The Virtual Challenge Meets Number Sense Test • HS VCM #4 • 2024-2025

NameSchool						_		Final		
						2 nd				
Grade	9	10	11	12				1st		
Classification:	Α	2A	3A	4A	5A	6A			Score	 Initials
Read directions ca	•			D		JNFOLD THIS	_			

Directions: Do not turn this page until the proctor gives the signal to begin. quickly as many as you can in the order in which they appear. ALL PROBLEMS calculator. Write only the answer in the space provided at the end of each pranswers; any answer to a problem with an (*)asterisk that is within five percentage.	ARE TO BE SOLVED MENTALLY without the help of paper, pencil, or oblem. Problems marked with an (*) require approximate integral				
exact answers. STOP — WAIT FOR SIGNAL!					
(1) $2025 + 137 - 53 =$ (2) $\frac{3}{5} \div 0.9 =$	(19) The sum of the mean and the median of the set of numbers {3, 5, 7, 10, 15} is* *(20) 25032 ÷ 42 =				
(3) $\frac{7}{8} \times 168 =$	(21) $\sqrt[3]{1331} = $				
 (5) 124865 ÷ 11 has a remainder of (6) 27² = (7) 92 × 12 = 					
(8) 115 ÷ 12 – 93 ÷ 12 =					
*(10) 630 + 23124 - 8156 + 3149 =	(27) If $A^5 \times A^{-2} \div A^{-7} = A^K$ and $A > 1$, then $k = $				
(11) $28\frac{4}{7}\% =$ (fraction) (12) $85 + 70 + 55 + 40 + 25 =$ (13) $1 + 3 + 5 + \dots + 33 =$	(28) The number of proper positive integral divisors of 22 is				
(14) If 5 ounces of mixed nuts sell for \$2.25, then what will one pound of mixed nuts cost?					
(15) $26^2 - 14^2 =$ (16) $62^2 - 18^2 = 20 \times$	(32) 101110 ₂ =				
(17) The number of positive integral divisors of $3^2 \times 5^3 \times 11$ is	(34) If $f(x) = 9x^2 - 6x + 1$, then $f(6) =$				

(35) $8\frac{1}{3} \times 9\frac{5}{8} =$ (mixed number)

(18) 18 % of $\frac{2}{3}$ of 75 is_____

(36) $\frac{18}{23} \times 21 =$ _____(mixed number) * $(60) [0.181818... \times 879]^2 =$ (61) The sum of the reciprocal $(37) \ \ 34^2 + 35^2 =$ of the first 10 triangular numbers is (38) The reciprocal of $-4\frac{3}{8}$ is_____ (62) If ${}_{7}P_{3} = {}_{n}P_{2}$, then n =(39) 24% of $137\frac{1}{2}$ is _____ (63) If $(\sqrt[7]{a^5})(\sqrt[5]{a^8}) = \sqrt[n]{a^k}$, where n and k are relatively prime, then k =*(40) $\sqrt[3]{620} \times \sqrt{620} \times 620 =$ (64) A single card is drawn from a standard deck of (41) If $f(x) = 2x^2 - 12x + 9$, and f(7) = f(k), then k =cards. Given that the card is a face card, $(42) (5x+6)^3 = ax^3 + bx^2 + cx + d. a+b+c+d=$ find the probability that it is a red king. (43) The point (7,3) is reflected over the y-axis (65) If sec A = $\frac{3}{2}$, then $\tan^2 A =$ _____ to the point (h, k). h + k =_____ (66) 4.5 fathoms = inches $(44) 32^2 + 38^2 =$ (67) Change 0.424242... 7 to a base 7 fraction. $(45) 64^2 + 44^2 =$ $(68) \ \ 3124 \times 14 =$ $(46) (11^3 - 4^3) \div (11 - 4) =$ (69) If $\frac{3x+2}{4x-2} + \frac{5x-3}{2x+1} = \frac{ax^2+bx+c}{dx^2+ex+f}$, (47) If $2^x \times 3^x = \frac{1}{216}$, then $x = \underline{\hspace{1cm}}$ then (a + b + c) + (d + e + f) =(48) A regular icosahedron has how many *(70) A pipe with a diameter of 6 feet is 48 feet long. congruent equilateral triangular faces?_____ The volume is _____ft³ (49) The number of sides in a regular polygon with an exterior angle of 15 degrees is (71) If $f(x) = 3x^2 - 4x - 1$, then f(f(2)) =(72) $f(x) = 3x^2 - 12x + 5$ has a horizontal tangent line *(50) 833 gallons = cubic inches at the point (p, q). Find the value of p. $(51) 45_8 \times 12_8 =$ (73) $(14+6i) \div (2i) = a+bi$. a+b=______ $(52) 45_8 \times 22_8 =$ ______8 (74) $f(x) = \frac{5}{2}x - 8$. $f^{-1}(12) = \underline{}$ $(53) \left(\frac{8}{125}\right)^{\frac{2}{3}} =$ (fraction) (75) $\int_{1}^{2} \int_{3}^{4} 8xy \, dy dx =$ (54) Let R_1 and R_2 be the roots of $(2x-5)^2 = 5$. Find $R_1 + R_2 - R_1R_2$. (76) Find the sum of the squares of the diagonals of a parallelogram with sides of 7 and 13. (55) $log_24 + log_216 + log_264 + \cdots + log_22^{20} =$ $(77) \lim_{x \to 2} \frac{2x^2 - 18}{x - 3} = \underline{\hspace{1cm}}$ (56) 66 feet per second = _____ miles per hour (57) The sum of the (78) $\frac{9+3+1+...}{9+6+4+} =$ two smallest positive perfect numbers is (79) Let (p, q) be the focus of $8(y-3) = (x+4)^2$. q =(58) If $5^B + 4B1 = 556$, then $B^5 =$

*(80) 91.6666 ... % of 335812 =_____

(59) $12^{15} \div 31$ has a remainder of