

# *Trading tulips*



Admirael de Man (AdM)



Admirael Laotur (AL)



Anvers (A)



Generael Otto (GO)



Jan Symonsz (JS)



Kamelot van Weena (KvW)



Kleine Alexander (KA)



Semper Augustus (SA)



Switser (S)



Verwindt (Ve)



Viseroij (Vi)



Zomerschoon (Z)

## Covariates

Hourly features:

- |                          |                                 |
|--------------------------|---------------------------------|
| 1. Open                  | 13. Realized kurtosis 1h        |
| 2. Close                 | 14. Parkinson variance 1h       |
| 3. High                  | 15. Garman-Klass variance 1h    |
| 4. Low                   | 16. Rogers-Satchell variance 1h |
| 5. Volume 1h             | 17. Long short ratio 5m         |
| 6. Number of trades 1h   | 18. Long short ratio 15m        |
| 7. Return 5m             | 19. Long short ratio 30m        |
| 8. Return 15m            | 20. Long short ratio 45m        |
| 9. Return 30m            | 21. Long short ratio 1h         |
| 10. Return 45m           | 22. Forward premium open        |
| 11. Return 1h            | 23. Forward premium close       |
| 12. Realized variance 1h | 24. Forward premium high        |
| 13. Realized skewness 1h | 25. Forward premium low         |

Prices in gulden and logarithmic returns

## Submission

For each hour, the portfolio composition  $\mathbf{w}_t$ .

The portfolio can be long and short in each tulip, with a constraint on margin:  $\mathbf{w}_t$  is an array of length 13 normalized in absolute value, i.e.

$$\sum_{i=1}^{13} |w_{t,i}| = 1,$$

where the last element of the array is the percentage of the portfolio allocated in cash.

## Evaluation

Net portfolio return:

$$\bar{r}_t = \sum_{i=1}^{12} w_{t,i} r_{t,i},$$

where  $r_{t,i} = \frac{c_{t+1,i}}{c_{t,i}} - 1$  and  $c_{t,i}$  is the close price price of the  $i$ -th tulip at time  $t$ .

Portfolio rotation incurs **transaction costs** of  $f = 0.5$  bps ( $5e-5$ ) per traded Gulden. Rebalance cost:

$$C_{t-1} |w_{t-1,i}(1 + r_{t-1,i}) - w_{t,i}(1 + \bar{r}_{t-1})|f,$$

Cost adjusted portfolio returns:

$$R_t = \bar{r}_t - f \sum_{i=1}^{12} \left| \frac{w_{t-1,i}(1 + r_{t-1,i})}{(1 + \bar{r}_{t-1})} - w_{t,i} \right|,$$

Annualized Sharpe ratio:

$$S = \frac{\langle R_t \rangle}{\sigma_{R_t}} \sqrt{365 * 24}.$$

## Alpha

The alpha is the measure of the active return of a trading strategy, i.e. of its edge.

Find **your** alpha: statistical pair trading, momentum or mean-reversion trading, a predicting model better than other market participants...

## Execution

Depending on the strategy and the type of alpha, your strategy and signals might have alpha only for certain tulips and / or at certain times.

Try not to take unnecessary risk, or to pay excessive transaction costs. Make use of the possibility of holding cash, and only trade and hold positions when you expect to make a profit!

*Will you manage to steadily navigate the risks of a trading bubble?*

*Will you thrive or go bankrupt in the 1600 tulip mania?*

***Good luck and have fun!***