

U → 03

No Data link layer

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## No Errors

\* Error control, Error detection and Error Control :-  
correction

① Error detection (E.D) :-

### No Types of Errors

① Single bit errors → Errors where only 1 bit is changed either 1 → 0 or 0 → 1.

eg: -  $\underline{1100010}$  →  $\underline{110010}$   
(S) (R)

② Burst errors → errors where two or more bits in the data are changed. The first bit that is corrupted and last bit that is corrupted will be considered as the burst error.

eg  $\underline{11000101}$  →  $\underline{10000111}$   
(S) (R)  
Burst error bits

### No Error detection (E.D)

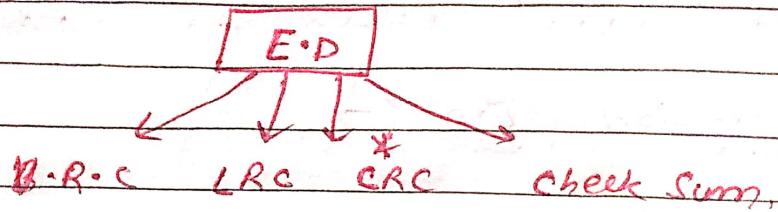
\* E.D uses the concept of Redundancy, which means adding extra bits to the data to detect errors.

{ It only tells yes/no }



(Parity).

Redundancy is process of adding extra bit to existing bits.



(B.R.C) → [Vertical Redundancy check].  
OR  
V.P.C

Rule to calculate parity (P)

No. of 1's are even = 0

" " 1's are odd = 1



$\rightarrow 10\ 10\ \boxed{0}$	$0110\ \boxed{0}$	$0111\ \boxed{1}$
$P$	$P$	$P$
$0010\ \boxed{0}$	$0010\ \boxed{0}$	$0110\ \boxed{1}$
$\boxed{1}$	$\boxed{1}$	$\boxed{0}$

drawback → if even no. of bits changed  
then it can't detect errors.

L.R.C → [Longitudinal Redundancy Check]

(S)

(R)

$$P_1 \rightarrow 1\ 0\ 0\ 1$$

$$P_1 \rightarrow 1\ 1\ 1\ 1$$

$$P_2 \rightarrow 1\ 1\ 0\ 1$$

$$P_2 \rightarrow 1\ 1\ 0\ 1$$

$$P_3 \rightarrow 1\ 1\ 1\ 0$$

$$P_3 \rightarrow 1\ 1\ 1\ 0$$

$$P_4 \rightarrow 1\ 1\ 1\ 1$$

$$P_4 \rightarrow 0\ 0\ 1\ 0$$

$$\text{parity} \rightarrow 0\ 1\ 0\ 1 \quad P \rightarrow \boxed{1\ 0\ 1}$$

\* if error is in some position in some queue of two different packets.

e.g.

1	0	0	1	
1	1	0	1	}
1	1	*	1	0
↑      ↑      1      0      0				}
①	1	0	1	
①      0				

\* ~~drawback~~ → if two bits of two diff' packets at the same position are changed Receiver can't detect error

③ \* C.R.C → cyclic Redundancy check

\* The most powerful and widely used E.O method.

$$\boxed{\text{Total bits} = m + e}$$

$m = \text{original message}$        $e = \text{parity}$

(Q.)

$$\left\{ \begin{array}{l} x^4 + x^3 + 1 \leftarrow \text{divisor} \\ \text{dividend} = 1010101010 \\ \text{find CRC parity bit?} \end{array} \right\}$$

(4) check sum left for next class.

(8)  $D = 1010101010$

$$\text{Div} = x^4 + x^3 + 1$$

$$n = 4$$

$\hookrightarrow \left\{ \begin{array}{l} \text{if it is given in binary} \\ 11001 \end{array} \right.$

$$n = (m-1) = 5-1 = 4.$$

$\hookrightarrow$  4 bit max dummy.

$$\Rightarrow \left\{ x^4 + x^3 + 1 \right.$$

$$1 \cdot x^4 + 1 \cdot x^3 + 0 \cdot x^2 + 0 \cdot x + x^0 \cdot 1$$

11001

5 bits

perform (XOR) on every bit

some = 0

diff = 1. } XOR

$$\begin{array}{r} 11001 \\ \times 11001 \\ \hline 11001 \end{array}$$

~~11000~~

11001

000011010

11001

00011000

11001

0010000

parity

$$\begin{array}{r}
 11001) \quad 1010101010 \quad 0010 \\
 \underline{11001} \downarrow \\
 \overbrace{\quad\quad\quad\quad\quad}^{11000} \\
 11001 \\
 \underline{\quad\quad\quad\quad\quad}^{000011010} \\
 11001 \\
 \underline{\quad\quad\quad\quad\quad}^{00011001} \\
 11001 \\
 \text{Pene} \quad \xleftarrow{\quad\quad} \underline{\quad\quad\quad\quad\quad}^{00000} \\
 \quad\quad\quad\quad\quad \\
 \quad\quad\quad\quad\quad \text{( No Error.)} \\
 \quad\quad\quad\quad\quad \circ \stackrel{=}{=} \circ
 \end{array}$$

- ④ check sum :- In check sum each word is added to the previous word and total sum (checksum) is calculated.

There are two ways:-

- ⑤ simple checksum comparison →

e.g. 7, 11, 12, 0, 6       $7 + 11 + 12 + 0 + 6 = 36$

[data   c.s.]	$\rightarrow$	[7, 11, 12, 0, 6   36]	$c.s. == c.s. I$ (No error)
S		R.	Re-calculate cs

- ⑥ using I's Complement →

- ① checksum = 36 → convert in Binary.  
 ② Binary ?

work  $\boxed{100100}$

$\downarrow 10$

$\underline{0110}$

(6 in decimal)

inverse  $\rightarrow \underline{1001}$

(9 in decimal)

$\downarrow$

Now this is new Checksum main.

Real check sum = 9.

$\boxed{7, 11, 12, 0, 6 | 9} \rightarrow \text{Received}$

In Receiver :-

①  $\boxed{7, 11, 12, 0, 6 | 9}$

Check sum = 45.

$\boxed{101101}$   
 $\underline{10}$   
 $\underline{\underline{1111}}$

(binary)

Invert  $\underline{0000} \rightarrow \text{No Error.}$

To Error correction

\* Hamming code :-

⇒ It is used to detect and correct errors as well.

Rules :-

$$\begin{array}{r} 136 \\ \times 18 \\ \hline 272 \\ 219 \\ \hline 2304 \end{array}$$

$$\begin{array}{r} 110 \\ \times 18 \\ \hline 220 \\ 110 \\ \hline 1980 \end{array}$$

$$\begin{array}{r} 145 \\ \times 15 \\ \hline 725 \\ 140 \\ \hline 2175 \end{array}$$

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(1.) All bit positions that are power of 2 will be marked as parity. (ie;  $2^0, 2^1, 2^2, \dots$ )

$\Rightarrow (1, 2, 4, 8, 16, \dots)$  and rest bits are considered as data. eg. (7 bits info)

D <sub>7</sub>	D <sub>6</sub>	D <sub>5</sub>	P <sub>4</sub>	D <sub>3</sub>	P <sub>2</sub>	P <sub>1</sub>
7	6	5	④	3	②	①

1	1	0	1	1	1
---	---	---	---	---	---

(2) To calculate the structure Rule says to "check one skip one". and so on.

Rule 1 :- P<sub>7</sub> :- check 1, skip 1

start with parity :- 1, 3, 5, 7, ----- @ bit 0

Rule 2 :- P<sub>2</sub> :- check 2, skip 2.

start with parity :- 2, 3, 6, 7, -----

Rule 3 :- P<sub>4</sub> :- check 4, skip 4.

start with parity :- 4, 5, 6, 7, 12, 13, 14, 15

P <sub>2</sub>	P <sub>2</sub>	P <sub>4</sub>
P <sub>7</sub> P <sub>6</sub> D <sub>5</sub> D <sub>7</sub>	P <sub>2</sub> P <sub>3</sub> P <sub>6</sub> P <sub>7</sub>	P <sub>4</sub> P <sub>5</sub> P <sub>6</sub> D <sub>7</sub>
P <sub>2</sub> 1 0 1	P <sub>2</sub> 1 1 1	P <sub>4</sub> 0 1 0
$\boxed{P_1 = 0}$ No error	$\boxed{P_2 = 1}$ Error	$\boxed{P_4 = 0}$
odd = 0	Error 1 = 0	



A 7 bit Hamming code is

Received 1011011 • Assume Even parity and detect if more is in it or not if yes! correct

D<sub>7</sub> P<sub>6</sub> P<sub>5</sub> P<sub>4</sub> D<sub>3</sub> P<sub>2</sub> P<sub>1</sub>

1 1 0 1 1 1 1

lets Analyse code first:-

1 3 5 → 7

P<sub>1</sub> P<sub>3</sub> P<sub>5</sub> D<sub>7</sub>

1 0 1 1

(odd I = 1)

detected [P<sub>1</sub> = 1]

error

②

2 3 6 7

1 0 0 1

even I = 0

[P<sub>2</sub> = 0]

NO error

4, 5, 6, 7

1 1 0 1  
odd I = 1

P<sub>4</sub> = 1

Error code = 1101

P<sub>3</sub> P<sub>2</sub> P<sub>1</sub>

Q.) Assume an 11 bit hamming code data  
1001101

$P_1, D_{10}, D_9, P_8, D_7, D_6, D_5, P_4, D_3, P_2, P_1$

1	0	0	$P_8$	1	1	0	$\oplus P_4$	1	$\oplus P_2$	$\oplus P_1$
			$P_8$				$P_4$		$P_2$	$P_1$

①  $P_1 := \text{even}_1, \text{C1, S1}$   
1, 3, 5, 7, 9, 11,  
 $P_1 | 0 1 0 1$

$$\boxed{P_1 = 0} \quad \text{No error}$$

②  $P_2 := \text{S2, S1}$   
2, 3, 6, 7, 10, 11  
 $P_2 | 1 1 0 1$

$$\boxed{P_2 = 0} \quad \text{No error}$$

③  $P_4 := \text{C4, SK4}$

4, 5, 6, 7,

$$\underline{P_4 | 0 1 1}$$

Even 1  $\rightarrow 0$

$$\boxed{\underline{P_4 = 0}}$$

$P_8 := \text{C8, SK8}$

8, 9, 10, 11,

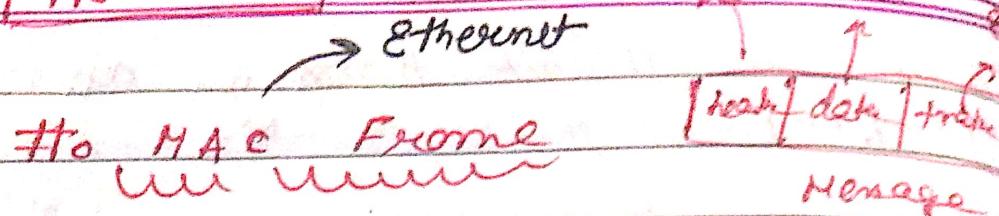
$$\underline{P_8 | 0 0 1}$$

No Ch-2

Address

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Syn.

Preamble :- Alternating 0's and 1's that alerts the receiver of incoming frames and the need for the clock synchronization.

SFD :- Start frame delimiter. It is the beginning of (10101011).

This is the final chance of synchronization.

Dest add :- Receiver's MAC.

Source Add :- sender's MAC.

Length :- Size of data or No of bytes of the data.

means → size of data in bytes.

Data & padding :- { Min → 46 bytes.  
Max → 1500 bytes. }

CRC :- used for Error detection.

## No frame length

All frame :- Minm = 64 bytes ( 512 bits )  
Maxm = 1518 bytes ( 12,144 bits )

## No ch → Data Control

## No protocol

① Noiseless channel :-

- (a) simplest
- (b) stop-and-wait

② Noisy channel

left

## Types of framing

① fixed size :- Here there is no need to define the boundary of the frame, size of the frame acts as the delimiter. ( start or end of frame acts as limit)

② variable size framing - Here there is a need to define the start and end of the frame ( FLAG ). In order to distinguish one frame from another.

( Read from PPT )

Bits stuffing & byte stuffing

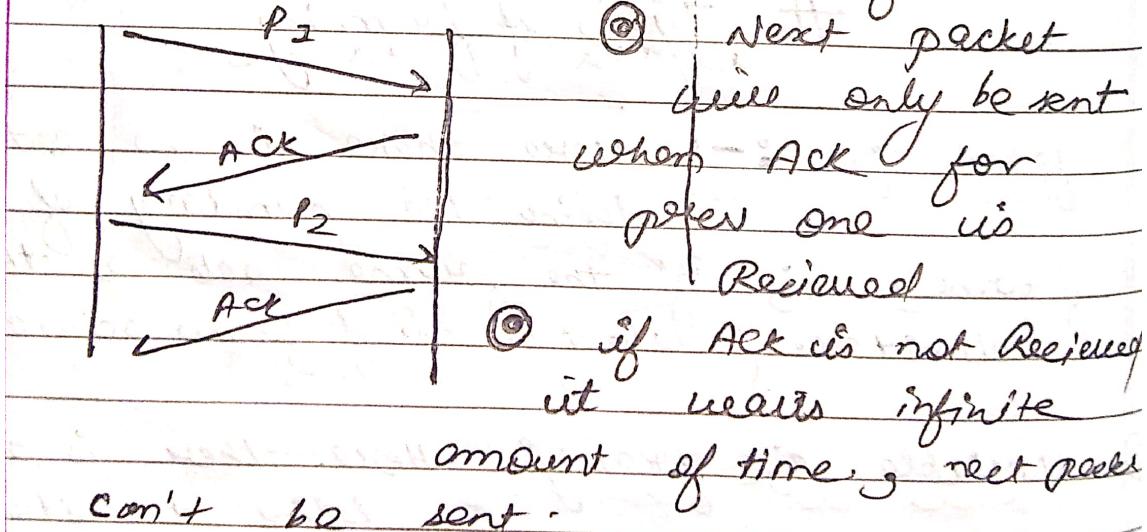
## No protocols

for Noisless channel :-

Simplest :-

No concept of Acknowledgement -  
does not have flow & error control.  
As no ACK, no flow control. in the  
sense that there is no concept of  
ACK. here flow control here means  
the duration a sender is willing to  
wait for ACK before sending the  
next frame.

Stop and wait :- ① It has concept  
of ACK.

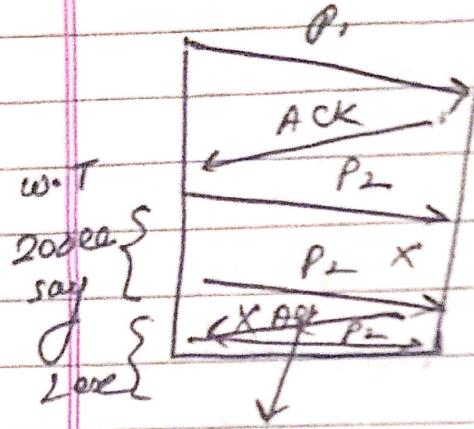


draw back :-

lost ACK, lost frame, delayed frame ACK  
it wait infinite no. of time

- ② it has flow control but not buffer overflow  
→ Noisy Channel

- ① Stop and wait ARQ :- (Automatic Repeat Request)



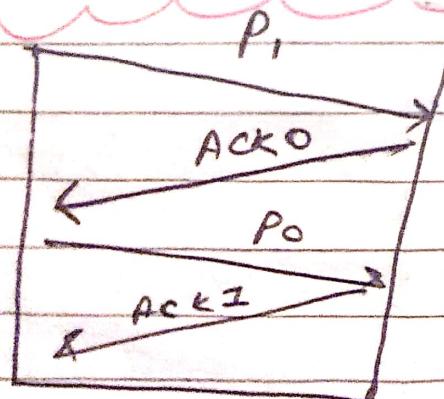
① It has both flow & error control.

(Retransmission)

- \* Round trip time :- {RTT}

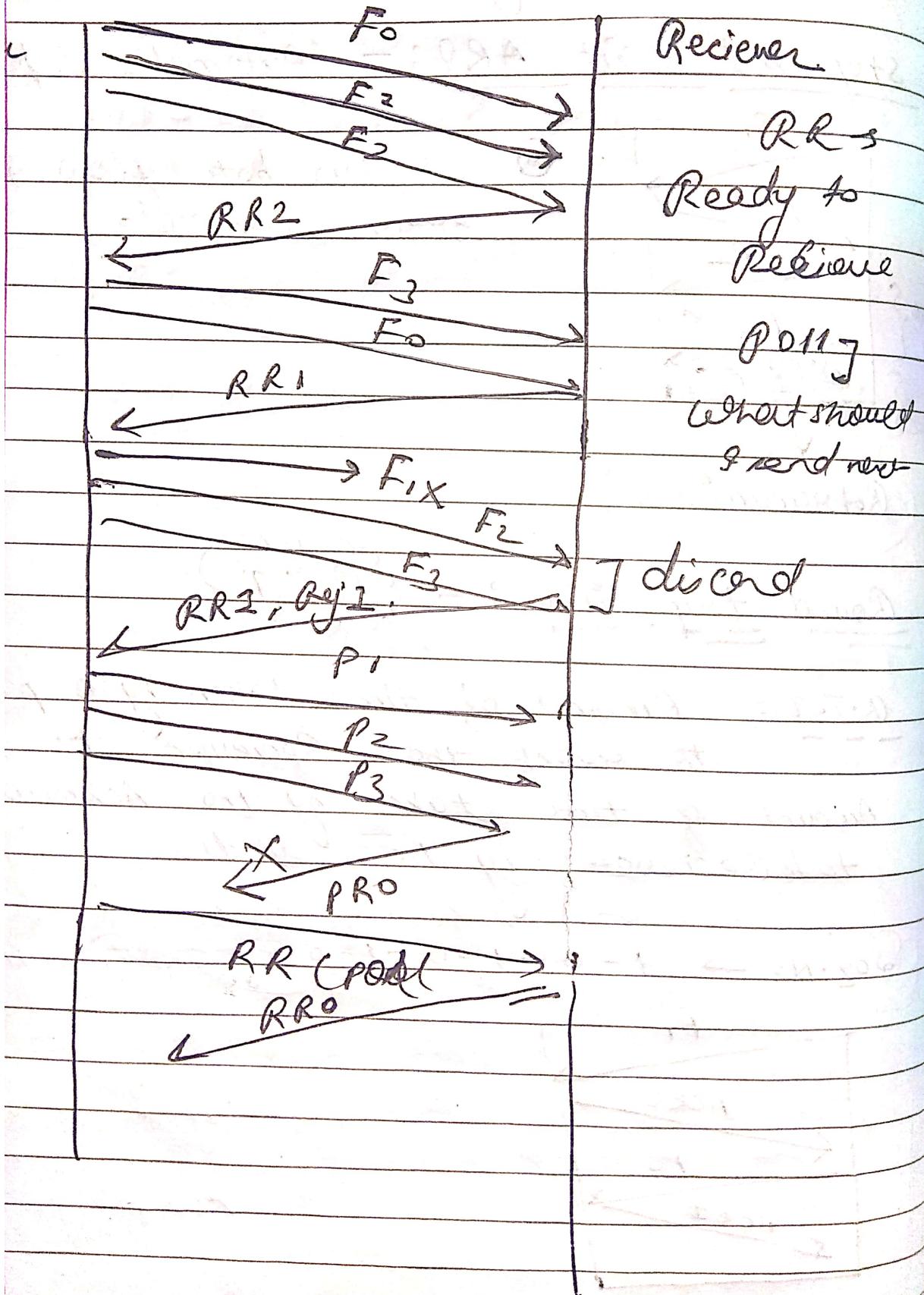
② R.T.T = Amount of time taken by a packet to reach the Receiver + Amount of time taken by the Acknowledgment to be received by the sender

Seq. No → 1 - 0 - 1 - 0 - 1 - 0 ----- 3

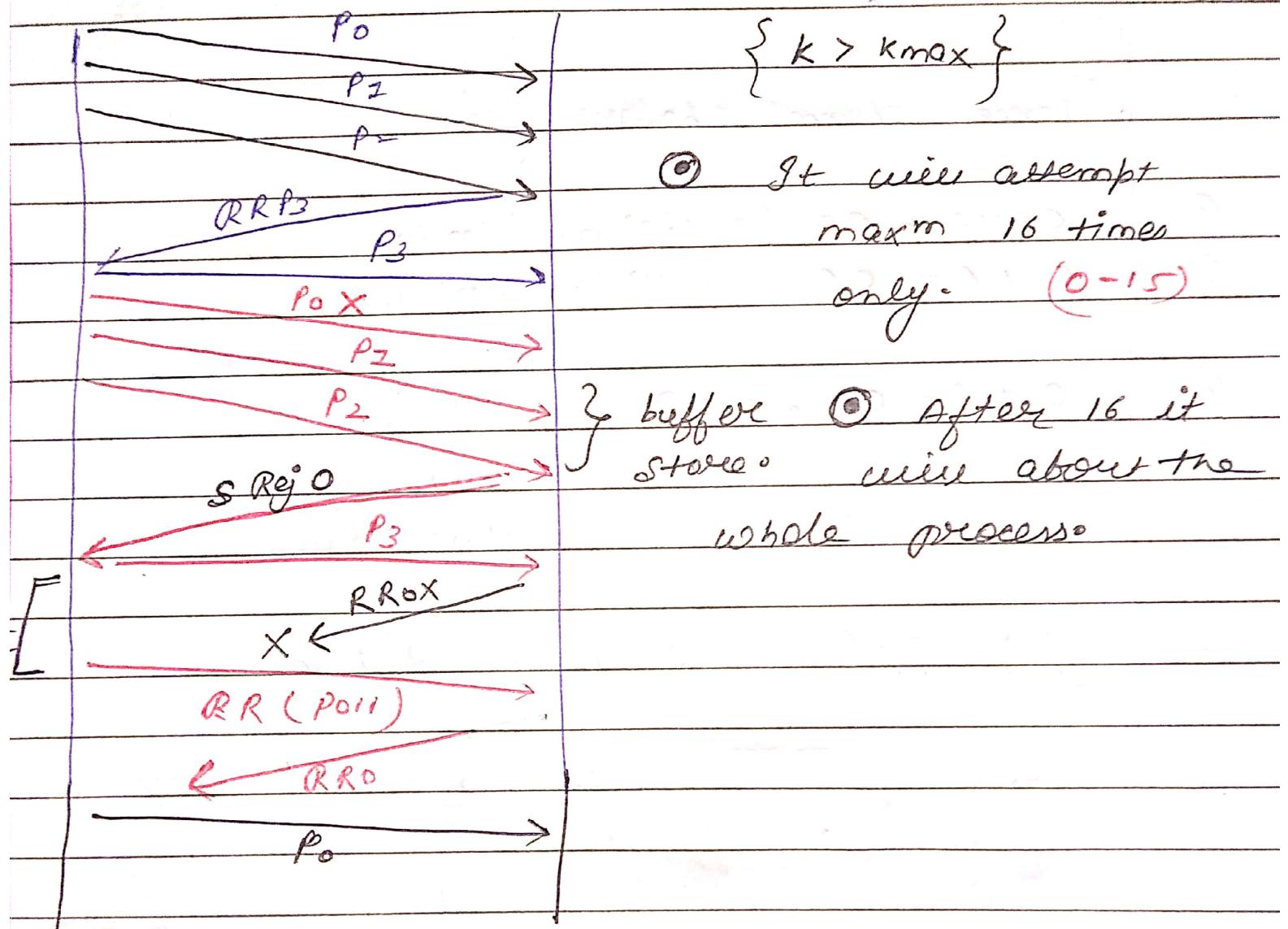


## Sliding window protocols :-

Multiple packets one Ack concept.



## Selective Reject technique :-



$$O = O$$

## No ch-04 Multiple Access

CSMA :- carrier sense multiple Access.

"sense channel before you transmit"

CSMA - CD (collision detection)

CSMA - CA (collision avoidance)

CSMA - CD :- ① It detects collision after it occurs.

Happens in mixed Networks.

CSMA - CA :- (collision avoidance)

Here steps are taken to avoid collision before it happens.

It happens mostly in wireless Networks.

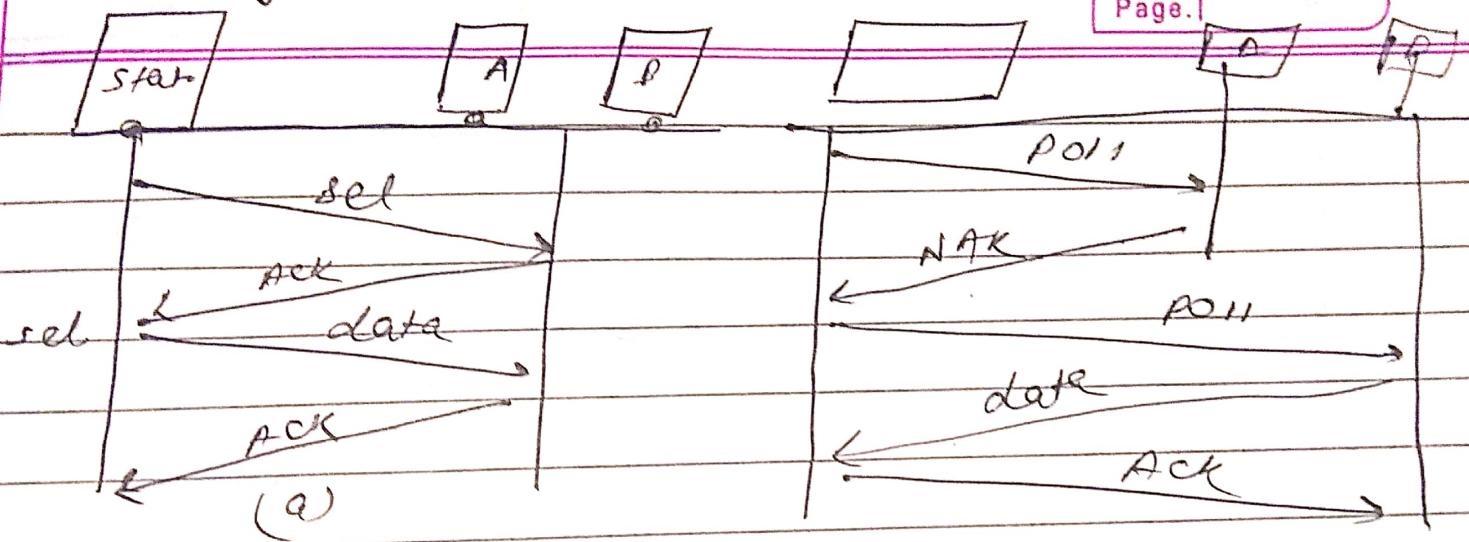
o = o

## No controlled Access

In set message primary station asks the sec. stations if they are free to receive the data; i.e. primary station has some data to send to sec. stations and set is sent to just confirm if the sec. stations are free to receive it or not.

primary

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2) poll :- using poll primary station  
in  
(Receiver) acknowledges receiver rec. station  
that it is free right now  
and is ready to receive data  
from sec. station if they have any.