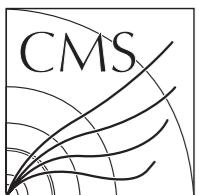
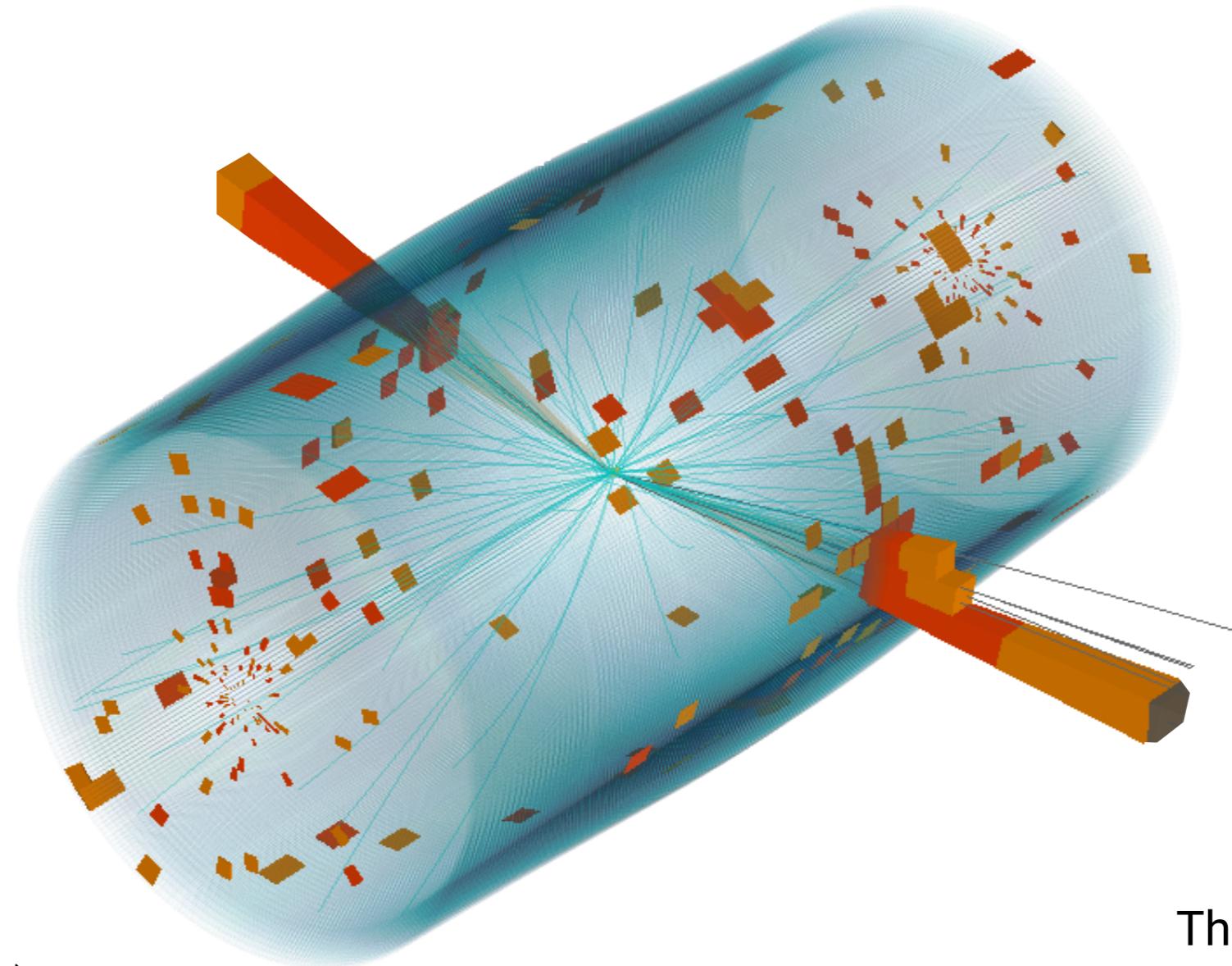


A Novel Multidimensional Search for Diboson Resonances and Encoding Jet Substructure with a Deep Neural Network



PhD committee:

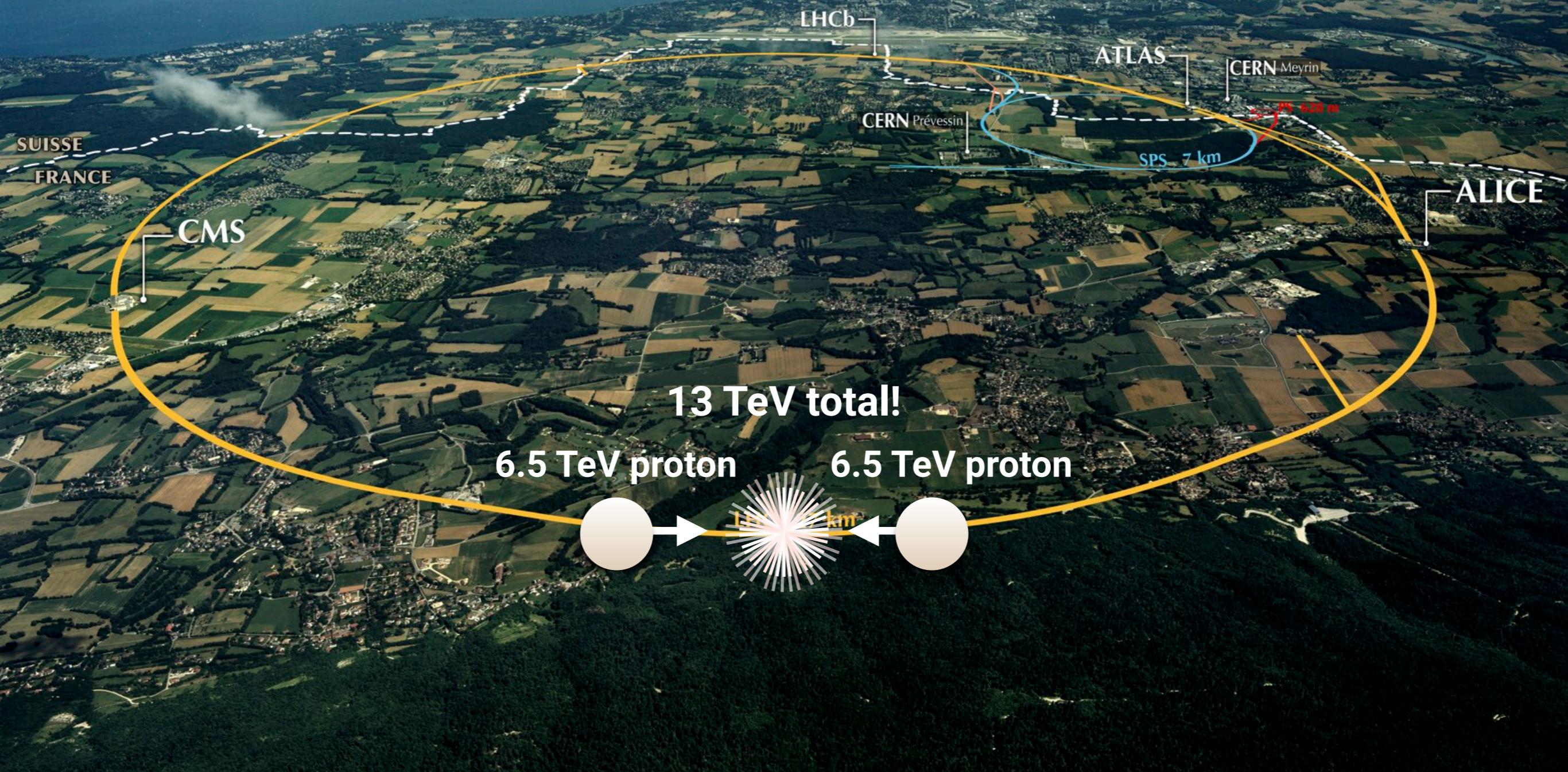
Prof. Jesse Thaler (MIT)
Dr. Andreas Hinzmann (HUU)
Prof. Florencia Canelli (UZH)
Prof. Ben Kilminster (UZH, advisor)

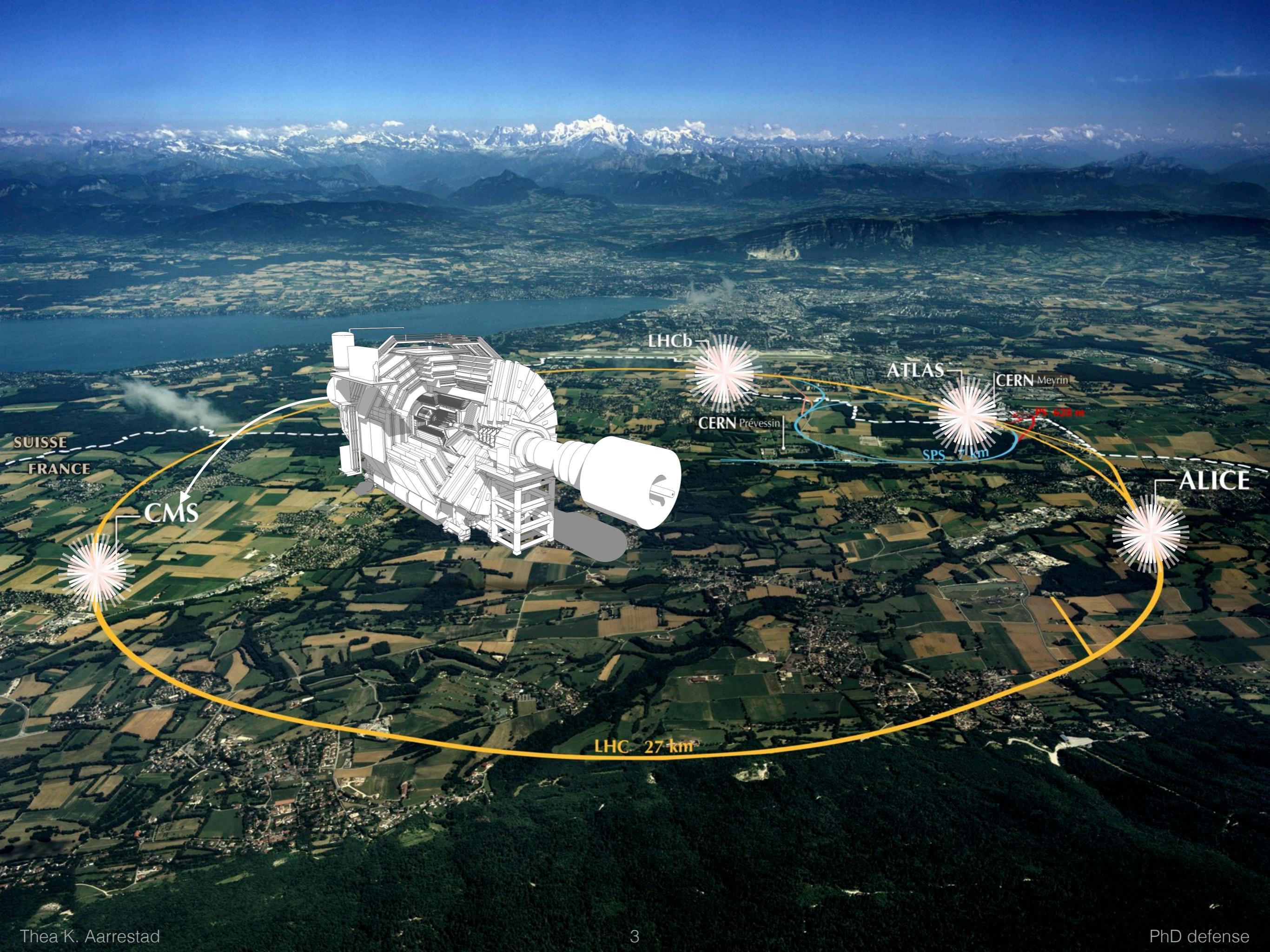
Thea Klæboe Årrestad

PhD defense, UZH
March 14th 2019
University of Zurich

2015

The Large Hadron Collider First p-p collisions after 2 year long shutdown with twice the collision energy!



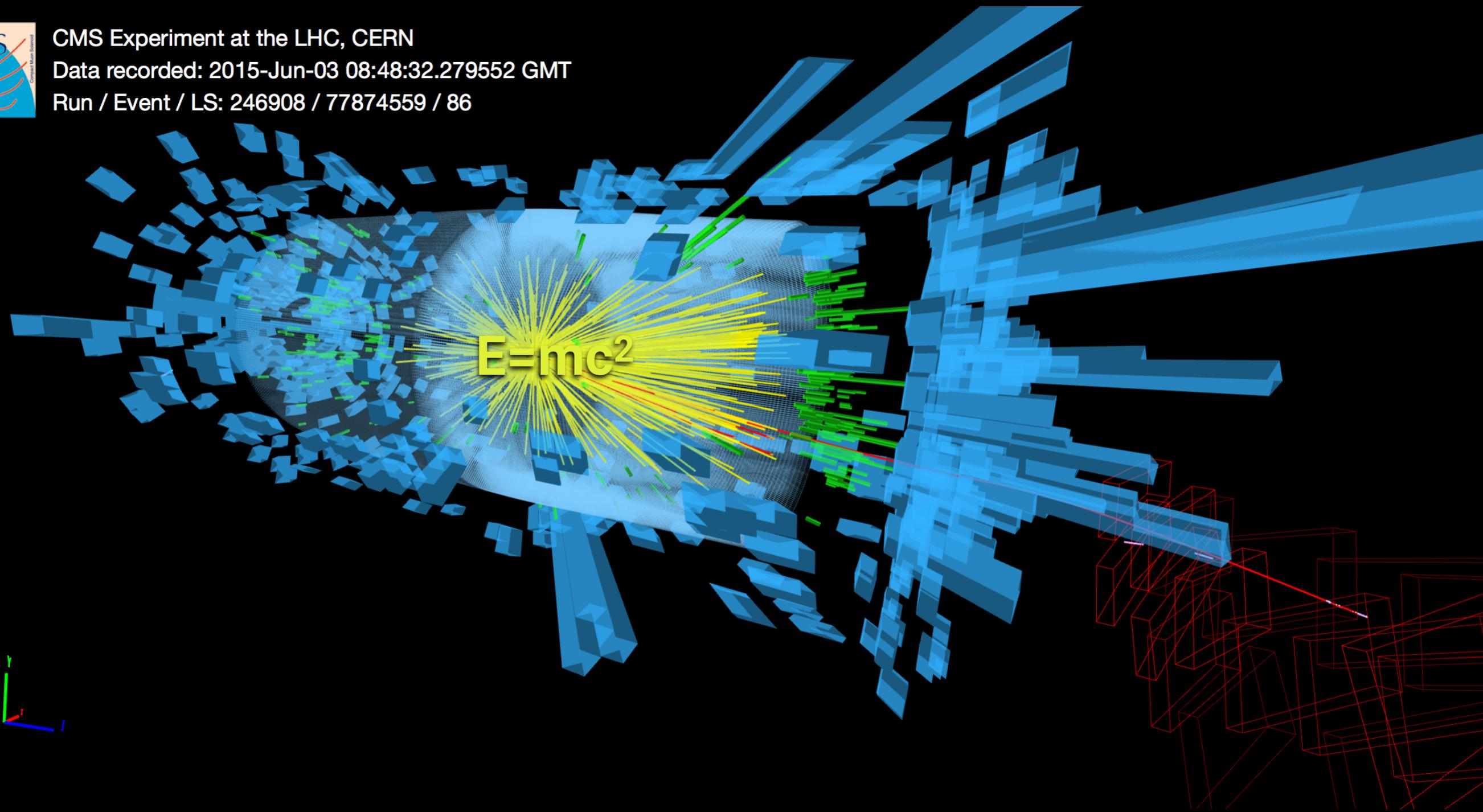




CMS Experiment at the LHC, CERN

Data recorded: 2015-Jun-03 08:48:32.279552 GMT

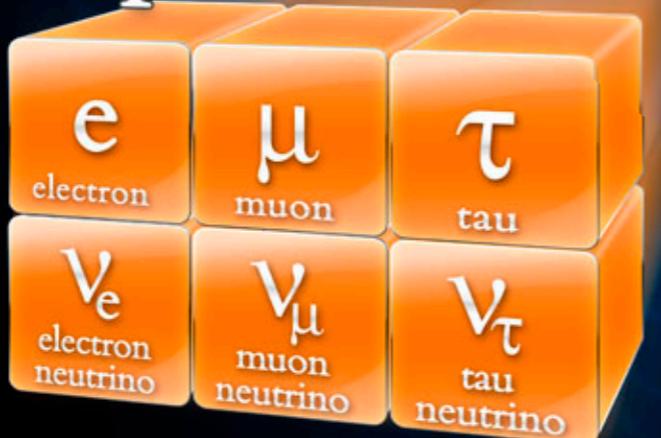
Run / Event / LS: 246908 / 77874559 / 86



Quarks



Leptons



H
Higgs boson

Force Carriers



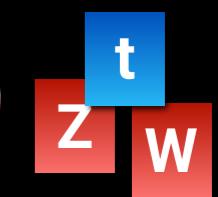
Masses span range $O(10^9)$!
(1 GeV = 1 000 000 000 eV)

top quark heaviest:

172 GeV



Higgs:
125 GeV



TeV

Gev

MeV

keV

eV



?



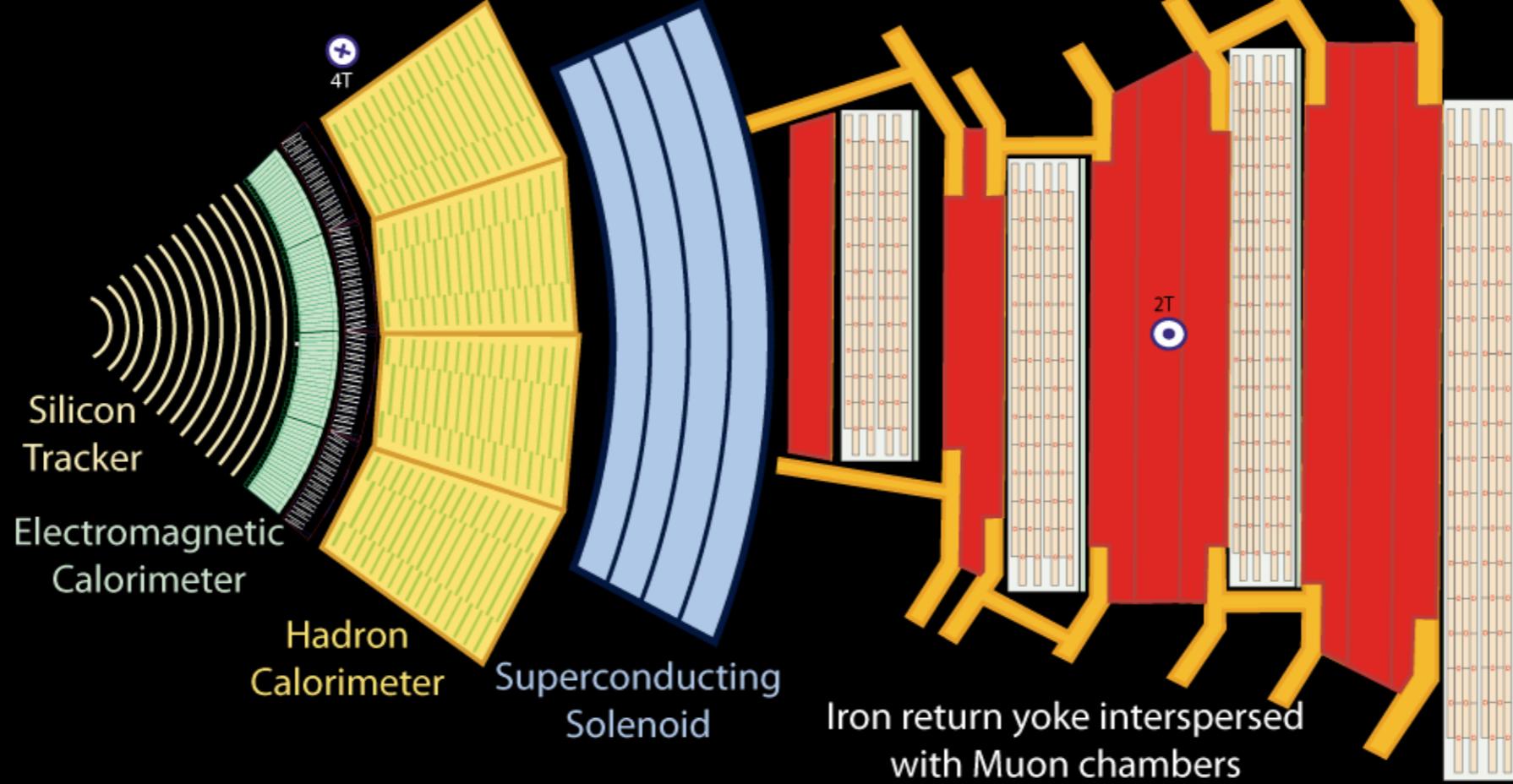
meV

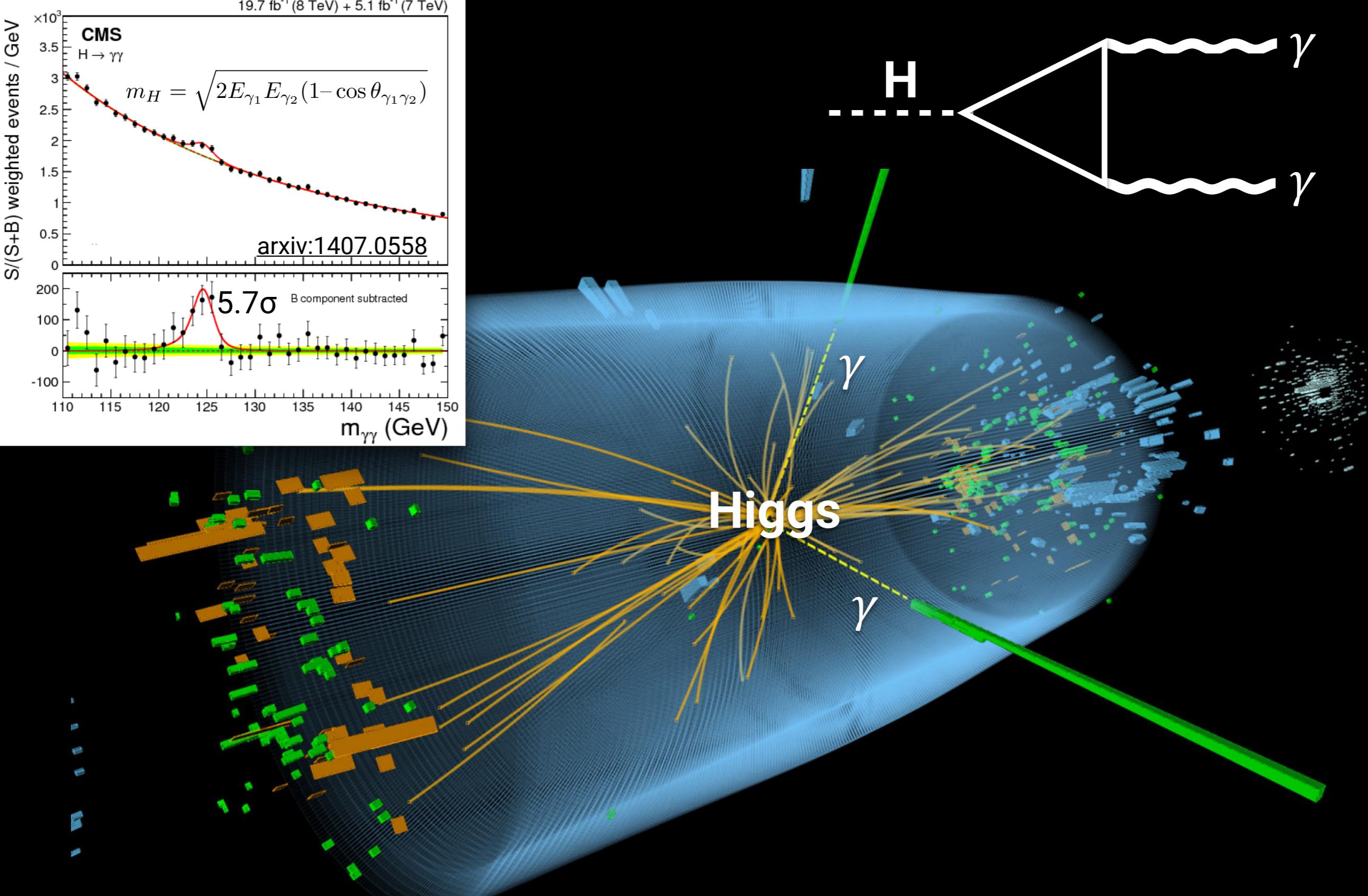
Quarks

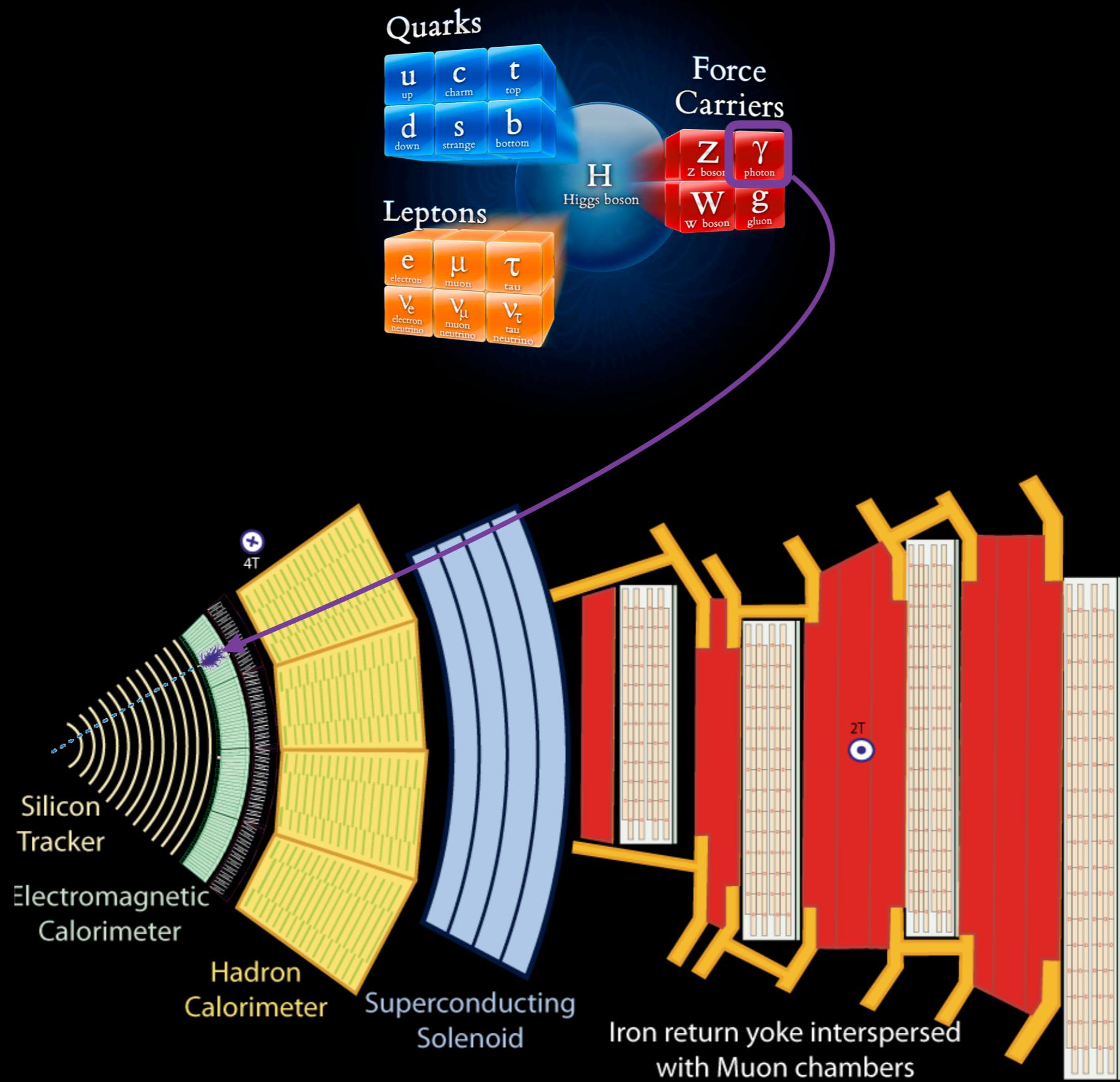
u up	c charm	t top
d down	s strange	b bottom

Force Carriers

Z γ







Quarks

u up	c charm	t top
d down	s strange	b bottom

Why is the Higgs mass we MEASURED so much smaller ($\times 10^{16}$) than the Higgs mass we CALCULATED ?

Leptons

e electron	μ muon	τ tau
ν_e electron neutrino	ν_μ muon neutrino	ν_τ tau neutrino

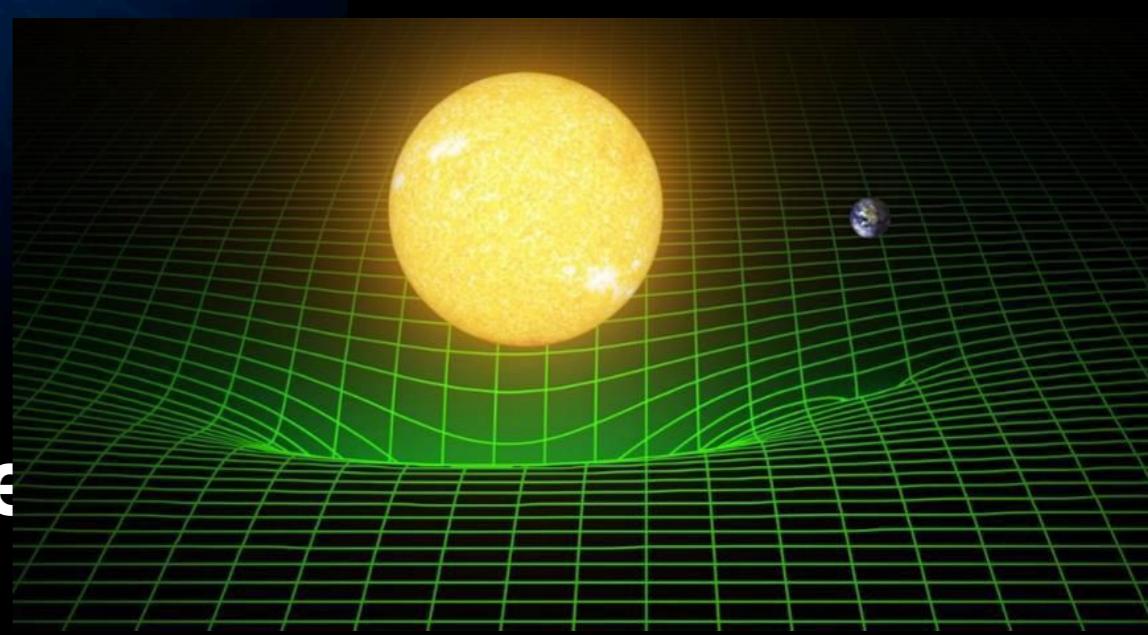
Higgs precision measurements

Force Carriers

Z z boson	γ photon
W W boson	g gluon

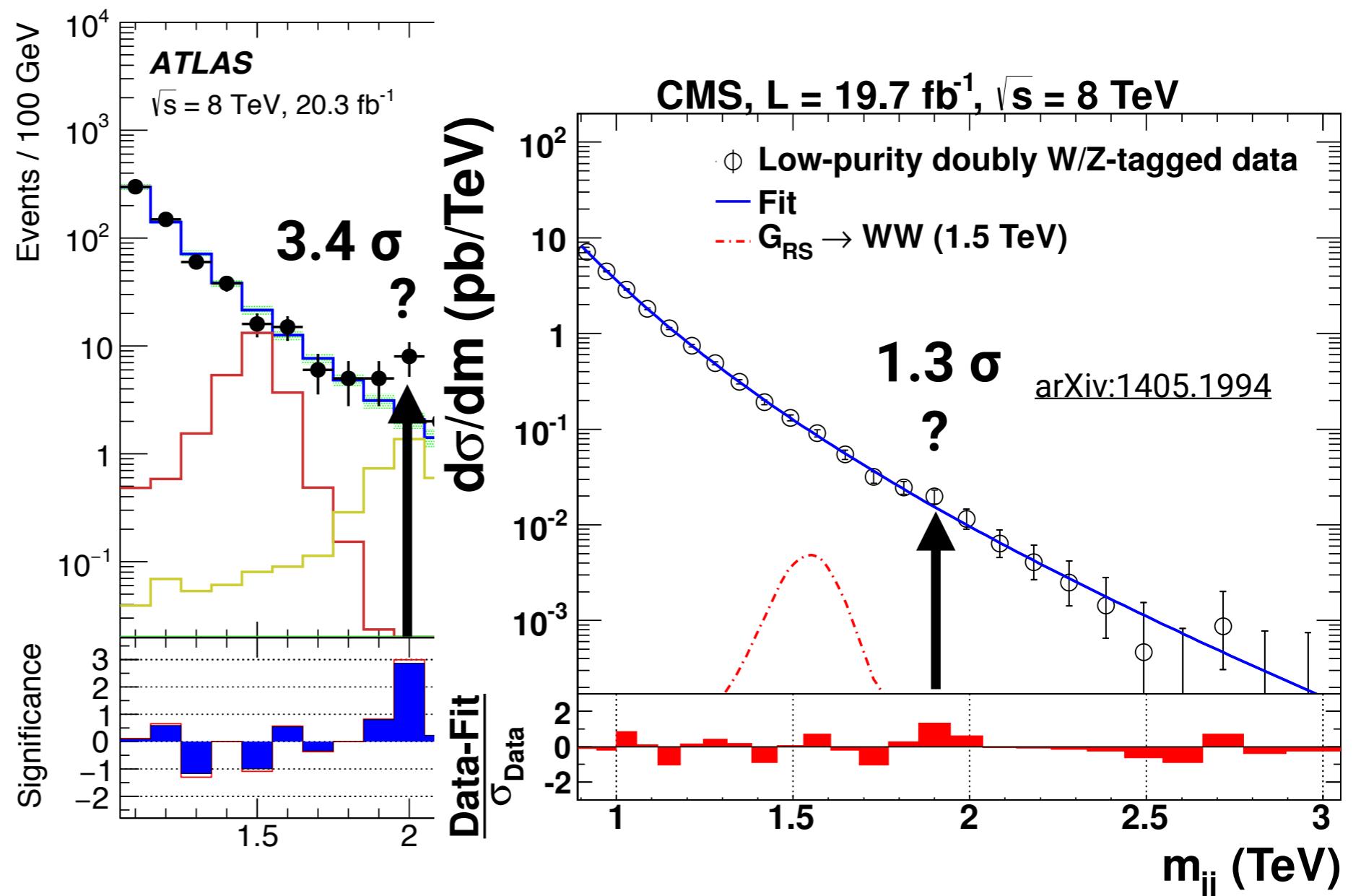
Why is gravity 10,000,000,000,000,000,000,000,000,000,000 weaker than the other forces* ?

be



“Search for high-mass diboson resonances with boson-tagged jets”

ATLAS Collaboration



A new particle with a mass of 2 TeV?
Compatible observations in ATLAS and CMS!

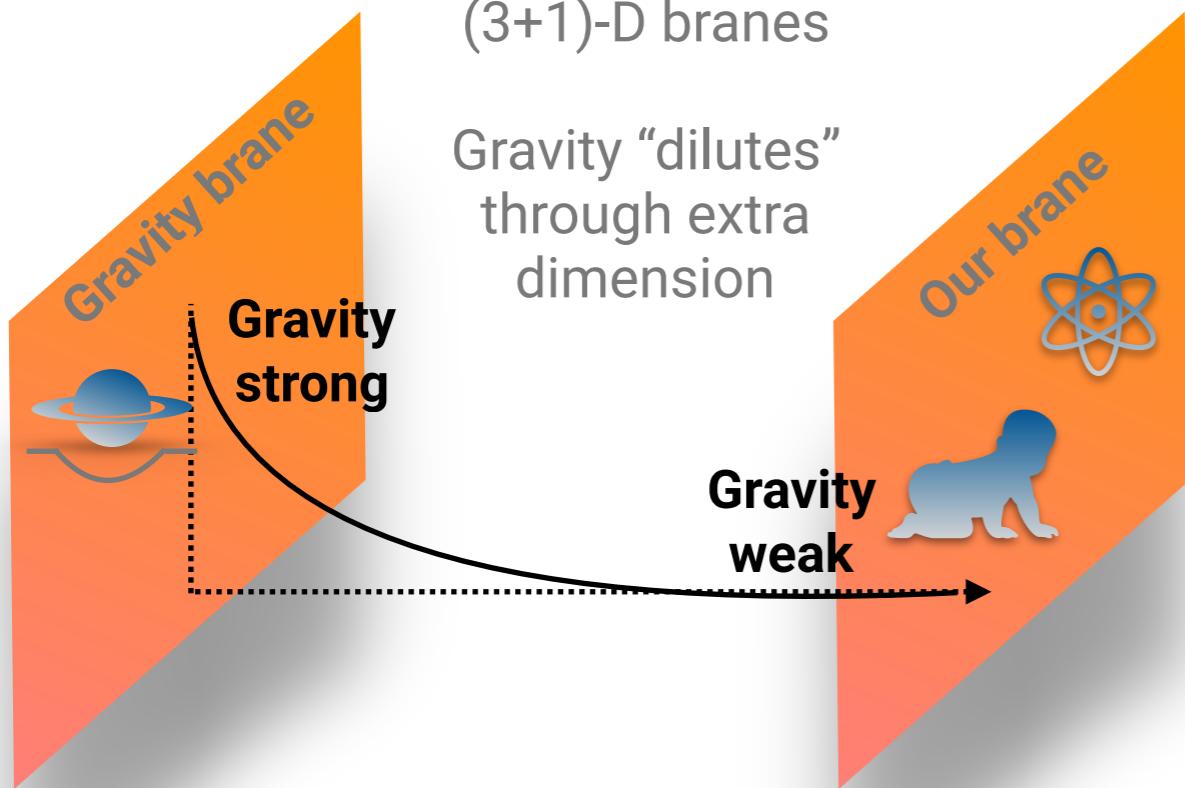
What could it be?

11. arXiv:1507.00268 [pdf, other] hep-ph doi 10.1103/PhysRevD.92.095025 ↗
Simple non-Abelian extensions of the standard model gauge group and the diboson excesses at the LHC
Authors: Qing-Hong Cao, Bin Yan, Dong-Ming Zhang
Submitted 27 November, 2015; v1 submitted 1 July, 2015; originally announced July 2015.
Comments: Publish version; title changed as suggested by journal Editor
Journal ref: Phys. Rev. D 92, 095025 (2015)
5. arXiv:1507.03098 [p
A scalar hint from the diboson excess?
Authors: Giacomo Cacciapaglia, Aldo Deandrea, Michio Hashimoto
6. arXiv:1507.03553 [pdf, other] hep-ph doi 10.1155/2016/3279568 ↗
On the compatibility of the diboson excess with a gg-initiated composite sector
1. arXiv:1506.06739 [pdf, ps, other] hep-ph hep-ex
Triboson interpretations of the ATLAS diboson excess
Authors: J. A. Aguilar-Saavedra
Submitted 25 September, 2015; v1 submitted 22 June, 2015; originally announced June 2015.
Comments: LaTeX 17 pages. v2: Enlarged discussion to address CMS WH excess. v3: Added discussion of diboson helicities. Final version to appear in JHEP
7. arXiv:1507.04431 [pdf, ps, other] hep-ph hep-ex doi 10.1016/j.physletb.2015.11.015 ↗
Interpretations of the ATLAS Diboson Anomaly
Authors: Kingman Cheung, Wai-Yee Keung, Po-Yan Tseng, Tzu-Chiang Yuan
Submitted 17 November, 2015; v1 submitted 19 June, 2015; originally announced June 2015.
Comments: v4: match the published version; v3: 18 pages, 6 figures, change to leptophobic Z' model to take into account the EW constraints, and some updates to the analysis and text; v2: 17 pages, 7 figures; a new section and a new figure are added; correct the statement about the WH; references are also added
7. arXiv:1507.00900 [pdf, other] hep-ph hep-ex
Prospects for Spin-1 Resonance Search at 13 TeV LHC and the ATLAS Diboson Excess
Authors: Tomohiro Abe, Teppei Kitahara, Mihoko M. Nojiri
Submitted 22 January, 2016; v1 submitted 7 July, 2015; originally announced July 2015.
16. arXiv:1604.03578 [pdf, other] hep-ph
A model for the LHC diboson excess
Authors: Manuel Buen-Abad, Andrew G. Cohen, Martin Schmaltz
Submitted 25 April, 2016; v1 submitted 12 April, 2016; originally announced April 2016.
12. arXiv:1507.00900 [pdf, other] hep-ph hep-ex
Unitarity implications of diboson resonance physics
Authors: Giacomo Cacciapaglia, Mads T. Frandsen
Submitted 3 July, 2015; originally announced July 2015.
Comments: 5 pages, 2 figures
Journal ref: Phys. Rev. D 92, 055035 (2015)
10. arXiv:1506.07511 [pdf, other] hep-ph hep-ex doi 10.1103/PhysRevD.92.055030 ↗
G221 Interpretations of the Diboson and Wh Excesses
Authors: Yu Gao, Tathagata Ghosh, Kuver Sinha, Jiang-Hao Yu
Submitted 17 November, 2015; v1 submitted 24 June, 2015; originally announced June 2015.
Comments: 16 pages, 6 figures, revised version 2. With a 2.9 TeV Z' event observed in CMS, we updated our paper by discussing the possible 2.9 TeV Z' signature together with the 2 TeV W' excess
Report number: UTTG-11-15, MI-TH-1522, CETUP2015-007
Journal ref: Phys. Rev. D 92, 055030 (2015)
11. arXiv:1507.06018 [pdf, other] hep-ph
Low Scale Composite Higgs Model and 1.8 ~ 2 TeV Diboson Excess
Authors: Ligong Bian, Da Liu, Jing Shu
Submitted 21 July, 2015; originally announced July 2015.

What could it be?

Why
is gravity
weak?

Warped Extra Dimensional theories



Curved 5th space-time
bounded by
(3+1)-D branes

Gravity “dilutes”
through extra
dimension

Gravity
weak

Gravity
strong

Predicts:
Heavy graviton resonances:
Signature: $G_{\text{Bulk}} \rightarrow WW$ and $G_{\text{Bulk}} \rightarrow ZZ$

Why
is Higgs
light?

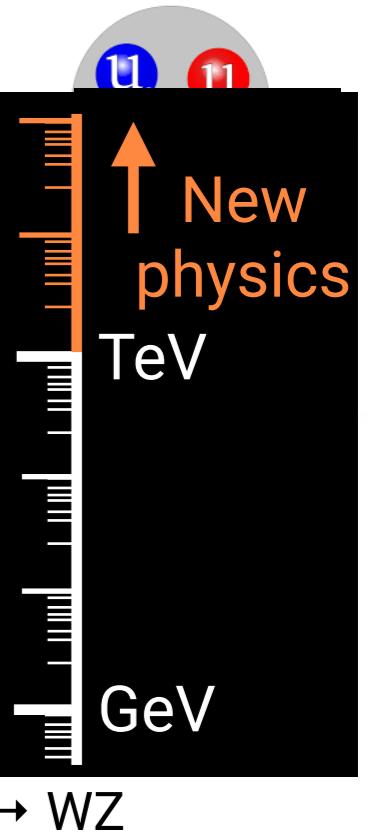
Composite Higgs models

Like proton (which

top quark:
172 GeV
Higgs:
125 GeV

Higgs boson

t
Z
W



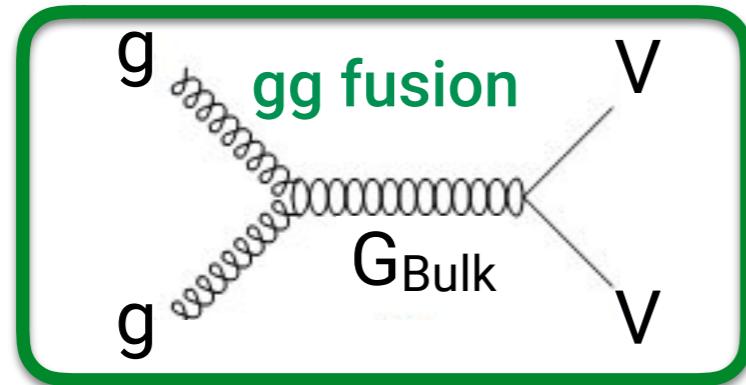
Predicts:
Heavy (\sim TeV) copies of SM particles:
Signature: $Z' \rightarrow WW$ and $W' \rightarrow WZ$

Partonic luminosity

Going from 8 \rightarrow 13 TeV: partonic luminosity increases!

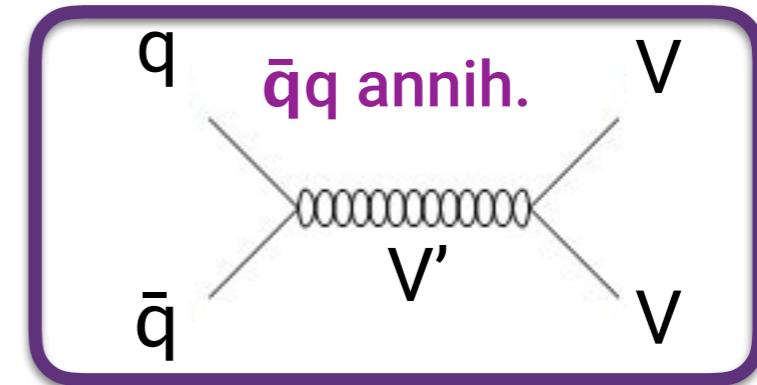
$G_{\text{Bulk}} \rightarrow WW/ZZ$

mainly produced through **gg fusion!**



$V' \rightarrow WW/WZ$

mainly produced through **$\bar{q}q$ annihilation**



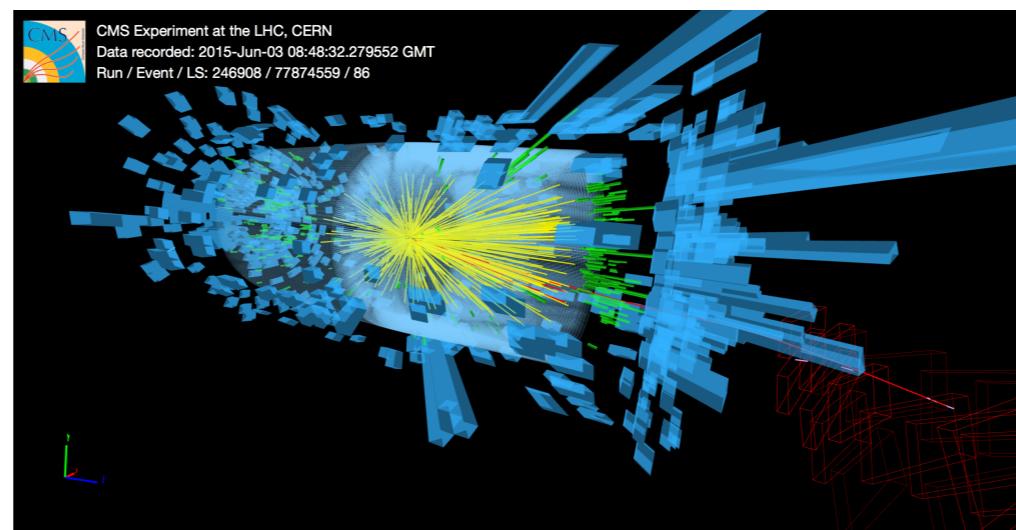
m_x	Production	13/8 TeV signal yield
2 TeV	gg	x 15
2 TeV	qq	x 8

more signal events at 13 TeV!

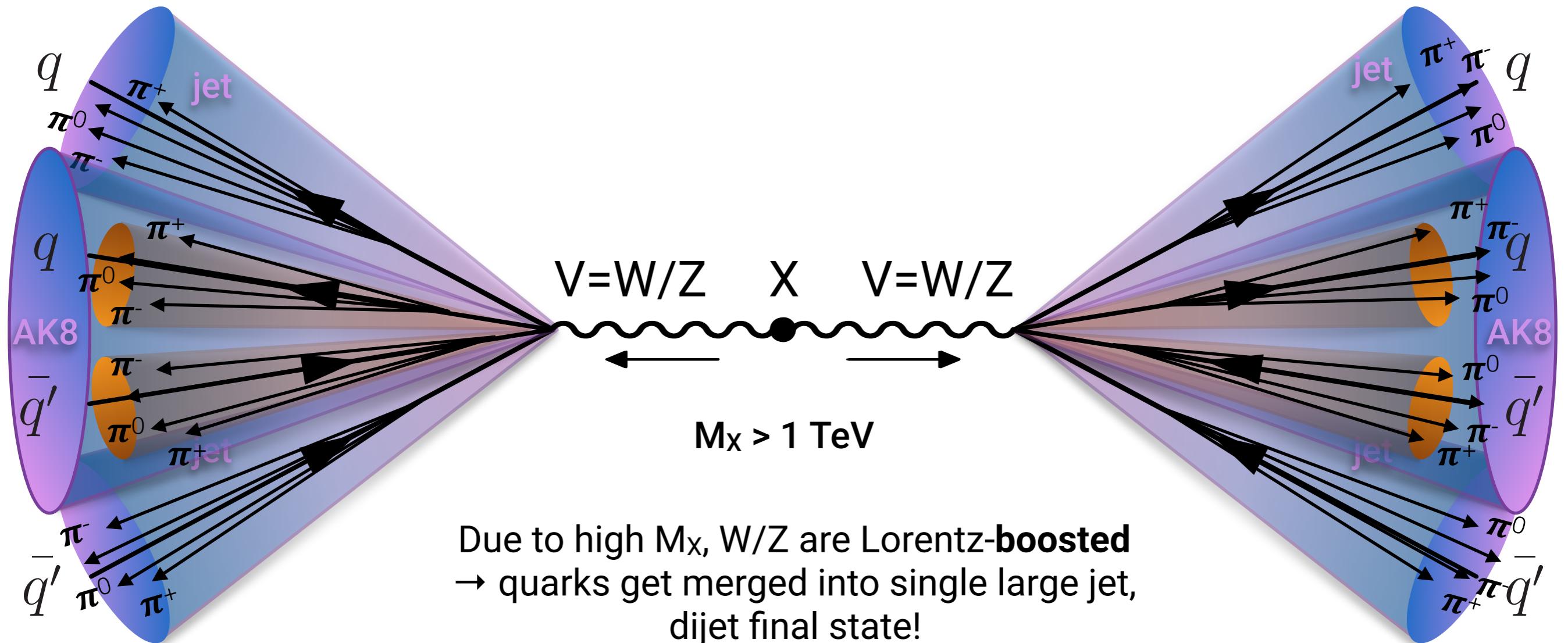
Same discovery potential as 8 TeV dataset with only 1/7th of 13 TeV data!

Thesis work: Diboson resonance searches at 13 TeV with CMS

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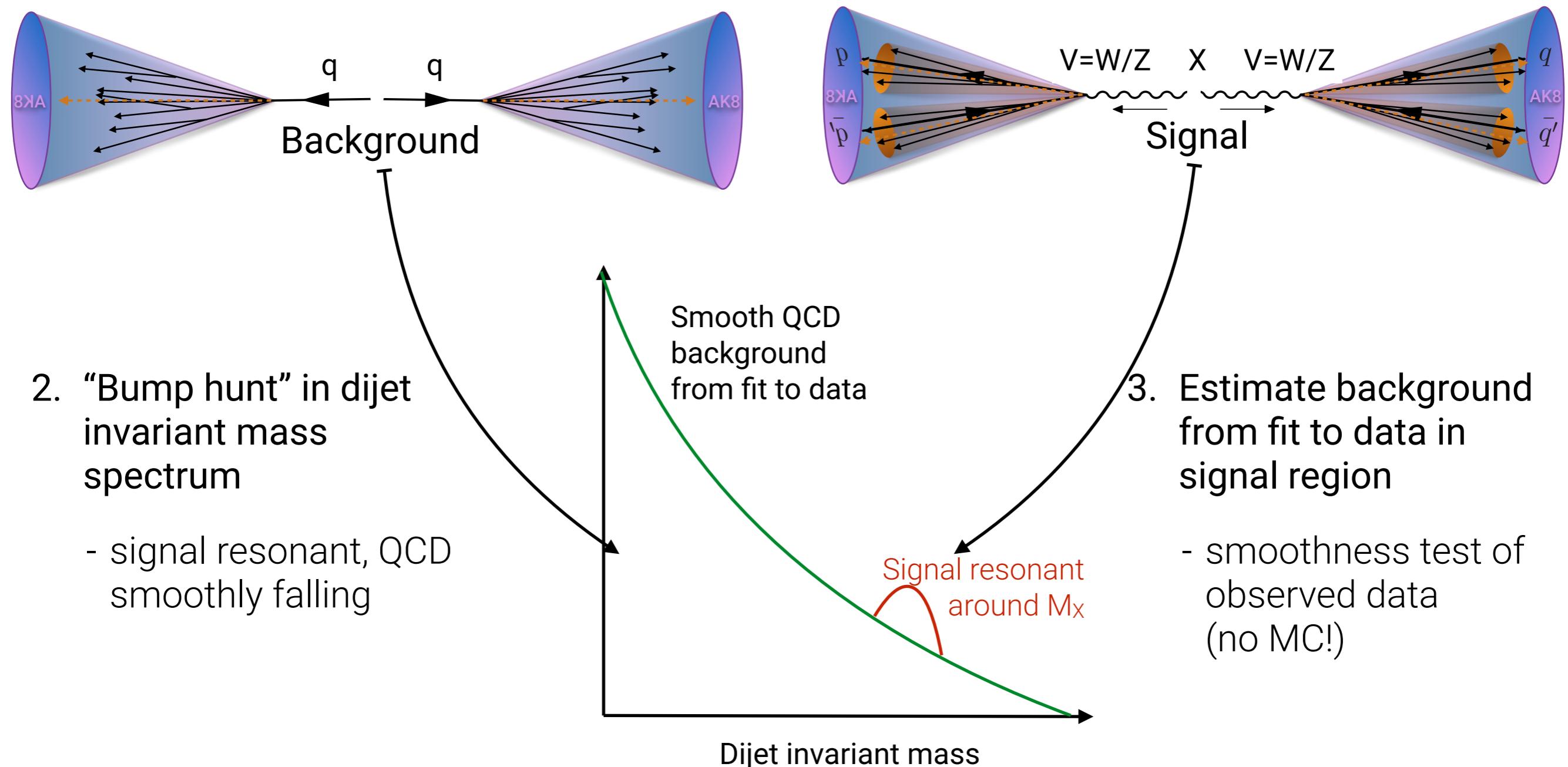


Signature: $X \rightarrow VV \rightarrow 4q$



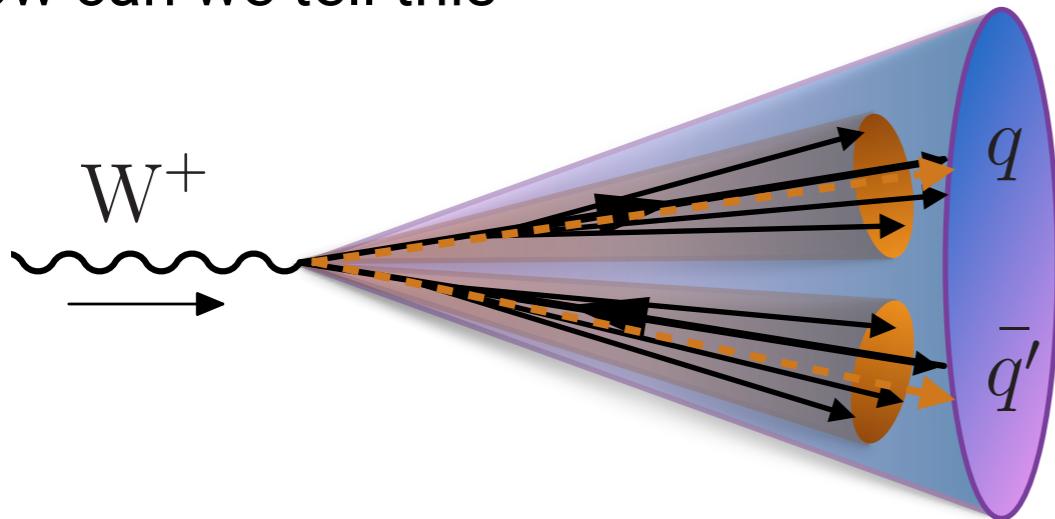
Analysis strategy

1. Reconstruct two W/Z jets, discriminate them from the quark/gluon jet QCD background

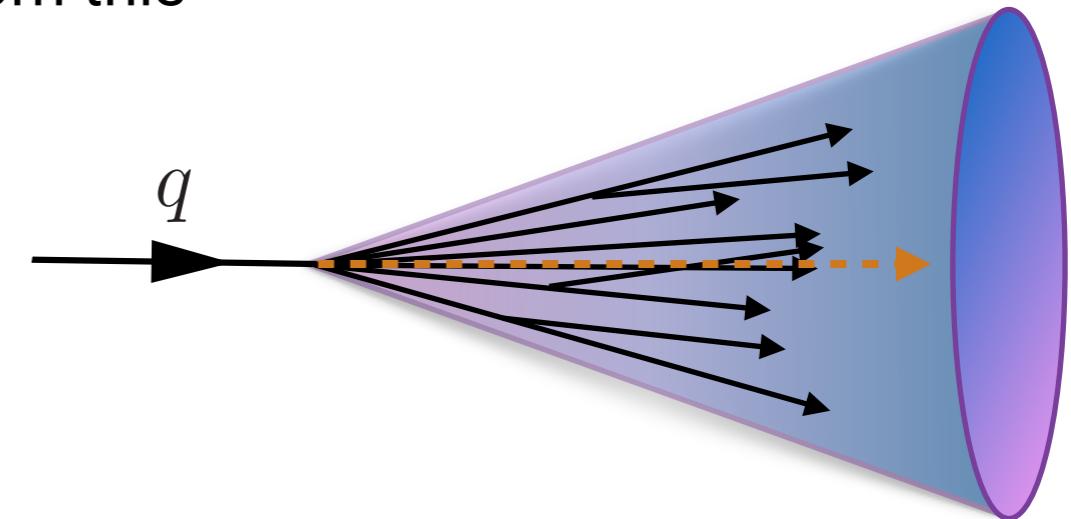


Jet substructure methods

How can we tell this

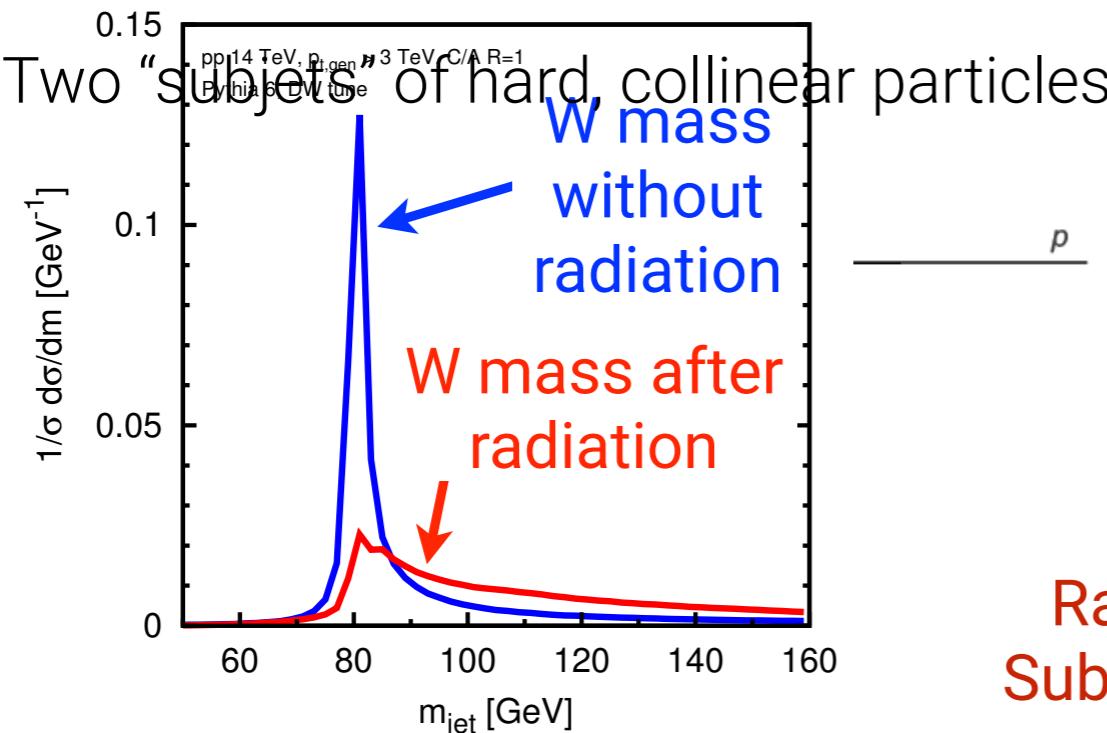


from this



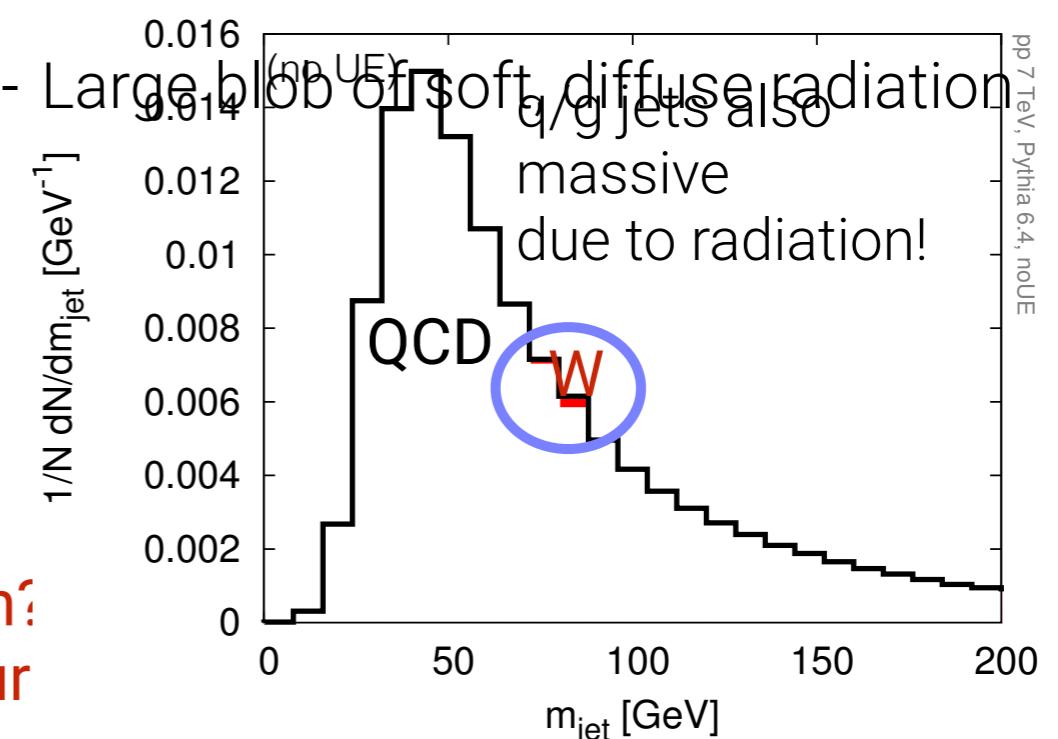
?

- Mass = 80 GeV?

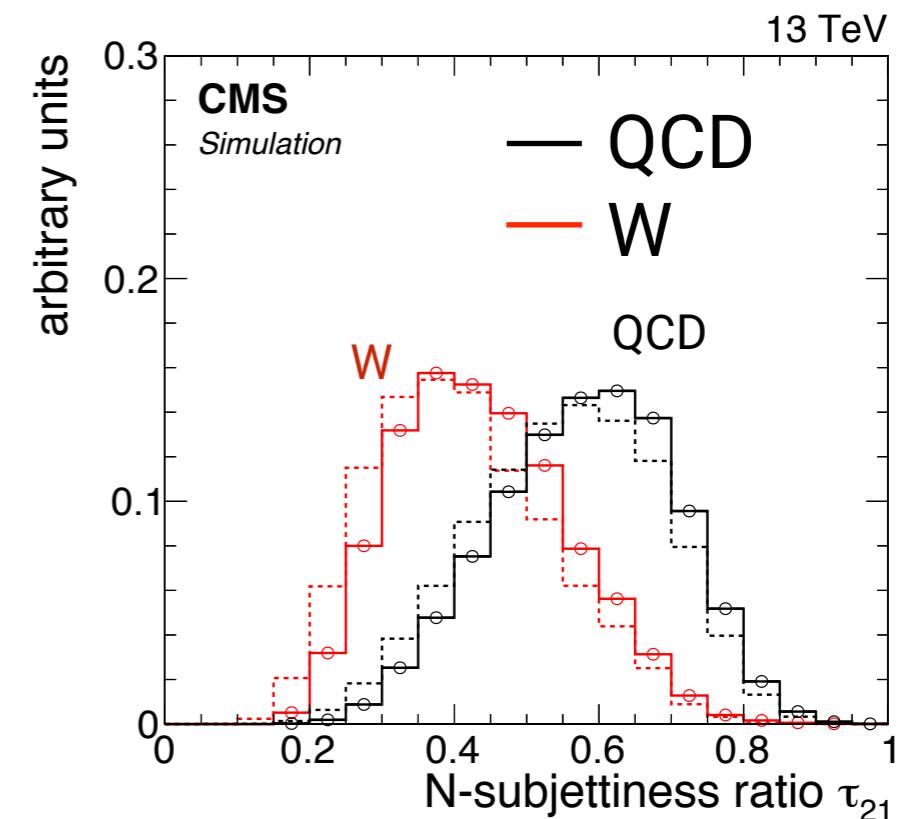
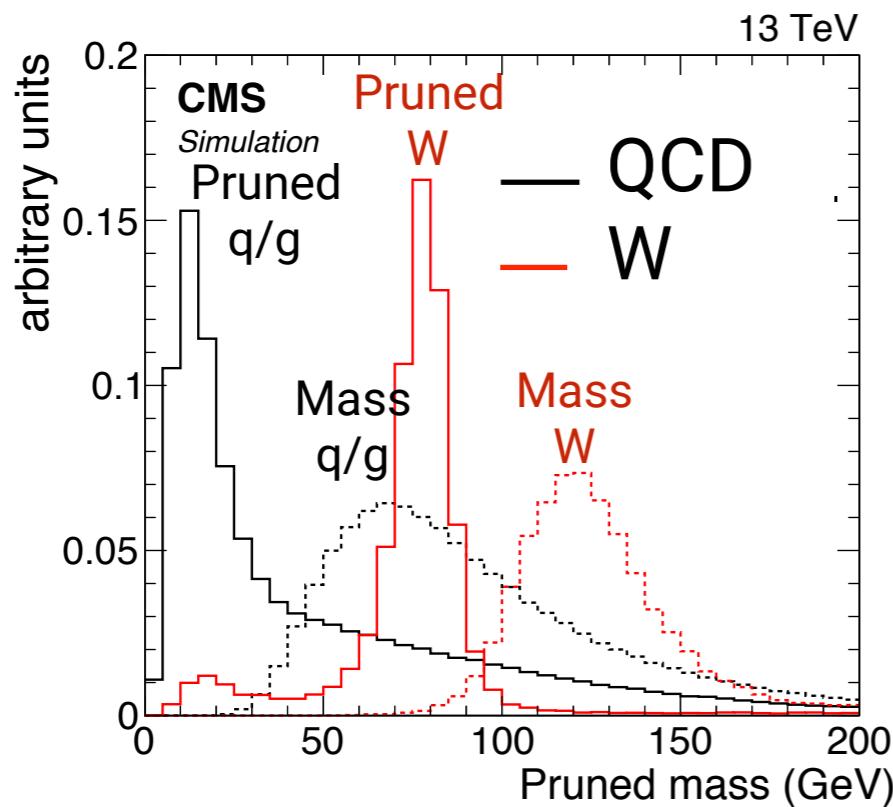


Radiation?
Substructur

- Mass ≈ 0 GeV?

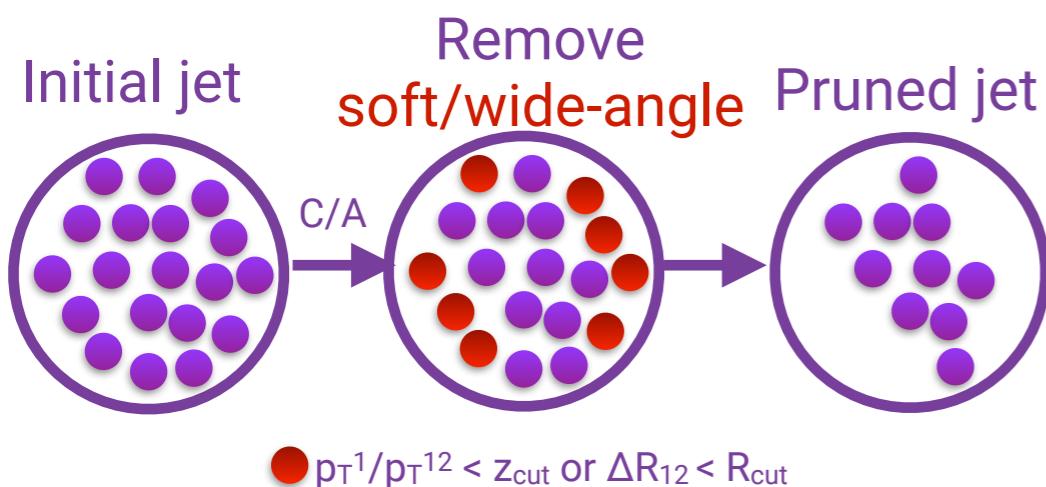


Jet substructure methods



Jet mass resolution → Pruning

[arxiv:0912.0033](https://arxiv.org/abs/0912.0033)

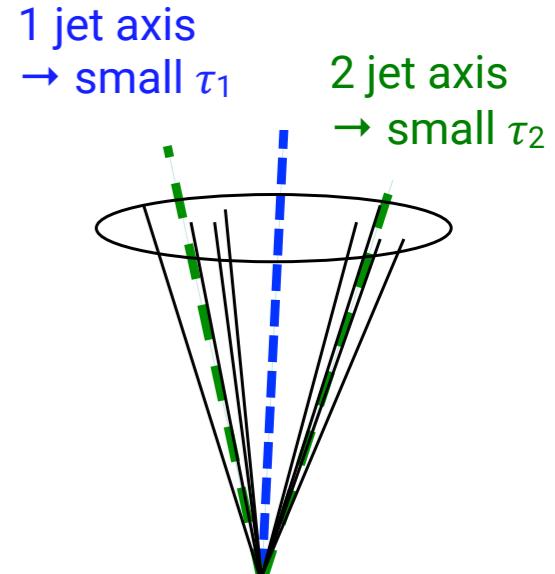


Are there “subjets” → n-subjettiness

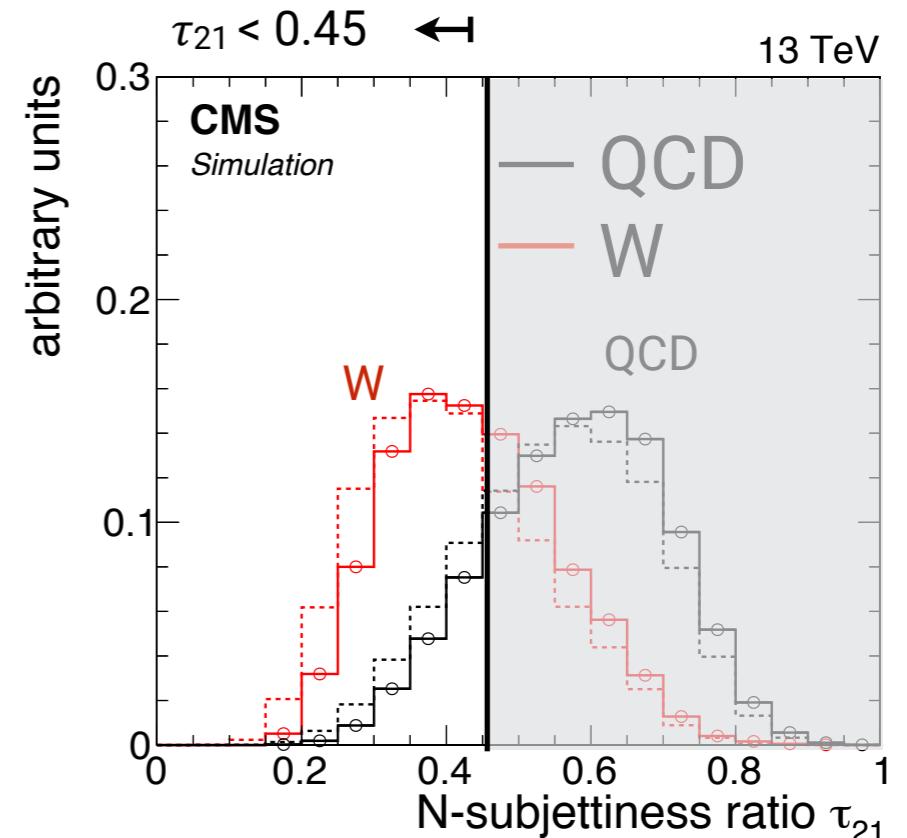
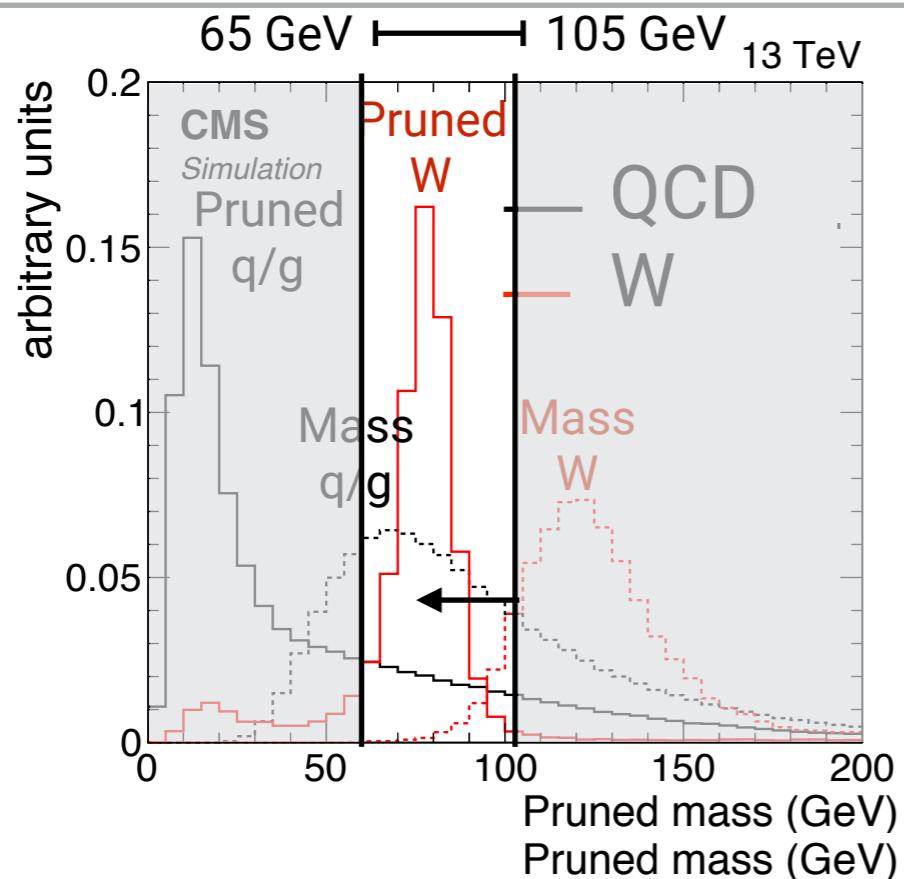
[arxiv:1011.2268](https://arxiv.org/abs/1011.2268)

Probability of jet having N subjets, τ_N

- use ratio τ_2/τ_1



Jet substructure methods



W/Z-tagging:

$65 \text{ GeV} < M_{\text{pruned}} < 105 \text{ GeV}$

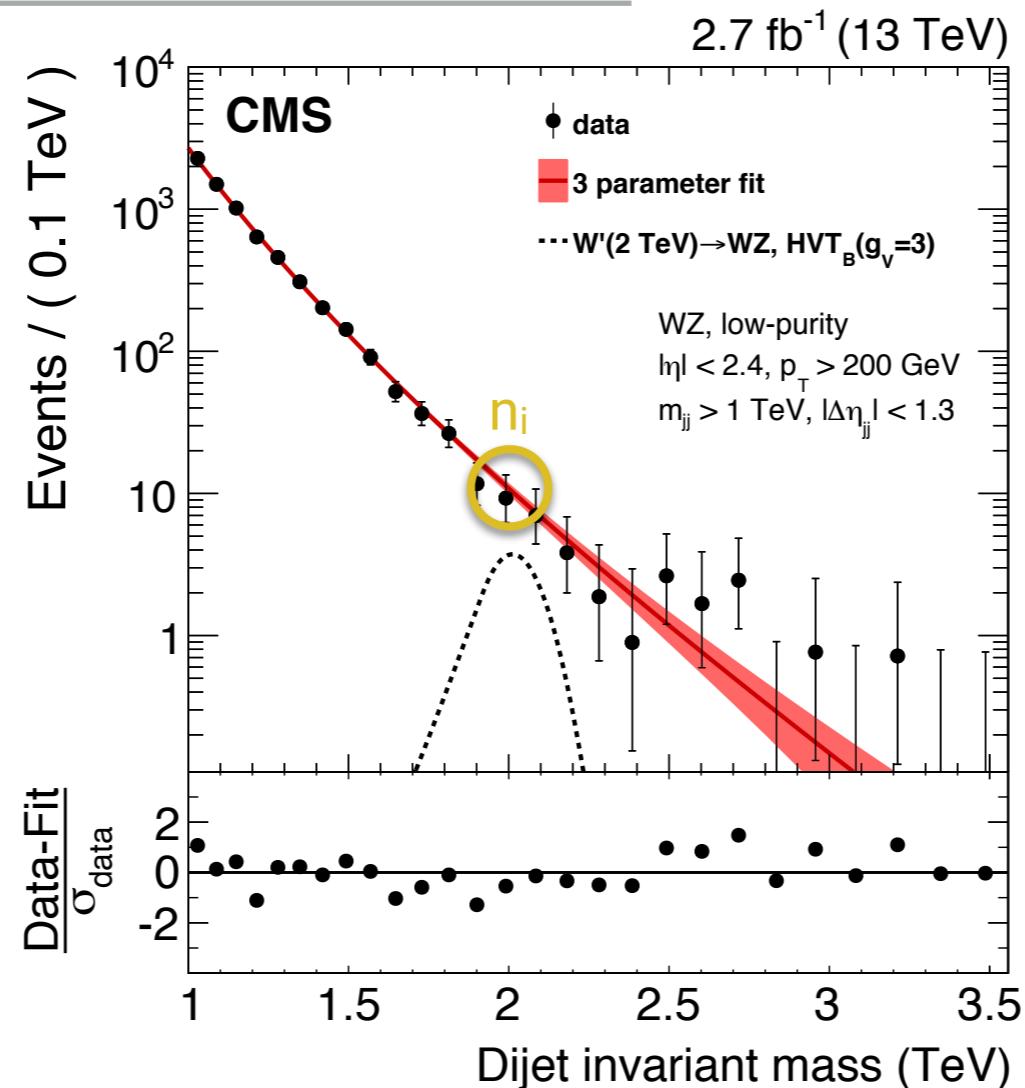
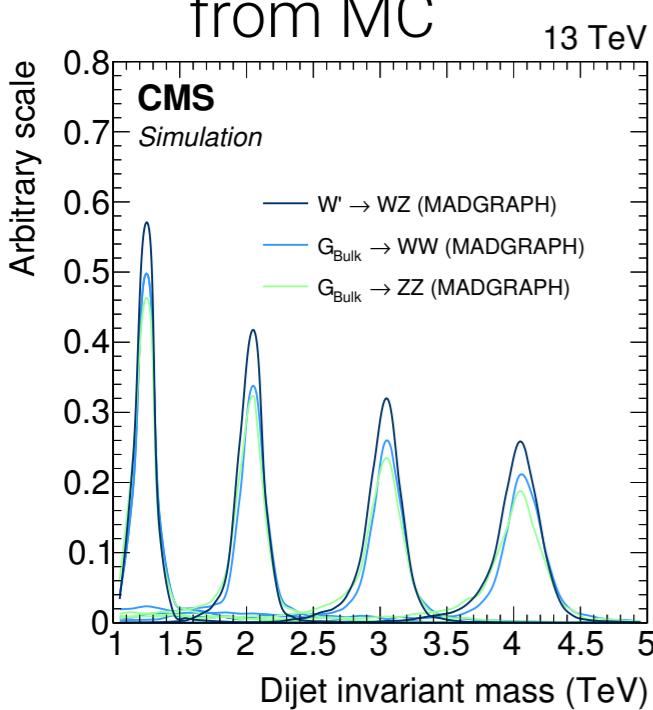
+

$\tau_{21} < 0.45$

~55% efficiency
at 1-2% mistag rate

Statistical interpretation

Signal PDF extracted from MC



$$\mu_i = \sigma \cdot N_i(S) + N_i(B)$$

Limits on signal strength σ by comparing fits of observed data with “background-only” and “background + signal” function.

Background

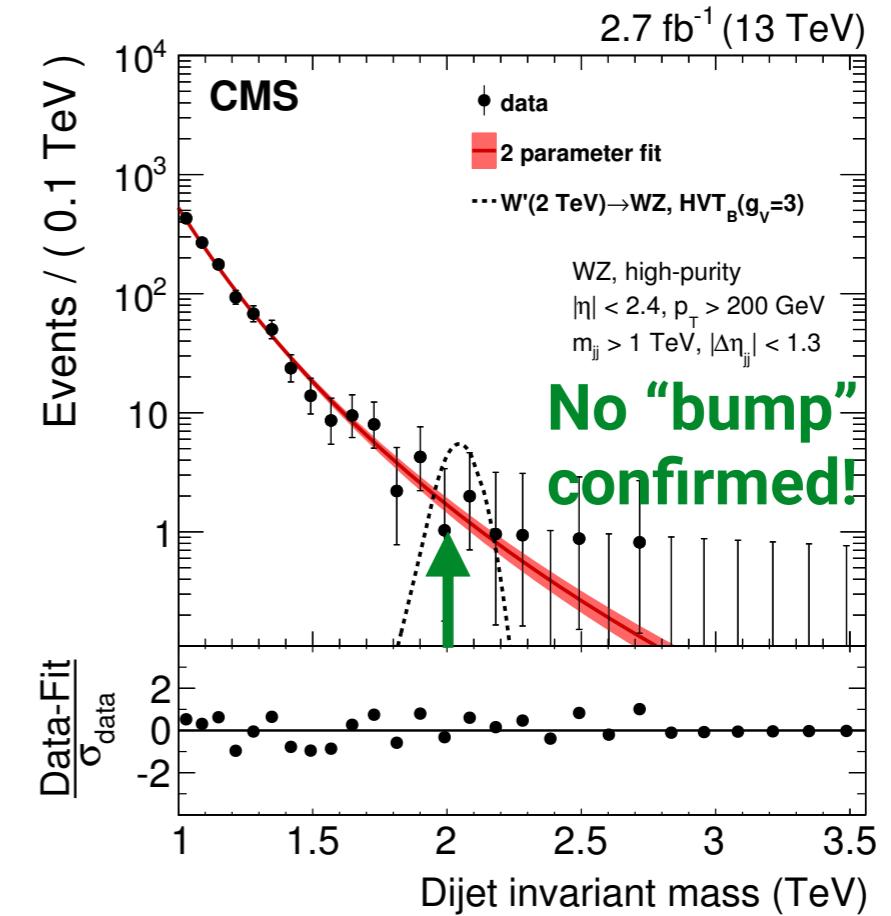
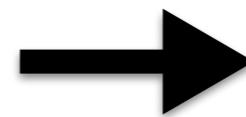
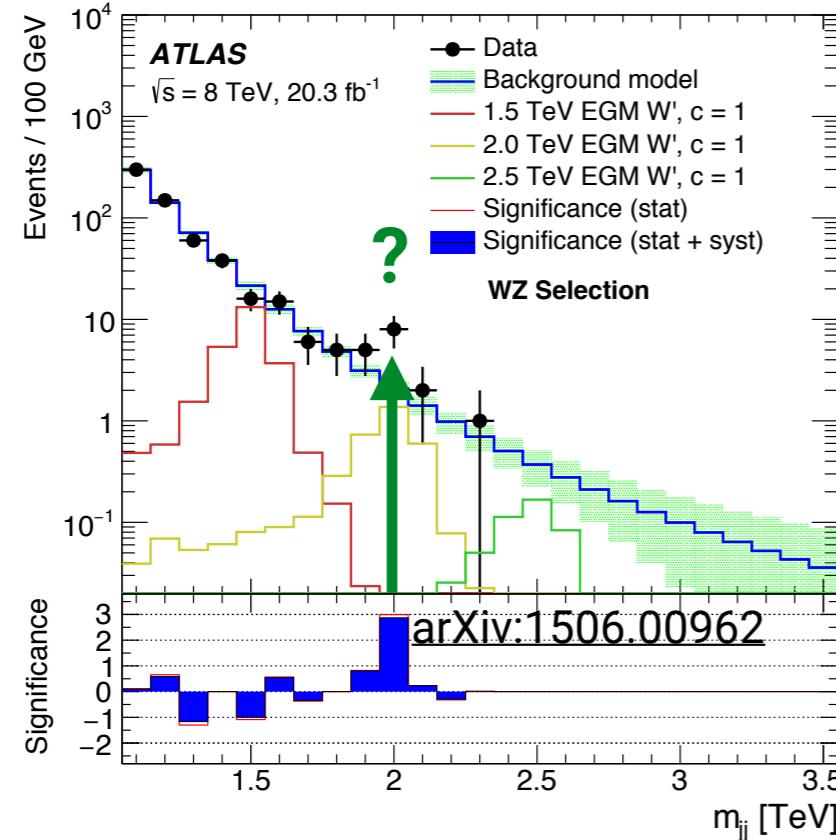
described by smooth fit to data, yield is estimated from B comp. of best S+B fit

Observed events in bin n_i

$$L = \prod_i \frac{\mu_i^{n_i} e^{-\mu_i}}{n_i!}$$

Results

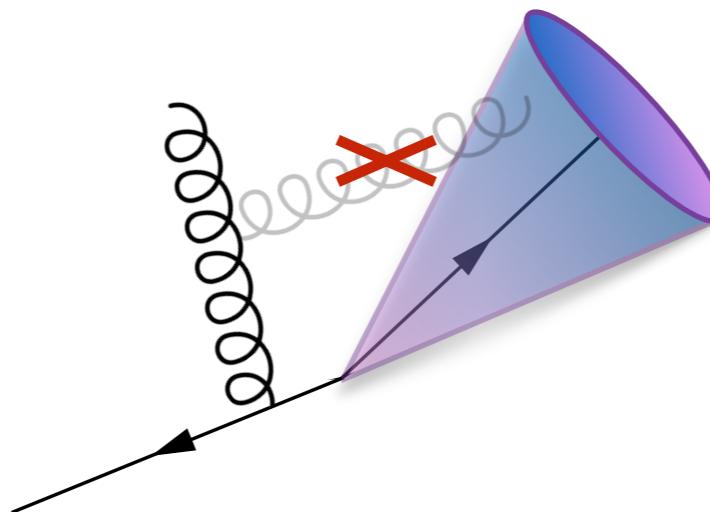
And?



Just exclude 2 TeV excess for $W' \rightarrow WZ$! However, other signals far from excluded

Thesis work: Diboson resonance searches at 13 TeV with CMS

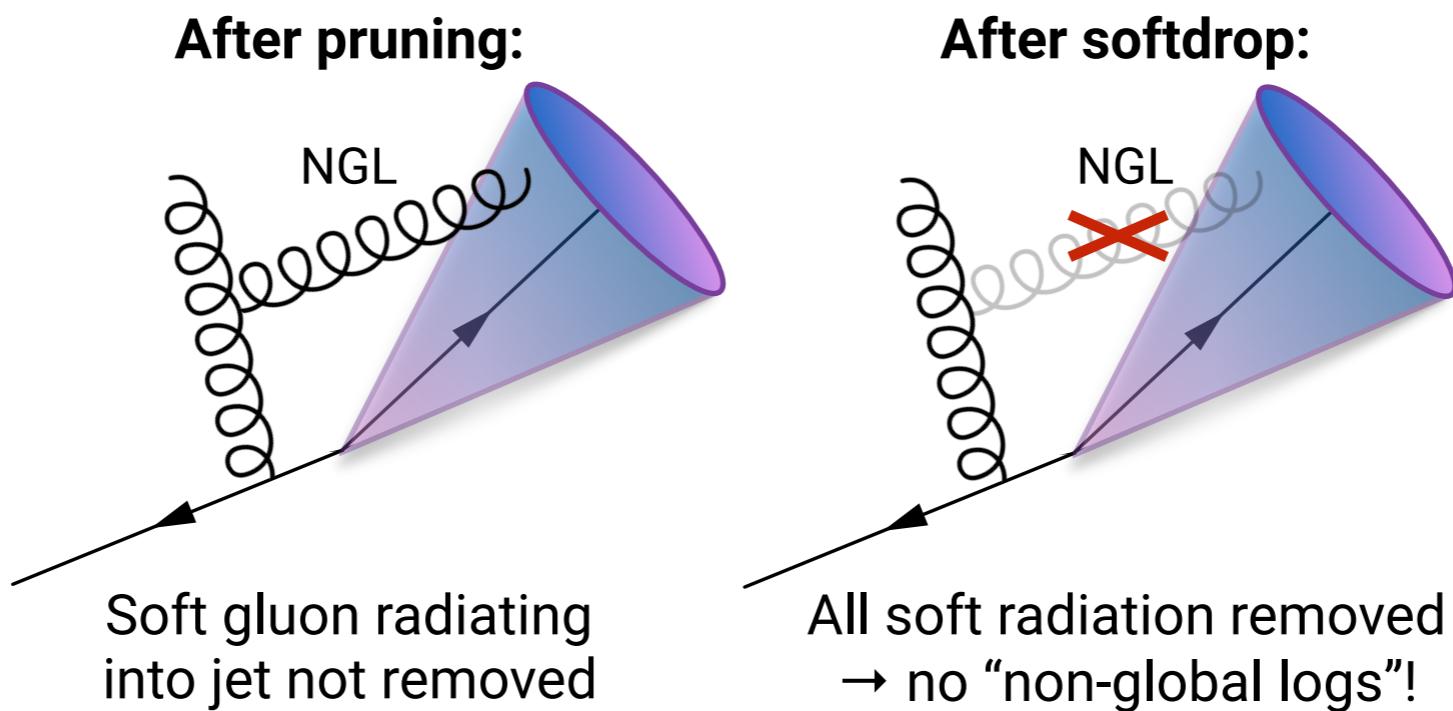
- I : First search for diboson resonances at 13 TeV
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New jet mass algorithm: Softdrop

Softdrop ($\beta=0$)

[arXiv:1307.0007](https://arxiv.org/abs/1307.0007) [arxiv:1402.2657](https://arxiv.org/abs/1402.2657)

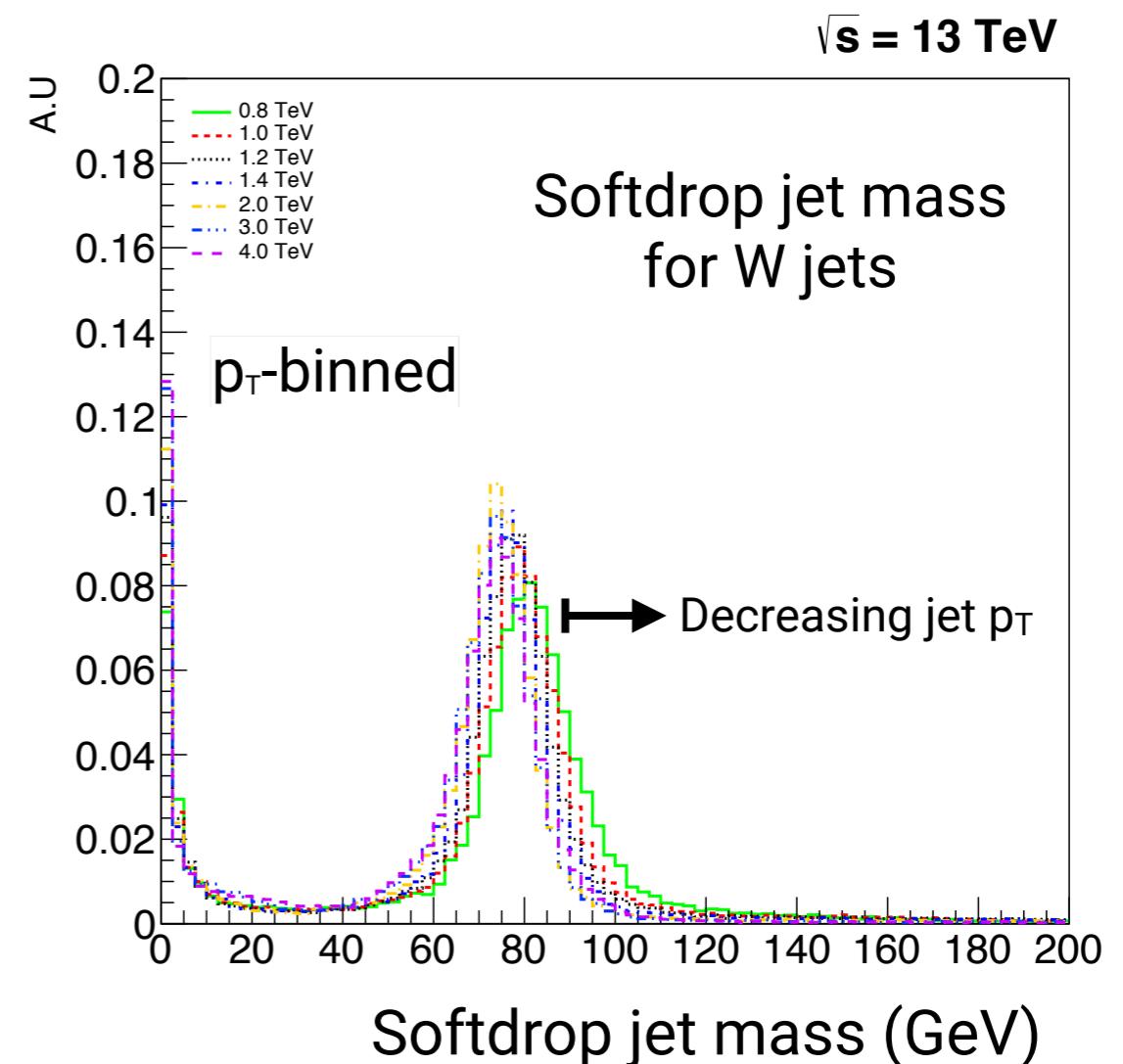
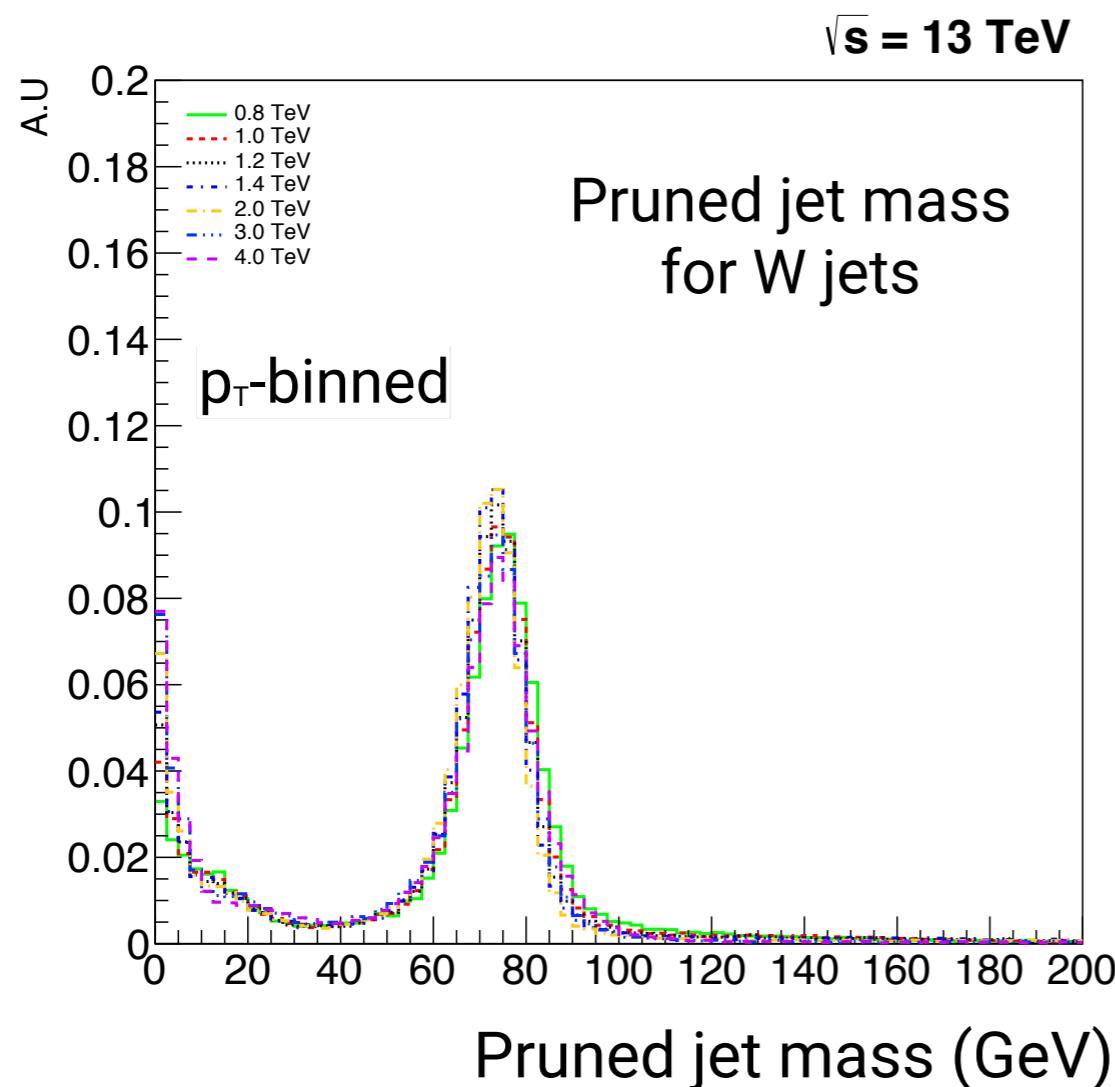


Pruning has "non-global logarithmic terms" in mass \rightarrow not "perturbatively robust".
Softdrop has no such terms.

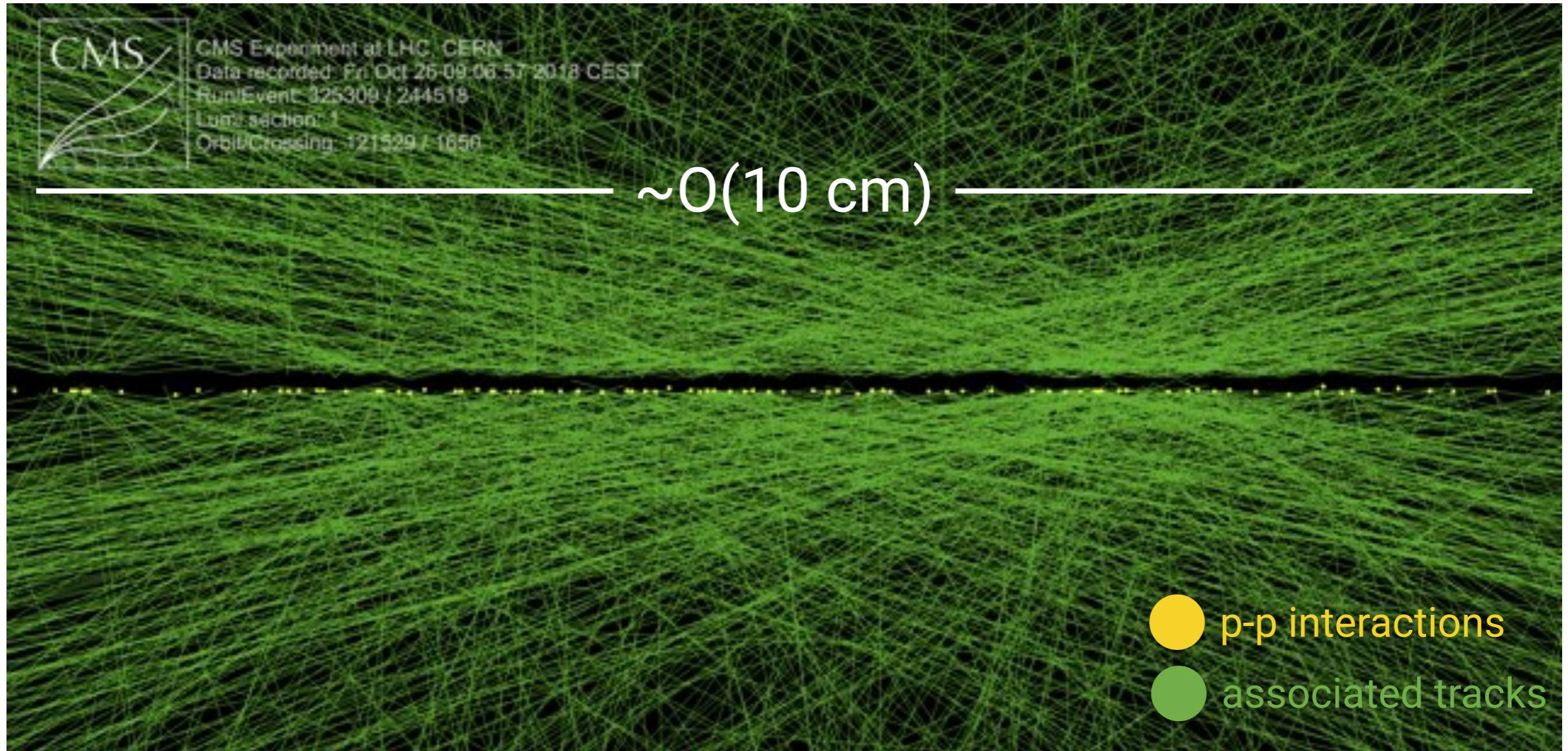
- can be calculated to higher precision than what is possible for other groomed or plain jet mass variables

Problems with softdrop

However, softdrop mass for W jets highly p_T dependent:



Pileup



Never only ~ 1 pp collision per event, but several!

Pileup

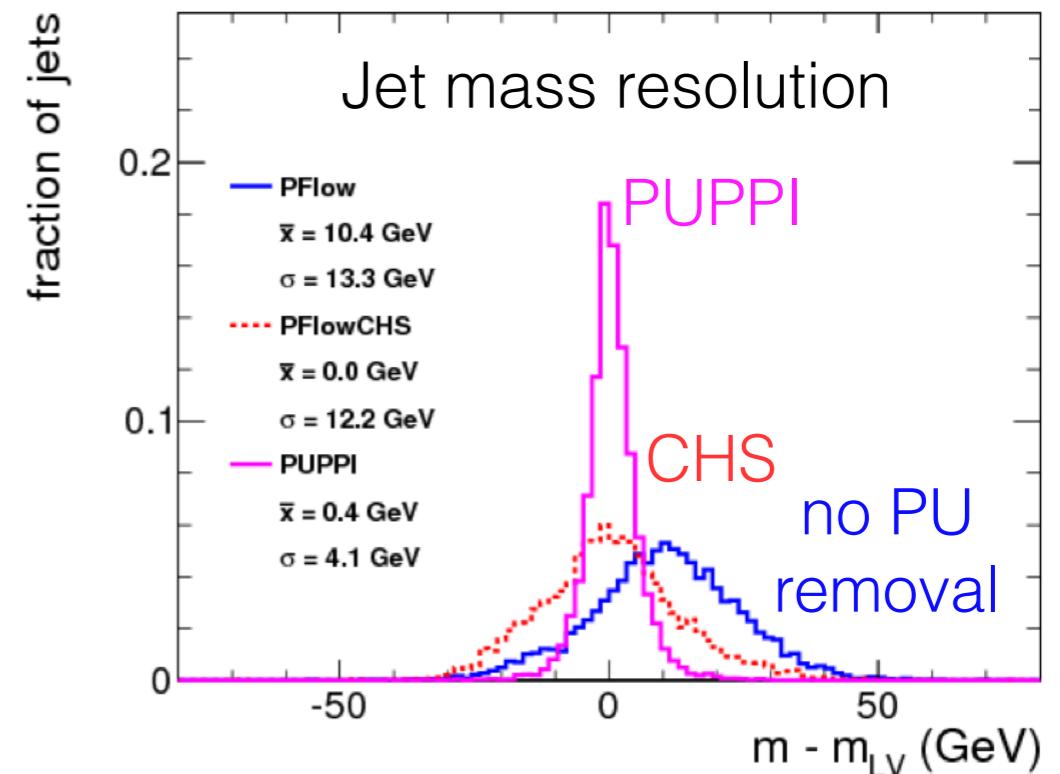
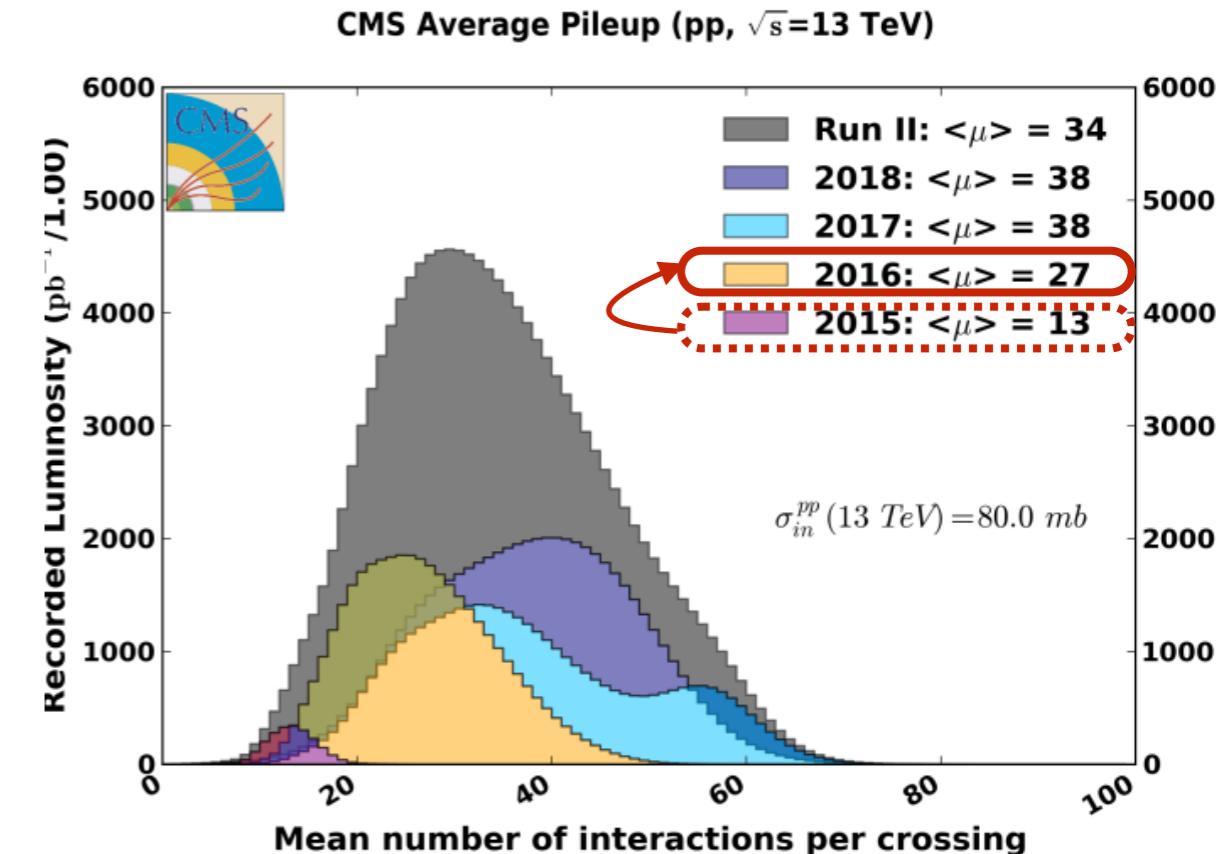
Pileup in 2016 double that of 2015!

Fortunately,
PileUp Per Particle Identification (PUPPI)

- CHS (old): remove charged particles not associated with primary vertex
- PUPPI (new): probability for ANY particle (neutral+charged) to be from pileup, reweights each accordingly

Huge resolution improvement for jet observables in large-cone jets

Tagger based on PUPPI and softdrop!



Developing a new V-tagger: Softdrop jet mass corrections

How does PUPPI softdrop look??

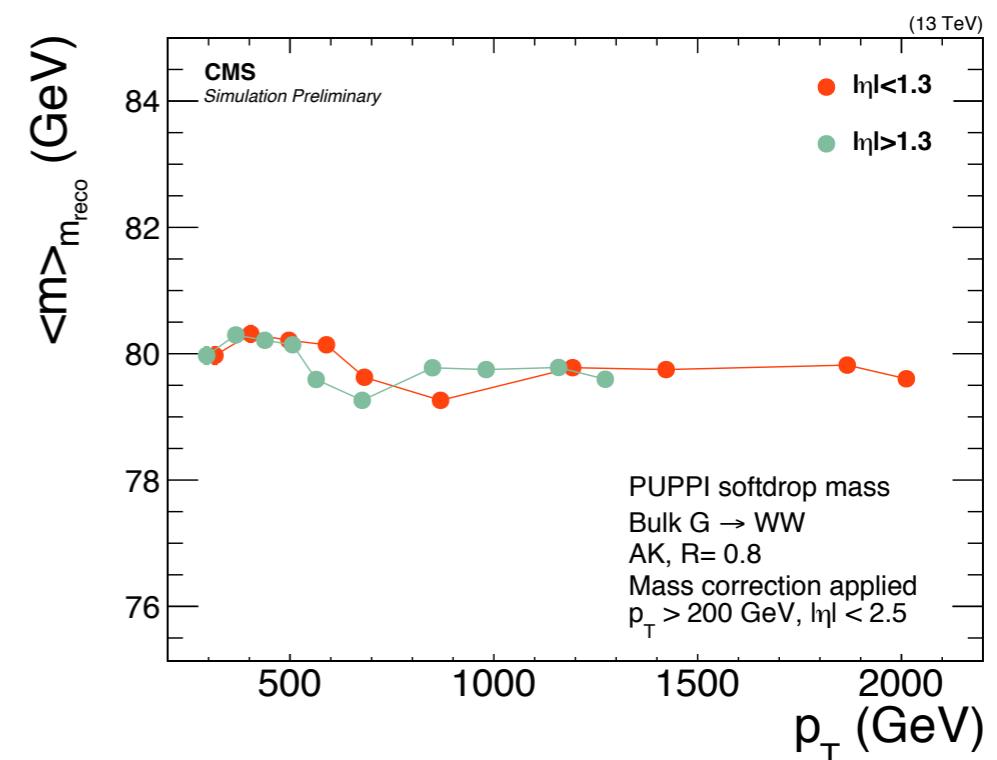
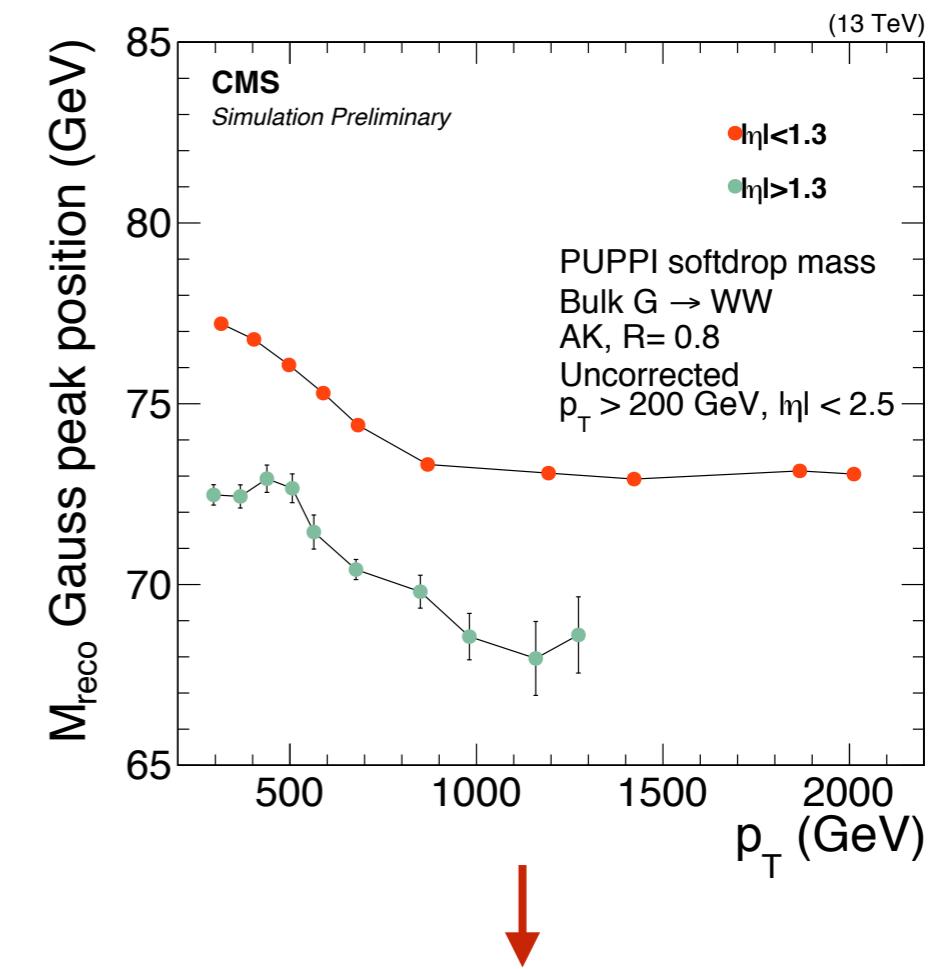
- p_T -dependence still present!

Solution: Compute dedicated PUPPI softdrop jet mass corrections!

- remove p_T/η -dependence,
shift mass to 80 GeV

Finally stable softdrop mass peak with p_T

(Aside: not a problem with softdrop algorithm, must develop dedicated softdrop jet corrections!)

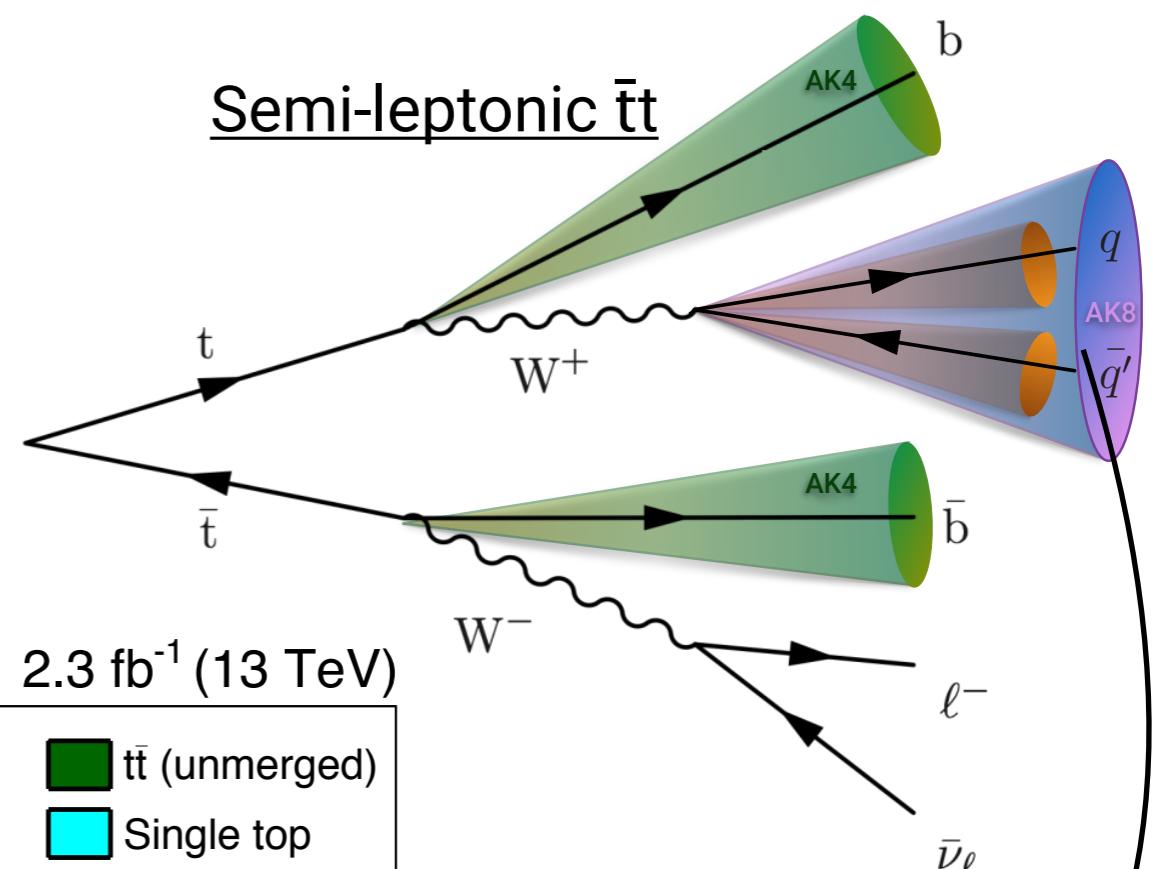
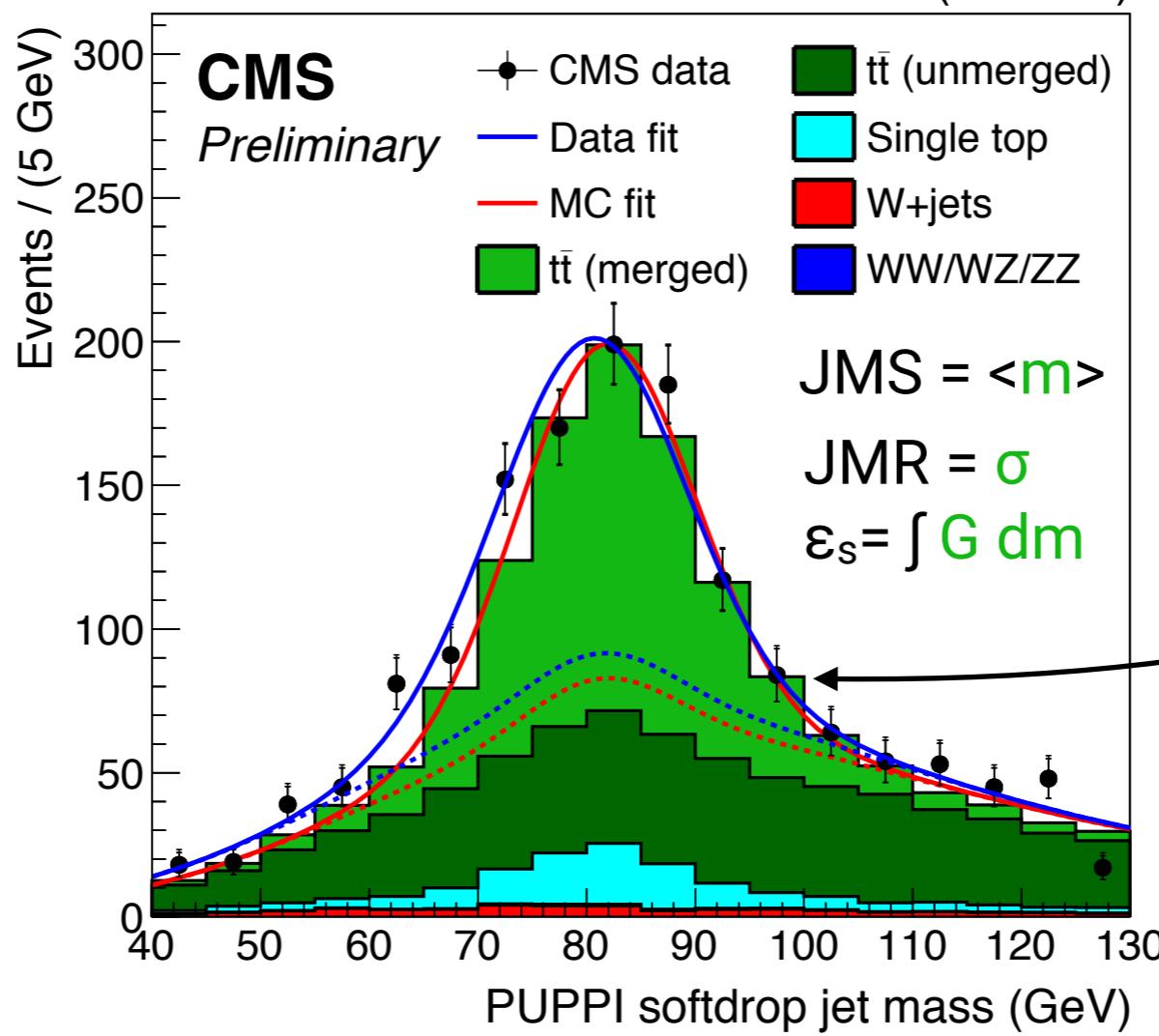


Developing a new V-tagger: Data/simulation corrections

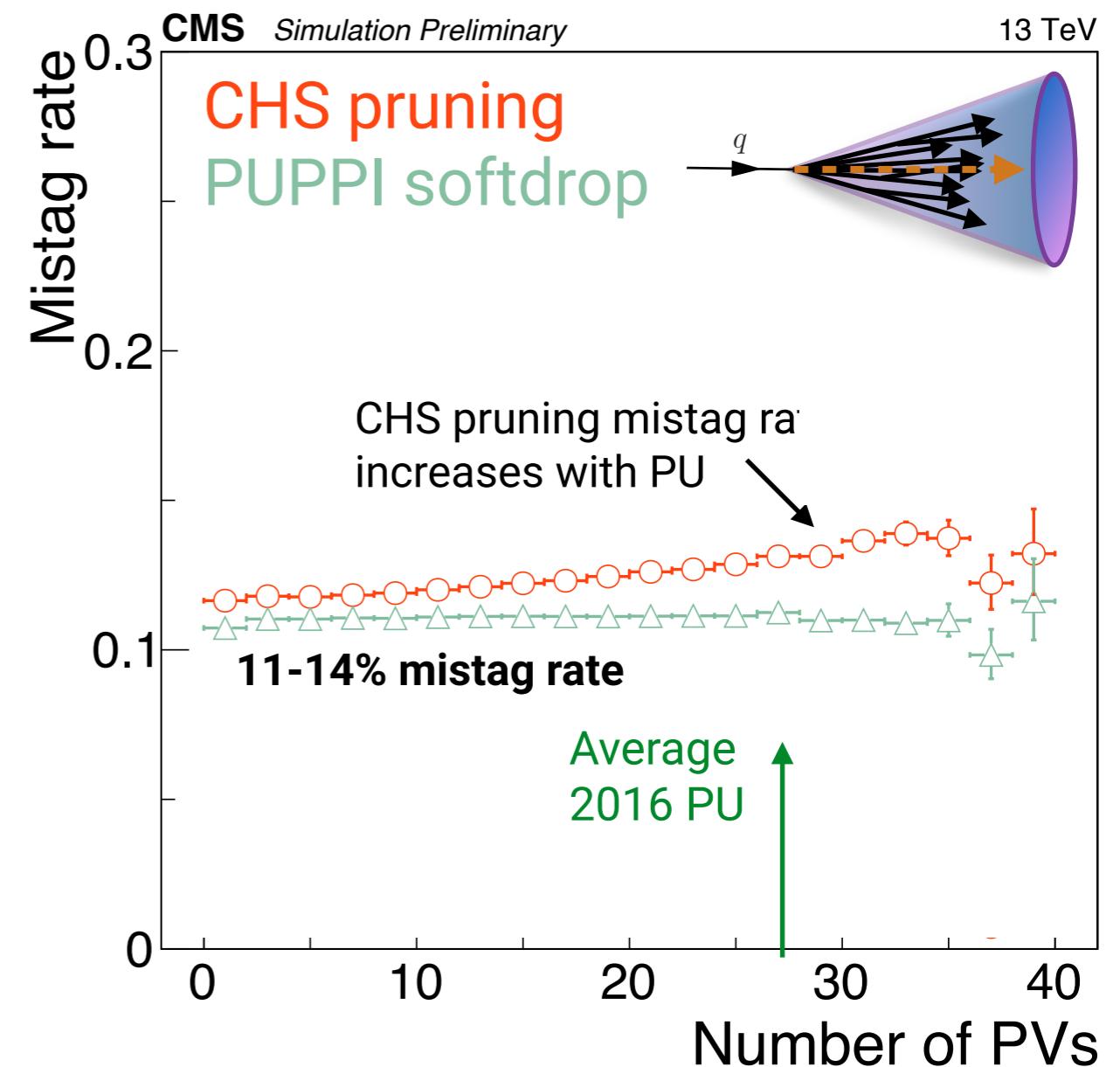
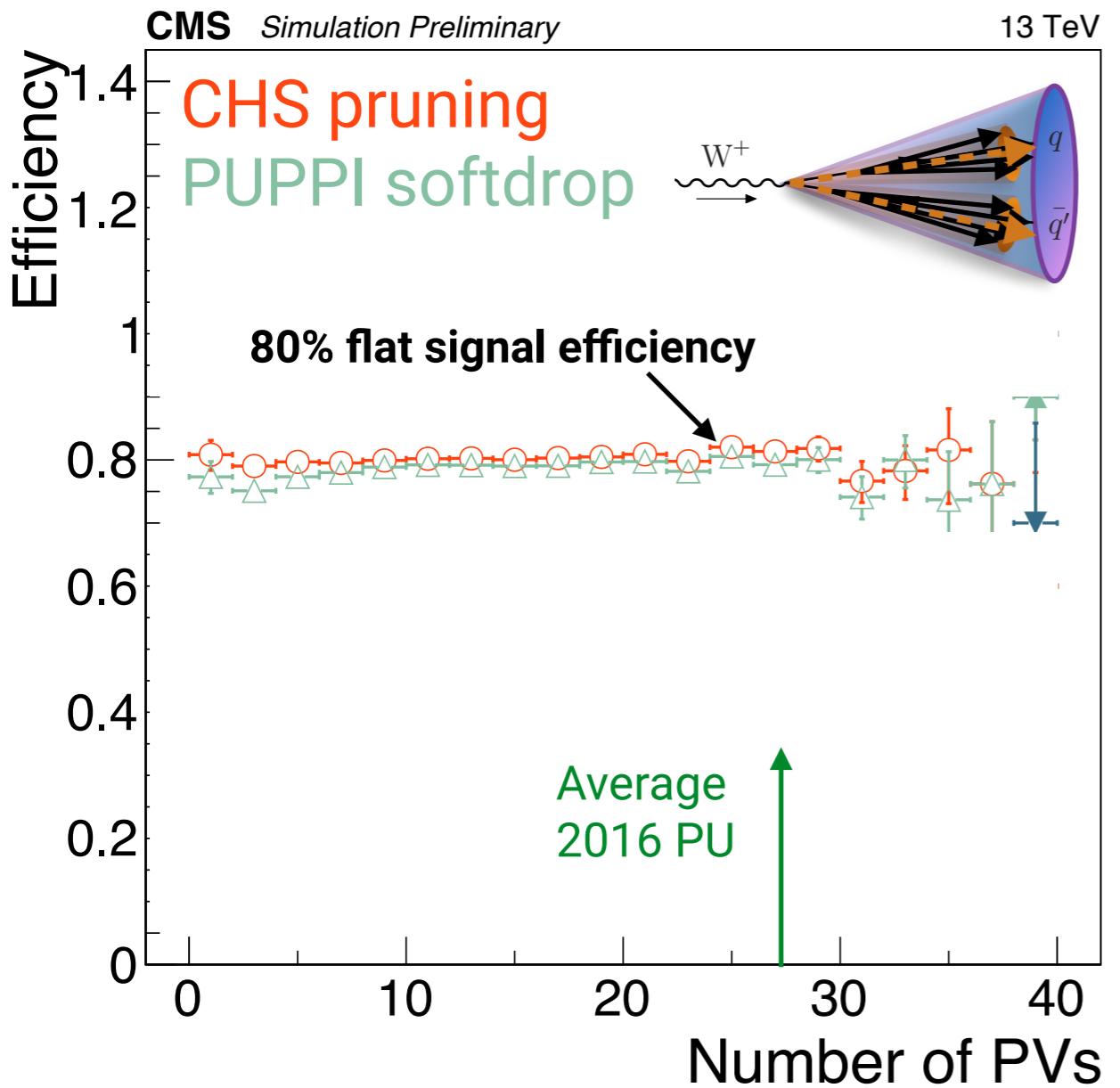
To account for inaccurate modelling in simulation

evaluate **data/MC** differences in tagging efficiency (ε_s), jet mass scale and resolution

Important!
Affects the estimated signal yield in all analyses using W-tagging!

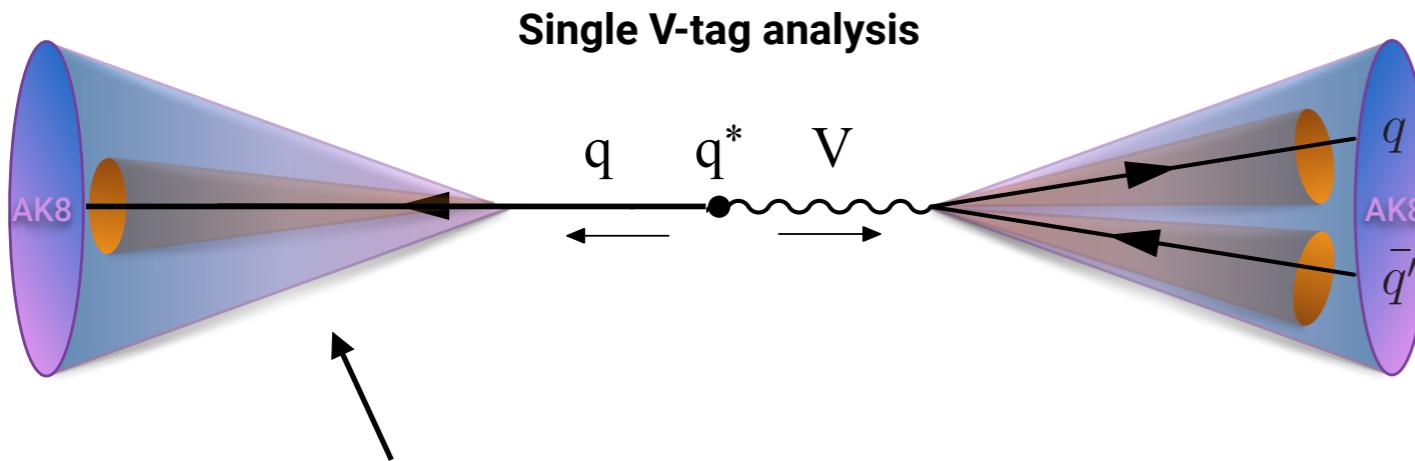
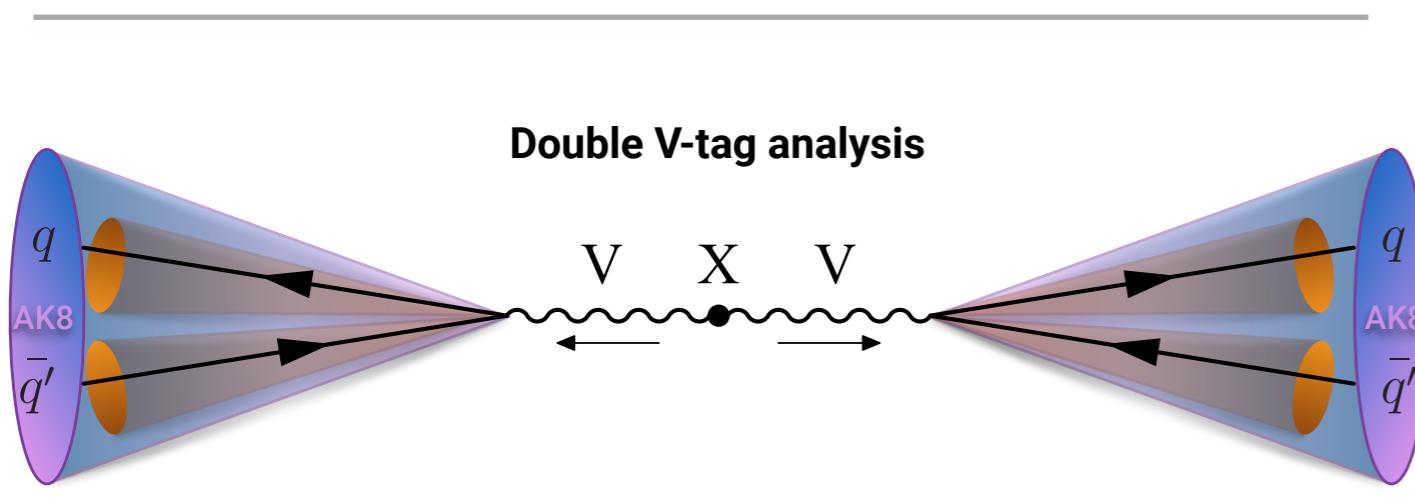


Developing a new V-tagger: Performance

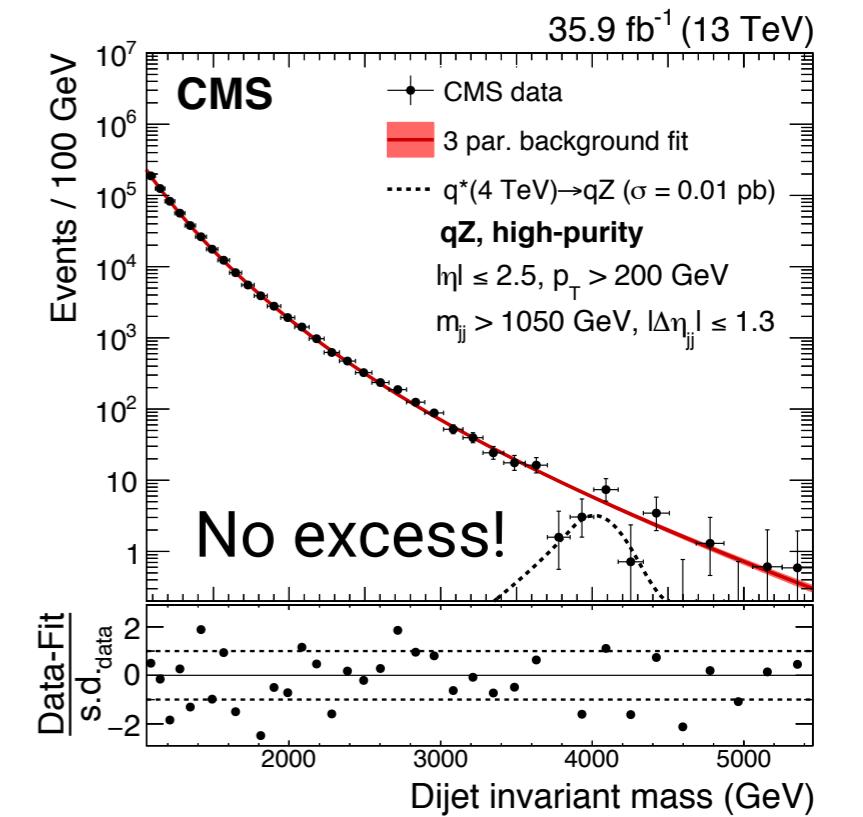
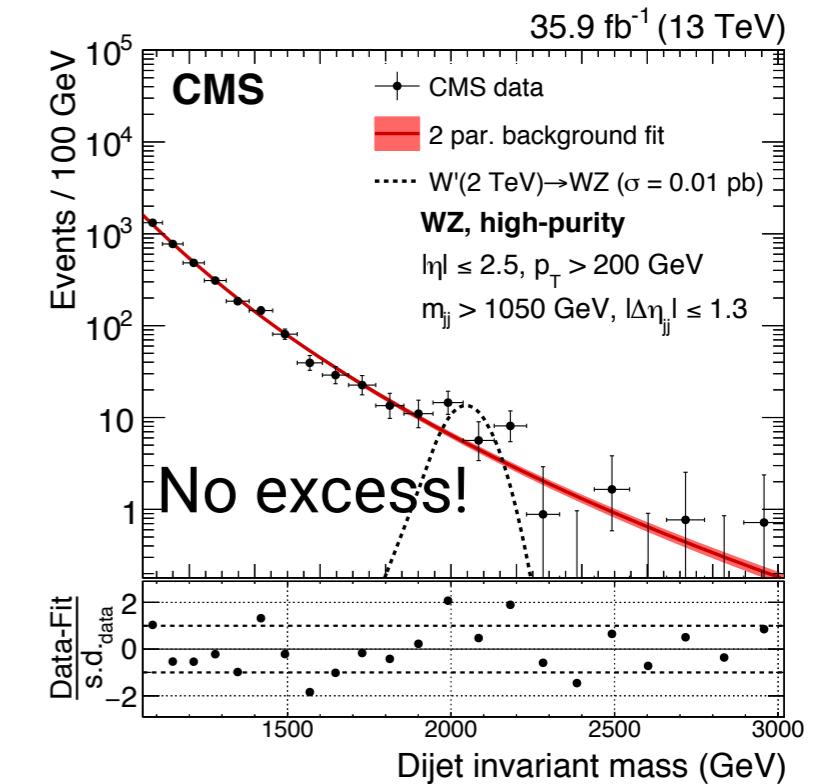


PUPPI softdrop also better performance than CHS pruning for the expected pileup in 2016.
CHS pruning 15% higher mistag rate than PUPPI softdrop!

Results



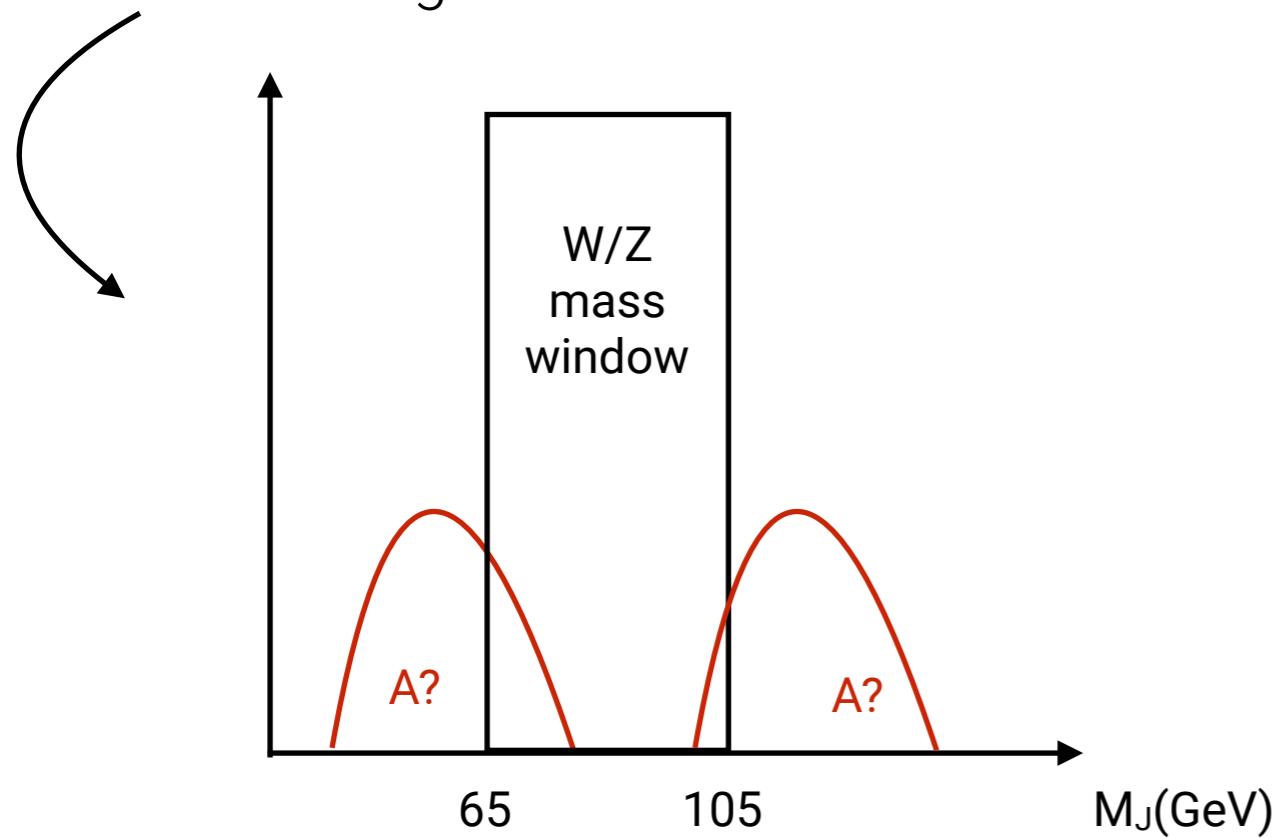
Adding search for excited quarks
decaying to qV by removing W-tag.
Never before analysed channel at 13 TeV!



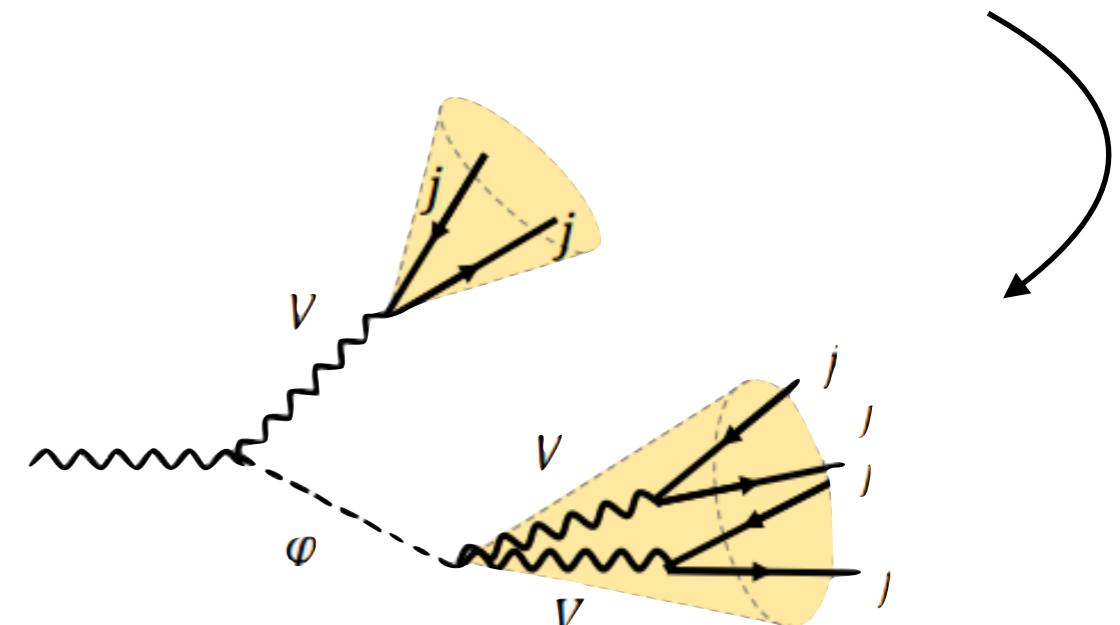
What could we be missing?

Signals could still be present in our data, but may look different!

- catching tail of other non-SM boson?



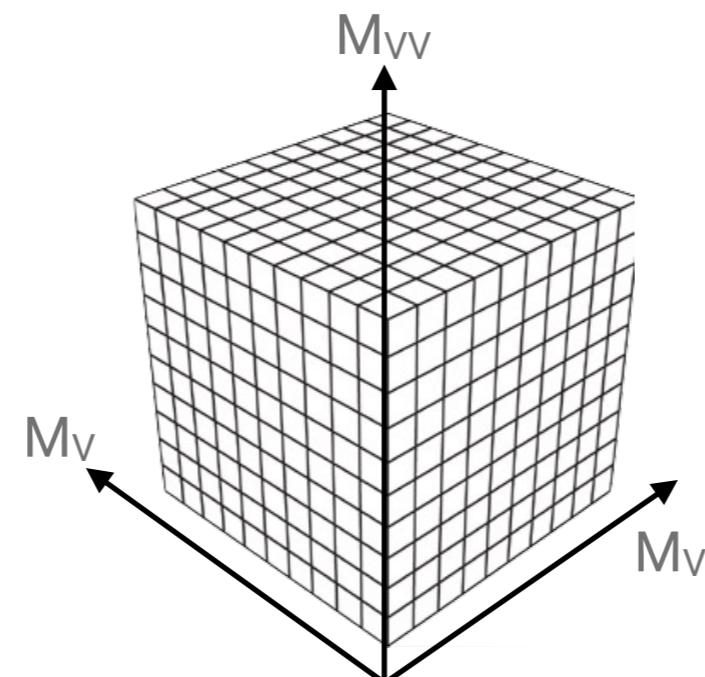
- not necessarily 2-, but N-pronged?



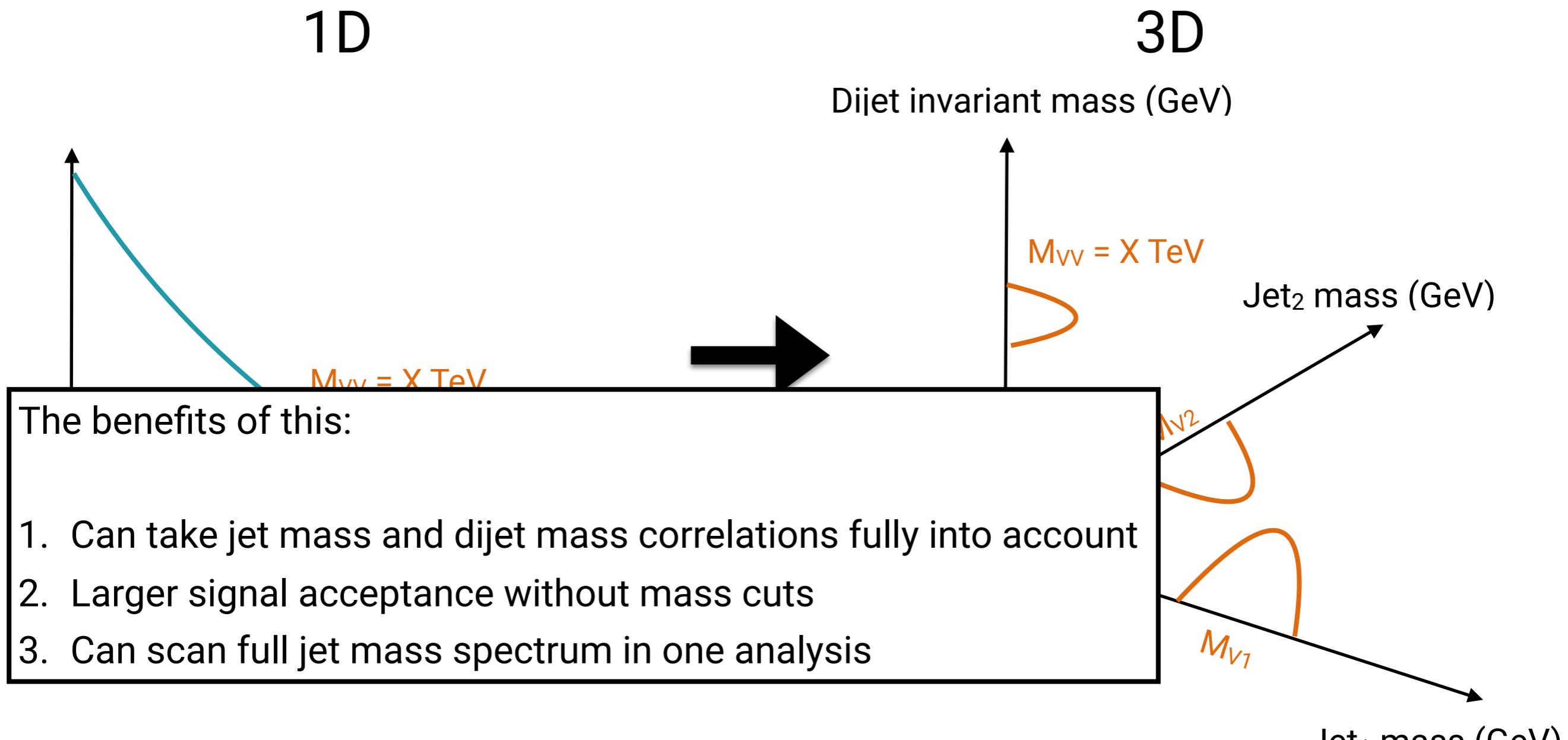
→ Idea: Lets make a **generic framework** allowing us to easily scan full jet mass and dijet invariant mass spectrum!

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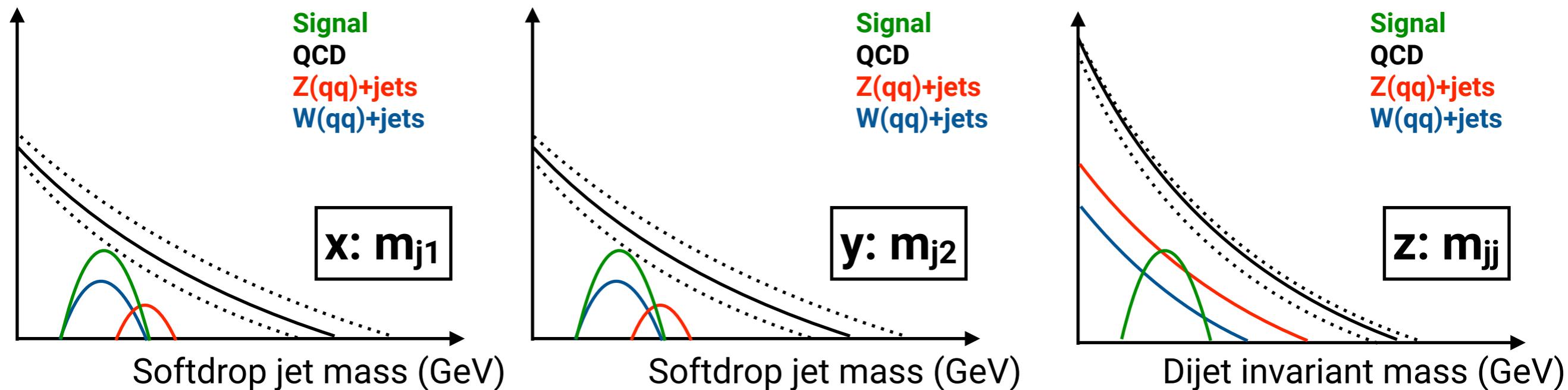
3D fit strategy



Take advantage of the fact that signal is resonant in 3D: M_V , M_V and M_{VV}

- scan $M_{V1}-M_{V2}-M_{VV}$ hyperplane!

Building PDFs



4 ingredients to full 3D model, derived from MC

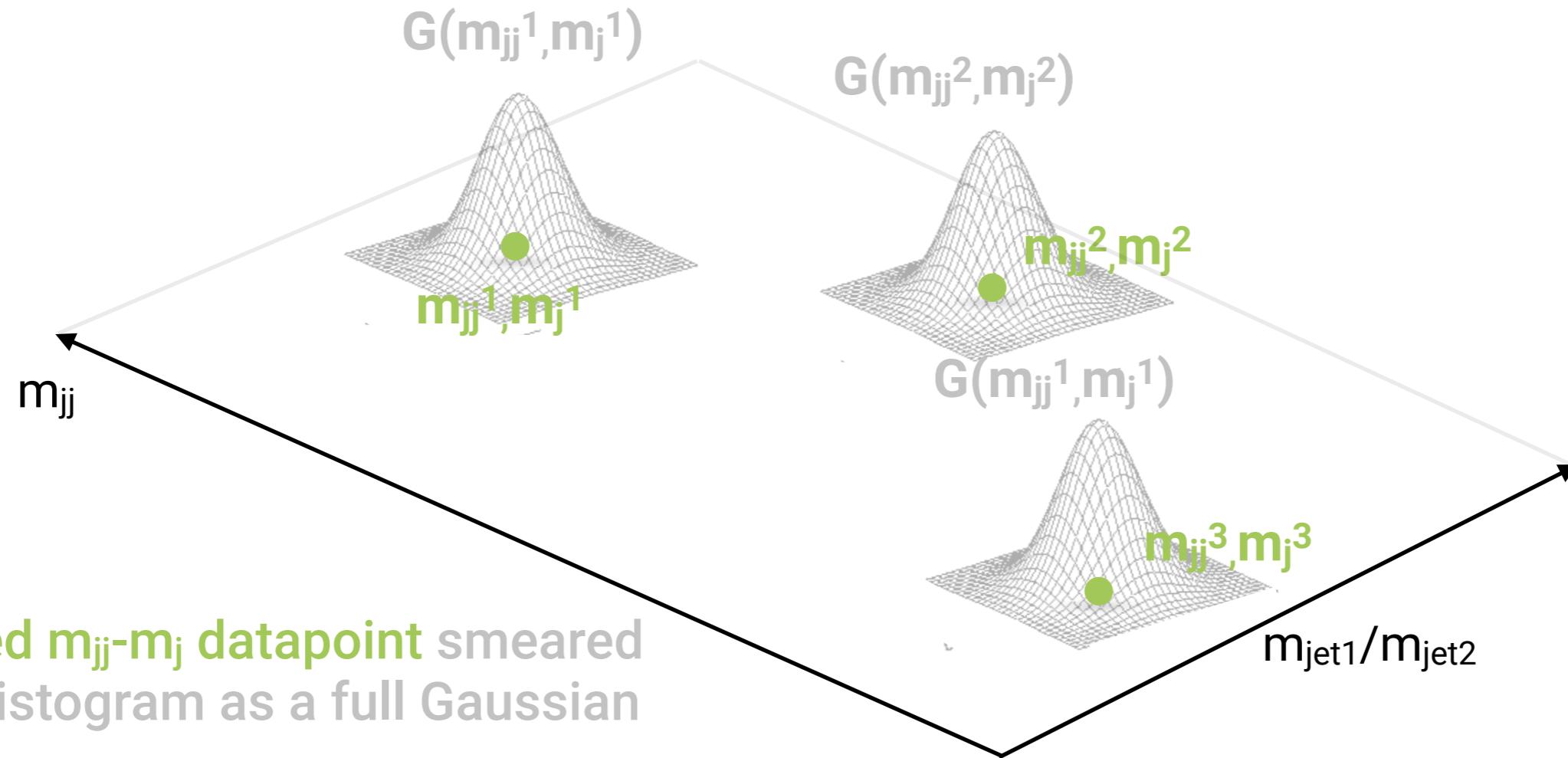
1. Signal 3D PDF
 - Resonant in x, y and z
2. Non-resonant background
 - QCD, main background
 - Non-resonant in x, y and z
3. Resonant background
 - W/Z+jets, resonant in x+y
4. Alternate PDFs
 - 5 additional shape uncertainties

Non-resonant background

Conditional PDFs to account
for m_j - m_{jj} correlations!

$$P_{NR}(m_{jj}, m_{jet1}, m_{jet2}) = P_{jj}(m_{jj} | \theta_1) \times \underset{1D \text{ histogram}}{P_j(m_{jet1} | m_{jj}, \theta_2)} \times \underset{2D \text{ histogram}}{P_j(m_{jet2} | m_{jj}, \theta_3)}$$

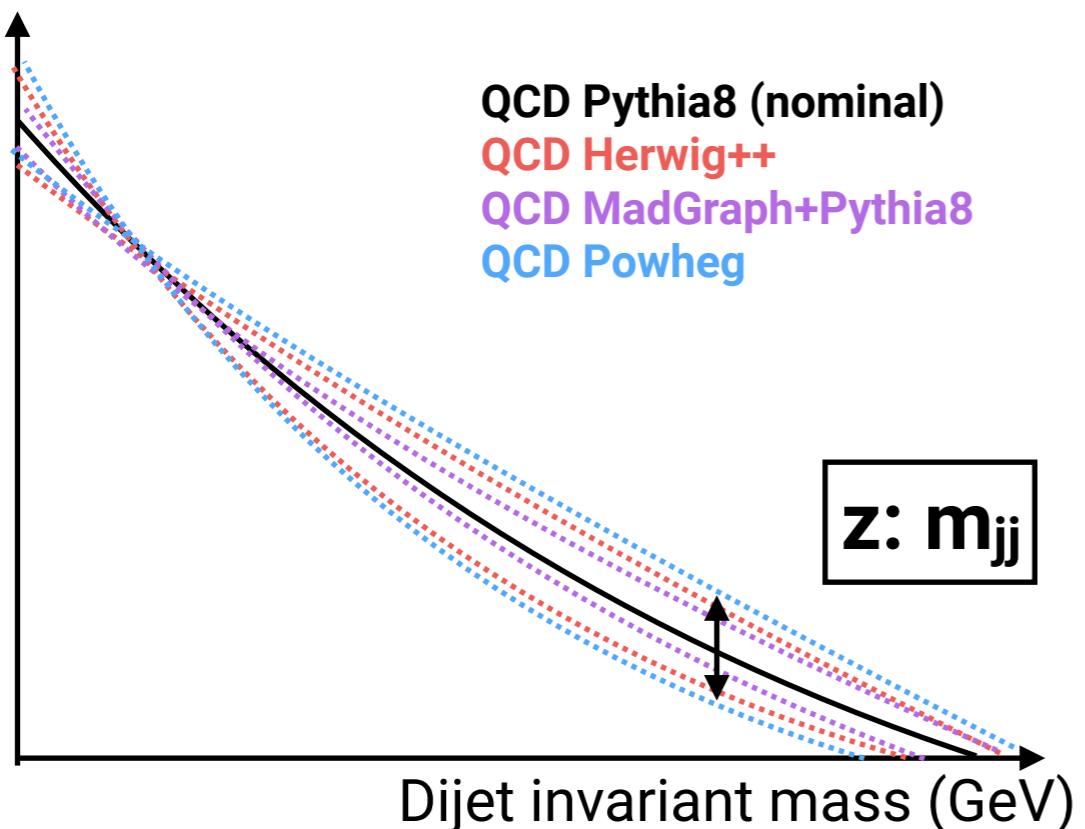
Final 3D histogram has 250k bins, how to get smooth shape from QCD MC?
→ Start from generated jet mass/ m_{jj} and use “forward smearing kernel” approach



Alternative shapes

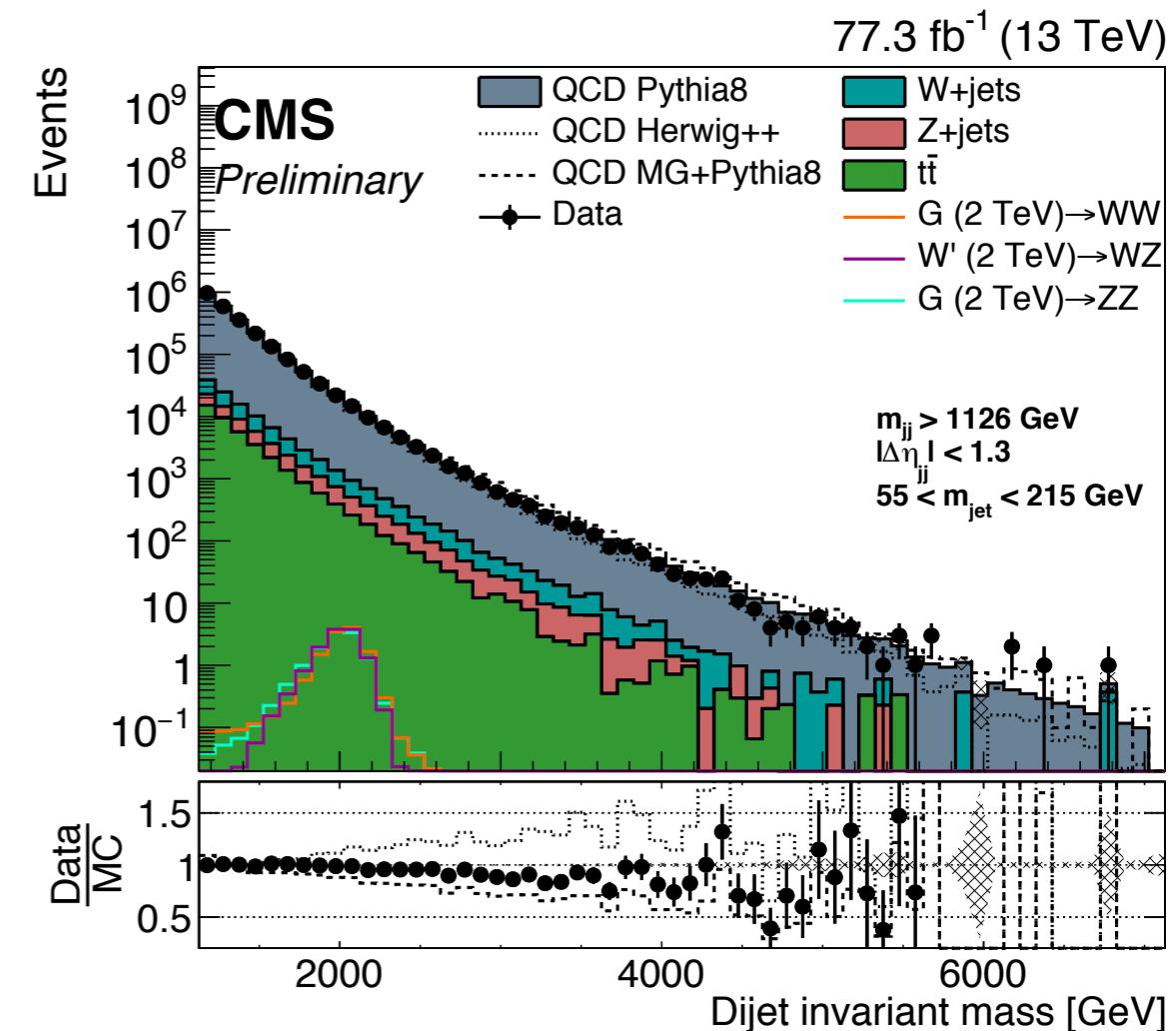
Is Nature **Herwig++**, **MadGraph** or **Pythia**?
LO(**Pythia**) or NLO (**Powheg**)?

- predictions disagree, let's allow it to be all!



Add alternate shapes based on different MC

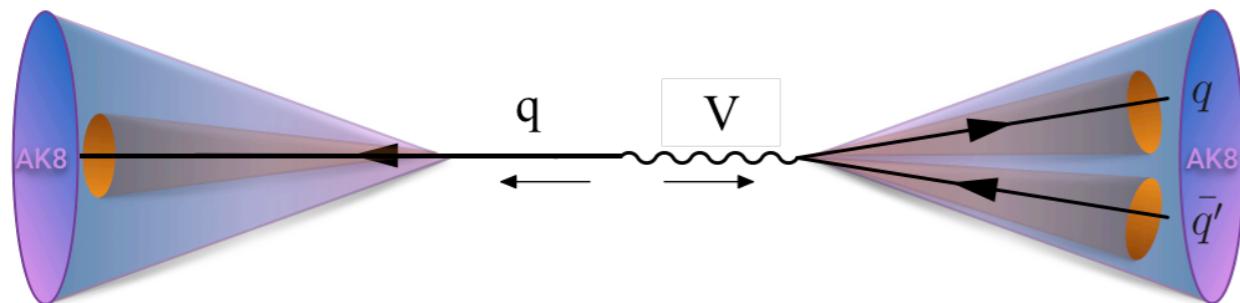
- large pre-fit uncertainties, fit can adjust to match data



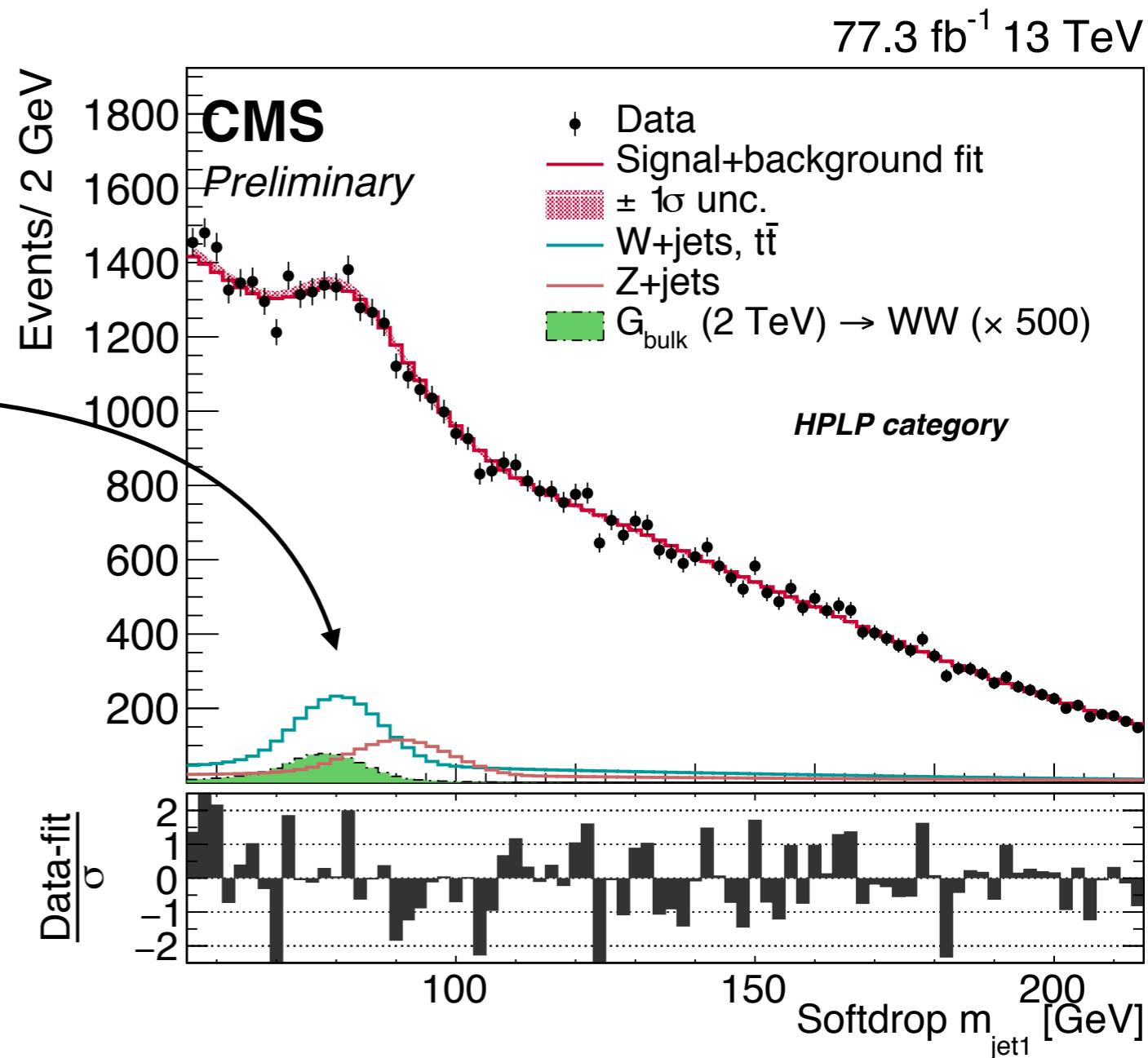
First results with 3D fit

Results first shown in public today!
(to be presented at Moriond next week)

First measurement of boosted
W/Z(qq)+jets in diboson searches!



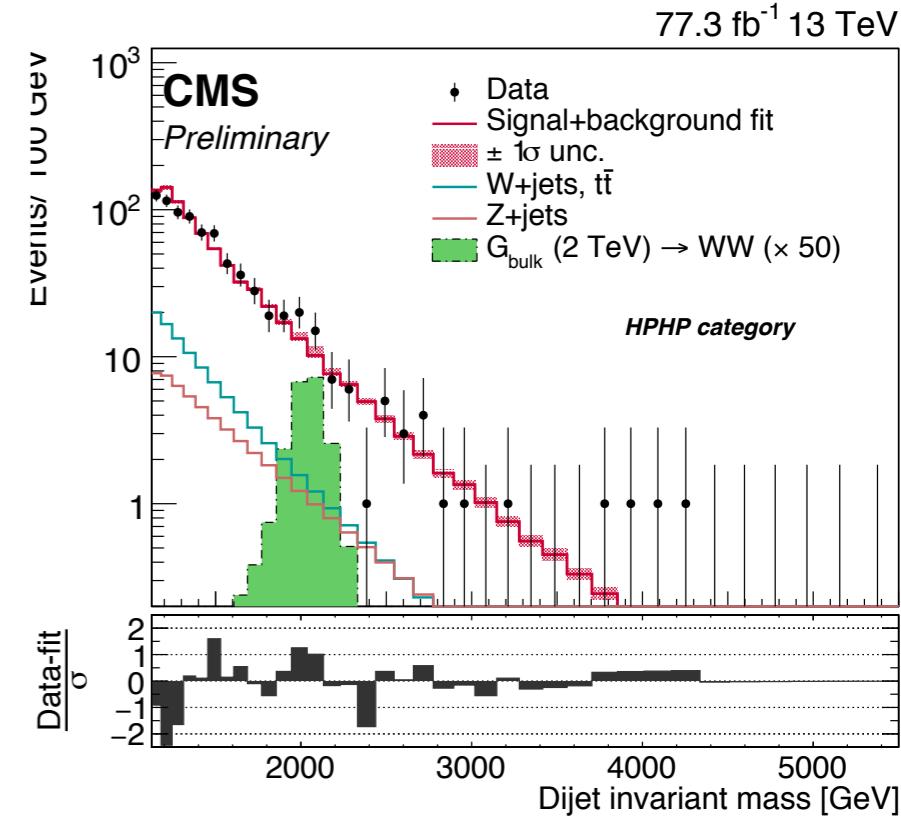
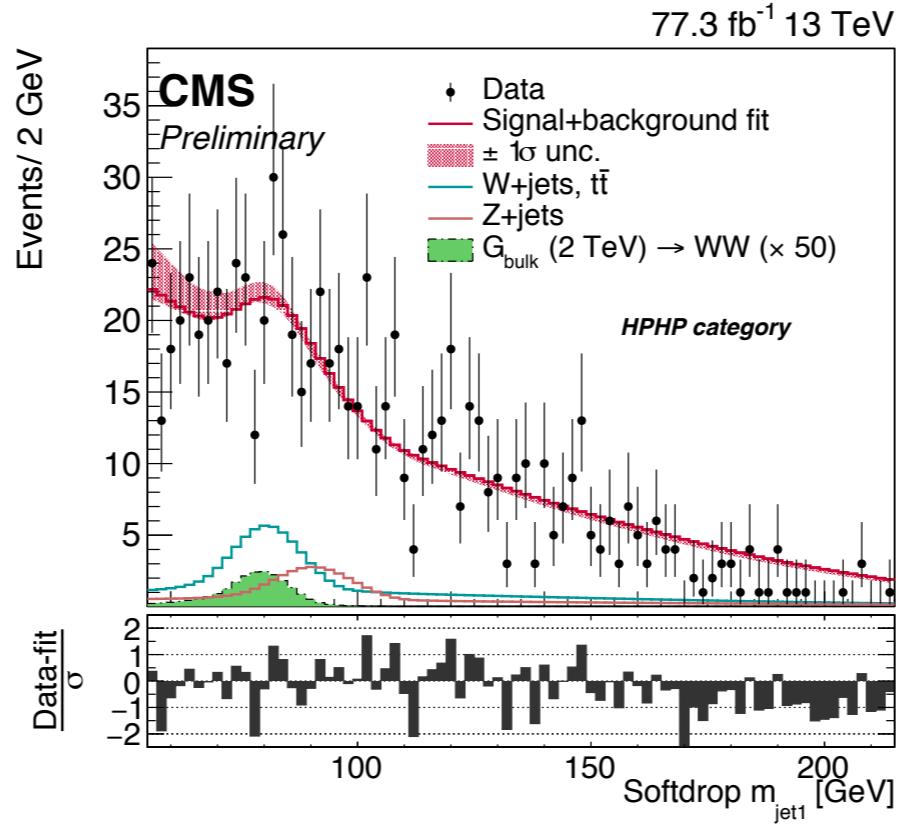
- improves sensitivity to m_X , constrain signal systematic uncertainties (mass scale, resolution, tag eff. etc.)



First results with 3D fit

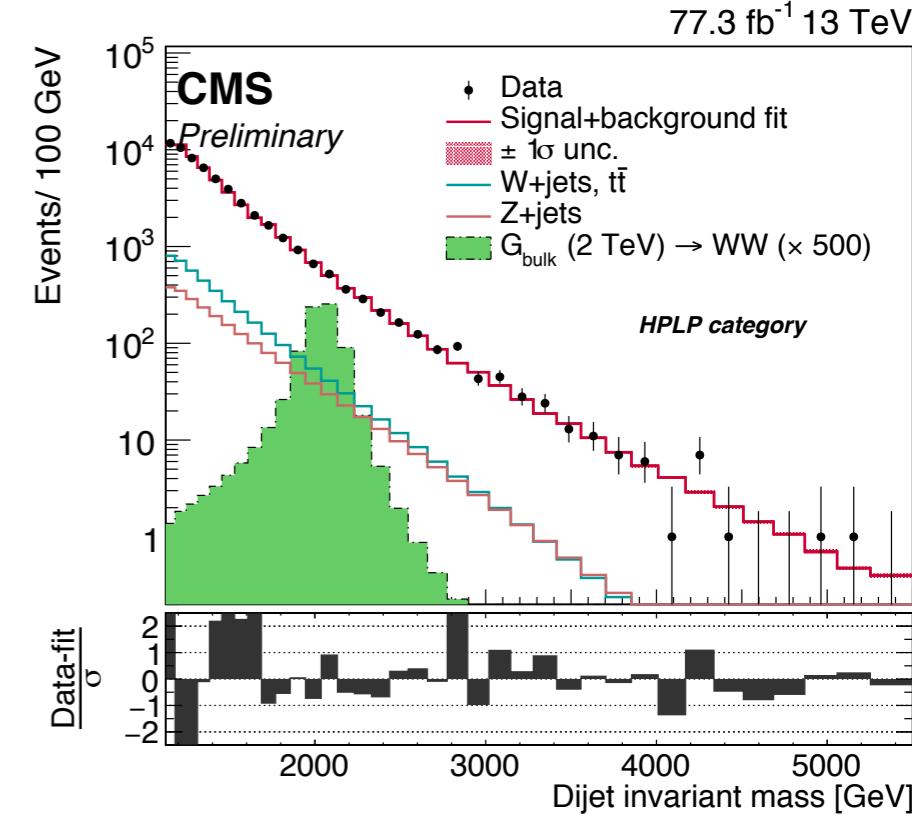
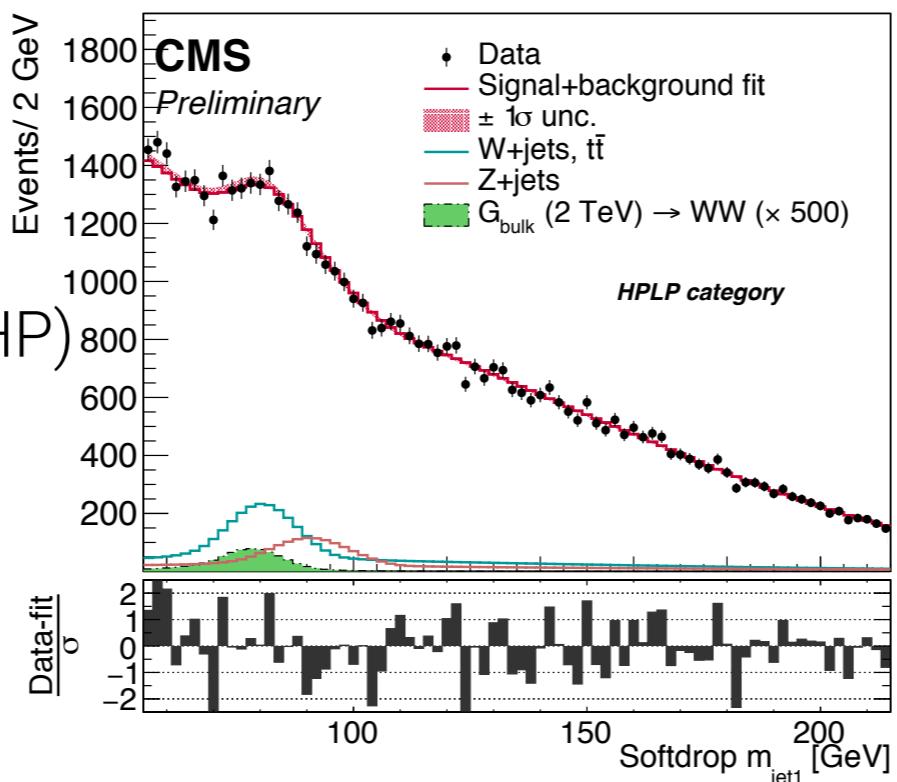
High-purity category

- best signal/background

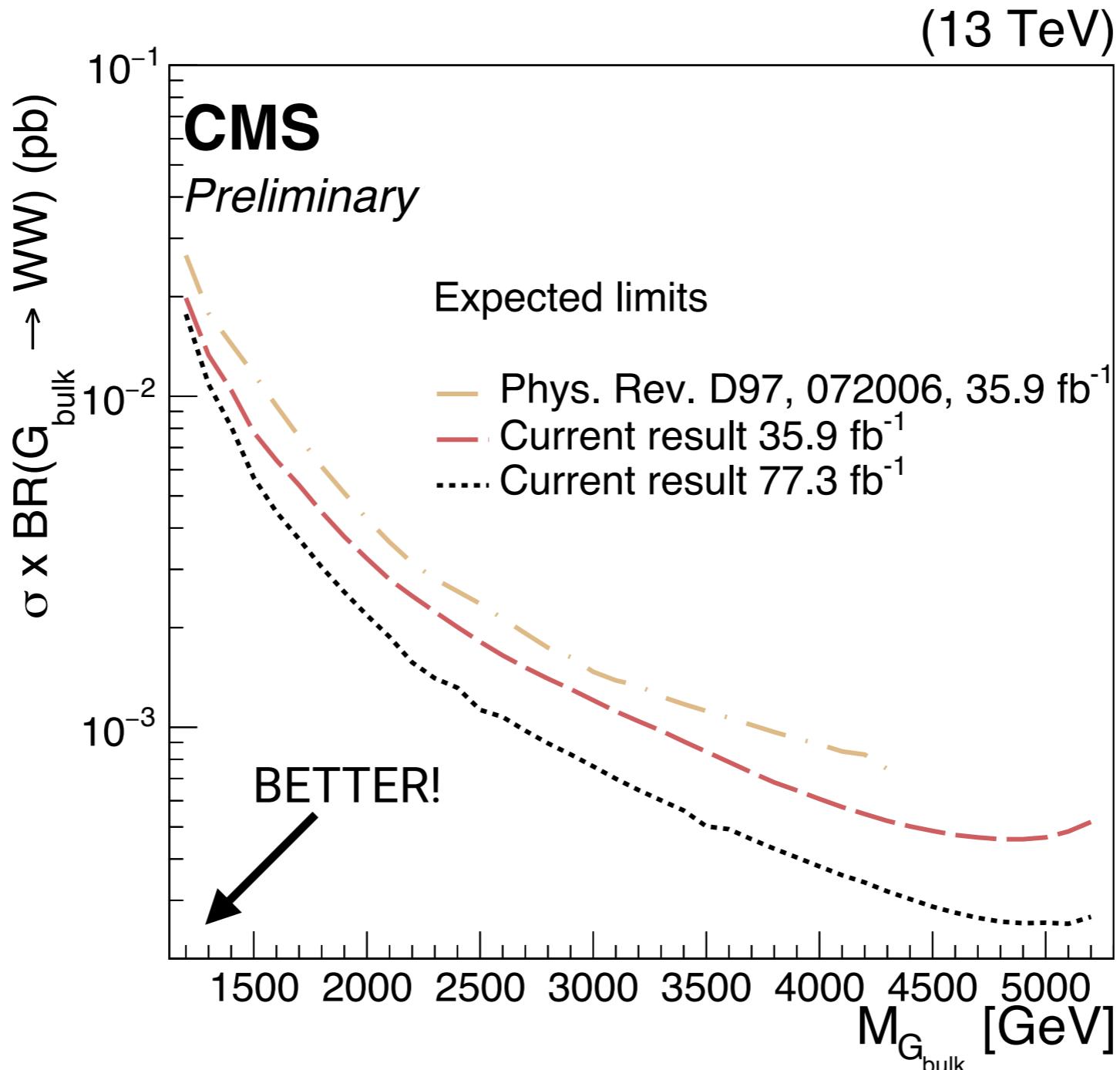


Low-purity category

- high statistics, constrains HP)

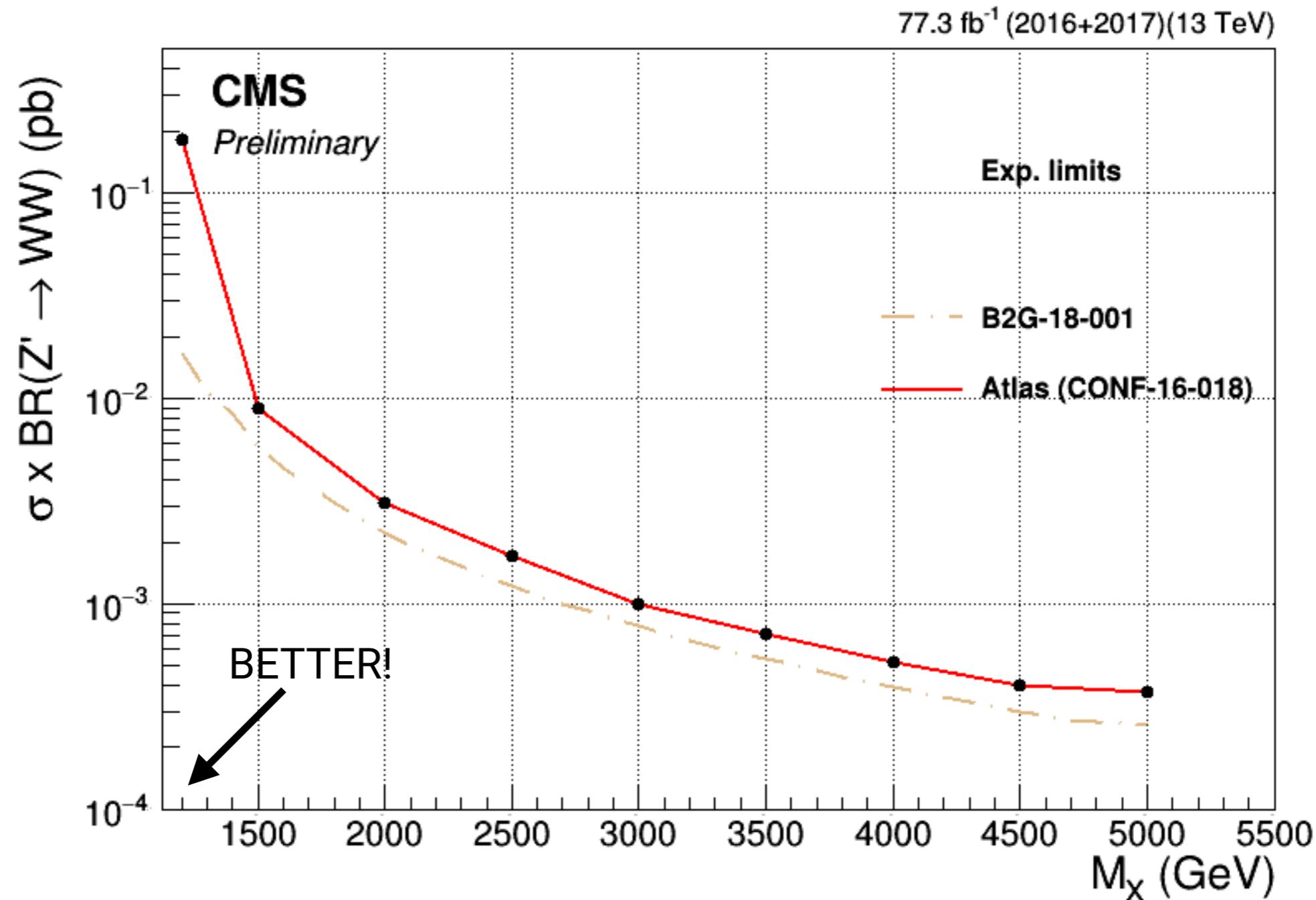


Comparison to old method



3D fit method yields 20-30% improvement with respect to 1D search!
Adding 2017 data yields ~40% performance improvement

Comparison to ATLAS

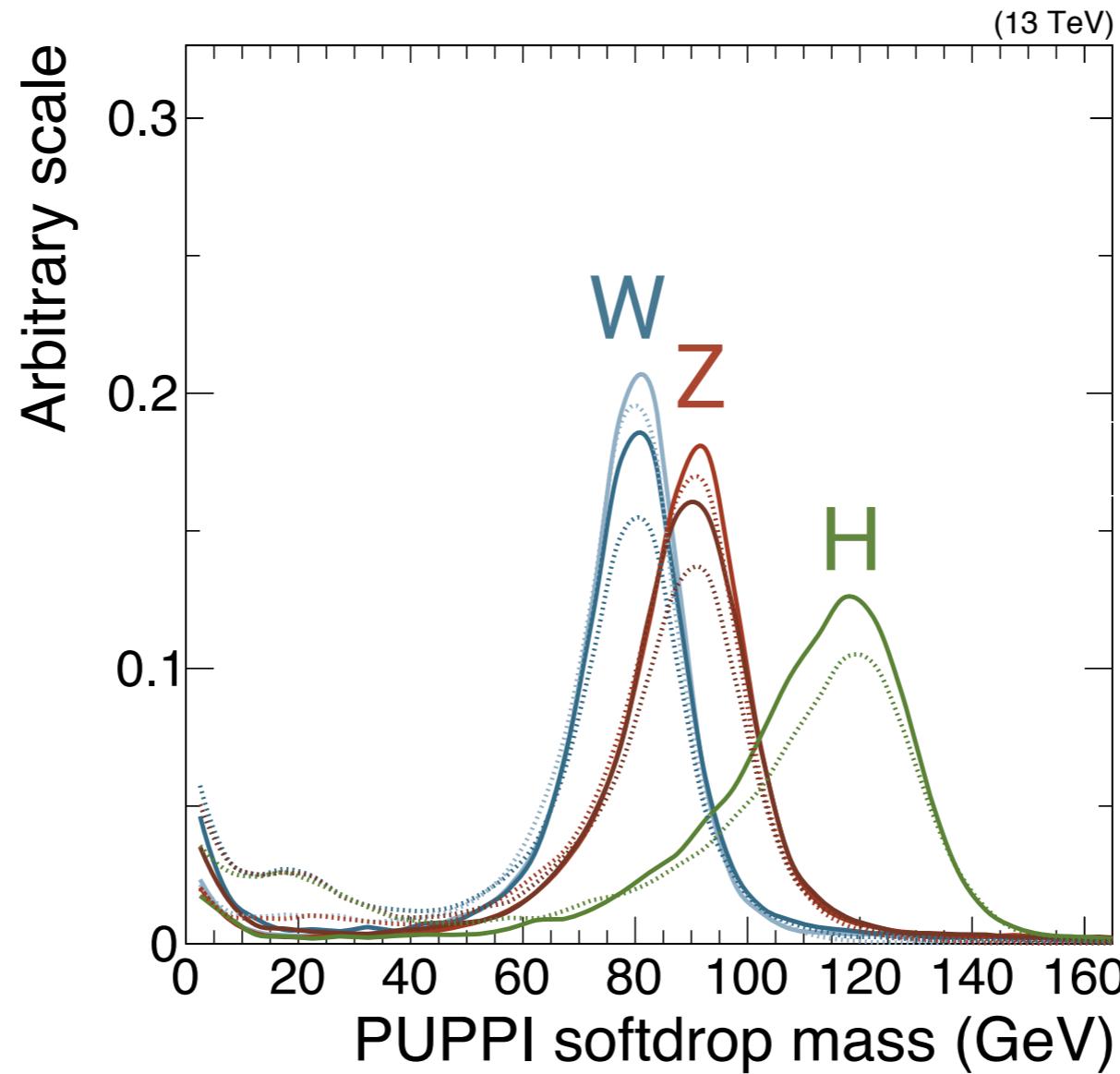
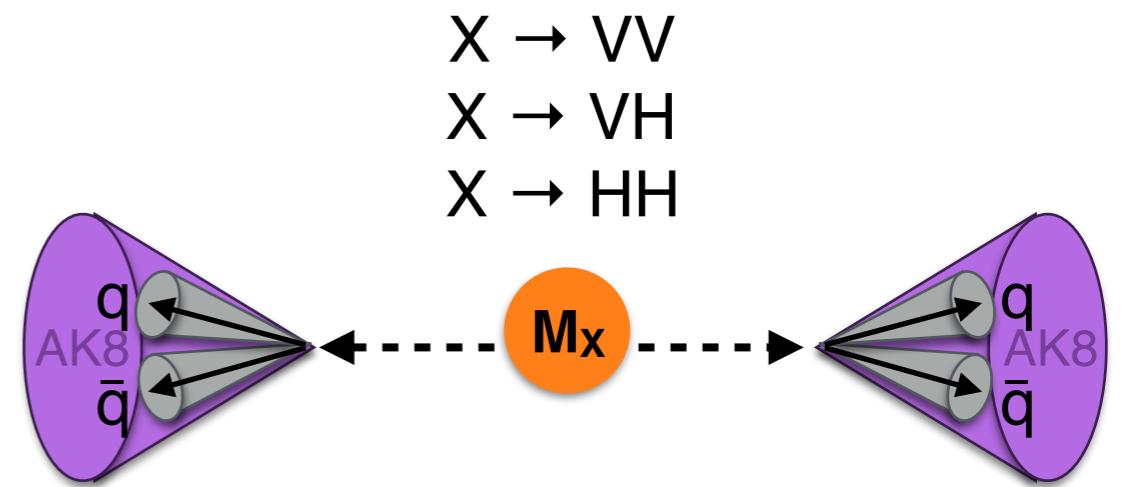


Up to 35% better than ATLAS equivalent search!

Next steps

For full 13 TeV dataset of 150 fb^{-1} :

VV, VH(bb) + HH in one single analysis!



Future plans

Going further, important to improve analysis sensitivity as no more C-O-M energy increase (after 14 TeV)

- need better taggers

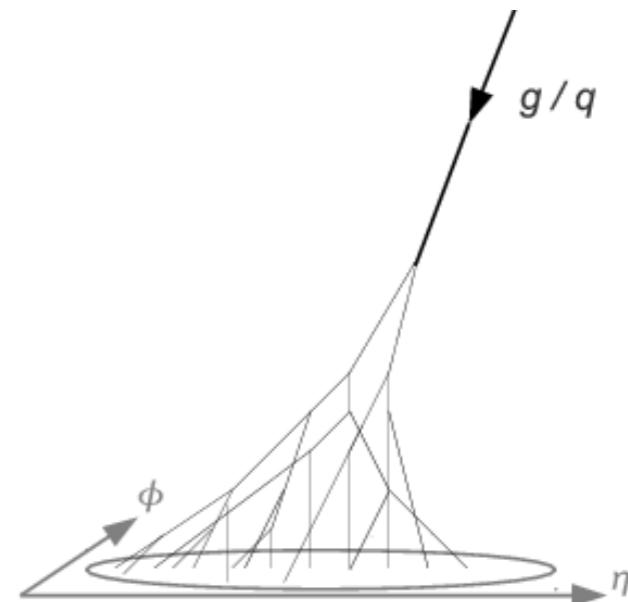
→ Deep Neural Networks!

So far, assume 2-prong signals and discriminate from background using τ_{21}

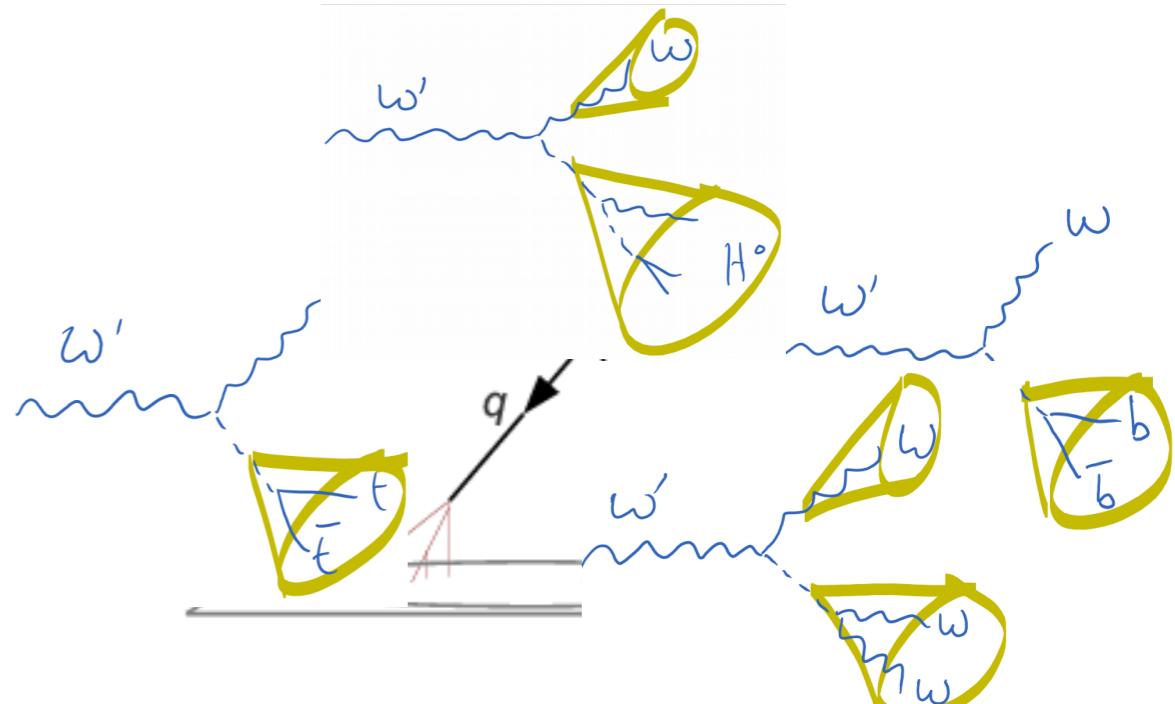
- how to stay model-independent to look for any signal?
- need tagger that “knows” what substructure looks like

→ Deep Neural Networks!

quark/gluon jet



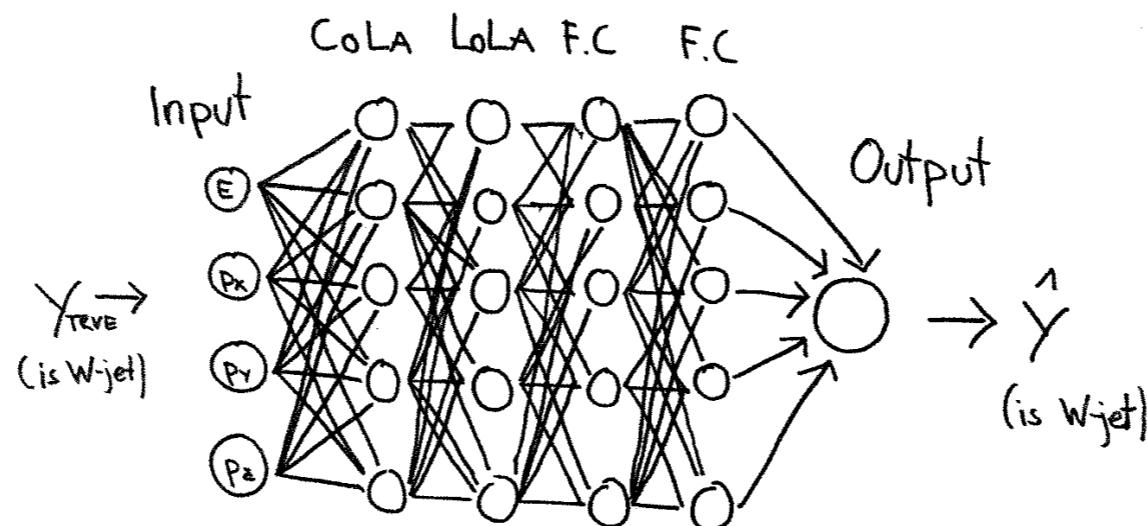
vs.



any W -jet?

Thesis work: Diboson resonance searches at 13 TeV with CMS

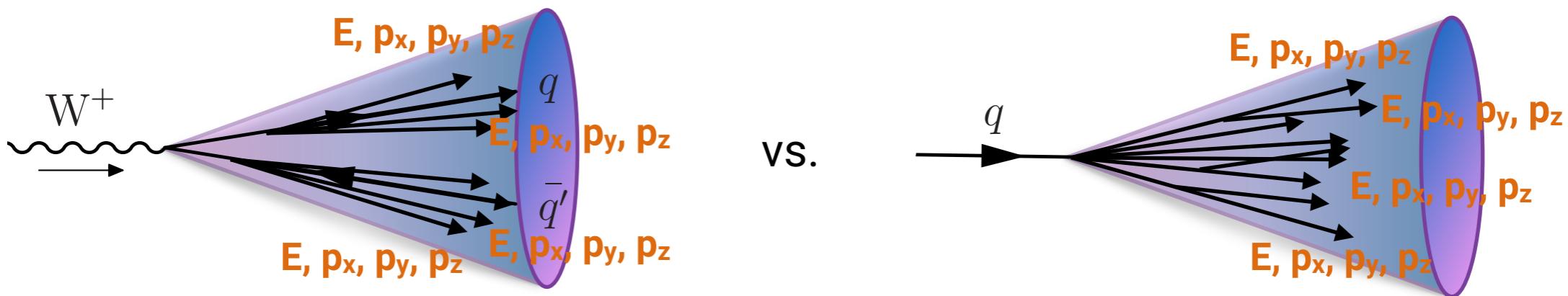
- I : First search for diboson resonances at 13 TeV
- II : A new pileup-resistant, perturbative robust tagger
- III: A novel framework for multi-dimensional searches
- IV: Encoding jet substructure with a deep neural network



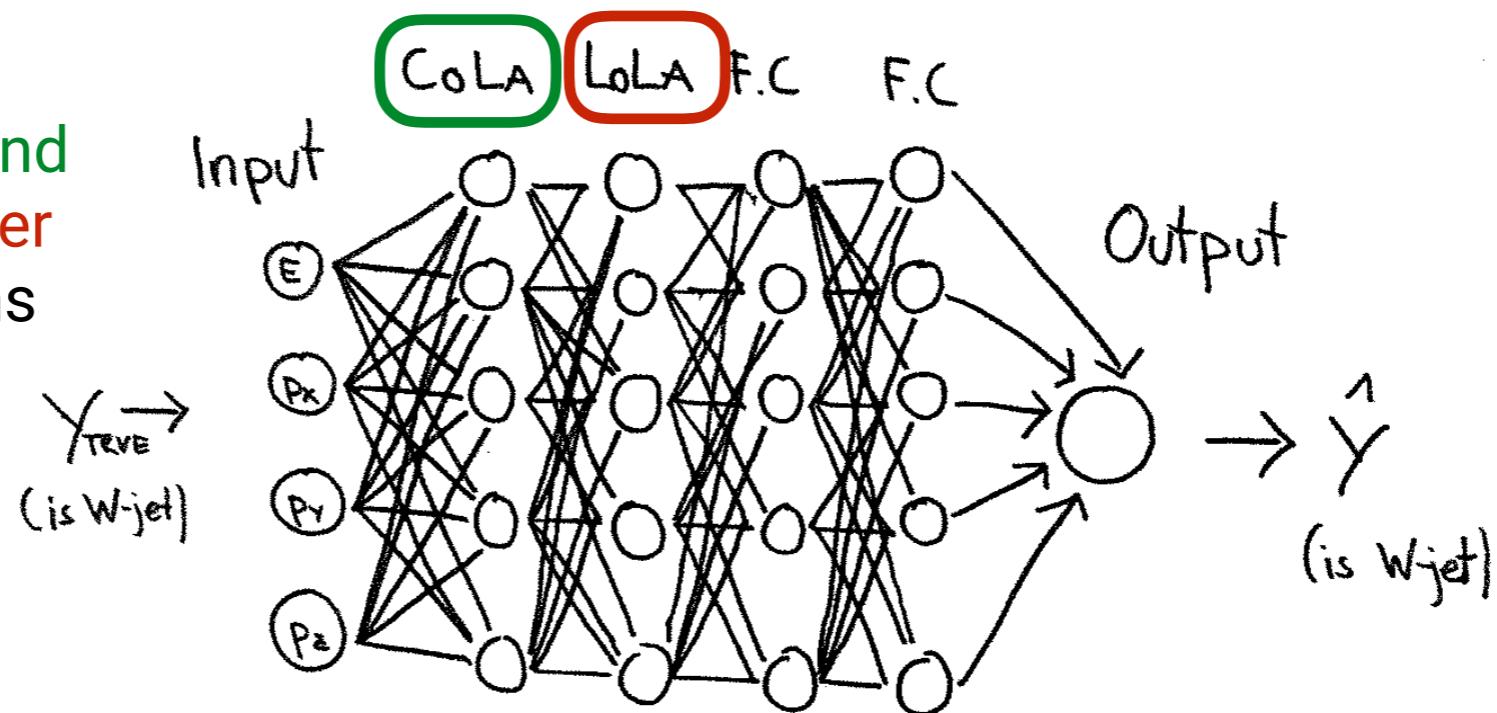
LoLa: DNN for W-tagging

Physics-based deep neural network to discriminate q/g from W jets
(introduced for top tagging by G. Kasieczka et. Al)

- only inputs are jet constituent 4-vectors!



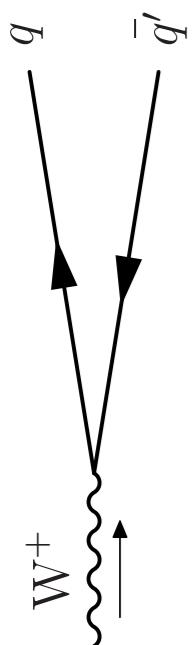
Jet clustering layer and
Minkowski space layer
ensure network learns
substructure!



Custom layers

Input:

$$\begin{pmatrix} E^1 & E^2 \\ p_x^1 & p_x^2 \\ p_y^1 & p_y^1 \\ p_z^1 & p_z^2 \end{pmatrix}$$



E.g for 2 particles
(in reality 40)

Custom layers

5 (#CoLa) x 7 (#LoLa) matrix!

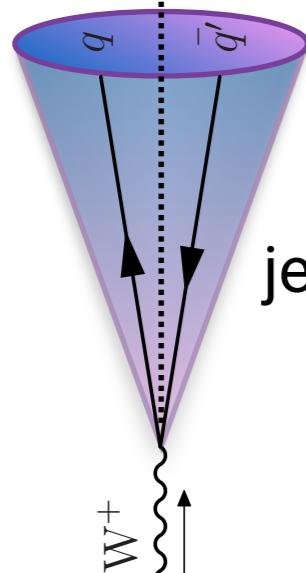
CoLa output:

$E^1 + E^2$	E^1	E^2	$w_{1,4}E^1 + w_{2,4}E^2$	$w_{1,5}E^1 + w_{2,5}E^2$
$p_x^1 + p_x^2$	p_x^1	p_x^2	$w_{1,4}p_x^1 + w_{2,4}p_x^2$	$w_{1,5}p_x^1 + w_{2,5}p_x^2$
$p_y^1 + p_y^2$	p_y^1	p_y^2	$w_{1,4}p_y^1 + w_{2,4}p_y^2$	$w_{1,5}p_y^1 + w_{2,5}p_y^2$
$p_z^1 + p_z^2$	p_z^1	p_z^2	$w_{1,4}p_z^1 + w_{2,4}p_z^2$	$w_{1,5}p_z^1 + w_{2,5}p_z^2$



For each CoLa column, calculate 7 LoLa quantities:

$$d^2(x_{\mu,i}^C, x_{\mu,j}^C) = (x_{\mu,i}^C - x_{\mu,j}^C)_\nu g^{\mu\nu} (x_{\mu,i}^C - x_{\mu,j}^C)_\nu$$

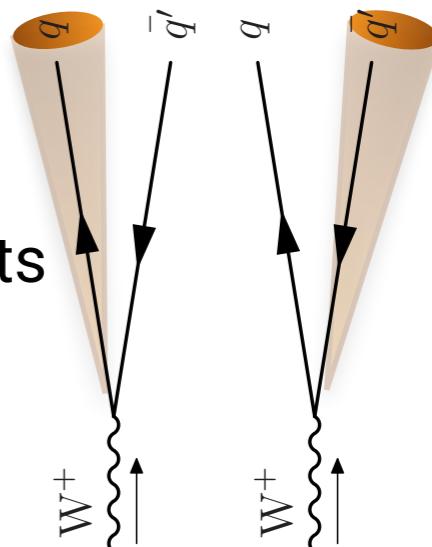


jet axis - constituents
“ τ_1 ”-like!

Minkowski metric!



subjets - constituents
“ τ_2 ”-like!



Lorentz Layer:

$$\begin{aligned} m^2(x_{\mu,i}^C) &= g^{\mu\nu} x_{\mu,i}^C x_{\nu,i}^C \\ p_T(x_{\mu,i}^C) & \\ w_{ij}^E E(x_{\mu,j}^C) & \\ w_{ij}^{s1} \sum d^2(x_{\mu,i}^C, x_{\mu,j}^C) & \\ w_{ij}^{s2} \sum d^2(x_{\mu,i}^C, x_{\mu,j}^C) & \\ w_{ij}^{m1} \min d^2(x_{\mu,i}^C, x_{\mu,j}^C) & \\ w_{ij}^{m2} \min d^2(x_{\mu,i}^C, x_{\mu,j}^C) & \end{aligned}$$

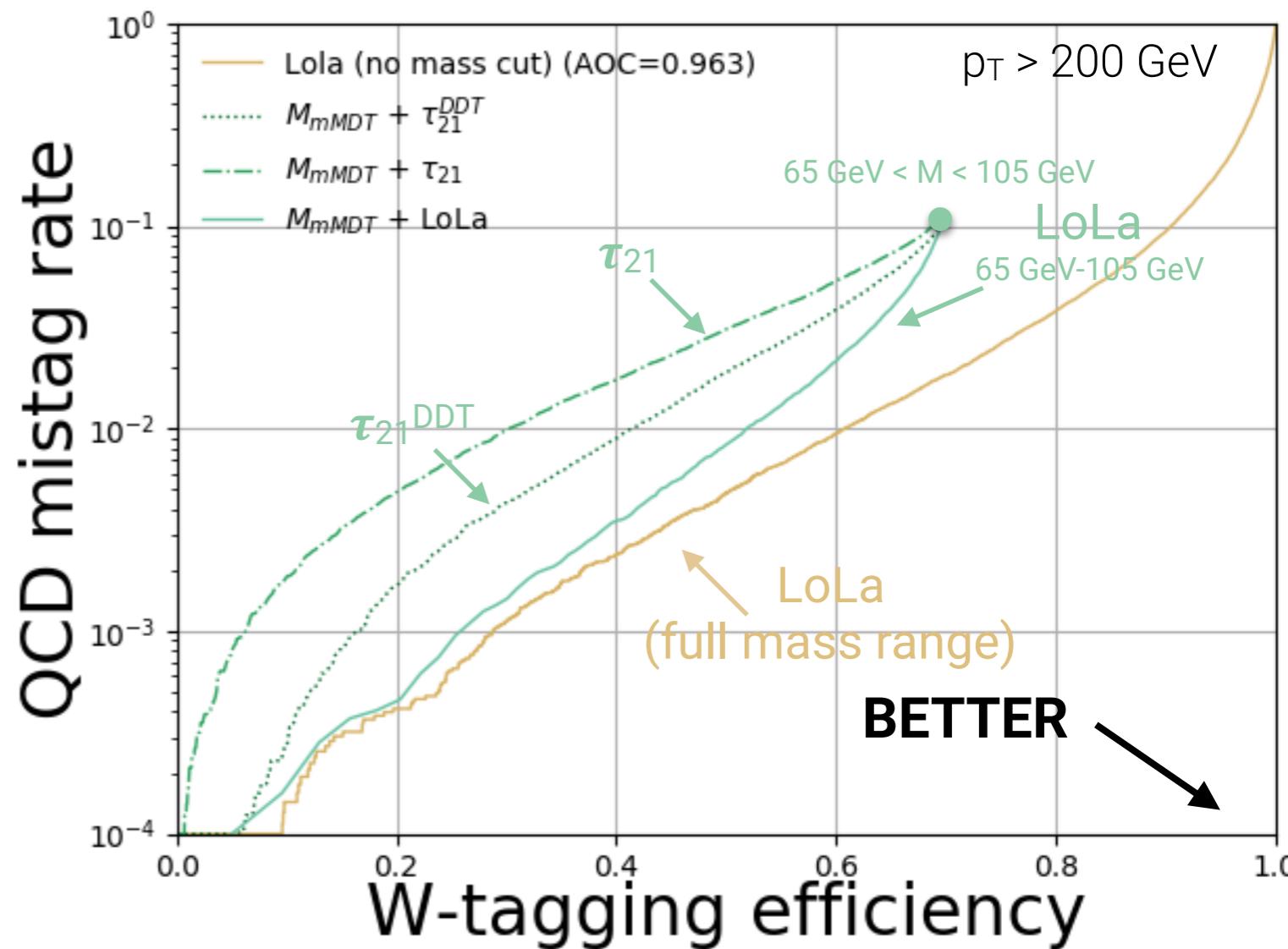
Performance

55% signal efficiency per jet
increase compared to τ_{21} at
given mistag rate

- for analysis requiring 2 tagged jets $\rightarrow 2^*x$ signal efficiency!

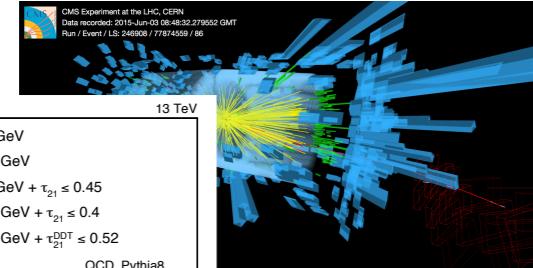
Could lead to large improvement in sensitivity for future VV analyses!

Train and use as “generic” anti-q/g tagger in the future?!*



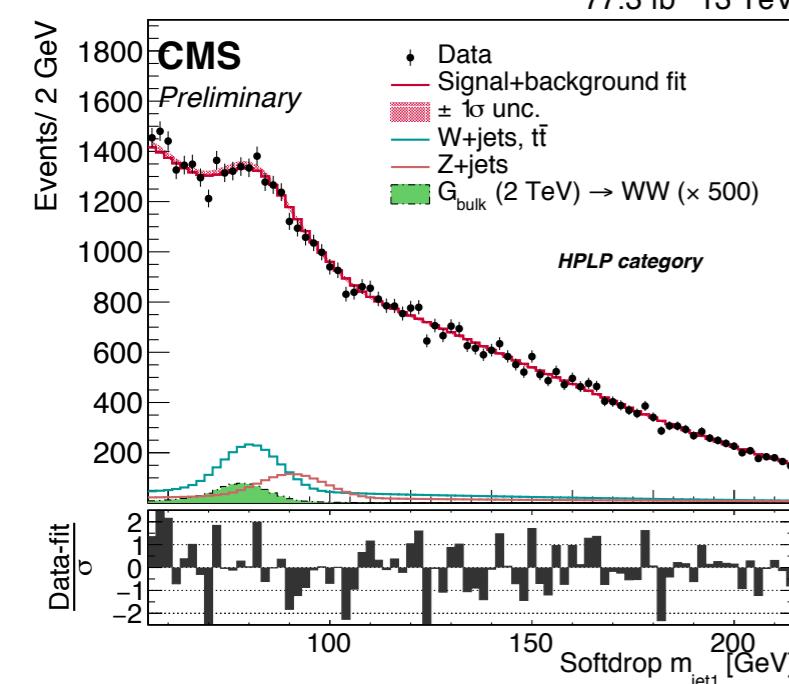
*<https://arxiv.org/abs/1808.08979>

Summary & outlook



- I : First search for diboson resonances at 13 TeV

Published in *Journal of High Energy Physics* (2017), DOI: [10.1007/JHEP03\(2017\)162](https://doi.org/10.1007/JHEP03(2017)162)

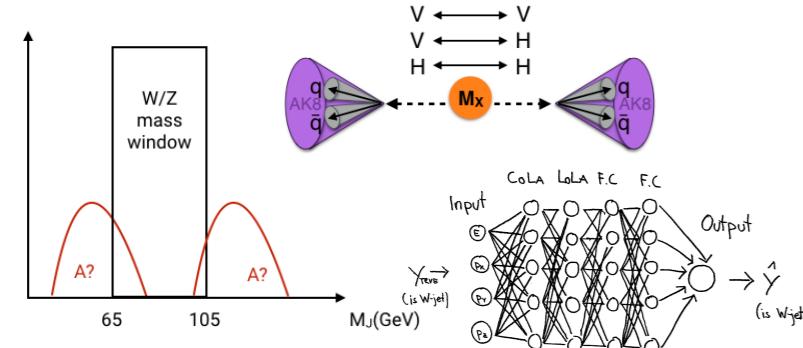


- II : A new pileup resistant, perturbative robust tagger

Published in *PRD*, DOI: [10.1103/PhysRevD.97.072006](https://doi.org/10.1103/PhysRevD.97.072006); [CMS-PAS-B2G-16-021](#); [CMS-PAS-JME-16-003](#)

- III: A novel framework for multi-dimensional searches

In progress. To be submitted to *The European Physical Journal C*

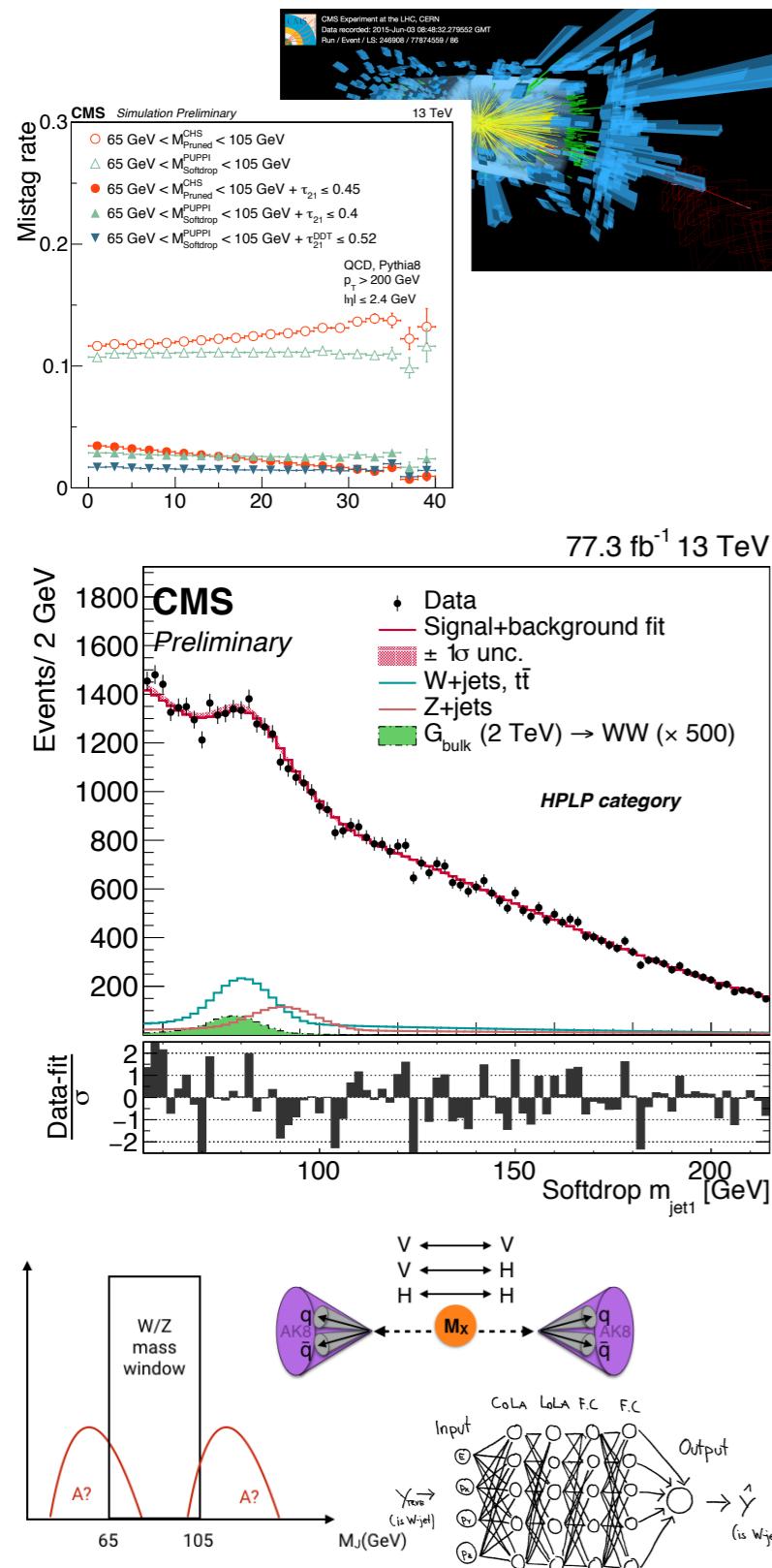


- IV: Encoding jet substructure with a deep neural network

Work in progress.

Summary & outlook

Not presented today!



• I : First search for diboson resonances at 13 TeV

Published in Journal of High Energy Physics (2017), DOI: [10.1007/JHEP03\(2017\)162](https://doi.org/10.1007/JHEP03(2017)162)

- Double Higgs tagging algorithm training/performance
- W-tag scale factor method improvement for 2015 data
- Study of CHS softdrop, optimization of W-tagging algorithm

• II : A new pileup resistant, perturbative robust tagger

Published in PRD, DOI: [10.1103/PhysRevD.97.072006](https://doi.org/10.1103/PhysRevD.97.072006); CMS-PAS-B2G-16-021; CMS-PAS-JME-16-003

- W-tag scalefactors for 2016 data, jet mass corrected+pruning
- Study of other taggers (dichroic, τ_{21} with grooming)
- CMS tracker offline quality monitoring

• III: A novel framework for multi-dimensional searches

In progress. To be submitted to The European Physical Journal C

- W-tag scalefactors for 2017 data (two taggers)
- Measurement of W-tag p_T-dependence, jet mass scale and resolution
- Barrel pixel gain calibrations for 2018 data taking

• IV: Encoding jet substructure with a deep neural network

Work in progress.



Backup



3D fit

Analysis strategy

Select two high- p_T AK8 jets, $|\Delta\eta_{jj}| < 1.3$

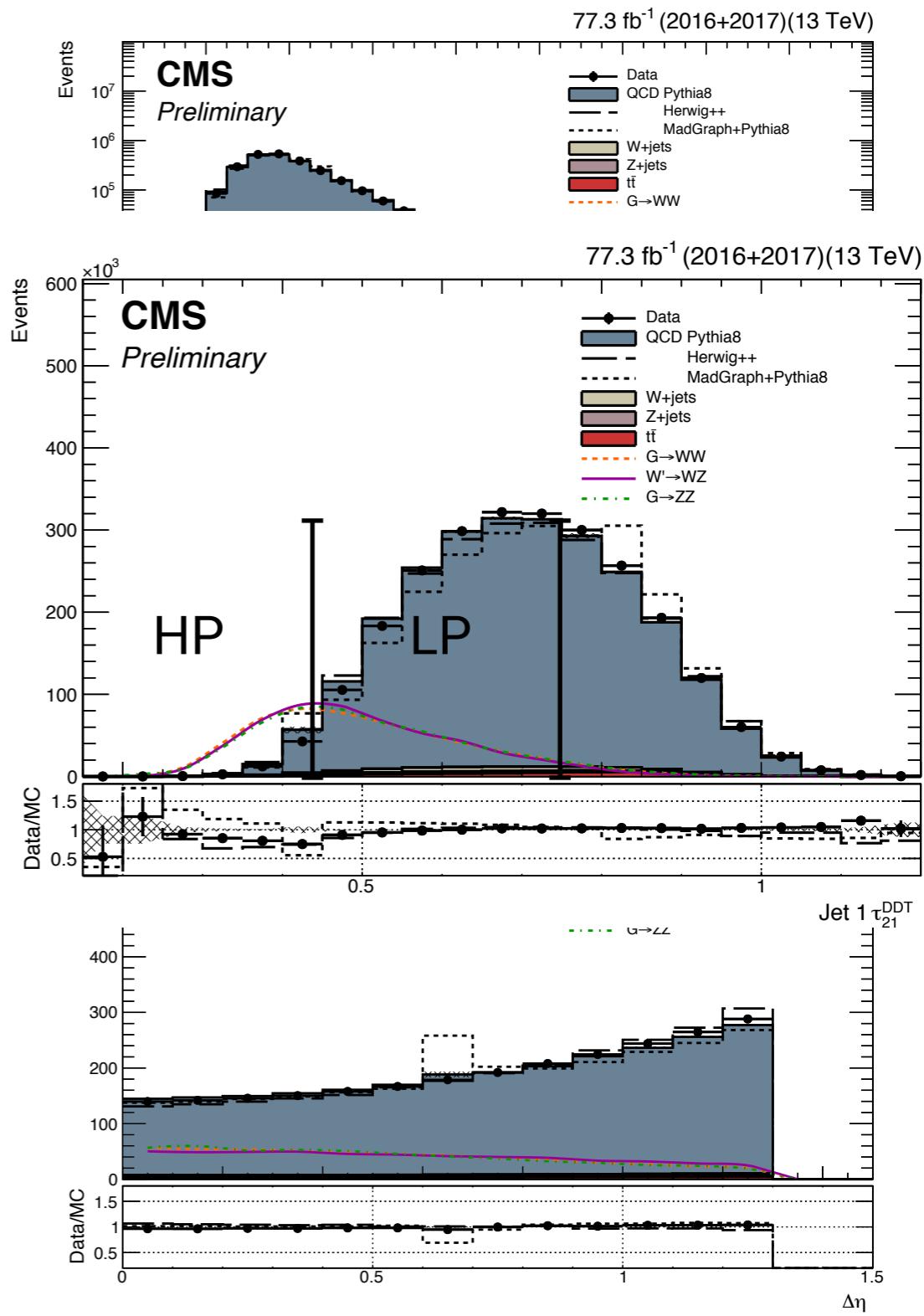
- random sorting of m_{jet1} and m_{jet2} to avoid bias in jet mass shapes

Substructure: τ_{21}^{DDT} with two signal categories

- HPHP: $jet_1 + jet_2$ with $\tau_{21}^{DDT} < 0.43$:
- HPLP: $jet_{1/2}$ with $\tau_{21}^{DDT} < 0.43$
 $jet_{2/1}$ with $0.43 < \tau_{21}^{DDT} < 0.79$:

Bump hunt in m_{jj} - m_{jet1} - m_{jet2} mass plane

- $55 \text{ GeV} < m_{jet} < 215 \text{ GeV}$ (limited by PF reco)
- $1126 \text{ GeV} < m_{jj} < 5.5 \text{ TeV}$ (trigger-limited, see later)



Trigger turn-on

Combination of HT/substructure triggers

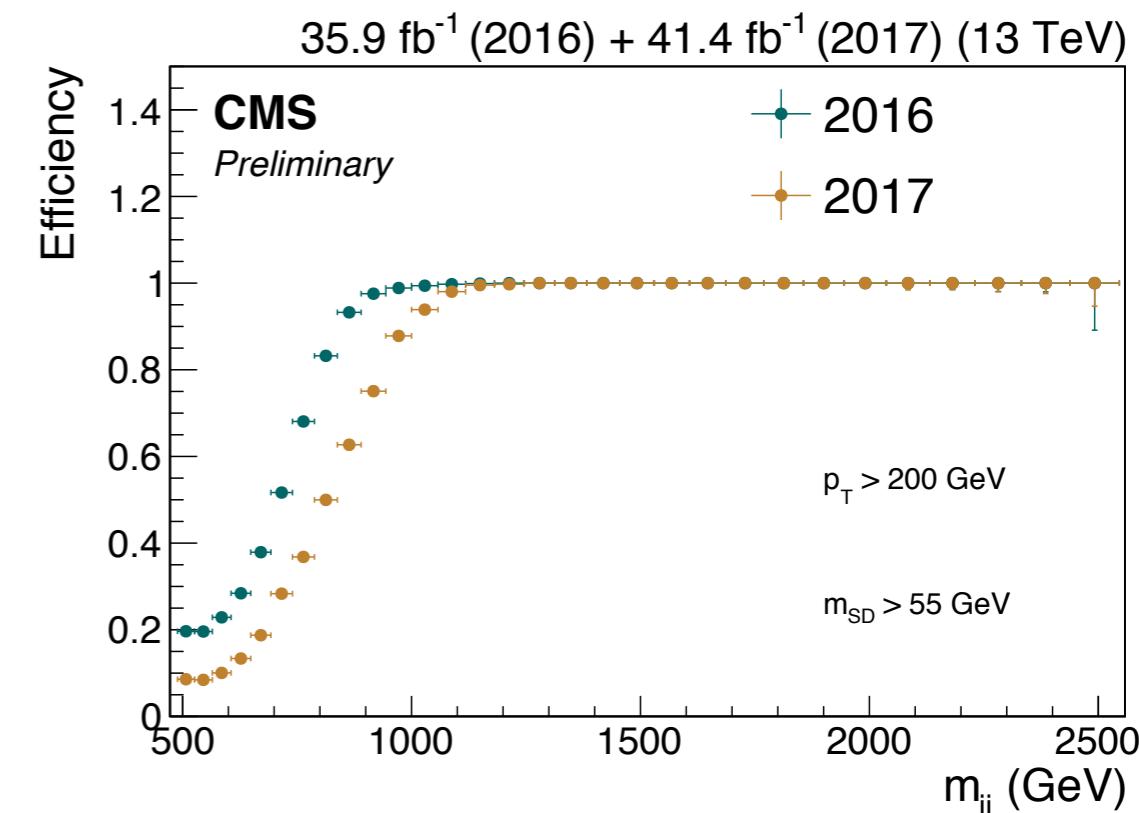
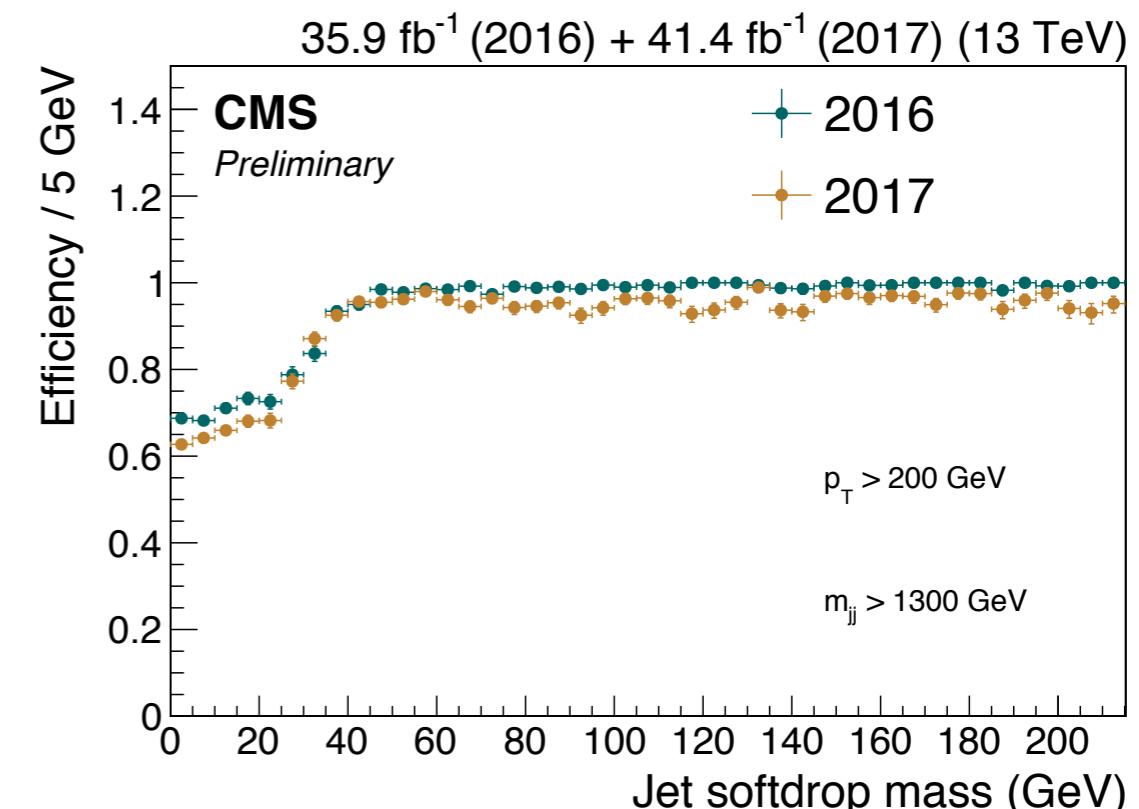
- AK8PFJet500 (p_T 450 in 2016)
- AK8PFHT*_TrimMass50 (Trim 30 in 2016)
- PFHT1050 (HT 800 on 2016)

Evaluated in unbiased Single Muon dataset
with reference triggers: IsoMu27 or Mu50

Trigger fully efficient at

- $m_{jj} > 990$ GeV (2016)
- $m_{jj} > 1126$ GeV (2017)

Sets analysis threshold at 1126 GeV

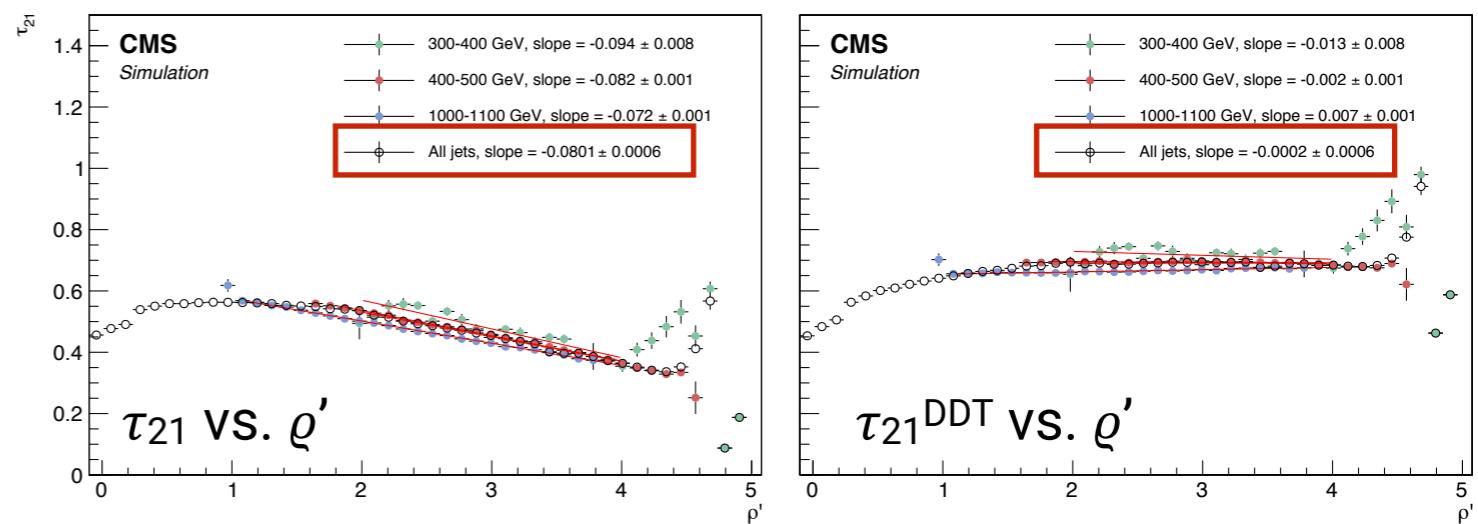


Decorrelating τ_{21}

To improve statistical power of τ_{21} ,
decorrelate from softdrop mass/ p_T

Fit linear part of $\varrho' = m^2/(p_T \times 1 \text{ GeV})$
 vs. τ_{21} in QCD MC

$$\tau_{21}^{DDT} = \tau_{21} + 0.080 \times \log \left(\frac{m^2}{p_T \times 1 \text{ GeV}} \right)$$

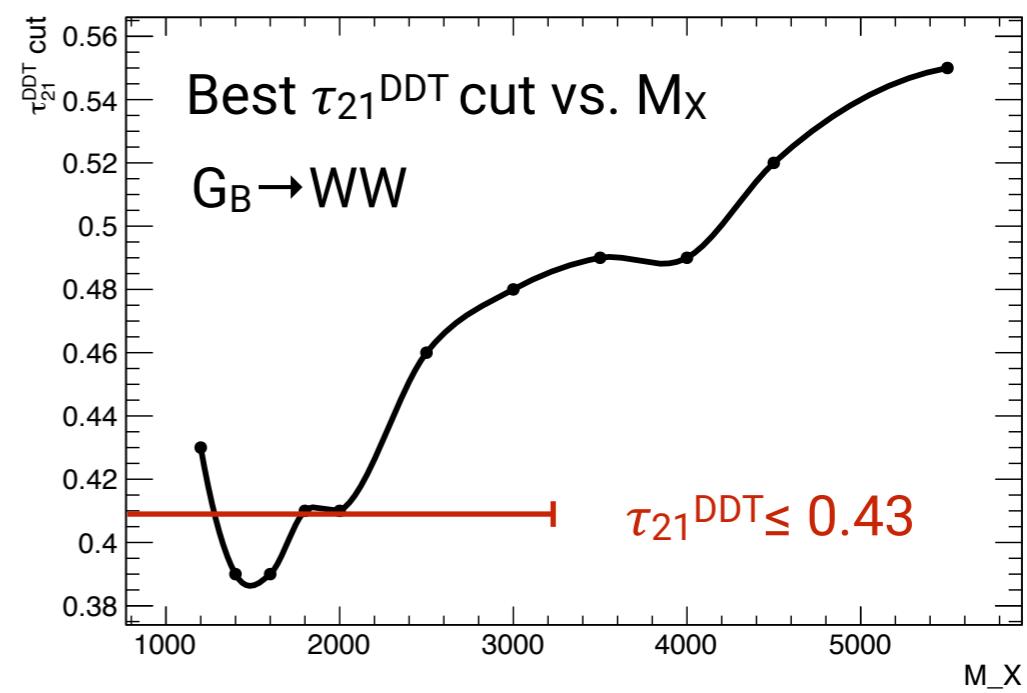


Working point optimised for

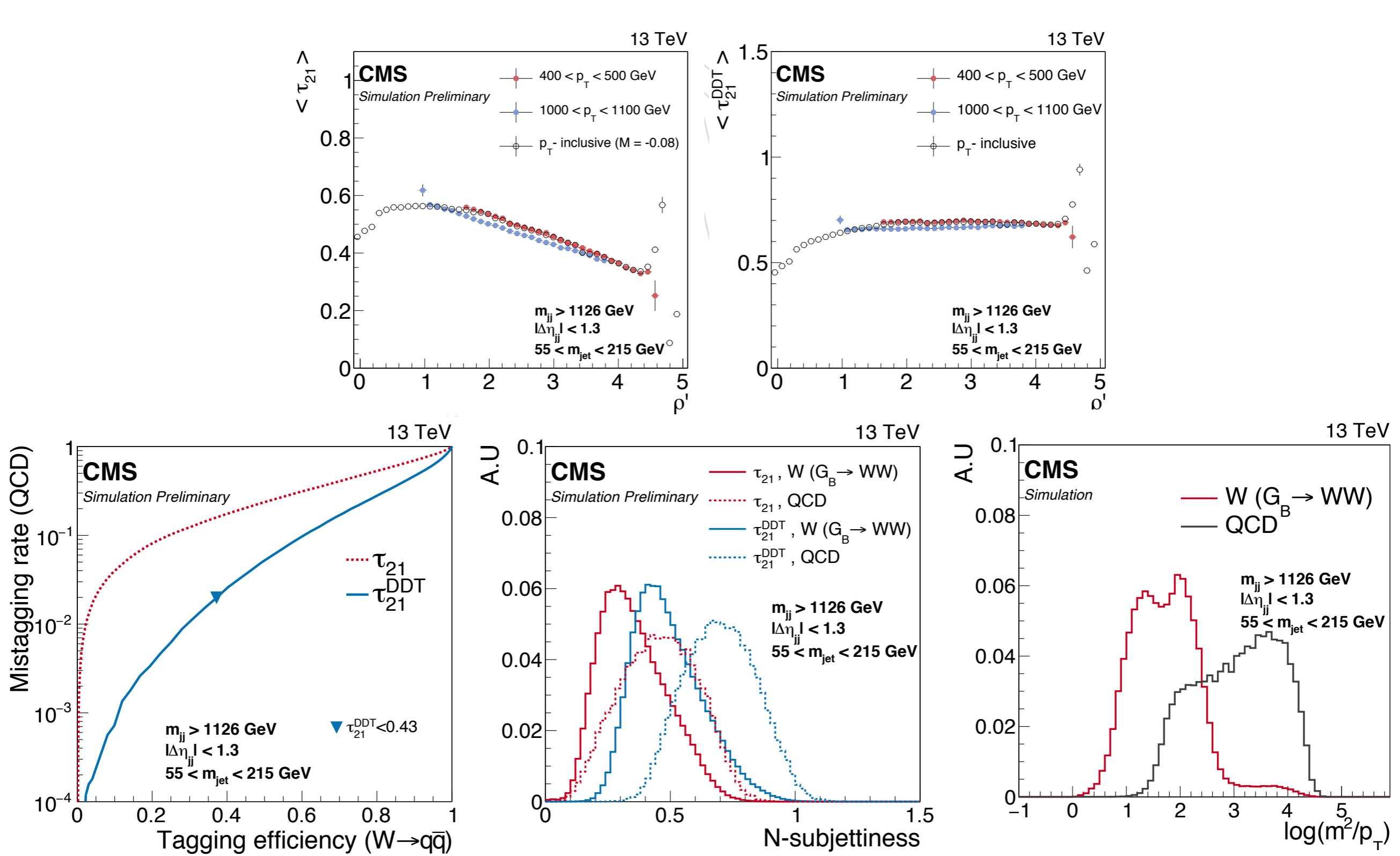
- HP: highest Punzi significance
- LP: contain >95% of signal
+ highest significance

Extremely tight due to high background

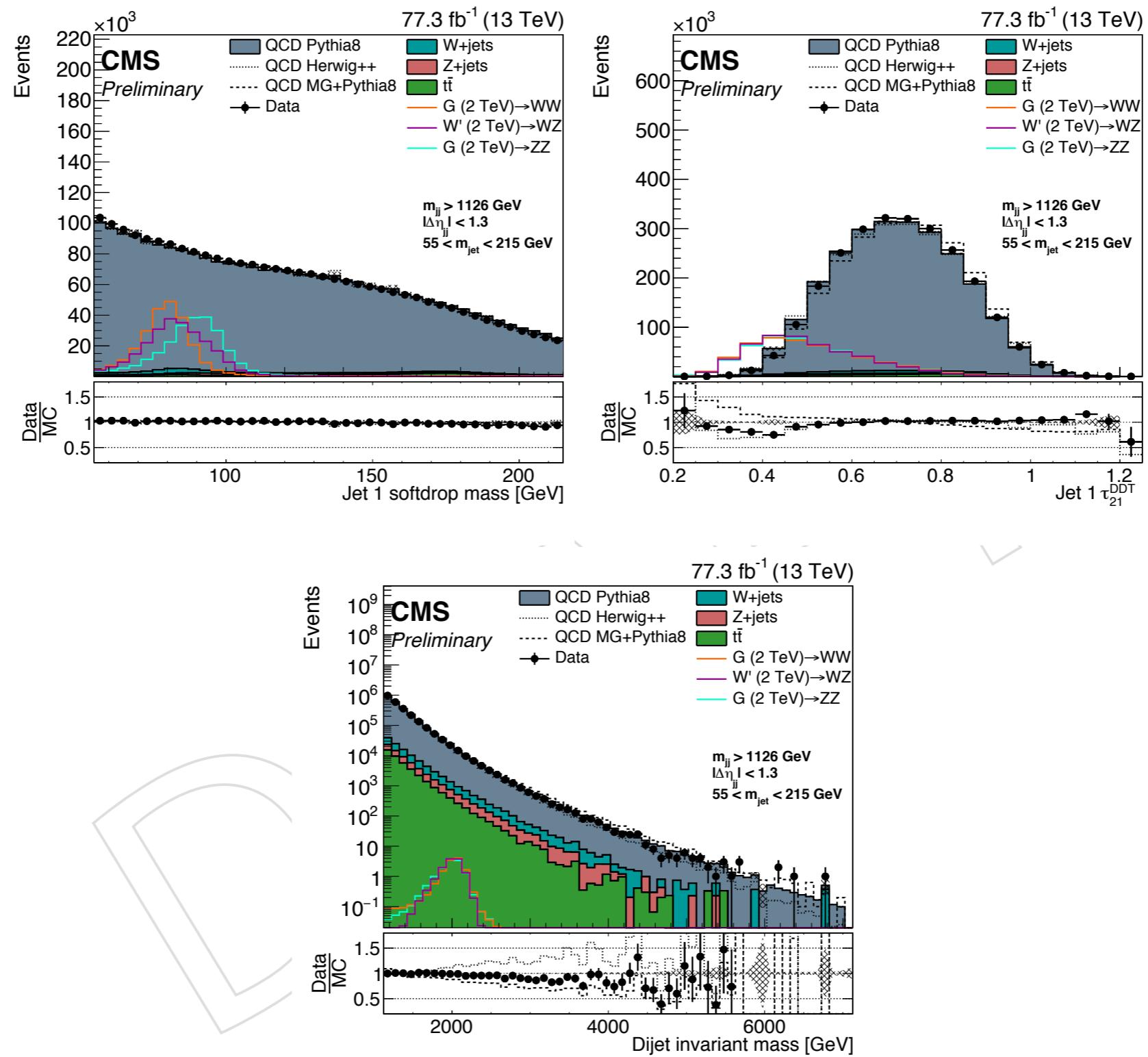
- compared to default W-tagger ($\tau_{21} < 0.35$)
 ε_s 50% lower, background reduced by 90%



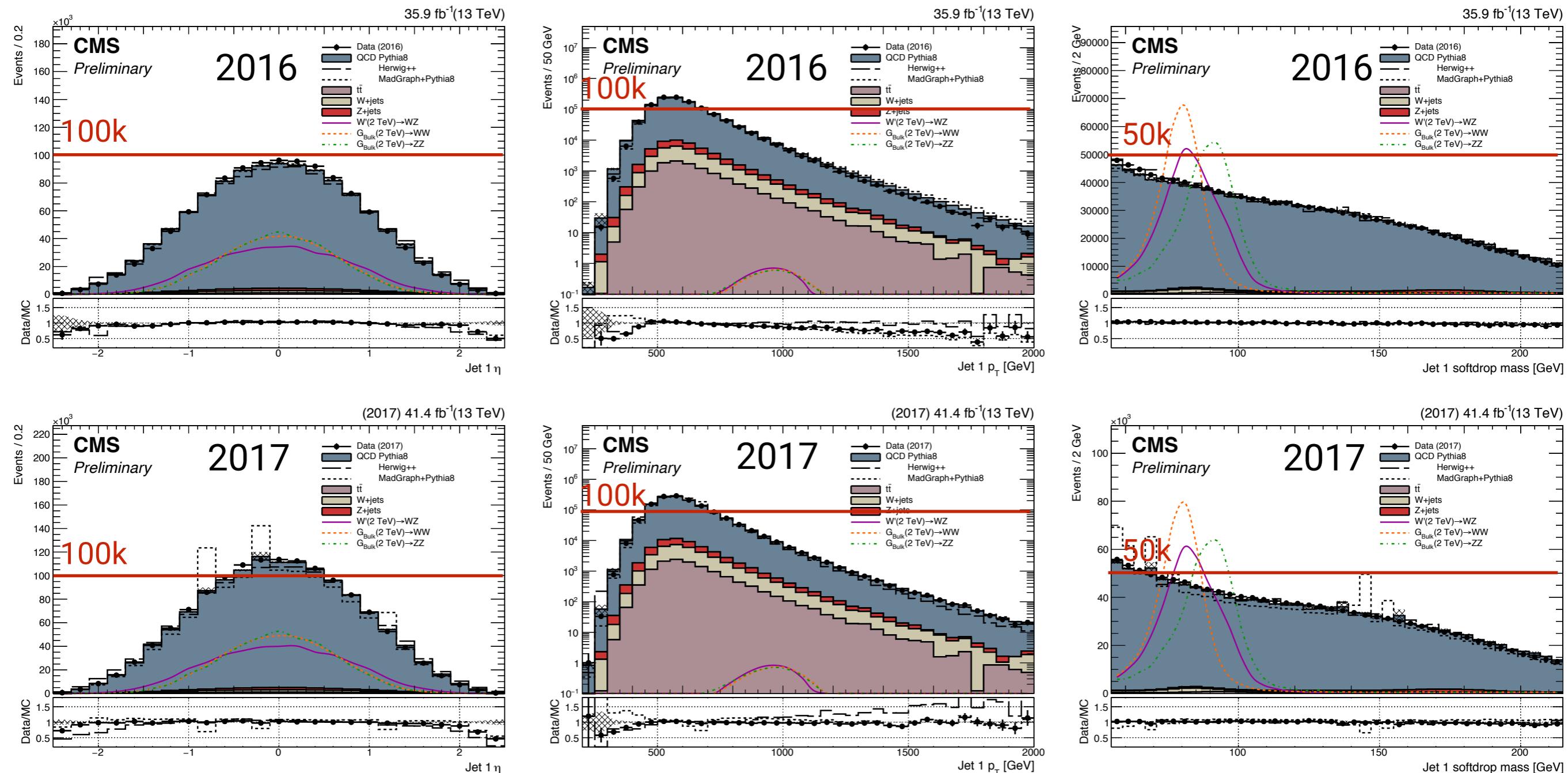
Tau21DDT



Controlplots in 16+17 data



2016 versus 2017



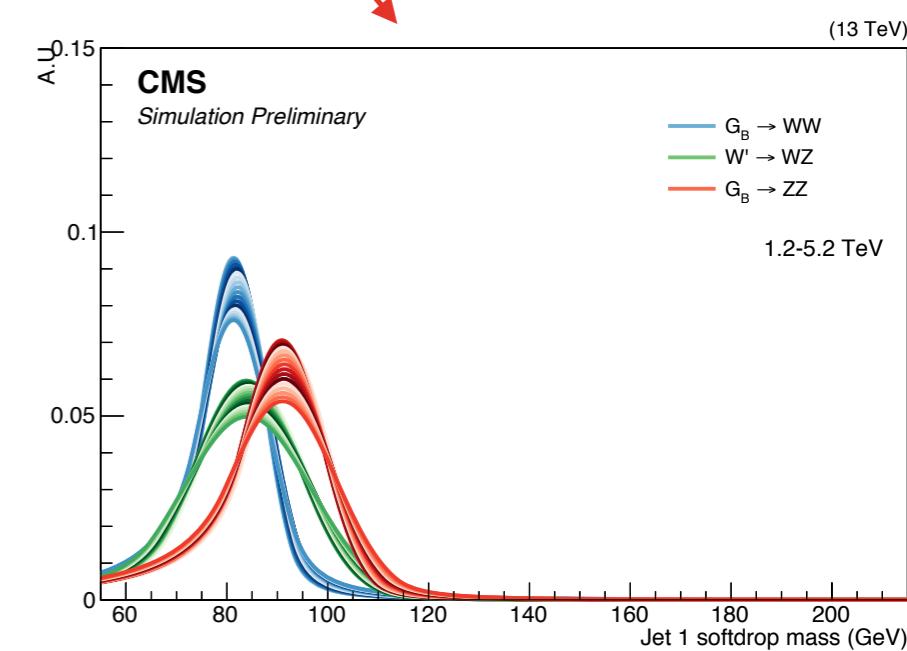
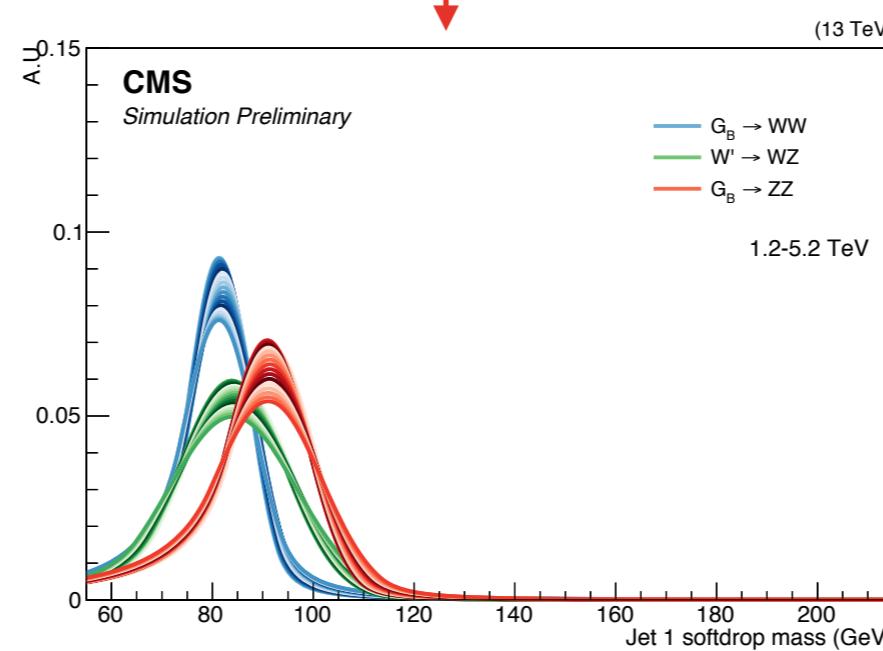
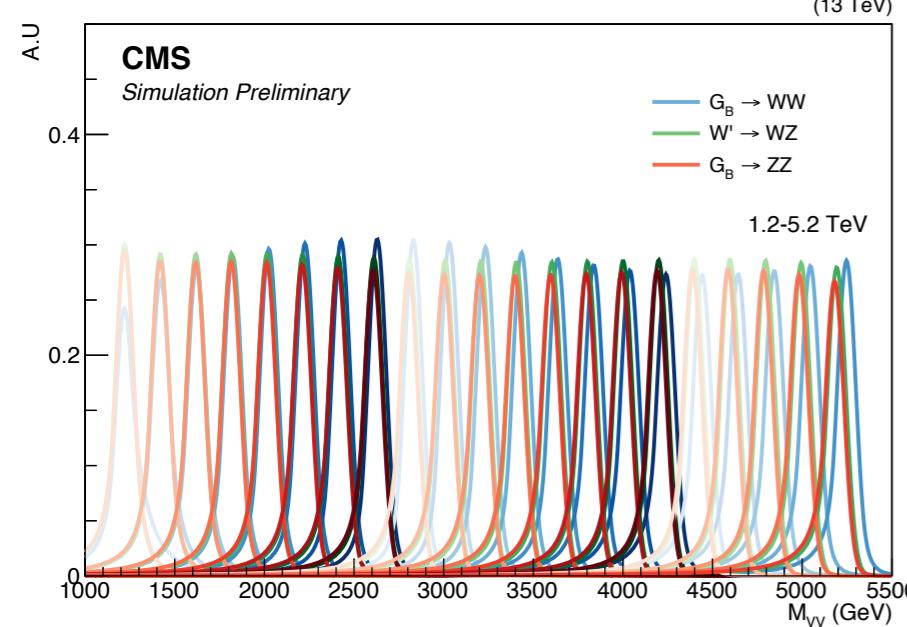
Similar spectra in 2016 vs. 2017, ~15-20% higher yield in 2017 dataset

Signal modelling

Templates are product of resonance mass and jet mass shapes (m_j/m_{jj} uncorrelated)

$$P_{\text{SIG}}(m_{jj}, m_{\text{jet1}}, m_{\text{jet2}}) =$$

$$P_{jj}(m_{jj} | \theta_1(m_x)) \times P_j(m_{\text{jet1}} | \theta_2(m_x)) \times P_j(m_{\text{jet2}} | \theta_2(m_x))$$



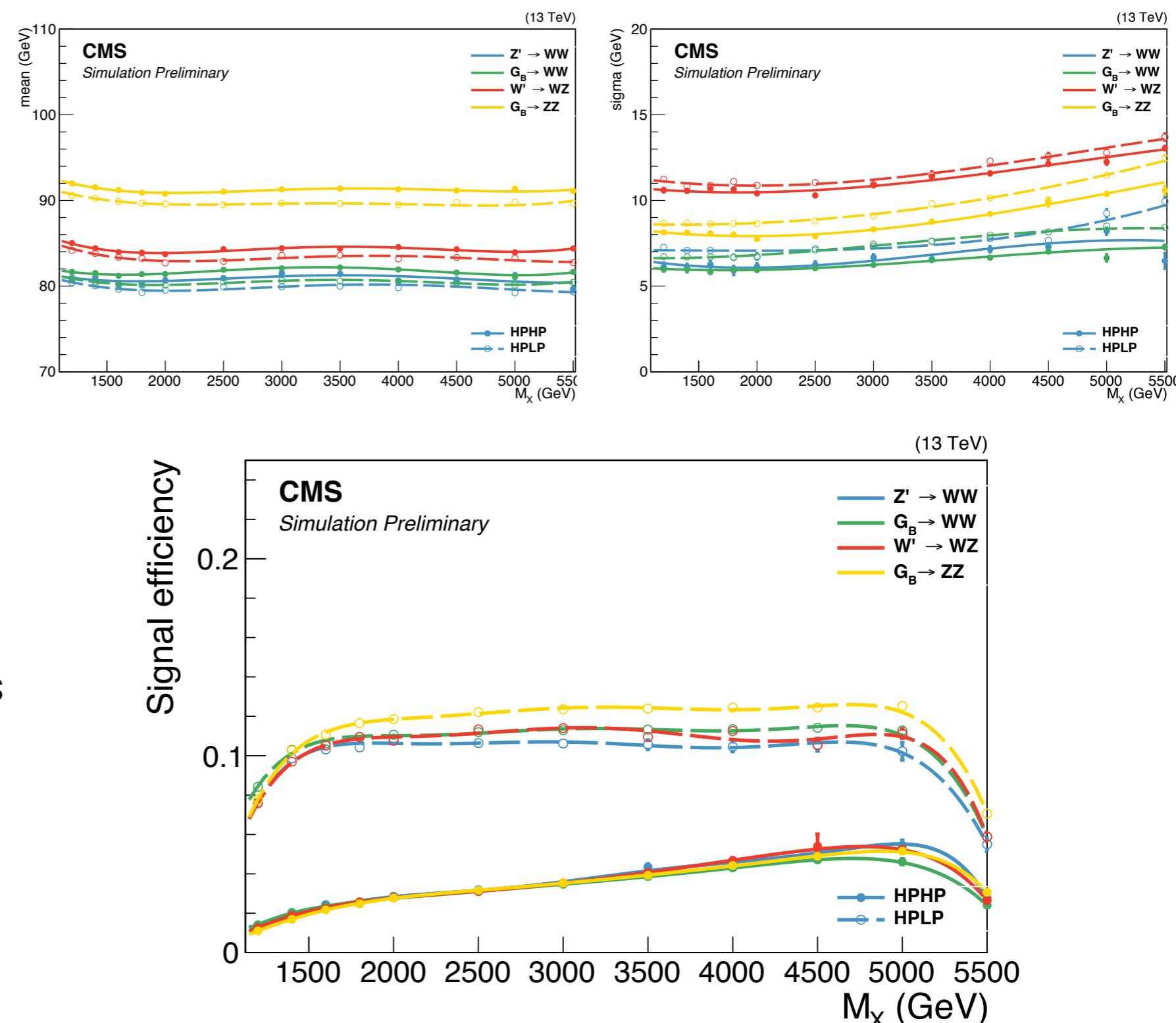
Fit softdrop jet mass and dijet mass with double CB, parametrise as function of m_x

Signal modelling

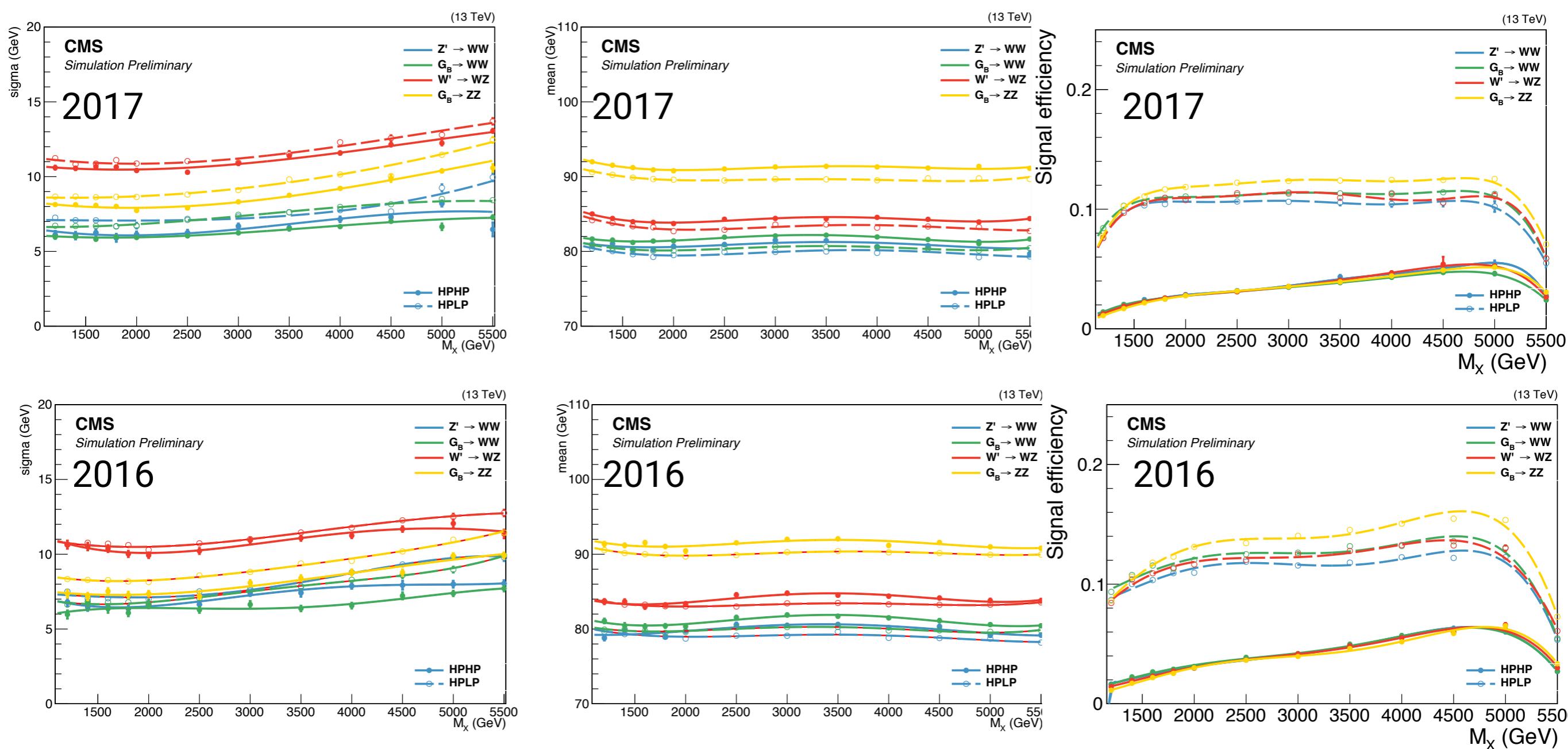
Mean and width stable
due to decorrelated τ_{21}

Yield from integral of m_{VV}
histogram

- parametrised as a function of m_X for smooth signal efficiency versus p_T
- efficiency lower at edges due to bin edge cut off
- lower signal efficiency in HP, but background strongly reduced



Signal 2016 versus 2017



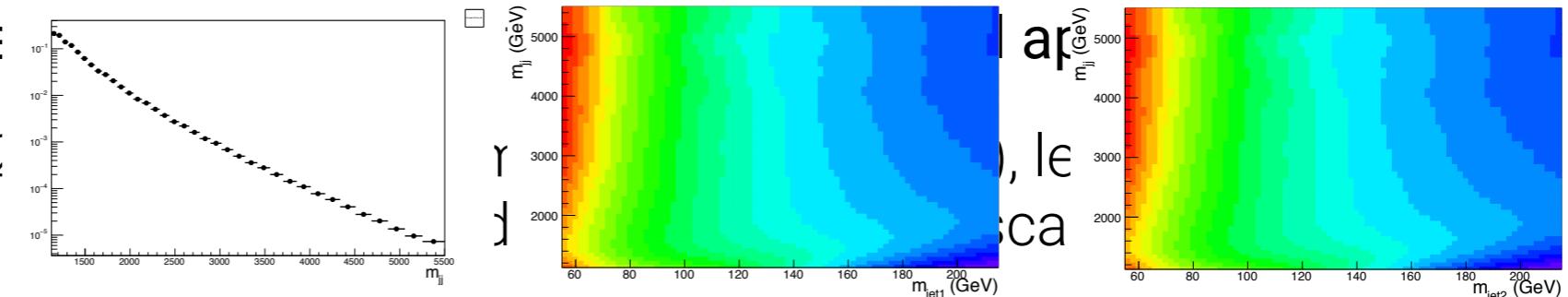
Non-resonant background

To account for correlations m_{jet}/m_{jj} , non-resonant background modelled conditionally

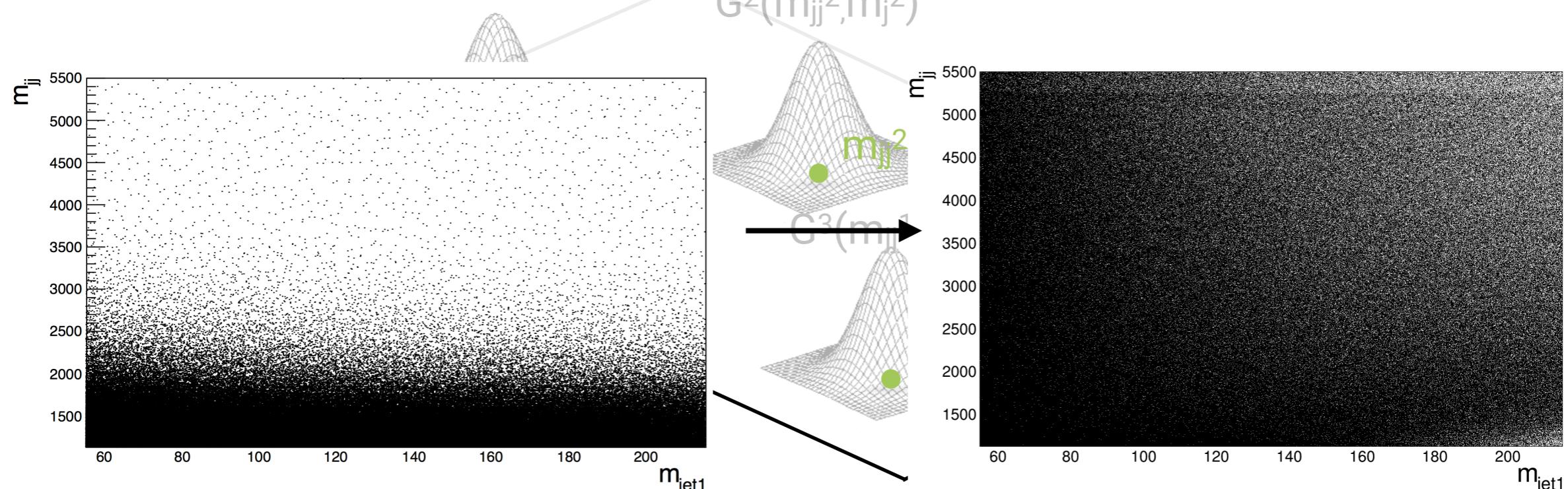
$$- P_{\text{non-res}}(m_{jj}, m_{\text{jet}1}, m_{\text{jet}2}) = P_{jj}(m_{jj} | \theta_1) \times P_j(m_{\text{jet}1} | m_{jj}, \theta_2) \times P_j(m_{\text{jet}2} | m_{jj}, \theta_2)$$

With 250k bins, need to ϵ

- rather than filling 1D/ ϵ
contribute 1D/2D gau



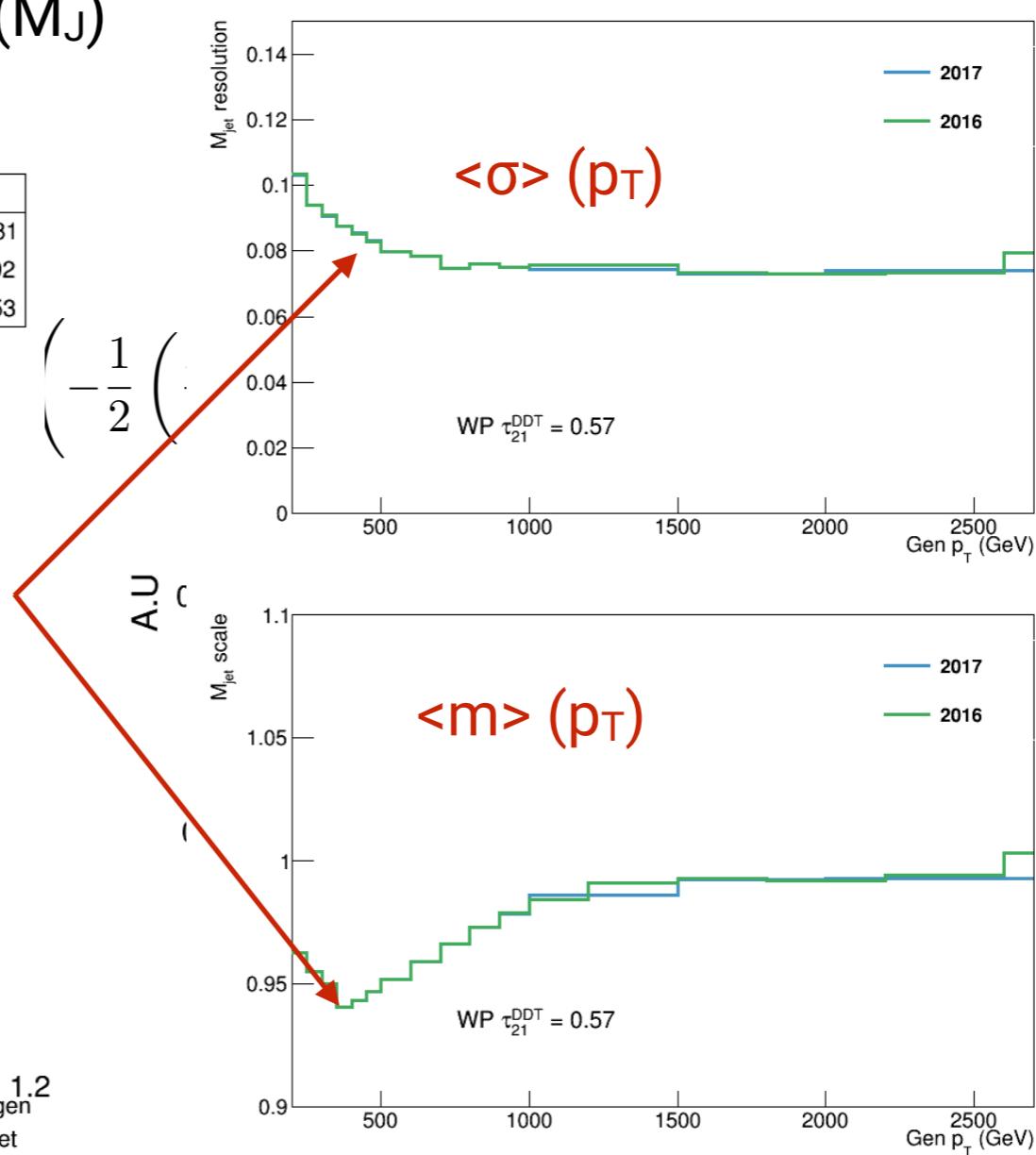
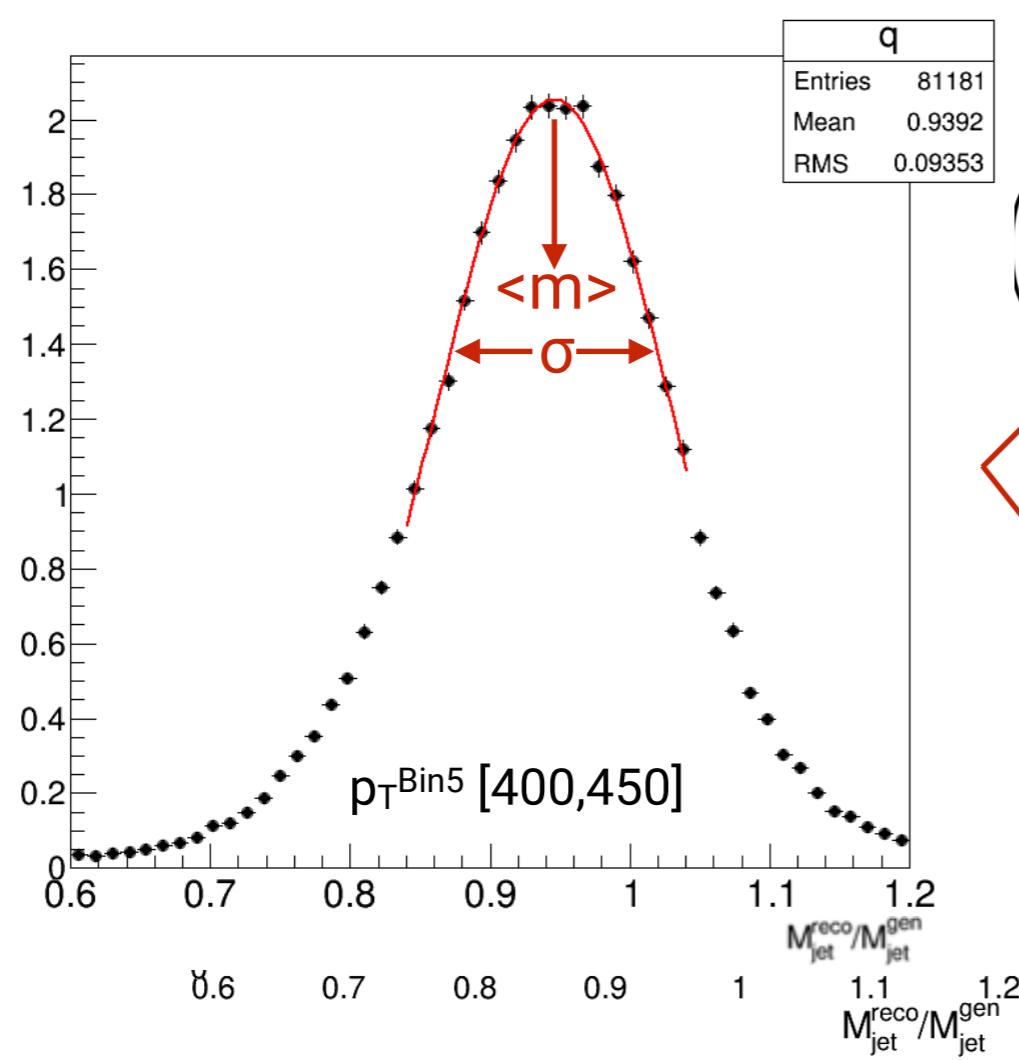
Finally, interpolate histogram such that no bins are empty \rightarrow full, smooth shape

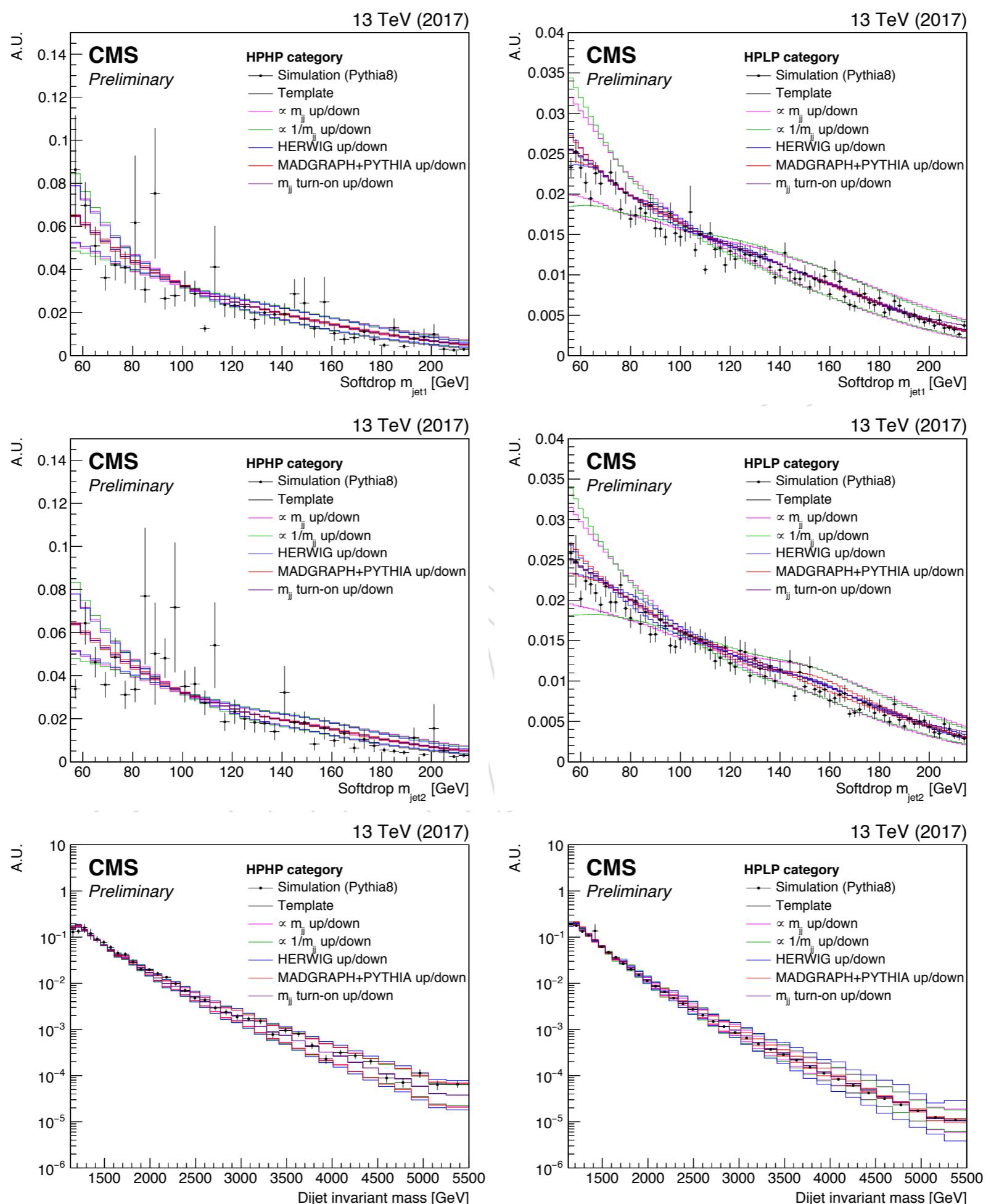


Defining Gaussian kernel

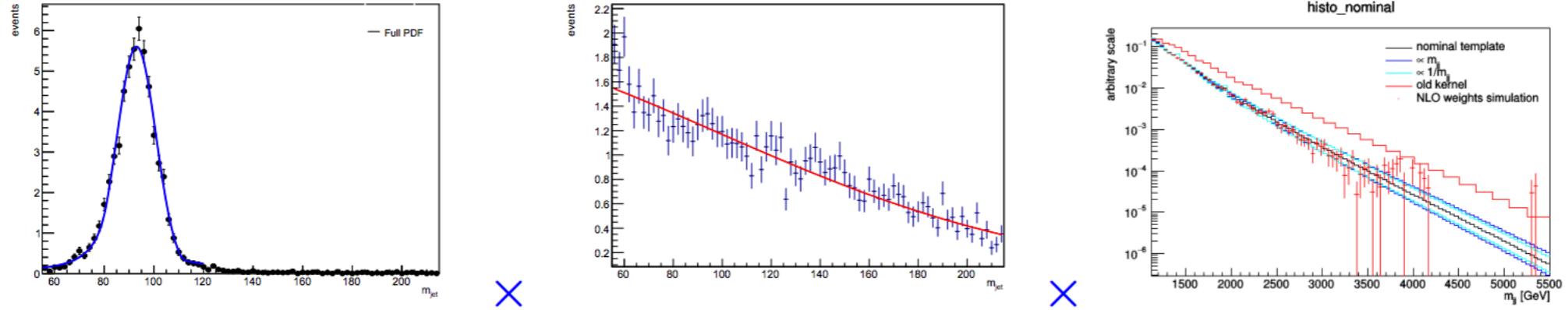
In bins of gen jet p_T , derive jet mass scale and resolution from Gaussian fit to $M_j(\text{reco})/M_j(\text{gen})$

Each event smeared with 1D(M_{JJ})/2D(M_J) Gaussian kernel





Resonant background



$$P_{V+jets} (M_{jet1}, M_{jet2}, M_{jj}) = f \times (P_{dijet} (M_{jj}) \times P_{res}(M_{jet1}) \times P_{non-res}(M_{jet2})) \\ + (1 - f) \times (P_{dijet} (M_{jj}) \times P_{res}(M_{jet2}) \times P_{non-res}(M_{jet1}))$$

fit resonant part of M_{jet} with signal function \Rightarrow fully correlated systematics

model QCD-jet with simple Gaussian

M_{jj} shape, same kernel approach as for QCD

two contribution in final fit: Z+jets and W+jets plus $t\bar{t}$

two p_T dependent corrections applied to V+jets background:

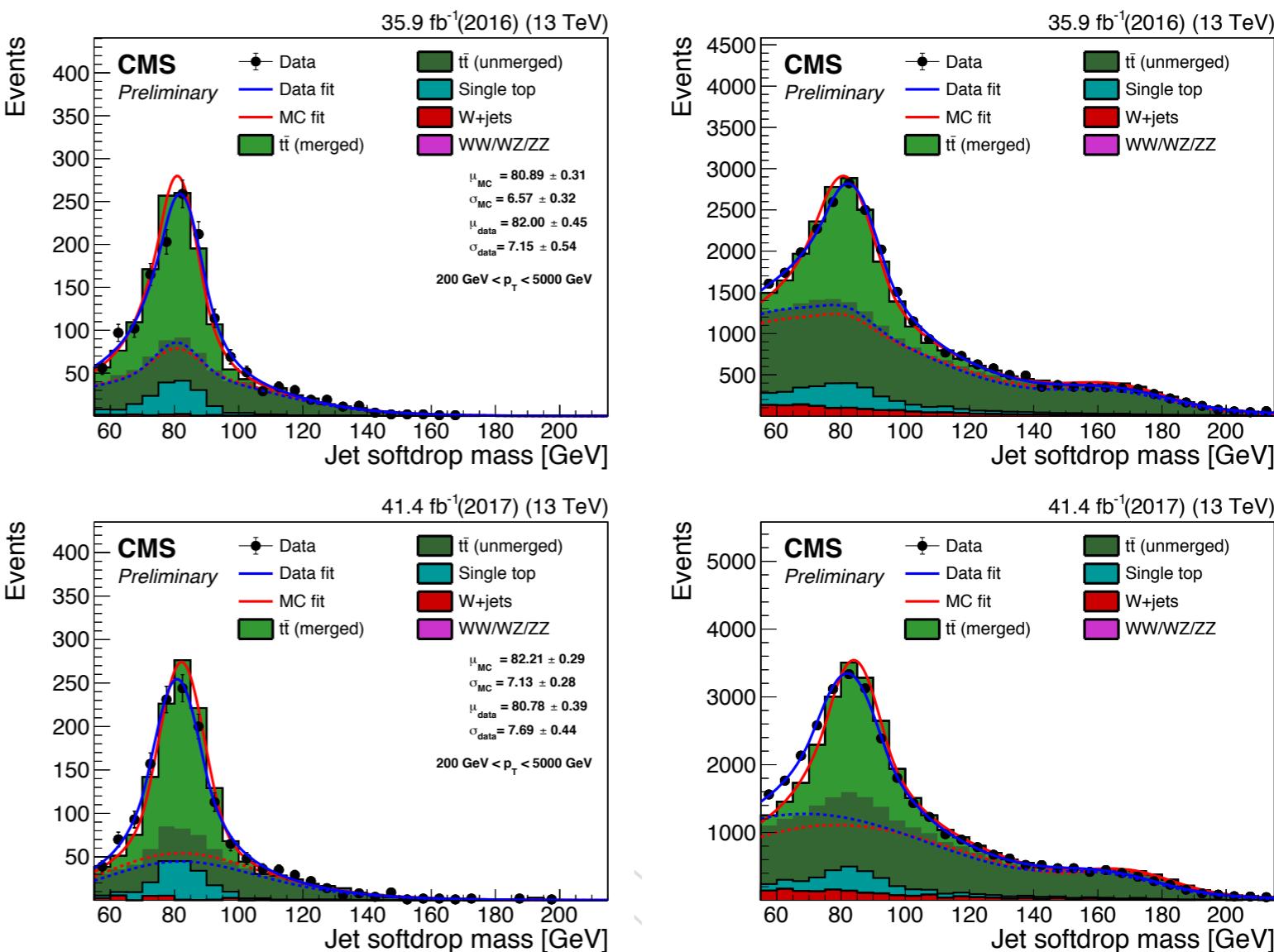
- NLO-kfactor: correction p_T distribution of LO sample to NLO
- electroweak correction: for higher order electroweak processes

Uncertainties

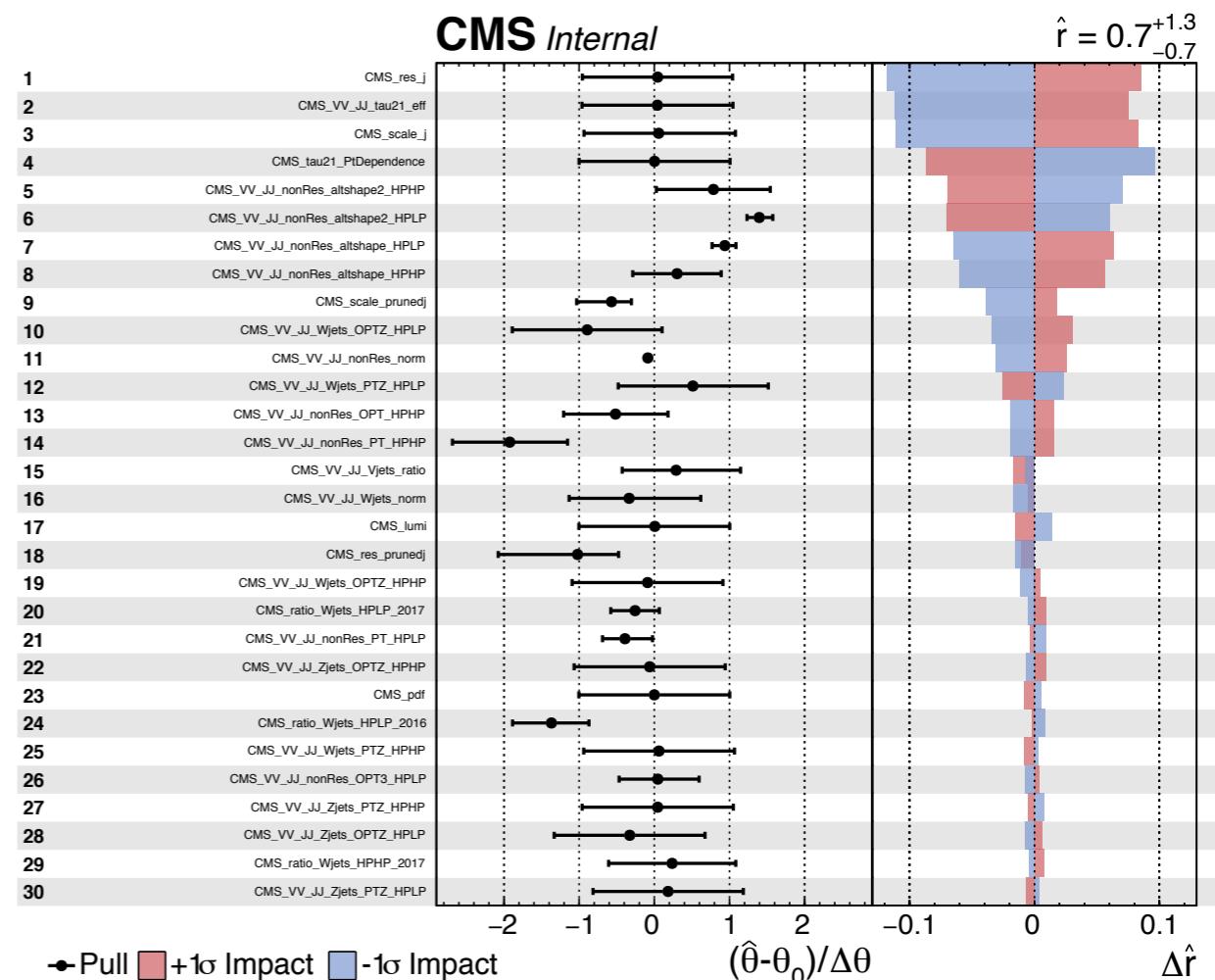
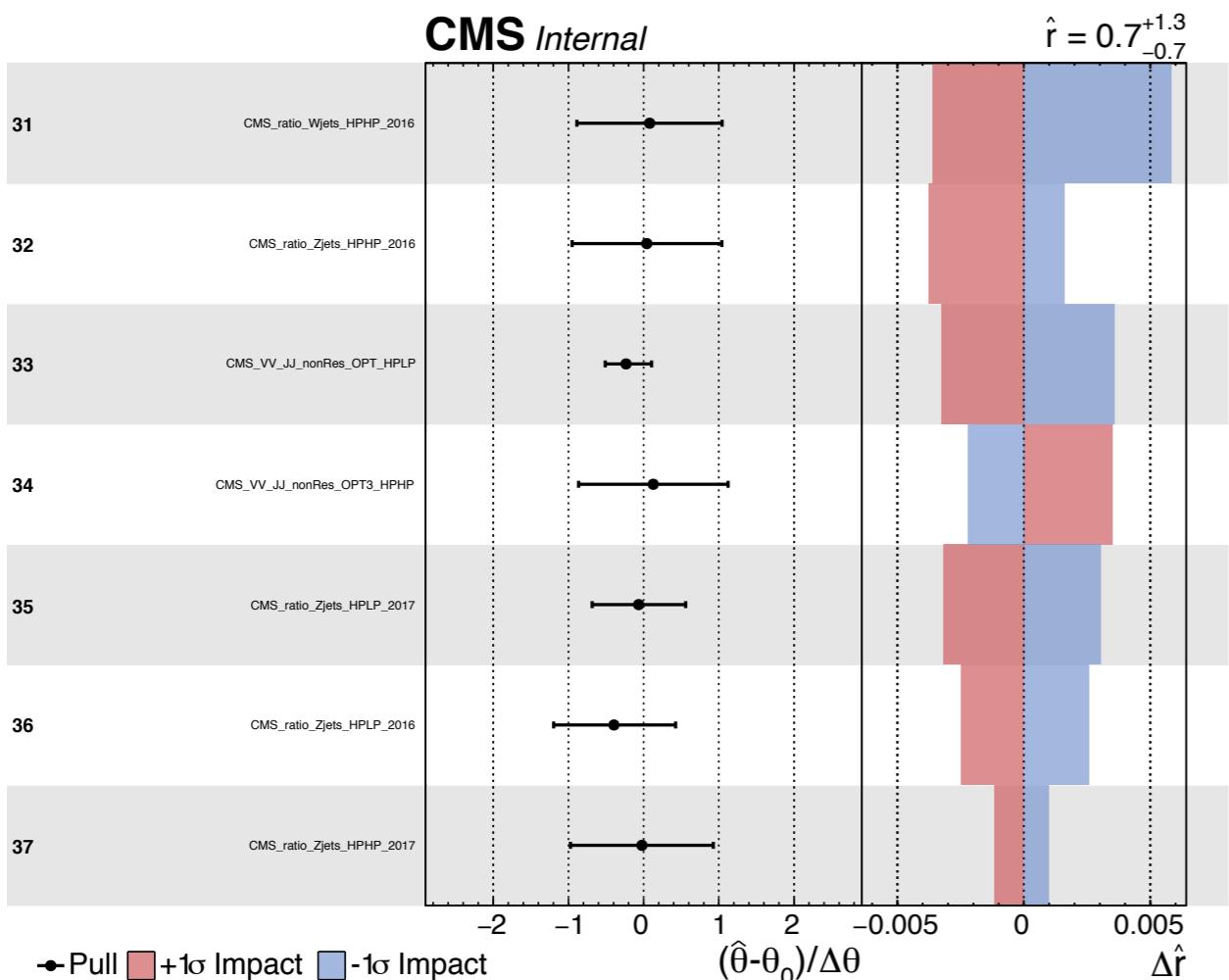
Source	Relevant quantity	HPHP unc. (%)	HPLP unc. (%)
PDFs	Signal yield		3
W-tagging efficiency	Signal+ V+jets yield	25 (21)	13 (11)
W-tagging p_T -dependence	Signal+ V+jets yield	8-23	9-25
Integrated luminosity	Signal+ V+jets yield		2.3 (2.6)
QCD normalisation	Background yield		50
V+jets normalisation	Background yield		10
V+jets ratio	Migration		10
PDFs	Signal M_{VV}/M_j mean and width		< 1
Jet energy scale	Signal M_{VV} mean		2
Jet energy resolution	Signal M_{VV} width		5
Jet mass scale	Signal + V+jets M_j mean		1
Jet mass resolution	Signal + V+jets M_j width		8
QCD HERWIG++	QCD shape		–
QCD MADGRAPH+PYTHIA8	QCD shape		–
p_T -variations	QCD shape		–
Scale-variations	QCD shape		–
High- M_j turn-on	QCD shape		–
p_T -variations	V+jets M_{VV} shape		–

W-tagging scalefactors

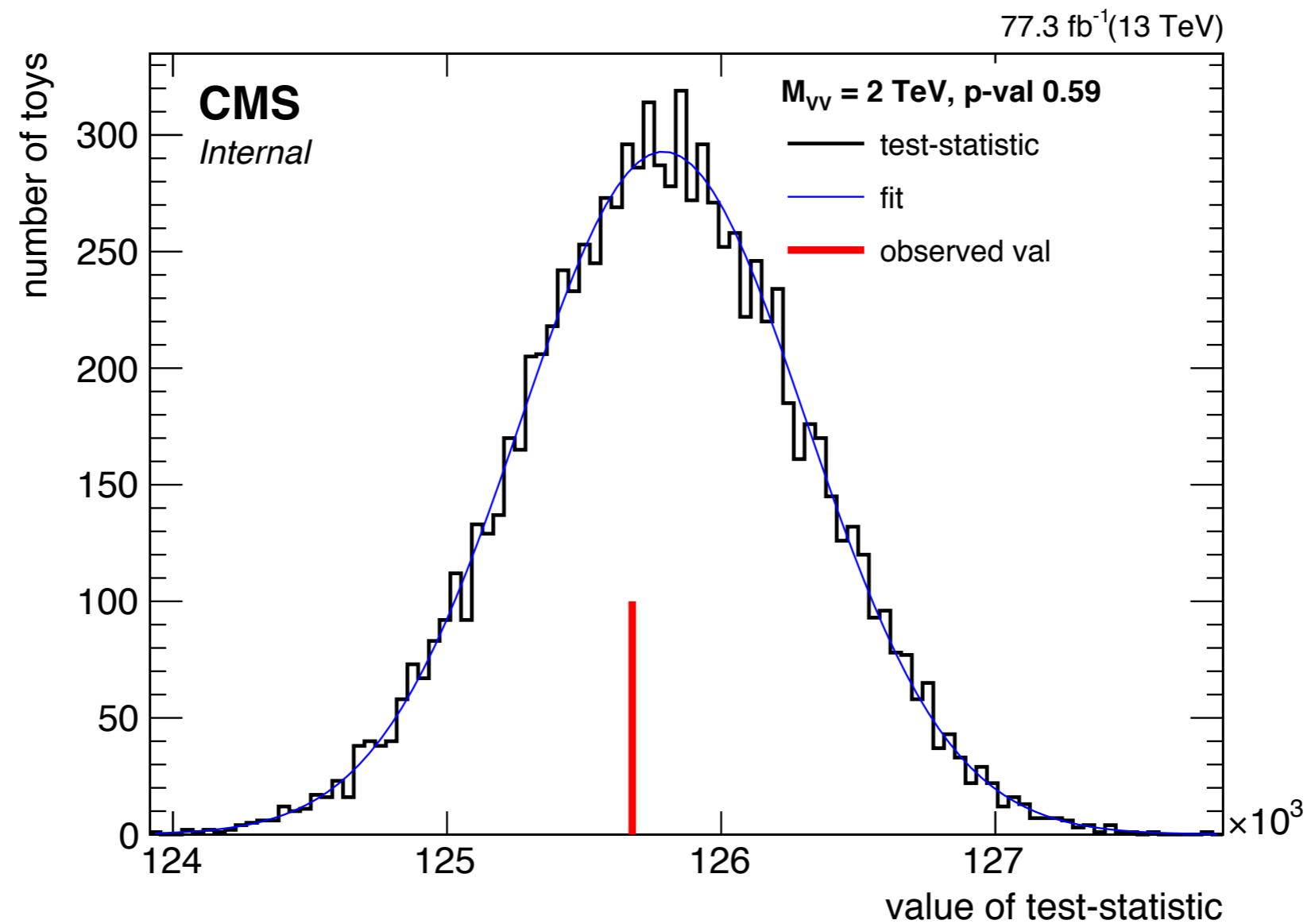
2016		
	m [GeV]	σ [GeV]
$\tau_{21}^{DDT} < 0.43$		
Data	82.0 ± 0.5 (stat.)	7.1 ± 0.5 (stat.)
Simulation	80.9 ± 0.2 (stat.)	6.6 ± 0.2 (stat.)
Data/simulation	1.014 ± 0.007 (stat.+sys.)	1.09 ± 0.09 (stat.+sys.)
$0.43 < \tau_{21}^{DDT} < 0.79$		
Data		0.920 ± 0.008 (stat.)
Simulation		0.915 ± 0.003 (stat.)
Data/simulation		1.006 ± 0.009 (stat.+sys.)
2017		
$\tau_{21}^{DDT} < 0.43$		
Data	80.8 ± 0.4 (stat.)	7.7 ± 0.4 (stat.)
Simulation	82.2 ± 0.3 (stat.)	7.1 ± 0.3 (stat.)
Data/simulation	0.983 ± 0.007 (stat.+sys.)	1.08 ± 0.08 (stat.+sys.)
$0.43 < \tau_{21}^{DDT} < 0.79$		
Data		0.935 ± 0.006 (stat.)
Simulation		0.932 ± 0.005 (stat.)
Data/simulation		1.003 ± 0.008 (stat.+sys.)



Impacts



GOF

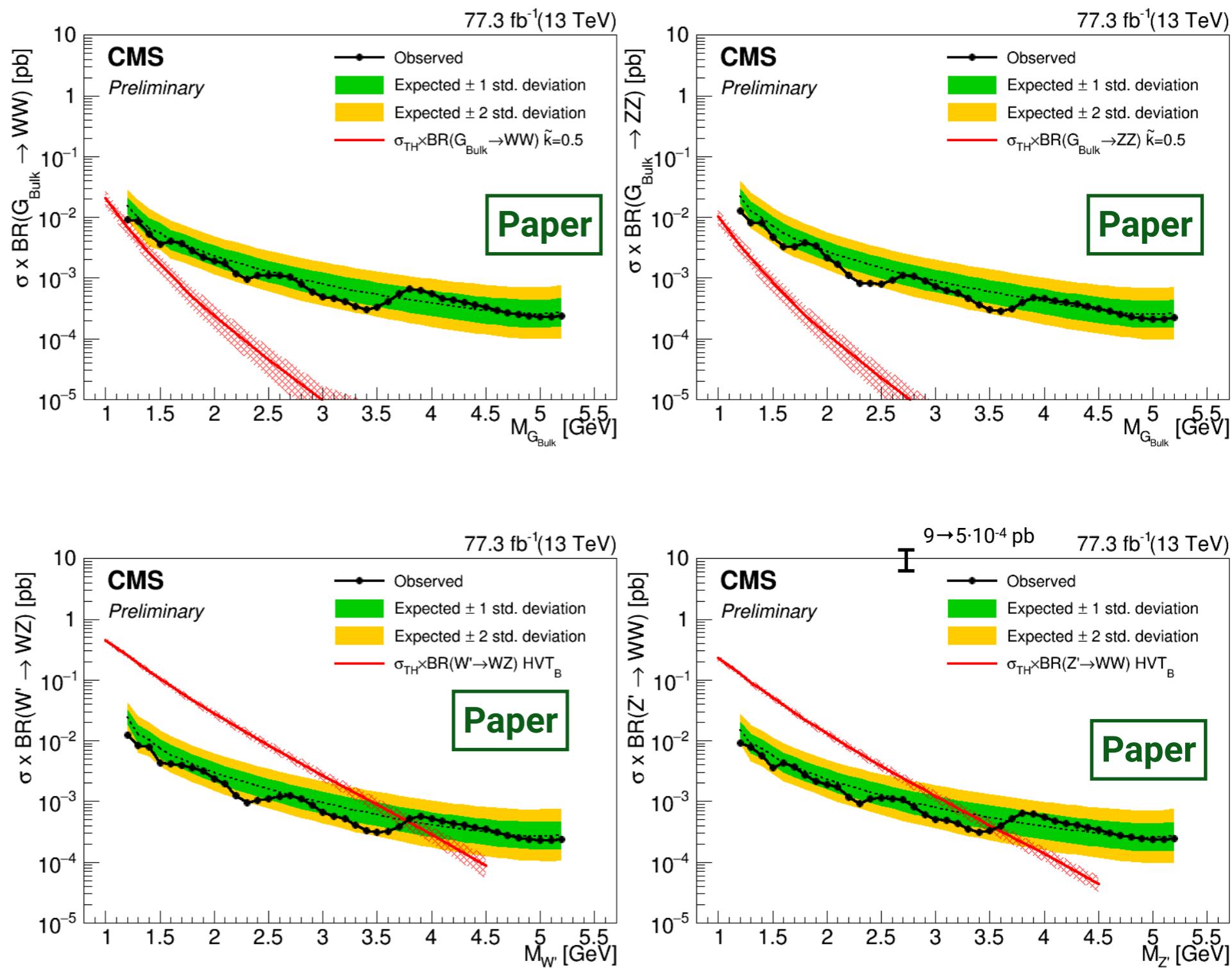


Limits

Limits set on 4 different signal hypothesis

Expect to exclude

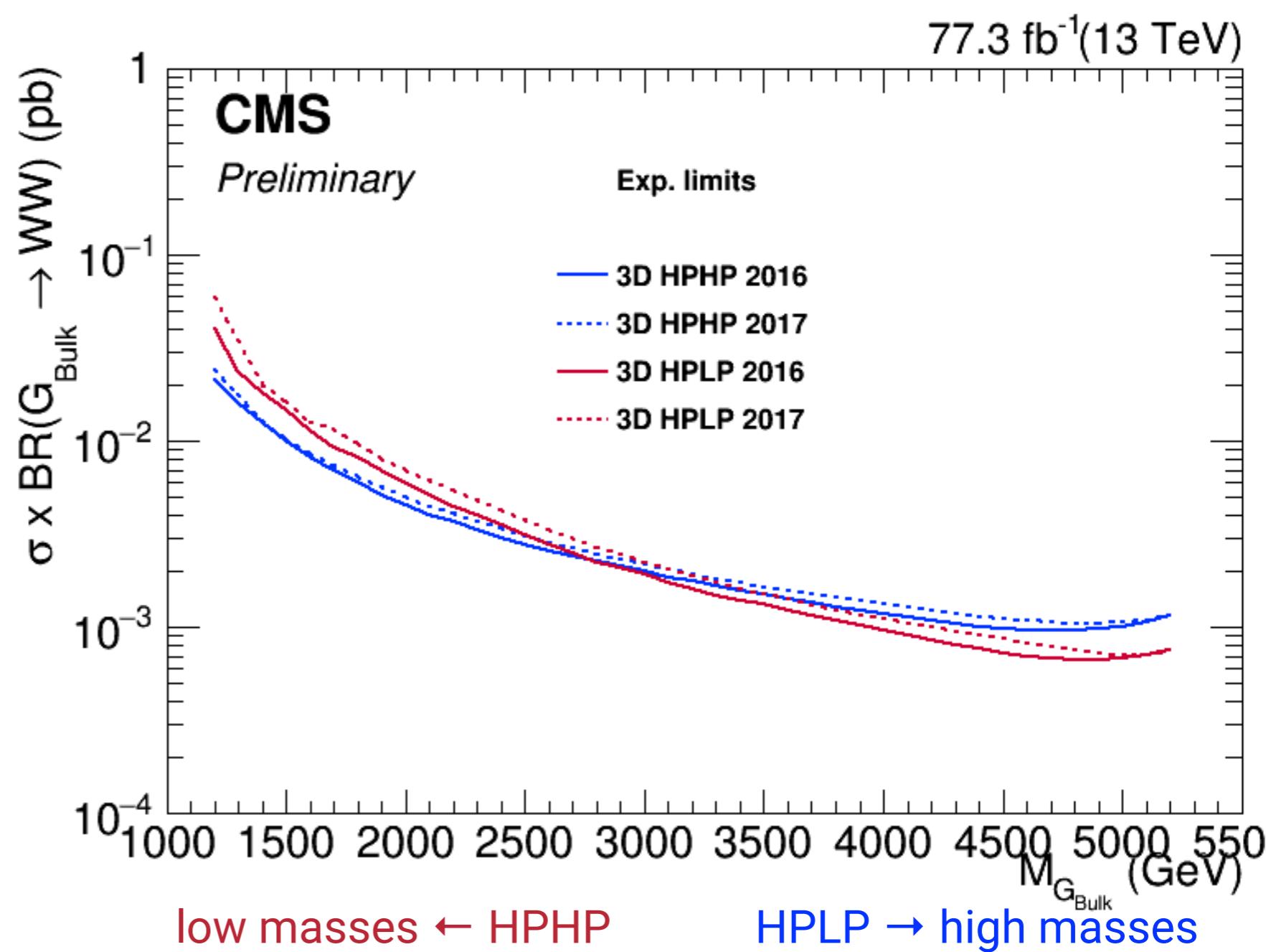
- $W' \rightarrow WZ$:
up to 3.8 TeV
- $Z' \rightarrow WW$:
up to 3.6 TeV
- Approaching
 G_{Bulk} ($\tilde{k}=0.5$)



Limits

HPHP versus HPLP

- HPHP dominate at low masses, while HPLP dominate at high



Loose DDT postfit

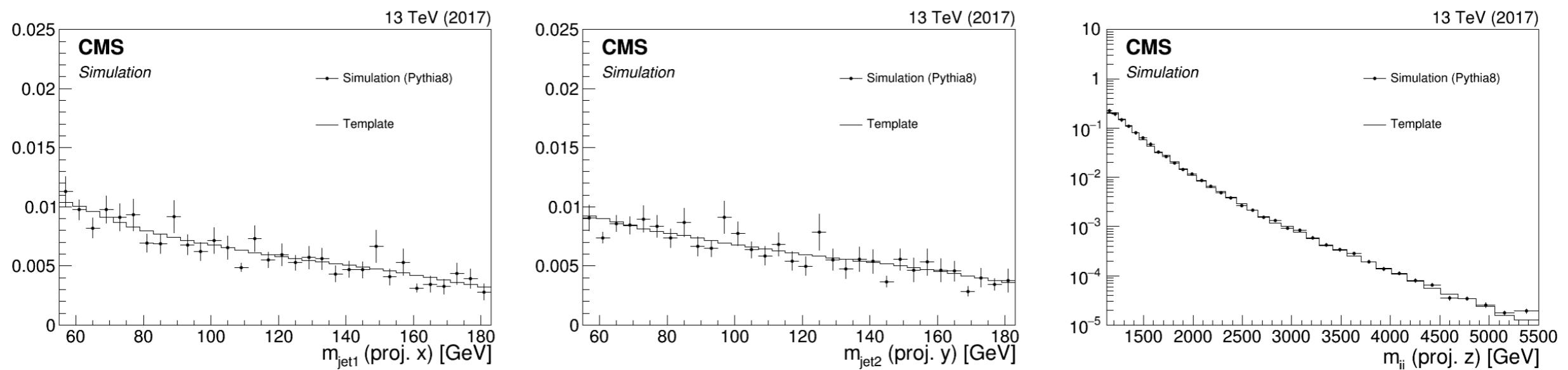


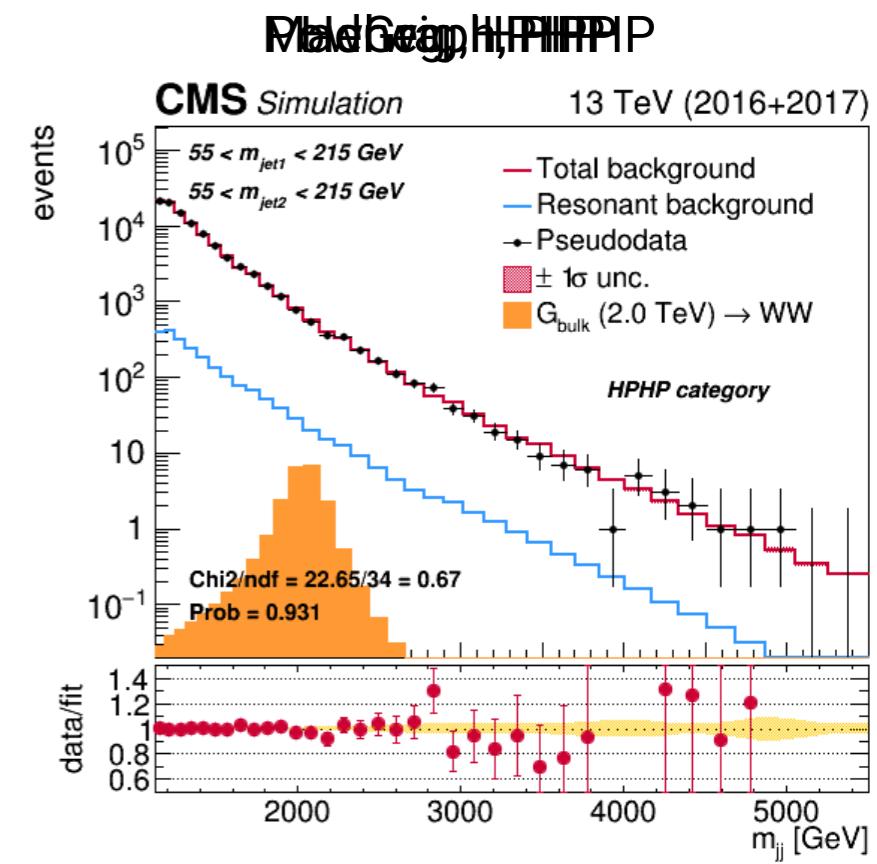
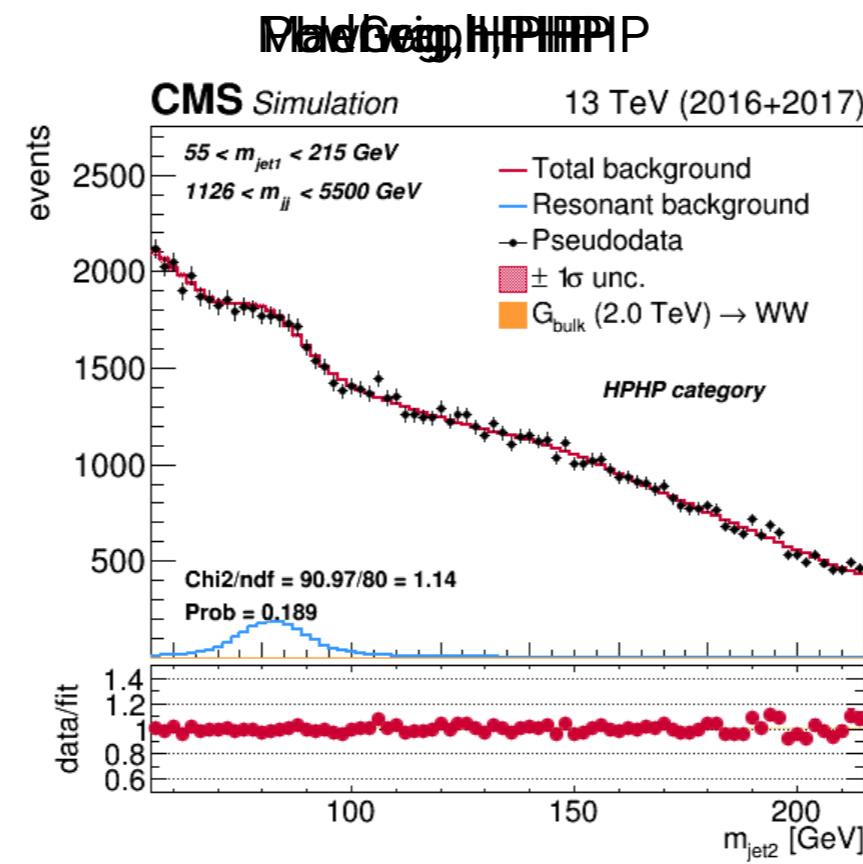
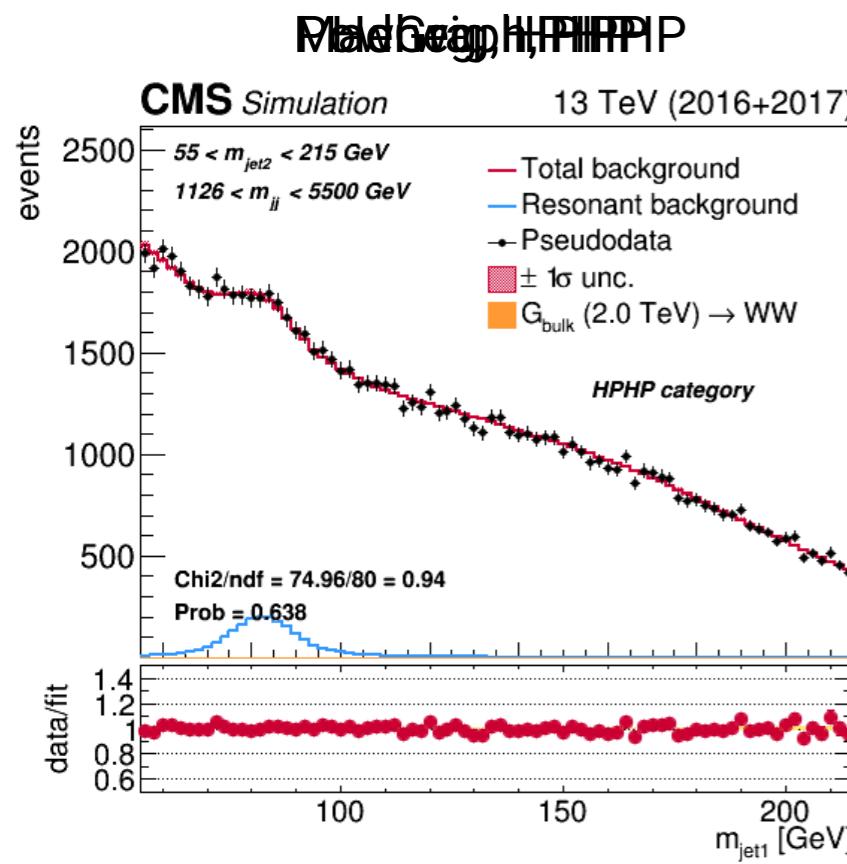
Figure 33: Comparison between QCD MC simulation (markers) and kernels derived from generator level quantities (lines) in the HPHP category, using a looser cut on τ_{21}^{DDT} .

To validate kernel transfer method, we check that we can fit a higher-statistics ³⁸⁷ HPHP region by loosening the τ^{DDT} cut to 0.49. Results in 12 times more background

Kernels: validation in MC

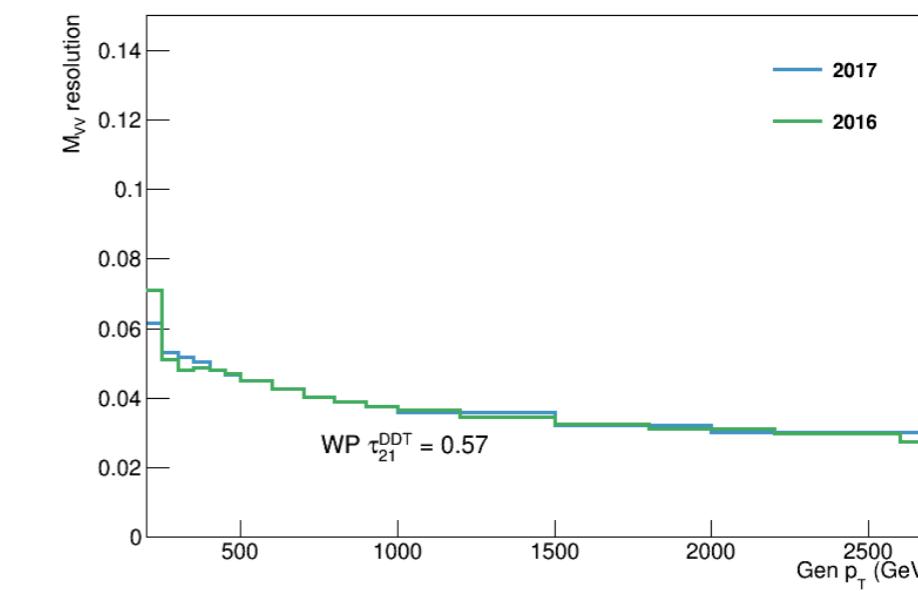
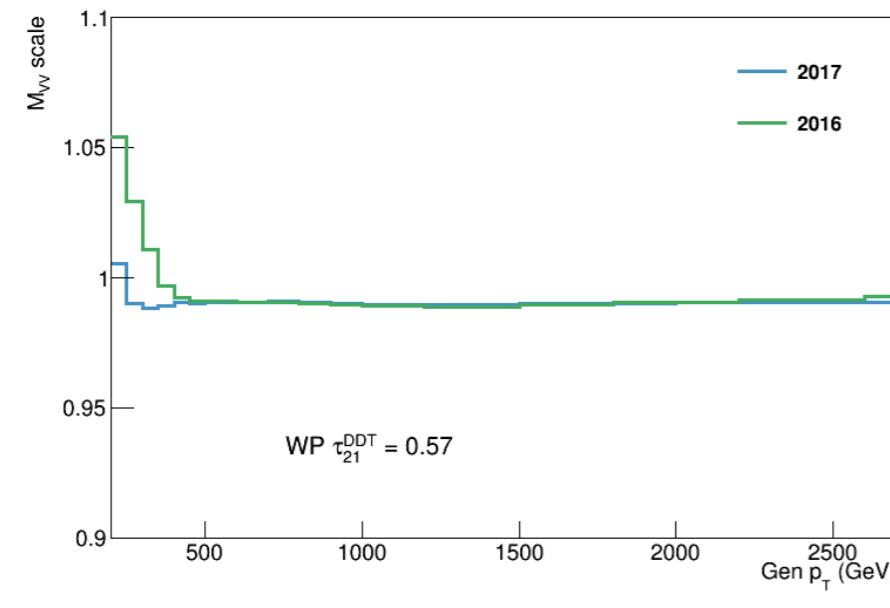
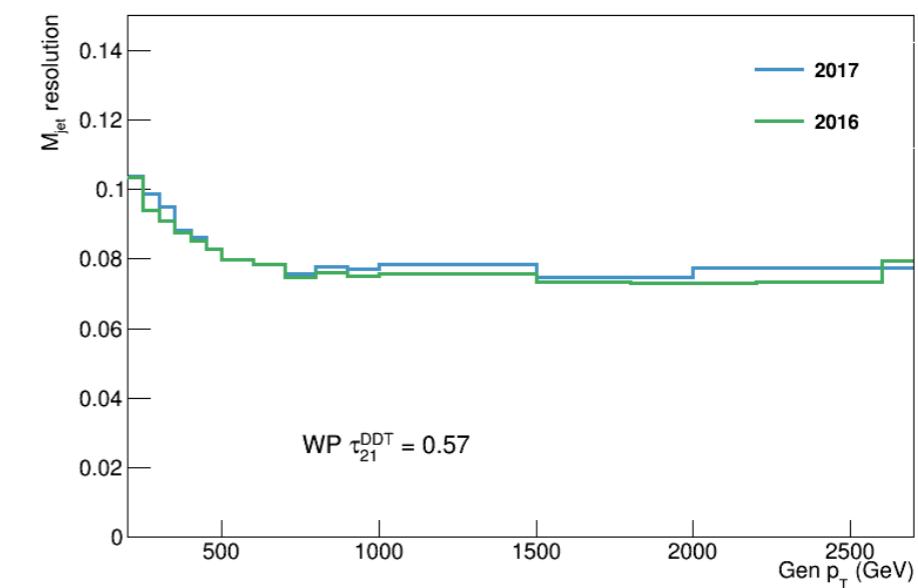
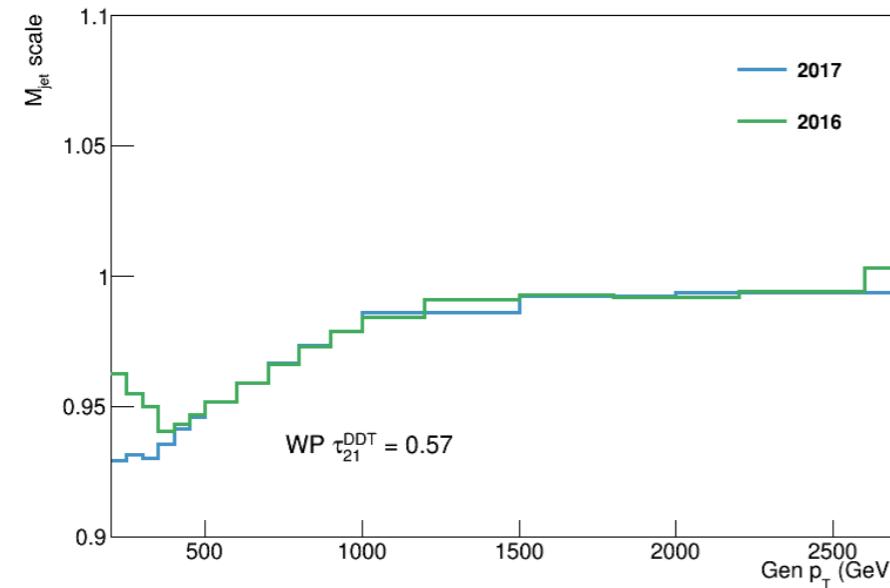
Several MC checks performed to validate kernels. Use kernel produced with nominal Pythia8 MC as starting point and fit pseudo data generated under

- Herwig - check kernels can account for variations in showering
- MadGraph - check kernels can account for variations in matrix element
- Powheg NLO - check kernels can account for variations in perturbative predictions

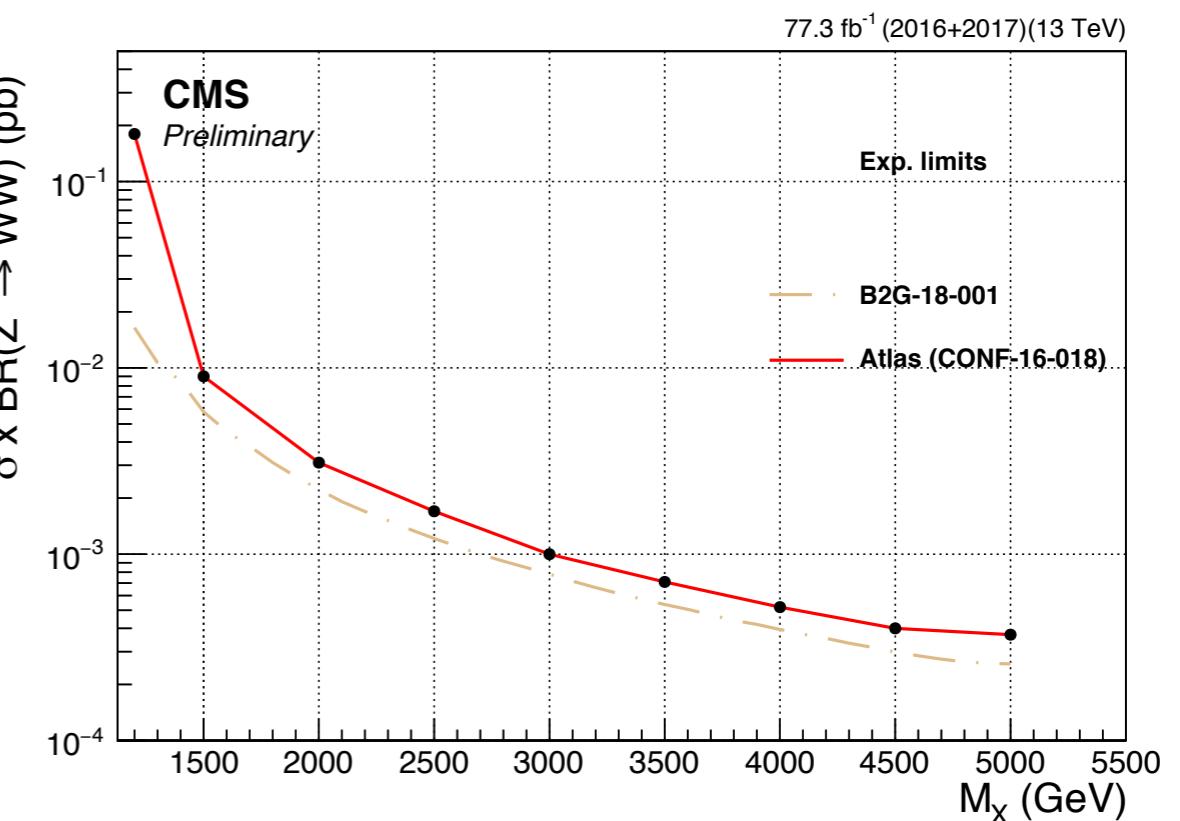
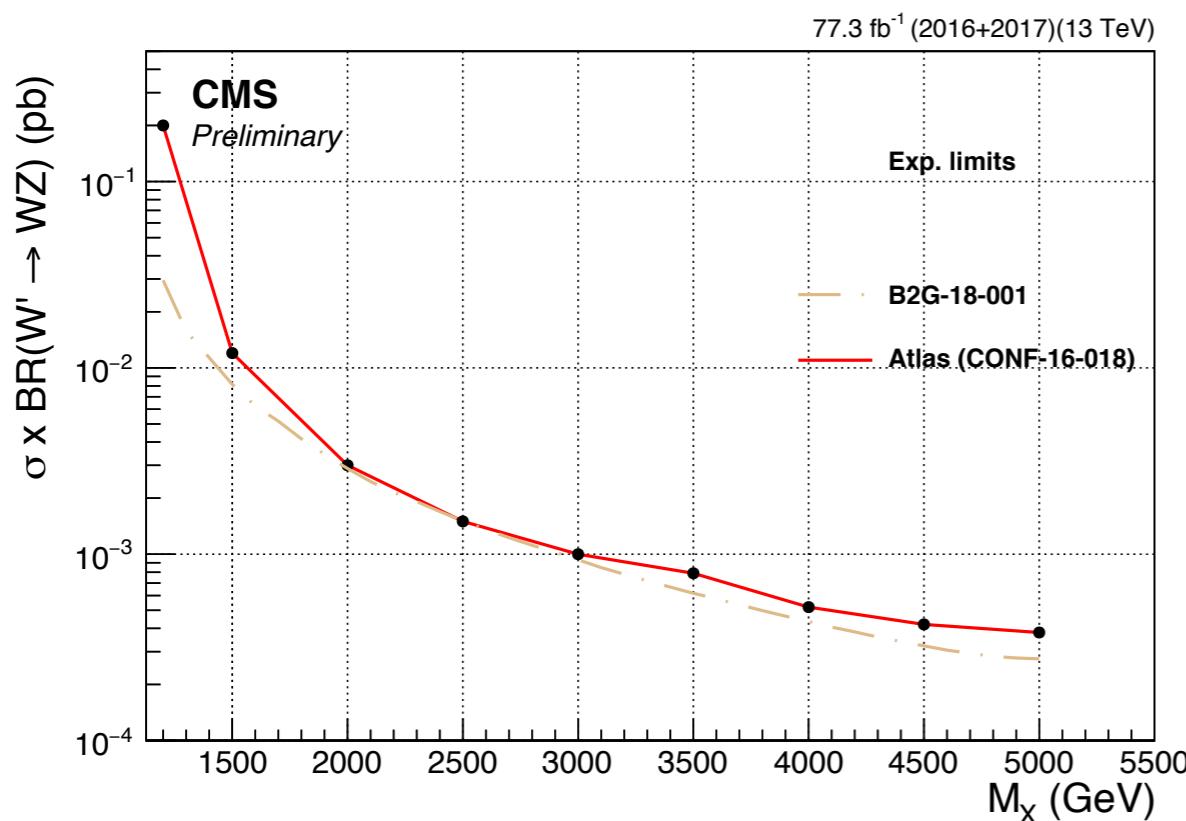


Detector resolution

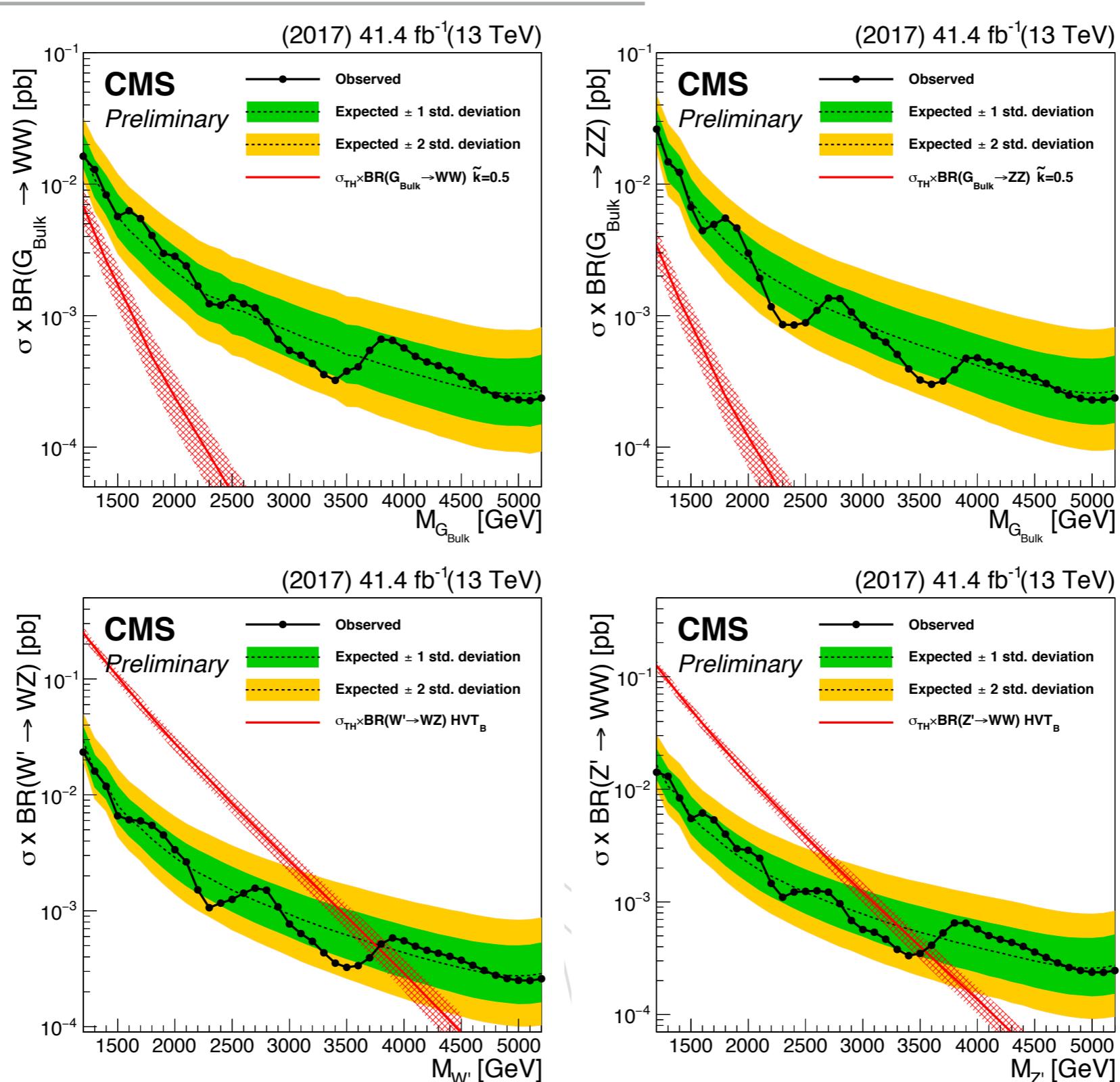
gen- p_T bins = [200,250,300,350,400,450,500,600,700,800,900,1000,1500,2000,2700,3500,5000]



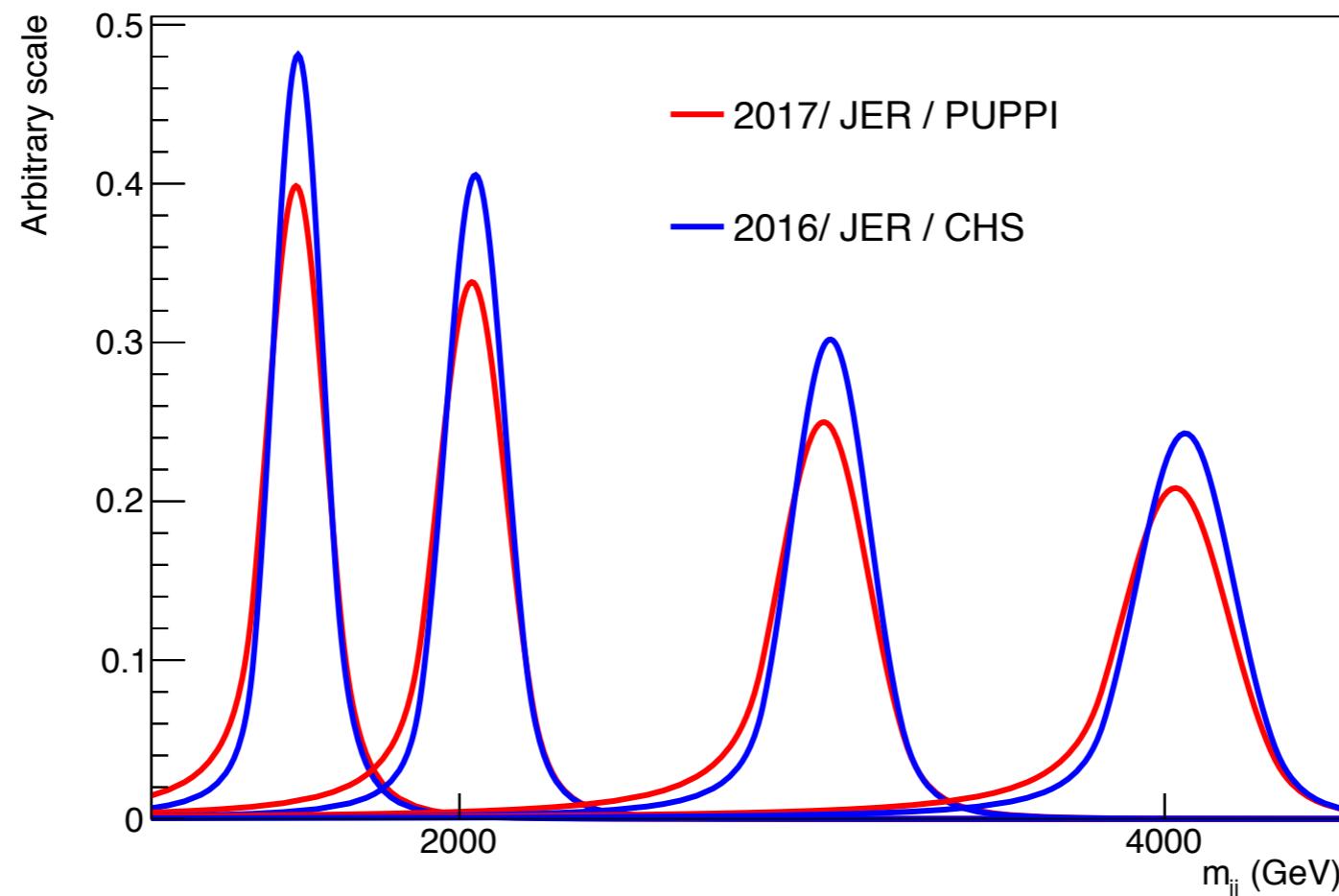
Comparisons



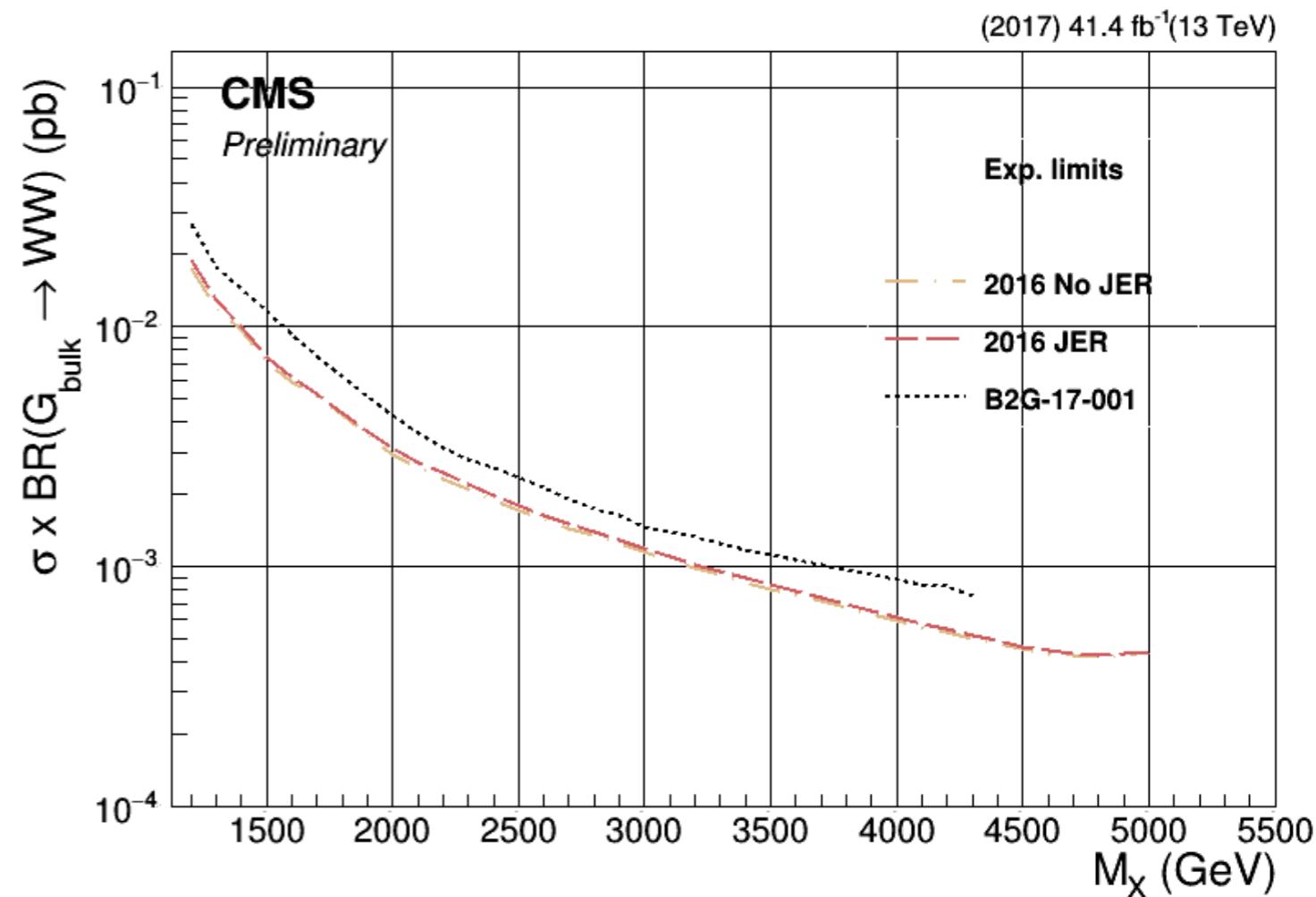
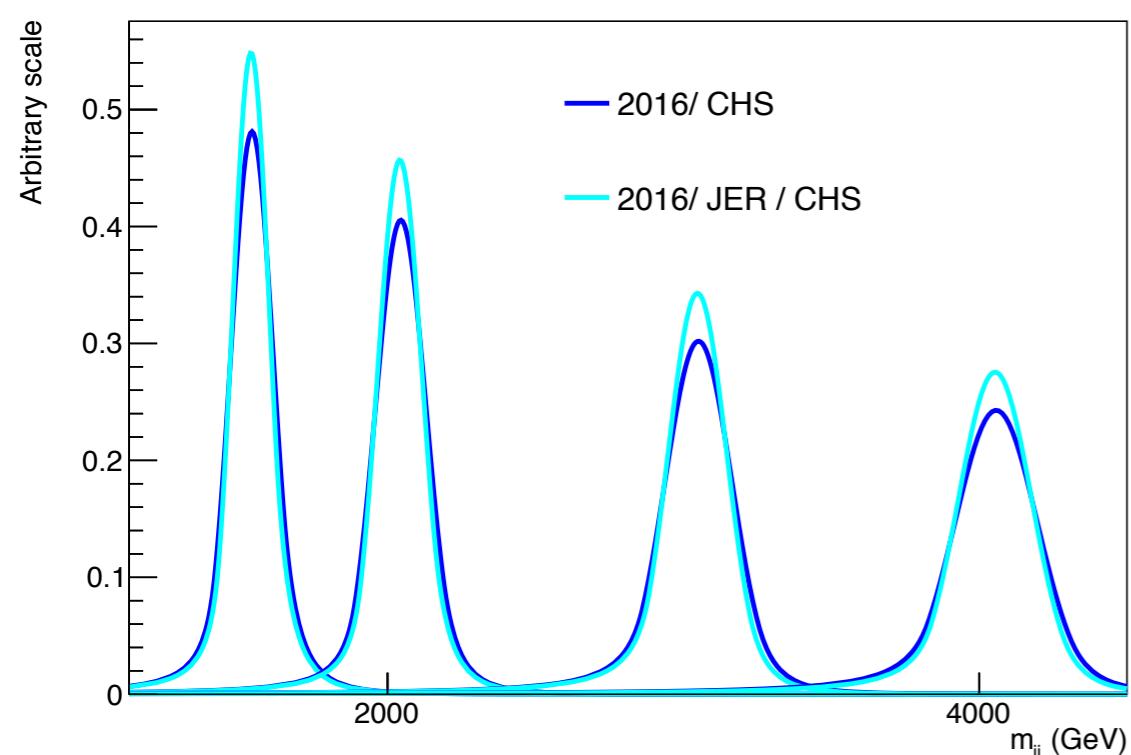
3D limits



3D: 16 vs 17



With/without JER

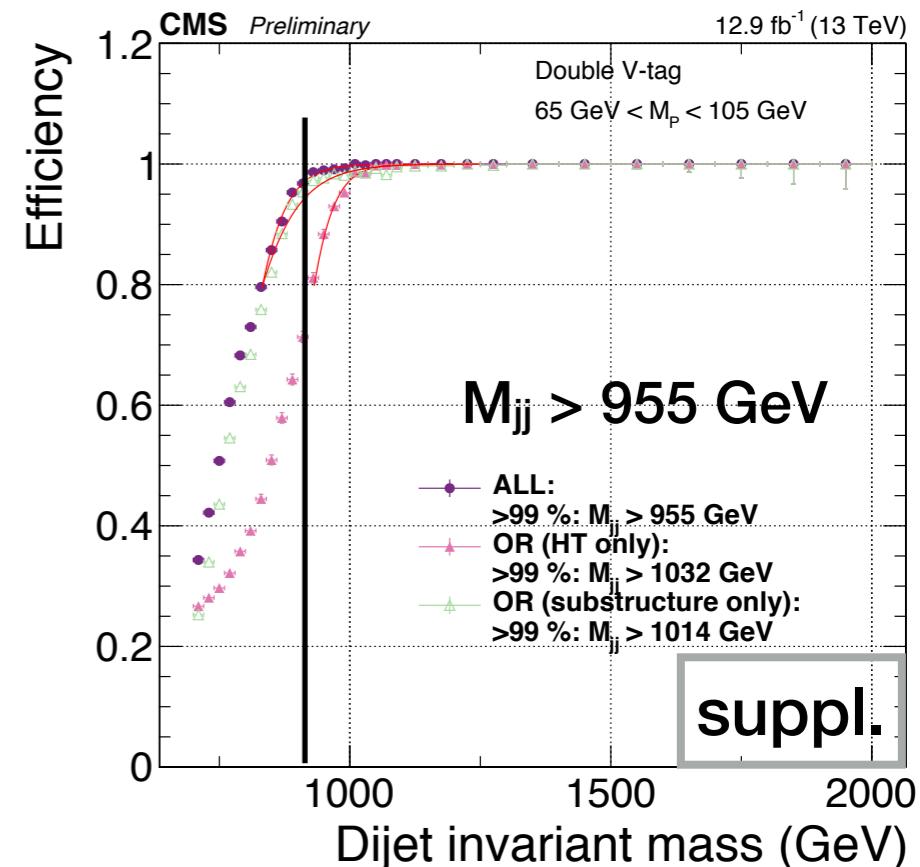
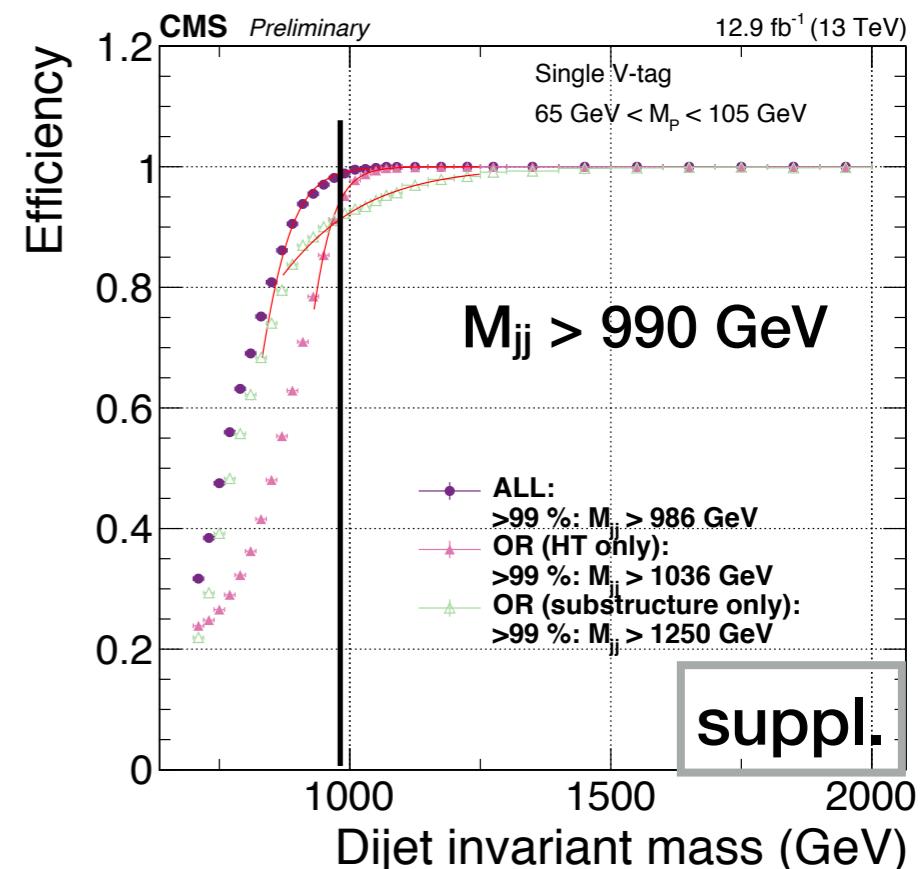




Search I

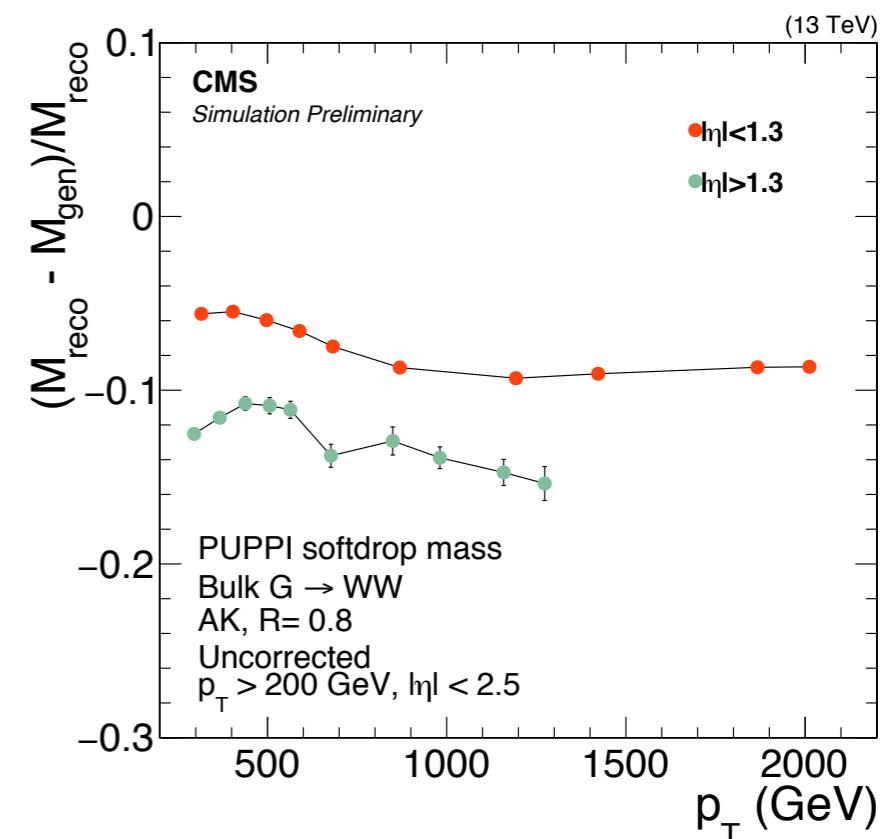
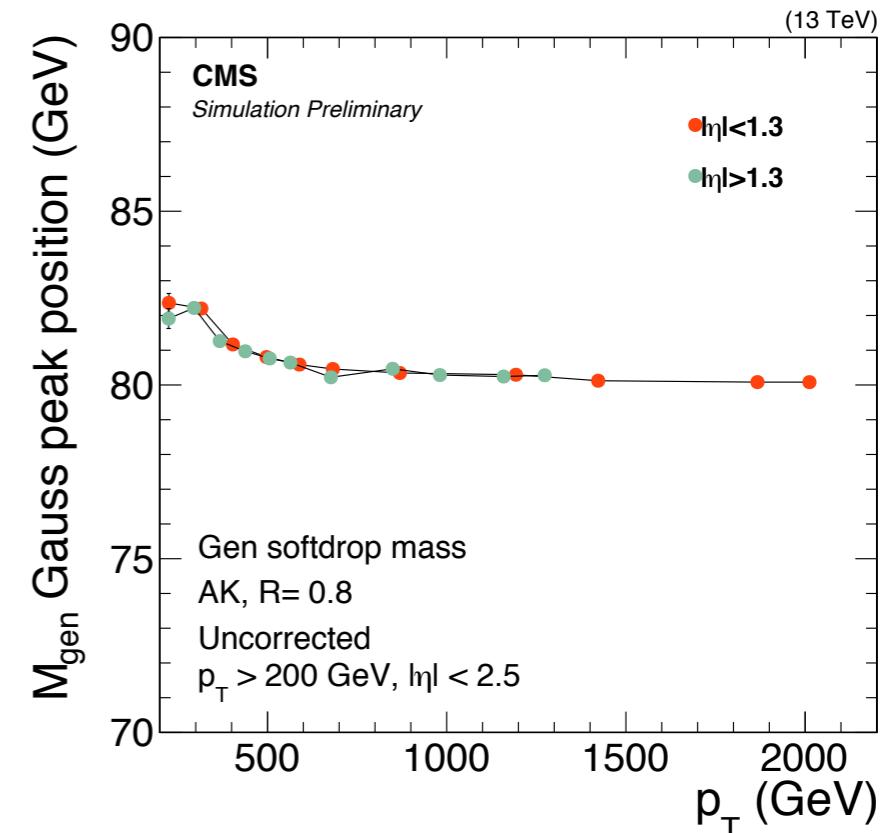
Trigger and dijet mass cut

- Background estimate depends on smoothly falling M_{jj} spectrum
 - Start analysis where trigger efficiency > 99%
- Combination of HT + substructure based triggers
 - AK8PFJet360_TrimMass30
 - AK8PFHT700_TrimR0p1PT0p03Mass50
 - PFHT650_WideJetMJJ900DEtaJJ1p5
 - PFHT800
- > 99% efficient for:
 - Single-tag : $M_{jj} > 986$ GeV → start at 990 GeV
 - Double-tag: $M_{jj} > 955$ GeV → start at 955 GeV
- For control plots, require $M_{jj} > 1020$ GeV
(no jet mass cut applied, higher turn-on)



Mass correction for PUPPI softdrop mass

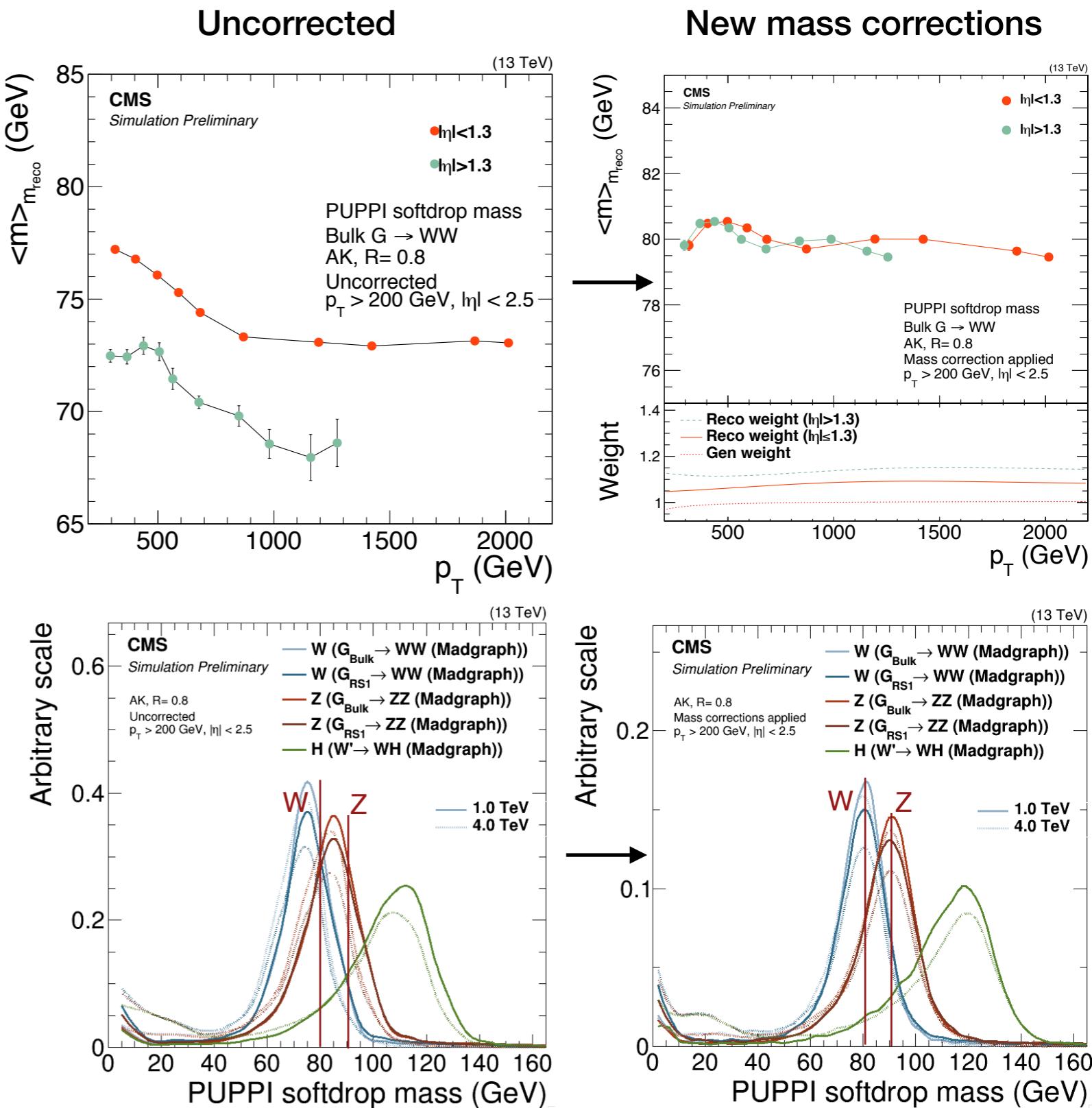
- **Generator level correction**
 - p_T -dependent shift in softdrop mass introduced at generator level
 - Correct for this jet mass shift (JMS) effect by fit to $M_{\text{PDG}}=80.4 \text{ GeV} / M_{\text{gen}}$
- **Reconstruction level correction**
 - After applying corrections above, $(M_{\text{reco}} - M_{\text{gen}})/M_{\text{reco}}$ jet mass shift is a 5-15% effect
 - Correct for residual effect by fit to $M_{\text{gen}}/M_{\text{reco}}$
- **Residual data/MC correction due to detector effects estimated in semi-leptonic $t\bar{t}$ (see slide 11)**
- **Potential difference due to simulation of $t\bar{t}$ topology accounted for as systematic uncertainty by comparing Pythia8+Powheg(NLO) with Pythia8+Madgraph(LO)**



Closure test

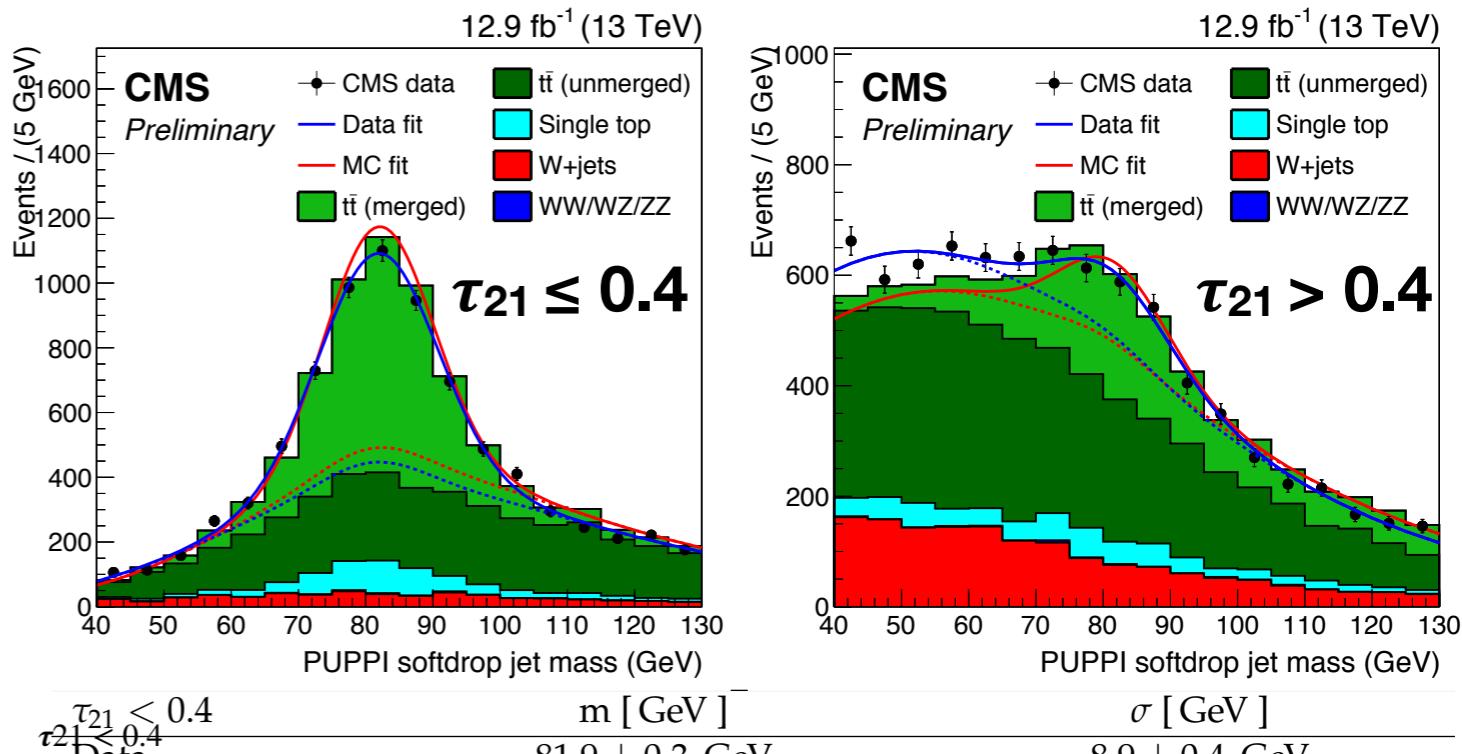


- After mass corrections applied, mass stable as a function of p_T around 80 GeV
- Work for Z and H as well
- Additionally validated in semi-leptonic $t\bar{t}$
 - jet mass scale and resolution close to unity (see next slide)



W-tagging scalefactor and jet mass scale

- Estimated in merged W-jet enriched sample in semi-leptonic $t\bar{t}$ ($p_T \sim 200$ GeV):
 - Simultaneous fit in pass ($\tau_{21} \leq 0.4$) and fail ($\tau_{21} > 0.4$) category for data and MC
 - Extract W-tagging efficiency as integral of Gaussian fit component → data/MC efficiency yields SF
 - Jet mass scale/resolution from Gaussian mean and width
- Jet mass resolution used to smear MC and additionally inserted as systematic uncertainties (scaling up/down within unc.)
- Scalefactor inserted as scale of signal yield and as systematic uncertainty
- Further documentation [here](#)



$\tau_{21} < 0.4$	m [GeV]	σ [GeV]
Data	81.9 ± 0.3 GeV	8.9 ± 0.4 GeV
Simulation	82.0 ± 0.2 GeV	8.3 ± 0.3 GeV
Data/simulation	0.999 ± 0.004 (stat) ± 0.0006 (sys)	1.08 ± 0.07 (stat) ± 0.08 (sys)

τ_{21} selection	Efficiency scale factor
$\tau_{21} < 0.4$	1.03 ± 0.03 (stat) ± 0.04 (sys) ± 0.06 (sys)
$0.4 < \tau_{21} < 0.75$	0.88 ± 0.12 (stat) ± 0.17 (sys) ± 0.12 (sys)

Yields+shape fixed from MC

$$L_{\text{pass}} = \prod_{i=1}^{N_{\text{evt}}^{\text{pass}}} \left[N_W \cdot \epsilon_{HP} \cdot f_{\text{pass}}^{\text{sig}}(m_j) + N_2 \cdot f_{\text{pass}}^{\text{bkg}}(m_j) + N_{\text{pass}}^{\text{sTop}} \cdot f_{\text{pass}}^{\text{sTop}} + N_{\text{pass}}^{\text{VV}} \cdot f_{\text{pass}}^{\text{VV}} + N_{\text{pass}}^{\text{wjet}} \cdot f_{\text{pass}}^{\text{wjet}} \right]$$

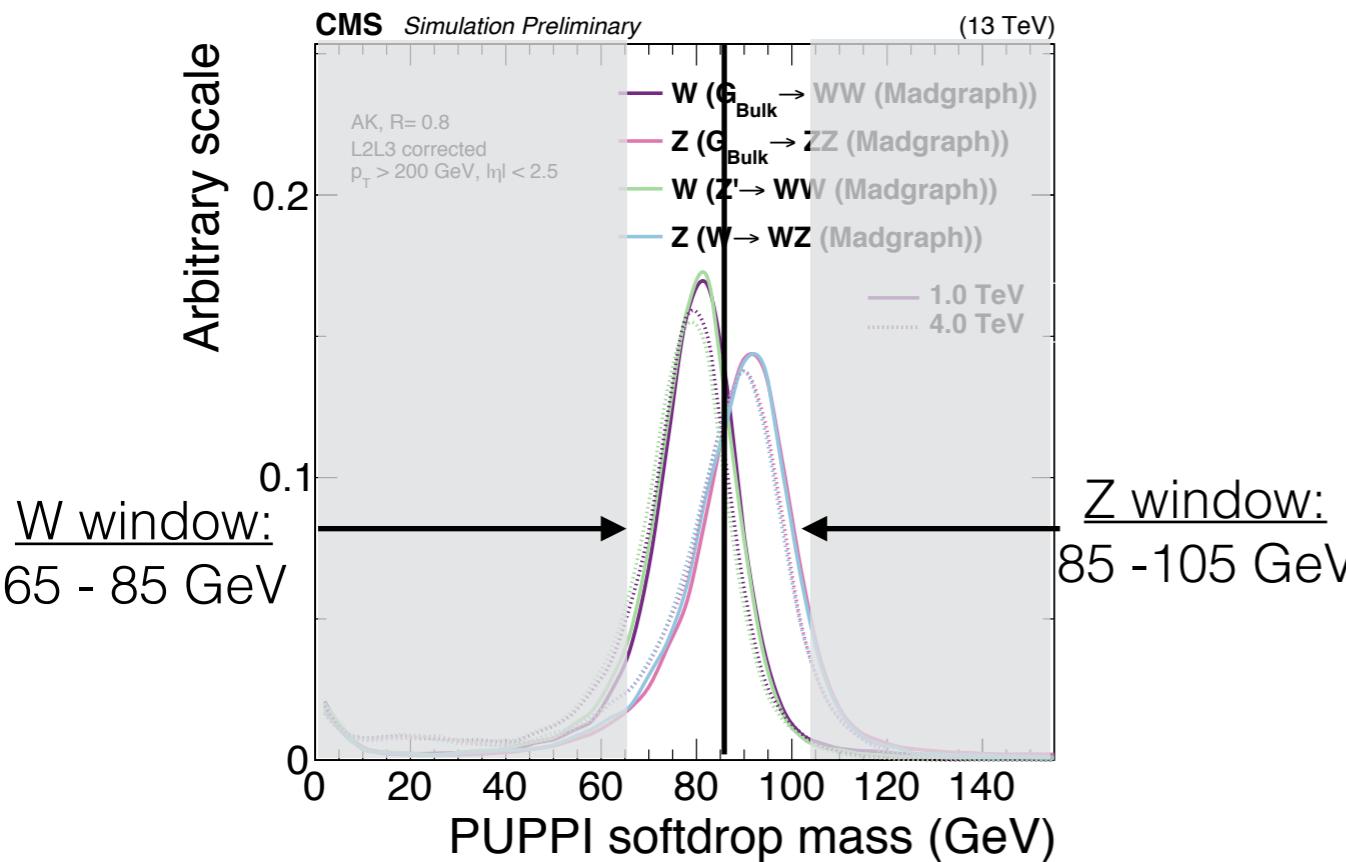
$$L_{\text{fail}} = \prod_{i=1}^{N_{\text{evt}}^{\text{fail}}} \left[N_W \cdot (1 - \epsilon_{HP}) \cdot f_{\text{fail}}^{\text{sig}}(m_j) + N_3 \cdot f_{\text{fail}}^{\text{bkg}}(m_j) + N_{\text{fail}}^{\text{sTop}} \cdot f_{\text{fail}}^{\text{sTop}} + N_{\text{fail}}^{\text{VV}} \cdot f_{\text{fail}}^{\text{VV}} + N_{\text{fail}}^{\text{wjet}} \cdot f_{\text{fail}}^{\text{wjet}} \right]$$

$$SF = \frac{\epsilon_{HP}(\text{Data})}{\epsilon_{HP}(\text{MC})}$$

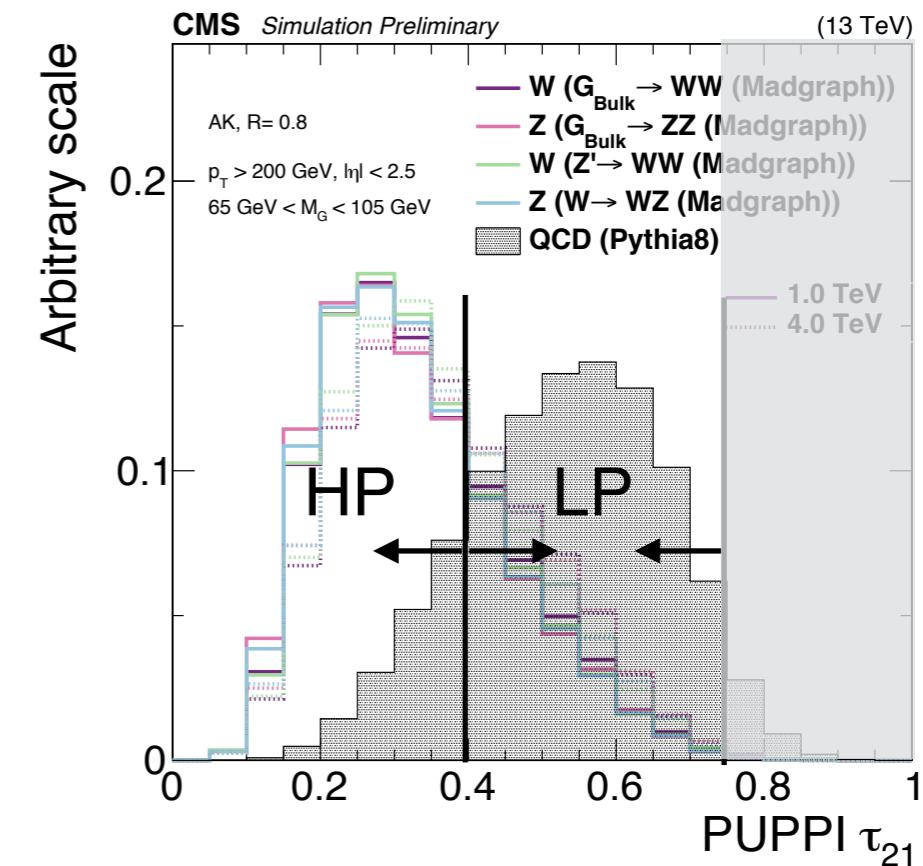
Mass and purity categorisation

- Mass categories:

- To enhance sensitivity, split mass window



- N-subjettiness categories:



- **Two categories:**

- High-purity: PUPPI $\tau_{21} \leq 0.4$ (best S/B)
- Low-purity: $0.4 < \text{PUPPI } \tau_{21} \leq 0.75$ (enhance sensitivity at high M_X)

- **All categories combined for final limits**

Double-tag: WW

- Tested fit functions:

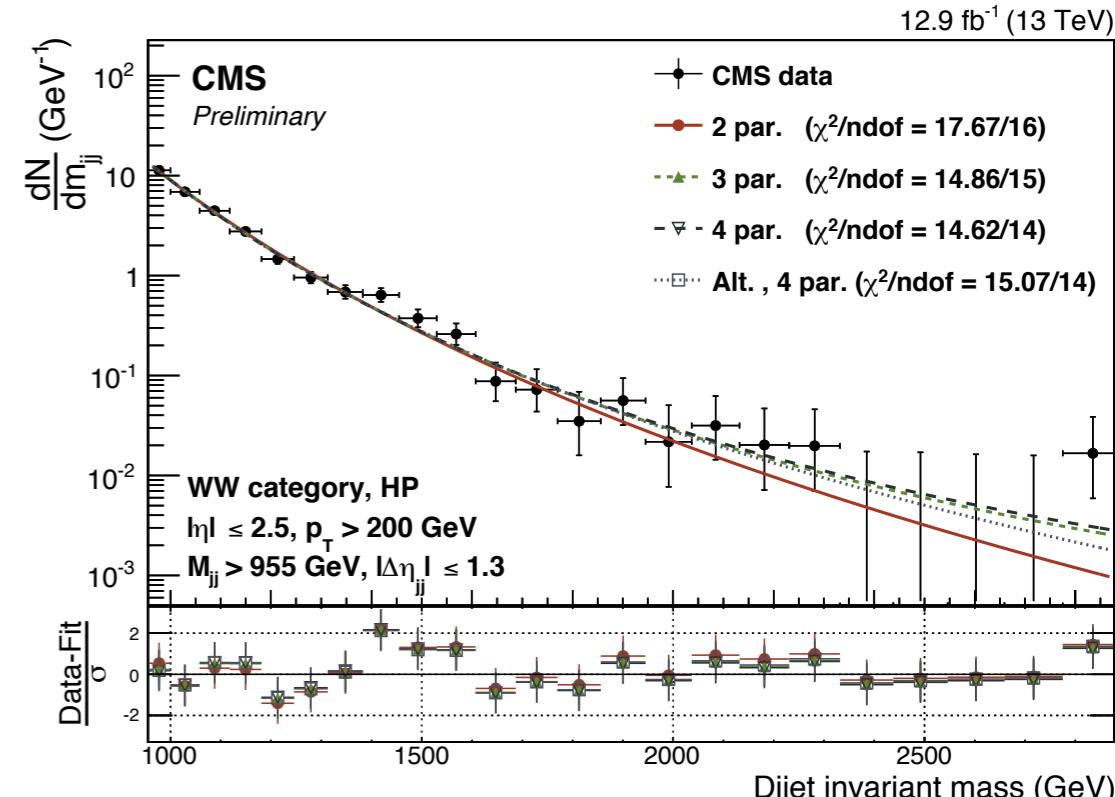
- 2 par: $\frac{dN}{dm} = \frac{P_0}{(m/\sqrt{s})^{P_2}}$

- 3 par: $\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2}}$

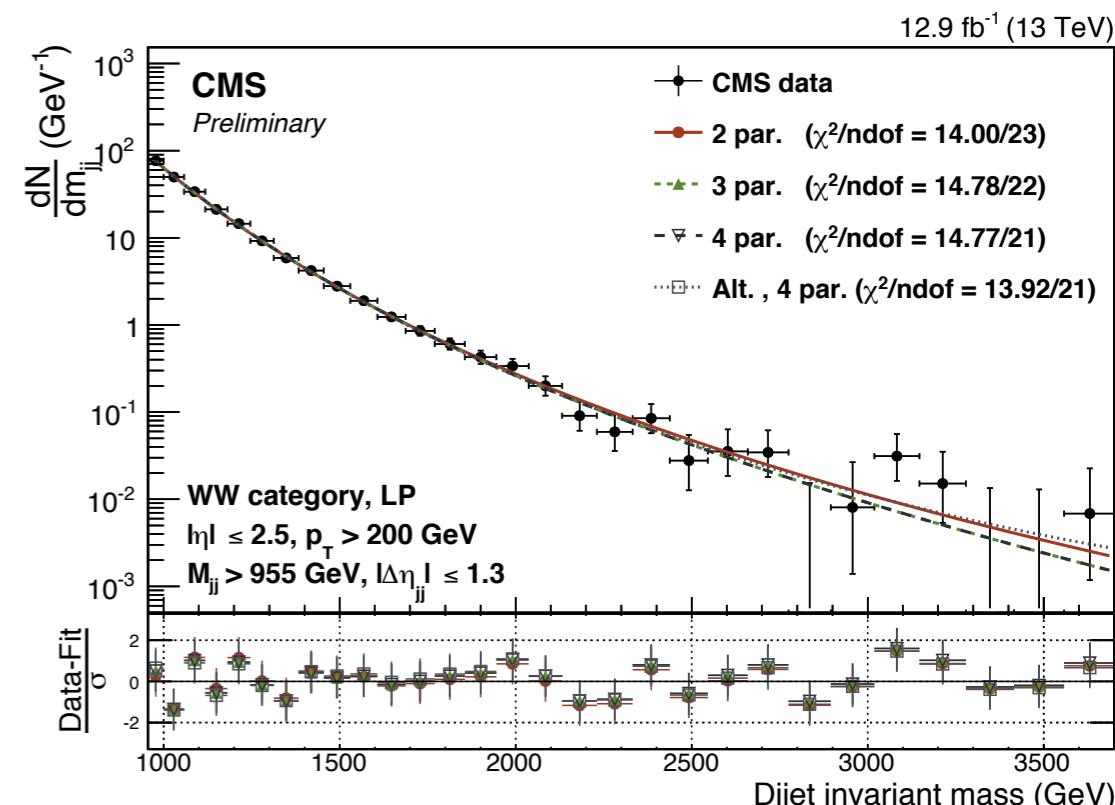
- 4 par: $\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2+P_3 \times \log(m/\sqrt{s})}}$

- Alt.: $\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s} + P_3(m/\sqrt{s})^2)^{P_1}}{(m/\sqrt{s})^{P_2}}$

WW category, HP			
Function	Residuals	χ^2	ndof
2 par	0.251	17.673	16
3 par	0.187	14.863	15
4 par	0.183	14.618	14
Fishers23	5.454	CL	0.033
Fishers34	0.391	CL	0.541



WW category, LP			
Function	Residuals	χ^2	ndof
2 par	2.974	13.997	23
3 par	3.082	14.775	22
4 par	3.080	14.768	21
Fishers23	-0.805	CL	1.000
Fishers34	0.015	CL	0.905



WW HP: 3 parameters
WW LP: 2 parameters

Single-tag: qZ

- Higher order fit functions necessary for single-tag category (statistics higher, distributions more complex):

- 3 par: $\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2}}$

- 4 par: $\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2+P_3 \times \log(m/\sqrt{s})}}$

- 5 par: $\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2+P_3 \times \log(m/\sqrt{s})+P_4 \times \log(m/\sqrt{s})^2}}$

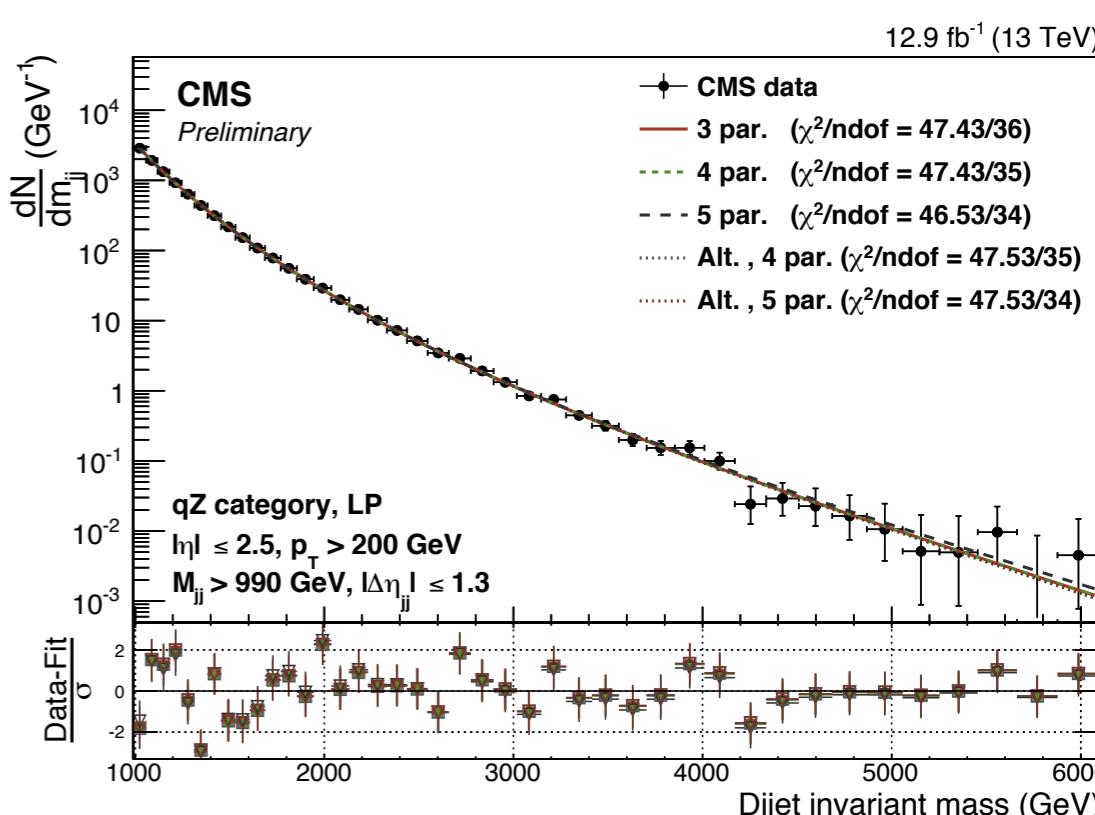
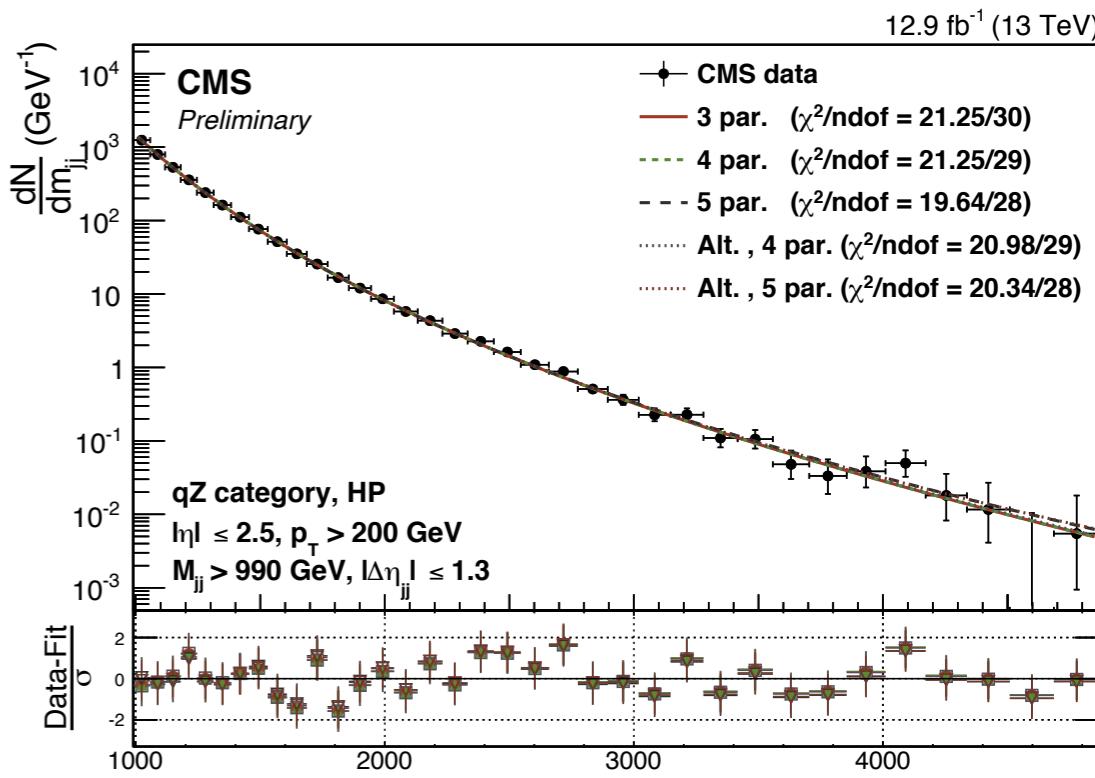
- Alt. 4: $\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s} + P_3(m/\sqrt{s})^2)^{P_1}}{(m/\sqrt{s})^{P_2}}$

- Alt. 5: $\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s} + P_3(m/\sqrt{s})^2)^{P_1}}{(m/\sqrt{s})^{P_2+P_4 \times \log(m/\sqrt{s})}}$

qZ category, HP			
Function	Residuals	χ^2	ndof
3 par	12.963	21.252	30
4 par	12.961	21.252	29
5 par	9.256	19.644	28
Alt. 4 par	13.931	20.977	29
Alt. 5 par	9.739	20.344	28
Fishers34	0.004	CL 0.948	
Fishers45	11.609	CL 0.002	
FishersAlt4Alt5	12.484	CL 0.001	

qZ category, LP			
Function	Residuals	χ^2	ndof
3 par	369.554	47.426	36
4 par	369.554	47.426	35
5 par	298.358	46.525	34
Alt. 4 par	379.111	47.531	35
Alt. 5 par	379.120	47.531	34
Fishers34	0.000	CL 0.994	
Fishers45	8.352	CL 0.007	
FishersAlt4Alt5	-0.001	CL 0.000	

→ qZ HP: 3 parameters
qZ LP: 3 parameters

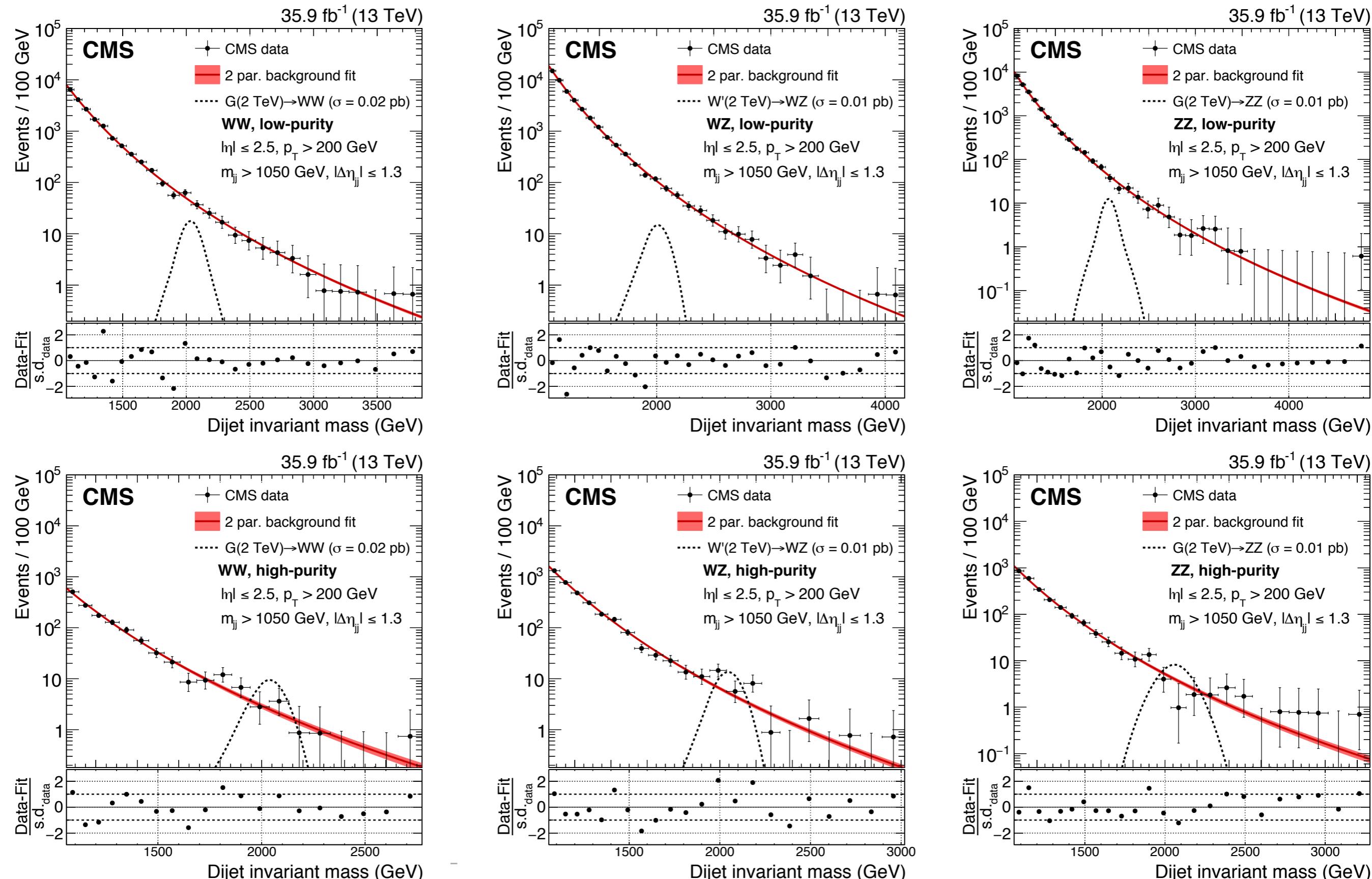


Systematic uncertainties

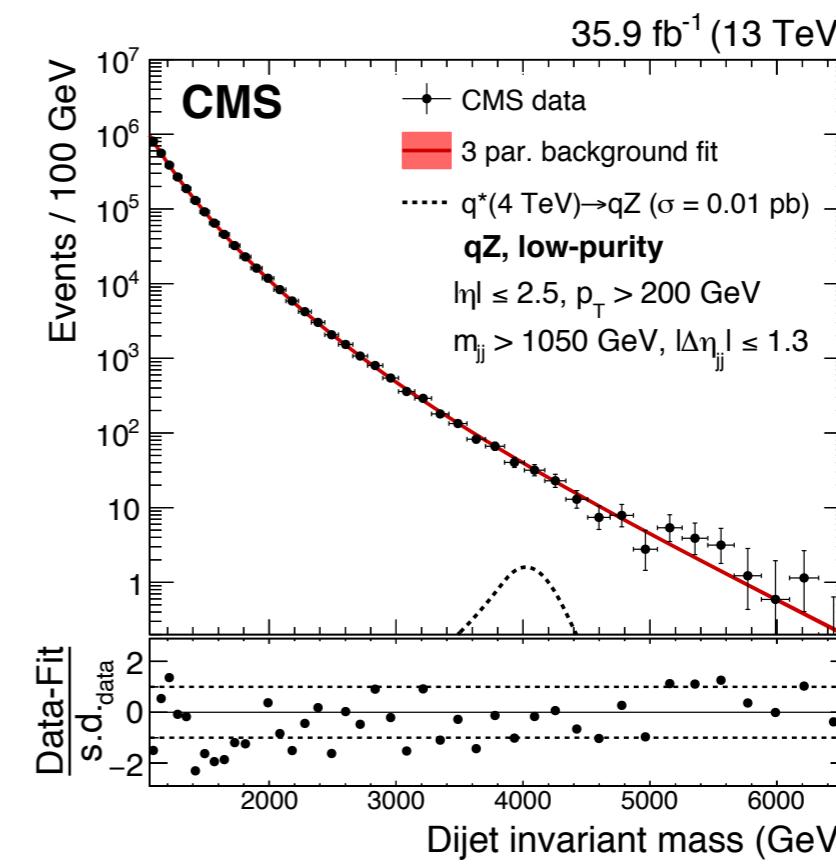
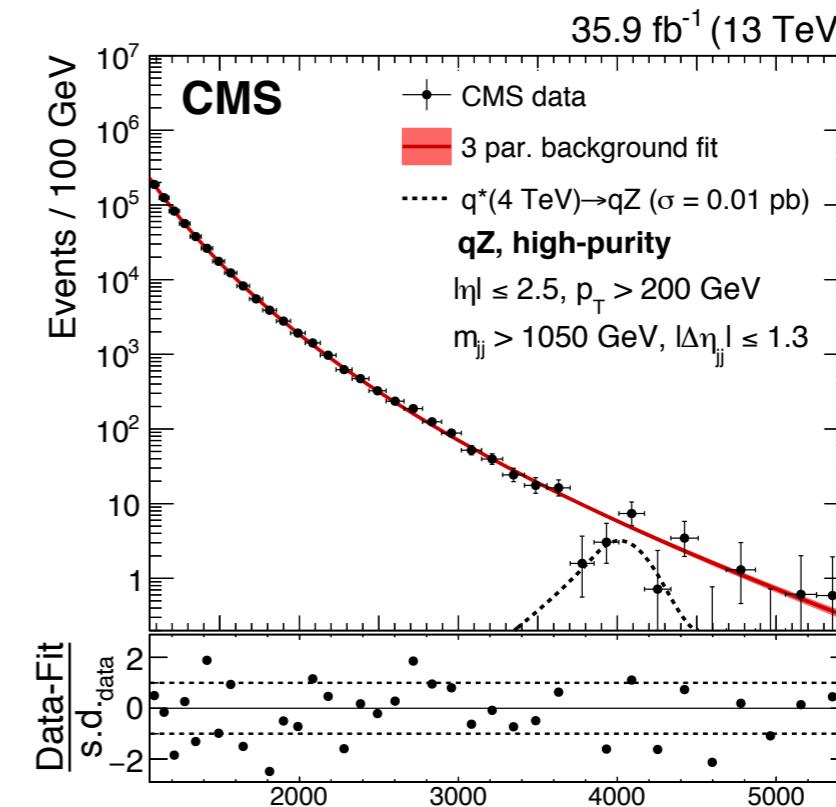
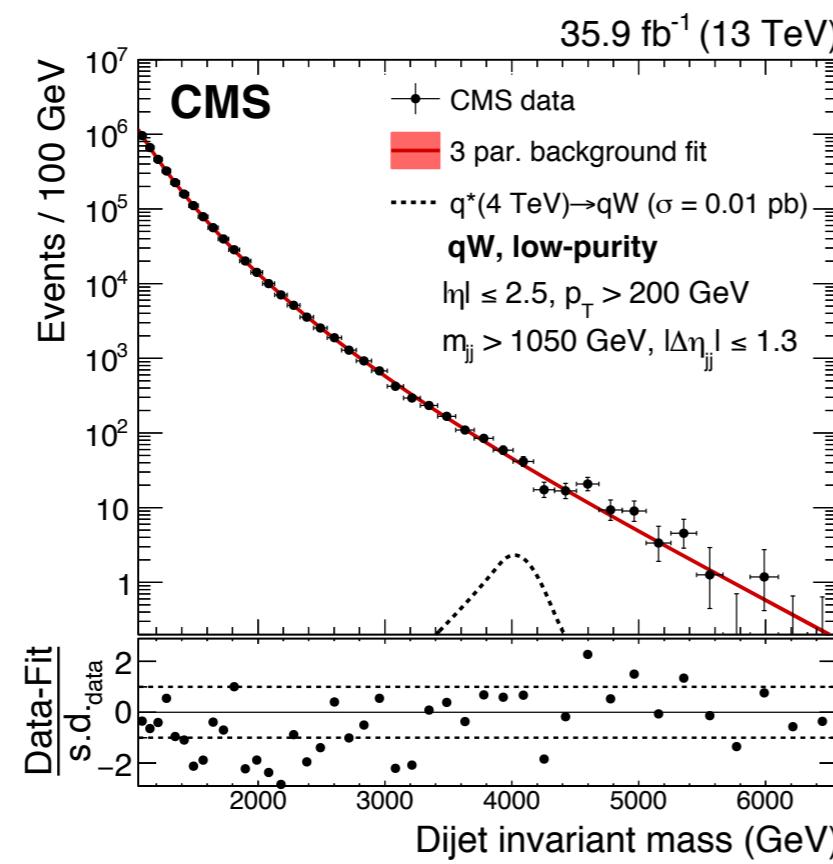
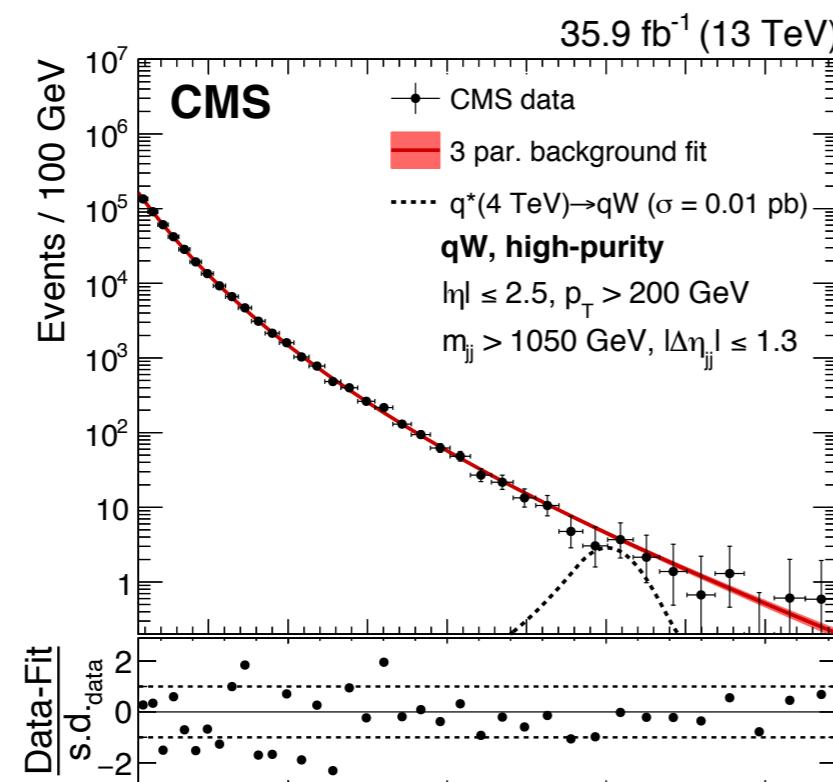
- Main systematic uncertainties related to signal modelling
 - Tagging efficiency of W-tagging scalefactor (include statistical uncertainty, τ_{21} cut efficiency measurement, simulation of the tt topology and extrapolation to high p_T)
 - Jet energy/mass scale and resolution (uncertainties due to jet mass scale and resolution are evaluated by scaling the PUPPI softdrop jet mass up and down within uncertainties listed on slide 12)
- Uncertainties related to jet mass and τ_{21} are correlated among categories (e.g events migrating out of HP move into LP)

Source	Relevant quantity	HP+HP unc. (%)	HP+LP unc. (%)
Jet energy scale	Resonance shape	2	2
Jet energy resolution	Resonance shape	10	10
Jet energy scale	Signal yield	<0.1–4.4	
Jet energy resolution	Signal yield	<0.1–1.1	
Jet mass scale	Signal yield	0.02–1.5	
Jet mass resolution	Signal yield	1.3–6.8	
Pileup	Signal yield	2	
Integrated luminosity	Signal yield	6.2	
PDF and scales (W' and Z')	Signal yield	2–18	
PDF and scales (G_{bulk})	Signal yield	8–78	
Jet mass scale	Migration	<0.1–16.8	
Jet mass resolution	Migration	<0.1–17.8	
W-tagging τ_{21}	Migration	15.6	21.9
W-tagging p_T -dependence	Migration	7–14	5–11

Double-tag: Background-only fits

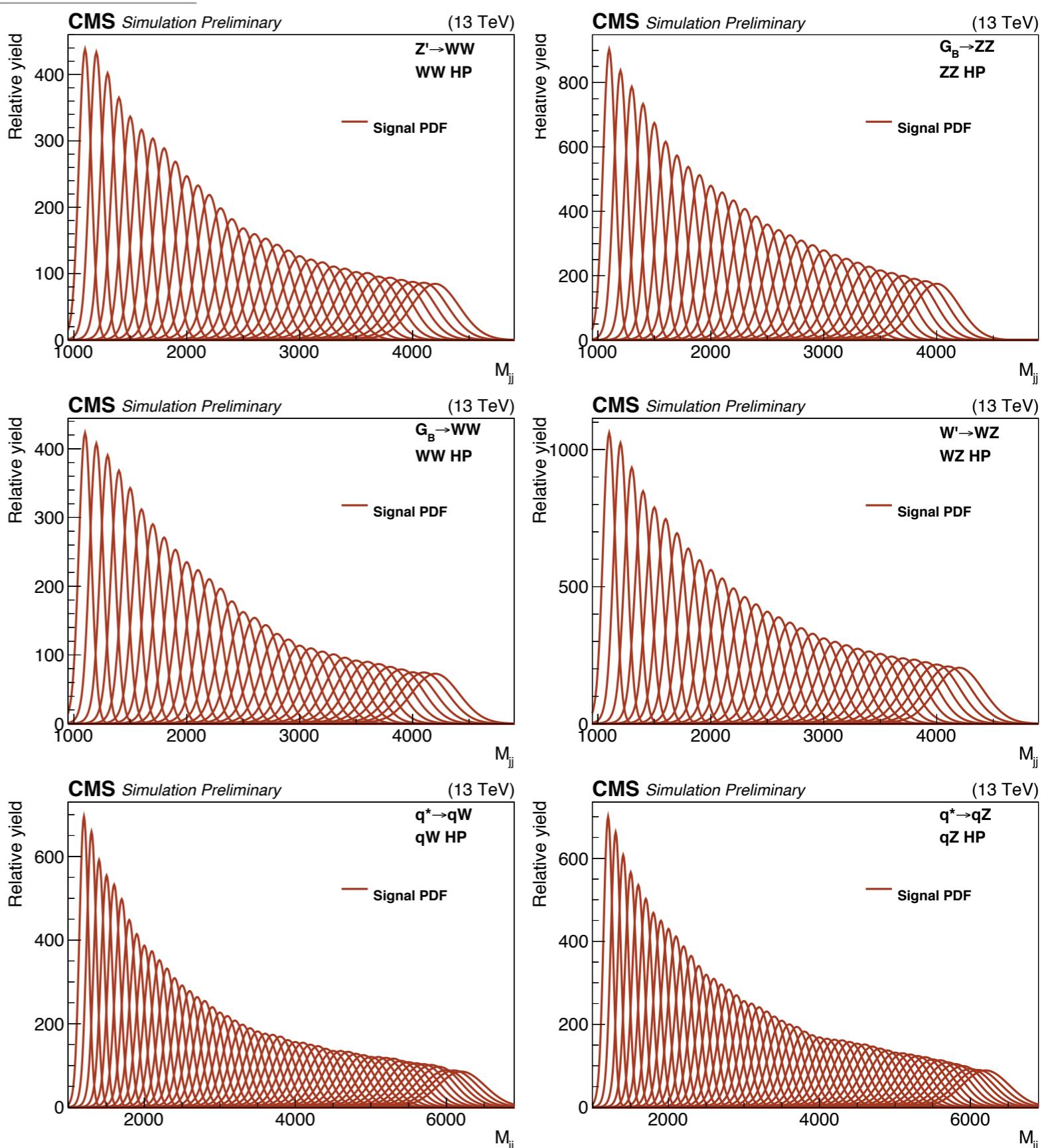


Single-tag: Background-only fits

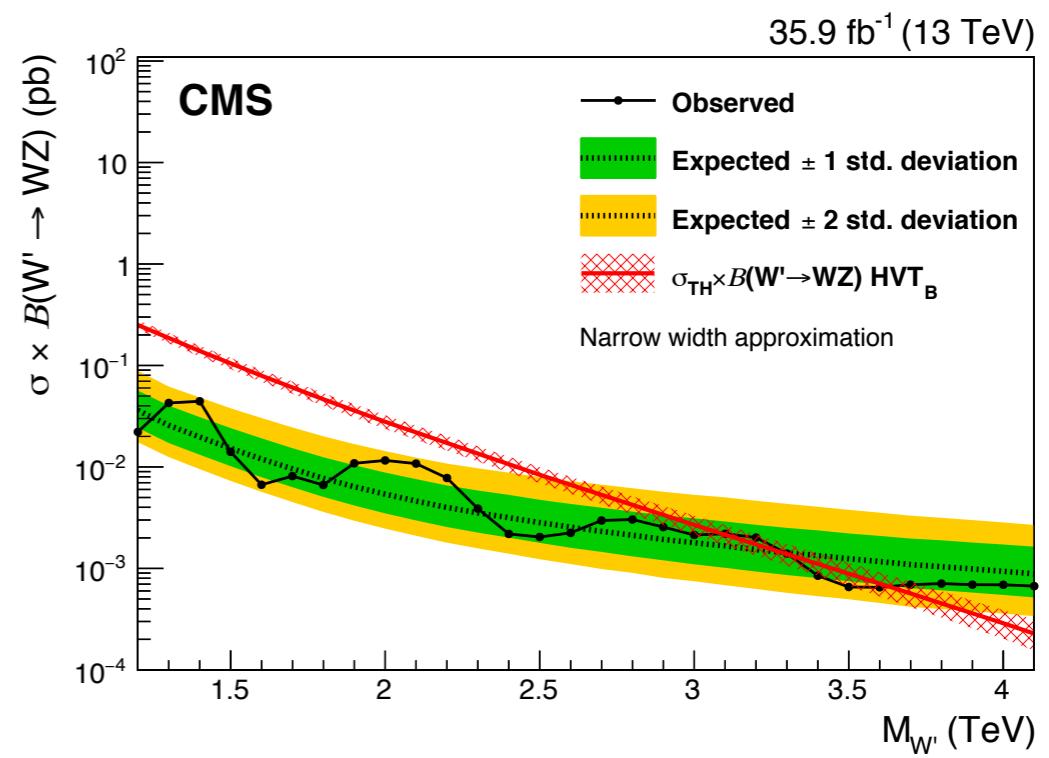
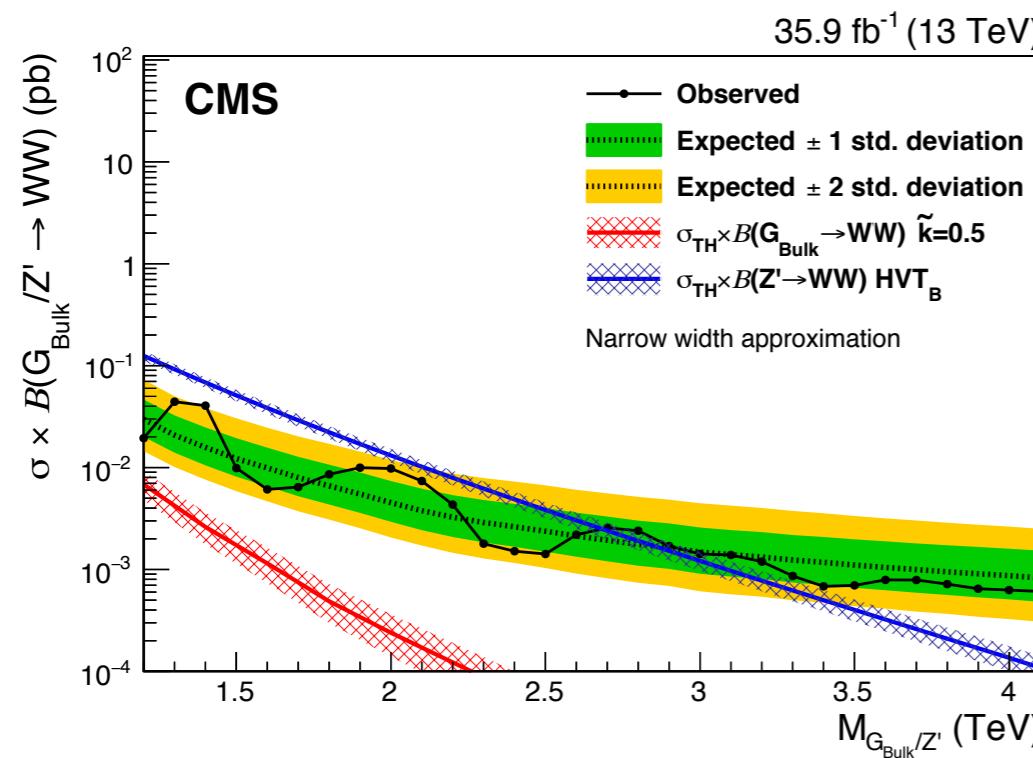
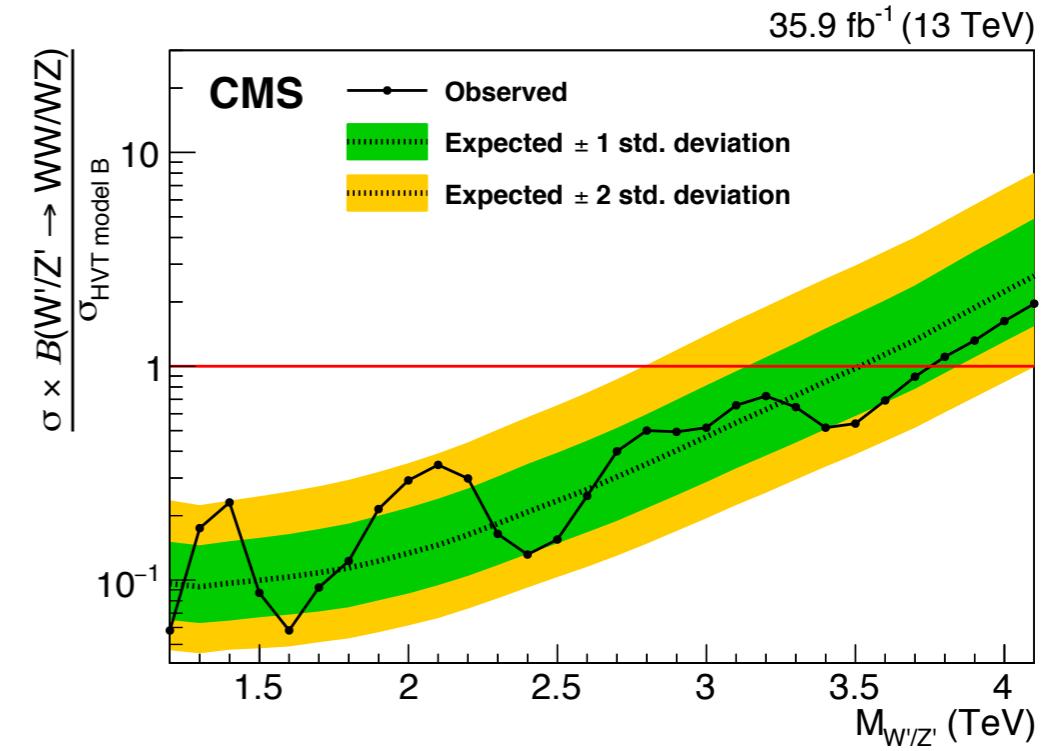
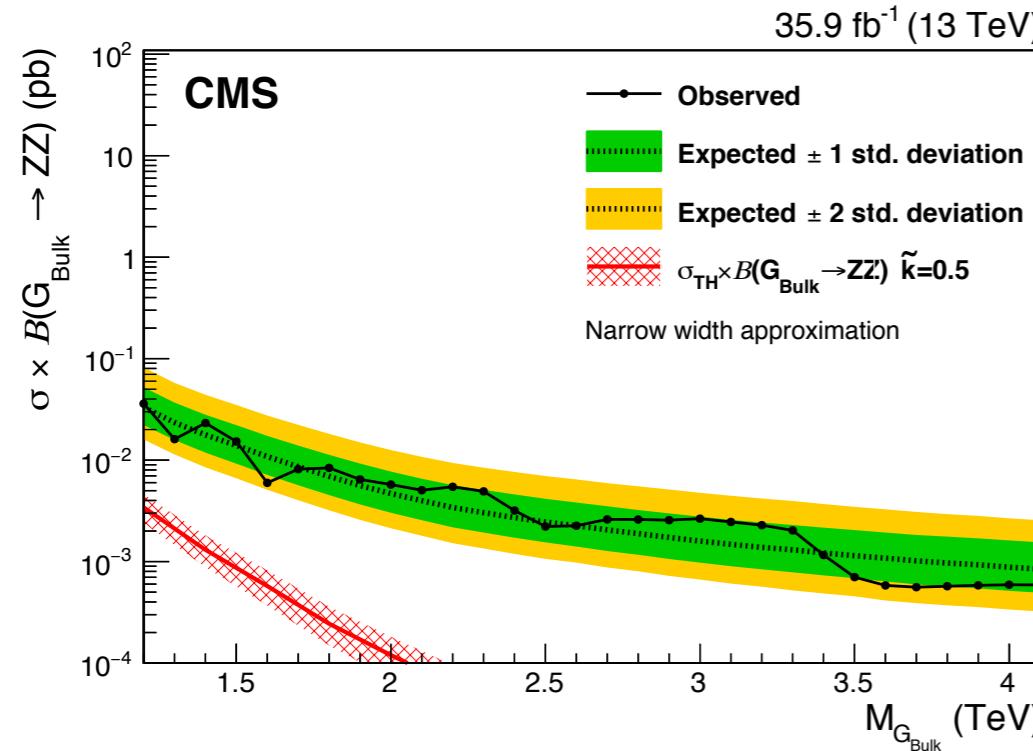


Signal interpolation

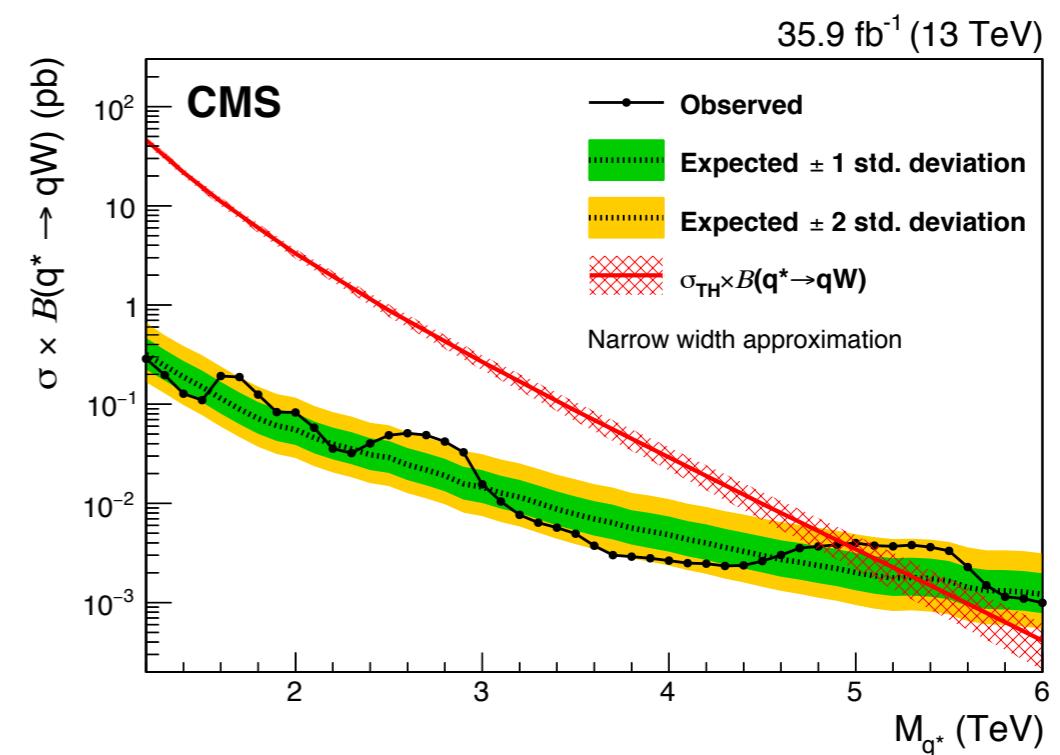
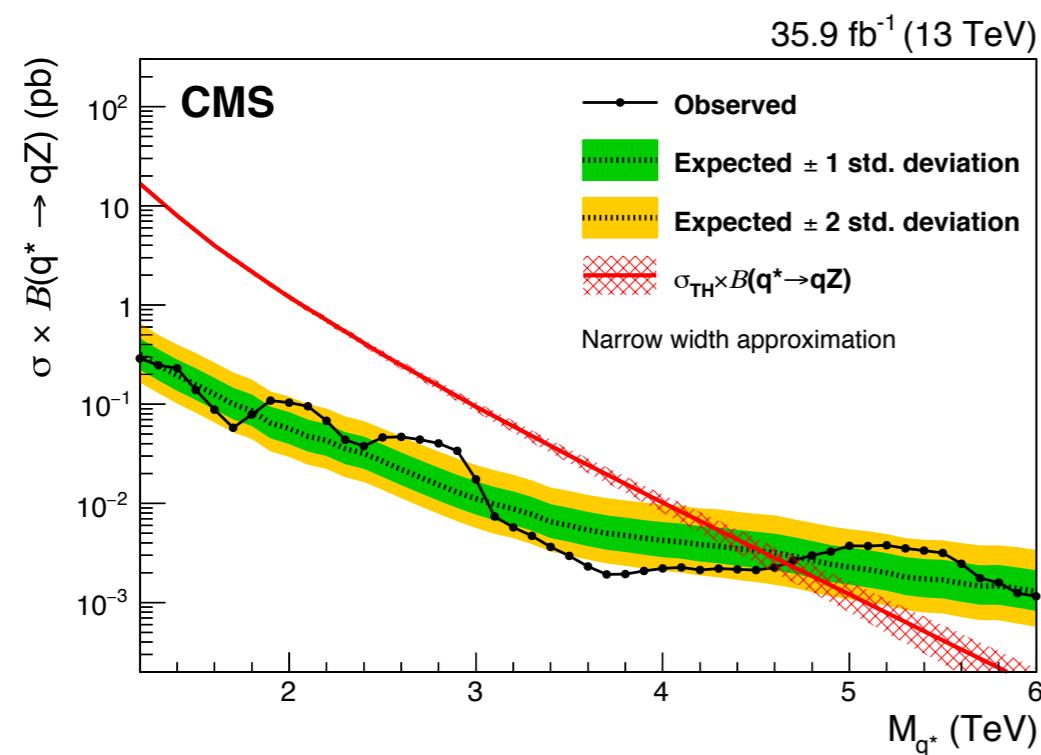
- Signal shape extracted from MC
 - P.D.F models constructed as composite models with Gaussian core and an exponential tail.
- Interpolated in steps of 100 GeV
- Hypothesis test by comparing fits of observed data with “background-only” function and “background + signal” function.
- To ensure full containment of signal peak, setting limits for
 - Single-tag: 1.2 - 6.2 TeV
 - Double-tag: 1.1 - 4.2 TeV



Double-tag: HVT final limits



Single-tag: q^* final limits



1D fitting procedure

- Use binned maximum likelihood fit

$$L = \prod_i \frac{\mu_i^{n_i} e^{-\mu_i}}{n_i!} \quad \text{with} \quad \mu_i = \sigma \cdot N_i(S) + N_i(B)$$

- Background $N_i(B)$ is described by smooth distribution

$$\frac{d\sigma}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2}} \quad \leftarrow \quad \begin{matrix} \text{3 parameter fit} \\ \text{used in Run 1} \end{matrix}$$

- Is function sufficient to describe background?

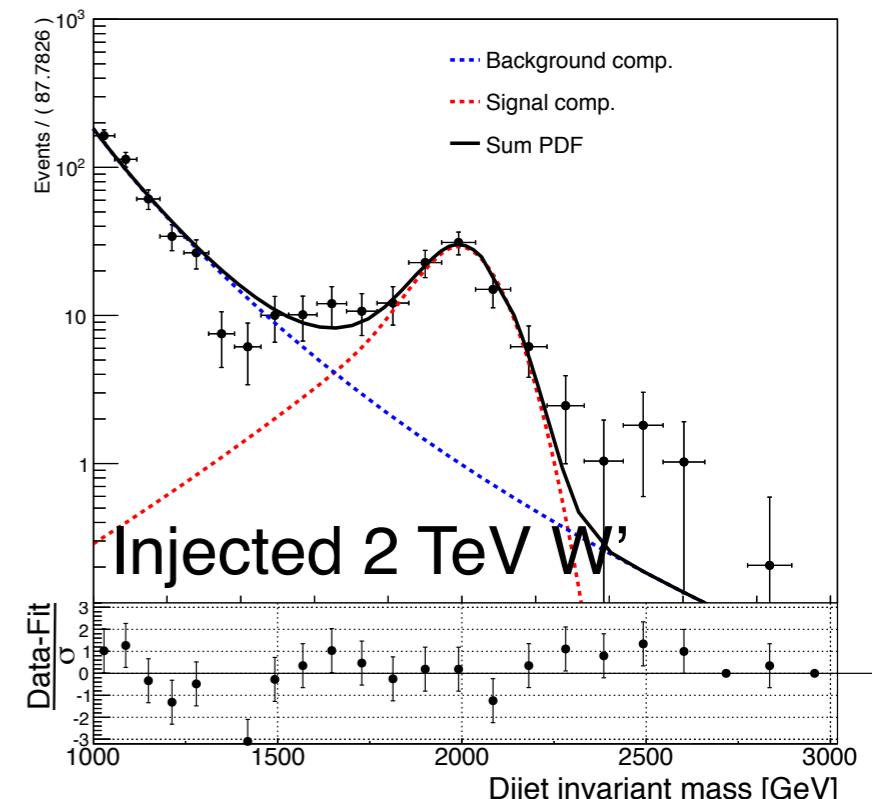
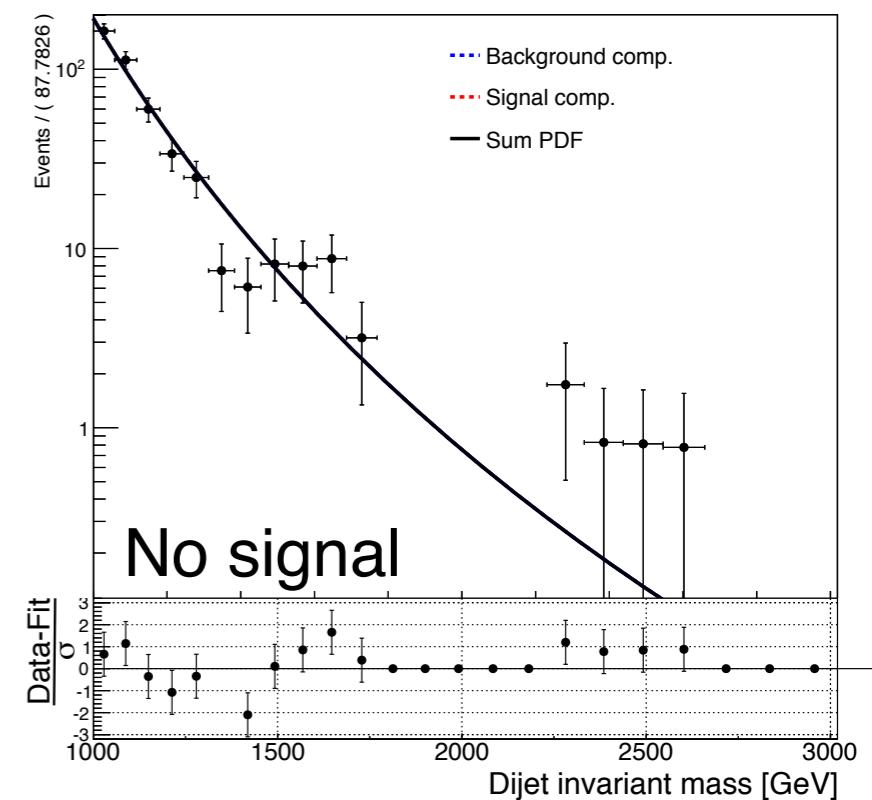
F-test: Increase number of parameters until fit shows no significant improvement

- Only estimates **how many** parameters are needed,
NO parameters fixed

- In limit setting, **simultaneously** fit signal yield and background function

- While maximising likelihood as a function of resonance mass, μ and parameters of background function left floating

- Observed data compared with “background-only” function and “background + signal” function



F-test

- Compute residuals RSS (DATA - fit) and DOF (nBins-nPar-1) for bins with bin content > 0 for each fit function
- If simpler fit function is correct: Relative increase in sum of squares = rel. increase in DOF

$$\frac{RSS_1 - RSS_2}{RSS_2} \approx \frac{n_1 - n_2}{n_2}$$

- If more complicated model is correct:

$$\frac{RSS_1 - RSS_2}{RSS_2} > \frac{n_1 - n_2}{n_2}$$

- To quantify

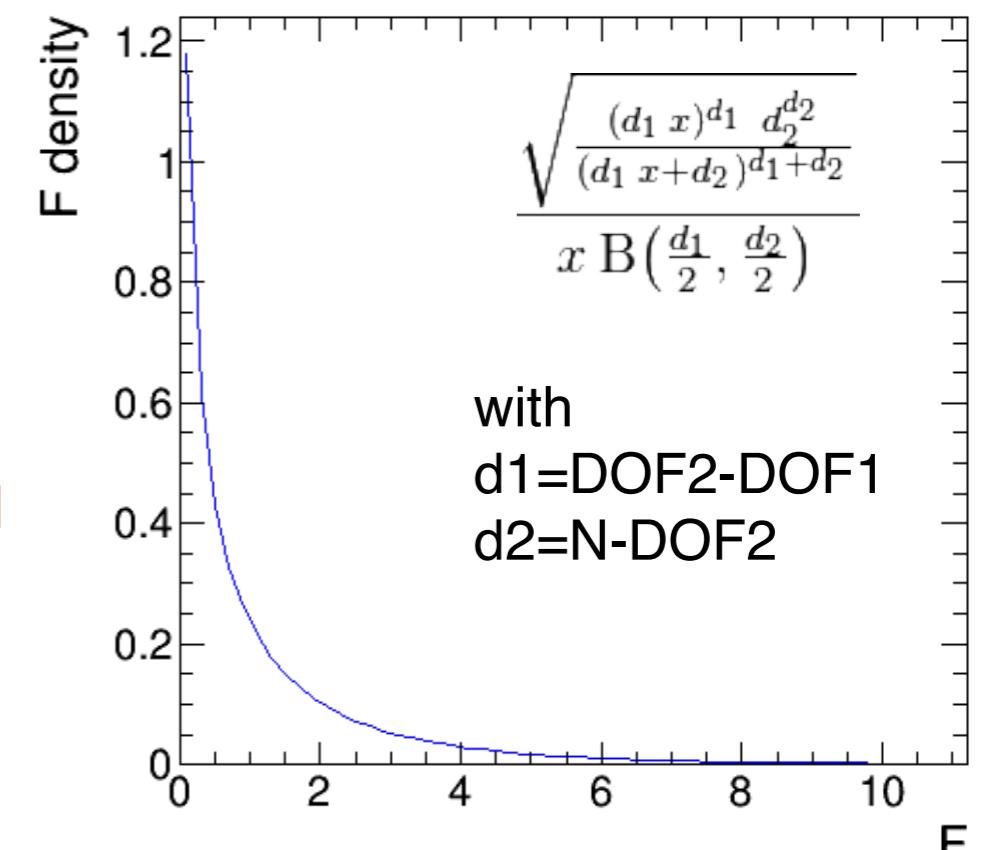
$$F = \frac{\frac{RSS_1 - RSS_2}{n_2 - n_1}}{\frac{RSS_2}{N - n_2}}$$

Only use residuals,
errors not considered

- Construct F-distribution PDF

$$\frac{\sqrt{\frac{(d_1 x)^{d_1} d_2^{d_2}}{(d_1 x + d_2)^{d_1 + d_2}}}}{x B\left(\frac{d_1}{2}, \frac{d_2}{2}\right)}$$

- CL = 1 - Fdistr.Integral (0., F) → gives CL under null hypothesis of simpler function being sufficient. If CL > 10%: simpler function is sufficient



Tested functions

A. 3 parameter default fit function

A)

$$\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2}}$$

B. 2 parameter

B)

$$\frac{dN}{dm} = \frac{P_0}{(m/\sqrt{s})^{P_2}}$$

C. 4 parameter

C)

$$\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2+P_3 \times \log(m/\sqrt{s})}}$$

D. 5 parameter

D)

$$\frac{dN}{dm} = \frac{P_0(1 - m/\sqrt{s})^{P_1}}{(m/\sqrt{s})^{P_2+P_3 \times \log(m/\sqrt{s})+P_4 \times \log(m/\sqrt{s})^2}}$$

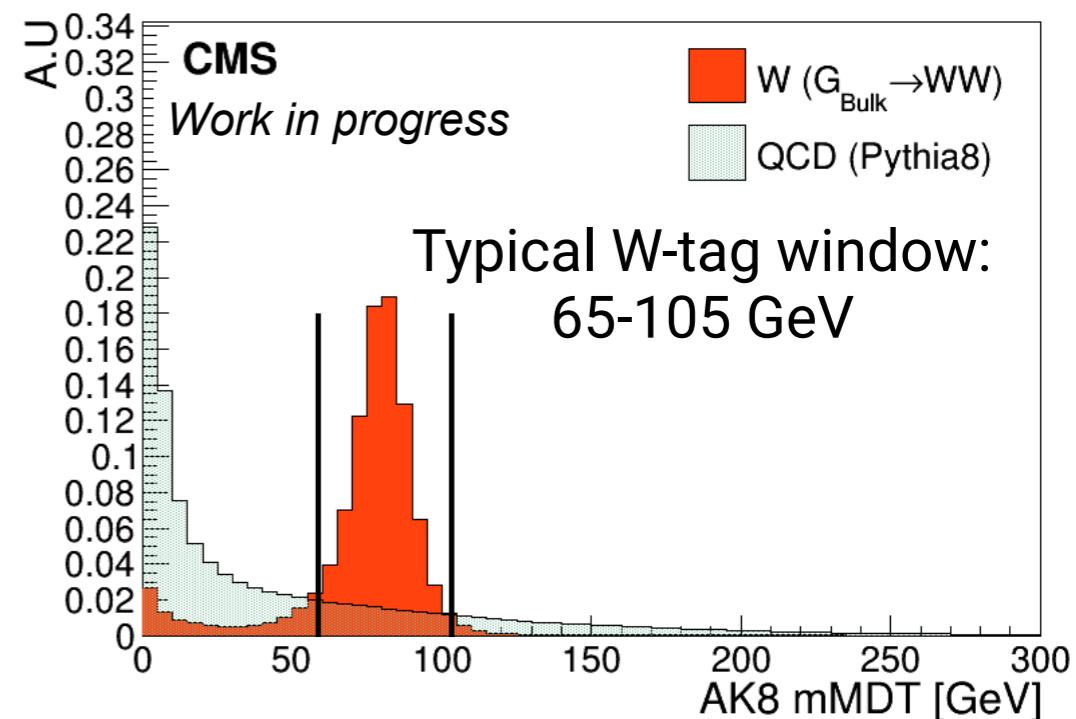


LoLa

The basic setup

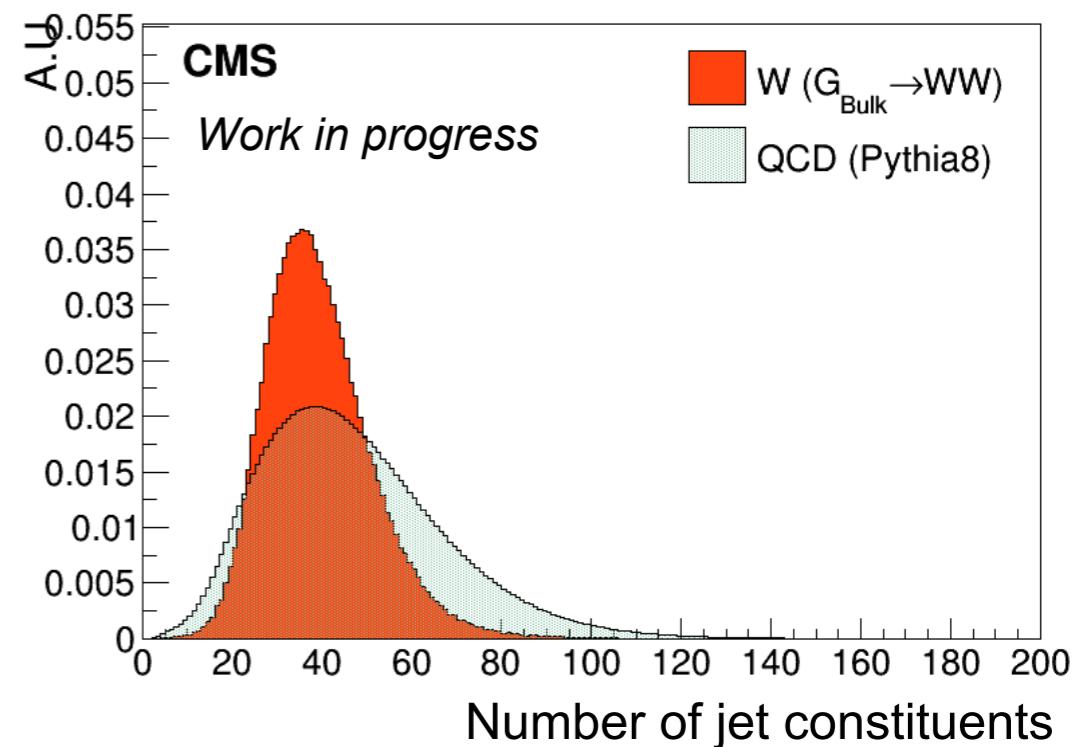
Signal

- 320k fully merged hadronic W-jets (AK8) from $W' \rightarrow WZ \rightarrow 4q$ ($M_{W'} = 0.6\text{-}4.5 \text{ TeV}$)
- why small training set? → Do not mix signal samples until one is understood (can change with W polarisation etc.)



Background

- QCD Pythia8 non-W jets
- Danger: Jet substructure strongly depends on shower generators (different description of gluon radiation). Different QCD MC might yield different results



Disclaimer: The following contains student work in progress studies and not CMS approved results

Input

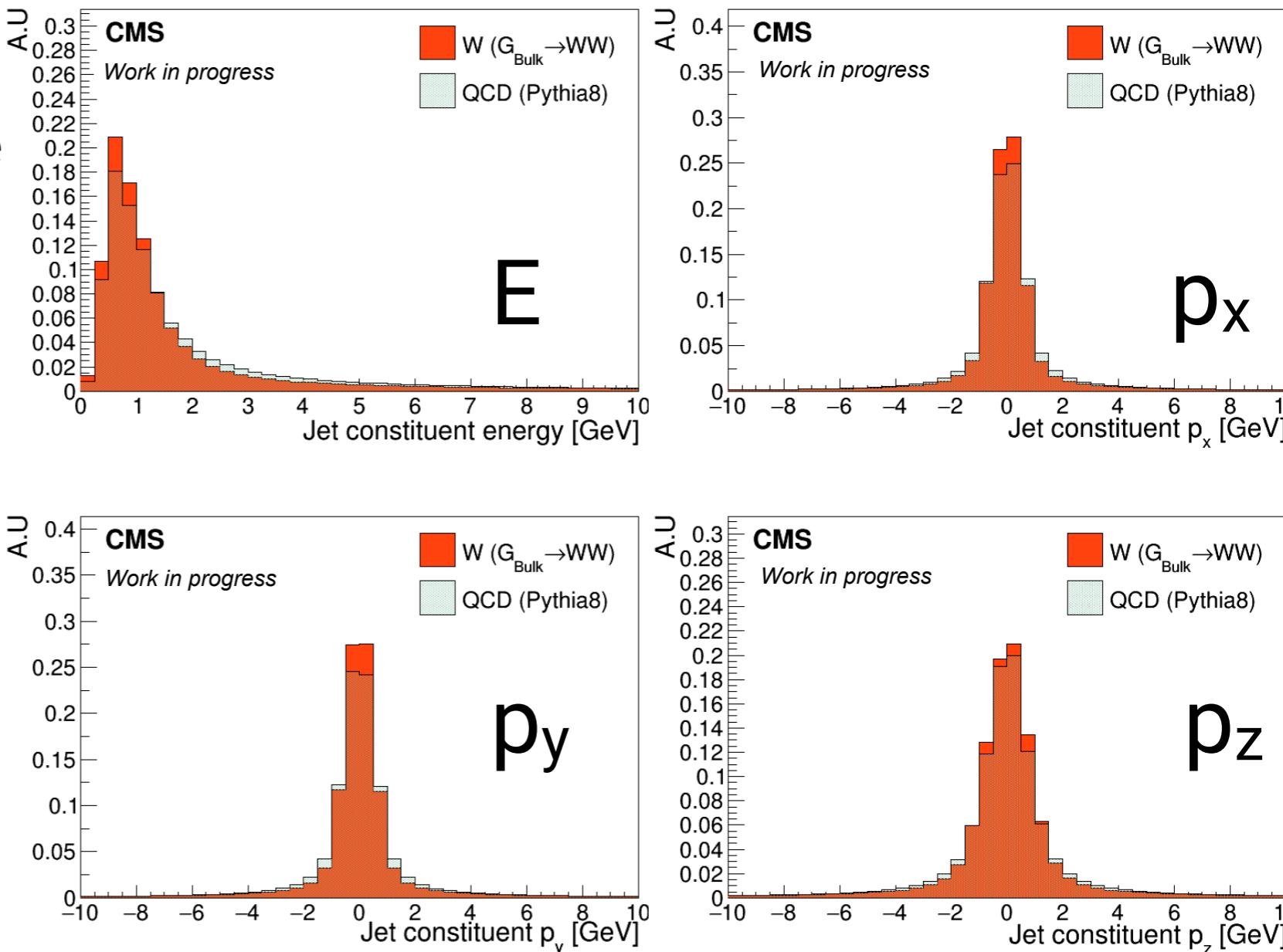
Four input features

- 4-vectors of the N=20 highest-p_T jet constituents of PUPPI (PileUp Per Particle Removal) AK8 jets

4x20 matrix $k_{\mu,i}$ for each jet

$$(k_{\mu,i}) = \begin{pmatrix} k_{0,1} & k_{0,2} & \cdots & k_{0,N} \\ k_{1,1} & k_{1,2} & \cdots & k_{1,N} \\ k_{2,1} & k_{2,2} & \cdots & k_{2,N} \\ k_{3,1} & k_{3,2} & \cdots & k_{3,N} \end{pmatrix}$$

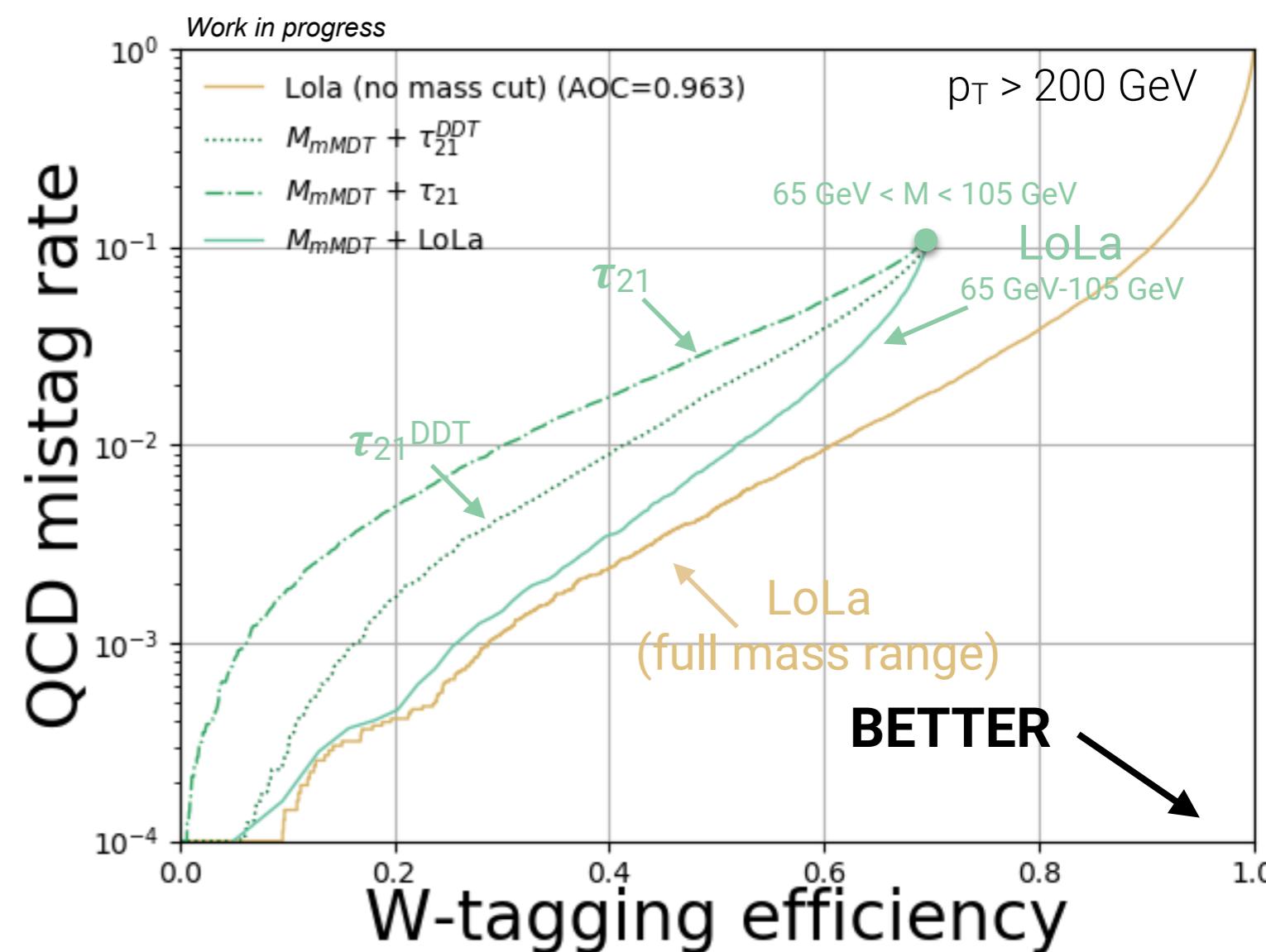
(4 Features x 20 constituents)



Overall performance

Compare performance to most commonly used V-taggers

- Softdrop mass + τ_{21}
- Softdrop mass + τ_{21}^{DDT}
(mass/p_T decorrelated τ_{21})
- LoLa performs significantly better than current baseline
 - 20% higher ϵ_S at given ϵ_B compared to best cut-based
 - no need for mass window, increased signal acceptance



For two-W final state, 43% increase in signal efficiency for same mistag rate as current baseline ([B2G-17-001](#))

Beyond performance

LoLa is naturally learning that p_T and mass are discriminating variables

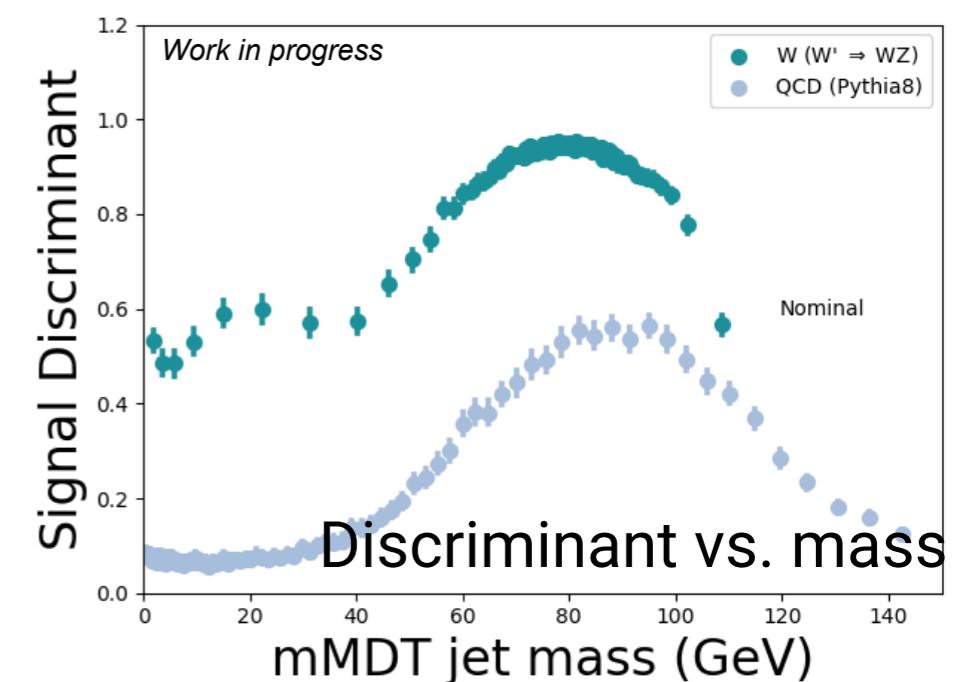
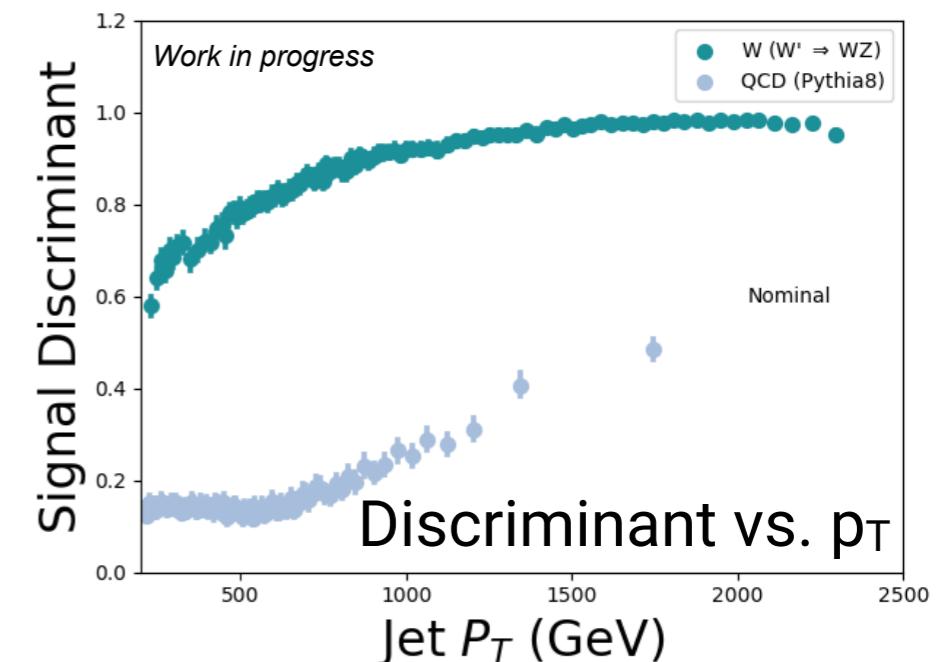
p_T -dependence is a problem because

- signal efficiency is variable, requires working point scaling with p_T
- p_T (tagger validation region) \neq p_T (signal region)

Mass-dependence in itself not a problem, but could introduce large background rate uncertainties if using mass sidebands

- ultimately trade-off between efficiency and (analysis-dependent) systematics
- can not decide before checking in analysis

Output strongly correlated with mass/ p_T



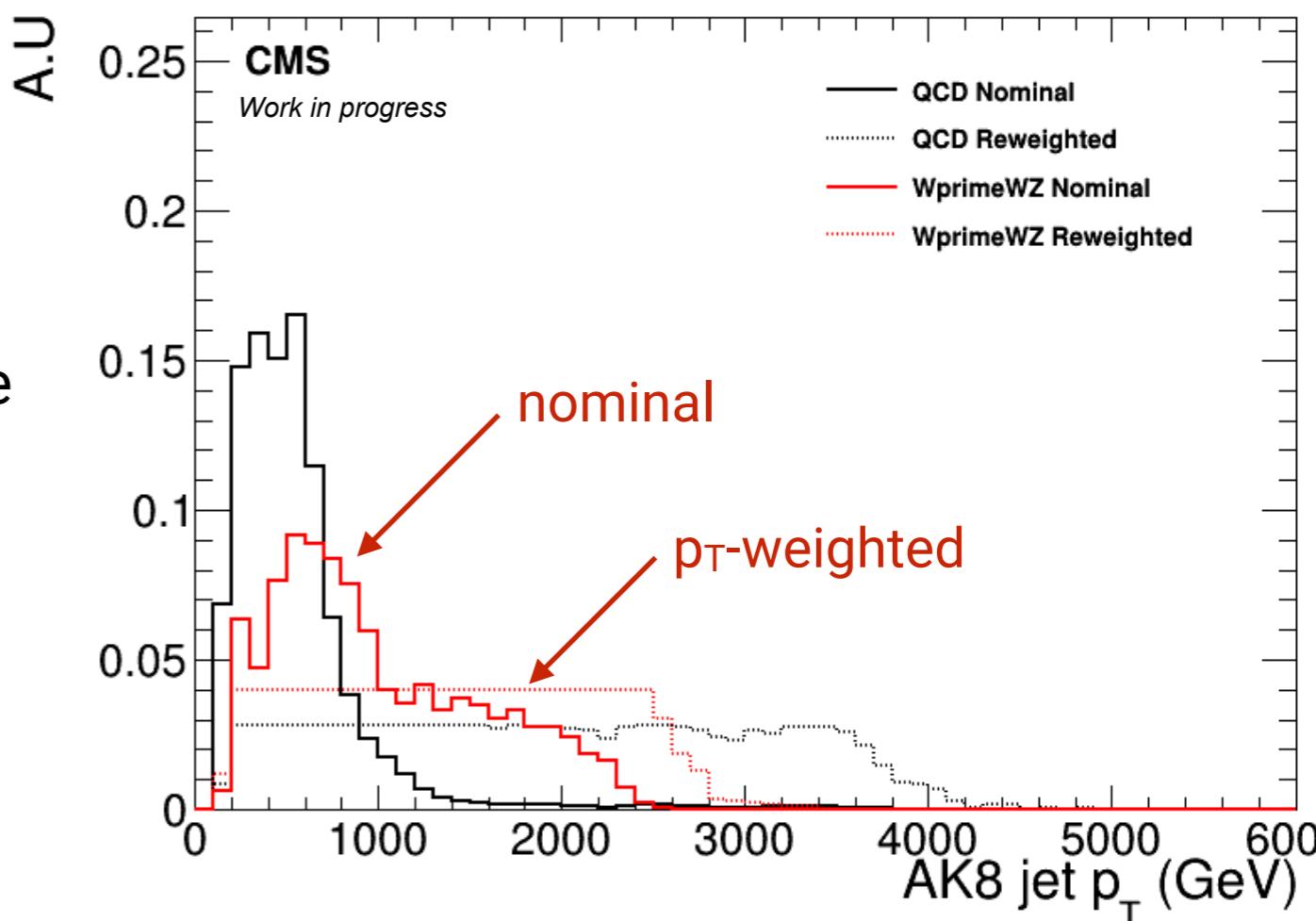
Coping with p_T

LoLa uses full jet- p_T range (> 200 GeV) in training and validation

- want tagger that offers discrimination where there is most background and W-boost not extreme ($p_T < 600$ GeV)

Reweight training set event-by-event to be flat in p_T -space

- passed as sample weights to training

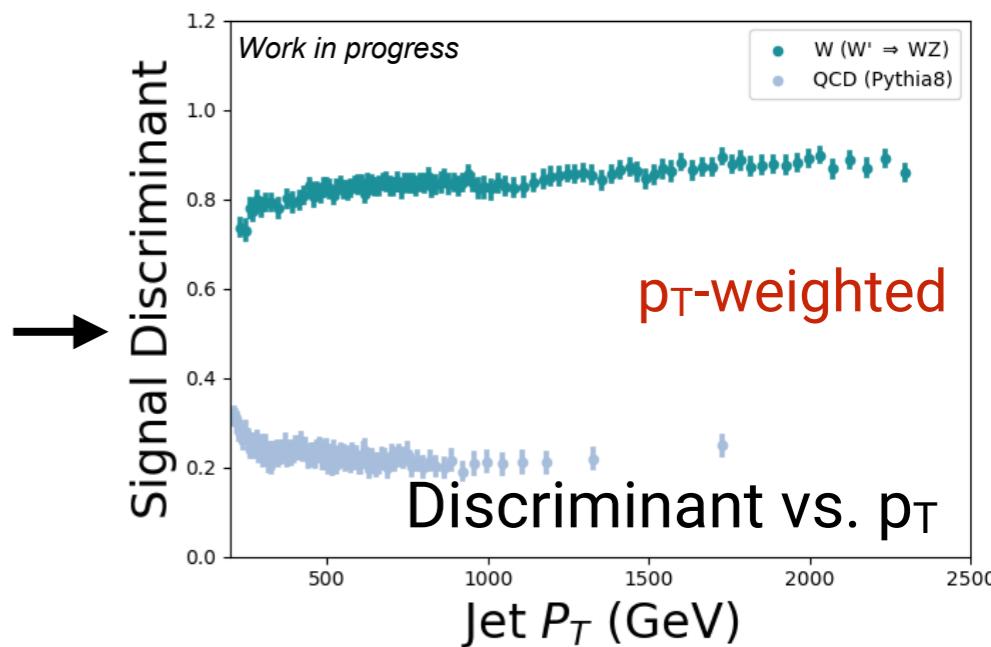
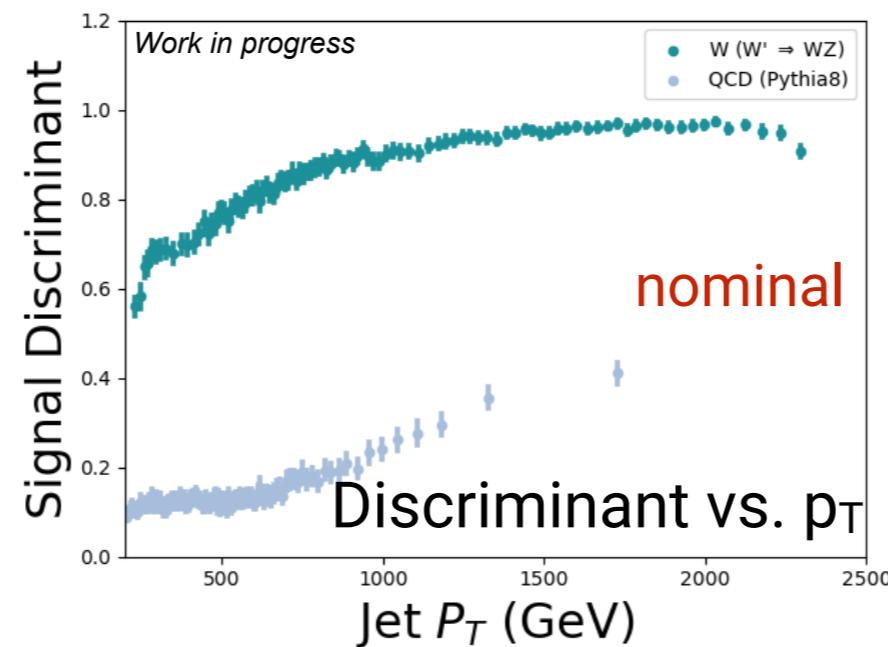
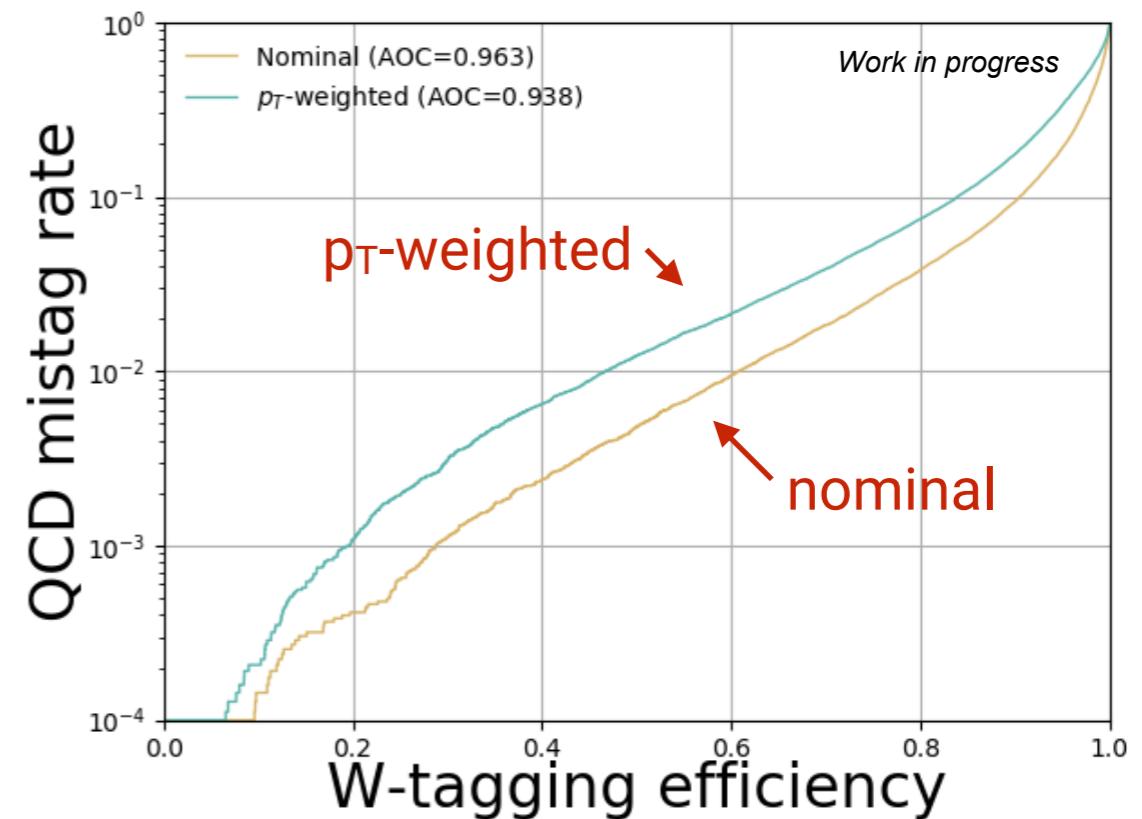


Coping with p_T

Such strategies yields loss in overall performance, but reduced p_T -dependence

- a boost of statistics in extreme bins could improve performance for a p_T -weighted training

No “truth” for which solution is better before running full analysis including systematics for p_T -dependent tagging



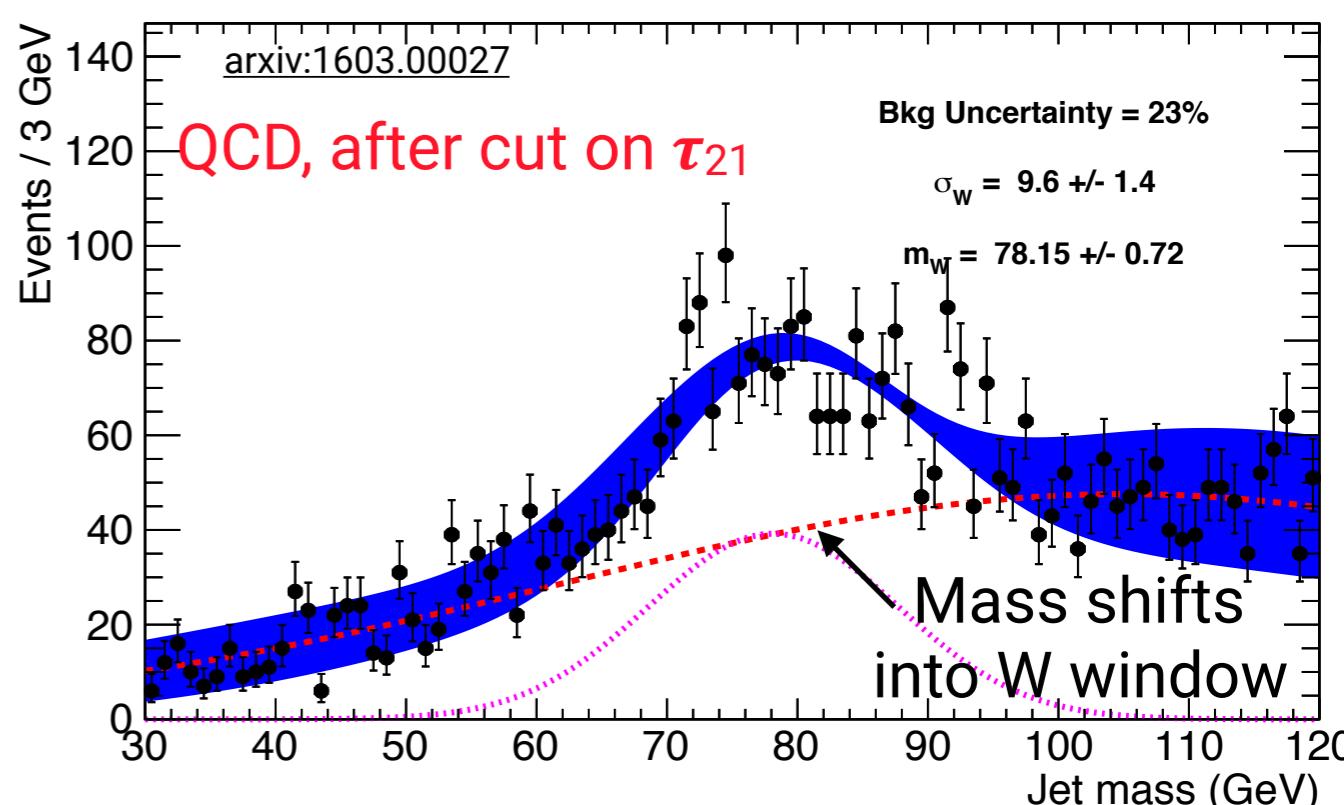
Mass sculpting

If you feed a DNN W-jet constituent 4-vectors
it will inevitably learn W-mass

- good! Clearly W-mass \neq q/g-jet mass

Unfortunately, we often estimate
background in mass sidebands

- bad! After cut on tagger, jet mass is
sculpted making background spectrum
difficult to constrain



Mass sculpting

! LoLa removes low-mass QCD,
 → increased signal acceptance
 w.o mass window

At 1% mistag rate, see significant mass sculpting with LoLa

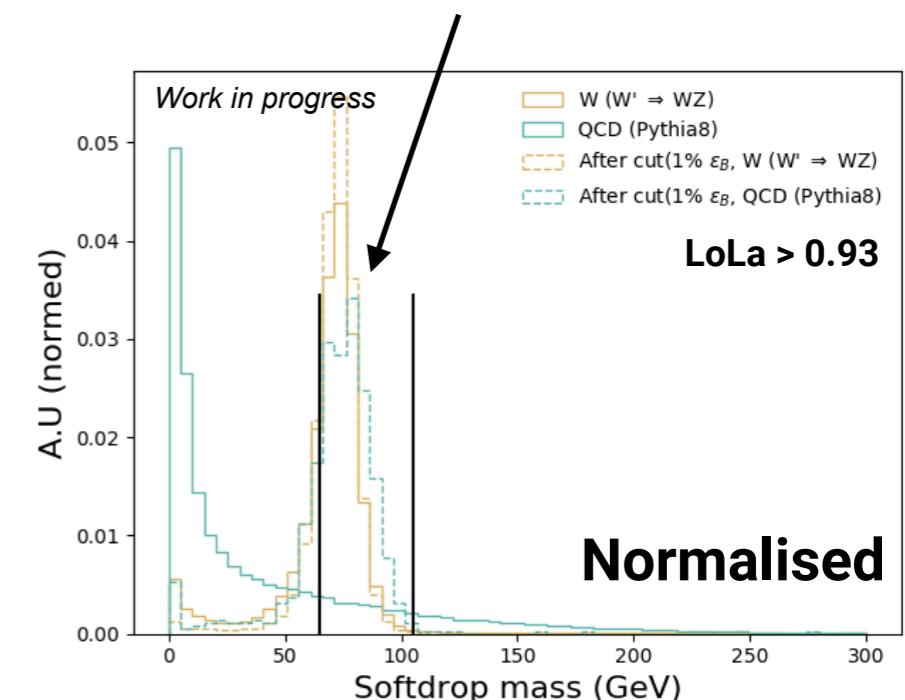
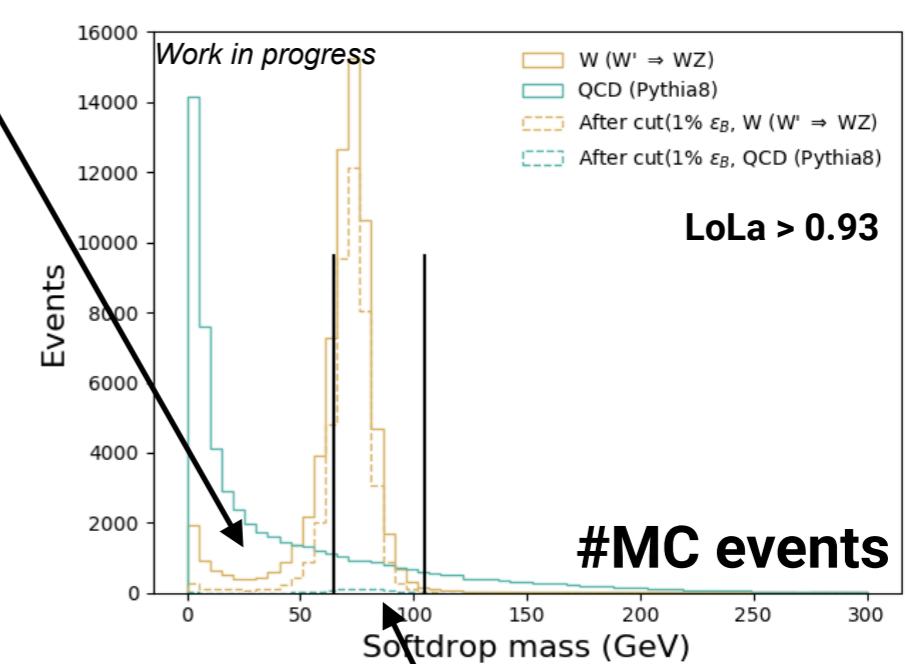
- bulk of remaining QCD jets after cut are in signal region

Hot topic in ML for jets: adversarial DNNs that penalise loss if mass is learned (nicely shown in C. Shimmin et. Al)

- loss in efficiency, but overall improvement due to reduced uncertainties when relying on mass-sidebands

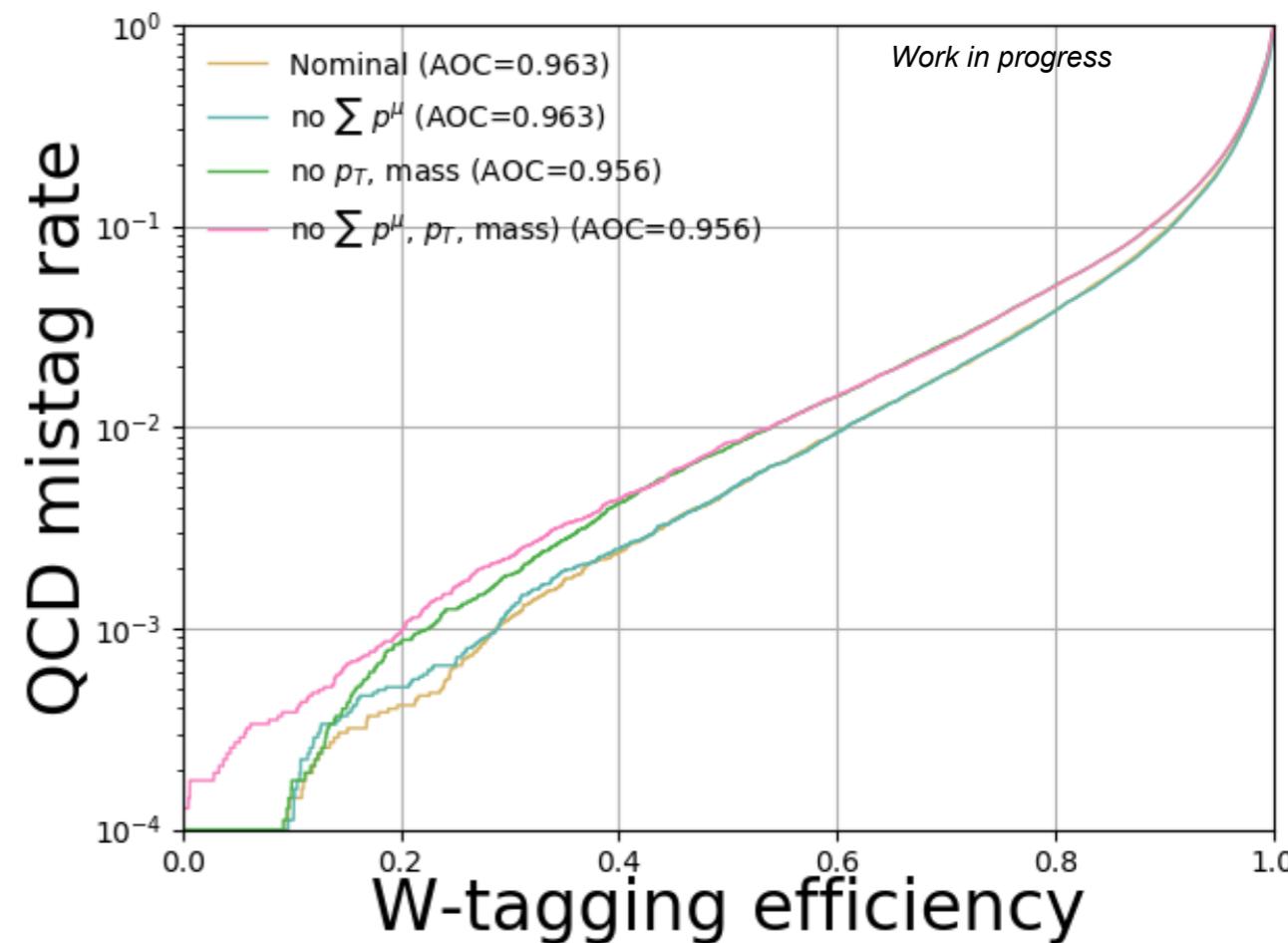
Adversarial LoLa in progress, but best to offer both (for non-sideband based and sideband-based analyses)

- unconstrained, high-efficiency LoLa
- mass-decorrelated LoLa (adversarial)

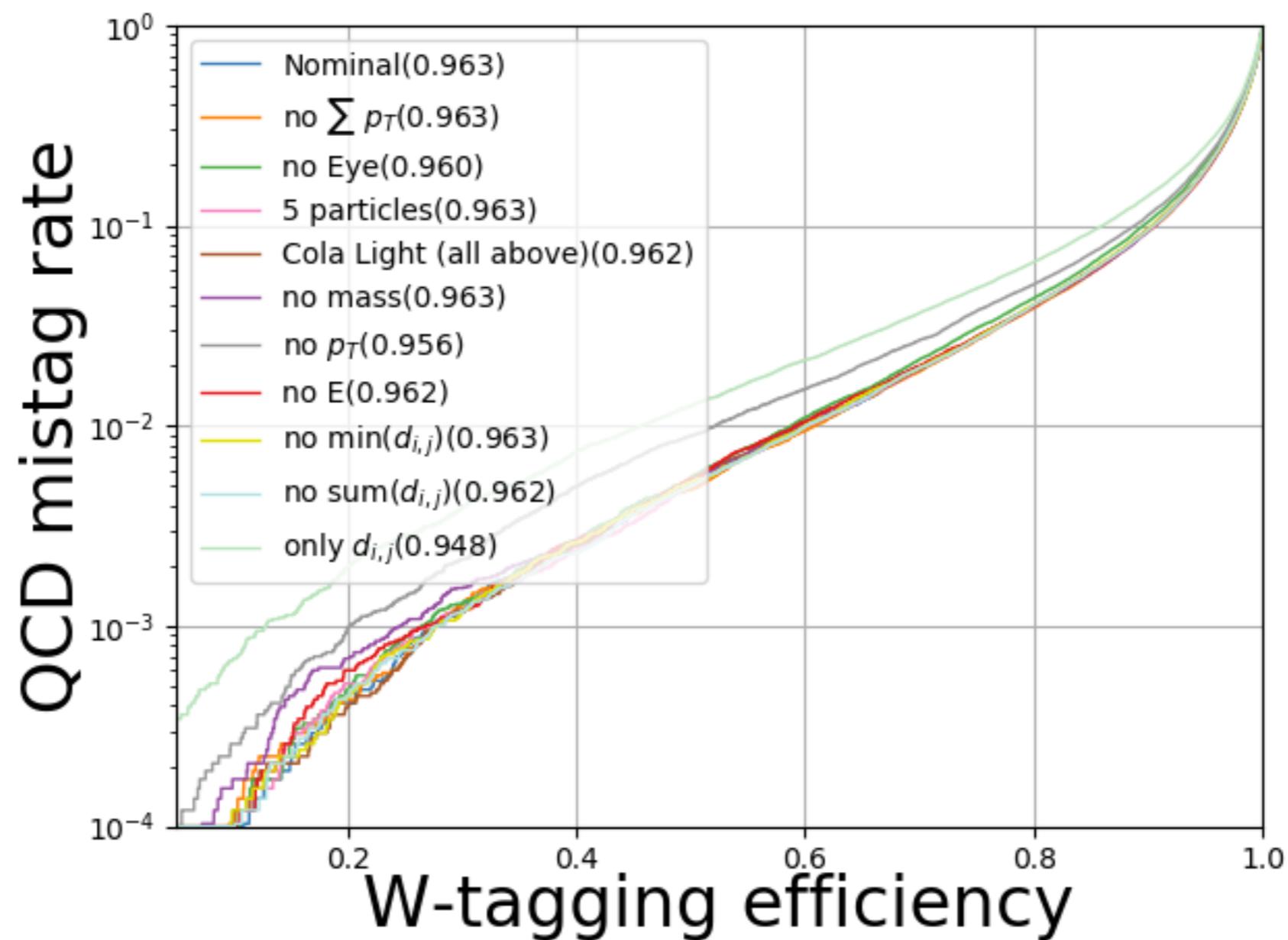


What does LoLa learn?

- Compare **nominal training** to training after removing variables sensitive to mass and p_T
- Remove **CoLa column** that passes sum of all 4-momentum (“jet” 4-vector)
 - not much impact on overall performance
 - not much information taken from LoLa “n-subjettiness”
- Remove **Lola mass and p_T** variables reduce performance significantly
 - worst when removing jet 4-vector, mass and p_T

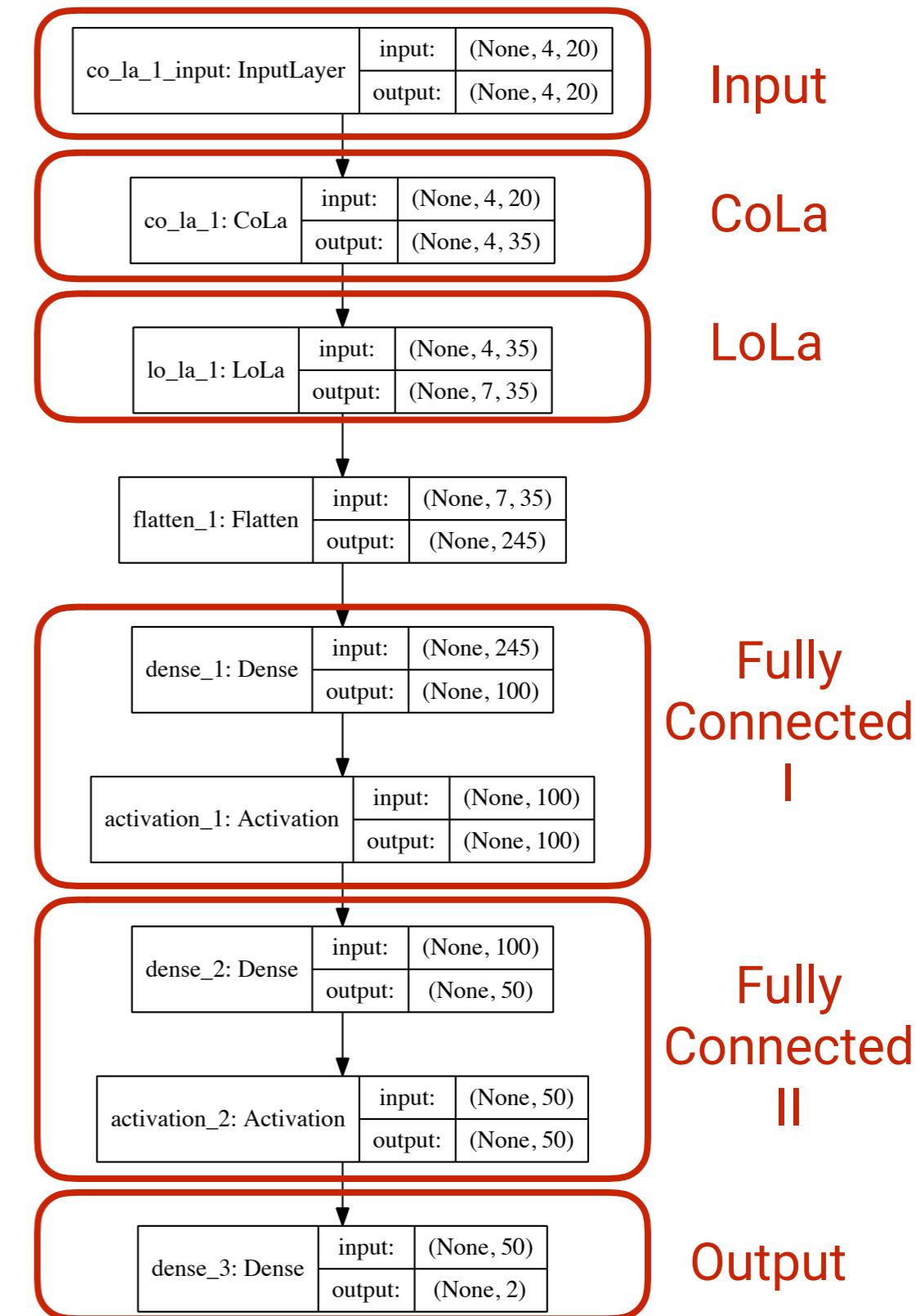


What does LoLa learn?



Model

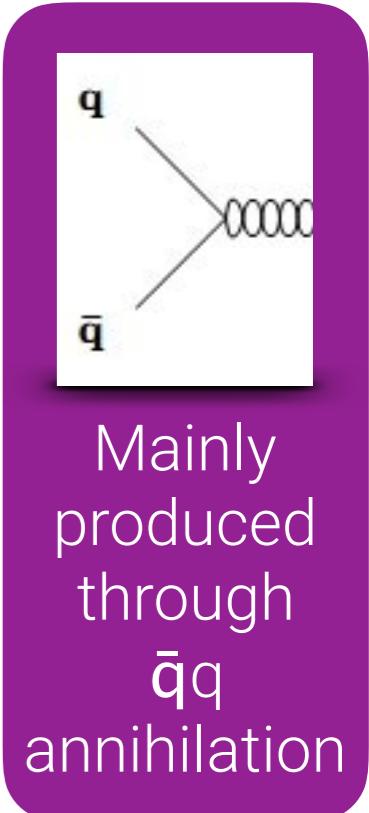
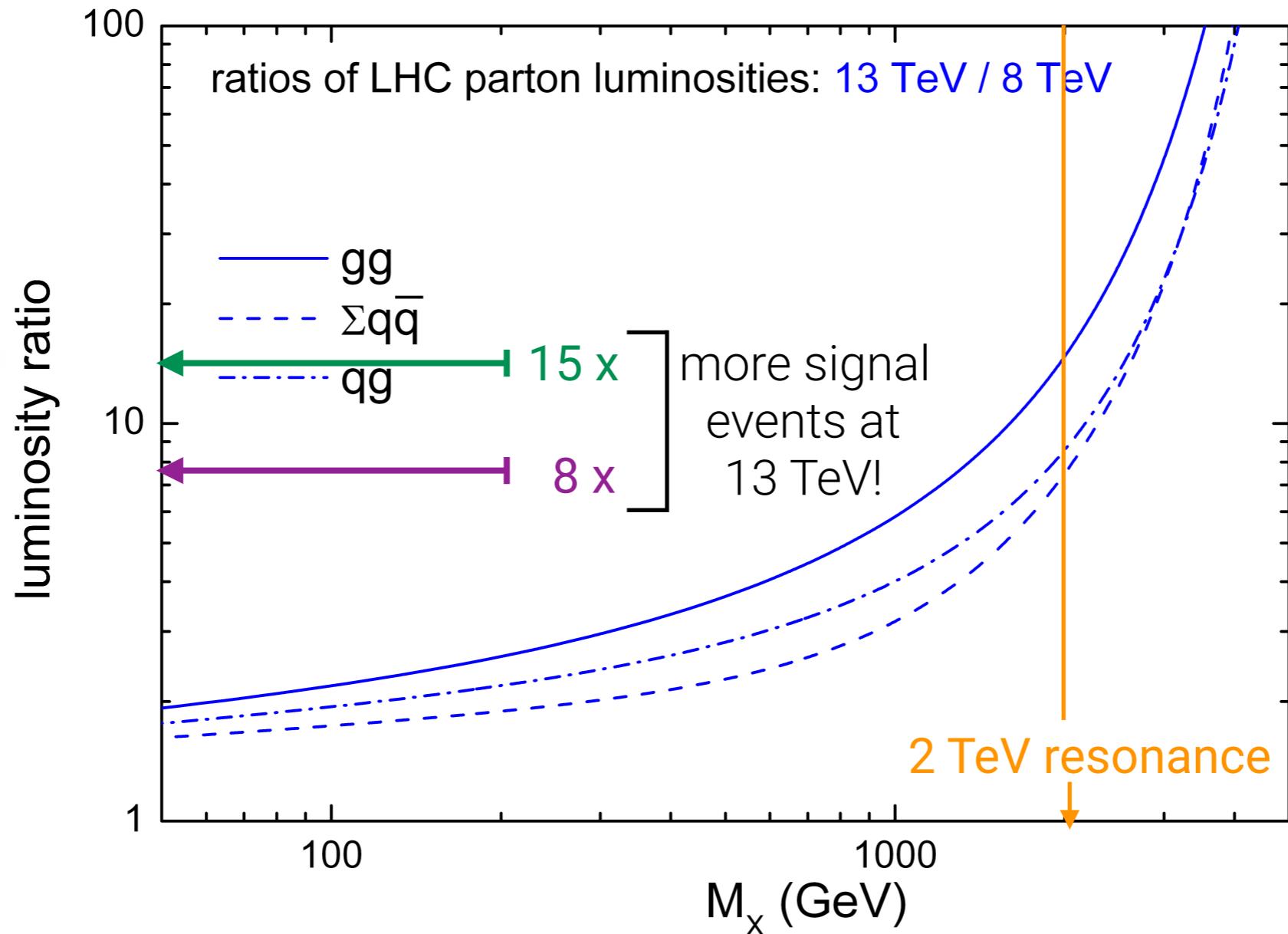
- 4 layer DNN doing supervised learning with fixed-size input vectors
 - feed forward sequential network
 - Two novel layers (CoLa and LoLa) implementing Minkowski metric and “substructure” calculations (see later) and two fully connected layers
- Technicalities
 - Keras with Theano backend (rewriting to Tensorflow)
 - Loss function: categorical crossentropy
 - ADAM optimiser (adapt learning rate of model parameters during training)
- Train 200k + Test 60k + Val 60k on AWS (CMS Christmas Wishlist: GPU cluster!)





Intro

What could it be?



With only 3 fb⁻¹ of 13 TeV data, same discovery potential as 8 TeV dataset of 20 fb⁻¹

Signature: $G_{\text{Bulk}} \rightarrow WW$ and $G_{\text{Bulk}} \rightarrow ZZ$

Signature: $Z' \rightarrow WW$ and $W' \rightarrow WZ$