

In[87]:= $d[x_] := (x^2) / (x^2 + x^4)$

$a = 1.0;$

$b = 2.0;$

$Ap = ((b - a) / 2) * (f(a) + f[b])$

$Exacti = N[Integrate[d[x], \{x, 1, 2\}]]$

$Abserr = Abs[Ap - Exacti]$

Out[90]=

$\{0.5(3. + \{3, 5, 7\}[2.]), 0.5(5. + \{3, 5, 7\}[2.]), 0.5(7. + \{3, 5, 7\}[2.])\}$

Out[91]=

0.321751

Out[92]=

$\{Abs[-0.321751 + 0.5(3. + \{3, 5, 7\}[2.])],$
 $Abs[-0.321751 + 0.5(5. + \{3, 5, 7\}[2.])], Abs[-0.321751 + 0.5(7. + \{3, 5, 7\}[2.])]\}$

(*composite trap *)

In[93]:= $d[x_] := (x^2) / (1 + x + x^3)$

$a = 1.0;$

$b = 2.0;$

$n = 20;$

$h = (b - a) / n;$

$ap = h / 2 * (f(a) + 2 * Sum[f[a + i * h] + f[b], \{i, 1, n - 1\}])$

$exacti = N[Integrate[d[x], \{x, 1, 2\}]]$

$abserr = abs[ap - exacti]$

Out[98]=

$\{0.025$
 $(3. + 2(\{3, 5, 7\}[1.05] + \{3, 5, 7\}[1.1] + \{3, 5, 7\}[1.15] + \{3, 5, 7\}[1.2] + \{3, 5, 7\}[1.25] + \{3, 5, 7\}[1.3] + \{3, 5, 7\}[1.35] + \{3, 5, 7\}[1.4] + \{3, 5, 7\}[1.45] + \{3, 5, 7\}[1.5] +$
 $\{3, 5, 7\}[1.55] + \{3, 5, 7\}[1.6] + \{3, 5, 7\}[1.65] + \{3, 5, 7\}[1.7] + \{3, 5, 7\}[1.75] +$
 $\{3, 5, 7\}[1.8] + \{3, 5, 7\}[1.85] + \{3, 5, 7\}[1.9] + \{3, 5, 7\}[1.95] + 19\{3, 5, 7\}[2.1])),$
 $0.025(5. + 2(\{3, 5, 7\}[1.05] + \{3, 5, 7\}[1.1] + \{3, 5, 7\}[1.15] + \{3, 5, 7\}[1.2] + \{3, 5, 7\}[1.25] +$
 $\{3, 5, 7\}[1.3] + \{3, 5, 7\}[1.35] + \{3, 5, 7\}[1.4] + \{3, 5, 7\}[1.45] + \{3, 5, 7\}[1.5] +$
 $\{3, 5, 7\}[1.55] + \{3, 5, 7\}[1.6] + \{3, 5, 7\}[1.65] + \{3, 5, 7\}[1.7] + \{3, 5, 7\}[1.75] +$
 $\{3, 5, 7\}[1.8] + \{3, 5, 7\}[1.85] + \{3, 5, 7\}[1.9] + \{3, 5, 7\}[1.95] + 19\{3, 5, 7\}[2.1])),$
 $0.025(7. + 2(\{3, 5, 7\}[1.05] + \{3, 5, 7\}[1.1] + \{3, 5, 7\}[1.15] + \{3, 5, 7\}[1.2] + \{3, 5, 7\}[1.25] +$
 $\{3, 5, 7\}[1.3] + \{3, 5, 7\}[1.35] + \{3, 5, 7\}[1.4] + \{3, 5, 7\}[1.45] + \{3, 5, 7\}[1.5] +$
 $\{3, 5, 7\}[1.55] + \{3, 5, 7\}[1.6] + \{3, 5, 7\}[1.65] + \{3, 5, 7\}[1.7] + \{3, 5, 7\}[1.75] +$
 $\{3, 5, 7\}[1.8] + \{3, 5, 7\}[1.85] + \{3, 5, 7\}[1.9] + \{3, 5, 7\}[1.95] + 19\{3, 5, 7\}[2.1]))\}$

Out[99]=

0.371716 + 0. *i*

Out[100]=

$$\text{abs}\left[\left\{\left(-0.371716 + 0. i\right) + 0.025 \left(3. + 2 \left(\{3, 5, 7\}[1.05] + \{3, 5, 7\}[1.1] + \{3, 5, 7\}[1.15] + \{3, 5, 7\}[1.2] + \{3, 5, 7\}[1.25] + \{3, 5, 7\}[1.3] + \{3, 5, 7\}[1.35] + \{3, 5, 7\}[1.4] + \{3, 5, 7\}[1.45] + \{3, 5, 7\}[1.5] + \{3, 5, 7\}[1.55] + \{3, 5, 7\}[1.6] + \{3, 5, 7\}[1.65] + \{3, 5, 7\}[1.7] + \{3, 5, 7\}[1.75] + \{3, 5, 7\}[1.8] + \{3, 5, 7\}[1.85] + \{3, 5, 7\}[1.9] + \{3, 5, 7\}[1.95] + 19 \{3, 5, 7\}[2.1]\right)\right), \left(-0.371716 + 0. i\right) + 0.025 \left(5. + 2 \left(\{3, 5, 7\}[1.05] + \{3, 5, 7\}[1.1] + \{3, 5, 7\}[1.15] + \{3, 5, 7\}[1.2] + \{3, 5, 7\}[1.25] + \{3, 5, 7\}[1.3] + \{3, 5, 7\}[1.35] + \{3, 5, 7\}[1.4] + \{3, 5, 7\}[1.45] + \{3, 5, 7\}[1.5] + \{3, 5, 7\}[1.55] + \{3, 5, 7\}[1.6] + \{3, 5, 7\}[1.65] + \{3, 5, 7\}[1.7] + \{3, 5, 7\}[1.75] + \{3, 5, 7\}[1.8] + \{3, 5, 7\}[1.85] + \{3, 5, 7\}[1.9] + \{3, 5, 7\}[1.95] + 19 \{3, 5, 7\}[2.1]\right)\right), \left(-0.371716 + 0. i\right) + 0.025 \left(7. + 2 \left(\{3, 5, 7\}[1.05] + \{3, 5, 7\}[1.1] + \{3, 5, 7\}[1.15] + \{3, 5, 7\}[1.2] + \{3, 5, 7\}[1.25] + \{3, 5, 7\}[1.3] + \{3, 5, 7\}[1.35] + \{3, 5, 7\}[1.4] + \{3, 5, 7\}[1.45] + \{3, 5, 7\}[1.5] + \{3, 5, 7\}[1.55] + \{3, 5, 7\}[1.6] + \{3, 5, 7\}[1.65] + \{3, 5, 7\}[1.7] + \{3, 5, 7\}[1.75] + \{3, 5, 7\}[1.8] + \{3, 5, 7\}[1.85] + \{3, 5, 7\}[1.9] + \{3, 5, 7\}[1.95] + 19 \{3, 5, 7\}[2.1]\right)\right)\right]\right]$$