

# EM

- sentence;  $w_1 \dots w_n$
- vocabulary;  $\mathcal{W}$
- modifier;  $m \in \{1 \dots n\}$
- head;  $h \in \{0 \dots n\}$
- direction;  $\mathcal{D} = \{L, R\}$
- edge;  $\mathcal{E} = \{E(h, m!=-, \text{dir}, \text{ADJ}, \text{cont}=1), E(h, m=-, \text{dir}, \text{ADJ}, \text{cont}=1), E(h, \text{dir}, \text{ADJ}, \text{cont}=0)\}$

The first edge  $E(h, m!=-, \text{ADJ}, \text{cont}=1)$  is created when a Triangle whose head word is still taking children combines with a tringle whose headword has stopped taking children (TriStop) to form a trapezium.

The edge  $E(h, m=-, \text{ADJ}, \text{cont}=1)$  is created when a Trapezium combines with a tringle whose headword has stopped taking children (TriStop) to form a Triangle.

The edge  $E(h, \text{dir}, \text{ADJ}, \text{cont}=0)$  is created when a Triangle's headword stops taking children to form TriStop.

- marginals  $p(\text{edge})$

The probabilities

- $p(\text{CONT}|w, \text{dir}, \text{ADJ}); \text{CONT} \in \{0, 1\}, w \in \mathcal{W}, \text{ADJ} \in \{0, 1\}, \text{dir} \in \{0, 1\}$
- $c(\text{CONT}, w, \text{ADJ})$
- $p(u|v, \text{dir}, \text{ADJ}); \text{CONT} \in \{0, 1\}, u, v \in \mathcal{W}, \text{ADJ} \in \{0, 1\}$
- $c(u, v, \text{dir})$
- $c(u, v, \text{dir}, \text{ADJ})$

Estimation Step

Fill in the  $c$  charts.

$$c(\text{CONT} = 0, h, \text{dir}, \text{ADJ} = 1) \leftarrow \sum p(E(h, \text{dir}, \text{ADJ} = 1, \text{CONT} = 0))$$

$$c(\text{CONT} = 0, h, \text{dir}, \text{ADJ} = 0) \leftarrow \sum p(E(h, \text{dir}, \text{ADJ} = 0, \text{CONT} = 0))$$

$$c(h, m, dir, ADJ) \leftarrow \sum p(E(h, m! = --, dir, ADJ, CONT = 1))$$

$$c(h, m, dir) \leftarrow \sum_{ADJ=\{0,1\}} p(E(h, m! = --, dir, CONT = 1))$$

Maximization Step

$$p(CONT|h, dir, ADJ) \leftarrow \frac{c(CONT, h, dir, ADJ)}{\sum_{m \in \mathcal{W}} c(h, m, dir, ADJ) + c(CONT, h, dir, ADJ)}$$

$$p(m|h, dir) \leftarrow \frac{c(h, m, dir)}{\sum_{m \in \mathcal{W}} c(h, m, dir)}$$