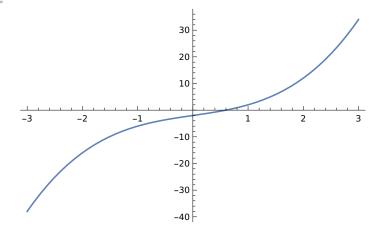
In[14]:=

$$f[x_] := x^3 + 3x - 2$$

Plot[f[x], {x, -3, 3}]

Out[15]=



$$a[0] = 1.0;$$

$$b[0] = 0.0;$$

Do[

$$a \Big[n \, + \, 1 \Big] \, - \, \Big(a \Big[n \, + \, 1 \Big] \, - \, a [n] \Big) \, \Big/ \, \Big(f \Big[a \Big[n \, + \, 1 \Big] \Big] \, - \, f [a [n]] \Big) \, f [a [n]] \Big] \, f [a [n]] \, f [a$$

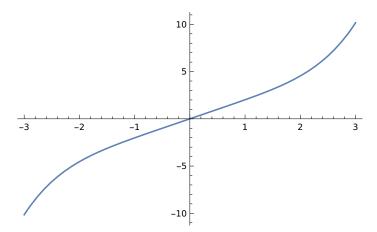
$$a[n + 1], \{n, 0, 9\}$$

 $\label{eq:loss_problem} $$ \inf_{n \in \mathbb{R}^{n}} TableForm[Table[\{n, a[n], f[a[n]]\}, \{n, 0, 9\}]] $$ $$ $$ in [n] = [n$

Out[16]//TableForm=

In[17]:= f[x_] := Sin[x] + Sinh[x]
Plot[f[x], {x, -3, 3}]

Out[18]=



a[0] = 0.0;

$$b[0] = 0.0;$$

Do[

$$a[n + 2] =$$

$$a\big[n+1\big]-\Big(a\big[n+1\big]-a[n]\Big)\Big/\Big(f\big[a\big[n+1\big]\big]-f[a[n]]\Big)\,f[$$

$$a[n + 1], \{n, 0, 9\}$$

In[19]:= TableForm[Table[$\{n, a[n], f[a[n]]\}, \{n, 0, 9\}]$]

Out[19]//TableForm=

0 -1 -Sin[1] - Sinh[1]

1 -1 -Sin[1] - Sinh[1]

2 -1 -Sin[1] - Sinh[1]

3 -1 -Sin[1] - Sinh[1]

4 -1 -Sin[1] - Sinh[1]

5 -1 -Sin[1] - Sinh[1]

6 -1 -Sin[1] - Sinh[1]

7 -1 -Sin[1] - Sinh[1]

8 -1 -Sin[1] - Sinh[1]

9 -1 -Sin[1] - Sinh[1]

In[19]:= Transpose[%18]

Out[19]=

 $\{\{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}, \{a[0], a[1], a[2], a[3], a[4], a[5], a[6], a[7], a[8], a[9]\}, \\ \{Sin[a[0]] + Sinh[1 + a[0]], Sin[a[1]] + Sinh[1 + a[1]], Sin[a[2]] + Sinh[1 + a[2]], Sin[a[3]] + Sinh[1 + a[3]], \\ Sin[a[4]] + Sinh[1 + a[4]], Sin[a[5]] + Sinh[1 + a[5]], Sin[a[6]] + Sinh[1 + a[6]], \\ Sin[a[7]] + Sinh[1 + a[7]], Sin[a[8]] + Sinh[1 + a[8]], Sin[a[9]] + Sinh[1 + a[9]]\}$

In[20]:= TableForm[%19]

Out[20]//TableForm=

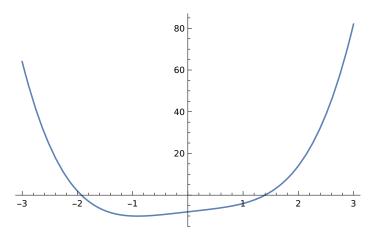
In[21]:= Flatten[%20]

Out[21]=

 $\{0, 1, 2, 3, 4, 5, 6, 7, 8, 9, a[0], a[1], a[2], a[3], a[4], a[5], a[6], a[7], a[8], a[9], Sin[a[0]] + Sinh[1 + a[0]], Sin[a[1]] + Sinh[1 + a[1]], Sin[a[2]] + Sinh[1 + a[2]], Sin[a[3]] + Sinh[1 + a[3]], Sin[a[4]] + Sinh[1 + a[4]], Sin[a[5]] + Sinh[1 + a[5]], Sin[a[9]] + Sinh[1 + a[9]] + Sinh[$

 $ln[38]:= f[x] := x^4 + 3x - 8$ $Plot[f[x], \{x, -3, 3\}]$

Out[39]=



$$a[0] = -2.0;$$

$$b[0] = 1.0;$$

Do[

$$a[n + 2] =$$

$$\begin{split} &a\big[n+1\big]-\big(a\big[n+1\big]-a[n]\big)\big/\big(f\big[a\big[n+1\big]\big]-f[a[n]]\big)\,f[\\ &a\big[n+1\big]\big],\,\,\big\{n,\,\,0,\,\,9\big\}\big] \end{split}$$

$_{\text{In[40]:=}} \ \, \mathsf{TableForm}\big[\mathsf{Table}\big[\big\{n,\ a[n],\ f[a[n]]\big\},\ \big\{n,\ 0\ ,\ 9\big\}\big]\big]$

Out[40]//TableForm=

8

-1 -10 0 1 -1 -10 2 -1 -10 3 -1 -10 4 -1 -10 5 -1 -10 6 -10 -1 7 -1 -10

(*Newton Raphson *)

-10

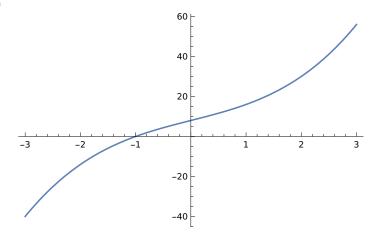
-10

$$ln[29]:= f[x] := x^3 + 7x + 8$$

 $Plot[f[x], \{x, -3, 3\}]$

-1 -1

Out[30]=



$$a[0] = 0.0; \\ b[0] = -1.0; \\ Do[a[n + 1] = a[n] - (f[a[n]]/f'[a[n]]), \{n, 0, 9\}]$$

$$\label{eq:loss_loss} $$ \ln[31]=$$ TableForm[Table[{n, a[n], f[a[n]]}, {n, 0, 9}]]$$$

Out[31]//TableForm=

0
$$a[0]$$
 8 + 7 $a[0]$ + $a[0]^3$

1
$$a[1]$$
 8 + 7 $a[1]$ + $a[1]^3$

2
$$a[2]$$
 8 + 7 $a[2]$ + $a[2]^3$

3
$$a[3]$$
 8 + 7 $a[3]$ + $a[3]^3$

4
$$a[4]$$
 8 + 7 $a[4]$ + $a[4]^3$

5
$$a[5]$$
 8 + 7 $a[5]$ + $a[5]^3$

6
$$a[6]$$
 8 + 7 $a[6]$ + $a[6]^3$

7
$$a[7]$$
 8 + 7 $a[7]$ + $a[7]^3$

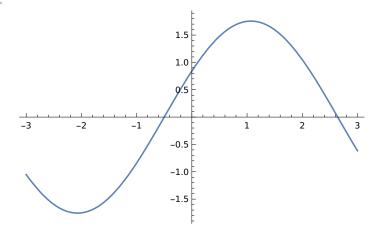
8
$$a[8]$$
 8 + 7 $a[8]$ + $a[8]^3$

9
$$a[9]$$
 8 + 7 $a[9]$ + $a[9]^3$

$$ln[43]:= f[x_] := Sin[x] + Sin[x + 1]$$

Plot[f[x], {x, -3, 3}]

Out[44]=



$$a[0] = -1;$$

$$Do[a[n + 1] = a[n] - (f[a[n]]/f'[a[n]]), \{n, 0, 9\}]$$

ln[45]:= TableForm[Table[$\{n, a[n], f[a[n]]\}, \{n, 0, 9\}]$]

Sin[a[3]] + Sin[1 + a[3]]

Out[45]//TableForm=

3

a[3]

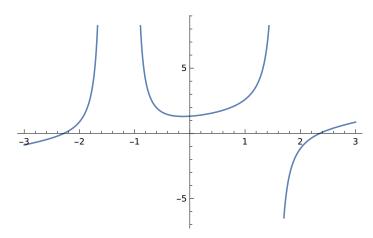
0
$$a[0]$$
 Sin[a[0]] + Sin[1 + a[0]]

7
$$a[7]$$
 Sin[a[7]] + Sin[1 + a[7]]

$$ln[35]:= f[x] := Tan[x] + Coth[x + 1]$$

Plot[f[x], {x, -3, 3}]

Out[36]=



$$a[0] = 2.0;$$

 $b[0] = 3.0;$
 $Do[a[n + 1] = a[n] - (f[a[n]] / f'[a[n]]), \{n, 0, 9\}]$

[n[38]:= TableForm[Table[$\{n, a[n], f[a[n]]\}, \{n, 0, 9\}]]$

Out[38]//TableForm=

In[39]:= Last[%38]

Out[39]=

{9, a[9], Coth[1 + a[9]] + Tan[a[9]]}