

Ted Johnson

G1 SID: 19335618

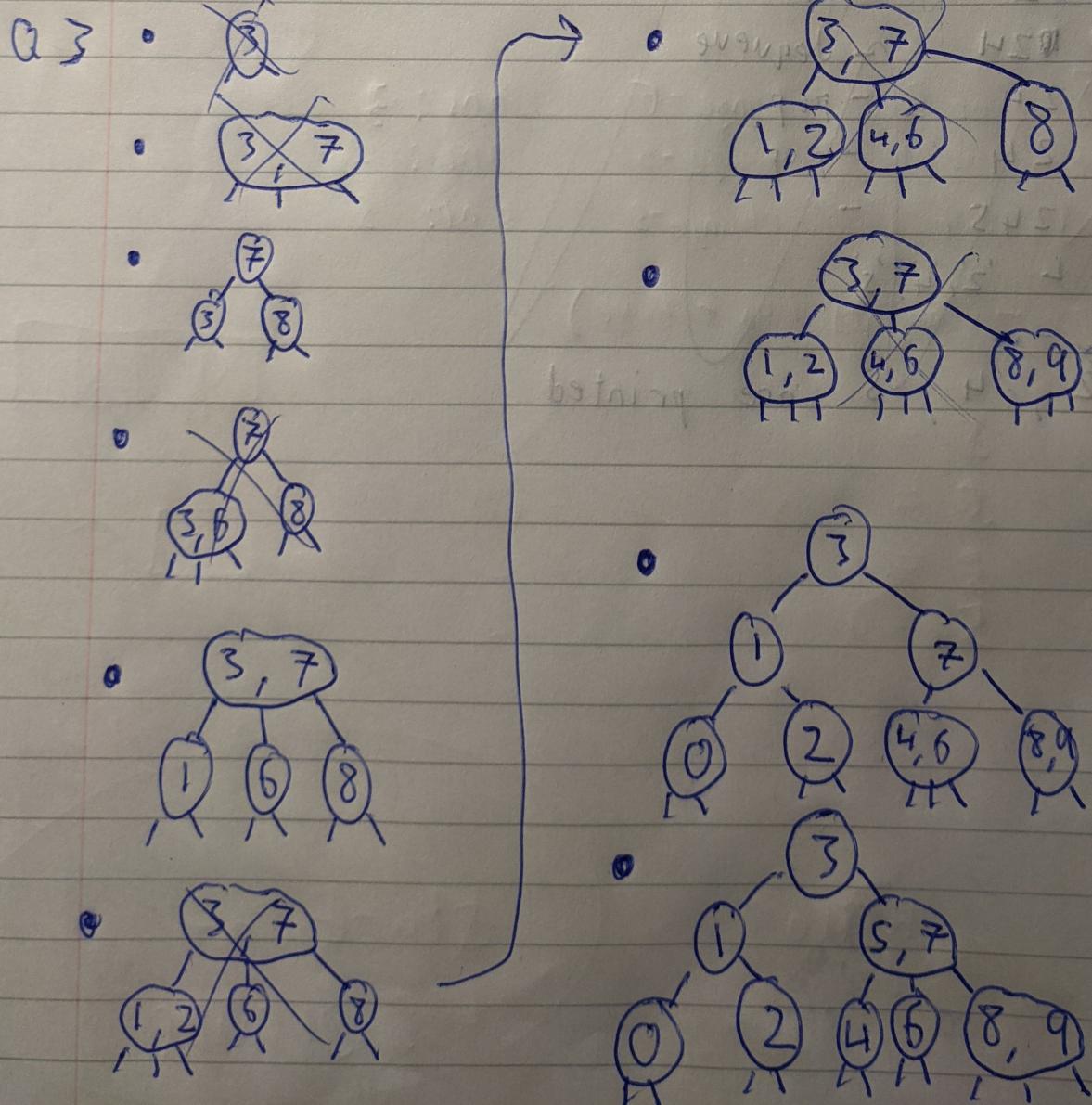
SID²: 373866123441924
d1 d2 d3 d4 d5 d6 d7 d8 d9 d10 d11 d12 d13 d14 d15

3 7 8 6 1 2 4 9 0 5

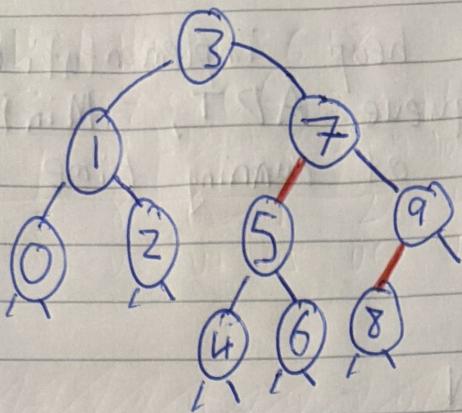
U1 U2 U3 U4 U5 U6 U7 U8 U9 U10

		<u>buffer</u>	<u>output</u>
Q2	• 3 - pop	: \	3
	• 7 - \	: 7	3
	• 8 - dequeue	: 8	3, 7
	• 6 - pop	: 8	3, 7, 6
	• 1 - \	: 8, 1	3, 7, 6
	• 2 - dequeue	: 1, 2	3, 7, 6, 8
	• 4 - dequeue	: 2, 4	3, 7, 6, 8, 1
	• 9 - pop	: 2, 4	3, 7, 6, 8, 1, 9
	• 0 - pop	: 2, 4	3, 7, 6, 8, 1, 9, 0
	• 5 - \	: 2, 4, 5	3, 7, 6, 8, 1, 9, 0

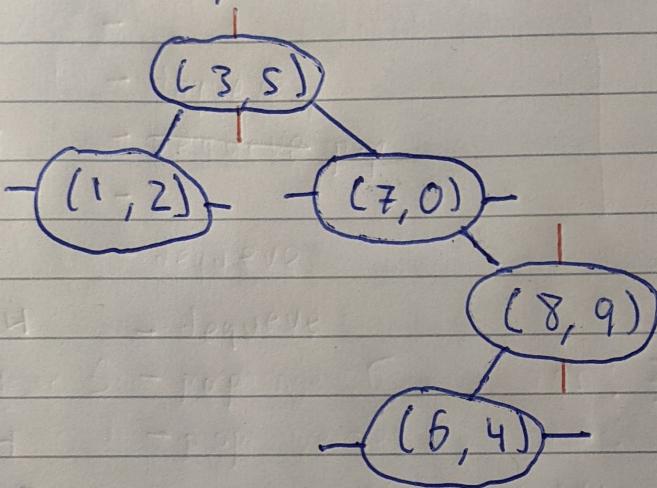
Output: 3, 7, 6, 8, 1, 9, 0, 2, 4, 5
 (on separate lines of course)



Q4



Q5 Points: (3, 5), (7, 0), (8, 9), (6, 4), (1, 2)



Q6

Big-O (or O) notation is used to give an asymptotic upper bound for a function. Big-Omega (or Ω) notation is used to give an asymptotic lower bound for a function.

For example, $O(n^2)$ asymptotically bounds any function with a lower order-of-growth from above. Therefore, functions n and $\log_2 n$ are encompassed.

However, $\Omega(n^2)$ is the opposite. This would asymptotically bound any function with a higher order-of-growth from below, such as n^5 or 2^n .

Q7 Assuming MinPQ is implemented using a binary heap, then MinPQ has the following order-of-growth of running time with a size of N:

insert: $\log N$

delete min: $\log N$

It also has order-of-growth of space of N.

The method `findKthLargest` ~~takes~~ takes an array of integers `nums` of length `N` and an integer `k`. We will use the mathematical approach to approximate the running time when `N` is large. To do this, we will use tilde notation and cost models.

Line 1, 2 and 4 are executed once. They can be safely ignored due to the cost model 2: lower terms can be ignored.

This is because lines 3-8 are executed N times. Lines 5 and 7 both call functions which have an order-of-growth of $\log k$ as previously discussed. Line 6 has ~~an order-of-growth~~ constant order-of-growth.

Therefore, the running cost of lines 5-7 is $2 \log k$, or ignoring the constant, $\log k$. They are executed N times, giving `findKthLargest` an approximate running cost of $N \log k$.

The memory used by `findKthLargest` is simply `k`, which is the size of the binary heap implemented MinPQ ADT.