

# Report January 6, 2016

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# Overview

- 1 Motivation
- 2 Literature review
- 3 Proposed Model - LFRMtimes
  - LFRMtimes
- 4 Second Section

A model for:

- Link prediction or community detection in social networks.
- Objects with coupling relations along time(serial coupling relations).
- Capturing some aspects(infinite, dynamic, mixed-membership and data-driven inference).

# Motivation(cont.)

- Infinite: We do not have to define the number of communities before hand. It can prevent under or over fitting problem.
- Dynamic: The number of communities can change over time.
- Mixed-membership: one node can belongs to multiple communities.
- Data-driven inference: model bases on data only.

## IRM

Infinite Relation Model(Kemp et al. 2006) cluster nodes into different groups based on their pairwise and directional binary interactions.

- Infinite.
- Not take into account changing with time.
- One node can only belong to one community.
- Data-driven.

## dIRM

Dynamic Infinite Relation Model(Ishiguro et al. 2010)

- Infinite.
- Changing with time.
- One node can only belong to one community.
- Data-driven.

## MMSB

Mixed-Membership Block Model(Airoldi et al. 2008)

- Not Infinite.
- Not take into account changing with time.
- One node can belong to multiple communities.
- Data-driven.

## LFRM

Latent Feature Relation Model(Miller et al. 2009)

- Infinite.
- Does not take into account changing with time.
- One node can belong to multiple communities.
- Data-driven.

## Sticky HDP-HMM

Sticky Hierachical Dirichlet Process - Hidden Markov Model(Fox et al. 2008)

- Infinite.
- Changing with time.
- One node can only belong to one community.
- Data-driven.

A model can capture all aspects:

- Infinite.
- Changing with time.
- One node can belong to multiple communities.
- Data-driven.



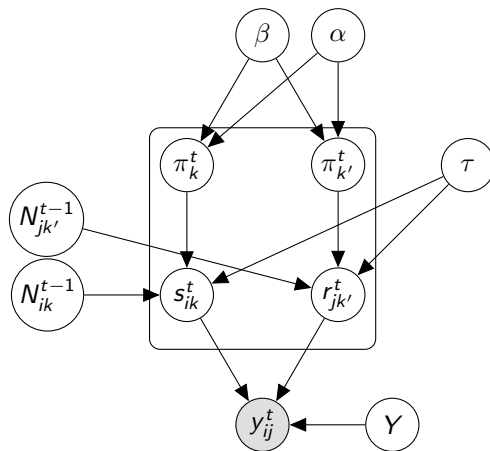


Figure: LFRMtimes.  $i, j = 1 : n$ ,  $k, k' = 1 : K$ ,  $t = 1 : T$

$$\pi_k^t \sim BP(\alpha, \beta)$$

$$s_{ik}^t \sim BeP(\pi_k^t + \tau \cdot N_{ik}^{t-1} \delta_k)$$

$$r_{jk}^t \sim BeP(\pi_k^t + \tau \cdot N_{jk}^{t-1} \delta_k)$$

$w_{kk'}^t \sim \mathcal{N}(0, \sigma_{w^t}^2)$  for all  $k, k'$  which features  $k$  and  $k'$  are non-zero.

$y_{ij}^t \sim \sigma(S_i W R_j^T) = \sigma(\sum_{k,k'} s_{ik}^t r_{jk'}^t w_{kk'}^t)$  for each observation.

$$\sigma(x) = \frac{1}{1 + \exp(-x)}$$

# Blocks of Highlighted Text

## Block 1

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## Block 2

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## Block 3

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## Heading

- 1 Statement
- 2 Explanation
- 3 Example

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# Table

<b>Treatments</b>	<b>Response 1</b>	<b>Response 2</b>
Treatment 1	0.0003262	0.562
Treatment 2	0.0015681	0.910
Treatment 3	0.0009271	0.296

Table: Table caption

# Theorem

## Theorem (Mass–energy equivalence)

$$E = mc^2$$

## Example (Theorem Slide Code)

```
\begin{frame}  
\frametitle{Theorem}  
\begin{theorem}[Mass--energy equivalence]  
$E = mc^2$  
\end{theorem}  
\end{frame}
```

# Figure

Uncomment the code on this slide to include your own image from the same directory as the template .TeX file.



An example of the `\cite` command to cite within the presentation:

This statement requires citation [Smith, 2012].



John Smith (2012)

Title of the publication

*Journal Name* 12(3), 45 – 678.

# The End