the elements in the queue
printf("Queue Elements: ");
    i = front;
    while (i <= rear) {
        printf("%d", queue[i]);
        i = (i + 1) % MAX_SIZE;
    } // print the last element
    printf("\n", queue[rear]);
}

// main function
int main()
{
    // Enqueue Some Elements
    enqueue(10);
    enqueue(20);
    enqueue(30);
    // Display the queue
    display();
    // Dequeue an element and print it
    printf("Dequeued Element: %d\n", dequeue());
    // Display the queue again
    display();
    return 0;
}
```

~~Ans~~ ~~10109~~ Result - We have executed the program successfully

## Viva question

1. What are the advantage of Circular queue as compared to Simple queue?

→ As the insertion in the queue from the rear end and in the case of linear queue of fixed size but in the case of circular queue the rear end moves from the last position to the front position circularly. The insertion and deletion in the circular queue is easier than the insertion and deletion in linear queue.

2. What is Circular queue

→ Circular queue is a linear data structure in which the operations are performed on FIFO [First In First Out] principle and the last position is connected back to the first position to make a circle.

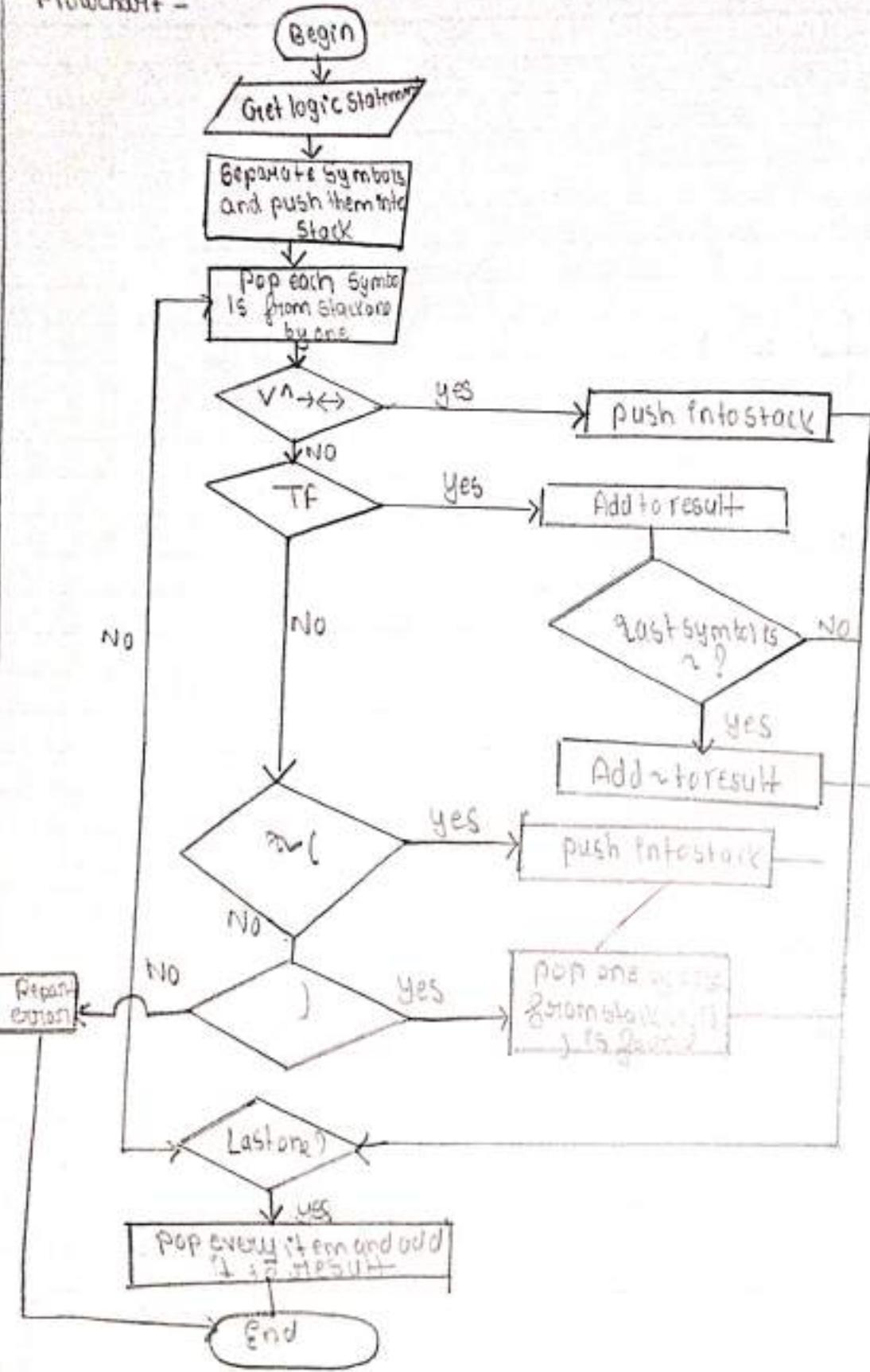
3. How do you represent it?

→ Representation of circular queue using arrays and linked list. You can use both 1-D array and linked list to implement it.

### Practical no-7

Aim. Write a program to implement infix to postfix expression evaluation

Flowchart -





## Practical no-7

Aim :> Write a program to implement infix to postfix Expression Evaluation.

Theory :> In order to convert infix to postfix Expressions. We need to understand the precedence of operators first. Precedence of operators There are five binary operators, called addition, subtraction, multiplication, division and exponentiation. We aware of some other binary operators as well. These require only one operand e.g - and +. There are rules in order of execution of operators in mathematics called precedence. Firstly, the Exponentiation operation is executed, followed by multiplication/division and at the end addition/subtraction is done. The order of precedence is (highest to lowest): Exponentiation - Multiplication/division \*, / Addition/Subtraction +. For operators of same precedence, the left-to-right rule applies: A+B+C means  $(A+B)+C$ . For exponentiation, the right-to-left rule applies: A<sup>B</sup>C means  $A^{(B^C)}$ .

We want to understand these precedence of operators and infix and postfix forms of Expressions. A programmer can solve a problem where the program will be aware of the precedence rules and convert the expression from infix to postfix based on the precedence rules.

Algorithm - Suppose Q is an arithmetic Expression written in infix notation.

Step1 - Start

Step2 - push "(" onto Stack, add ")" to the end of Q  
 Step3 - Scan Q from left to right and repeat step 4 to 7 for each element of Q until the stack is empty.



Date :

```
fget (infix [S], size, std::cin);
infix_post (infix, post);
puts ("The post fix expression is %s\n"; post);
return 0;
}

void infix_post (char *i, char *p)
{
    char t;
    CharStack [SIZE];
    while (*i)
    {
        if (*i == ' ') || (*i == 't')
        {
            i++;
            continue;
        }
        if (isdigit (*i) || isalpha (*i))
        {
            p [k++] = *i;
            i++;
        }
        if (*i == '(')
        /* push left parenthesis onto stack */
        {
            push (stack, *i);
            i++;
        }
        else if (*i == ')')
        /*
        {
            t = pop (stack);
            while (t != '(')
```



$p[x++]$  =  $t$ ;

$t$  =  $\text{pop}(\text{stack})$ ;

?  
?  
 $i++$ ;

else if ( $*i == '+' || *i == '-' || *i == '*' || *i == '/' || *i == '%'$ ) -  
{  
while ( $\text{top} \neq -1$  & priority( $\text{stack}[\text{top}]$ )  $\geq$  priority( $*i$ )) {

?  
?  $p[x++]$  =  $\text{pop}(\text{stack})$ ;  
push( $\text{stack} * i$ );  
?  $i++$ ;  
? }  
}

while ( $\text{top} \neq 1$ ) {  
?  $p[x++]$  =  $\text{pop}(\text{stack})$ ;  
? }  
?  $p[K] = '\backslash 0'$ ;

void push (char \* stack, char t) {  
if ( $\text{top} == \text{size} - 1$ ) {  
printf("Stack is full\n");  
? }

else {  
?  $\text{stack}[\text{top} + 1] = t$ ;  
? }

char pop (char \* stack) {  
if ( $\text{top} == 1$ ) {



Date :

```
{  
    printf ("Stack is Empty \n");  
    return 10;  
}  
return stack [top--];  
int priority (char t) {  
    if (t == '*' || t == '/' || t == '%') {  
        return 2;  
    }  
    else if (t == '+' || t == '-') {  
        return;  
    }  
    return 0;  
}
```

~~Result~~ - We have executed the program successfully

### Viva questions

1) what do you mean by notation?

Notation is a symbolic system used to represent mathematical expressions or operations.

2) What is Reverse Polish notation?

→ Reverse Polish notation (RPN) is a mathematical notation where operators follows their operands, eliminating the

Output -

Enter the infix Expression : A+B\*C

The postfix Expression is : ABC\*+

Result - We have successfully executed the program

Need for parenthesis .

- 3) Which operator is having the highest priority ?  
→ In Expression the operators \* (multiplication), / (division) and % (modulus) generally have the highest priority over addition (+) and subtraction (-)

practical-8

Aim → Write a program to implement the concept of binary tree.

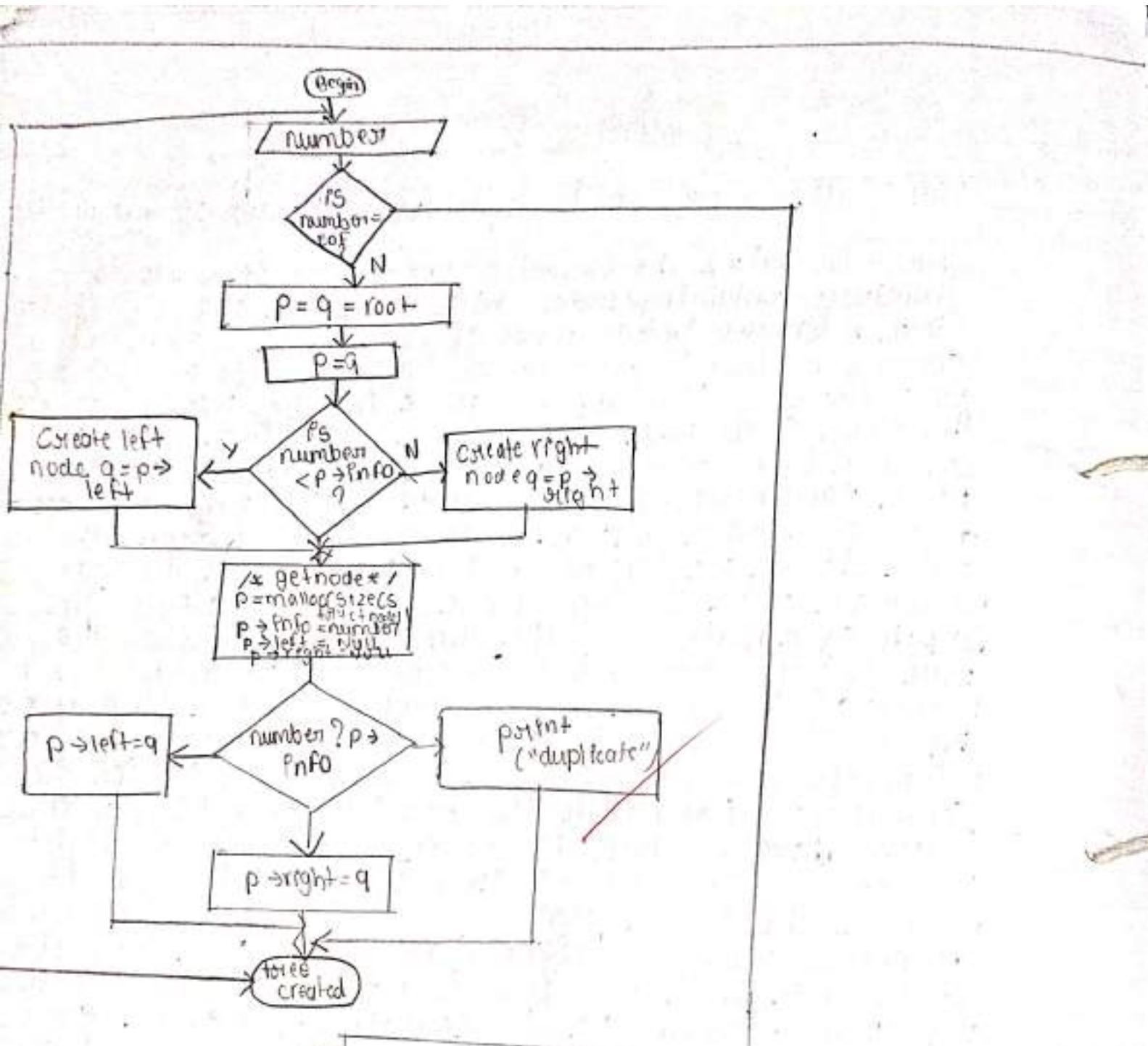


## practical no - 8

Aim :- Write a program to implement the concept of binary tree

Theory - We extend the concept of linked data structure to structure containing nodes with more than one self-referred field. A binary tree is made of nodes, where each node contains a "left" reference, a "right" reference, and a data element. The topmost node in the tree is called the root. Every node (including a root) in a tree is connected by a directed edge from exactly one other node, each node can be connected to arbitrary numbers of nodes, called children. Nodes with no children are called leaves, or internal nodes. Nodes with the same parent are called siblings. Tree terminology. The depth of a node is the number of edges from the node to the deepest leaf. The height of a tree is a highest of the root. A full binary tree is a binary tree in which each node has exactly zero or two children. A complete binary tree is a binary tree, which is completely filled, with the possible exception of the bottom level, which is filled from left to right. A complete binary tree is very special tree, it provides the best possible ratio between the number of nodes and the height. The height of a complete binary tree with  $N$  nodes is at most  $O(\log N)$ . We can easily prove this by counting nodes on each tree, starting with the root, assuming that each level has the maximum number of nodes.

Algorithm -  
Step - Start



Date :

Step 2 - Define Struct tree

int val

struct tree \* left

struct tree \* right

Step 3 - Define Constant size = 10  
function Create\_bt (arr, lb, ub)

if lb &gt; ub then

return NULL

End if

Step 4 - mid = (lb + ub) / 2

Allocate memory for Struct tree

S → val = arr[mid]

S → left = Create\_bt (arr, lb, mid - 1)

S → right = Create\_bt (arr, mid + 1, ub)

Returning S

End function

Step 4 - Function display (S, level)

if S = NULL Then

display (S → right, level + 1)

Print "\n"

For i = 0 To level Do

Print " "

End For

PRINT S → val

display (S → left, level + 1)

End if

End function

st

Step 5 - Main

Struct tree \* t = NULL

int arr [size]

int i = 0

Print "\n It program to create binary tree\n"



Date :

While  $i < \text{SIZE}$   
Print "In Enter any value : (-999 to exit):"  
Scan arr[i]  
If arr[i] == -999 THEN  
BREAK  
END IF  
i++

END WHILE

Step 6- T = Create\_bt (arr, 0, i-1)  
Print "In It \*\*\* TREE \*\*\* In"  
Display (T, 1)  
Return 0  
END MAIN

Step 7- END

Program

```
#include <Stdio.h>  
#include <stdlib.h>
```

```
Struct tree {
```

```
int val;
```

```
Struct tree * left, * right;
```

```
};
```

```
#define SIZE 10
```

```
Struct tree * Create_bt (int *, int, int);
```

```
void display (Struct tree *, int);
```

```
int main ()
```

```
Struct tree * T = NULL;
```

```
int arr[SIZE], i = 0;
```

printf ("In It program to create binary tree In  
while ( $i < \text{SIZE}$ )

printf ("In Enter any value : (-999 to exit):");

Page No.

Output

Enter any value (-999 to exit) = 10

Enter any value (-999 to exit) = 20

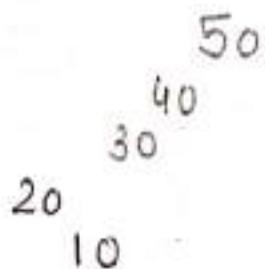
Enter any value (-999 to exit) = 30

Enter any value (-999 to exit) = 40

Enter any value (-999 to exit) = 50

Enter

\* \* \* \* Tree \* \* \* \*





```

Scnaf ("%d", &arr[i]);
if (arr[i] == -99)
    break;
i++;
}
T = Create_bt (&arr, o, i-1);
printf ("\\n \\t ***** * TREE * ***** \\n");
display (T, 1);
return 0;
}

Struct tree * Create_bt (int * arr, int lb, int ub)
{
    if (lb > ub)
        return NULL;
    int mid = (lb + ub) / 2;
    Struct tree * S = (Struct tree *) malloc (sizeof (Struct tree));
    S->val = arr[mid];
    S->left = Create_bt (&arr, lb, mid-1);
    S->right = Create_bt (&arr, mid+1, ub);
    return S;
}

void display (Struct tree * S, int level) {
    int i;
    if (S == NULL)
        display (S->right, level+1);
    printf ("\\n");
    for (i=0; i<level; i++)
        printf ("  ");
    printf ("%d", S->val);
    display (S->left, level+1);
}
}

```

Result - we have executed the program successfully.



~~Result~~ - We have executed the program successfully.

### Viva question

1. What do you mean by tree?

→ Tree is a hierarchical data structure consisting of nodes connected by edges, with one node designated as the root. It represents relationship and organizes data in parent-child hierarchy.

What is the binary tree?

→ A binary tree is a type of tree where each node has at most two children, known as the left and right children. This structure allows for efficient data management and traversal.

What is the importance of binary tree?

binary tree optimize search, insertion and deletion operation, making them foundational data structure like binary search trees and heaps.

What do you mean by strictly binary tree?

A strictly binary tree is a full binary tree where each node has either 0 or exactly 2 children, ensuring a consistent structure. This property simplifies certain algorithms and ensures balanced growth.

What are the properties of binary tree?

Properties include high depth and the number of nodes at each level. Additionally, a binary tree can be balanced complete or full based on its structure.

## Practical no-9



Aim :- Write a program to implement the concept of Threaded binary tree.

Theory - Inorder traversal of a binary tree can either be done using recursion or with the use of a auxiliary stack. The idea of threaded binary trees is to make inorder traversal faster and do it without stack and without recursion. A binary tree is made threaded by making all right child pointer that would normally be NULL point to the inorder successor of the node (if it exists). There are two types of threaded binary trees. Single threaded, where a NULL right pointer is made to point to the inorder successor (if successor exists) Double Threaded, where both left and right NULL pointer are made to point to in-order predecessor and in-order successor respectively. The predecessor threads are useful for reverse inorder traversal and postorder traversal. The threads are also useful for fast accessing ancestors of a node. Following diagram shows an example Single threaded Binary tree. The dotted lines represent thread. Representation of a threaded node following is a representation of a single threaded node.

Struct node

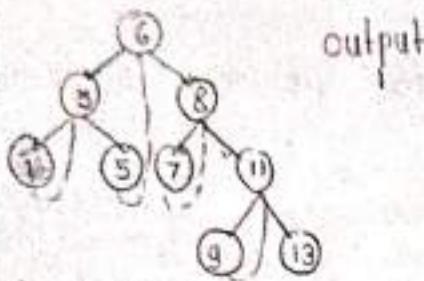
```

    int data;
    node *left, *right;
    bool rightThread;
}

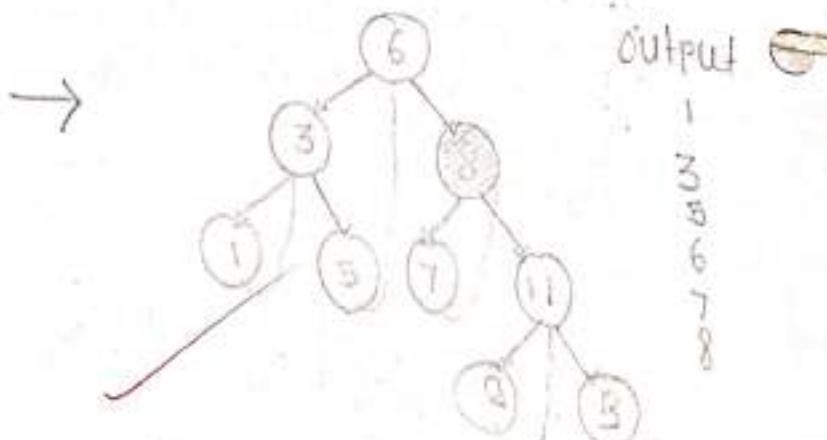
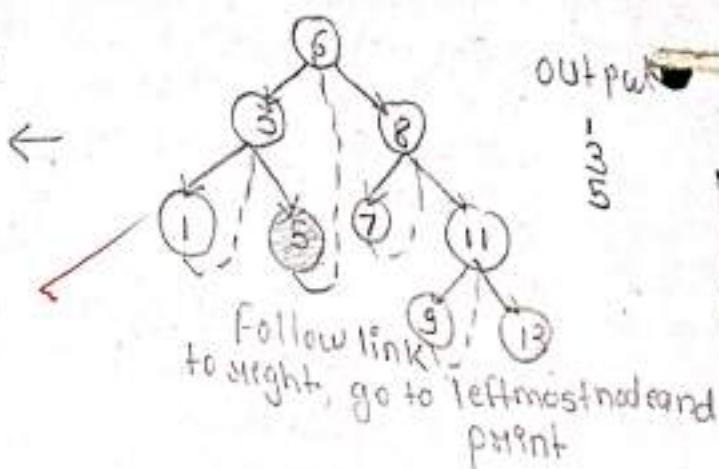
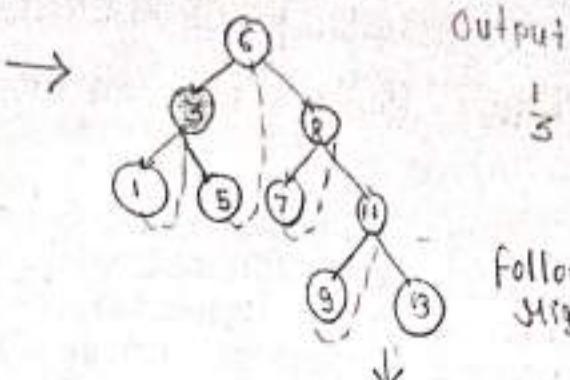
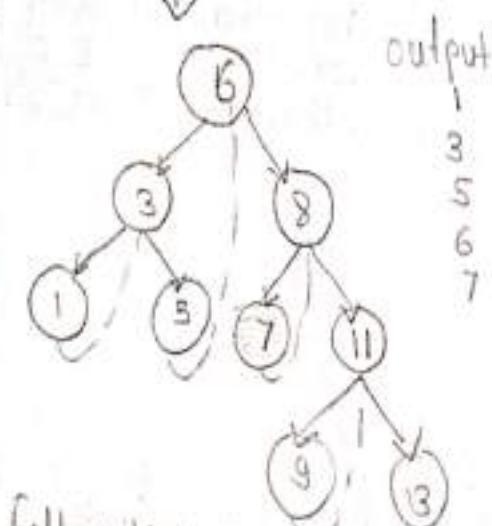
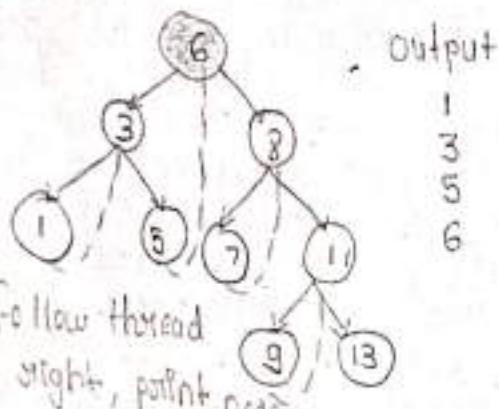
```

Since right pointer is used for two purposes, the boolean variable rightThread is used to indicate whether right pointer points to right child or inorder

Threaded



Start at leftmost node, print it



successor. Similarly, we can add leftthread for a double threaded binary tree.

## Algorithm

### Initialize

- Create a structure tree with values, pointers to left and right children, and thread indicators (`tLeft`, `tRight`)

### Main function:

Initialize `T = Null`

If -999 is entered, exit

Insert the value into the tree using `create_E()`

### Create tree:

If the tree is empty, Create root node.

Traverse the tree to find the correct position for the new code.

Insert the node in the appropriate position. Updating threaded links (`tLeft`, `tRight`).

### Inorder Traversal

Traverse the few from the leftmost node.

Print each node value in-order sequences using `print` when necessary.

END

### Program -

```
#include <stdio.h>
#include <conio.h>
#include <stdlib.h>

Struct tree {
    int val;
```

```

int left, right;
Struct tree *left, *right;
};

Struct tree *Create_t (Struct tree *, int);
void In_order_trav (Struct tree *);

int main ()
{
    int data;
    Struct tree *T = NULL;
    printf ("\n program for tree creation :\n");
    while ()
    {
        printf ("\n\n") t Enter any value : (-999 to exit) : ";
        scanf ("%d", &data);
        if (data == -999)
            break;
        T = Create_t (T, data);
    }
    printf ("\n The Preorder Traversal of a Threaded Binary Tree : \n\n");
    In_order_trav (T);
    getch();
    return 0;
}

Struct tree *Create_t (Struct tree *S, int data)
{
    Struct tree *temp;
    int flag = 0;
    if (S == NULL)
        S = (Struct tree *) malloc (sizeof (Struct tree));
    S->val = data;
    S->left = NULL;
    S->right = NULL;
    S->t_left = 1;
    S->t_right = 1;
}

```

Metwin S;

Struct tree \* Q = S;

While ( flag != 1 )

{ if ( data < Q->val && Q->tleft == 0 ) {

Q = Q->tleft;

}

else if ( data > Q->val && Q->tright == 0 )

{

Q = Q->tright;

}

else if

{ if ( data < Q->val && Q->tleft == 1 ) {

flag = 1;

}

else if ( data > Q->val && Q->tright == 1 ) {

flag = 1;

}

}

{

temp = ( Struct tree \* ) malloc ( sizeof ( Struct tree ) )

temp->val = data;

temp->tleft = 1;

temp->tright = 1;

if ( data < Q->val && Q->tleft == 1 ) {

temp->tleft = Q->tleft;

temp->tright = Q;

Q->tleft = temp;

Q->tleft = 0;

}

Metwin S;

}

Output -

```
Enter any value: (-999 to exit): 50
Enter any value: (-999 to exit): 30
Enter any value: (-999 to exit): 70
Enter any value: (-999 to exit): 20
Enter any value: (-999 to exit): 40
Enter any value: (-999 to exit): 60
Enter any value: (-999 to exit): 80
Enter any value: (-999 to exit): -999
```

The In-order traversal of threaded Binary tree :

20 30 40 50 60 70 80

Result - We have executed the program successfully.



```

Void InOrderTrav (struct tree *s) {
    int flag = 0;
    while (s != NULL) {
        while (s->left == 0 && flag == 0) {
            s = s->left;
        }
        printf ("%d", s->val);
        if (s->right == 0)
        {
            s = s->right;
            flag = 0;
        }
        else
        {
            s = s->right;
            flag = 1;
        }
    }
}

```

~~Link~~ / 10/24 Result - We have Executed the program successfully.

Viva question

1. What is Threaded binary tree?

→ Threaded binary tree : A threaded binary tree is a type of binary tree where the null pointer (that would normally point to child nodes) are replaced with pointers to the in-order predecessor or successor, facilitating fast in-order traversal.



(Q2) What are its advantage and disadvantages?

→ Advantage

- Allows efficient in-order traversal without recursion or a stack.
- Saves memory by using null pointers for threading.

Disadvantage

- Increased complexity in insertion and deletion operations due to the need to maintain threading.
- Slightly higher memory overhead for additional pointers.

(Q3) Implement the concept of threaded binary tree?

→ Threaded binary trees are implemented to optimize traversal operations, making them faster and more memory-efficient compared to standard binary trees.



Date :

## Practical no- 10

Aim :- Write a program to implement the concept of depth first Search and breadth first Search

Theory :- Traversal of graphs and digraphs To traverse means to visit the vertices in some systematic order. You should be familiar with various traversal methods for trees:  
preorder: visit each node before its children. postorder: visit each node after its children. (for binary trees only); visit left subtree, node, right subtree. We also saw another kind of traversal, topological ordering, when I talked about shortest paths. Today, we'll see two other traversals: breadth first search (BFS) and depth first search (DFS). Both of these construct spanning trees with certain properties useful in other graph algorithms. We'll start by describing them in undirected graphs, but they are both also very useful for directed graphs. Breadth first search This can be thought of as being like Dijkstra's algorithm for shortest path, but with every edge having the same length. However, it is a lot simpler and does not need any data structure we just keep a tree (the breadth first search tree), a list of nodes to be added to the tree, and markings (Boolean variables) on the vertices to tell whether they are in the tree or not. Breadth first search : Unmark all vertices choose some starting vertex  $x$  mark  $x$

List  $L = x$

tree  $T = x$

while  $L$  nonempty

Choose some vertex  $v$  from front of  $L$

Visit  $v$

for each unmarked neighbor  $w$



Mark w

add it to end of list

add edge vw to T

Depth First Search

Depth First Search is another way of traversing graphs, which is closely related to preorder traversal of a tree. Recall that preorder traversal simply visits each node before its children. It is most easy to program as a recursive routine.

Preorder(node v)

{

visit(v);

for each child w of v

preorder(w);

}

To turn this into a graph traversal algorithm, we basically replace "child" by "neighbor". But to prevent infinite loops, we only want to visit each vertex once. Just like in BFS we can use mark to keep track of the vertex once. Just like in BFS we can use A<sub>lso</sub>, just like in BFS, we can use this search to build a spanning tree with certain useful properties.

dfs(vertex v)

{

visit(v);

for each neighbor w of v

{

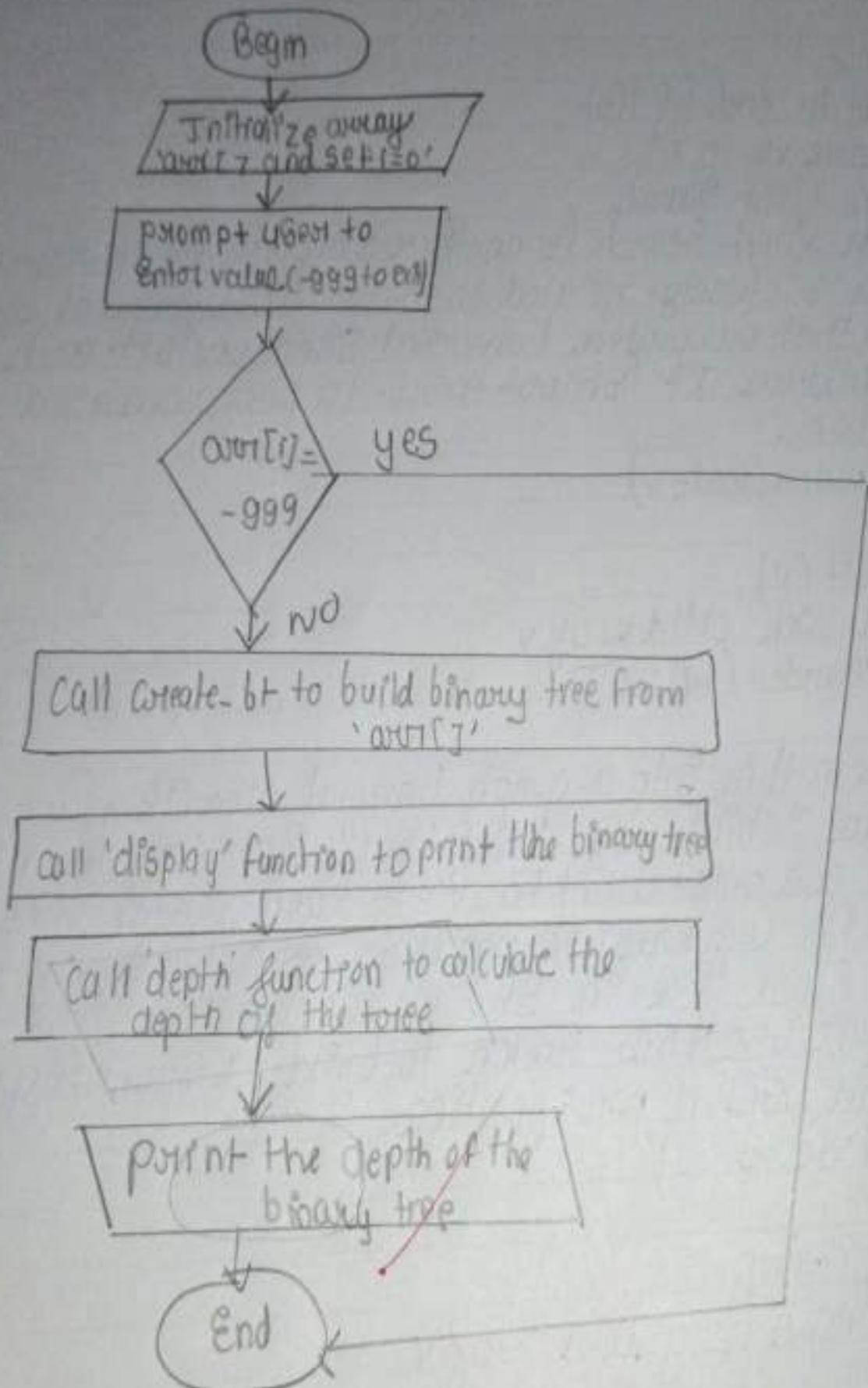
dfs(w);

add edge vw to tree T

}

}

## Flowchart



### Algorithm - 1. Main program

- Initialize arr [ ] of size 10.
- Read user input until -999 or array
- Call Create\_bt (arr, 0, Size-1)
- Call display (T, 1)
- Call depth (T, 0)
- Print depth of tree

### 2. Create\_bt (arr[], lb, ub);

- If  $lb > ub$ , return NULL.
- Find middle element
- Create new node with middle element
- Recursively create left subtree.
- Recursively create right subtree.
- Return node

### 3. display (S, level)

- If  $S == \text{NULL}$ , return
- Recursively display right subtree.
- print current node with indentation.
- Recursively display left subtree.
- depth (S, level)
- If  $S == \text{NULL}$ , return depth\_bt.
- Update depth\_bt if current level exceeds depth\_bt.
- Recursively calculate depth for left and right subtrees.
- Return maximum depth.

Program

```
#include <Stdio.h>
#include <Stdlib.h>
```

```
Struct tree {
```

```
    int val;
```

```
    Struct tree * left, * right;
```

```
}
```

```
#define SIZE 10
```

```
int depth_bt = 0;
```

```
Struct tree * Create_bt (int *, int, int);
```

```
Void display (Struct tree *, int);
```

```
int depth (Struct tree *, int);
```

```
int main () {
```

```
    Struct tree * T = NULL;
```

```
    int arr [SIZE], i = 0;
```

```
    printf ("\n It's program to Create Binary tree \n");
```

```
    while (i < SIZE) {
```

```
        printf ("\n Enter any value (-999) to exit : ");
```

```
        scanf ("%d", & arr [i]);
```

```
        if (arr [i] == -999)
```

```
            break;
```

```
        i++;
```

```
}
```

```
    T = Create_bt (arr, 0, i - 1);
```

```
    printf ("\n \t *** Tree *** \n");
```

```
    display (T, 1)
```

```
    depth_bt = depth (T, 0);
```

```
    printf ("\n Depth of binary Tree is : %d \n", depth_bt)
```

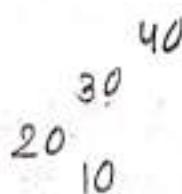
```
    return 0;
```

```
}
```

## Output

Enter any value (-999 to exit): 10  
Enter any value (-999 to exit): 20  
Enter any value (-999 to exit): 30  
Enter any value (-999 to exit): 40

\*\*\*\*\* Tree \*\*\*\*\*



Depth of binary tree is 2

```
Struct tree * Create_bt (int arr[], int lb, int ub) {
```

```
int (lb>ub)
```

```
return NULL;
```

```
int mid = (lb+ub)/2;
```

```
Struct tree * s = (Struct tree *) malloc (size of (struct tree));
```

```
s->val = arr[mid];
```

```
s->left = Create_bt (arr, lb, mid-1);
```

```
s->right = Create_bt (arr, mid+1, ub);
```

```
return s;
```

? void display (Struct tree \* s, int level)

```
{ int i;
```

```
if (s == NULL)
```

```
display (s->right, level+1);
```

```
printf ("\n");
```

```
for (i=0; i<level; i++)
```

```
printf (" ");
```

```
printf ("%d", s->val);
```

```
display (s->left, level+1);
```

? int depth (Struct tree \* s, int level) {

```
if (s == NULL) {
```

```
if (level > depth_bt)
```

```
depth_bt = level;
```

```
depth (s->left, level+1);
```

```
depth (s->right, level+1);
```

? return depth\_bt;

}



Result - We have executed the program successful.

Viva question

What is graph?

A graph is a collection of nodes connected by edges representing relationship between pairs of objects.

Differentiate between DFS and BFS?

DFS - (Depth First Search) explores as far as possible along a branch before backtracking, using a stack. It can be memory efficient but may get trapped in deep branches.  
 BFS - (Breadth First Search) explores all neighbors at the present depth prior to moving on to nodes at the next depth level using a queue guarantees the shortest path in unweighted graphs.

What are the different shortest path algorithm?

Dijkstra's algorithm

Bellman-Ford algorithm

A\* Search algorithm

Floyd-Warshall algorithm

At the time of implementation of DFS which data structure is used?

A stack is used for implementation, either explicitly or through recursion (call stack).