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State	Finished
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Grade	<b>1.0</b> out of 1.0 ( <b>100</b> %)
Feedback	Well done

Feedback Well done!

## Question 1

Complete

Mark 1.0 out of 1.0

Construct a Matlab/Python function for statistical classification using empirical probability density functions based on Gaussian kernel density estimates. The function call should be:

C = kdclassify(traindata, trainclass, data, h)

and the parameters and the output should be as follows:

- Matrix traindata contains training examples so that each column is a single example.
- Row vector *trainclass* contains the classes of the examples, so that element *i* of *trainclass* is the class of the example in column *i* of *traindata*.
- Matrix data contains samples to be classified, one in each column.
- h is the length parameter which determines the effective width of the Gaussian.
- Row vector C contains the classes and it should include one value for each column in data.

Verify experimentally that the implementation works using the provided data: <u>CSV</u>, <u>MAT</u>.

Hints. The algorithm works as follows:

- 1. For each sample to be classified, determine the probability of the sample to belong to each class as follows (the sum is over samples in a class):  $\hat{p}(\mathbf{x}) = \frac{1}{h^l} \left( \frac{1}{N} \sum_{i=1}^N \phi\left(\frac{\mathbf{x}_i \mathbf{x}}{h}\right) \right)$  where  $\mathbf{x}$  is a sample to be classified, h is the length parameter, l is the dimensionality, N is the number of samples in the class-specific training set,  $\phi$  is the indicator function and  $\mathbf{x}_i$  is a training set sample from a specific class. For the indicator function  $\phi$ , standardized normal density (zero mean, unit variance) should be used.
- 2. Choose the class based on the maximum probability.

**Current word count:** O

ArmanGolbidi.zip

Comment: