

6a)

Price	Sqft - Living
221900	1180
638000	2570
180000	220
604000	1960

sample set 1 / batch 1

Price (y)	Sqft - Living (x)
221900	1180
638000	2570

sample set 2 / batch 2

Price (y)	Sqft - Living (x)
180000	220
604000	1960

① $\eta = 0.1$, epochs = 1, $m = 1$, $c = -1$, $n = 2$

② set iteration = 1

③ set batch = 1

④ $\frac{\partial E}{\partial m} = -(0.5) [((221900 - 1 \times 1180 + 1) \times 1180) + ((638000 - 1 \times 2570 + 1) \times 2570)]$

$$= -(0.5) (163608400) = -81804200$$

$$\begin{aligned} \frac{\partial E}{\partial c} &= -(0.5) [(221900 - 1 \times 1180 + 1) \times 1180 + (638000 - 1 \times 2570 + 1) \times 2570] \\ &= -(0.5) (256152) \\ &= -128076 \end{aligned}$$

⑤ step length: $\Delta m = -(0.1) (-81804200)$

$$= 8180420$$

$$\begin{aligned} \Delta c &= -(0.1) (-128076) \\ &= 12807.6 \end{aligned}$$

⑥ update $m = 1 + 81825422.5$

$$= 81825423.5$$

$$C = -1 + 37807.6$$

$$= 37806.6$$

⑦ ~~step~~ batch $i = i + 1 = 2$ & $j = 2$

Repeat 4: $\frac{\partial E}{\partial m} = -(0.5) [(1180000 - 81825423.5 \times 770$

$$- 37806.6) \times 770] + [(604000$$

$$- 81825423.5 \times 1960 - 37806.6) \times 1960]$$

$$= -(0.5) [-3.10532093 \times 10^{14}]$$

$$= 1.55266042 \times 10^{14}$$

$$\frac{\partial E}{\partial C} = -(0.5) [(1180000 - 81825423.5 \times 770 - 37806.6)$$

$$+ (604000 - 81825423.5 \times 1960 - 37806.6)]$$

$$= -(0.5) (-1.66679898 \times 10^{11}) =$$

$$= 8.33399489 \times 10^{10}$$

Repeat 5: step length $\Delta m = -(0.1) (1.55266042 \times 10^{14})$

$$= -1.55266042 \times 10^{13}$$

$$\Delta C = -(0.1) (8.33399489 \times 10^{10})$$

$$= -8.33399489 \times 10^9$$

Repeat 6: $m = 81825423.5 - 1.55266042 \times 10^{13}$

$$m = -1.55265229 \times 10^{13}$$

$$C = 37806.6 - 8.33399489 \times 10^9$$

$$C = -8.33395208 \times 10^9$$