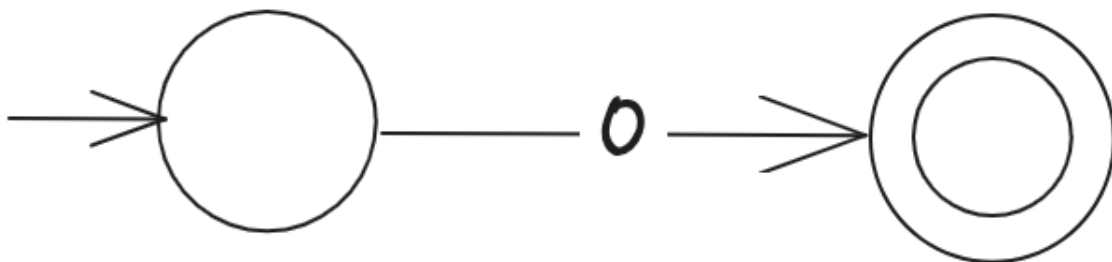


### Question 1

Draw NFAs with the specified number of states over  $\Sigma = \{0, 1\}$

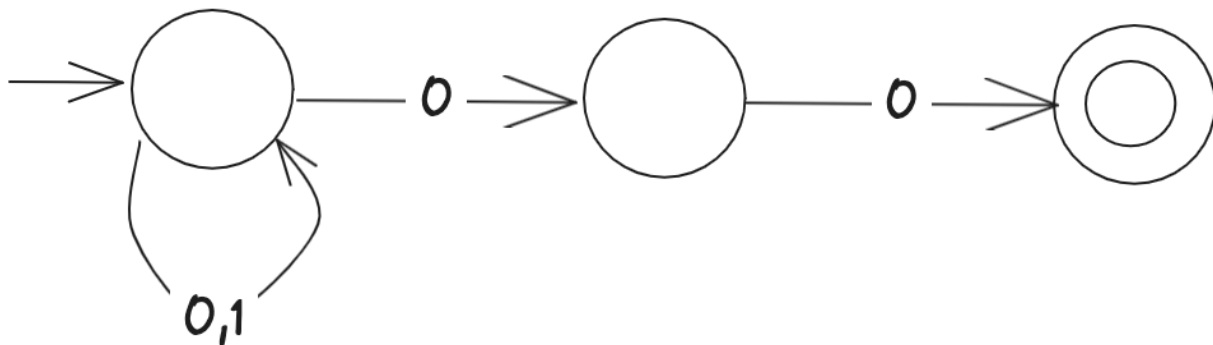
#### Part a

$L = \{0\}$  using 2 states



#### Part b

Language of all binary strings ending in 00, using 3 states

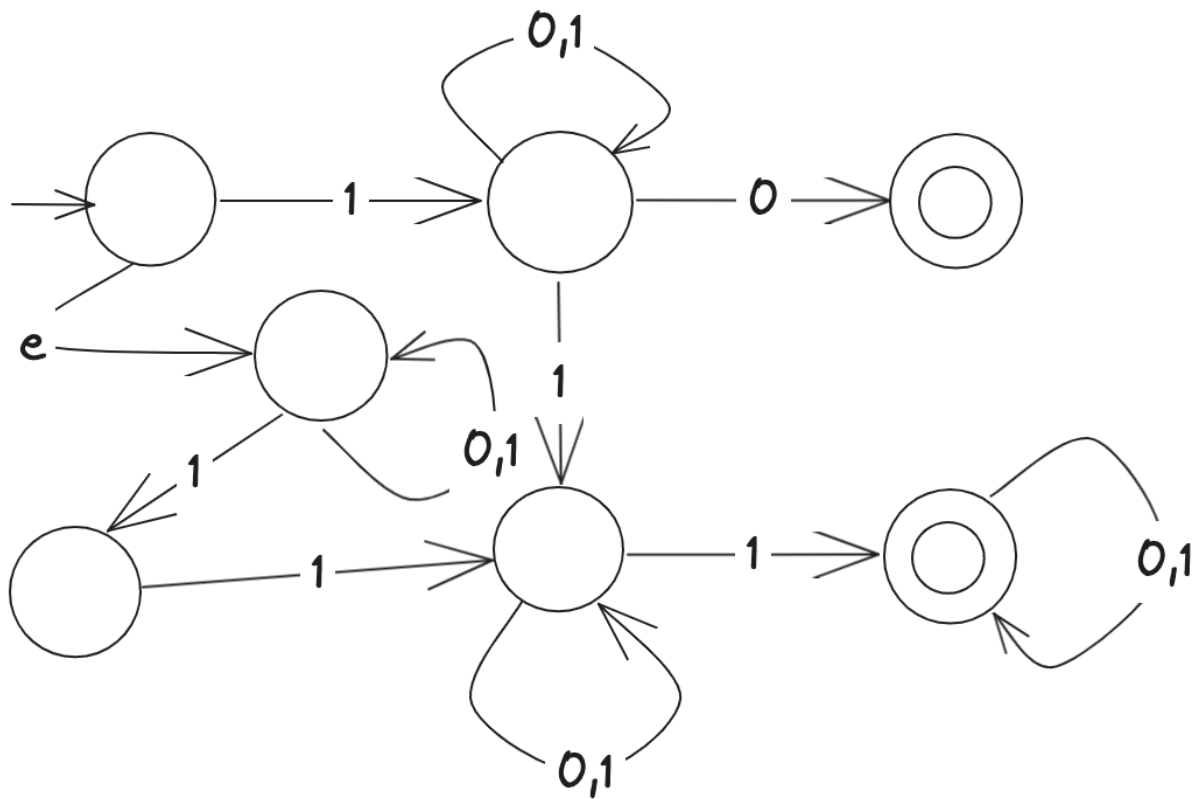


### Question 2

Draw NFAs for the following

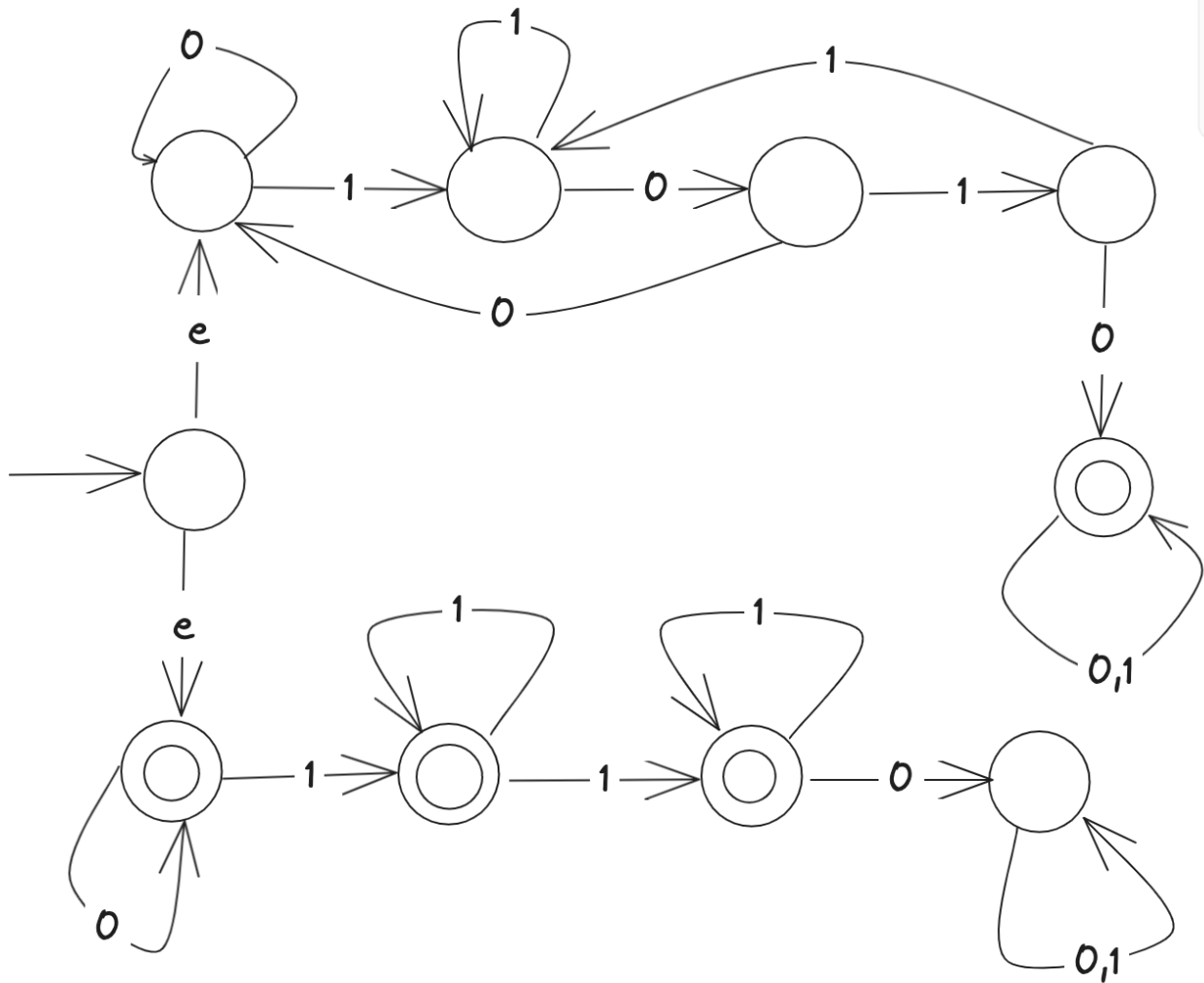
## Part a

binary strings that begin with a 1 and end with a 0, or contain at least three 1s



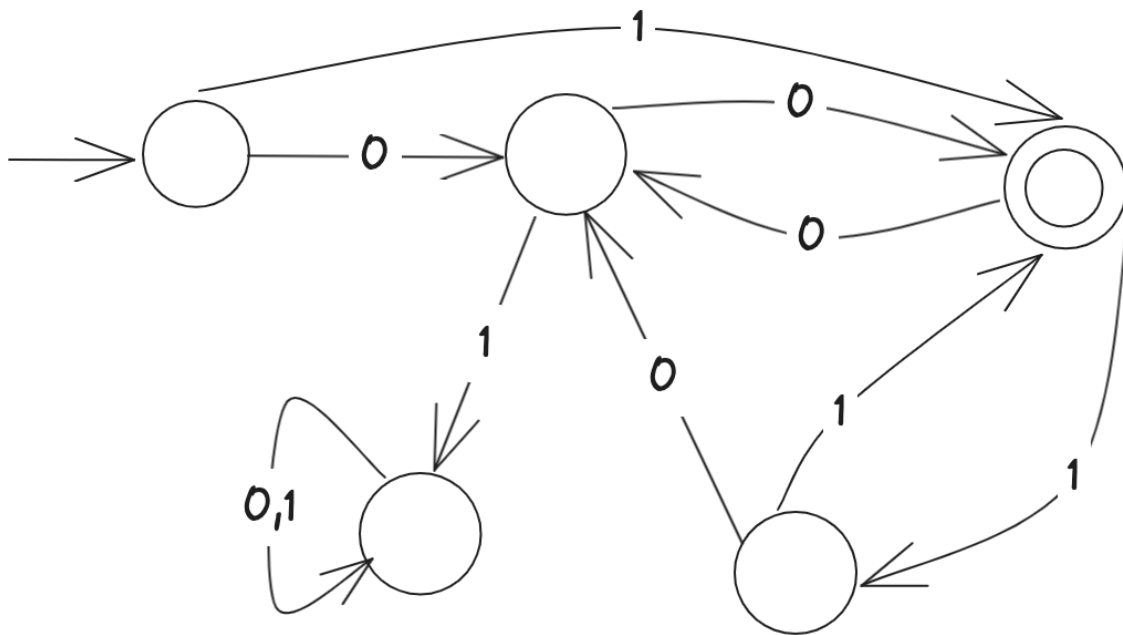
## Part b

binary strings that contain the substring 1010 or do not contain the substring 110



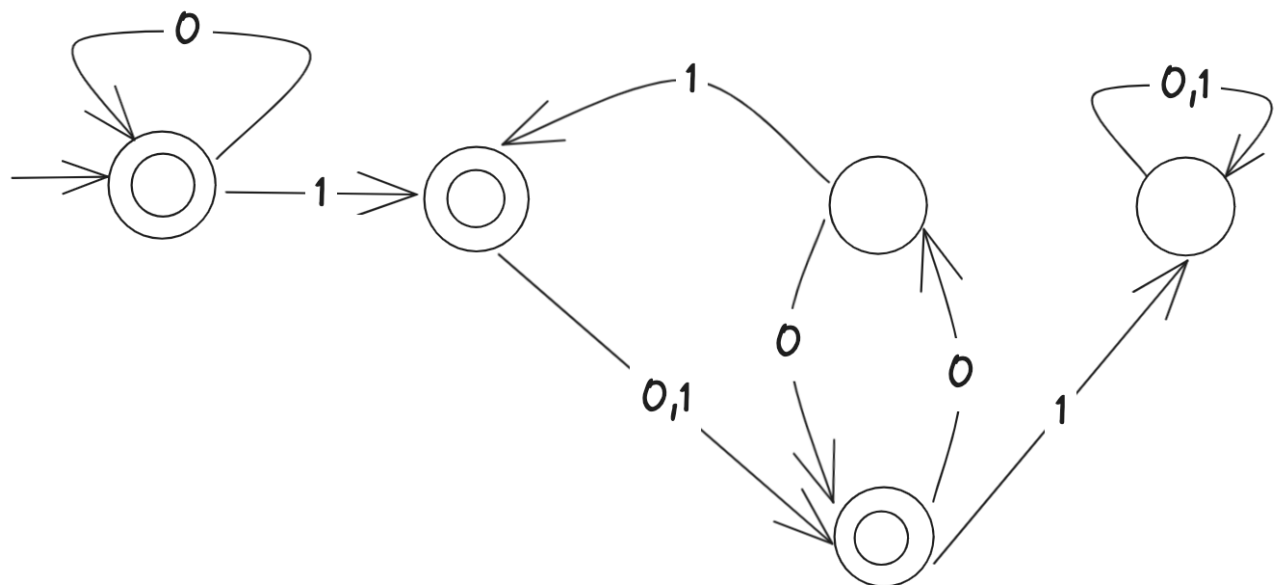
### Question 3

Let  $L = \{w : w \text{ contains an even number of 0s and an odd number of 1s and does not contain the substring } 01\}$ . Draw a DFA with five states that recognizes  $L$ .



#### Question 4

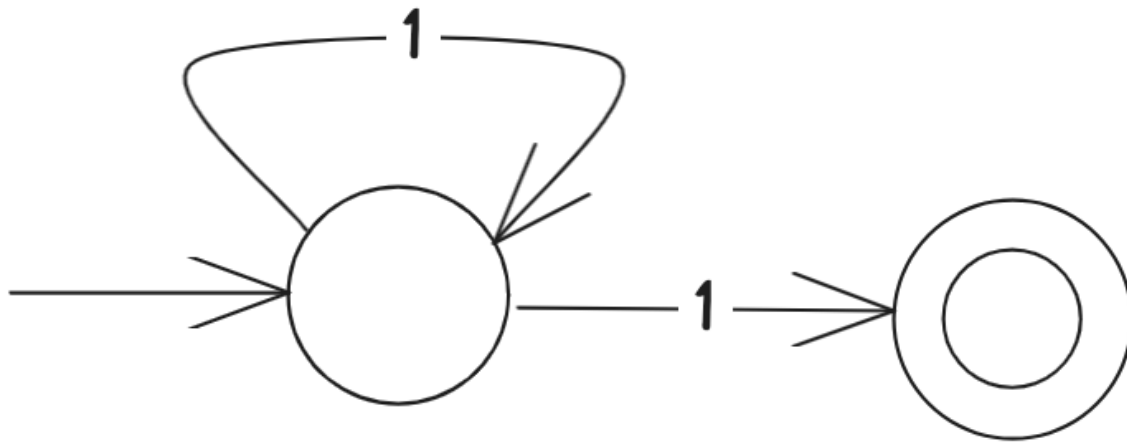
Let  $L$  be the language of all strings over  $\{0, 1\}$  that do not contain a pair of 1s that are separated by an odd number of symbols. Draw a DFA with five states that recognizes  $L$ .



#### Question 5

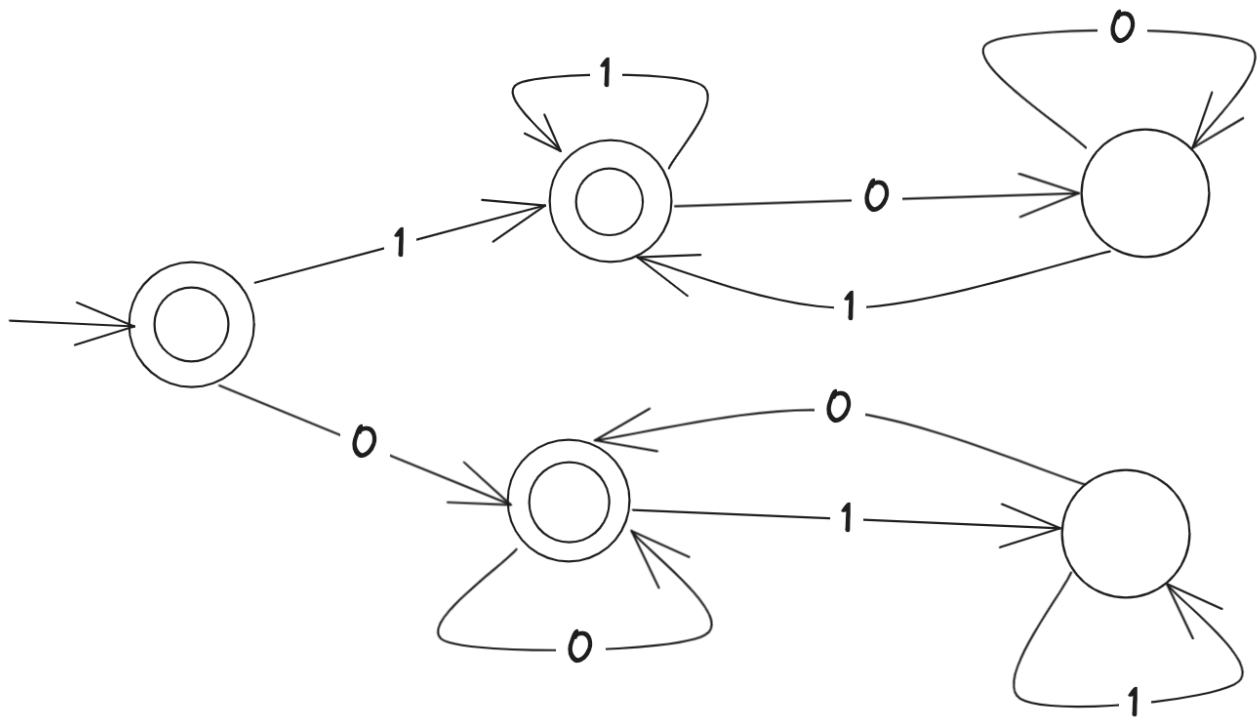
Let  $L_n$  be the language of all binary strings of the form  $1_1 1_2 \dots 1_k$  for some  $k$  that is a multiple of  $n$ . For each  $n \geq 1$ , construct a DFA or NFA that recognizes  $L_n$ .

I'm not sure this is the solution, but to generalize  $L_n$  overall  $n$ , I think the set of strings of the form  $1^*$  Always has a length that is a multiple of some positive integer  $n$  thus there exists some language  $L_n$  for which this model recognizes, thus it recognizes all forms of  $L_n$



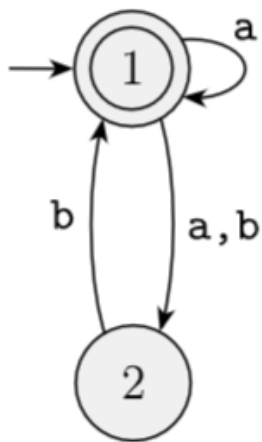
### Question 6

Let  $D$  be the language of binary strings that contain an equal number of occurrences of the substrings 01 and 10. Thus  $101 \in D$  because 101 contains a single 01 and a single 10, but  $1010 \notin D$  because 1010 contains two 10s and one 01. Construct a DFA or NFA for  $D$

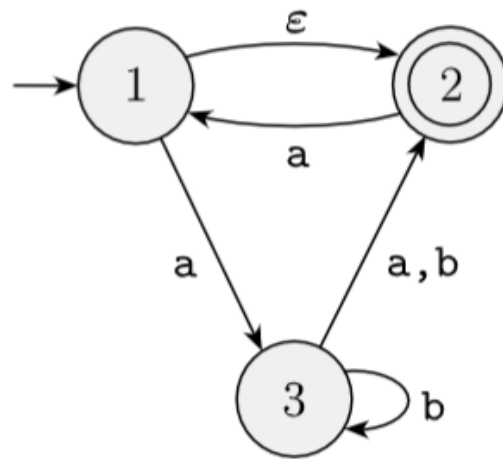


### Question 7

Convert the following NFA to DFA

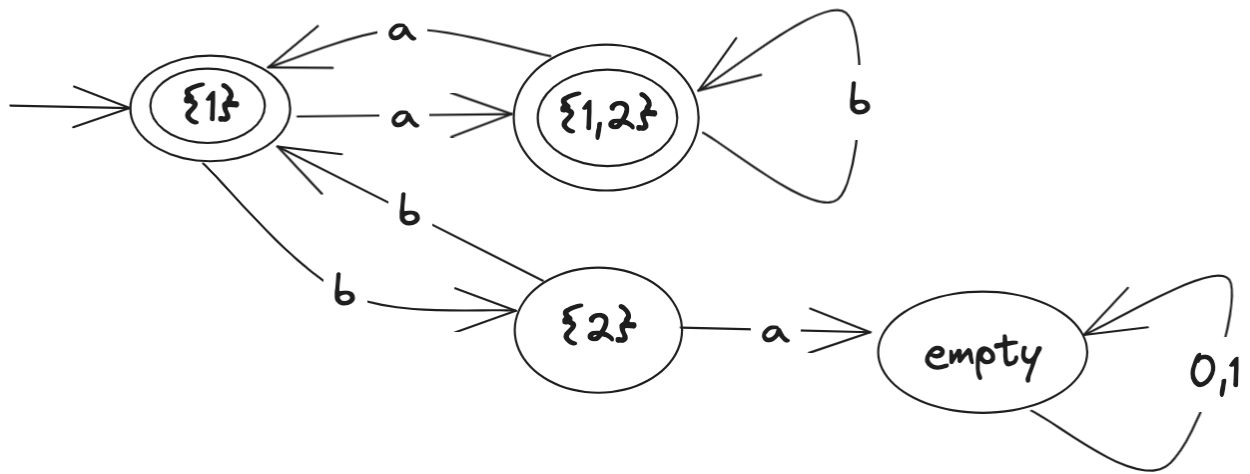


(a)



(b)

Part a



Part b

