# Forecasting Future Mesothelioma Incidences

#### Modern Peto Model



## Executive Summary

- ARPC implemented the "Modern Peto" model
- Used nationally representative incidence data for males and females, 1973-2007
- Forecasted incidences for 2008-2050
- The estimated model fits the data well (R<sup>2</sup> = 85%)
- 72,012 additional mesothelioma cases are forecasted for the period 2008 through 2050 (actual number of cases from 1973 through 2007 was 85,419)



### Data

#### Mesothelioma Incidence Data

- The National Cancer Institute (NCI) administers a data collection program called Surveillance, Epidemiology and End Results (SEER)
- A division of the Centers for Disease Control and Prevention (CDC), called National Program of Cancer Registries (NPCR) publishes data referred to as United States Cancer Statistics (USCS)

#### Population Data

Historical population counts were downloaded from the SEER website

#### Mortality Tables

Social Security Administration



# Data Processing

- The model requires incidences by single year of age, whereas some of the data is more aggregated
  - Used cubic spline interpolation to fill in missing data
- Disparate population coverage in the various datasets
  - Scaled SEER data to make them nationally representative
- SEER data might be biased given the nonrandom location of registries
  - Scaled SEER data to match the (unbiased) USCS data for the period of overlap
- Forecasted US population by age, from 2008 through 2050, using mortality tables



### Modern Peto Model

- A model with epidemiological foundations
  - The incidence rate is determined by the cumulative weighted exposure to asbestos
- The model follows closely the literature
  - □ Hodgson et al. (2005)
  - Tan and Warren (2009)



## Number of incidences

•  $Y_{A,T}$ : The number of incidences at age A and year T is a random variable that follows a Poisson-distribution with mean  $\lambda_{A,T}$ 

$$\Pr_{P_{\Gamma}} \left( Y_{A,T} = Y \right) = \frac{e^{-\lambda_{A,T}} \left( \lambda_{A,T} \right)^{y}}{v!} \qquad \text{for } y = 0,1,2,...$$

The likelihood of the data can be written as

$$I = \prod_{A,T} \frac{e^{-\lambda_{A,T}} \left(\lambda_{A,T}\right)^{Y_{A,T}}}{e^{-\lambda_{A,T}} \left(\lambda_{A,T}\right)^{Y_{A,T}}}$$

### Mean incidence rate

Mean number of incidences is determined by the following formula

$$\lambda_{A,T} = (r_{A,T} + b) * Pop_{A,T}$$

- r<sub>A,T</sub> incidence rate due to asbestos exposure
- b background incidence rate
- Pop<sub>A,T</sub> population size of age A in year T

# Incidence rate due to asbestos exposure

 The incidence rate due to asbestos exposure is determined by a theoretical model of cumulative asbestos exposure

$$r_{A,T} = \sum_{t=0}^{A} D_{T-t} W_{A-t} * max(t-L,0)^{k}$$

- D<sub>T</sub> Overall population exposure in year T
- W<sub>A</sub> Exposure potential at age A
- L Latency (assumed to be 10 years)
- k exponent of time since exposure



# Exposure to asbestos

- How to model the exposure variables?
  - Overall population exposure (D<sub>T</sub>)
  - Age-specific exposure potential (W<sub>A</sub>)
- D<sub>T</sub> was assumed to be a non-parametric function
  - We picked 11 gridpoints: 1910, 1920, 1925, 1930, 1940, 1950, 1960, 1970, 1980, and 1990.
  - The 11 associated function values were estimated
  - Other function values were determined by piecewise cubic interpolation
- W<sub>A</sub> was assumed to be a parametric beta function
  - This function has two free parameters. We assumed symmetry:  $W_{\alpha} = W_{\beta}$ , so only one parameter had to be estimated



## Maximum Likelihood Estimation

Estimate the model by maximum likelihood

$$L(\theta) = \prod_{A,T} \frac{e^{-\lambda_{A,T}(\theta)} (\lambda_{A,T}(\theta))^{Y_{A,T}}}{Y_{A,T}!}$$

$$\log L(\theta) = \sum_{A,T} -\lambda_{A,T}(\theta) + Y_{A,T} \log(\lambda_{A,T}(\theta)) - \log(Y_{A,T}!)$$



## Parameter estimates

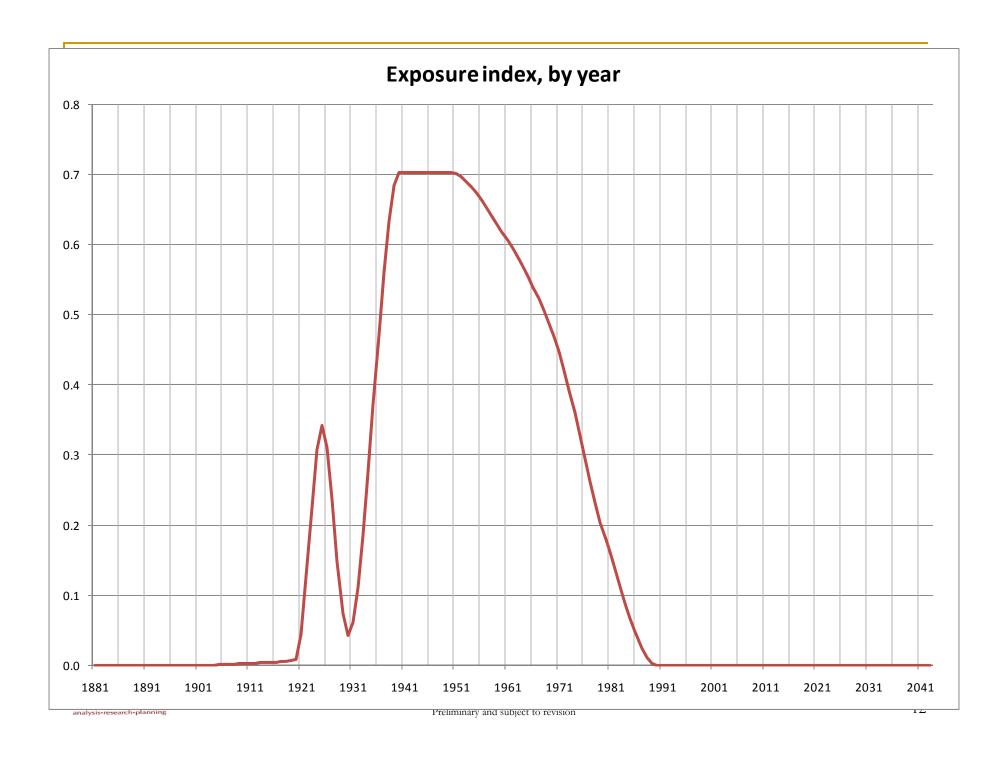
Number of observations: 3,255

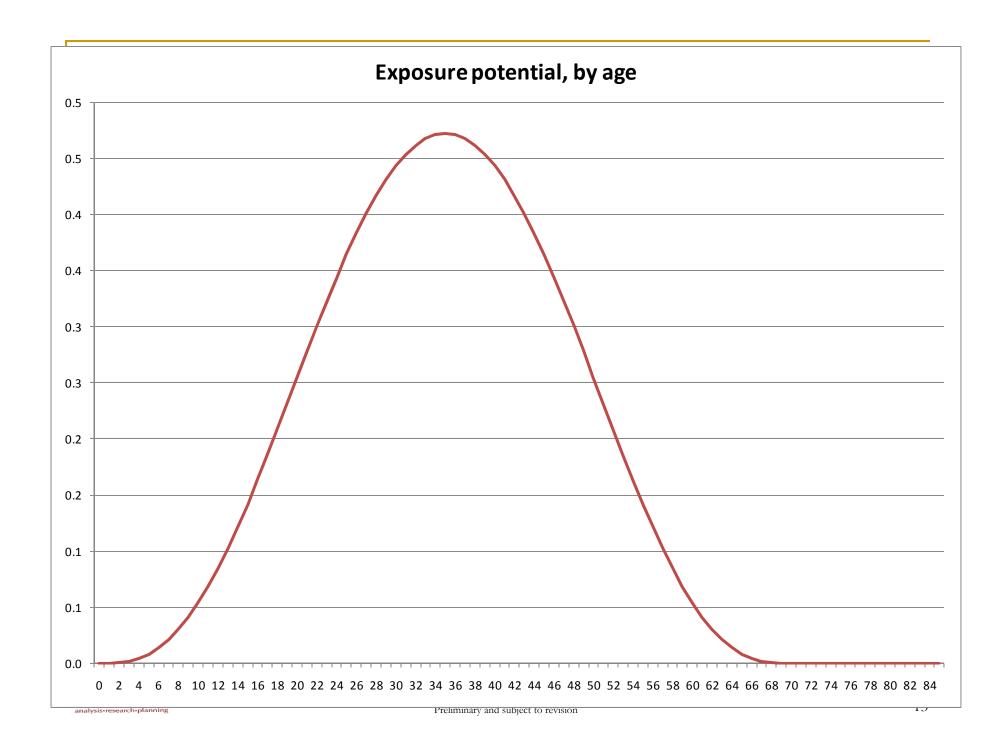
Pseudo-R<sup>2</sup>: 0.85

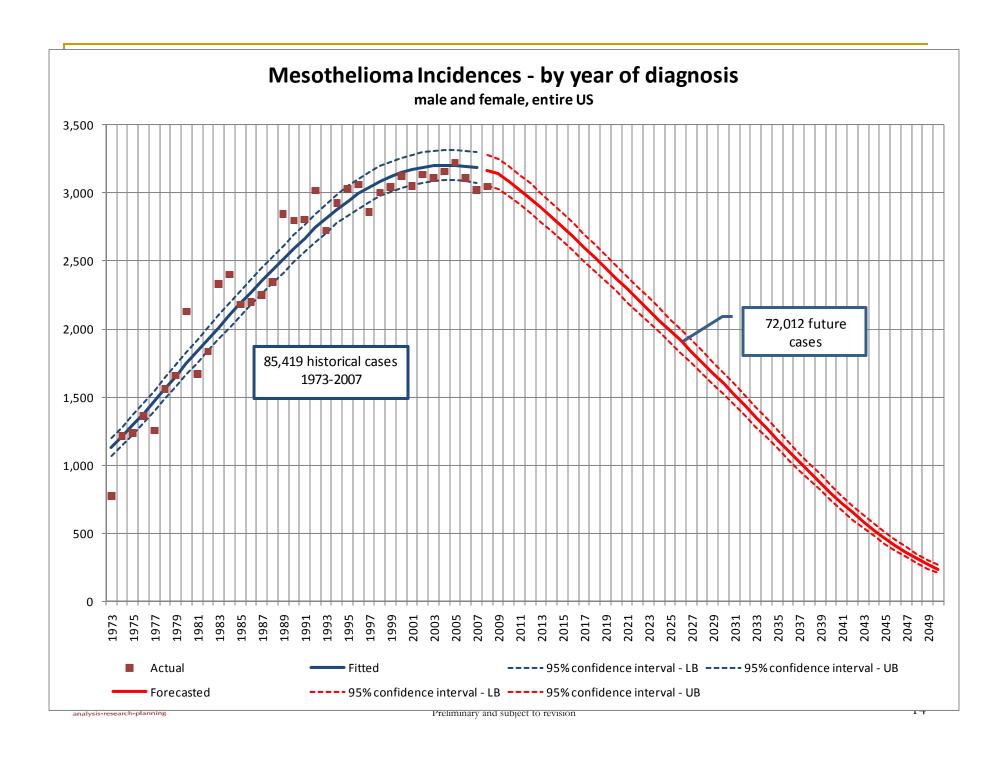
Parameter	Coefficient	95% Confidence Interval	
		Lower Bound	Upper Bound
D_1910	0.0029	0.0000	0.0638
D_1920	0.0082	0.0000	0.0727
D_1925	0.3422	0.0753	0.4358
D_1930	0.0428	0.0000	0.3468
D_1940	0.7019	0.5030	0.8748
D_1950	0.7019	0.5363	0.9008
D_1960	0.6171	0.4834	0.8016
D_1970	0.4690	0.3521	0.5911
D_1980	0.1795	0.1088	0.2607
D_1990	0.0000	0.0000	0.0000
W_alpha = W_beta	3.0387	2.7522	3.3391
k	1.8928	1.8434	1.9492
b	0.0566	0.0486	0.0639

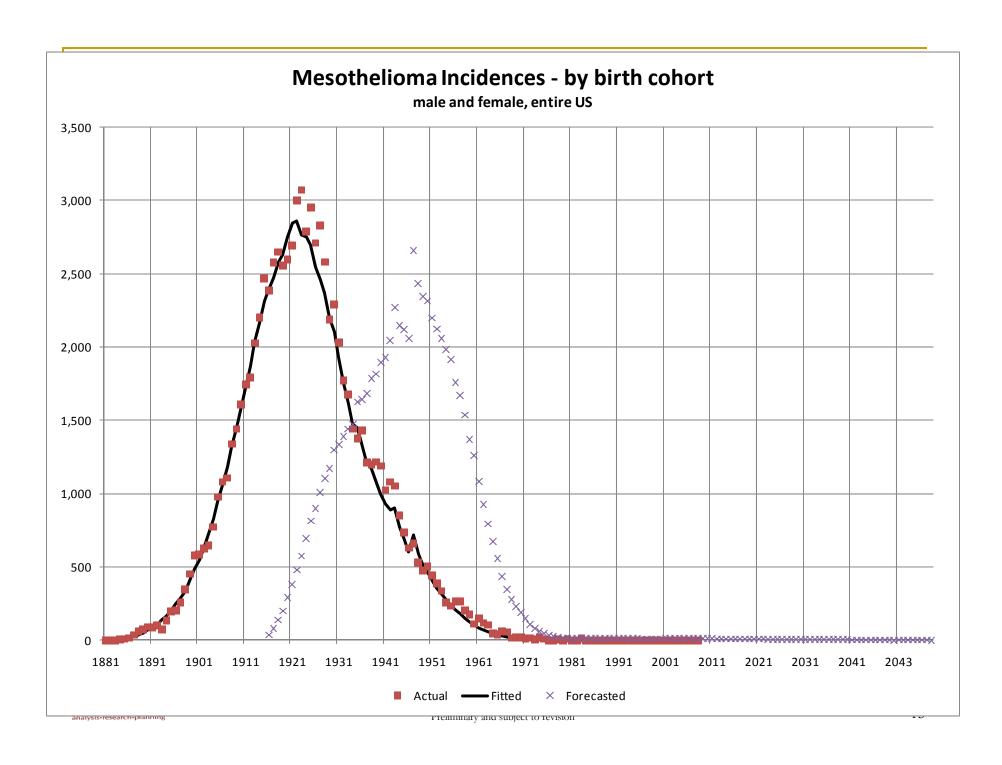
Note: Confidence intervals determined by parametric bootstrap (200 random draws)





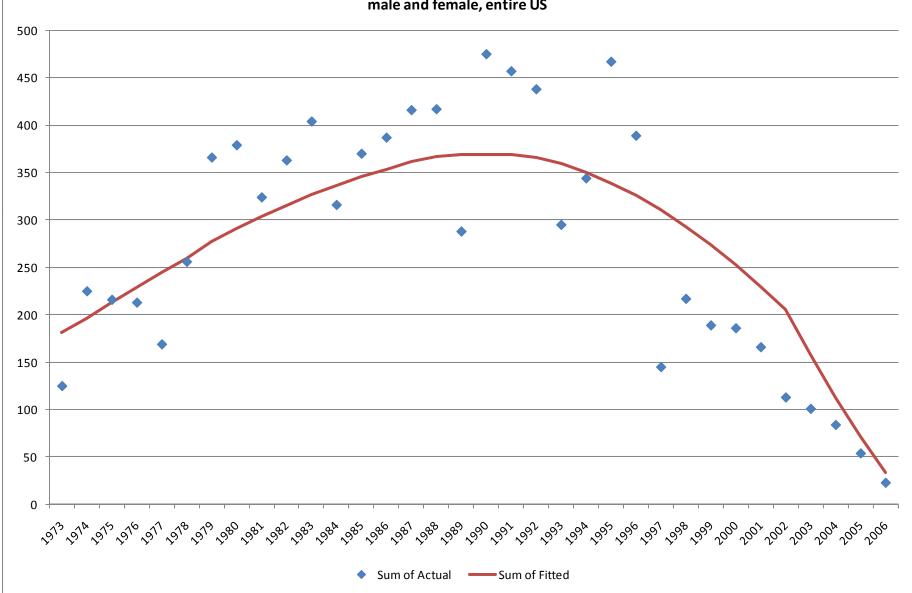






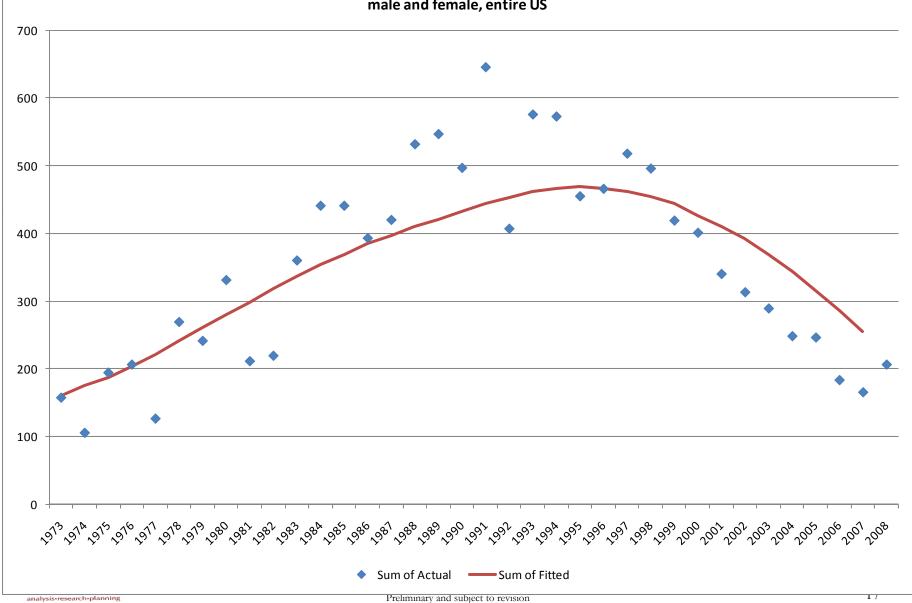


Actual and Fitted, by year, for a specific birth cohort (1910-1914) male and female, entire US



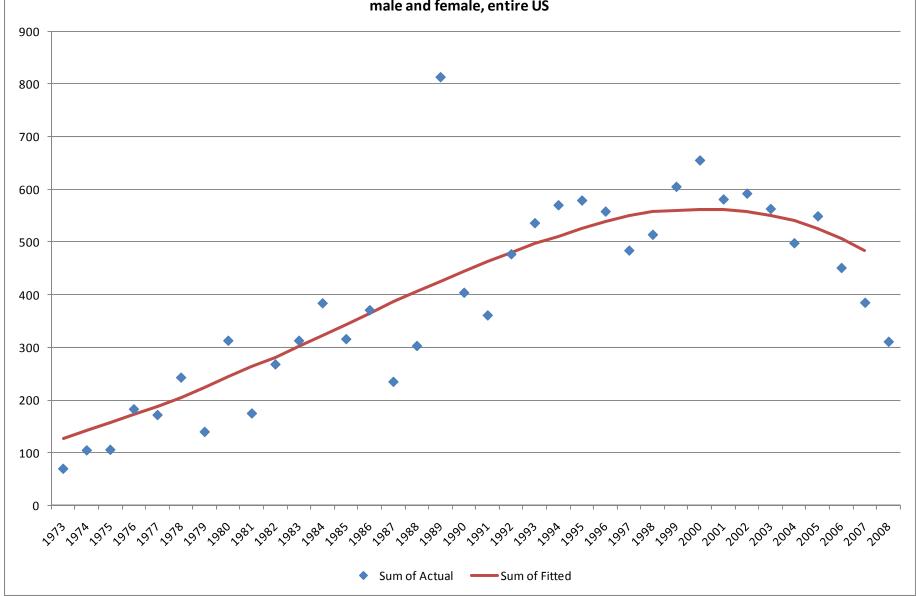


Actual and Fitted, by year, for a specific birth cohort (1915-1919) male and female, entire US



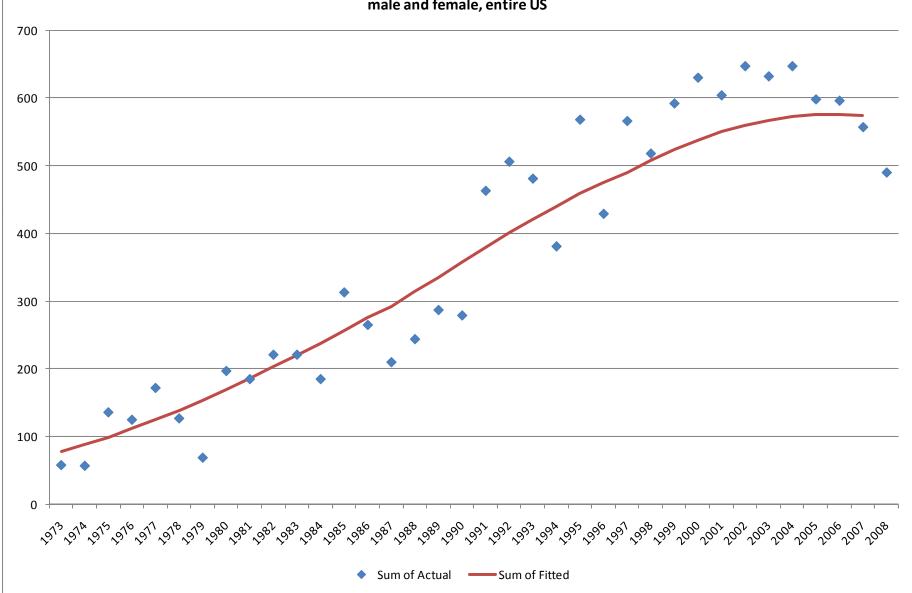


Actual and Fitted, by year, for a specific birth cohort (1920-1924) male and female, entire US



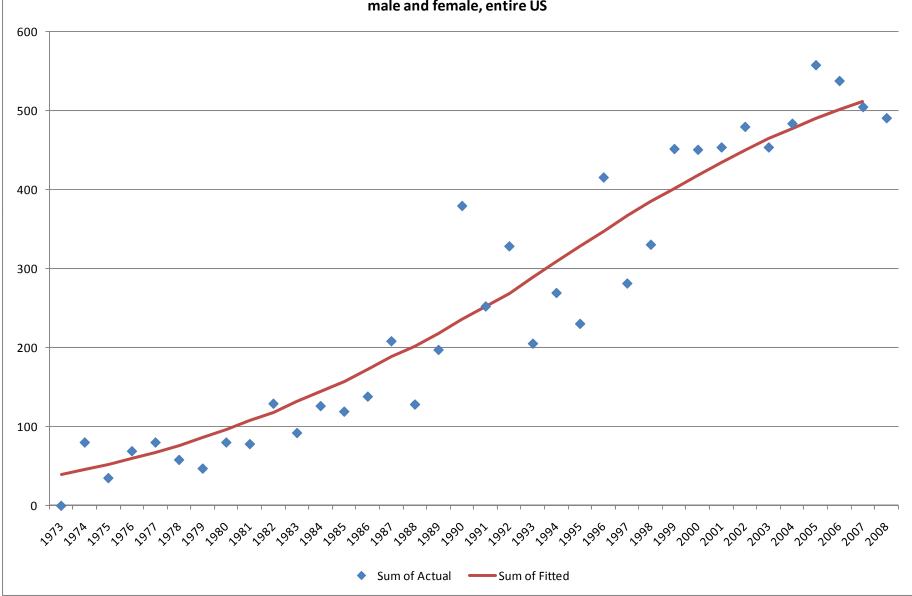


Actual and Fitted, by year, for a specific birth cohort (1925-1929) male and female, entire US



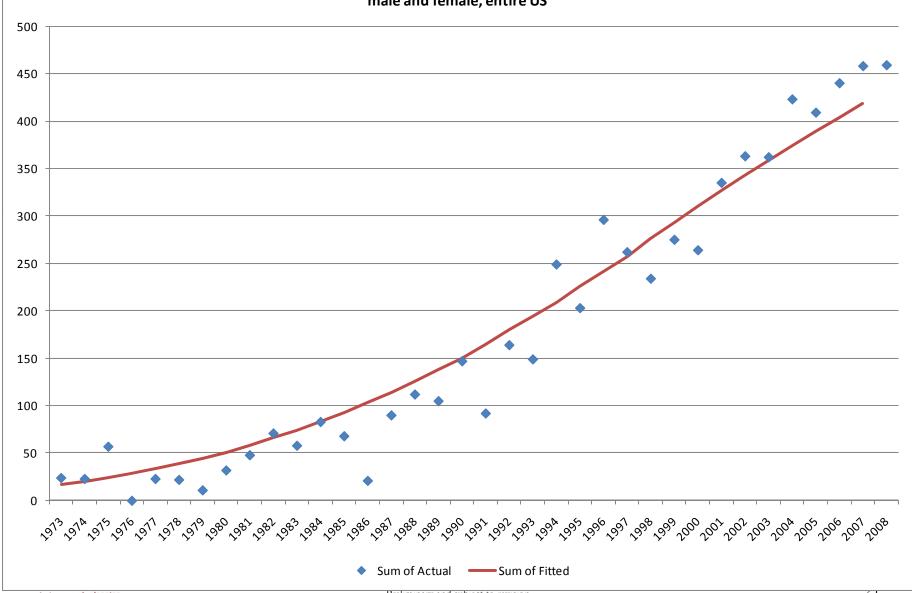


Actual and Fitted, by year, for a specific birth cohort (1930-1934) male and female, entire US



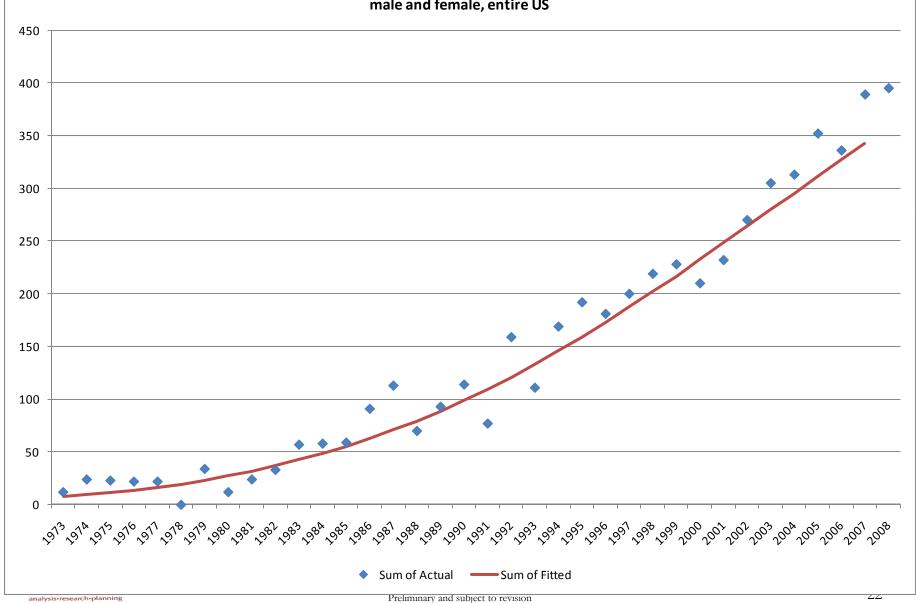


Actual and Fitted, by year, for a specific birth cohort (1935-1939) male and female, entire US



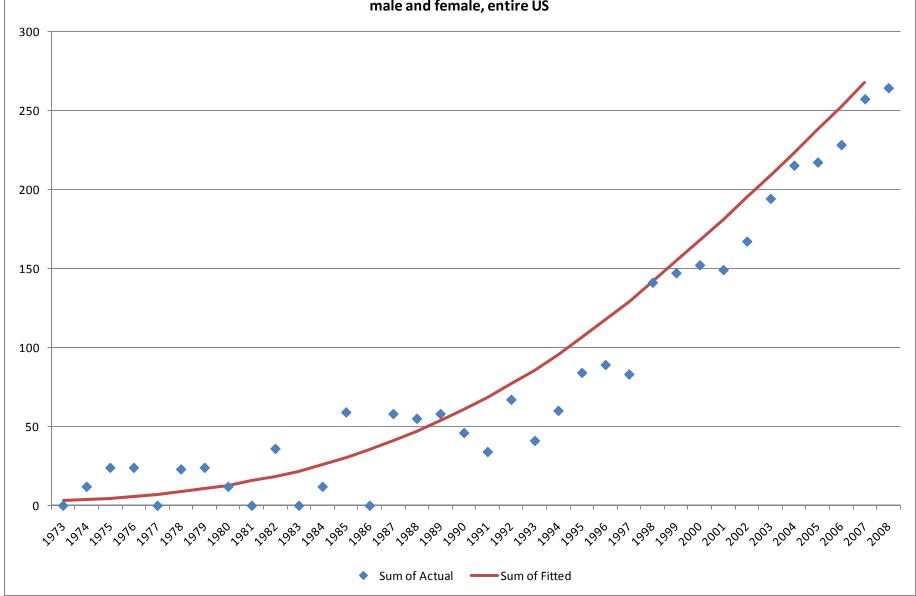


Actual and Fitted, by year, for a specific birth cohort (1940-1944) male and female, entire US



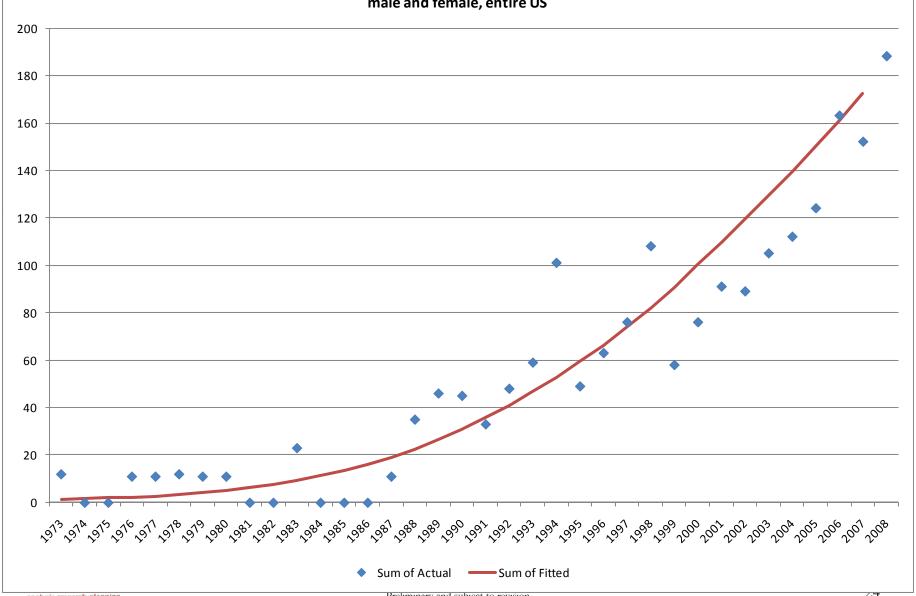


Actual and Fitted, by year, for a specific birth cohort (1945-1949) male and female, entire US



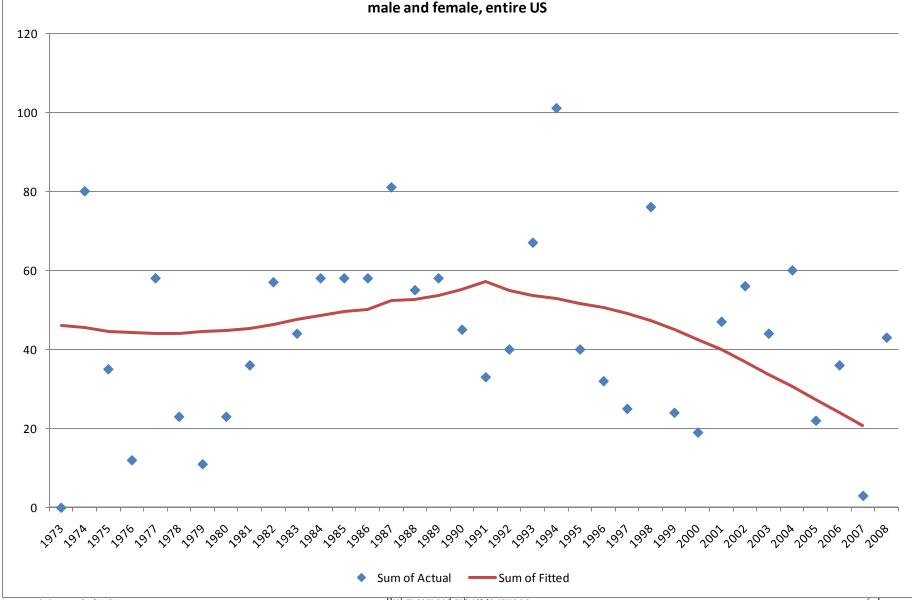


Actual and Fitted, by year, for a specific birth cohort (1950-1954) male and female, entire US



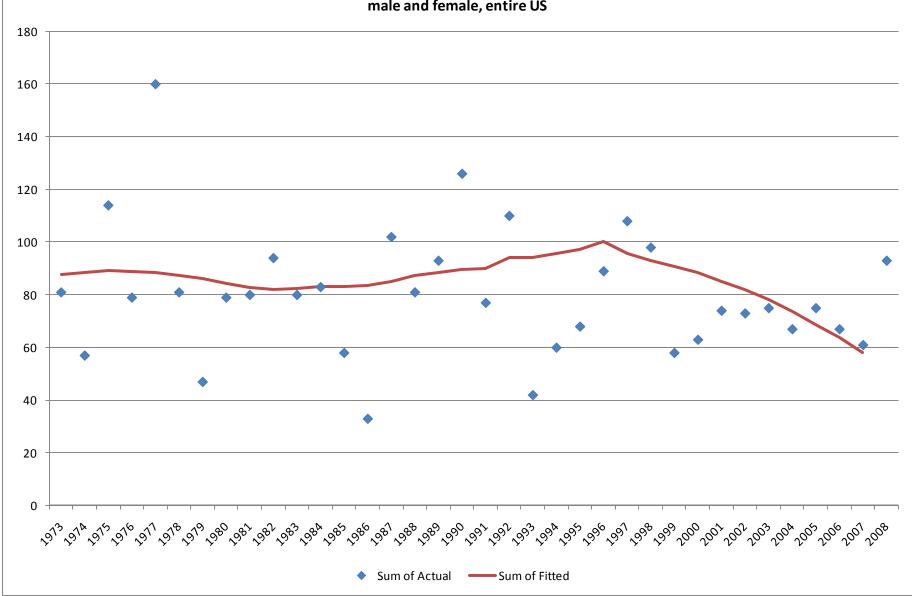


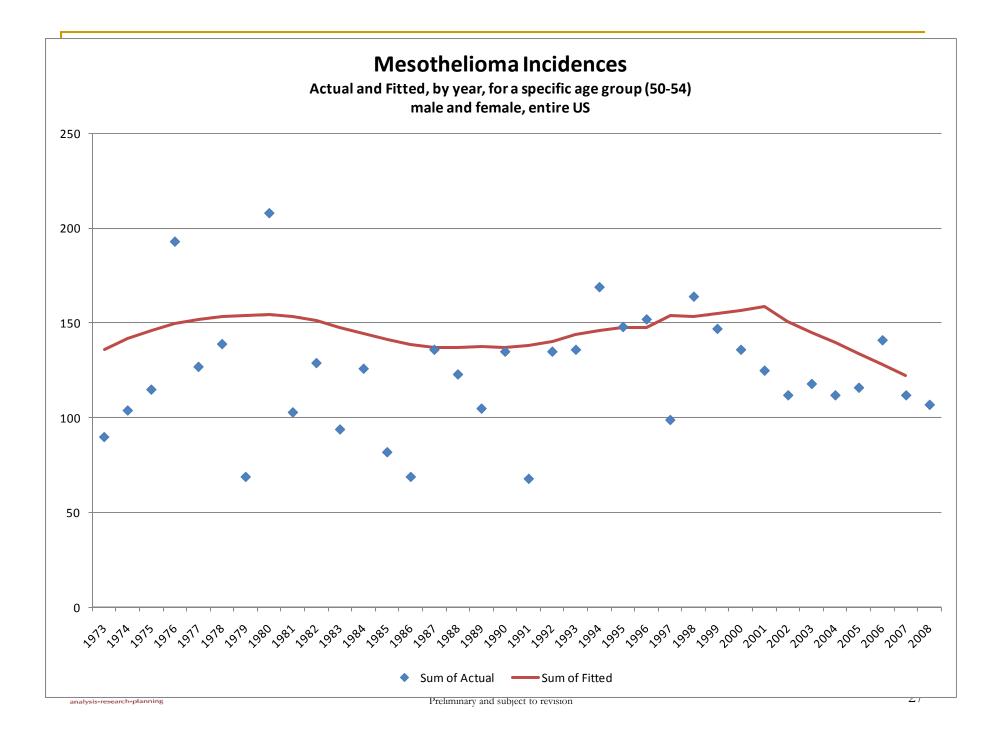
Actual and Fitted, by year, for a specific age group (40-44) male and female, entire US

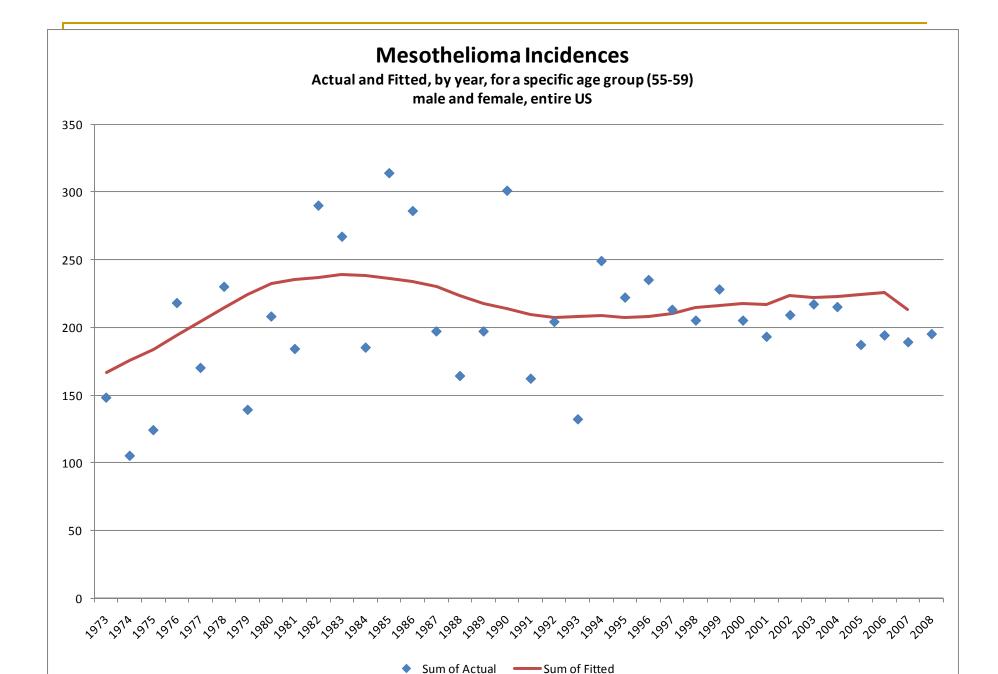


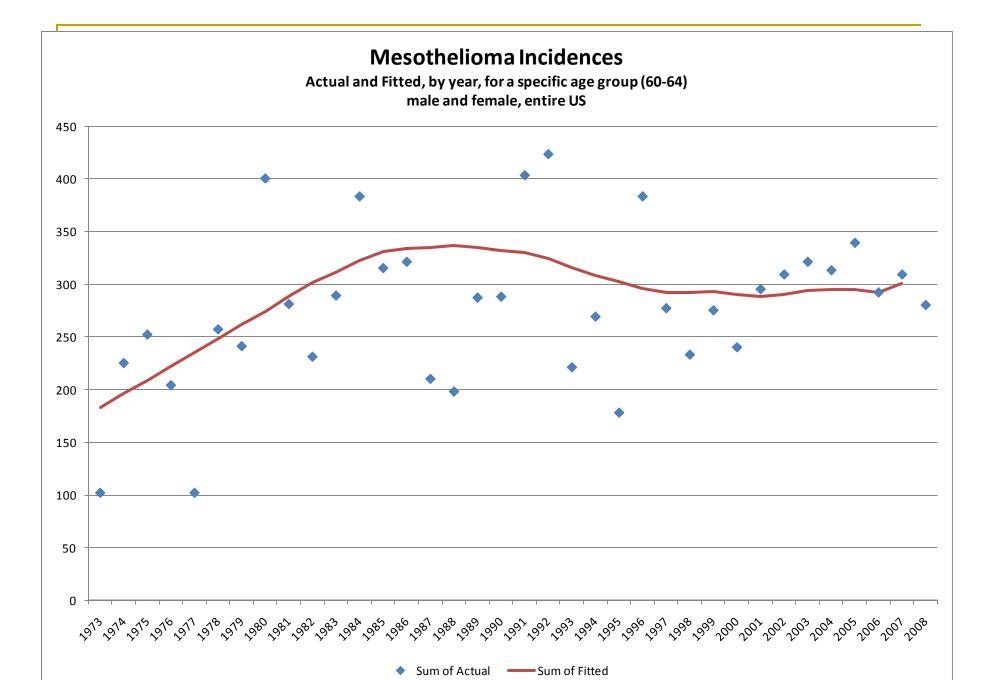


Actual and Fitted, by year, for a specific age group (45-49) male and female, entire US



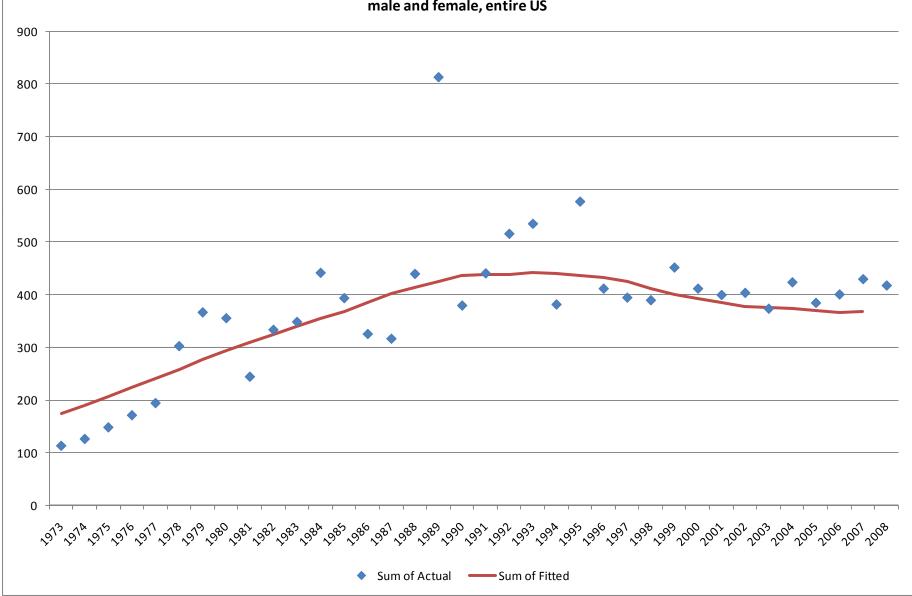






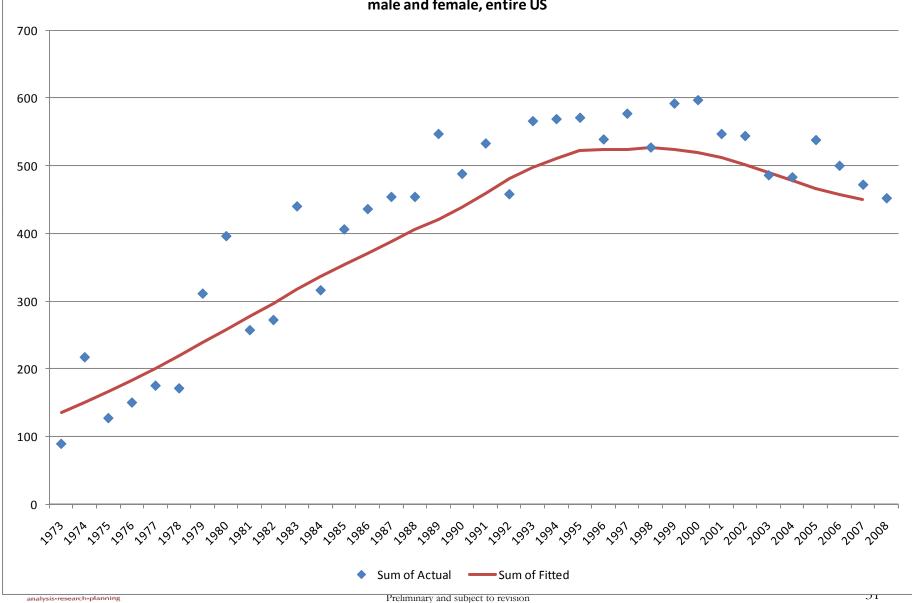


Actual and Fitted, by year, for a specific age group (65-69) male and female, entire US



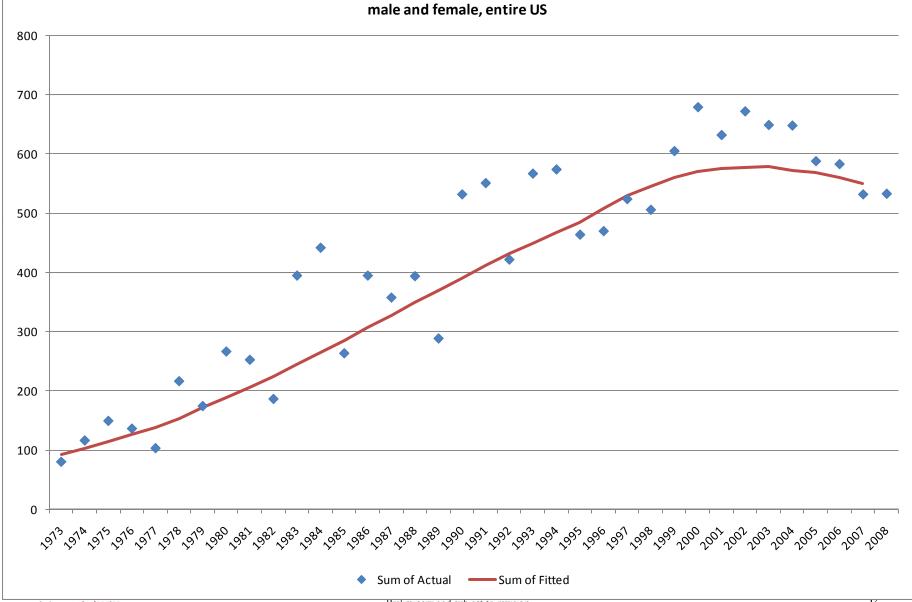


Actual and Fitted, by year, for a specific age group (70-74) male and female, entire US



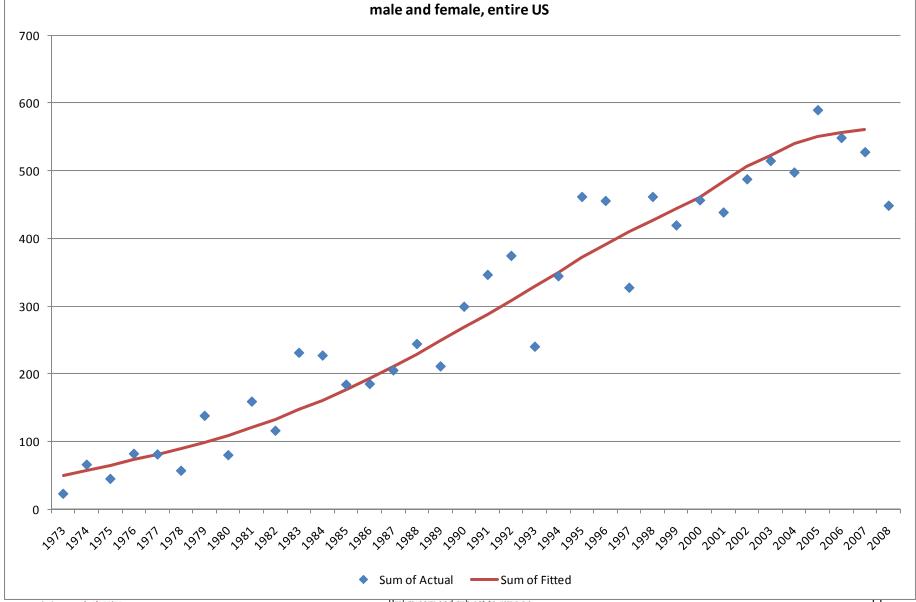


Actual and Fitted, by year, for a specific age group (75-79) male and female. entire US



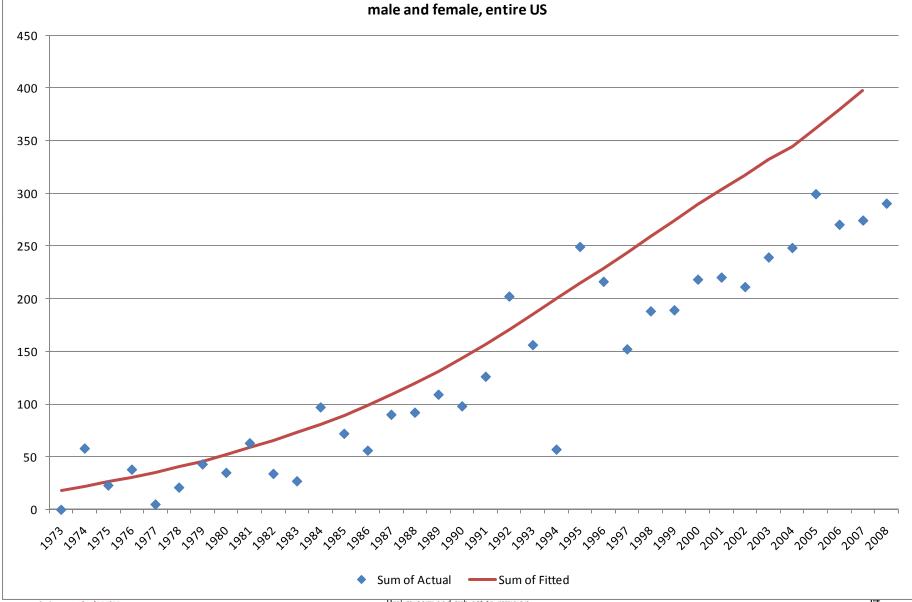


Actual and Fitted, by year, for a specific age group (80-84) male and female. entire US





Actual and Fitted, by year, for a specific age group (85-89) male and female. entire US



### References

- Bell, F. C., and Miller, M. L. "Life Tables for the US Social Security Area 1900-2100"
- Hodgson, J., McElvenny, D., Darnton, A., Price, M., and Peto, J. (2005)
  "The Expected Burden of Mesothelioma Mortality in Great Britain from 2002 to 2050," *British Journal of Cancer* 4, 587-593
- Nicholson W. J., Perkel, G., and Selikoff, I. J. (1982) "Occupational Exposure to Asbestos: Population at Risk and Projected Mortality – 1980-2030," American Journal of Industrial Medicine 3, 259-311
- Peto, J., Henderson, B. E., and Pike, M. C. (1981) "Trends in Mesothelioma Incidence in the United States and the Forecast Epidemic Due to Asbestos Exposure during World War II"
- Tan, E., and Warren, N. (2009), "Projection of Mesothelioma Mortality in Great Britain," prepared by Health and Safety Laboratory for the Health and Safety Executive 2009

