Linear Discriminant Analysis (LDA)

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- Use **Bayes theorem** to flip things around and obtain $P(\text{category} \mid \text{predictors})$

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- Now: **model the joint distribution of features given the class label**

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▶ assume covariances of the MVN distributions are equal for both classes

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Linear Discriminant Analysis (LDA) with 1 Predictor