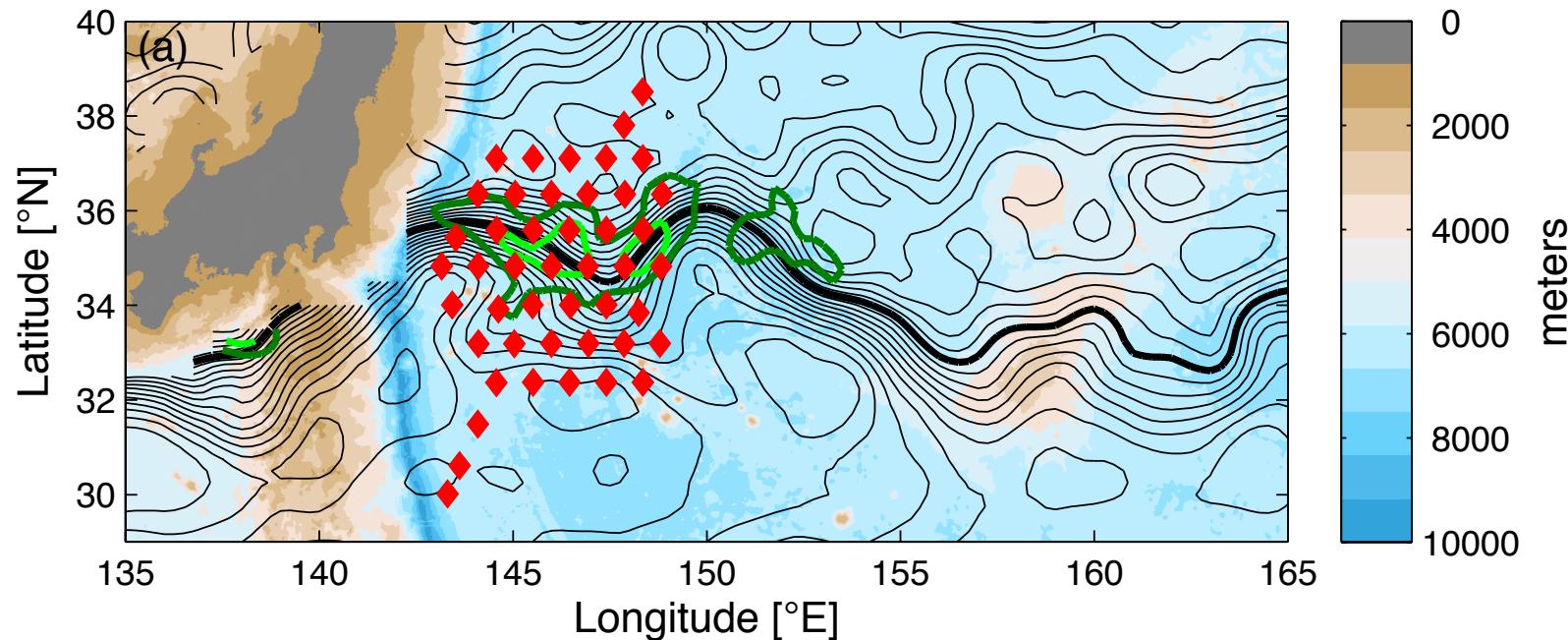


Oceanic Heat Transport By Eddies in the Kuroshio Current East of Japan



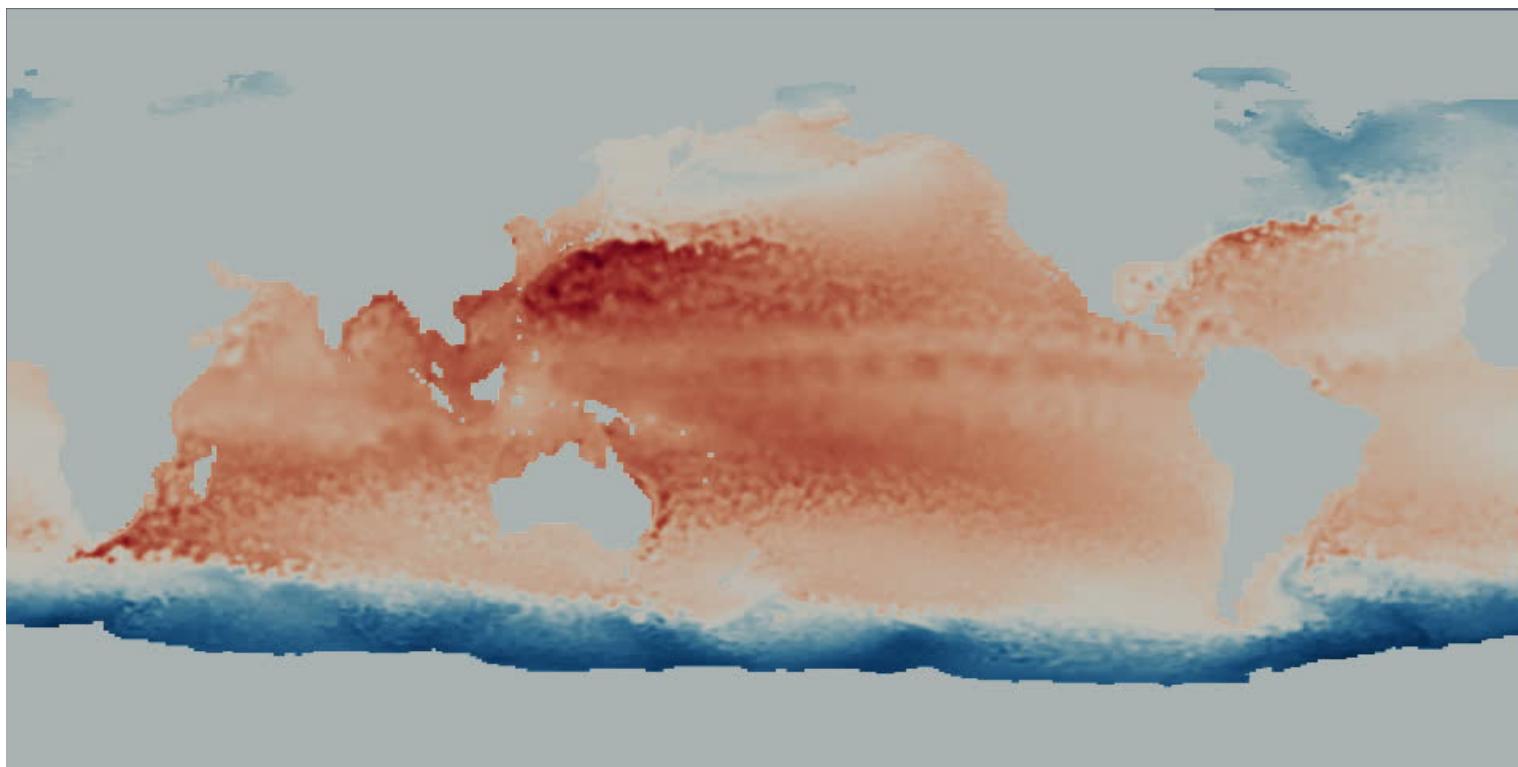
Stuart P. Bishop

Advanced Study Program (NCAR)

Boulder Fluids Seminar
University of Colorado Boulder
September 3, 2013



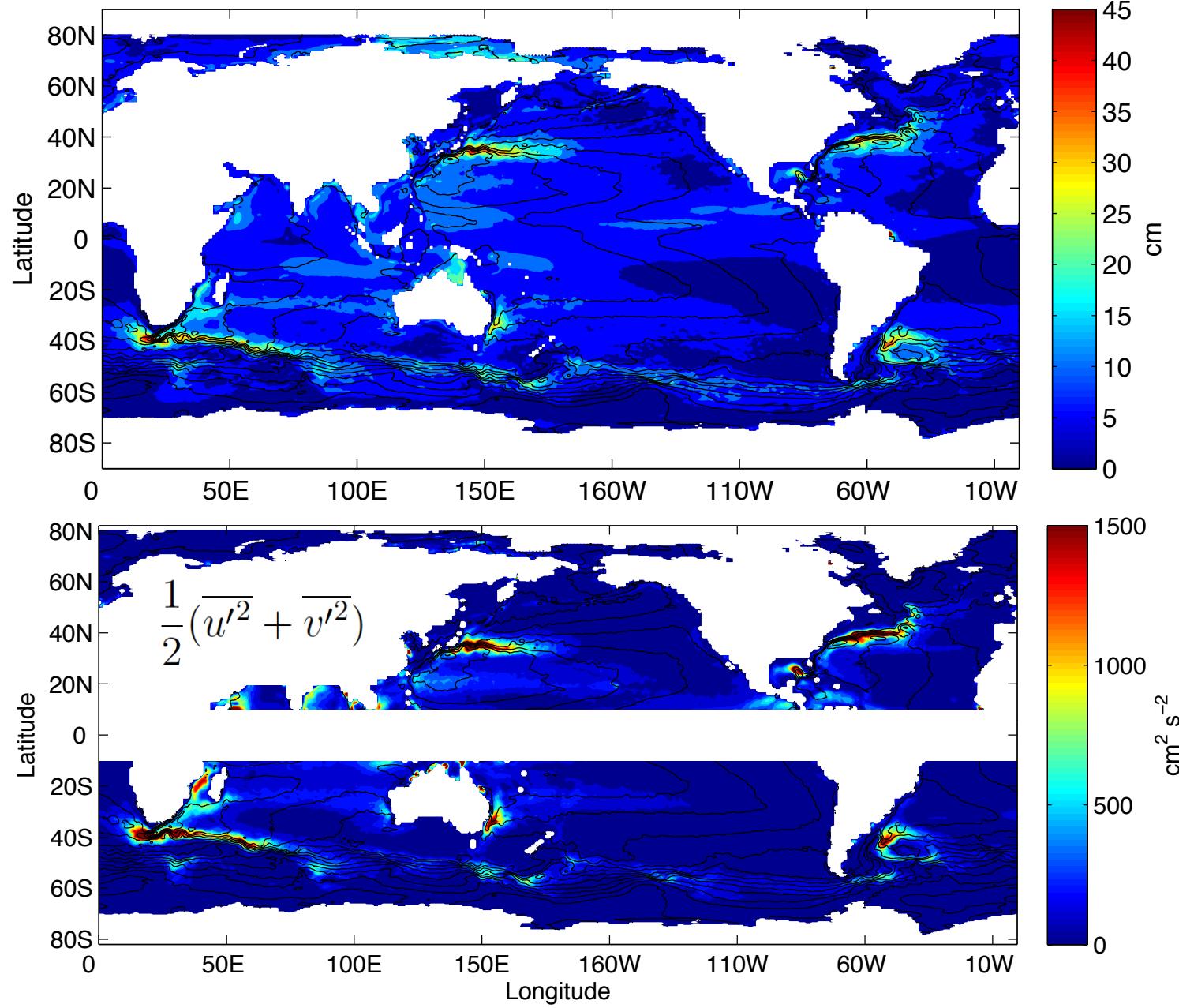
Sea Surface Height (SSH) From Satellite Altimetry



<http://www.aviso.oceanobs.com/en/>



SSH Variance and EKE

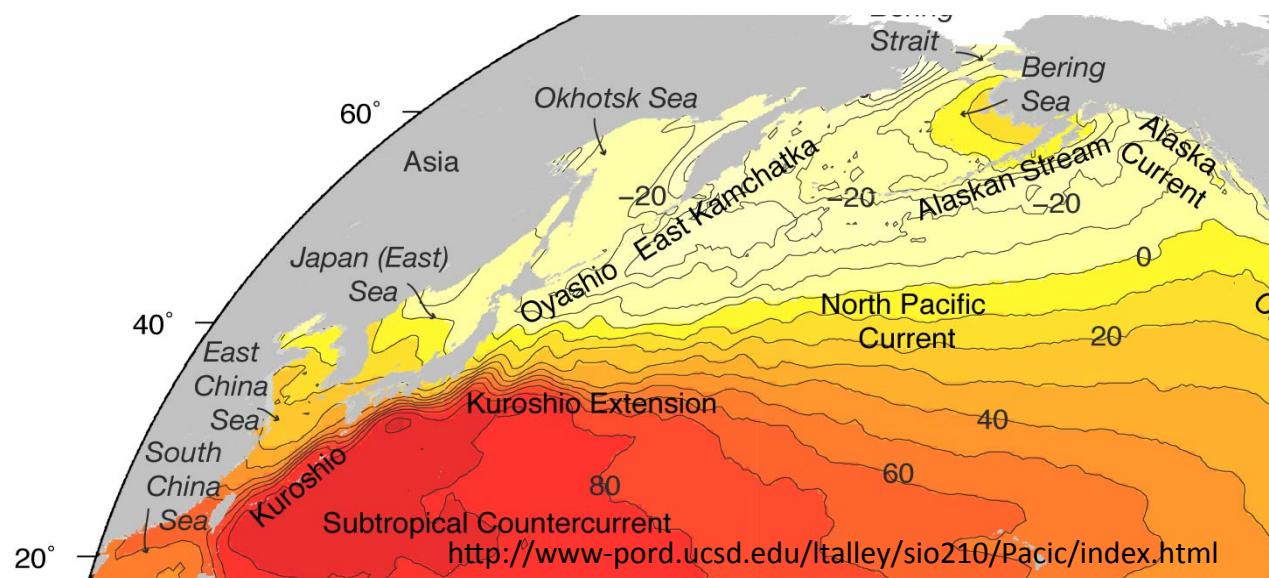


Geostrophy

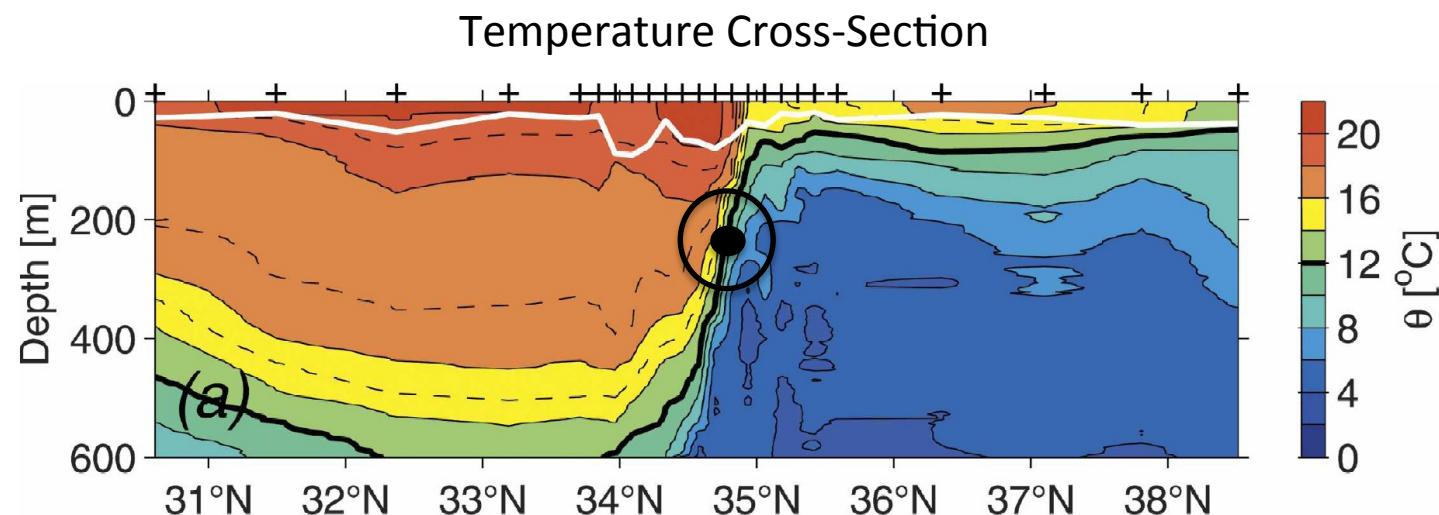
$$u = -\frac{g'}{f} \frac{\partial \eta}{\partial y}$$

$$v = \frac{g'}{f} \frac{\partial \eta}{\partial x}$$

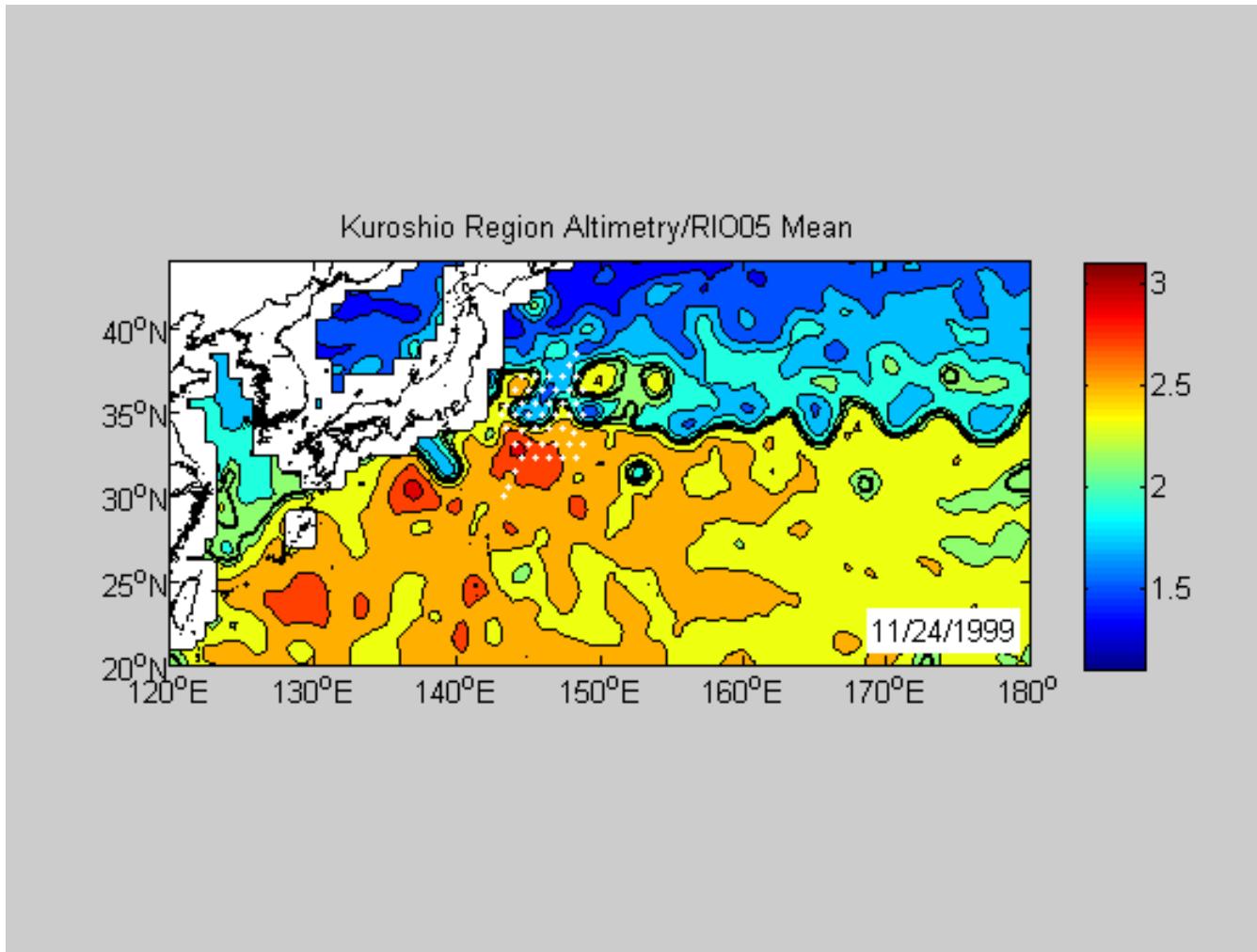
North Pacific Circulation



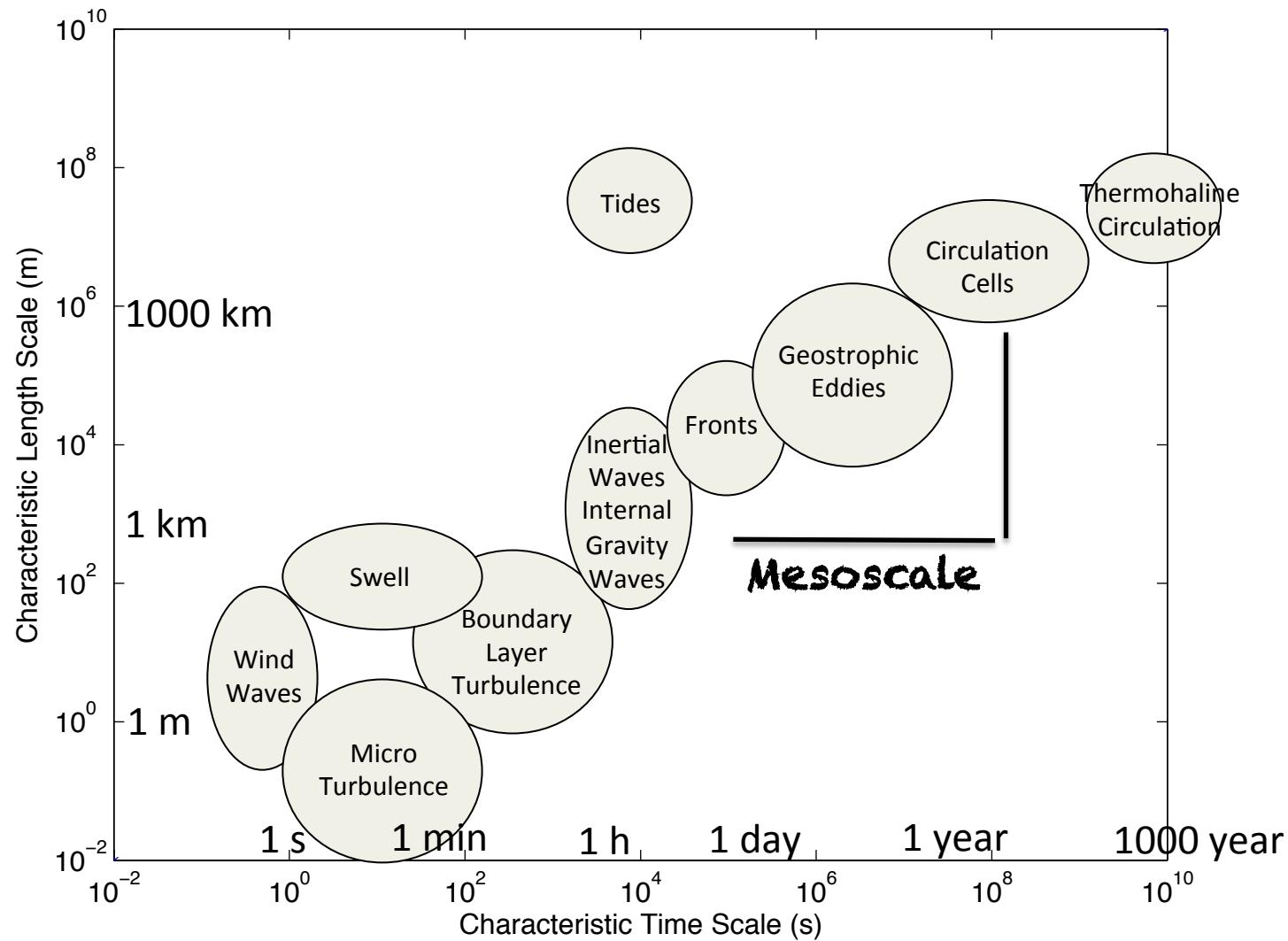
- Meandering jet
- Frontal boundary
- Available Potential Energy (APE)
- $> 1 \text{ m s}^{-1}$
- Width $\sim 100\text{km}$
- High EKE



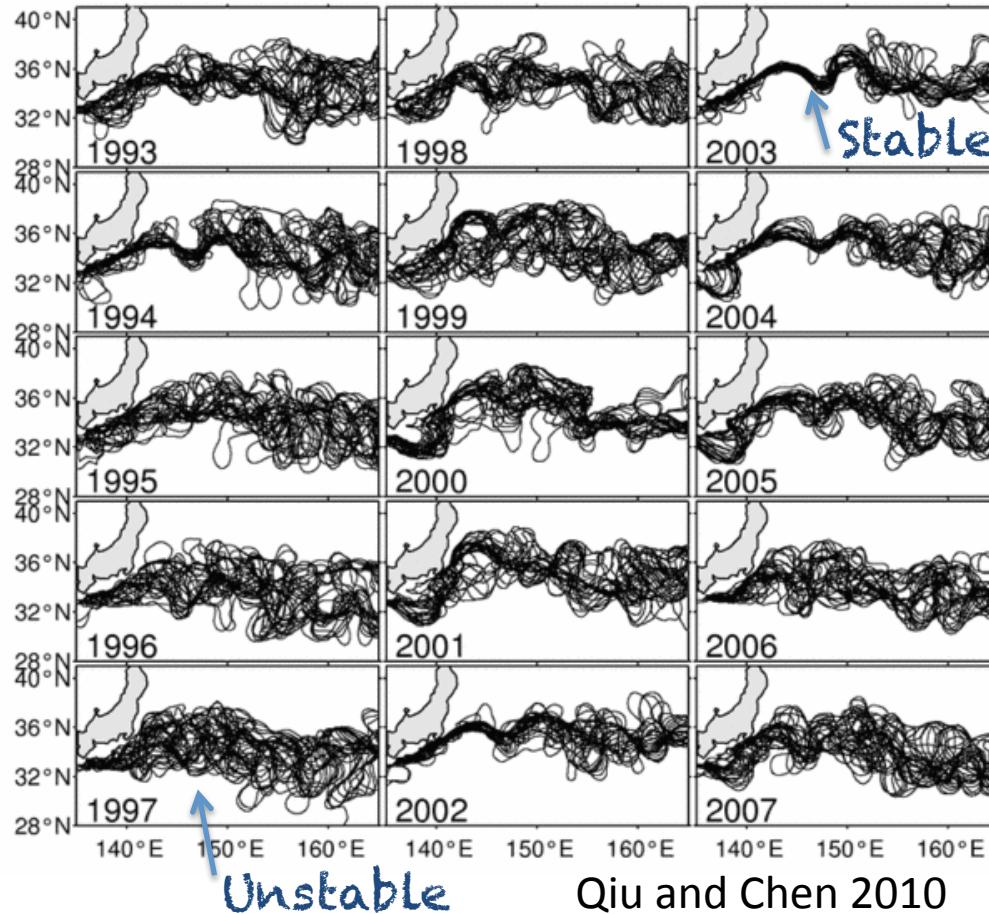
Kuroshio Extension SSH



Ocean Spectrum

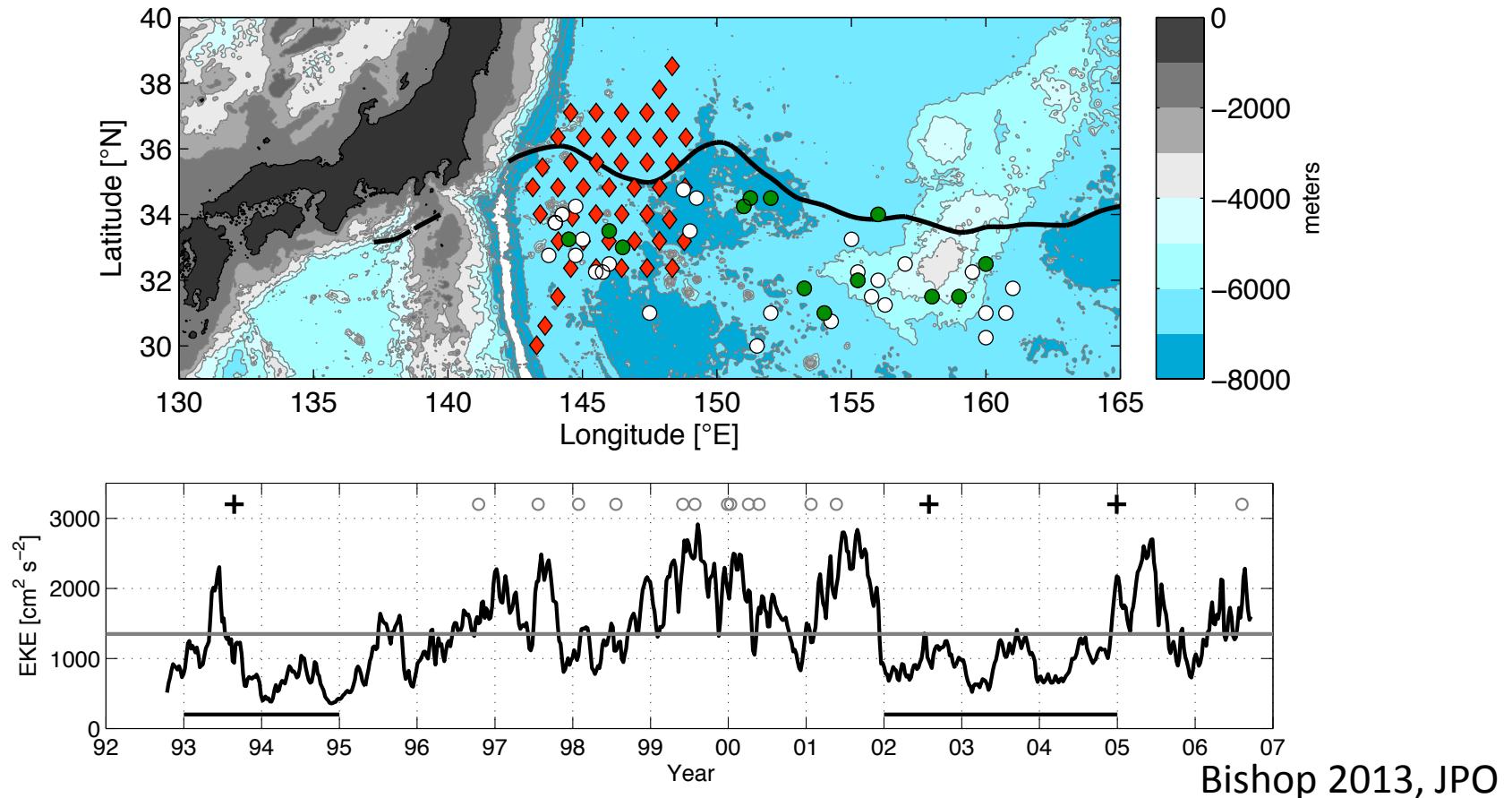


Decadal Variability



- Path variability from satellite altimetry (bi-weekly)
- Vascillation:
stable (unstable)
 - Stronger (weaker)
 - Transport
 - STMW formation
- Mechanism: Tied to PDO
Qiu and Chen 2005

Suppression of CCRs During Stable Regimes



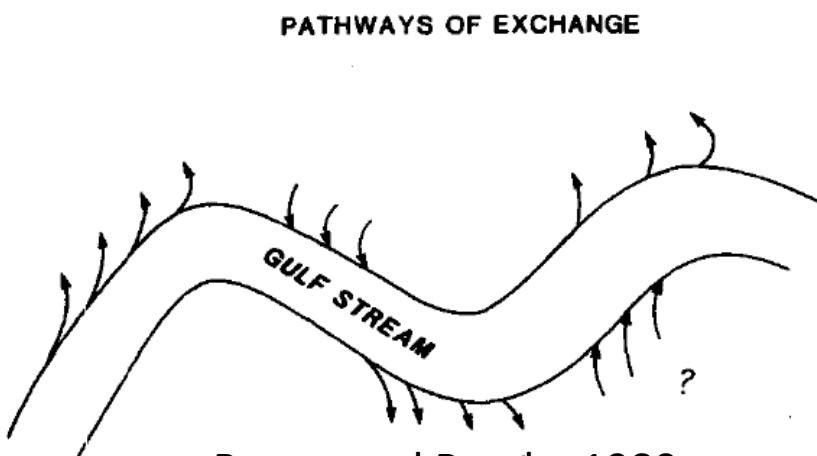
- 16 CCRs formed within KESS region from late 1993–2007
- 3 formed during stable Regimes
 - 2 formed during elevated levels of EKE at transition
 - 1 formed mid 2002
 - No CCRs formed from mid 2002–December 2004

Bishop 2013, JPO

Importance of Mesoscale Eddies

Cross-Frontal Exchange

- Eddy fluxes:
 - Heat
 - Momentum
 - PV
- Nutrient exchange
- Water mass exchange



Eddy-Mean Flow Interactions

- Two-way energy conversion between eddies and mean flow
- Vary the stability properties of the jet
- Force the mean flow:
 - Slow down
 - Turn – add curvature
 - Diffluence/confluence

Mesoscale Dynamics

QG dynamics $R_0 = \frac{U}{fL} \ll 1$ $\frac{\text{Advection}}{\text{Coriolis}}$

Equations of Motion $O(R_o)$

1) $\frac{\partial \mathbf{u}}{\partial t} + \mathbf{u} \cdot \nabla \mathbf{u} + \beta y \mathbf{k} \times \mathbf{u} + f_0 \mathbf{k} \times \mathbf{u}_a = 0$ **Momentum**

2) $\frac{\partial b}{\partial t} + \mathbf{u} \cdot \nabla b + w N^2 = 0$ $b = \alpha g T$ **Buoyancy**

3) $\nabla \cdot \mathbf{u}_a = -\frac{\partial w}{\partial z}$ **Continuity**

Time Mean Equations

Equations of Motion $O(R_o)$

$$1) \quad \bar{\mathbf{u}} \cdot \nabla \bar{\mathbf{u}} + \beta y \mathbf{k} \times \bar{\mathbf{u}} + f_0 \mathbf{k} \times \bar{\mathbf{u}}_a = -\nabla \cdot \overline{\mathbf{u}' \mathbf{u}'} \quad \text{Momentum}$$

$$2) \quad \bar{\mathbf{u}} \cdot \nabla \bar{b} + \bar{w} N^2 = -\nabla \cdot \overline{\mathbf{u}' b'} \quad \text{Buoyancy}$$

$$3) \quad \nabla \cdot \bar{\mathbf{u}}_a = -\frac{\partial \bar{w}}{\partial z} \quad \text{Eddy Fluxes} \quad \text{Continuity}$$

Eddy Buoyancy (**Heat**) Flux

$$\overline{\mathbf{u}' b'}^{div} = \alpha g \overline{\mathbf{u}' T'}^{div}$$

Importance of Mesoscale Eddy Heat Flux

1. Energy Conversion
2. Meridional Heat Transport

1. Energy Conversion

$$BC = -\overline{\mathbf{u}' b'}^{div} \cdot \nabla \left(\frac{\bar{b}}{N^2} \right)$$

2. Meridional Eddy Heat Transport

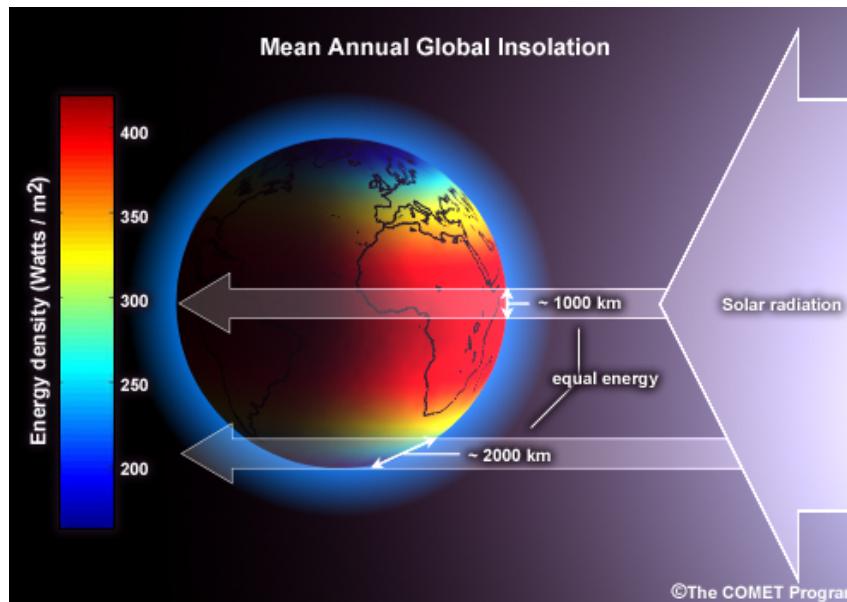
$$Q = \rho_0 C_p \int_0^L \int_{-H}^0 \overline{v' T'}^{div} dz dx$$

- +ve APE \rightarrow EPE Conversion
- -ve EPE \rightarrow APE
- Baroclinic instability:
conversion of APE to EPE

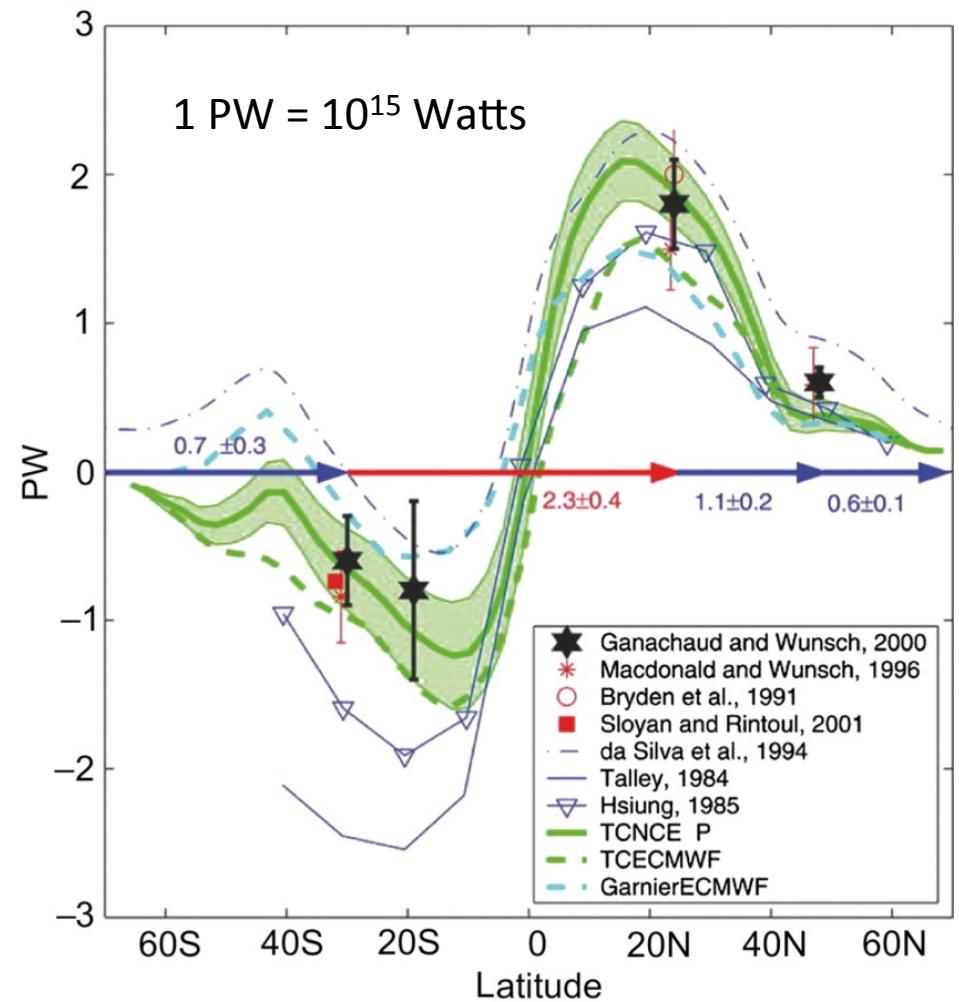
Meridional Heat Transport

2. Eddy Heat Transport

$$Q = \rho_0 C_p \int_0^L \int_{-H}^0 \overline{v' T'}^{div} dz dx$$



<http://www.meted.ucar.edu>



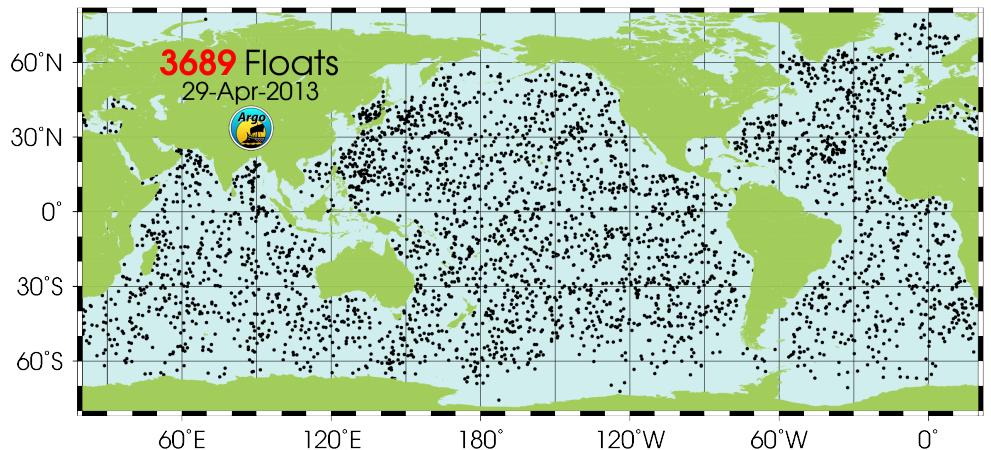
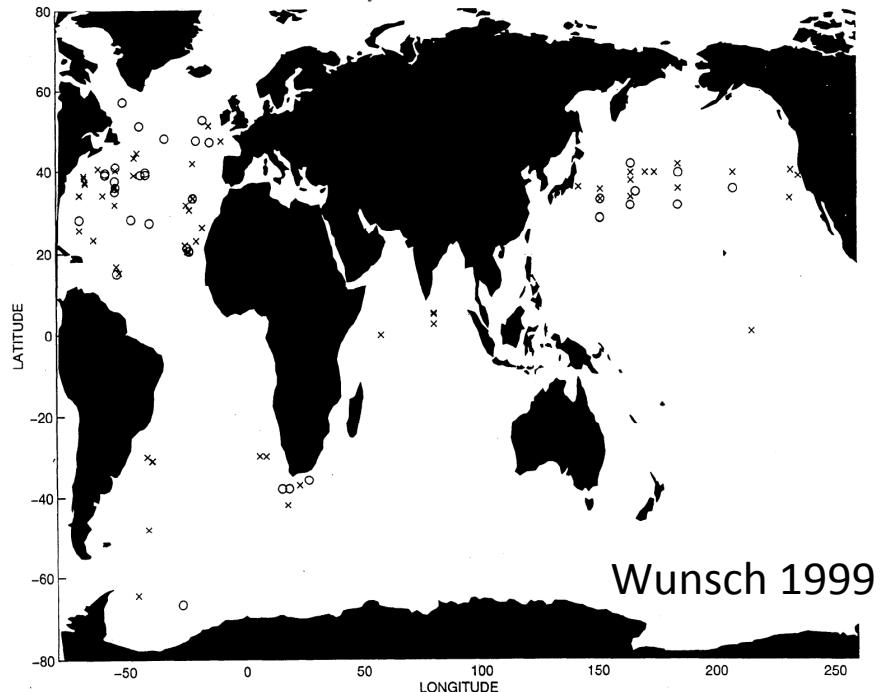
Validation of Parameterizations

- General lack of ocean observations
- Need long time series for eddy statistics to converge

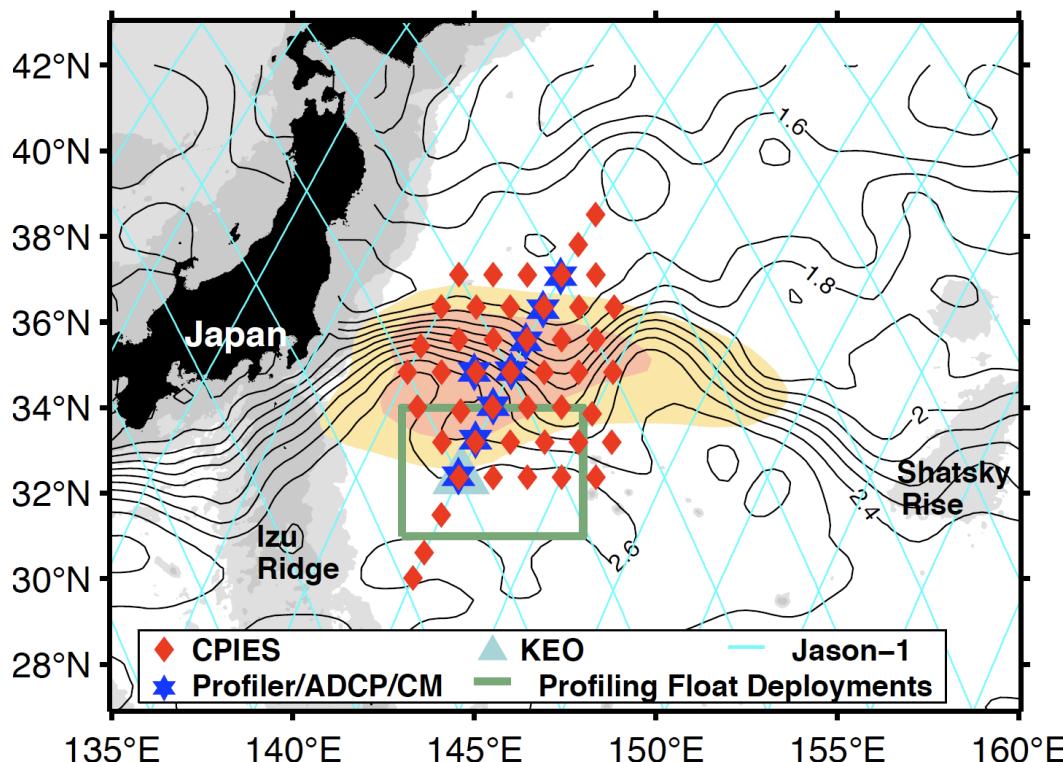
(Flierl and McWilliams, 1977)

- Argo floats offer potential: tend to underestimate eddy statistics

(Chinn and Gille 2007)



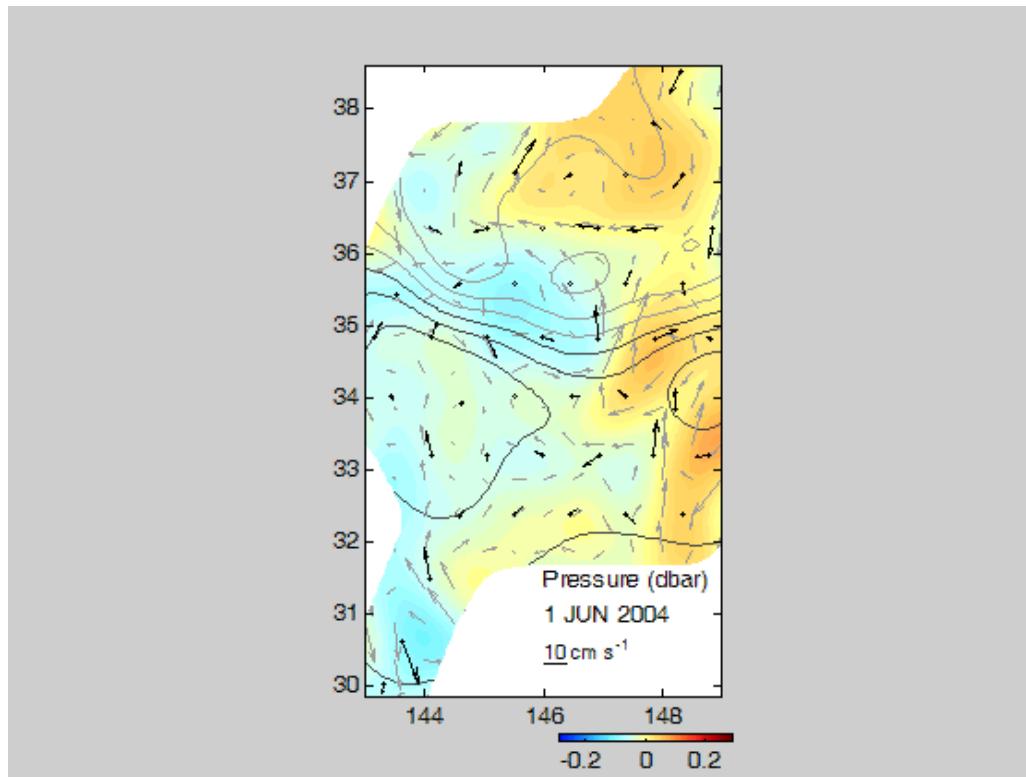
Kuroshio Extension System Study (KESS)



- 600 km x 600 km grid – 46 CPIES
- 2004–2006
- Mesoscale resolving
- Daily 3-D maps for 16 months:
 - Geostrophic currents
 - Temperature field



KESS Movie



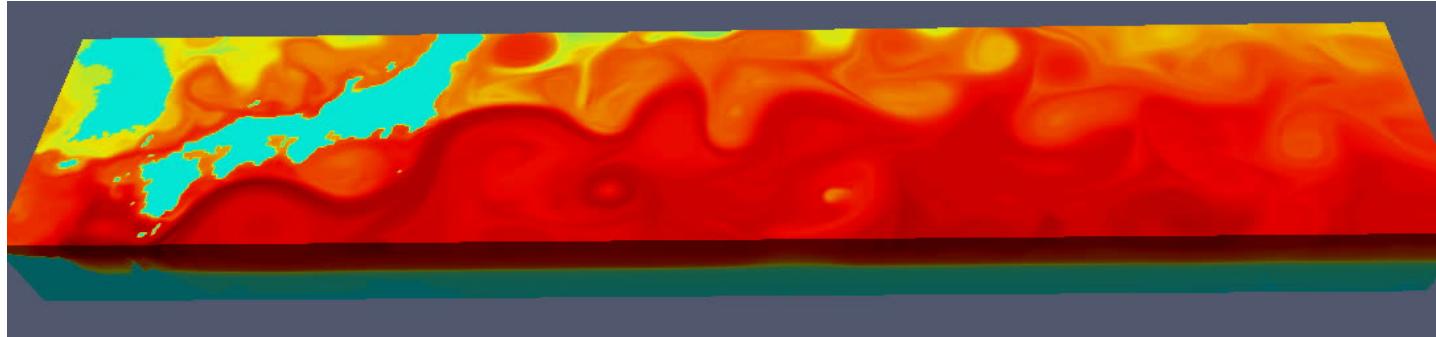
Video courtesy of Karen Tracey (URI)

0.1° POP Model

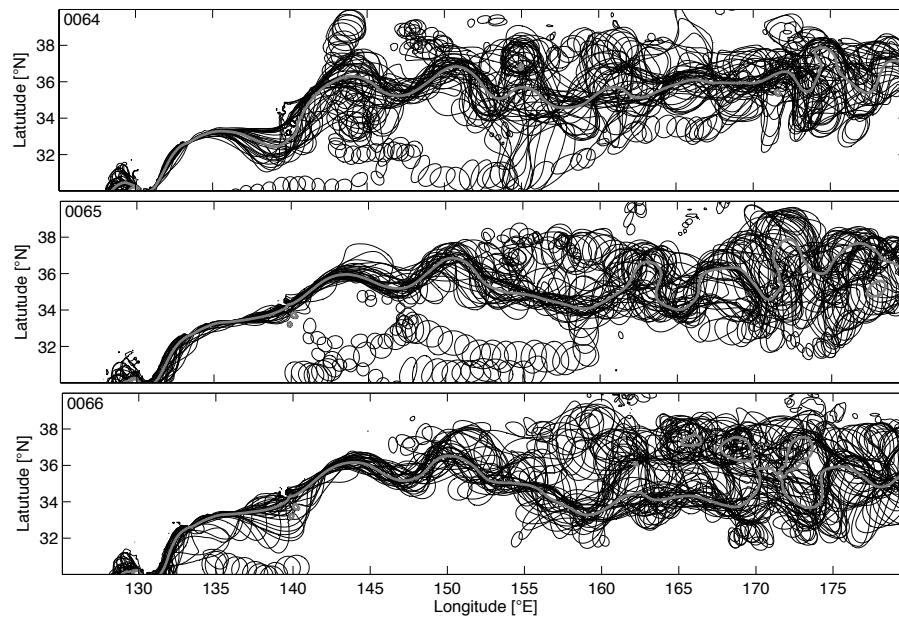
- Parallel Ocean Program (POP)
- Developed at Los Alamos National Lab
- 1/10° horizontal resolution
- 42 vertical levels
- Climatologically forced
- 120 years monthly-averaged U,V,T
- 3 Years (64-67) 5-day averaged U,V,T



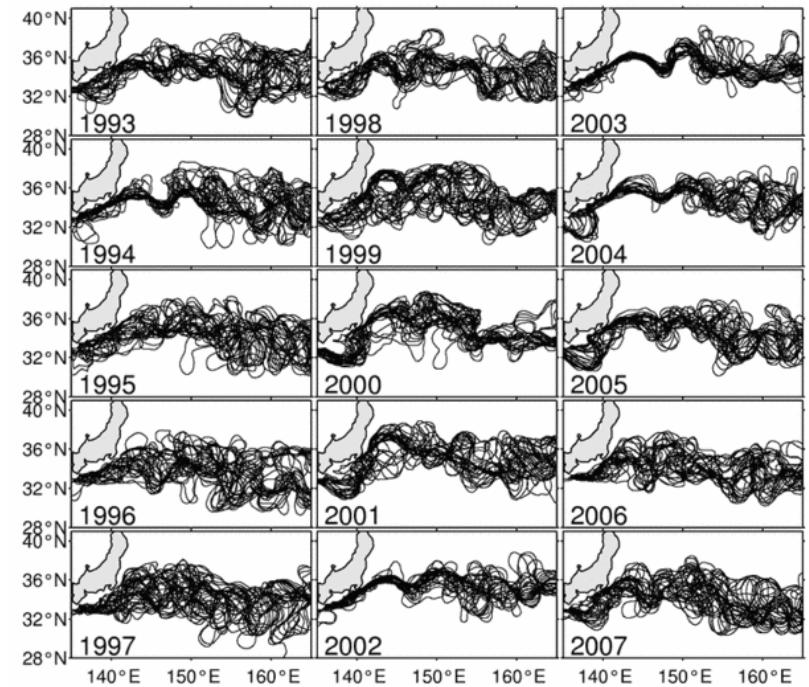
Kuroshio Variability in POP



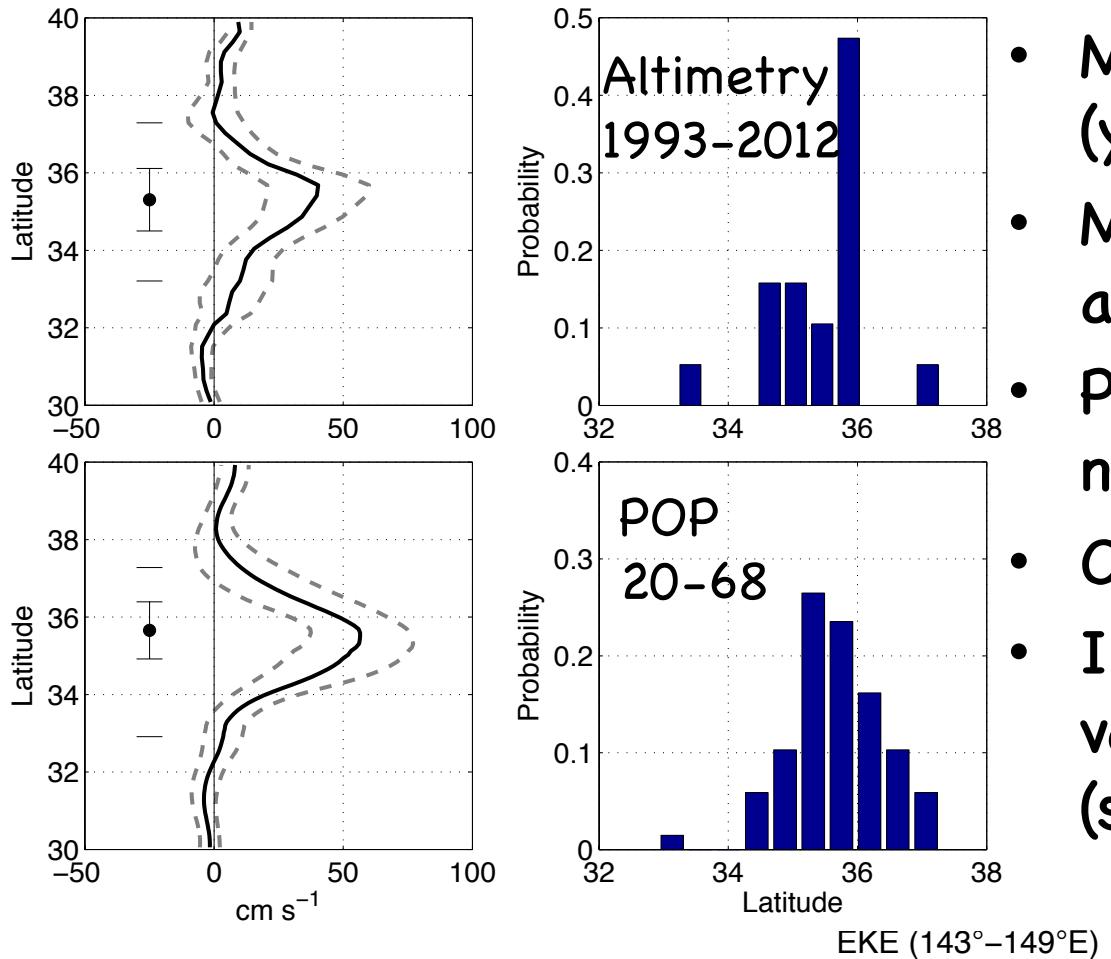
0.1° POP



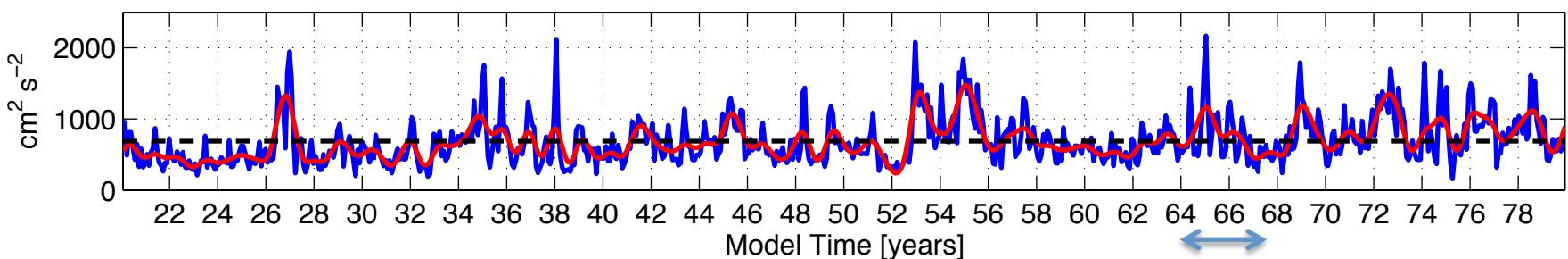
Altimetry



Mean Flow Variability

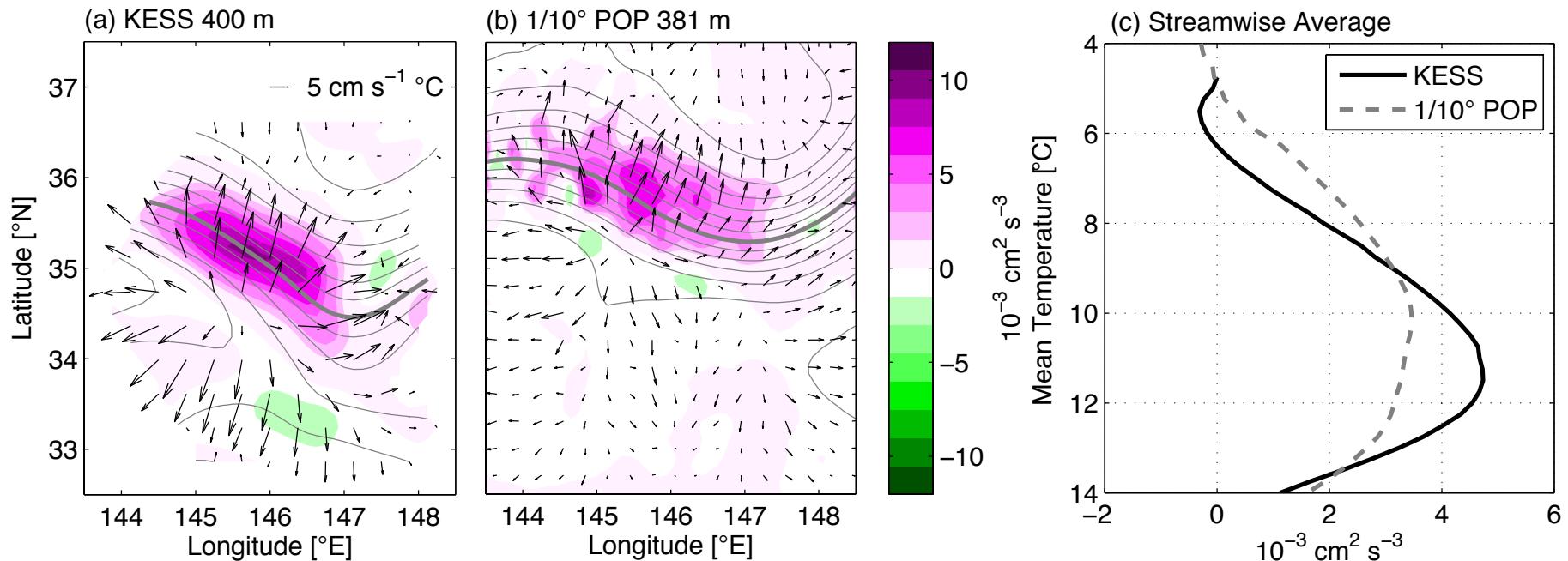


- Mean flow, u (yearly ave. 143–149E)
- Mean jet migrates north and south
- POP more likely to be north of 35N
- Obs rarely north of 36N
- Intrinsic decadal variability in the model (still an open question)



KESS/POP Energy Conversion

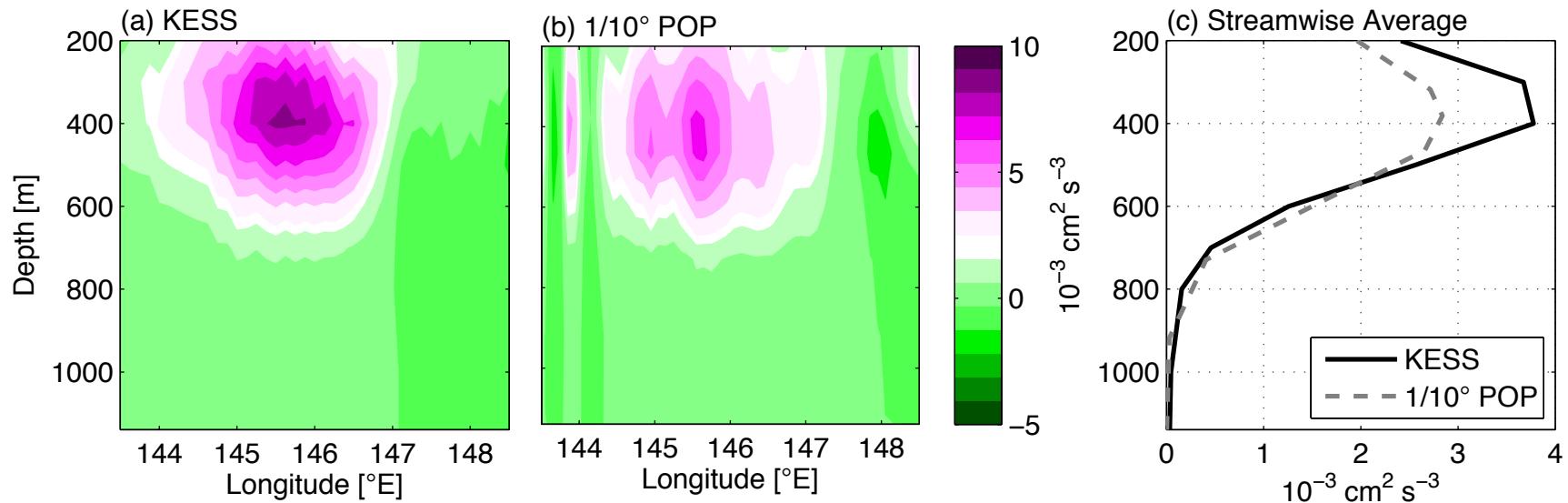
$$BC = -\overline{\mathbf{u}' b'}^{div} \cdot \nabla \left(\frac{\bar{b}}{N^2} \right)$$



- Comparison
 - Eddy heat fluxes are **downgradient**
 - POP underestimates BC: 27% smaller along 11°C
 - POP stayed in a stable configuration
 - Kuroshio Ext. takes a more northerly path in POP

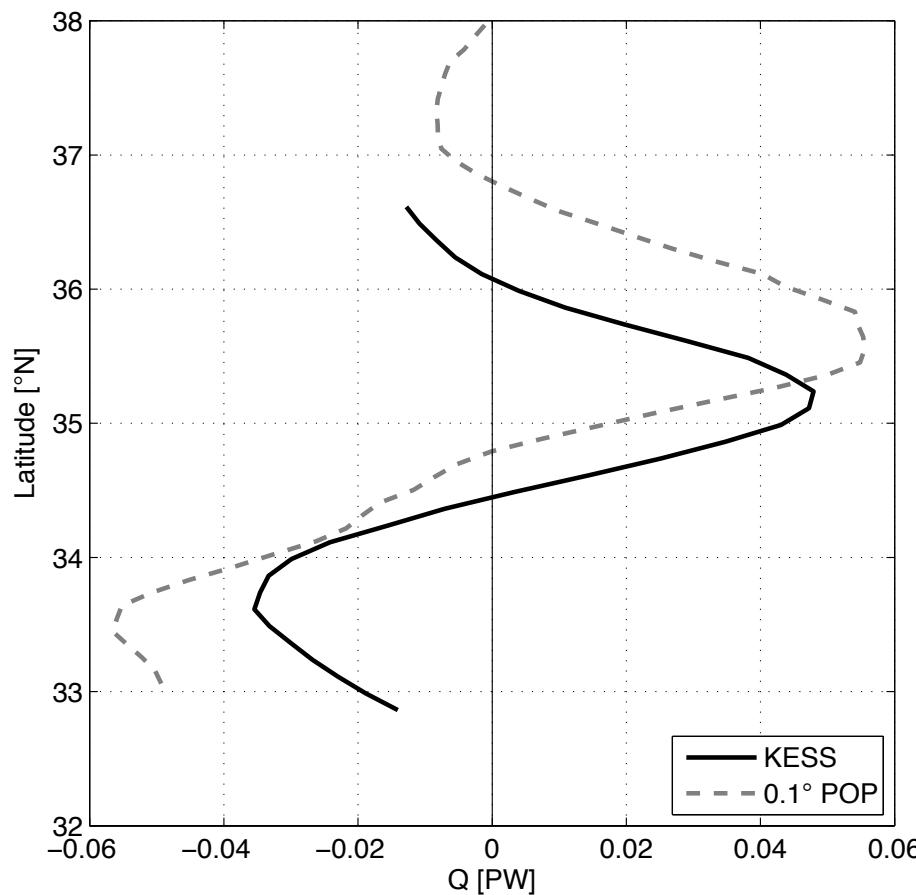
KESS/POP Energy Conversion

BC: Vertical Structure



- BC vertical structure:
 - Similar vertical structure along 11°C isotherm at 400 m (381 m) (similar for other temperature isotherms)
 - POP underestimates BC

Meridional Eddy Heat Transport



$$Q = \rho_0 C_p \int_0^L \int_{-H}^0 \overline{v' T'}^{div} dz$$

- Peak heat transport:
 - KESS: **0.048 PW** at 35.2N
 - POP: **0.055 PW** at 35.5N
 - POP \approx 14% larger
 - Latitudinal offset

Conclusions

- POP compared to KESS:
 - Comparable mean-to-eddy PE conversion rates
 - POP underestimates conversion ($\approx 30\%$)
 - Eddy heat transport
 - POP overestimate ($\approx 14\%$)
- Overall 0.1° POP does a reasonable job estimating DEHFs in the Kuroshio Extension region

Acknowledgements

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- National Science Foundation
- Frank Bryan (NCAR)
- Randy Watts, Kathy Donohue, and Karen Tracey (URI)

References

Bishop, S.P., D.R. Watts, K.A. Donohue. 2013. Divergent eddy heat fluxes in the Kuroshio Extension at 144-148E. Part 1: Mean Structure. *J. Phys. Oceanogr.* 43: 1553-1550.

Bishop, S.P. 2013. Divergent eddy heat fluxes in the Kuroshio Extension at 144-148E. Part 2: Spatiotemporal variability. *J. Phys. Oceanogr.* in press

Bishop, S.P. and F.O. Bryan. 2013. Mesoscale eddy heat fluxes from observations and a high-resolution ocean model simulation of the Kuroshio Extension. *J. Phys. Oceanogr.* minor revisions