normal.
$$(a)(-\infty \infty)$$
 $(b)(0 \infty)$
 $(c)(-\infty 0)$ $(d)(-\infty 0)$, $(0 1)$, (1∞)
Q:12 The I in which the equation
 $2y'' - 3y' - y = logx$ is normal. $(a)(-\infty \infty)$
 $(b)(0 \infty)$ $(c)(-\infty 0)$ $(d)(-\infty 0)$, $(0 1)$, (1∞)
Q:13 The value of K s. t.
the set of fuctions $\{k, e^k\}$ is L. D.
 $(a)k = 0$ $(b)k = 1$ $(c)k = 2$ $(d)k = 3$

Q:11 The / in which the x(1-x)y'' - 3xy' - y = x is

Q:14 The equation having
$$e^{2x}$$
 and xe^{2x} as
independent sol. is
(a)y" - 4y' + 4y = 0 (b) y" - 5y' + 6y = 0

(c)y'' - 4y = 0

Q:15 The Solution of y'' + 2y' - 3y = 0 is (a) $Ae^{-3x} + Be^{x}$ (b) $Ae^{-2x} + Be^{x}$ (c) Ae^{-3x} (d) Ae^{x}

(a)
$$Ae^{-2x} + Be^{2x}$$
 (b) $Ae^{-2x} + Be^{x}$ (c) $(A + Bx)e^{-2x}$ (d) $(A + Bx)e^{2x}$ Q:17 The Solution of $y'' - 2y' + 10y = 0$ is (a) $e^{x}(Acos3x + Bsin3x)$ (b) $Ae^{-3x} + Be^{x}$ (c) $(A + Bx)e^{3x}$ (d) $(Acosx + Bsinx)e^{x}$ Q:18 The Solution of $y' - 3y = 0$, $y(0) = 1$ is (a) e^{-3x} (b) e^{-2x} (c) e^{3x} (d) e^{x} 19 If $y'' - 2y' + y = 0$ under $y(1) = 0$ then sum of arbitrary constant is (a) 0, (b) 1,(c)2 (d)3 20 If $y'' + 2y' - 3y = 0$ under $y(0) = 6$ then sum of arbitrary constant is (a) 0, (b) 1,(c)2 (d)6 Q:21 P.I. of $y'' + y' - 2y = e^{x}$ is a) $x^{2}e^{x}$ (b) e^{x} (c) $xe^{x}/3$ (d) xe^{x} Q:22 P.I. of $y'' + 4y' + 4y = 4x^{2} + 1$ is a) x^{2} (b) $(4x^{4} - 8x + 7)/4$ (c) x^{4} (d) xe^{x} Q:23 P.I. of $y'' + 2y' + 3y = sinx$ is a) (sinx $- cosx$) (b) (sinx $+ cosx$)/4 (c) (sinx $- cosx$)/4 (d) sinx/3 Q:24 P.I. of $y'' - 3y' + 2y = xe^{3x}$ is a) x^{2} (b) $4e^{3x}$ (c) e^{3x} ($x^{2} - \frac{3}{4}$) (d) xe^{x} Q:25 P.I. of $y'' + 3y' + 2y = e^{x}$ cosx is a) (sinx $- cosx$) (b) e^{x} (sinx $+ cosx$)/10 (c) (sinx $- cosx$)/3 (d) sinx/3 Q:26 P.I. of $y'' + 3y' + 2y = e^{2x}$ is a) x^{2} (b) x^{2} (c) x^{2} (d) x^{2} Q:27 By the method of undetermined coefficients The trial sol. of equation $y'' - 5y' + 6y = x$ (a) x^{2} (b) x^{2} (c) x^{2} (d) x^{2} Q:28 By the method of undetermined coefficients The trial sol. of equation $y'' - 4y' + 4y = e^{2x}$ (a) x^{2} (b) x^{2} (c) x^{2} (c) x^{2} (d) x^{2} (e) x^{2} (f) x^{2} (f) x^{2} (g) $x^$

 $x^2y'' + xy' - y = x^3$ is and $y_1 = x, y_2 = \frac{1}{x}$

then by method of variation of parameter B(X) =

(a) $x^4/8$ (b) x (c) $-x^4/8$ (d)x/2

Q:16 The Solution of y'' - 4y' + 4y = 0 is

