# **△ △ Lunar Scout - Task 0B - Practical**

**Hyperactive** Leader

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#### **Task Instructions**

In this task, we will explain how to solve a system of non-linear equations to find the equilibrium points and then check the stability of the system at the given equilibrium points using Octave. The theory of this has already been explained in previous sections. Please make sure you have read and thoroughly understood that document.

If you are new to Octave we would advise you to go through this **link**. Octave syntax is very easy to understand. If you have prior experience with MATLAB, Python (or pretty much any programming language), then it shouldn't be hard to grasp.

Download and extract **Task0B.zip** file to get all the required files for this task. In the **Task\_0B** folder, you will find the following scripts.

- 1. Main\_File.m
- 2. Function File.m
- 3. Test\_Suite.m
- 4. task0b.pyc

We will examine the following files one-by-one.

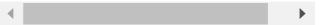
#### Note:

 First activate your conda environment using the following command:

conda activate LS\_<Team\_ID>

 For Ubuntu 20.04 & 22.04 open Octave in the conda environment using the following command:

/usr/local/OCTAVE/6.4.0/bin/octave -- §



 For Windows open Octave in the conda environment using the following command in the cmd:

C:\Octave\Octave-5.2.0.0\octave.vbs

 For mac OS open Octave in the conda environment using the following command in the terminal:

/Applications/Octave-5.2.0.app/Content

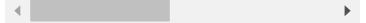


#### 1. Main\_File.m

- 1. 1;
- 2. Function\_File;
- 3. pkg load symbolic
- # Load t

4. syms x1 x2

- # Define
- 5.  $x1_{dot} = -x1 + 2*x1^3 + x2;$
- # Write
- 6.  $x2_dot = -x1 x2$ ;
- # YOU CA
- 7. [x\_1 x\_2 jacobians eigen\_values stab



#### Lets now look at the main file line by line:

**Line 3** - It loads the symbolic library for Octave. When we want to define equations containing variables like x, y, z etc, we need to use the symbolic library.

**Line 4** - Declares 2 symbolic variables x1 and x2 (to denote  $x_1$  and  $x_2$ )

**Line 5-6** - Defines a coupled set of non-linear equations using x1 and x2 (x1\_dot and x2\_dot are used to denote  $\dot{x}_1$  and  $\dot{x}_2$ ).

**Line 7** - It is a function call to a function named main\_function(). main\_function() is defined in Function\_File.m and takes 2 arguments (x1\_dot and x2\_dot). We will explain this function later.

Main\_File can be used to test your code for different sets of equations on your side. You can change the x1\_dot and x2\_dot values to specify different

equations for your code to test. Please do not modify any other line in this script.

## 2. Function\_File.m (This is where the magic happens!!)

There are 4 functions defined in this script. You are required to complete 3 of them in order to complete the task successfully.

find\_equilibrium\_points()

- 1. function [x\_1, x\_2] = find\_equilibrium\_
- 2. x1\_dot == 0;
- 3.  $x2_{dot} == 0$ ;

###################ADD YOUR CODE HERE##

- 4. x\_1=double(x\_1);
- 5.  $x_2=double(x_2)$ ;
- 6. endfunction



Lets now look at the function line by line:

This function is pretty straightforward

find\_equilibrium\_points() takes **x1\_dot** and **x2\_dot** 

as arguments.

Line 2 and 3 equate the expressions specified by **x1\_dot** and **x2\_dot** equal to zero.

The function returns the set of equilibrium points for  $x1\_dot = 0$  and  $x2\_dot = 0$ . This set is stored in the array  $[x\_1, x\_2]$ .

Please complete the code in this function so that it calculates the equilibrium points for the set of equations and stores it in the variable [x\_1, x\_2].

When you display **[x\_1, x\_2]** (using disp() function in octave), the structure should be as shown:

- Topics
- My Posts
- More
- Categories
- Lunar Scout (LS)

Guidelines
ChatbotDocs

- **≡** All categories
- Tags
- task-0
- task-1
- task-2
- other
- task-4
- **≡** All tags

Skip to main content



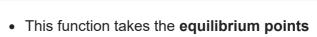
```
Command Window
```

find\_jacobian\_matrices()

- 1. function jacobian\_matrices = find\_jacob
- 2. syms x1 x2;
- 3. solutions =  $[x_1, x_2]$ ;
- 4. jacobian\_matrices = {};

##################### ADD YOUR CODE HERE

5. endfunction



- (x\_1, x\_2) and x1\_dot and x2\_dot as arguments.
- It computes the jacobian matrix for x1\_dot and x2\_dot (It should be a 2x2 symbolic array).
- It then substitutes calculated values of x1 and x2 for each of the equilibrium points. This function returns a variable called jacobian\_matrices. It is a cell array in which each element is a 2x2 J matrix calculated for each of the corresponding equilibrium points.
- You are not allowed to change any code already written in this function. You are required to add your own code in the space provided.
- Line 3 solution x\_1 & x\_2 are combined in one array solutions
- Line 4 empty cell array jacobian\_matrices is initialized.

- You are required to add code which does the following:
  - Computes the jacobian of x1\_dot and x2\_dot.
  - For each of the equilibrium points, substitute the calculated values of x1 and x2 in the jacobian and form a 2x2 matrix.
  - Store that jacobian matrix as an element of the cell array jacobian\_matrices.
  - When you display the jacobian matrices cell array (using disp() function in octave), the cell array structure should be similar to the following:

```
check_eigen_values()
```

- 1. function [eigen\_values stability] = ch
- 2. stability = {};
- 3. eigen\_values = {};
- 4. for k = 1:length(jacobian\_matrices)
- 5. matrix = jacobian\_matrices{k};
- 6. flag = 1;

########################### ADD YOUR CODE HERE

#### 

- 7. if flag == 1
- 8. fprintf("The system is stable

- 9. stability{k} = "Stable";
- 10. else
- fprintf("The system is unstabl
- 12. stability{k} = "Unstable";
- 13. endif
- 14. endfor
- 15. endfunction
  - This function takes the x\_1, x\_2 and jacobian\_matrices as input. For each jacobian matrix stored in jacobian\_matrices, the eigenvalues of matrix are calculated and stored in the cell array eigen\_values. Subsequently the eigenvalues are checked in this function. If for any jacobian matrix the eigenvalues have positive real part, the system is unstable at the corresponding equilibrium point. If all eigenvalues have negative real part, the system is stable at the corresponding equilibrium point.
  - Two empty cell arrays stability and eigen\_values are defined. A for-loop is iterated through the length of jacobian\_matrices.
     Within the for-loop, flag = 1 is initialized. You are required to write code which does the following:
    - Find out the eigenvalues for the current jacobian matrix (value stored in matrix)
- matrix. It all eigenvalues nave negative real part, then flag is set equal to 1.
  - If even one eigenvalue is positive (greater than zero), the flag is set to 0.
  - Store the eigenvalues calculated in the cell array eigen\_values.
  - Based on value of flag, the stability of system is reported in the if-else statement.
  - When you display the eigen\_values and stability cell arrays (using disp() in octave) the output should be similar to the following:

```
Command Window
>> disp(eigen_values)
{
    [1,1] =
        4.82843
        -0.82843

    [1,2] =
        -1 + 1i
        -1 - 1i

    [1,3] =
        4.82843
        -0.82843

}
>> disp(stability)
{
    [1,1] = Unstable
    [1,2] = Stable
    [1,3] = Unstable
}
>> |
```

#### main function()

- 1. function [x\_1 x\_2 jacobians eigen\_value
- pkg load symbolic;
- 3. syms x1 x2;
- 4.  $[x_1, x_2] = find_equilibrium_$
- 5. jacobians = find\_jacobian\_matr
- 6. [eigen\_values stability] = che
- 7. endfunction



- This function puts together all the pieces.
- It takes x1\_dot and x2\_dot as argument. First
  the equilibrium points are calculated. For each
  equilibrium point, the jacobian matrix is
  calculated. Then the stability for each
  equilibrium point is determined by computing
  the eigen\_values and checking the real parts of
  eigen values.
- This equation returns x\_1, x\_2, jacobians, eigen\_values, stability.
- You are not allowed to make any changes to this function. You need to run it as it is.

- After you have modified the functions explained above as instructed. You need to test your solution.
- To test your script, you need to run Main\_File.m in octave. If your solution is correct you will see the following octave prompt:

```
>> Main_File
The system is unstable for equilibrium point (-1, 1) The system is unstable for equilibrium point (1, -1) The system is stable for equilibrium point (0, 0) x_1 =
x_2 =
jacobians =
   [1,1] =
    [1,2] =
       5 1
-1 -1
    [1,3] =
       -1 1
-1 -1
eigen_values =
    [1,1] =
       4.82843
-0.82843
   [1,2] =
   [1,3] =
       -1 + 1i
-1 - 1i
stability = {
    [1,1] = Unstable
[1,2] = Unstable
[1,3] = Stable
```

#### 3. Test\_Suite.m (Testing your solution)

- Test\_Suite.m is used for testing your solution.
   You are not allowed to make any changes in this script.
- The Test\_Suite script has a set of non-linear equations. If your code runs successfully for the given equations then the output should be as follows:

```
>> Test_Suite

The system is unstable for equilibrium point (-1, 1) The system is unstable for equilibrium point (1, -1) The system is stable for equilibrium point (0, 0)

Checking output values with sample output Output matched

Checking datatype for the output genereated checking datatype matched datatype mat
```

If your Test\_Suite runs successfully, your
 Function\_File.m file is ready to be evaluated

#### 4. test0b.pyc (Submitting task0b)

- Open new Terminal (on Ubuntu OS or MacOS) or Anaconda Prompt (on Windows OS) and navigate to the Task0B folder.
- Activate your conda environment with the command

```
conda activate LS_<team_id>
```

Example: conda activate LS\_9999

```
# To activate this environment, use
#
# $ conda activate LS_9999
#
# To deactivate an active environment, use
#
# $ conda deactivate
```

Figure 1: conda activate in terminal

3. Run the **task0B.pyc** by running command

python task0b.pyc

- 4. When asked, you have to enter your Team ID, such as 9999.
- 5. It will ask you to drag and drop a file named "octave-cli" as shown below in animated figure:
  - You can find the "octave-cli" in the following location based on your OS
    - Windows

C:\Octave\Octave5.2.0.0\mingw64\bin

■ Ubuntu(20.04 & 22.04)

/usr/local/OCTAVE/6.4.0/bin

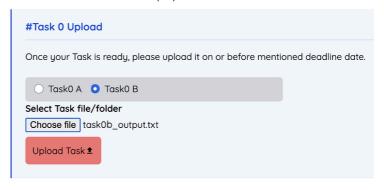
macOS

/Applications/Octave5.2.0.app/Contents/Resources/usr/
Cellar/octave-octaveapp@5.2.0/5.2.0/bin/

 If you get the following outcome on your terminal, you are ready for submission :

```
########## GRADER-v0.1.0 START #########
{'marks': 15.0, 'remarks': 'Task 0B: x_1(1) matched, x_1(2) matched, x_2(2) matched, x_2(3) matched, jacobians(1) matched.s(3) matched, eigen_values(1) matched, eigen_values(2) matched.lity(1) matched.stability(2) matched.stability(3) matched.LS_9999) hyperactive1011@Avijits-MacBook-Pro-2 fasd %
```

- For successful completion of Task 0B, upload the task0b\_output.txt file on the portal.
   (Sign in to eyantra)
- Click on this link: https://portal.eyantra.org/task\_task0. In the Task 0 Upload section, click on Task0 B bullet and select Choose file button to upload the task0b\_output.txt file. From the dialogue box, select the file and click Open.
- You shall see the file name task0b\_output.txt in text-box besides the Choose file button as in figure below. Click on Upload Task button to submit the file.



That's it !! Task 0B is complete!!

### Congrats!!

#### **HOME>>**

Unlisted on Aug 31, 2023

Closed on Sep 5, 2023

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✓ LS_2227 Failing to achieve Open loop oscillation task-1	3	250	Sep 2023
<b>≜</b> Lunar Scout: Task 1	3	9.6k	Sep 2023
<ul><li>☑ Questionarie question 2</li></ul>	5	86	Dec 2023
▲ ± Lunar Scout: Task 2	3	3.8k	Sep 2023

Topic	Replies	Views	Activity
✓ Doubt in Task 2A LS_3083 task-2	1	76	Oct 2023