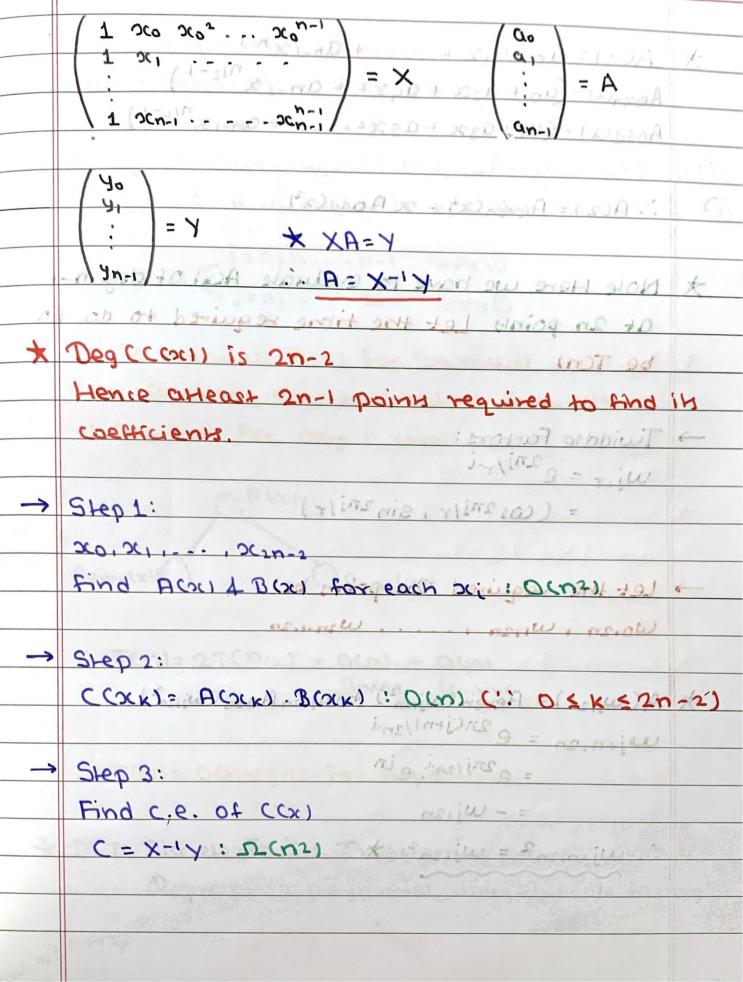
TEJAS KHAIRNAR 6 Fast Fourier Transform (FFT) $A(x) = \sum_{i=0}^{n-1} a_i x^i$ $B(x) = \sum_{i=0}^{n-1} b_i x^i$ (Coc) = A(xi) B(xi) x or swip rasso betroe:x CO mouse = (Co+Cpc+ ...+ Cm-2227-20 balyoe * Maire: Ocn2) an-1 * Polynomial can be represented as coefficient representation. Vector of wefficients * Set of points representation A(x1)= { (x(0)40), (x(1)41), ... (x(n-1)4n-1)} YK= ACXX * Horner's Rule: A(x1) = a0+ ... > (an-3+x (an-2+xan-1)) Takes o(n)



$$A(x) = a_0 + a_1x + \dots + a_{n-1}x^{n-1}$$

$$Aeven(x) = (a_0 + a_2x + a_1x^2 + a_{n-2}x^{n/2-1})$$

$$Aodd(x) = (a_1 + a_2x + a_5x^2 + \dots + a_{n-1}x^{n/2-1})$$

$$A(x) = Aeven(x^3) + x Aadd(x^3)$$

$$A(x) = Aeven(x) + x Aadd(x^3)$$

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$$A(x) = Aadd(x^3)$$

$$A$$

