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請實做以下兩種不同 feature 的模型,回答第 (1) ~ (3) 題:

- (1) 抽全部 9 小時內的污染源 feature 的一次項(加 bias)
- (2) 抽全部 9 小時內 pm2.5 的一次項當作 feature(加 bias)
- 1. (2%)記錄誤差值 (RMSE)(根據 kaggle public+private 分數), 討論兩種 feature 的影響
- (1) 使用 4 個 feature 以及 PM2.5

private	public
6.43557	8.61249

選擇過多的 feature 可能會造成準確度降低

## (2) PM2.5 9hr

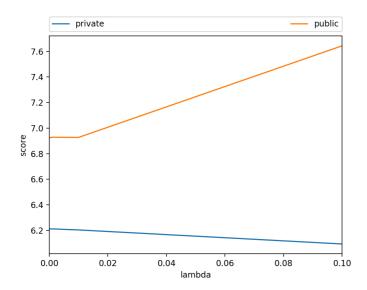
private	public
6.21691	6.92579

2. (1%)將 feature 從抽前 9 小時改成抽前 5 小時,討論其變化

## PM2.5 5hr

private	public
6.41547	6.87568

Data 量過少也會降低準確度



## 4. Ans: $(X^{T}X)^{-1}X^{T}y$

min 
$$\sum_{j=1}^{m} [h_0(x^j) - y^j]^2 = (x_0 - x_1)^T (x_0 - x_1)$$

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