# Two-sex demography, sexual niche differentiation, and range limits

Tom E.X. Miller\* and Aldo Compagnoni

Program in Ecology and Evolutionary Biology, Department of BioSciences, Rice University, Houston, TX USA

\*Corresponding author: tom.miller@rice.edu (1-713-348-4218)

# Abstract

<sup>1</sup> Keywords

## <sub>2</sub> Introduction

Understanding the processes that generate species' distributional limits is a foundational objective of ecology. The niche concept is central to theory for range limits (Hutchinson, 1958), and available evidence suggests that geographic distributions may commonly be interpreted as ecological niches "writ large" (Lee-Yaw et al., 2016; Hargreaves et al., 2013). Species distribution modeling (or "environmental niche modeling") has long capitalized on this idea to infer niche characteristics from statistical associations between occurrence across environmental variables. In contrast, there is growing interest in process-based models of range limits, where individual-level demographic responses to environmental variation inform predic-11 tions about the ecological niche and environmental limits of population viability (i.e., at least replacement-level population growth,  $\lambda \geq 1$ ) (Merow et~al.,~2014,13 2017; Diez et al., 2014). The mechanistic understanding offered by process-based models of range limits provides a potentially powerful vehicle for predicting range 15 shifts in response to current and future environmental change (Evans et al., 2016; Ehrlén & Morris, 2015). 17 The widespread idea that range limits reflect niche limits intersects awkwardly with another pervasive concept in ecology: intra-specific niche heterogeneity. This 19 refers to the fact that individuals within a population or species may differ in their interactions with and responses to the biotic and / or abiotic environment (Bolnick et al., 2002; Araújo et al., 2011; Holt, 2009). Intra-specific niche differences may be based on demographic state variables such as life stage, size class or other, unmeasured aspects of individual identity. If range limits are a geographic manifestation of niche limits, but a single population or species may be comprised of many niches, then whose niche is it that determines the geographic distribution and how would we know?

Sexual niche differentiation is a common form of intra-specific niche hetero-28 geneity (Bolnick et al., 2002) and has been widely documented in animals (the vast majority of which are dioecious) and plants (ca. 6% of angiosperms are dioe-30 cious: Renner & Ricklefs 1995). The prevalence of sexual niche differentiation was recognized by Darwin (2019), who described "different habits of life, not re-32 lated...to the reproductive functions" of females and males. There are numerous 33 examples of sex differences in trophic position (Pekár et al., 2011), habitat use 34 (Bowyer, 2004; Phillips et al., 2004), and responses to climate, differences that 35 may or may not be accompanied by sexual dimorphism. It has been hypothesized 36 that sex-specific niches may evolve by natural selection when it reduces compet-37 itive or other antagonistic interactions between the sexes (cite). In an ecological 38 context, 39

P3: Sexual niche differentiation in dioecious species is a widespread form of intra-specific niche heterogeneity. Sex-specific responses to environmental drivers can generate geographic clines in operational sex ratio and strongly biased sex ratios especially at range limits. While this pattern is well documented in a variety of taxa, the role of sex ratio bias in limiting species' ranges is poorly understood.

P4: Most ecological theory assumes female dominance. In this case, there is a straightforward answer to the question above – the female niche is the relevant set of constraints for understanding range limits. However, while female dominance is often a reasonable and useful assumption, it may break down under extreme sex ratio bias, where mates may be limiting. If so, this creates an additional, two-sex pathway by which males could limit the position of species ranges.

P5: In this study we used a dioecious grass species as a focal species to quantify the relative importance of female-dominant and two-sex mechanisms of range limitation.

## 54 Materials and methods

#### 55 Study system and natural population surveys

Poa arachnifera is a perennial, cool-season grass endemic to the southern Great Plains. This species occurs almost exclusively in central Texas, Oklahoma, and Kansas (Fig. 1) though there are occasional records of adventive populations in other state<sup>1</sup>. Like all grasses, P. arachnifera is wind-pollinated. Individuals can be sexed only when flowering, in early spring, based on the presence of stigmas (females) or anthers (males) in the inflorescence. Following inflorescence and seed production, plants go dormant for the hot summer months and vegetative growth resumes in fall. Individuals grow via rhizomes to form patches that may be as large as  $50m^2$  in area. Sex in P. arachnifera is genetically based (Renganayaki et al., 2001, 2005) and the primary sex ratio is 1:1 (J. Goldman, USDA-ARS, personal 65 communication). The rhizomatous growth habit allowed us to clonally propagate 66 large numbers of known-sex individuals for experiments, as we describe below. 67 We surveyed P. arachnifera across its range to establish whether natural pop-68 ulations exhibited geographic clines in sex ratio corresponding to the longitudinal 69 aridity gradient. We visited 14 populations in spring 2012 and 8 in spring 2013.

Survey locations are shown in **map** and coordinates are provided in Table A1. At

<sup>&</sup>lt;sup>1</sup>http://bonap.net/Napa/TaxonMaps/Genus/County/Poa

- $^{72}$  each location, we searched for P. arachnifera along roads, trails, or creek drainages
- and recorded the number of female and male inflorescences that we encountered.

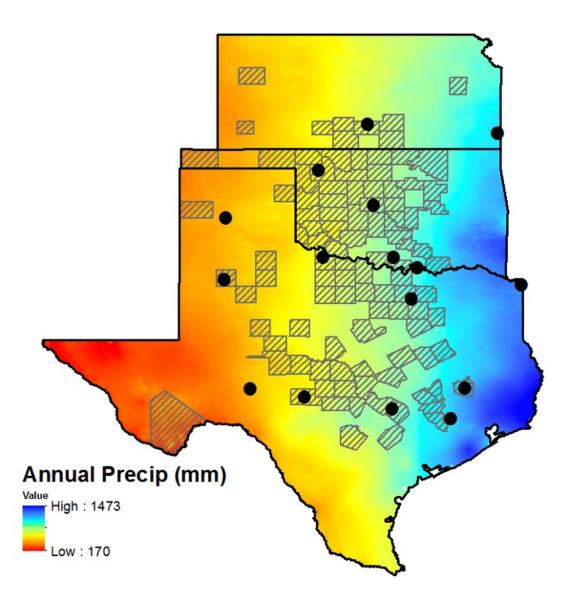


Figure 1: Caption.

## <sup>74</sup> Statistical analysis of natural population surveys

- We fit a binomial generalized linear model (glm), where females were "successes"
- <sup>76</sup> and total inflorescences was the number of "trials", to test whether the operational

sex ratio (OSR) varied systematically with respect to longitude. Here and in the
experiment that follows we use longitude as a proxy variable that captures all eastwest environmental variation, notably precipitation (map figure) but also factors
that co-vary with precipitation, such as productivity. This statistical model and all
those that follow were fit in a Bayesian statistical framework using Stan (Carpenter
et al., 2017) and rstan (Team et al., 2018) with vague priors on all parameters.
In all cases, model fit was assessed with posterior predictive checks (Conn et al.,
2018).

#### 85 Common garden experiment

#### 86 Source material and experimental design

We established a common garden experiment at 14 sites throughout and beyond the geographic distribution of P. arachnifera (MAP). Experimental sites spanned 88 latitudinal and longitudinal variation, though we focus here on longitude. During 89 the three years of this experiment, total precipitation at each site closely tracked 90 longitude (Fig. A1), as expected based on longer-term climate trends (map). 91 Source material for this experiment came from 8 sites, which were of subset of the 92 sites that were visited for the natural population survey (Table). At each of these site visits in 2013 and 2014, we collected tillers from flowering individuals of each sex (mean: 11.6 individuals per site, range: 2-18). These were brought back to the Rice University greenhouse, where they were clonally propagated in ProMix potting soil and supplemental Osmocote fertilizer at 78–80°F under natural light. 97 Common gardens were set up in Fall (October-December) 2014. At each site, 98 we established 14 experimental blocks, which typically corresponded to a tree or

woodland edge, providing partial shade that mimics this species' natural microenvironment. We planted 3 females and 3 males in each block, for a total of 42
individuals per sex per site and 1176 total plants across sites, with all source collections represented at all sites. Individuals were spaced within blocks to allow space
for rhizomatous growth that could be clearly attributed to individual transplants.
To promote establishment, we cleared vegetation immediately surrounding transplants and provided ca. 1 L of water at the time of transplanting but provided no
subsequent watering, fertilization, or competitor removal.

We visited each site during May of 2015, 2016, and 2017. For each individual in
each year, we recorded data for four demographic vital rates: survival status (alive
or dead), size (number of tillers), flowering status (reproductive or vegetative), the
number of panicles produced by flowering plants.

#### 112 Statistical analysis of common garden experiment

We analyzed the demographic vital rates with generalized linear mixed models in 113 a hierarchical Bayesian framework. All the vital rates shared a common linear 114 predictor for the expected value that included fixed effects of size, sex, linear and quadratic terms for longitude, and all 2- and 3-way interactions. We included 116 quadratic effects of longitude to account for the possibility of non-monotonic re-117 sponses, following the hypothesis that fitness may peak in the center of the range. 118 The linear predictor also included random effects of site, block, and source population of the transplant; the corresponding variance terms were used in the de-120 mographic model (below) to capture process error in demography. We pooled all 121 three years of observations for analysis so we do not explicitly model temporal 122 variation but our results are implicitly averaged over years.

The survival and flowering data were Bernoulli distributed, and these models 124 applied the logit link function. We modeled tiller and panicle counts as zero-125 truncated negative binomial using the log link. For flowering and panicle pro-126 duction in year t, the size covariate was the natural logarithm of tiller number 127 in year t. For survival and size in year t, the size covariate was the natural 128 logarithm of tiller number in year t-1 (for 2015 data, size in year t-1 was 129 transplant size at the time of planting). Code for these analyses is available at 130 https://github.com/texmiller/POAR-range-limits. 131

#### 132 Sex ratio experiment

At one site near the center of the range (Lake Lewisville Environmental Learning 133 Area: star in MAP), we established a separate experiment to quantify how sex ra-134 tio variation affects female reproductive success. Details of this experiment, which 135 was conducted in 2014–2015, are described in Compagnoni et al. 2017. Briefly, we 136 established 124 experimental populations in  $0.4m \times 0.4m$  plots that varied in popu-137 lation density (1–48 plants/plot) and sex ratio (0–100% female), with 2–4 replicates 138 each of 34 density-sex ratio combinations. The experiment was established ca. 1 139 km from a natural population at this site and plots were situated with a minimum 140 of 15 m spacing, a buffer that was intended to limit pollen movement between 141 plots (pilot data indicated that  $\geq 90\%$  of wind pollination occurred within 13m). 142 We measured female reproductive success in different density and sex ratio envi-143 ronments by collecting panicles from a subset of females in each plot at the end of 144 the reproductive season. In the lab, we counted the total number of seeds on each 145 panicle and assessed seed viability with tetrazolium assays of 25 seeds per panicle. 146

We also conducted germination trials in the greenhouse (17–57 seeds per panicle, mode: 30).

#### 149 Statistical analysis of sex ratio experiment

Our previous study examined how interactions between density and frequency (sex ratio) dependence contributed to female reproductive success (Compagnoni *et al.*, 2017). Here we focus solely on sex ratio variation, averaging over variation in density. Our goal was to estimate a 'mating function' that defines how availability of male panicles affects the viability of seeds on female panicles. We modeled the seed viability data with a binomial distribution where the probability of viability  $(p_v)$  was given by:

$$v = v_0 * (1 - OSR^{\alpha}) \tag{1}$$

where OSR is the operational sex ratio (fraction of panicles that were female) in our experimental populations. This function has the properties, supported by our previous work, that seed viability is maximized at  $v_0$  as OSR approaches zero and goes to zero as OSR approaches 1. Parameter  $\alpha$  controls how viability declines with increasing female bias.

We modeled germination data from greenhouse trials similarly, where counts of germinants were modeled as binomial successes. Since germination was conditional on seed viability, the probability of success was given by the product v \* g, where v is a function of OSR (Eq. 1) and g is assumed to be constant. The germination trials alone do not provide enough information to independently estimate v and

g but the combination of viability and germination data allowed us to do so. For both viability and germination, we found that accounting for overdispersion with a beta-binomial response distribution improved model fit.

#### Demographic model of range limits

The statistical models for the common garden and sex ratio experiments provided 171 the backbone of the full demographic model, a matrix projection model (MPM) 172 structured by size (tiller number) and sex. Following the statistical modeling, the 173 MPM accommodates longitude as a predictor variable, allowing us to identify the 174 longitudinal limits of population viability ( $\lambda \geq 1$ ) and investigate the underlying 175 drivers of population decline at range limits. For a given longitude, let  $F_{x,t}$  and  $M_{x,t}$ 176 be the number of female and male plants of size x in year t, where  $x \in \{1, 2, ..., U\}$ 177 and U is the maximum number of tillers a plant can attain (assumed to be the 178 same for females and males). For a pre-breeding census, the coupled dynamics of 179 both sexes are are given by:

$$F_{y,t+1} = \sum_{x=1}^{U} \left[ s^F(x) \cdot g^F(y,x) + r^F(x, \mathbf{F_t}, \mathbf{M_t}) \cdot \rho \cdot e(y) \right] F_{x,t} \qquad (2)$$

$$M_{y,t+1} = \sum_{x=1}^{U} [s^{M}(x) \cdot g^{M}(y,x)] M_{x,t} + [r^{F}(x, \mathbf{F_t}, \mathbf{M_t}) \cdot (1-\rho) \cdot e(y)] F_{x,t}$$
 (3)

s and g give the probabilities of surviving at size x and growing from sizes x to y, respectively, and superscripts indicate that these functions may be unique to females (F) and males (M).  $r^F$  gives fertility of size-x females (number of new recruits per female per year) and is dependent on population structure (the  $U \times 1$ 

vectors  $\mathbf{F_t}$  and  $\mathbf{M_t}$ ). Parameter  $\rho$  is the primary sex ratio (proportion of recruits that are female) and e(y) is the probability distribution of recruit size. We assume that all recruits first appear in the population at 1 tiller in size regardless of sex, so e(y=1)=1 and e(y>1)=0. The female fertility function is further defined as:

$$r^{F}(x, \mathbf{F_t}, \mathbf{M_t}) = p^{F}(x) \cdot c^{F}(x) \cdot d \cdot v(\mathbf{F_t}, \mathbf{M_t}) \cdot g \tag{4}$$

where p and c are flowering probability and panicle production for females of size x, d is the number of seeds (fertilized or unfertilized) per female panicle, v is the probability that a seed a fertilized, and g is the probability that a fertilized seed germinates. Lastly, and following Eq. 1, seed fertilization depends on the OSR according to:

$$v(\mathbf{F_t}, \mathbf{M_t}) = v_0 * \left[ 1 - \left( \frac{\sum_{x=1}^{U} p^F(x) c^F(x) F_{x,t}}{\sum_{x=1}^{U} p^F(x) c^F(x) F_{x,t} + p^M(x) c^M(x) M_{x,t}} \right)^{\alpha} \right]$$
(5)

## 195 Results

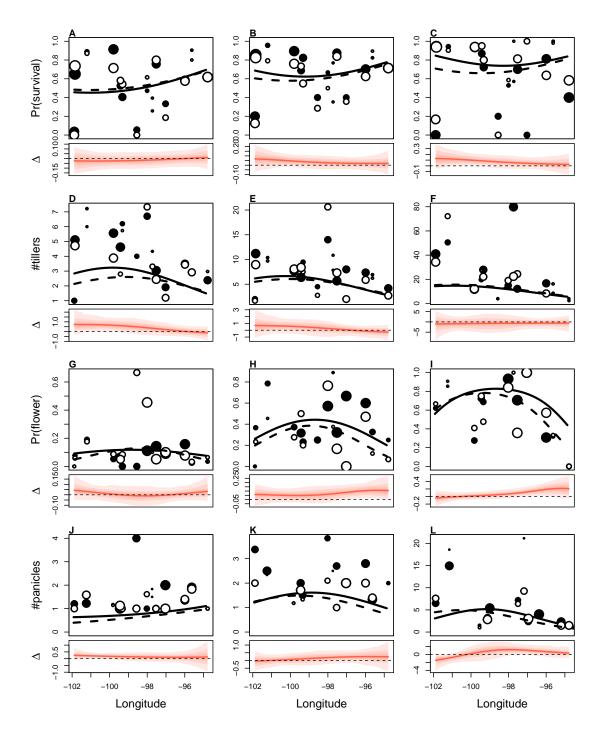


Figure 2: Caption.

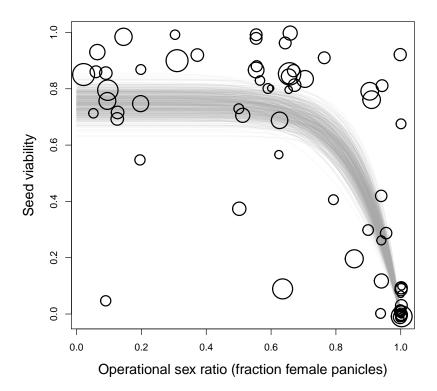


Figure 3: Caption.

## Discussion

## 197 Acknowledgements

## 198 Author contributions

## 199 Data accessibility

## 200 References

- Araújo MS, Bolnick DI, Layman CA (2011) The ecological causes of individual specialisation. *Ecology letters*, **14**, 948–958.
- 203 Bolnick DI, Svanbäck R, Fordyce JA, Yang LH, Davis JM, Hulsey CD, Forister
- ML (2002) The ecology of individuals: incidence and implications of individual
- specialization. The American Naturalist, 161, 1–28.
- Bowyer RT (2004) Sexual segregation in ruminants: definitions, hypotheses, and
- implications for conservation and management. Journal of Mammalogy, 85,
- 1039-1052.
- Carpenter B, Gelman A, Hoffman MD, et al. (2017) Stan: A probabilistic pro-
- gramming language. Journal of statistical software, 76.
- <sup>211</sup> Compagnoni A, Steigman K, Miller TE (2017) Can't live with them, can't live
- without them? balancing mating and competition in two-sex populations. Pro-
- ceedings of the Royal Society B: Biological Sciences, 284, 20171999.

- Conn PB, Johnson DS, Williams PJ, Melin SR, Hooten MB (2018) A guide to bayesian model checking for ecologists. *Ecological Monographs*, 88, 526–542.
- Darwin C (2019) The descent of man. BoD-Books on Demand.
- Diez JM, Giladi I, Warren R, Pulliam HR (2014) Probabilistic and spatially variable niches inferred from demography. *Journal of ecology*, **102**, 544–554.
- Ehrlén J, Morris WF (2015) Predicting changes in the distribution and abundance of species under environmental change. *Ecology Letters*, **18**, 303–314.
- Evans ME, Merow C, Record S, McMahon SM, Enquist BJ (2016) Towards
  process-based range modeling of many species. Trends in Ecology & Evolution,
  31, 860-871.
- Hargreaves AL, Samis KE, Eckert CG (2013) Are species' range limits simply niche limits writ large? a review of transplant experiments beyond the range. The

  American Naturalist, 183, 157–173.
- Holt RD (2009) Bringing the hutchinsonian niche into the 21st century: ecological and evolutionary perspectives. *Proceedings of the National Academy of Sciences*, **106**, 19659–19665.
- Hutchinson GE (1958) Concluding remarks. In: Cold Spring Harbour Symposium
  on Quantitative Biology, vol. 22, pp. 415—-427.
- Lee-Yaw JA, Kharouba HM, Bontrager M, et al. (2016) A synthesis of transplant experiments and ecological niche models suggests that range limits are often niche limits. Ecology letters, 19, 710–722.

- Merow C, Bois ST, Allen JM, Xie Y, Silander JA (2017) Climate change both
- facilitates and inhibits invasive plant ranges in new england. Proceedings of the
- National Academy of Sciences, 114, E3276–E3284.
- 238 Merow C, Latimer AM, Wilson AM, McMahon SM, Rebelo AG, Silander Jr JA
- (2014) On using integral projection models to generate demographically driven
- predictions of species' distributions: development and validation using sparse
- data. Ecography, **37**, 1167–1183.
- Pekár S, Martišová M, Bilde T (2011) Intersexual trophic niche partitioning in an
- ant-eating spider (araneae: Zodariidae). PloS one, 6, e14603.
- Phillips R, Silk J, Phalan B, Catry P, Croxall J (2004) Seasonal sexual segregation
- in two thalassarche albatross species: competitive exclusion, reproductive role
- specialization or foraging niche divergence? Proceedings of the Royal Society of
- London. Series B: Biological Sciences, 271, 1283–1291.
- <sup>248</sup> Renganayaki K, Jessup R, Burson B, Hussey M, Read J (2005) Identification of
- male-specific afip markers in dioecious texas bluegrass. Crop science, 45, 2529-
- 250 2539.
- Renganayaki K, Read J, Fritz A (2001) Genetic diversity among texas bluegrass
- genotypes (poa arachnifera torr.) revealed by aflp and rapd markers. Theoretical
- and Applied Genetics, **102**, 1037–1045.
- Renner SS, Ricklefs RE (1995) Dioecy and its correlates in the flowering plants.
- American journal of botany, 82, 596-606.
- Team SD, et al. (2018) Rstan: the r interface to stan. r package version 2.17. 3.

## 257 Appendix A: Site locations and climate

	Population	Latitude	Longitude
1	Canyon_of_Eagles	30.88	-98.43
2	ClearBay-Thunderbird	35.23	-97.24
3	CooperWMA	36.60	-99.51
4	Copper Breaks	34.10	-99.75
5	Dinosaur_Valley	32.25	-97.82
6	Fort_Worth_Nature_Center	32.83	-97.46
7	Ft Cobb	35.18	-98.45
8	Ft Richardson	33.20	-98.16
9	Great Plains	34.74	-98.97
10	$\operatorname{Great}_{-}\operatorname{Salt}_{-}\operatorname{Plains}$	36.79	-98.18
11	$Horn\_Hill\_Cemetery$	31.56	-96.64
12	Kingman_Fishing_Lake	37.65	-98.28
13	Lake Arrowhead	33.75	-98.39
14	Mineral_Wells	32.89	-98.01
15	Pedernales_Falls	30.33	-98.25
16	Possum Kingdom	32.87	-98.57
17	$\operatorname{Quartz}_{-}\operatorname{Mountain}$	34.89	-99.30
18	Red Rock Canyon	35.44	-98.35
19	Red_River	34.13	-98.10
20	South_Llano	30.45	-99.80
21	Sulfur_Springs	31.08	-98.46
_22	Wichita_Mountains	34.70	-98.67

Table A1: Sites of natural population surveys corresponding to Figure

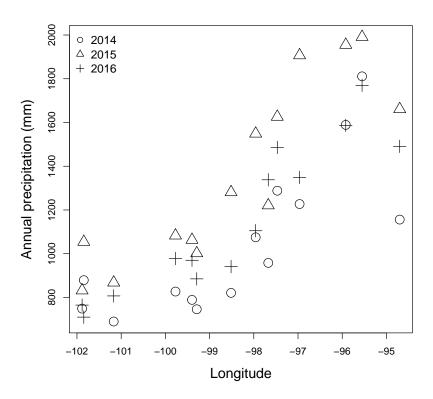


Figure A1: Caption.