

# Part 1 - Import NVIDIA stock data using quantmod and visualize the closing prices over time.

## Load necessary packages

```
library(quantmod)
```

## Importing NVIDIA stock data using quantmod

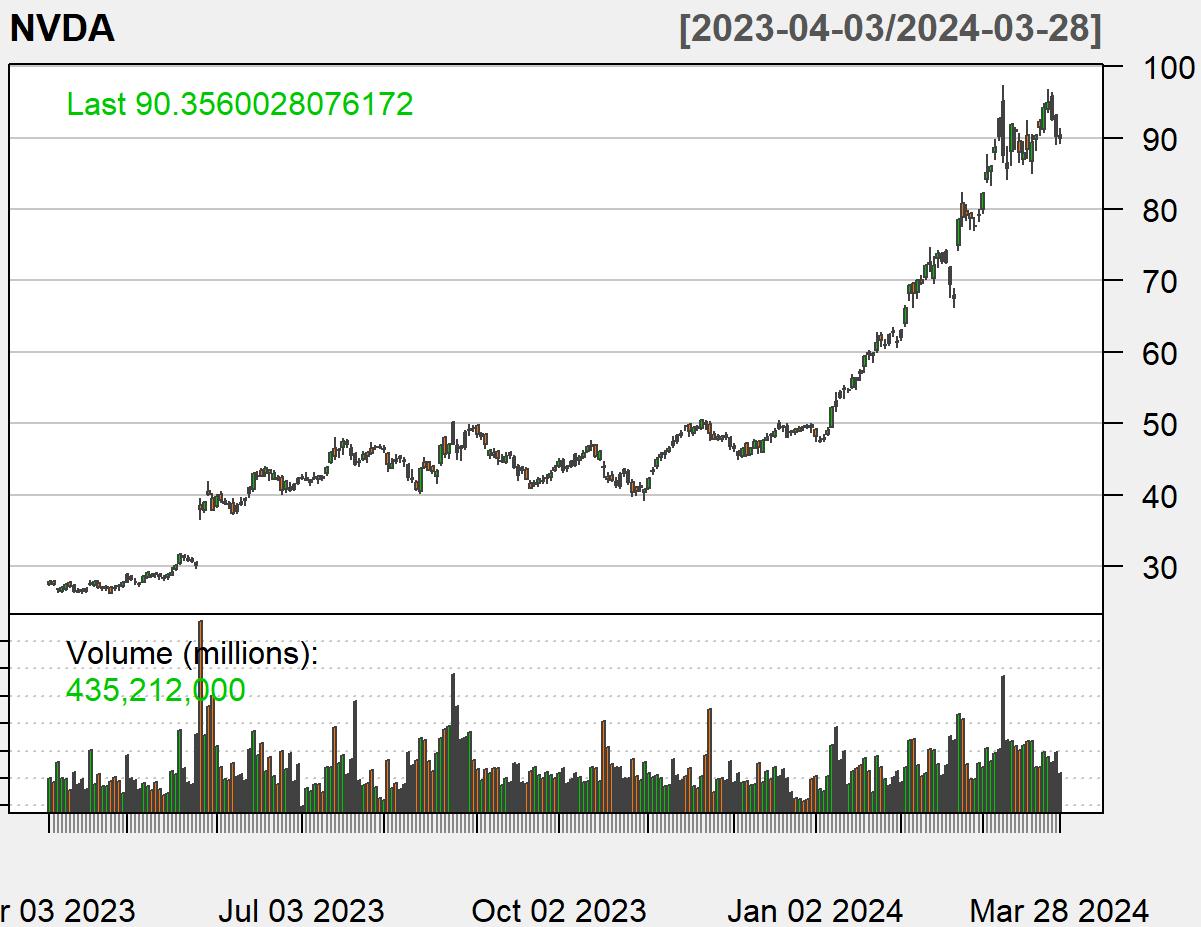
```
getSymbols("NVDA", src = "yahoo", from = "2023-04-01", to = "2024-04-01")
```

```
## [1] "NVDA"
```

## Visualization of NVIDIA's Gains & Losses over a period of 1 year

**Green = gains; Red = losses**

```
chartSeries(NVDA, theme = chartTheme("white"))
```



# **Part 2 - Calculate daily and monthly returns for NVIDIA and Create plots showing price trends and returns.**

**Calculate daily returns using the quantmod package with the function dailyReturn().**

This function computes the percentage change between the closing prices of two consecutive days (y axis = rate of change).

```
NVDA_daily_returns <- dailyReturn(NVDA)
```

**Calculate monthly returns using the quantmad package.**

Involves converting daily stock prices to monthly prices and then computing the returns based on these monthly prices.

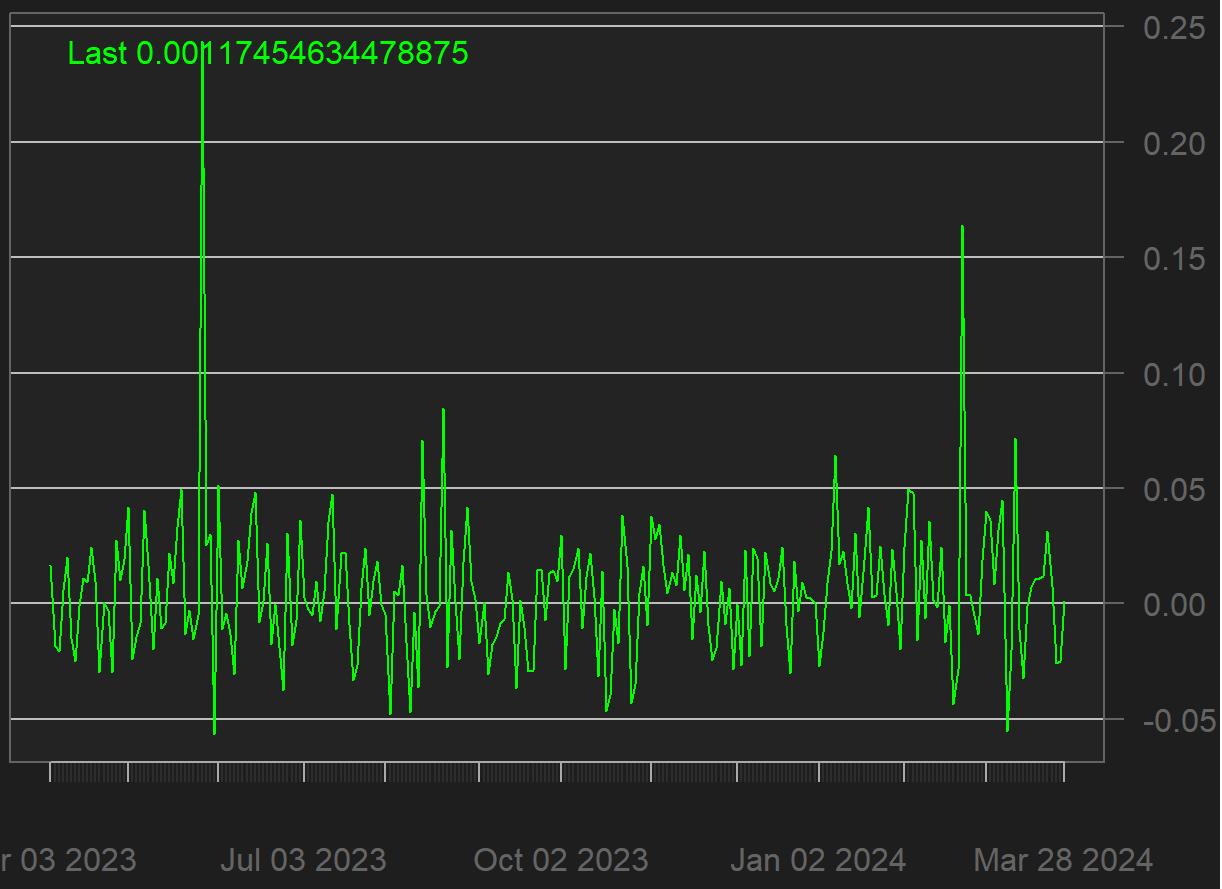
```
NVDA_monthly_returns <- monthlyReturn(NVDA)
```

## **Visualizing daily returns of NVDA**

```
barChart(NVDA_daily_returns, theme = chartTheme("black", grid.col="gray"), name = "Daily Returns for NVDA")
```

## Daily Returns for NVDA

[2023-04-03/2024-03-28]

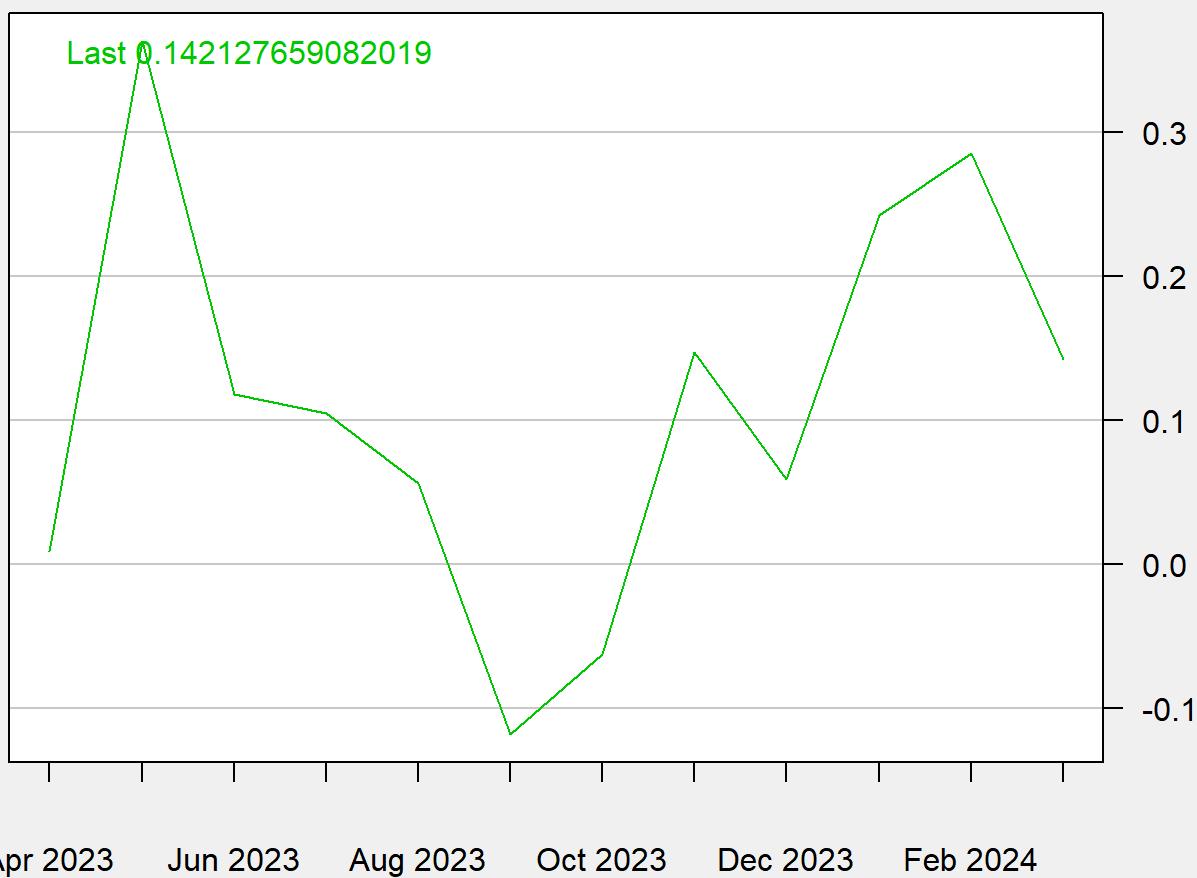


## Visualizing monthly returns of NVDA

```
barChart(NVDA_monthly_returns, theme = chartTheme("white"), name = "Monthly Returns for NVDA")
```

## Monthly Returns for NVDA

[2023-04-28/2024-03-28]



## Part 3 - Compute and plot moving averages and volatility for NVIDIA and Apply technical indicators to generate trading signals.

### Moving averages

SMA calculates the arithmetic mean of the series over the past n observations.

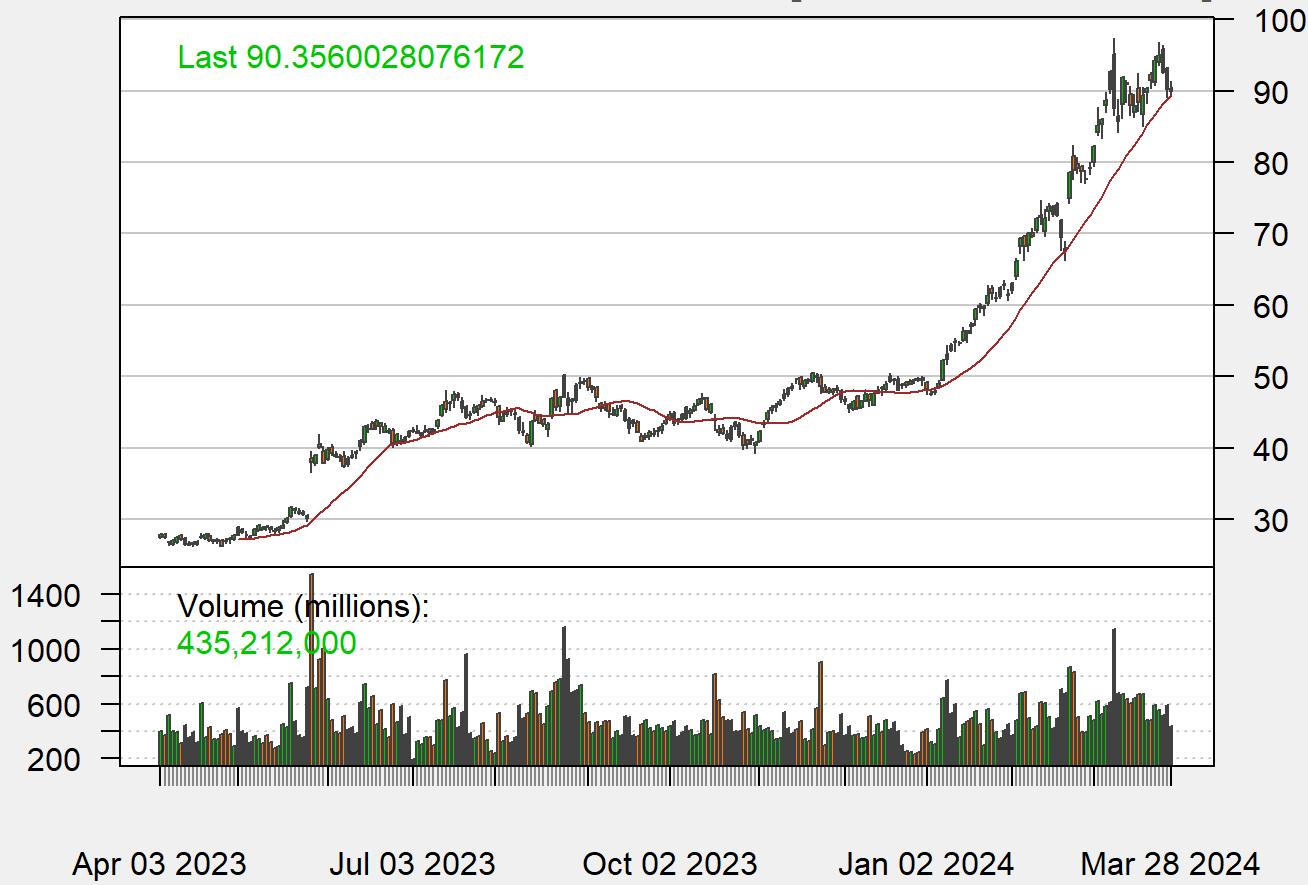
Enhanced chart with volume and SMA overlays

Visualization with SMA = 20

```
chartSeries(NVDA, TA = "addVo();addSMA(20)",theme = chartTheme("white"))
```

NVDA

[2023-04-03/2024-03-28]

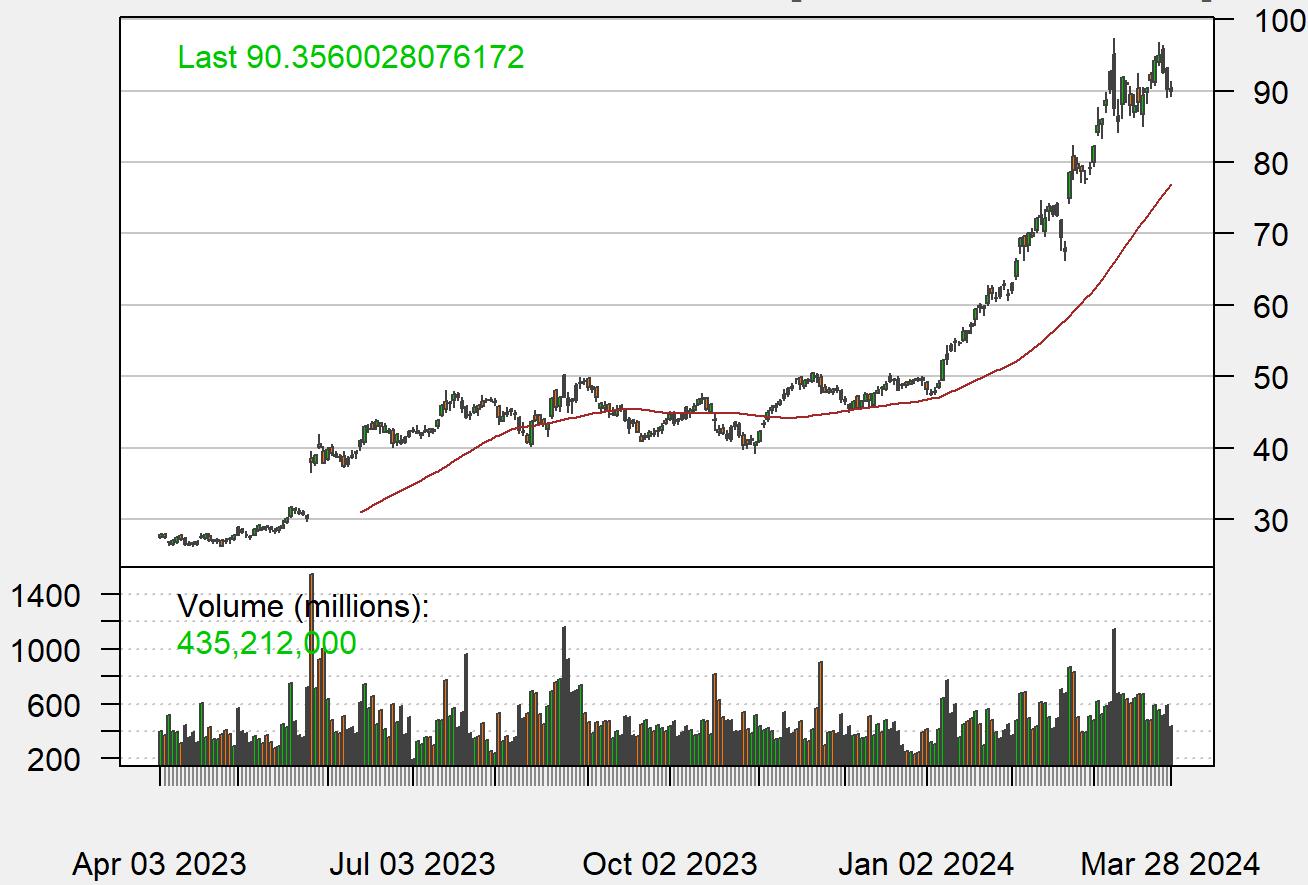


### Visualization with SMA = 50

```
chartSeries(NVDA, TA = "addVo();addSMA(50)",theme = chartTheme("white"))
```

NVDA

[2023-04-03/2024-03-28]



## Volatility (standard deviation of daily returns)

Volatility is a statistical measure of the dispersion of returns for a given security or market index, and it's typically used to quantify the risk associated with a particular investment.

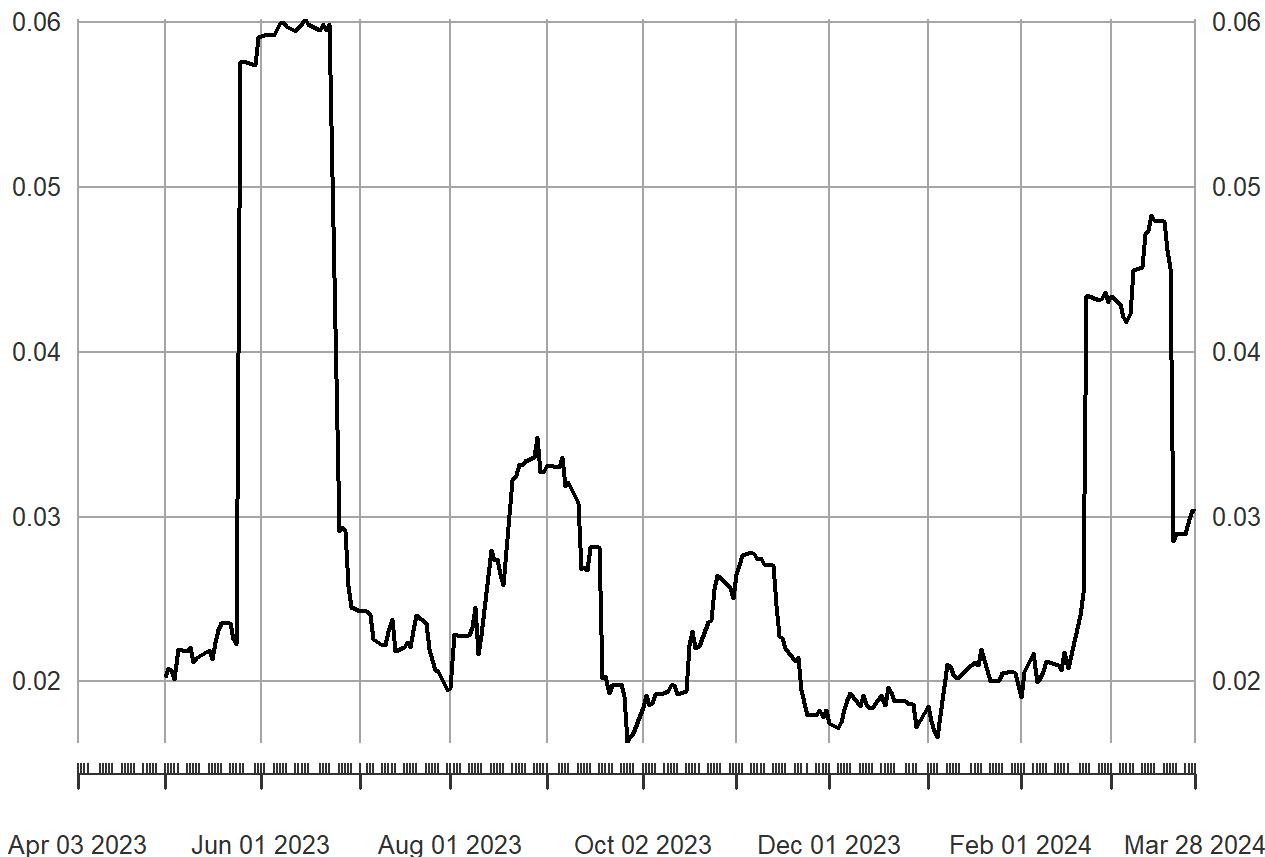
```
NVDA_volatility <- runSD(NVDA_daily_returns, n = 20)
```

### Plotting volatility

```
plot(NVDA_volatility, main = "20-Day Rolling Volatility of NVDA")
```

## 20-Day Rolling Volatility of NVDA

2023-04-03 / 2024-03-28



## Technical indicators

### Moving Average Convergence/Divergence (MACD)

Relative Strength Index (RSI) calculates a ratio of the recent upward price movements to the absolute price movement.

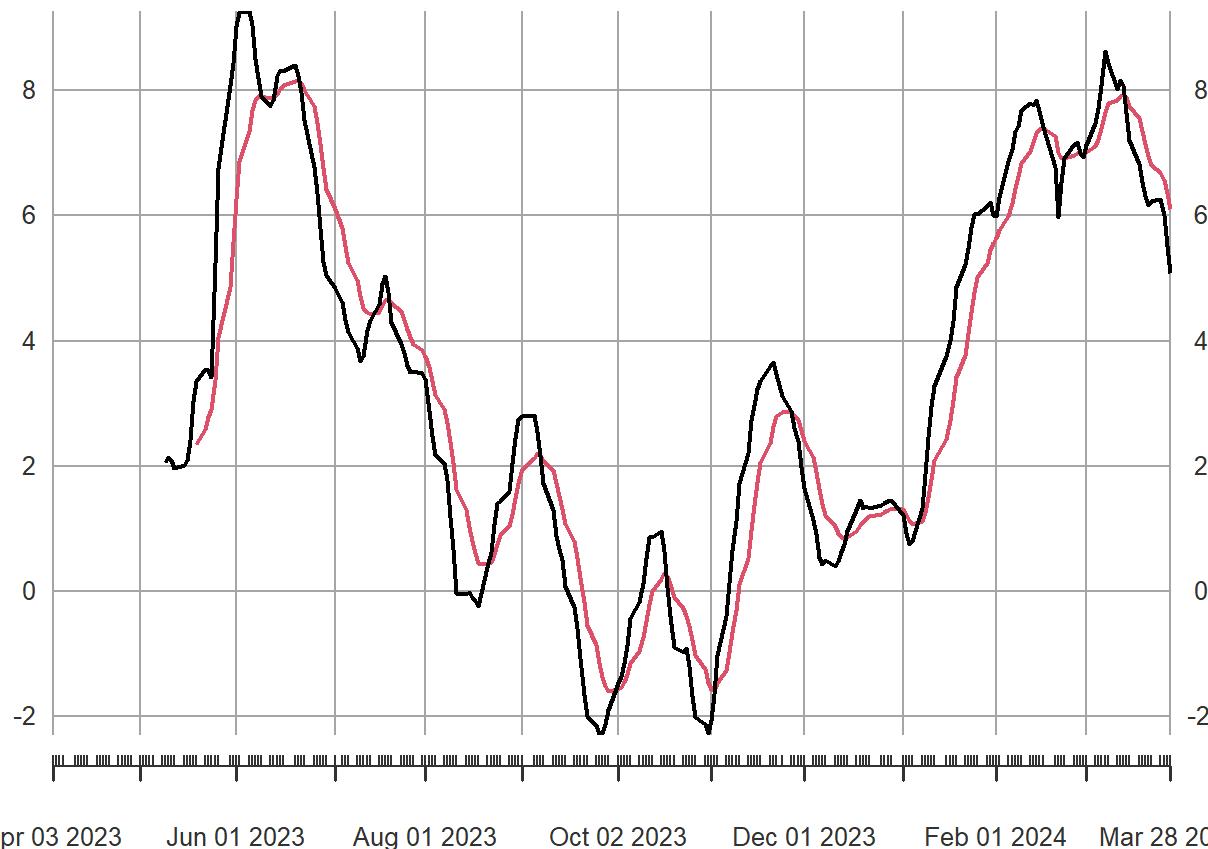
```
NVDA_macd_vals <- MACD(Cl(NVDA))
NVDA_rsi_vals <- RSI(Cl(NVDA))
```

### Plotting MACD of NVDA

```
plot(NVDA_macd_vals, main = "MACD NVDA")
```

**MACD NVDA**

2023-04-03 / 2024-03-28

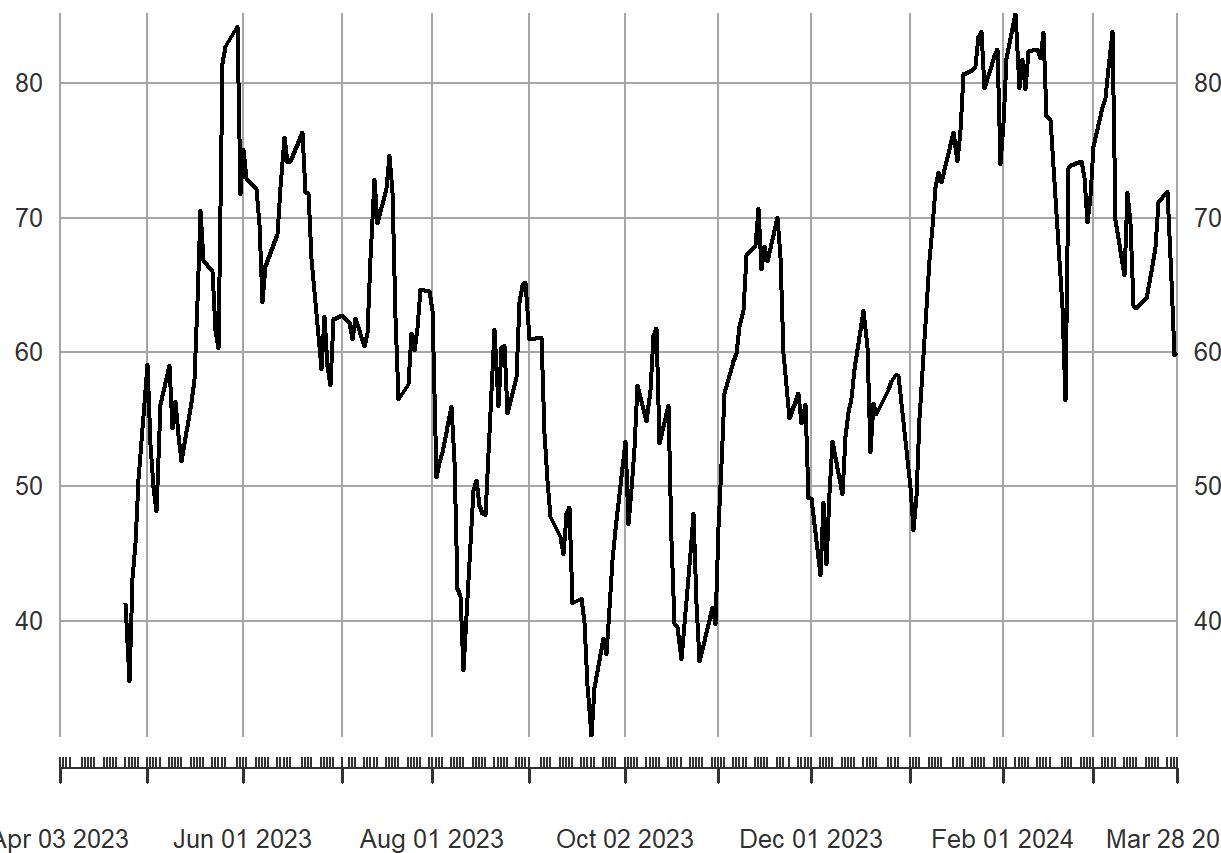


### Plotting RSI of NVDA

```
plot(NVDA_rsi_vals, main = "RSI NVDA")
```

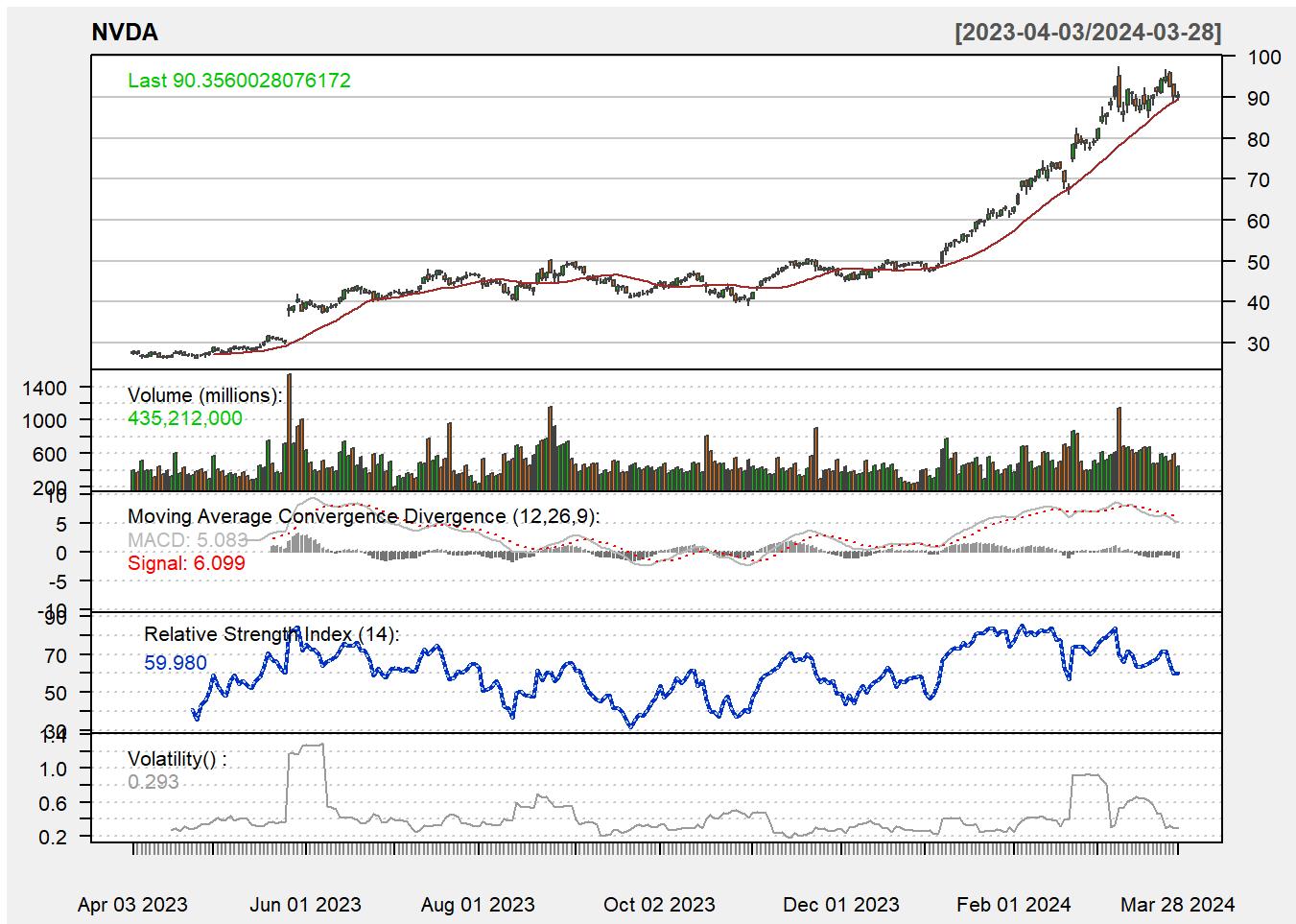
**RSI NVDA**

2023-04-03 / 2024-03-28



## Plotting with technical indicators

```
chartSeries(NVDA, TA = "addVo();addMACD();addRSI();addSMA(20);addVolatility()", theme = chartTheme("white"))
```



## Part 4 - Build a simple ARIMA model to forecast next month's prices for NVIDIA and Evaluate the model's accuracy and discuss its implications.

### Load necessary libraries

```
library(forecast)
```

### Visualization without forecasting

```
plot(NVDA$NVDA.Open, main = "NVDA Open Price without forecasting")
```

## NVDA Open Price without forecasting

2023-04-03 / 2024-03-28



## Fit an ARIMA model

```
NVDA_OPfit <- auto.arima(NVDA$NVDA.Open)
```

## Model parameters

```
summary(NVDA_OPfit)
```

```

## Series: NVDA$NVDA.Open
## ARIMA(0,1,1) with drift
##
## Coefficients:
##          ma1    drift
##        -0.1391  0.2541
## s.e.   0.0685  0.0908
##
## sigma^2 = 2.779: log likelihood = -477.65
## AIC=961.3  AICc=961.4  BIC=971.84
##
## Training set error measures:
##             ME      RMSE      MAE      MPE      MAPE      MASE
## Training set 9.373656e-05 1.657027 1.11468 -0.1575239 2.177063 0.9824078
##                      ACF1
## Training set 0.008703701

```

## ARIMA(0,1,1)

We have an ARIMA model: ARIMA(0,1,1)

**0** for the AR (autoregressive) part, indicating no lagged term of the variable was used.

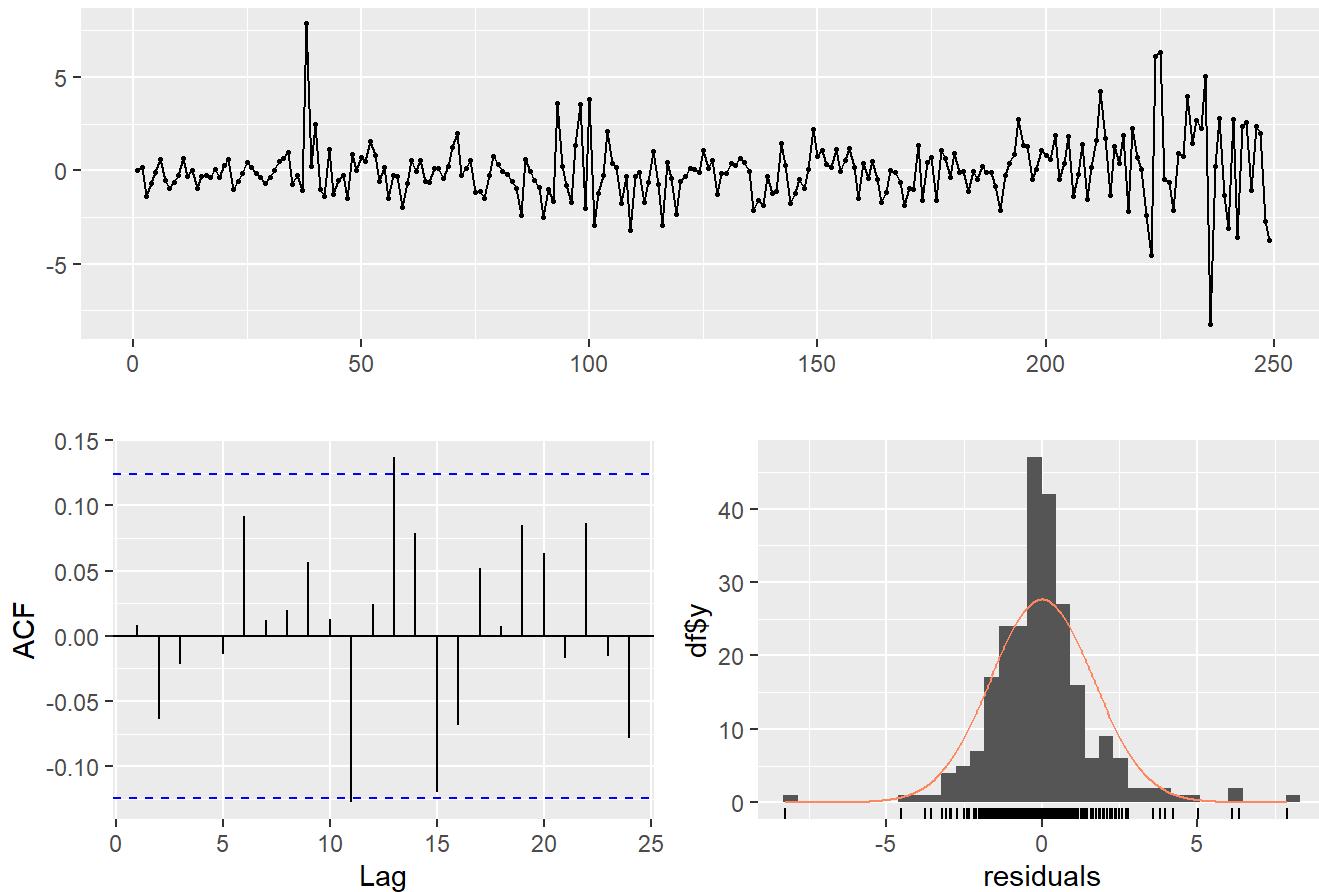
**1** for the I (integrated) part, meaning the data has been differenced once to achieve stationarity.

**1** for the MA (moving average) part, indicating that the model uses one lagged forecast error term.

## Check model diagnostics

```
checkresiduals(NVDA_OPfit)
```

### Residuals from ARIMA(0,1,1) with drift



```
##  
## Ljung-Box test  
##  
## data: Residuals from ARIMA(0,1,1) with drift  
## Q* = 4.4063, df = 9, p-value = 0.8827  
##  
## Model df: 1. Total lags used: 10
```

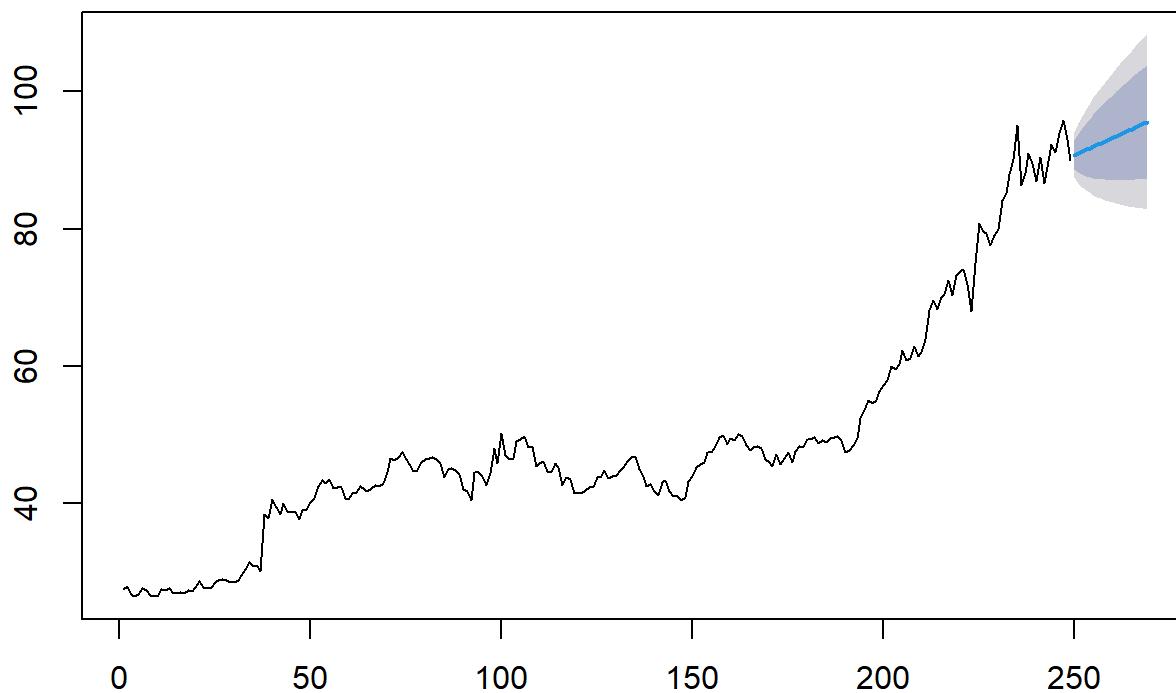
## Create a forecast

```
NVDA_OP_future_values <- forecast(NVDA_OPfit, 20) # Forecasting next 20 values
```

**Plot the forecast with historical data, showing 80% & 95% prediction intervals obtained using exponential smoothing state space models**

```
plot(NVDA_OP_future_values, main = "NVDA Open Price with forecasting")
```

NVDA Open Price with forecasting



## Interpretation:

**As we look at the forecast, we see that the trend is upward, indicating that the model predicts continued growth in NVIDIA's stock price. It's not a flat line, which would suggest uncertainty or no clear trend.**

**In this current forecast, the model is confident enough to predict an upward trend. This is shown within the 80% confidence interval, suggesting that while we are fairly certain about the growth, there is still a 20% chance that the actual prices could fall outside this range. The prices are expected to grow, but they could fluctuate within the values outlined by this interval.**

**On the other hand, the 95% confidence interval is wider, accounting for more variability. It implies that while the overall trend suggests little change, the stock price could**

*experience significant volatility within this interval.  
Essentially, 95% of the time, the price could swing wildly up  
or down but ultimately lead to a relatively stable trend over  
the forecast period.*