

EE407
Experiment 2
Preliminary Work

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Monday Morning Group 2

Part 3)

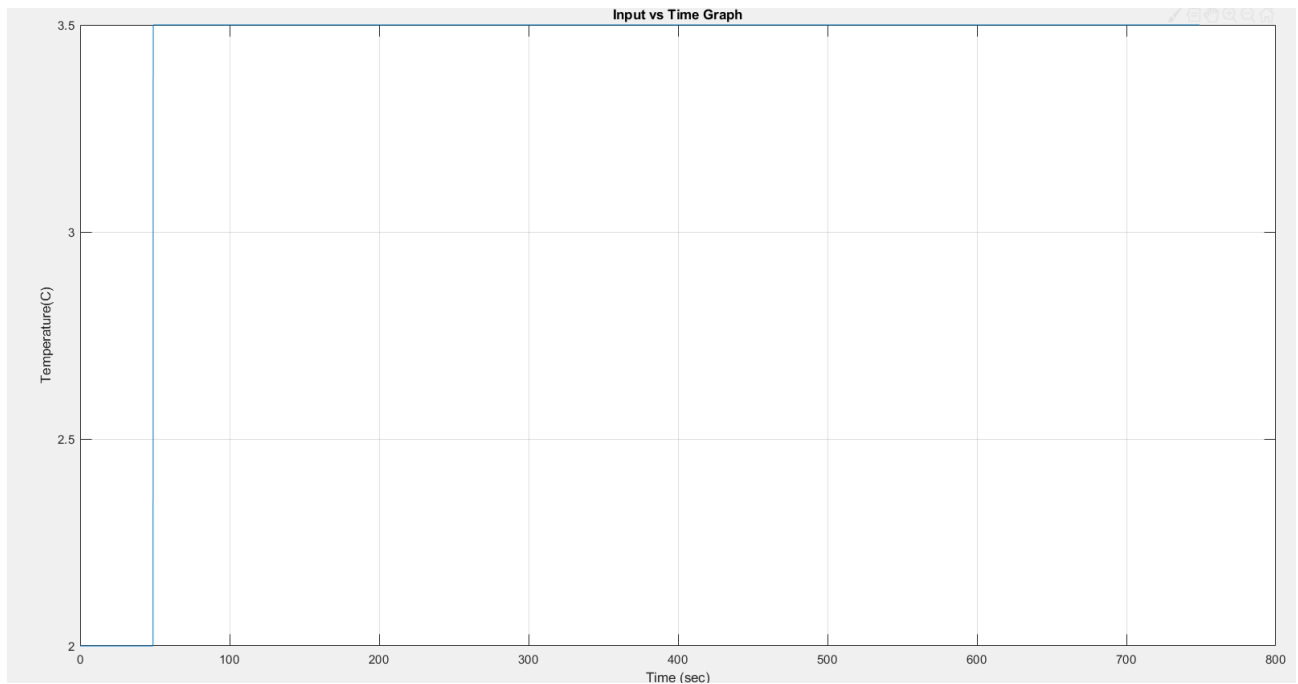


Figure 1: Input vs Time Graph for given SysIdDataExp2.mat

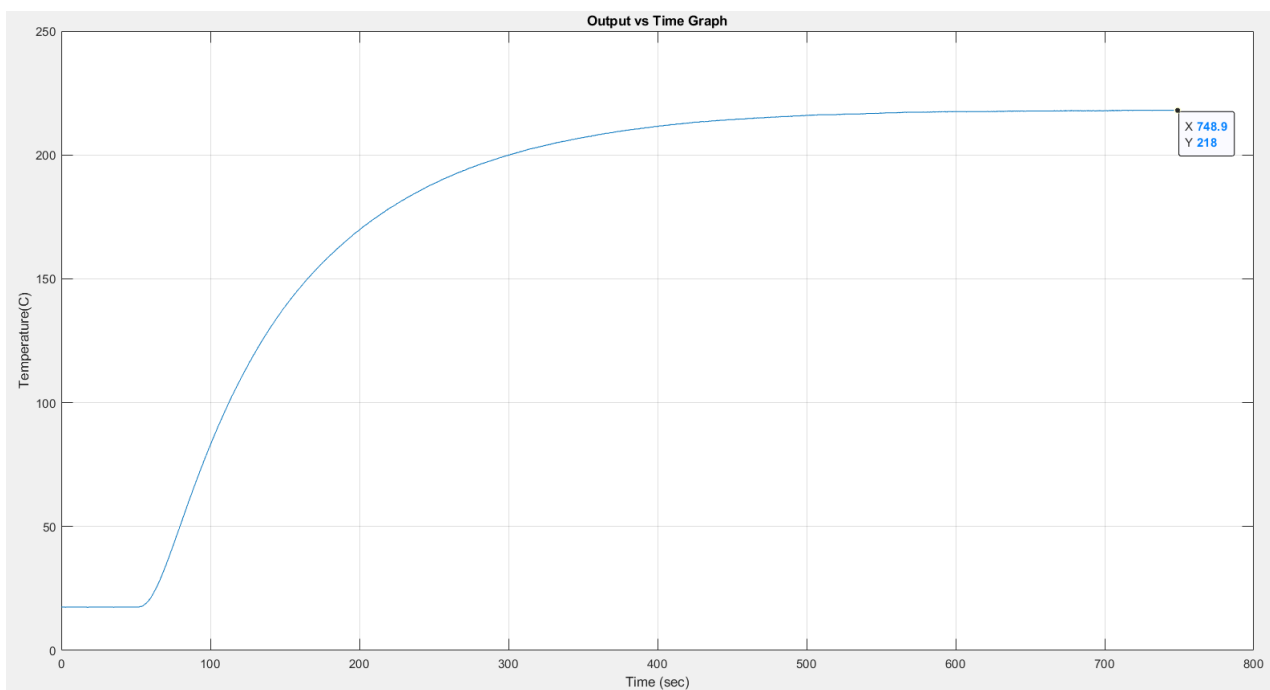


Figure 2: Output vs Time Graph for given SysIdDataExp2.mat

FOPDT parameters of the system determined by using the formulas provided by Afşar Saranlı in EE407 course. The formulas that are utilized is provided below.

$$K_p = \frac{\Delta y}{\Delta u}$$

$$\tau_p = \frac{1}{0.7} (t_{\frac{2}{3}} - t_{\frac{1}{3}})$$

$$\theta_p = t_{\frac{1}{3}} - 0.4\tau_p - \text{Input Bump time}$$

FOPDT parameters for this question calculated by using Output vs Time plot in Matlab.

$$\Delta y = 218 - 17.5 = 200.5, \Delta u = 3.5 - 2 = 1.5 \quad K_p = 133.667$$

$$\frac{2}{3}\Delta y + 17.5 = 151.1667 \text{ hence } t_{\frac{2}{3}} = 167.2 \text{ seconds} \quad \tau_p = 94.5714$$

$$\frac{1}{3}\Delta y + 17.5 = 84.333 \text{ hence } t_{\frac{1}{3}} = 101 \text{ seconds} \quad \theta_p = 101 - 0.4 * 94.5714 - 48.9 = 14.27$$

According to the formulas in the lecture the results for $\theta_p = 14.27$, however when the data points in input and output arrays are investigated dead time delay found as $\theta_p = 54.4 - 48.9 = 5.5$

(Bonus) Part 4)

Initial steady state input value =2 Initial steady state output value=17.5

After removing initial steady state values for input and output , System Identification Application of Matlab is used to Estimate Process Model

Par	Known	Value	Initial Guess	Bounds
K	<input type="checkbox"/>	133.66	133.667	[-Inf Inf]
Tp1	<input type="checkbox"/>	97.6118	94.5174	[0 94571.4]
Tp2	<input type="checkbox"/>	0	0	[0 Inf]
Tp3	<input type="checkbox"/>	0	0	[0 Inf]
Tz	<input type="checkbox"/>	0	0	[-Inf Inf]
Td	<input type="checkbox"/>	12.2523	14.27	[0 100]

Initial Guess

☐ Auto-selected

☐ From existing model:

☒ User-defined

Disturbance Model: Initial condition:

Focus: Covariance:

☐ Display progress

Name:

Figure 3: Estimation of FOPDT Parameters by using Matlab

Part 5)

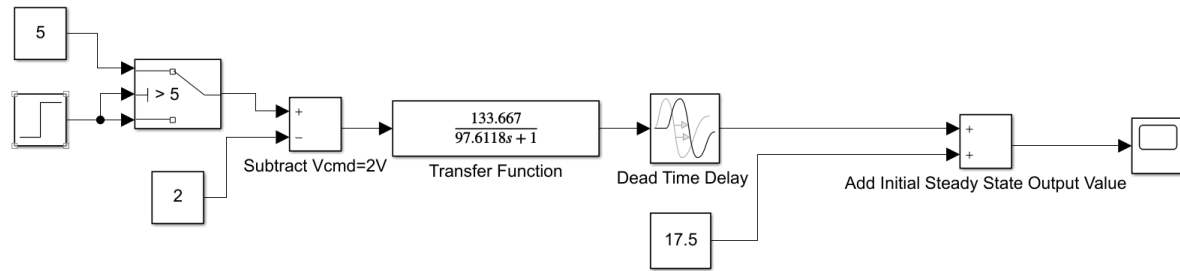


Figure 4: Simulink Block Diagram for Part 5

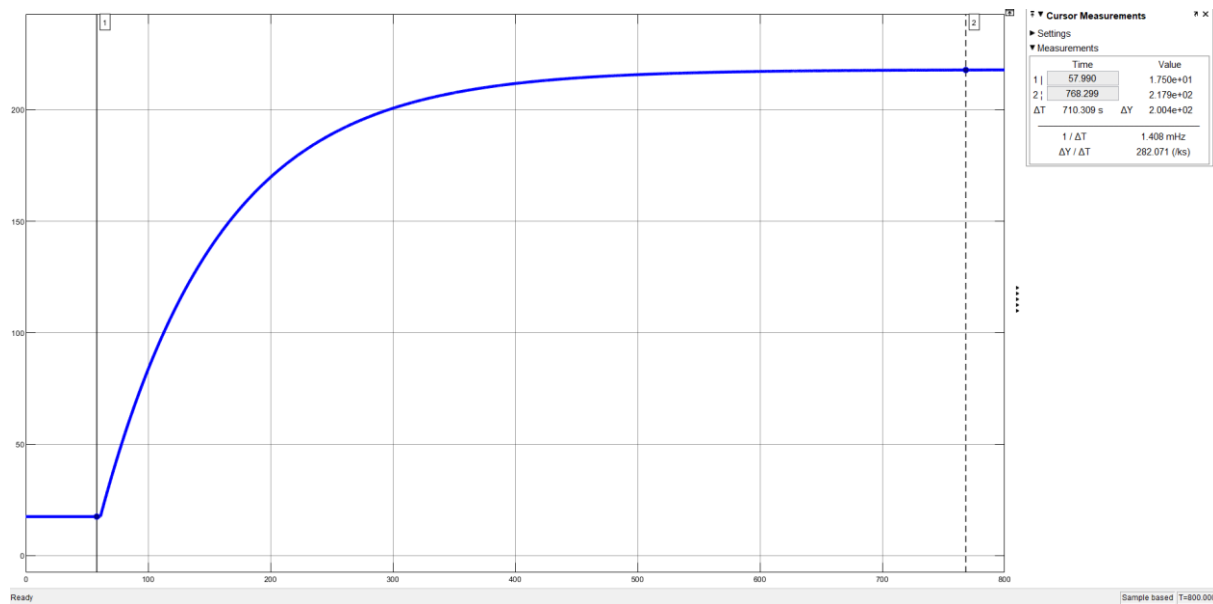


Figure 5: Simulation Results for Plant Identified with FOPDT parameters obtained with MATLAB System Identification with Estimation of Process Models

Part 6

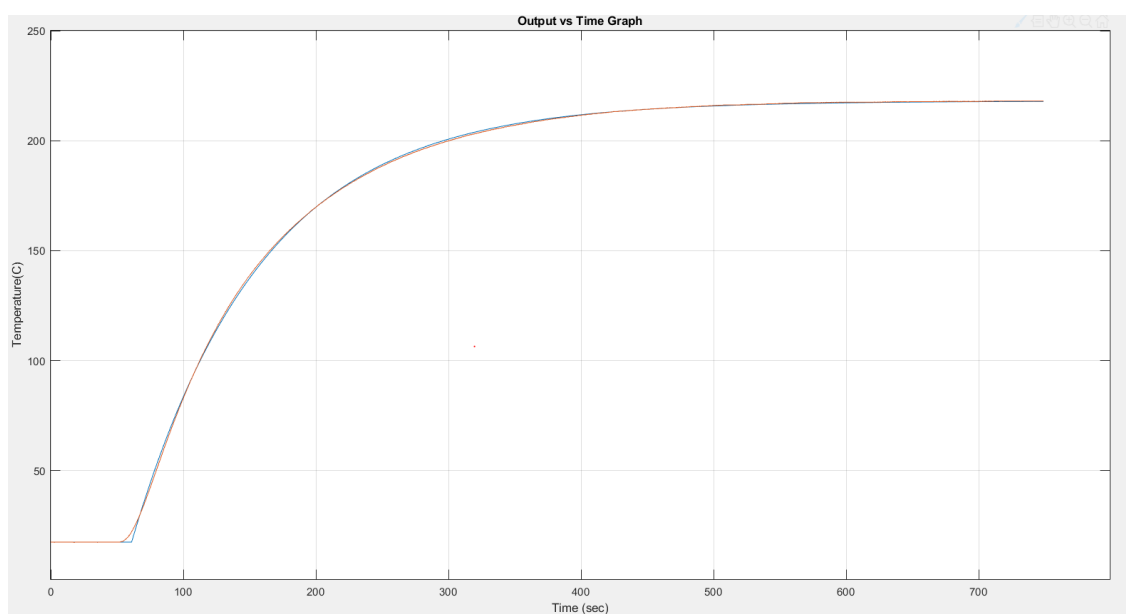


Figure 6: Simulated Data for Estimated Parameters and Experimental Data on the same plot.

As can be seen from Figure 6, estimated parameters for FOPDT model simulated data and the experimental data has nearly the same Output vs Time Plot as expected.

Part 7)

Matlab Codes generated for Table 1 in Experiment 2 PDF.

```
kcp= ((0.2)/(kp)) * ((taop/tetap)^(1.22))
kcpi= ((0.586)/(kp)) * ((taop/tetap)^(0.916))
tipi= (taop)/(1.03- (0.165)*(tetap/taop))
```

for Kp=133.667 Taop=97.6118 and $\theta_p=5.5$ (Estimation of Dead Time from Data Arrays)

For P Controller

$$K_c=0.05$$

For PI Controller

$$K_c=0.0611$$

$$T_i=95.6319$$

for Kp=133.667 Taop=97.6118 and $\theta_p=12.2523$ (MATLAB System Identification Estimation Process Models)

For P Controller

$$K_c=0.0188$$

For PI Controller

$$K_c=0.0293$$

$$T_i=96.7134$$

Part 8)

For $K_c=K_c$ Optimal found for P controller for $K_c=0.5$ PID Controller Block is created and the feedback is taken as temperature from the output. Desired temperature is entered sequentially by using clock blocks and switches; hence, desired temperature is setted as 220, 200 and 240 degrees sequentially. As can be seen in the explanation part of the experiment $V_{cmd}(t)$ is

$$V_{cmd}(t) = K_c \left(1 + \frac{1}{T_i} \int e(t) dt + T_d \frac{de(t)}{dt} \right) + CO_{bias}$$

Hence it has a part which is not multiplied with error signal. Experimentally I found this Controller Output Bias as 27. Then I obtain the simulation results. As can be seen from the simulation results results are very close to desired temperature values.

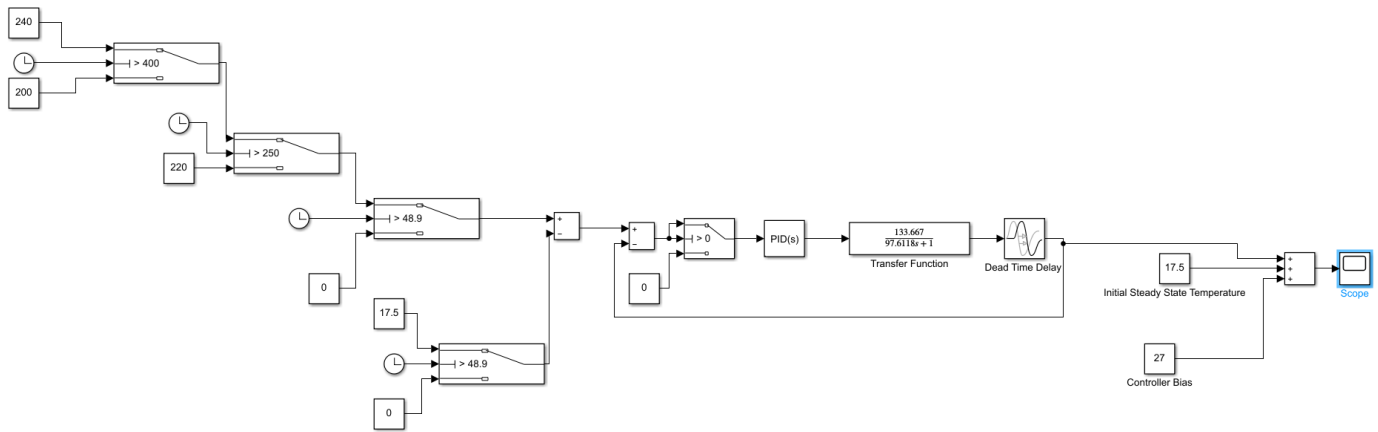


Figure 7: Simulink Block Diagram for Part 8

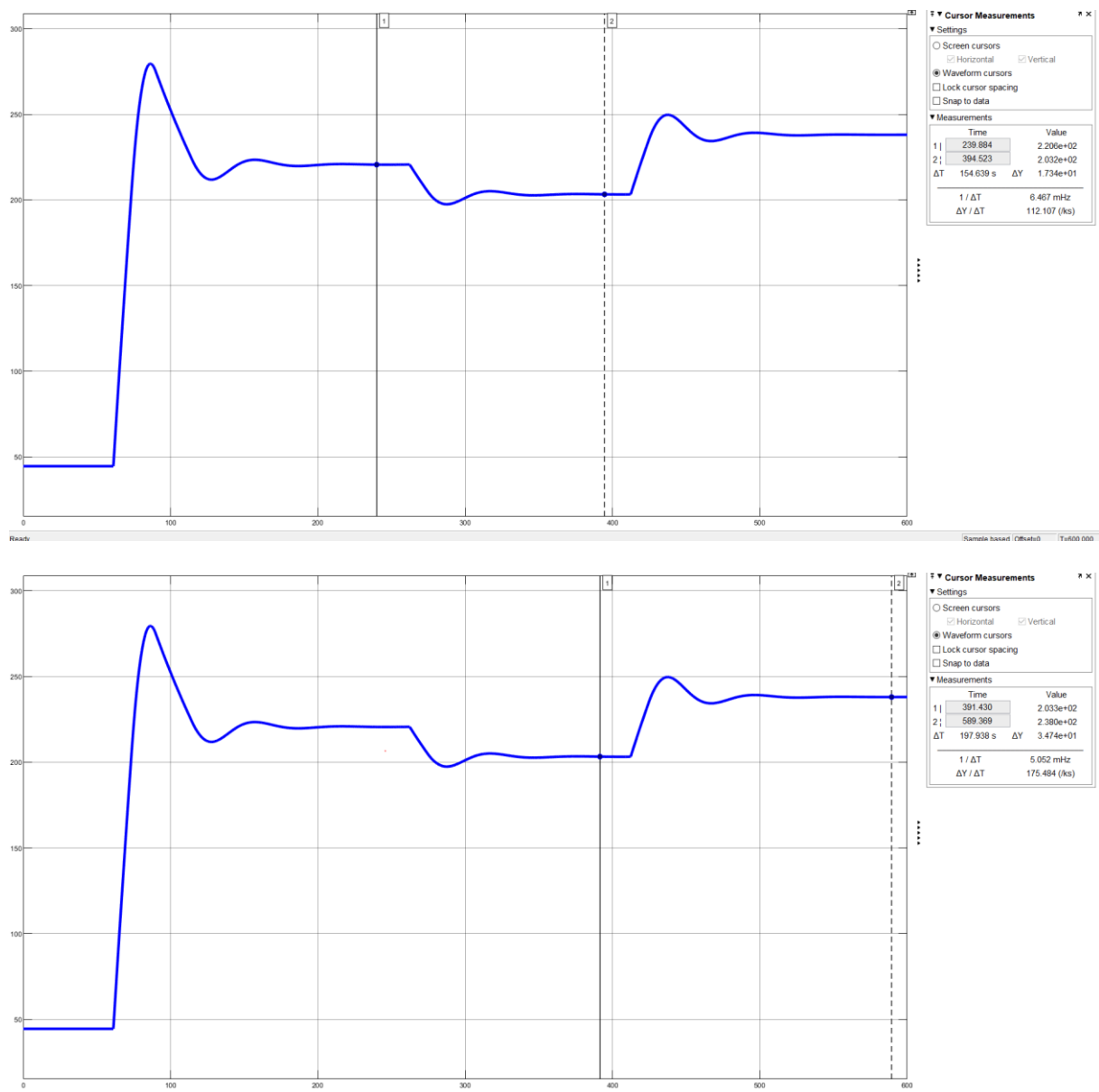


Figure 8: Simulation Results for Part 8 (All 3 Steady State Output is shown)

Part 9)

System became more oscillatory for $K_c=2K_{cOptimal}=0.1$. More oscillatory output is observed therefore I had to increase clock boundaries to change desired input temperature .

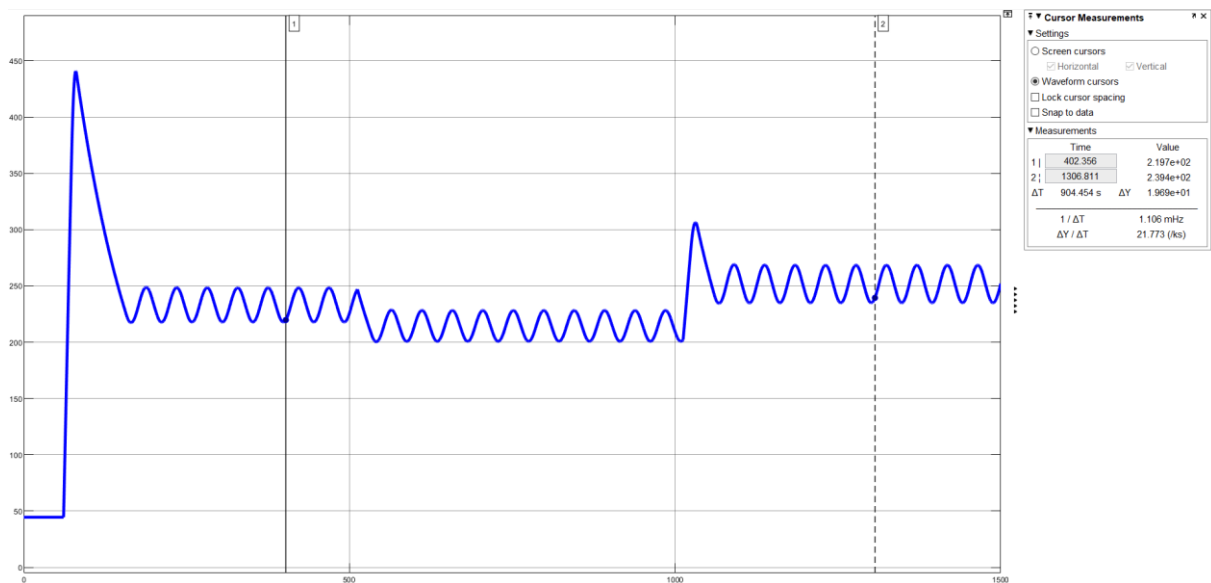


Figure 9:Simulation Results for $K_c=2K_{cOptimal}$

Part 10)

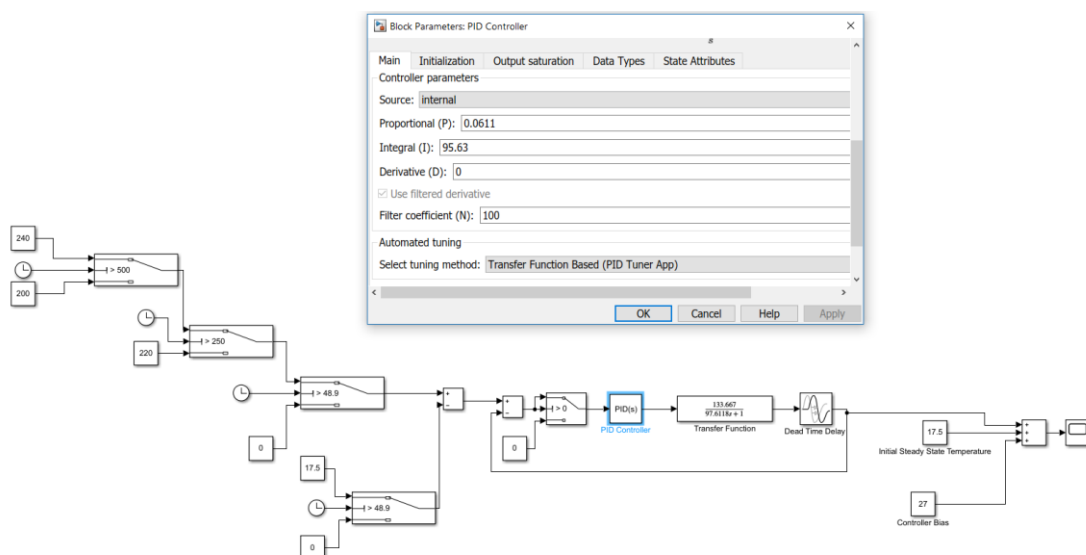


Figure 10:Simulink Block Diagram for Part 10 Configuring PID Block is shown

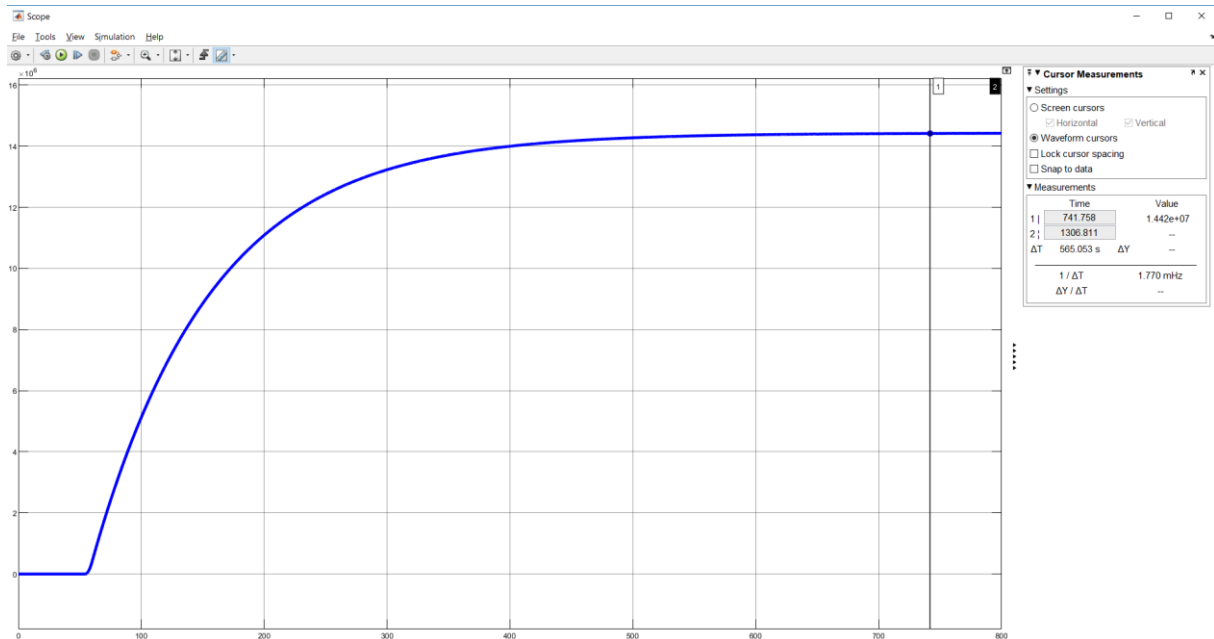


Figure 11:Simulation Results for PI Controller for $K_c=K_{c,optimal}$ $T_i=T_{i,optimal}$

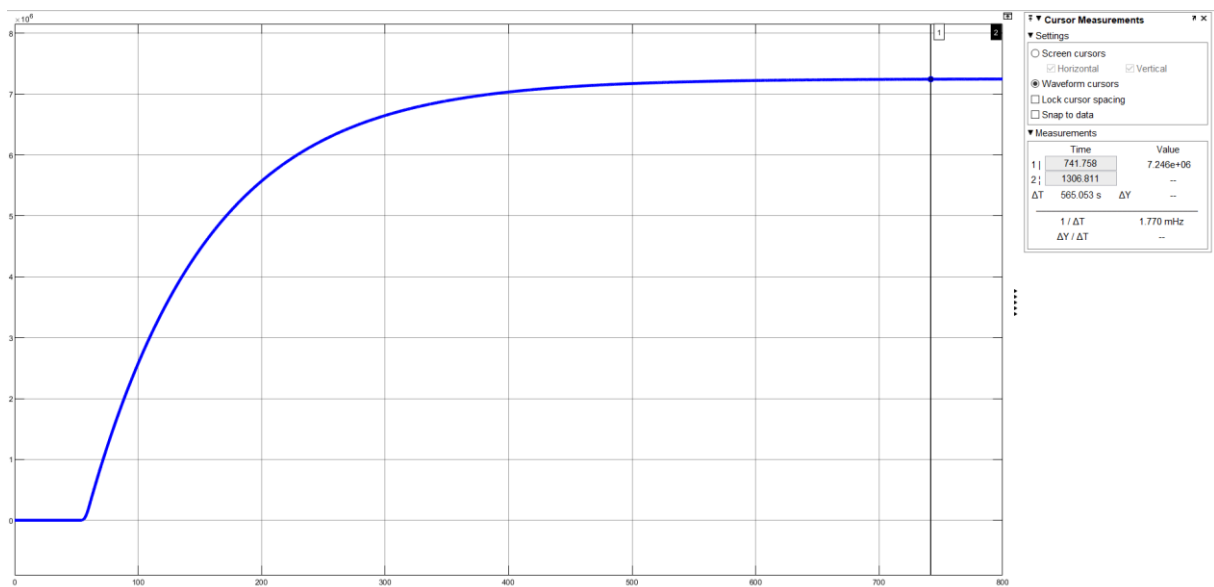


Figure 12:Simulation Results for PI Controller for $K_c=K_{c,optimal}$ $T_i=0.5 T_{i,optimal}$

I am not sure for the results of part 10. As can be seen from above plots heating process becomes an integrating process. I believe that this is due to integral term in PI controller. Output is shows accumulated integral sum. According to the theoretical knowledge usage of PI controller must results in less steady state error. However this is not the case here. Therefore, I have tried different configurations and playing with the PID block options. Even though I tried meticulously and diligently, I could not obtain a simulation results with smaller steady state error.