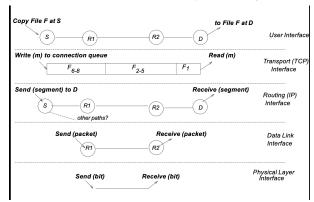
03 - Data Link Layer

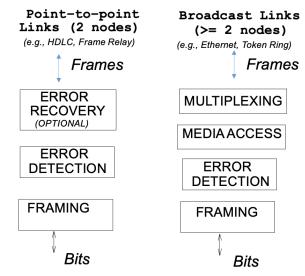
Role of Physical Layer Now

- abstracted to a semi-reliable 1-hop bit-pipe (modem to modem)
- bits transmitted at physical layer
- frame transmitted at data link layer (ip packet with ethernet header)
- packet transmitted at ip/routing layer (tcp packet with ip header)



Data Link Sublayers

- quasi-reliable 1-hop frame-pipe (router to router)
- EOD, output from data link is a frame a group of bits



- Framing: breaking up a stream of bits into units called frames so that we can add extra information like destination addresses and checksums to frames. (Required.)
- Error detection: using extra redundant bits called checksums to detect whether any bit in the frame was received incorrectly. (Required).
- Media Access: multiple senders. Need traffic control to decide who sends next. (Required for broadcast links).
- Multiplexing: Allowing multiple clients to use Data Link. Need some info in the frame header to identify the client. (Optional)
- Error Recovery: Go beyond error detection and take recovery action by retransmitting when frames are lost or corrupted. (Optional)

- not usually done in modern routers, assumption is already that not all routers do error recovery, so you can't trust hop-to-hop error recovery
- but modern storage area networks implement hop-to-hop error recovery to ensure lowlatency recovery end-to-end by implement recovery at each hop

Data Framing

Why

- frames allow multiplexing and prevent infinite streams
- frames allow for better error detection and recovery

How

- flag and encoding (HDLC) add a flag (bit pattern) to delimit frame boundary and encode data to ensure the flag is not preemptively found in the data
- flag and char count (DDCMP) add flags and a character count, only look for flag after char count
- physical layer flag supply a special symbol from physical layer to dellimit

Fixed-Length Framing

- good for receiving router but bad for variable size frames
- usually used within router code to fragment large payloads

Length-based Framing

- · variable length frame with length pre-pended
- still needs a flag to demarcate beginning
- bad if data corrupted b/c requiress reading and must be done while reading transmission
- e.g., DECNet, DDCMP

Sentinel-based Framing

- · variable length frames with flags delimit at both beginning and end
- add stuffing (stuff some bits) where the flag is found in the data/frame
- receiver "unstuffs" data e.g., sps flag is 111, then any time we see 111 in the data, add a 0 after \rightarrow 111 ... 1110 ... 111
- irl use byte-stuffing and denote the escape char to prevent false flag assign byte DLE and stuff it whenever STX/ETX found in payloaad if you get DLE in data then do DLE_DLE



denote flags as STX/ETX (start/end)

Physical Layer Solution

 because 4-5 encoding produces 16 possible symbols but there are 32 possible encoded, pass 2 of those unused as SOF/EOF

Error Detection

 B/c TCP doesn't require end-to-end checksums, data link undetected errors must be so small close to 1 undetected error per 20 years of data

Types of Errors

- Random Errors. A noise spike or inter-symbol interference makes you think a 0 is a 1 or 1 to 0. Fiber: 1 in 10 10
- Burst errors: .A group of bits get corrupted because of synchronization or connector plugged in. Correlated!
- Modeling Burst error: Burst error of length k à distance from first to last is k-1. Intermediate may or may not be corrupted. Burst error of 5 starting at 50. Bits 50 and 54 are corrupted, bits 51-53 may or may not be corrupted
- Goal for quasi-reliability: Like to add checksums to detect as large a burst (say 32) and as many random (at least 3)
- Comparison: Imagine a frame of size 1000 and an error rate of 1 in 1000. If random, all frames corrupted on average. If we get a burst of 1000 every 1000 frames, only 1 is lost!

Parity error detection to Checksums

- parity parity of the number of 1s in the data
- doing XOR of bits to detect parity may ddetect up to 2 bit error, but how to check error for >3 bits
- instead use checksums
- goal is detection not correction, detection = some bit in frame bad so drop frame vs flip bit (correction)
- CRC32 use mod 2 division (XORs) for checksum instead of sum

Simple Divide Checksum

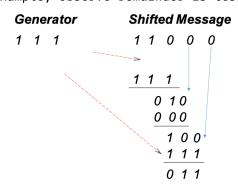
- Consider message M and generator G to be binary integers.
- Let r be number of bits in G. We find the remainder t of 2^rM when divided by G. Why not just M? So that we can separate checksum from message at receiver by looking at last r bits.
- Thus $2^rM = k.G + t$. Thus: $2^rM + G t = (k + 1)G$. So we add a checksum c = G t to the shifted message and the result should divide G.

Example: M = 110010 (50), r = 3, G = 7. After shifting 3 bits, we get 400. Remainder t = 1, checksum = 6. So we send 110010 110 which is divisible by 7 (406)

• Has reasonable properties. <u>However</u> integer division hard to implement. Prefer to do without carries.

Mod 2 Checksum - CRC (Cyclic Redundancy Check)

- No carries. Repeated addition does not result in multiplication. e.g. 1100 + 1100 = 0000; 1100 + 1100 + 1100 = 1100
- Multiplication is normal except for no carries: e.g. 1001 *11
 = 10010 + 1001 = 11011. Shift and Ex-or instead of Shift and Add as in normal arithemtic.
- Similar algorithm to ordinary division. <u>Again</u> let r be number of bits in G. We find the remainder c of $2^{r-1}M$ when divided by G. Why only shift r-1 bits this time?
- Thus $2^{r-1}M = k.G + c$. Thus $2^{r-1}M c = k.G$. Thus $2^{r-1}M + c = k.G$ (addition same as subtraction). Send c as checksum
- background
- example, observe remainder is less than generator



- For CRC, we need to repeatedly add (mod 2) multiples of the generator until we get a number that is r 1 bits long that is the remainder.
- The only way to reduce number of bits in Mod 2 arithmetic is to remove MSB by adding (mod 2) a number with a 1 in the same position.
- · While no more bits

If MSB = 1, XOR with generator (RED)
Shift out MSB and Shift in next bit (BLUE)

CRC-16:
$$X^{16} + X^{15} + X^2 + 1 = 11000000000000101$$

We skip proofs of these properties this $\underline{quarter}$ but they are in your notes, Not required for HWs and tests.

Odd bit errors: can handle but not a big deal as parity can handle with using just 1 bit. 1

Two bit errors specially designed CRCs can do this. Beats parity!

Burst errors: CRC-32 can catch any 32 bit burst error for sure. Further it can catch larger burst errors with very high probability: (1 - 1/2³²)

Summary: So the big deal is that it can for sure catch up to 3 bit errors, and can detect any error with very high probability. Like a hash function with with some deterministic guarantees

• CRC is implemented via LFSR in CPU

Error Recovery (Optional)

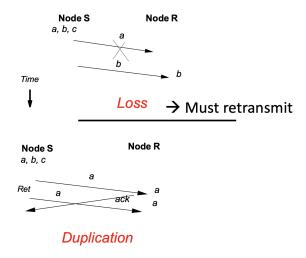
- usually not done on WAN but done on SAN
- RFC spec english spec for network protocols

 RFC for error recovery at data link layer must ensure packets delivered without duplication, loss, or mis-ordering

Assumption

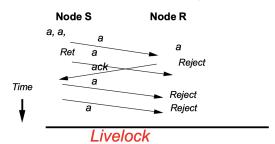
- Assumes error detection: Assumes undetected error rate small enough to be ignored
- Loss as well as errors: whole frames can be lost in a way not detected by error detection
- FIFO: Physical layer is FIFO
- Arbitrary Delay: Delay on links is arbitrary and can vary from frame to frame.

Time-Space Examples

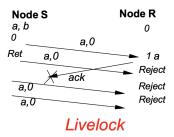


→ Must defend against early retransmits

• must return ack to validate the sending of the next packet, must id the packets to



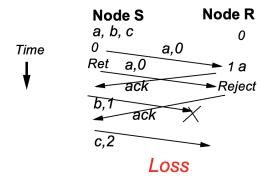
→ Need sequence numbers



→ Must ack even duplicates

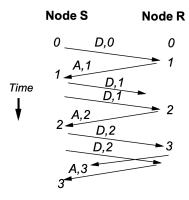
detect true duplication vs intended duplicate

ullet issue with sending acks back-to-back ightarrow require ack ids

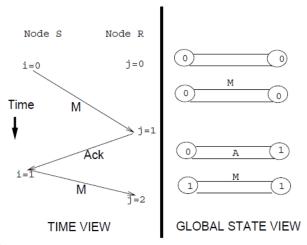


→ Must number acks

Stop and Wait Protocol (Send then wait for ack)



- When sender first gets to N, no frames with N or acks with N+1 and receiver is at N
- When receiver first receives frame N, entire system only contains number N→ only two numbers in system
- time state diagram



• global state view of messages in channels

-----Sender Code------

Sender keeps state variable SN, initially 0 and repeats following loop

- 1) Accept a new packet if available from higher layer and store it in buffer B
- 2). Transmit a frame Send (SN, B)
- 3). If error-free (ACK, R) frame received and R != SN then SN = R

Go to Step 1

Else if the previous condition does not occur after T sec Go to Step 2

Receiver Code -----

Receiver keeps state variable RN, initially 0

When an error free data frame (S, D) is received On receipt:

If S = RN then
Pass D to higher layer
RN = RN + 1;

• code for sender and receiver

Send (ACK, RN) // Send ack unconditionally!

Band Invariance

- when receiver processes the message in channel and sends ack, all state are only of 1 number (the id of the latest packet acknowledged) → thus we can check for correctness of packets by ensuring band invariance
- prove band invariance by checking state transitions

- 3 other cases: Receive <u>Ack</u>, Send <u>Ack</u>, and Send new frame
- Just need to show that invariant is preserved by these 6 protocol actions/state transitions.

Code of Alternating Bit

---Sender Code-----

Sender keeps state bit SN, initially 0 and repeats following loop

- 1) Accept a new packet if available from higher layer and store it in buffer B
- 2). Transmit a frame Send (SN, B)
- 3). If error-free (ACK, R) frame received and R != SN then SN = RGo to Step 1

Else if the previous condition does not occur after T Go to Step 2

Receiver Code ----

Receiver keeps state bit RN, initially 0

When an error free data frame (S, D) is received On receipt:

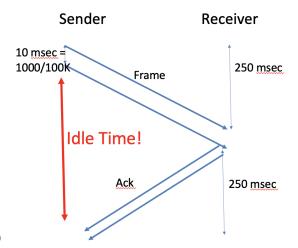
If S = RN then
Pass D to higher layer
RN = ~RN; //flip bit!
Deliver data m to client.
Send (ACK, RN) // Send ack unconditionally!

alternating bit recovery code:

Performance Measures

- throughput jobs completed per second
- latency worst-case time to complete a job
- 1-way propagation delay time for the transmitted bit to reach the receiver; disregarding transmission rate, there is some amount of time it takes for the bit to travel the length of the link this is the 1 way propagation delay
- transmission rate the rate at which bits can be sent over a link, i.e. the number of bits per second tells us that the second bit may come quickly after the first bit is sent
- pipe size (bandwidth-delay product) = transmission rate \times round-trip propagation delay

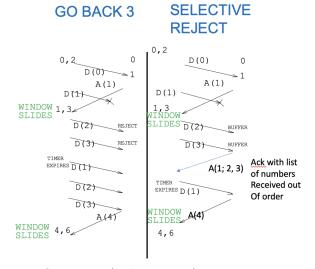
- pipe size (and prop delay) tells us our pipe/link utilization e.g., stop and wait frames
 - 1-way Propagation Delay: 250 msec
 - Transmission speed: 100 kbit/sec
 - Frame size: 1000 bits.
 - What is throughput? 2000 bits per second, which is 2% of a 100,000 bit per second link.



(send next frame after ack)

Sliding Window Protocol

- Window: Sender can send a window of outstanding frames before getting any acks. Lower window edge L, can send up to L+w-1.
- Receiver numbers: receiver has a receive sequence number R, next number it expects. L and R are initially 0.
- ullet Sender Code: Retransmits all frames in current window until it gets an ack. Ack numbered r implicitly acknowledges all numbers < r.
- Two variants: receiver accepts frames in order only (go-back-N) or buffers out-of-order frames (selective reject)
- we have batched rejects or selective rejects using complex acks or simple acks but resend all packets in the sliding window of frames sent



• code for both implementations

Go Back N Code Sender Code-----

Sender keeps state variable L, initially 0

```
Send (s,m) // send data message m with number s
 The sender can send this frame if:
     m corresponds to s-th data item
     given to sender by client AND
     L \le s \le L + w - 1 // in allowed send window
Receive(r, Ack) // receive an ack number r
  On receipt:
      L := r // slide lower window edge to ack number
            Receiver Code -----
            Receiver keeps state variable R, initially 0
Receive(s, m) // receive data message m with number s
 On receipt:
    If s = R then
       R := s + 1
       Deliver data m to client.
Send(r, Ack) // send ack with number r
 // receivers typically send acks in response to data
 // messages but our code can send acks anytime
  r must equal R
```

Selective Reject Sender code

Sender keeps a lower window edge L initially 0 but also an array with a bit set for all numbers acked so far. Initially, all bits are clear. In practice, we implement this array by a bitmap of size w which we shift

.

Selective Reject Receiver Code

Receiver keeps a receiver number R initially 0 but also an array with a bit set for all numbers received so far. Initially, all bits are clear. In practice, we implement this array again by a bitmap of size w which we shift. In addition to the bitmap, we have a buffer for each number where we can store out of order messages

```
Receive (s, m) // receive data message m with number s
On receipt:

If s >= R then

Mark s as acked and Buffer m 1 0 0000

While R acked do

Deliver data message at position R

R := R + 1 1 0 1000

Send (r, List Ack) // send ack with number r and List

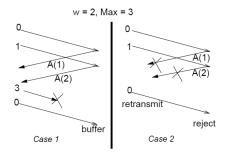
// of received numbers > r

r must equal R

List contains received numbers > R
```

- implementation details ONLY for FIFO packets Implementation and Other Details
 - Timers: works regardless of values, but needed for performance. So calculate round-trip delay.
 - Need only one timer (for lowest outstanding number) in Go-back-n. Need one for each window element in Sel Reject.
 - In selective reject, have to send an ack with R and a bit-map of numbers greater than R that have been received.
 - Piggybacking: to reduce frames sent.
 - Alternating bit: Modulus is 2 (just one bit)
 - Go back W: Need a Modulus of W+1
 - Selective Reject: Need a modulus of 2 W

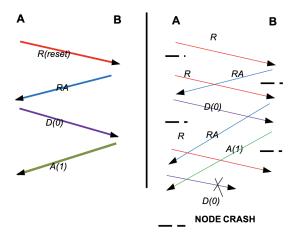
Intuition as to why the window size mu be bounded



- flow control variable size windows, usually et by receiver to prevent backlogging frames (send the right window edge with ack)
- previously selelctive reject was not allowed as you need long listss/buffers for acks,
 but now RFC has some allowance

Restart signal

• although we can send restarts for error recovery, there is a deterministic protocol violation when restart ack is not sent but datagrams are already sent on line



• so we can instead number the restarts as well

Invariants

• Consider 9 queens problem: in a game of chess White can have at most 9 queens on the board, give us the invariant:

$$Q \leq 9$$

• An inducted invariant includes pawns s.t.:

$$Q + P \le 9 \implies Q \le 9$$

ullet also used in program, e.g. in bin. search. k is in R or k is not in the array

Band Invariance

- consider state of sender and receiver
- there are 2 possible overall states:
 - ullet 1 band: sender is at x, to signal x, receiver at x
 - \bullet x band
 - ullet 2 bands: sender at x, to signal at x, receiver at x+1, from signal (ack) at x+1
 - ullet x band and x+1 band
- ullet therefore, band invariance within x+1, there will never be x+2 in any band