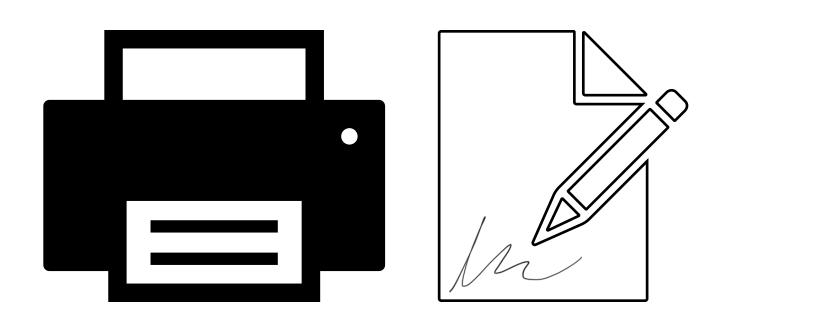
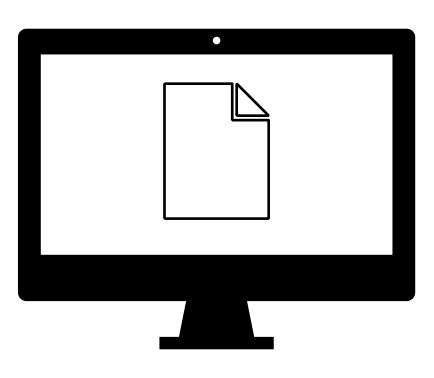
Modification-Tolerant Signature Schemes

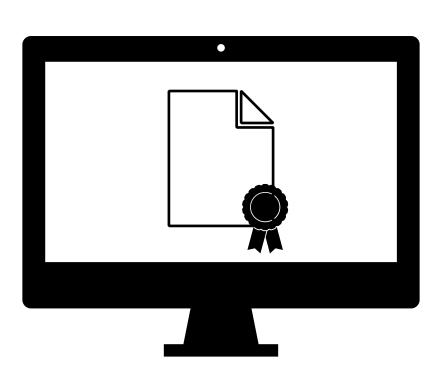
Thaís Bardini Idalino
Universidade Federal de Santa Catarina
Brazil







Authenticity
Integrity
Non-Repudiation



Digital Signatures in Brazil

Verificador

Certificados V

Assina

Assinatura >





CORREIO BRAZILIENSE

CB.PODER

Thais Bardini Idalin

Notícias

UFSC €

17 16/03/2019 15:23

Inmetro lançará certificação digital para evitar fraude em bombas de combustíveis

Em entrevista ao Correio nesta terça-feira (8/6), o presidente do Inmetro, coronel Marcos Heleno Guerson de Oliveira Júnior, diz que a novidade, a ser lançadas nos próximos dias, evitará fraudes "que estão se tornando cada vez mais sofisticadas"

A Universidade Federal de Santa Catarina (UFSC) realizou nesta sexta-feira, 15 de março de 2019, a primeira formatura com diploma digital. Tal fato a torna pioneira, dentre as instituições do sistema federal de ensino superior, na implementação do novo formato, conforme estabelecido pelo Ministério da Educação (MEC).

Momentos antes da entrega do diploma digital aos formandos em Direito da UFSC, as assinaturas do Gabinete da Reitoria e do Departamento de Administração Escolar (DAE) foram coletadas pelo técnico em Eletrônica Fernando Lauro Pereira, da Coordenadoria de Certificação Digital (CCD). Fernando mostrou que o documento digital possui as mesmas características do impresso em papel. O diferencial está na "inserção de QR Code que remete à URL oficial (diplomas.ufsc.br) e ao código de validação, permitindo o acesso ao registro visual e ao diploma digital, este em arquivo XML". Tais procedimentos conferem aos documentos a segurança e a validade jurídica necessárias.

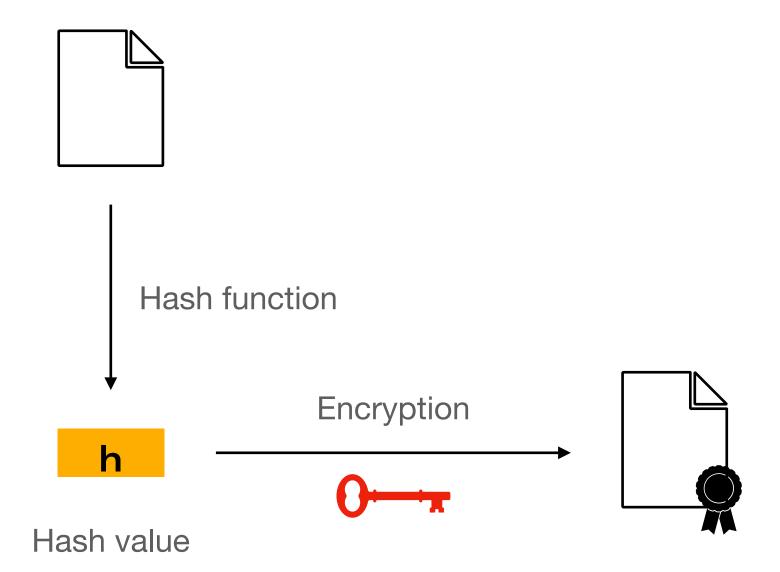


Reitor Ubaldo Cesar Balthazar assina diplomas digitais. Foto: Henrique Almeida/Agecom/UFSC

O processo de construção desta tecnologia foi apresentado pelo professor da UFSC Jean Everson Martina, do Laboratório de Segurança em Computação (Labsec), do Centro Tecnológico (CTC). O Labsec desenvolveu a tecnologia, em conjunto com a Superintendência de Governança Eletrônica e Tecnologia da Informação e Comunicação (SeTIC) da UFSC. O docente elencou os detalhes deste trabalho na Universidade, com destaque para os participantes, as parcerias, as fases e o acompanhamento do ordenamento jurídico. A apresentação

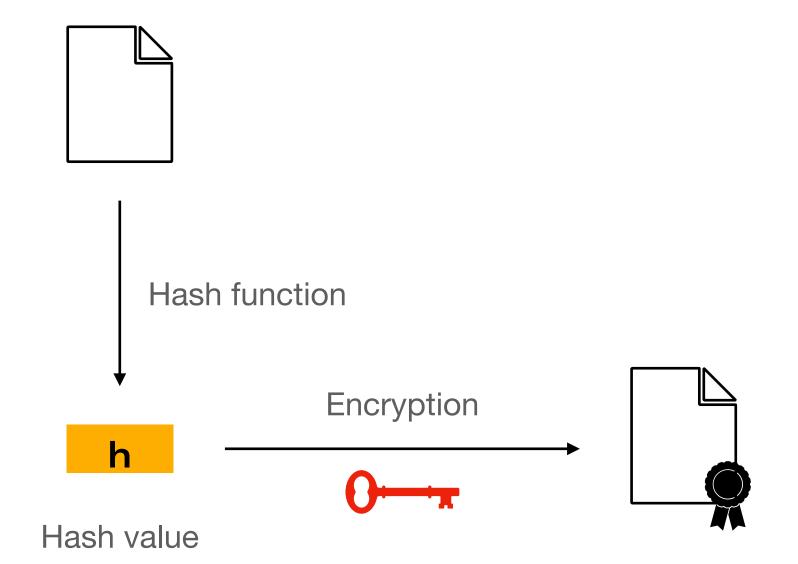
How to **generate** the signature:

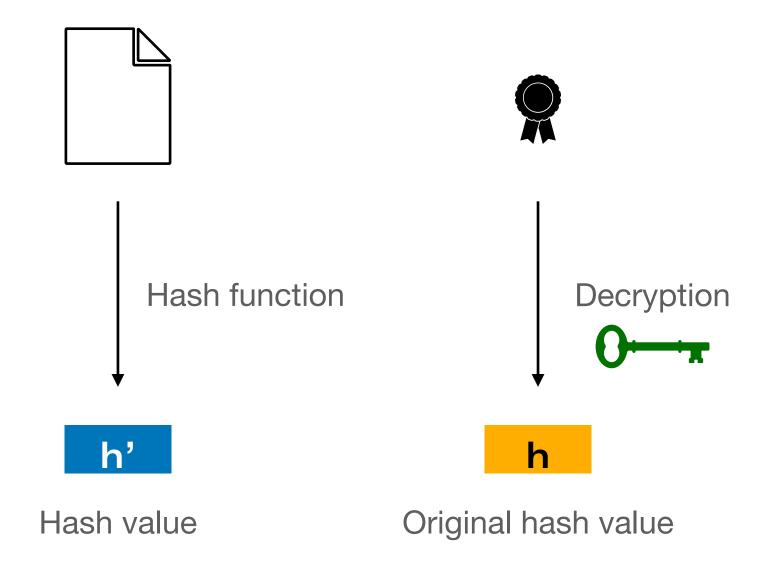




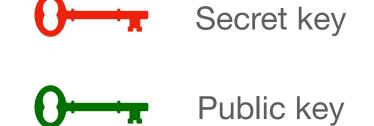
How to verify the signature:

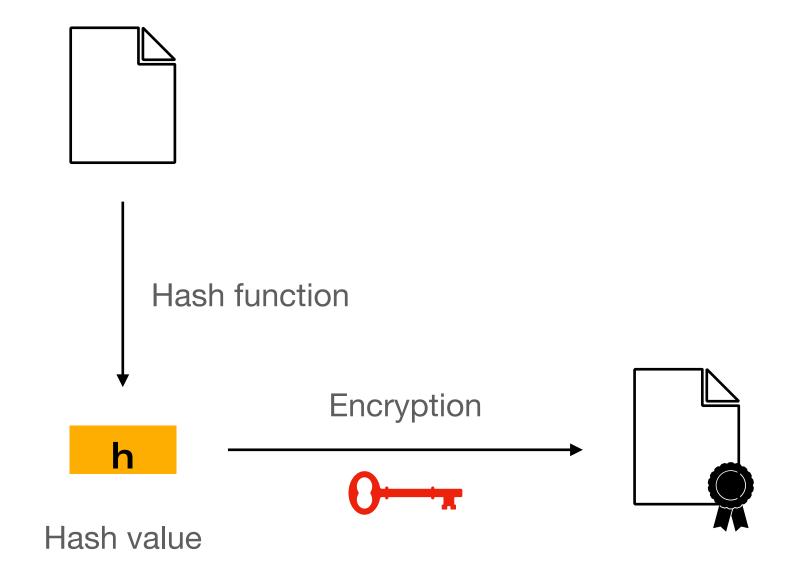


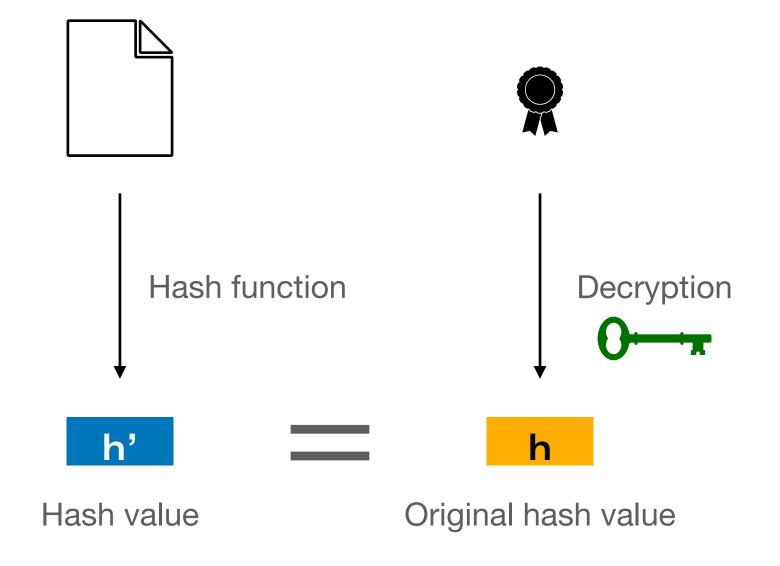




How to verify the signature:



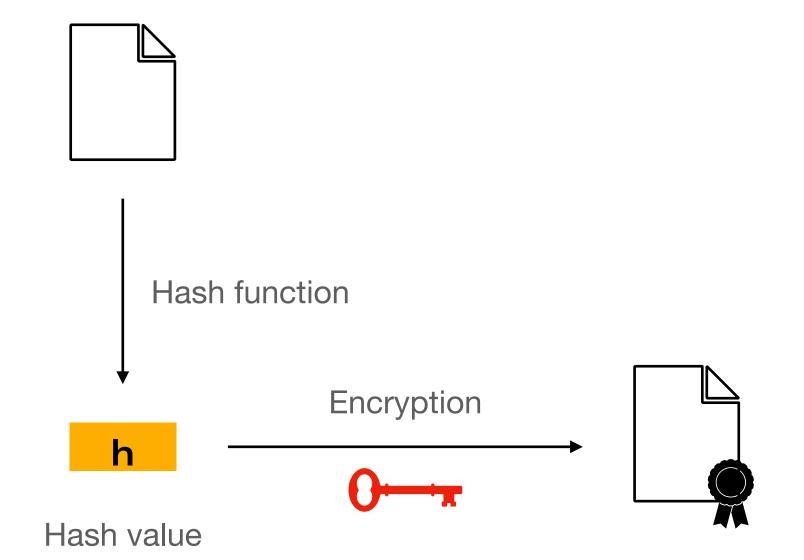


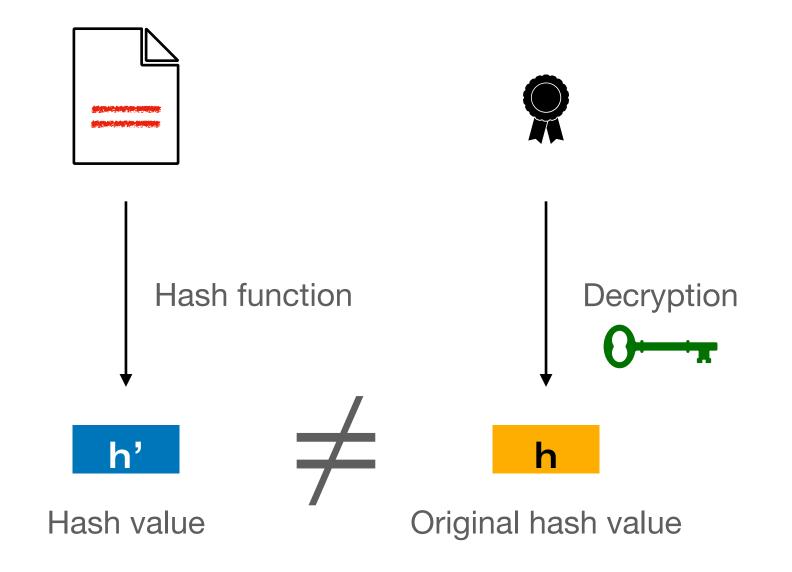




How to **verify** the signature:



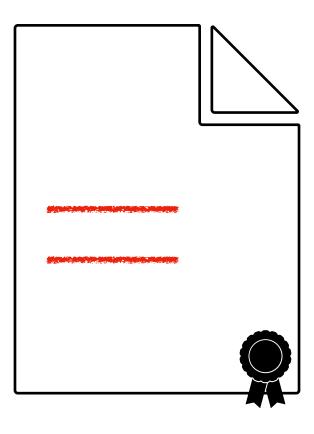






Partial integrity

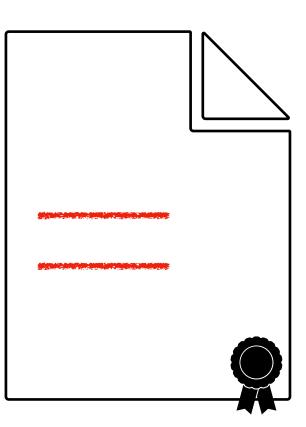
What if the modifications matter?



Partial integrity

What if the modifications matter?

- A fillable form signed by the owner but filled by another person
- A document with private sections that need to be redacted
- Errors during transmission or storage of signed data
- Malicious modifications

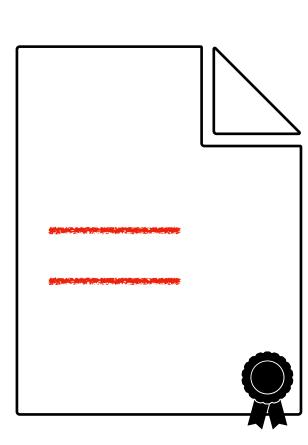


Partial integrity

What if the modifications matter?

- A fillable form signed by the owner but filled by another person
- A document with private sections that need to be redacted
- Errors during transmission or storage of signed data
- Malicious modifications

How can we provide partial integrity of data?

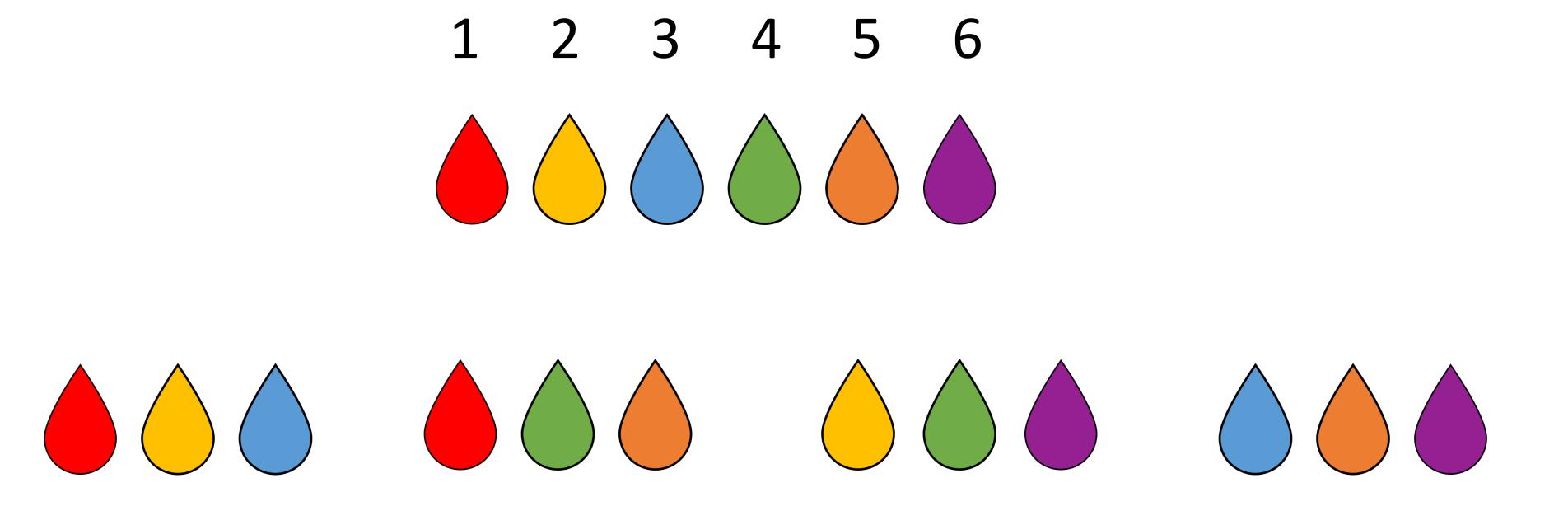


In this talk

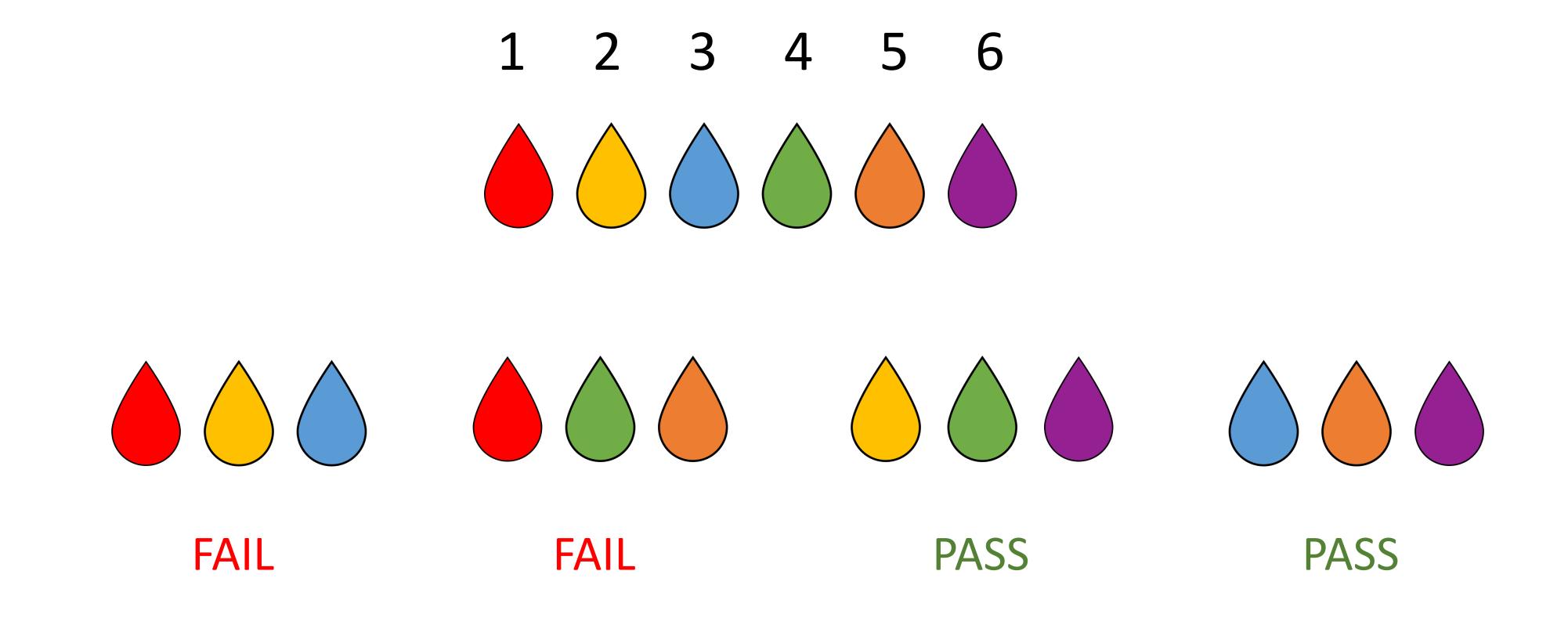


- A modification-tolerant signature scheme using cover-free families
- How to locate modifications.
- How to correct modifications.
- How to guarantee privacy of redacted data.

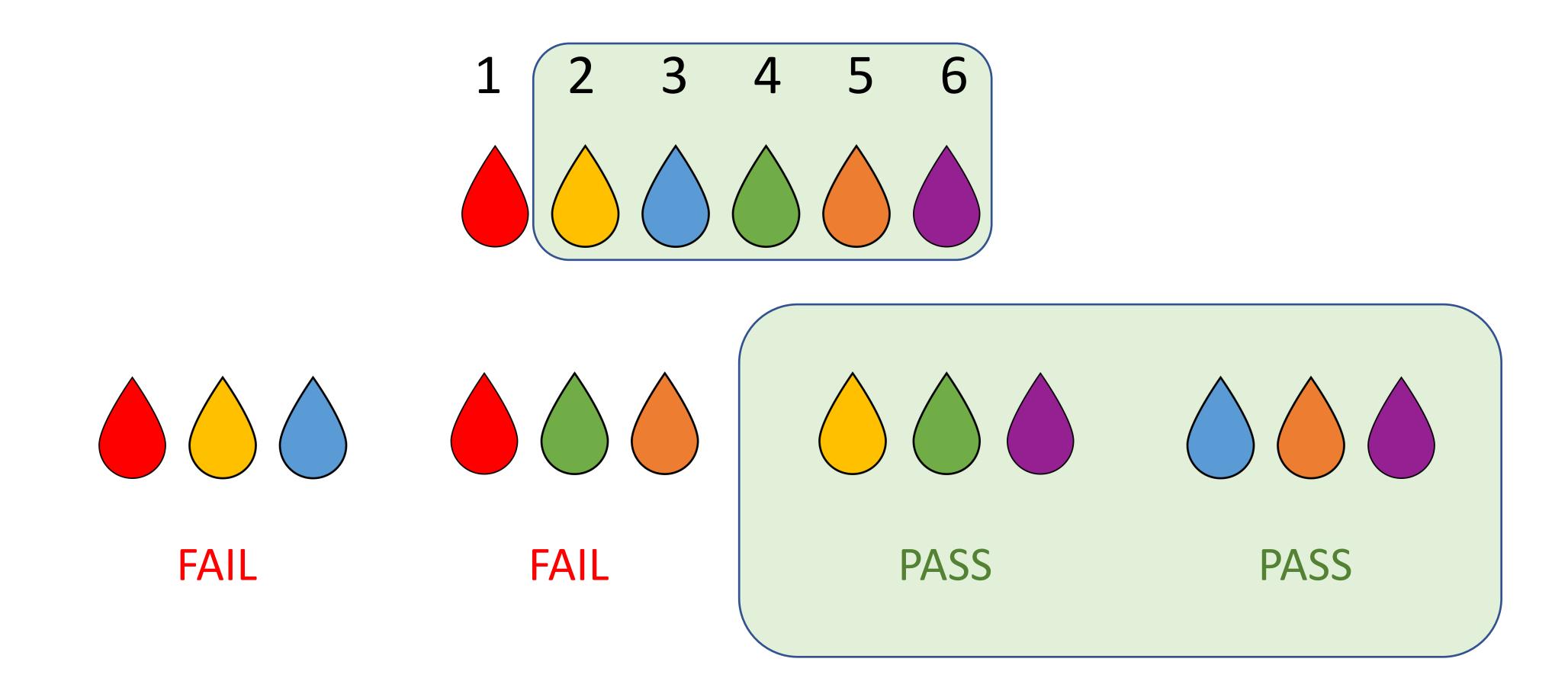
Group testing

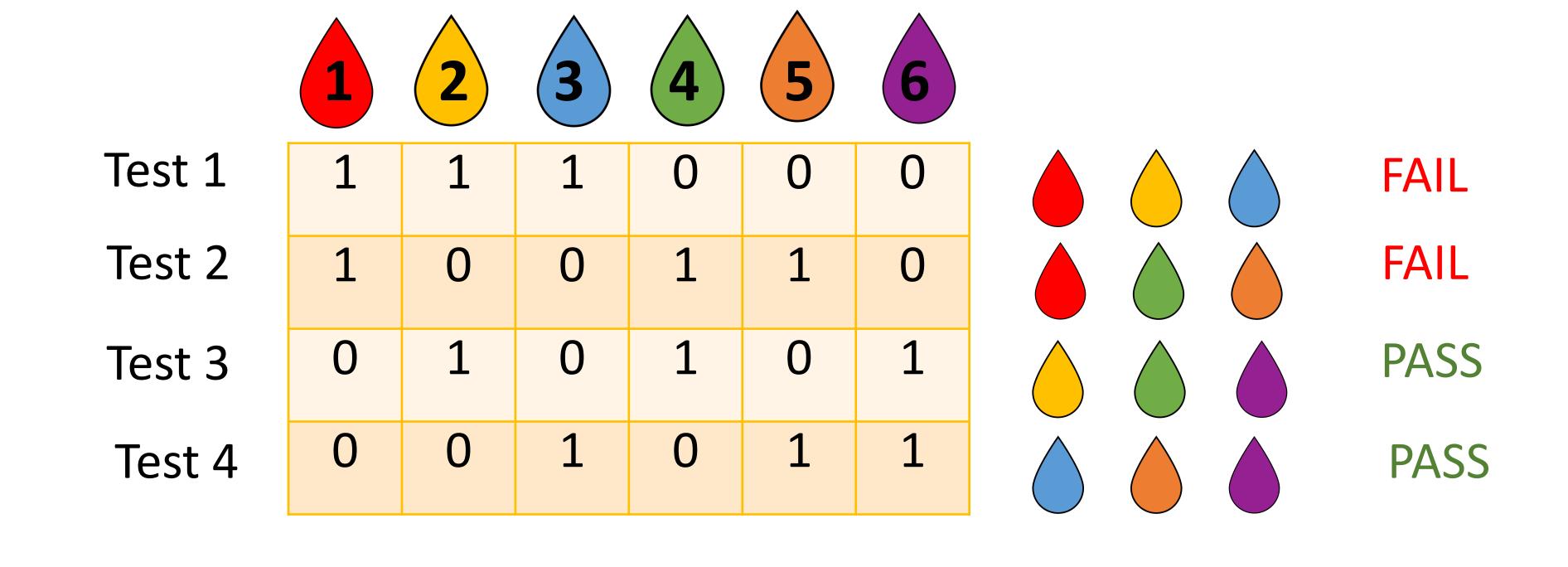


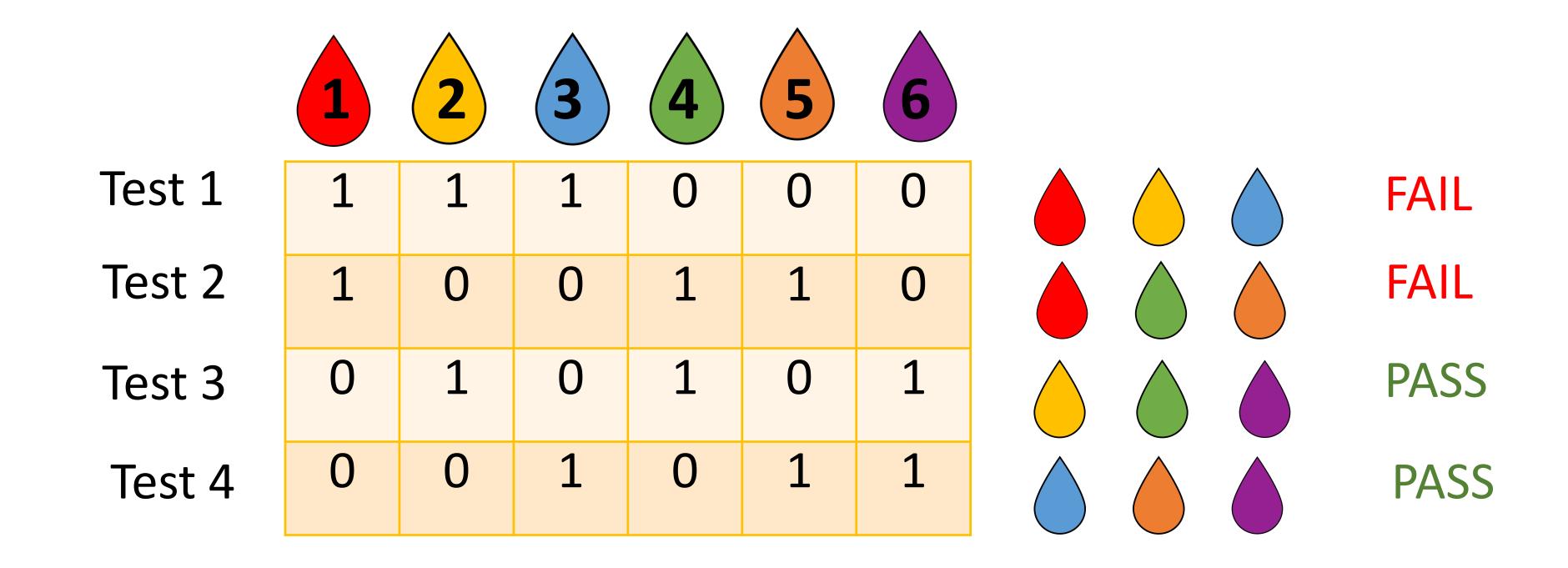
Group testing



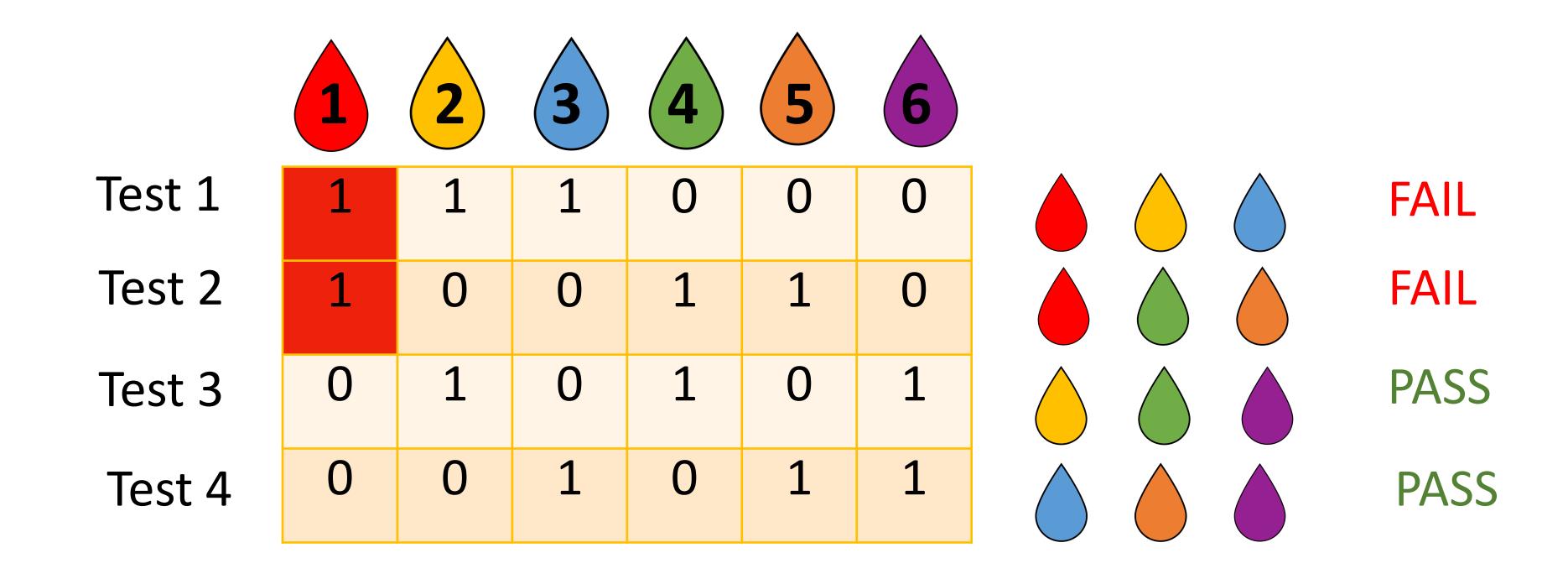
Group testing

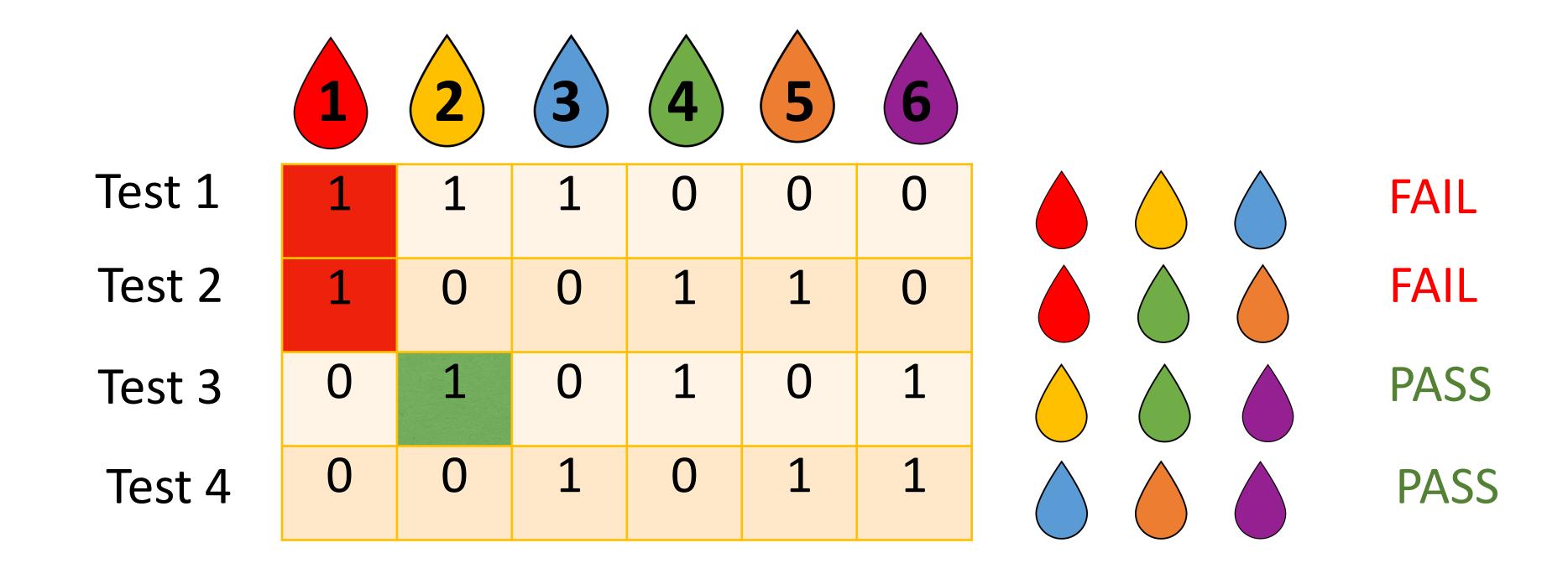


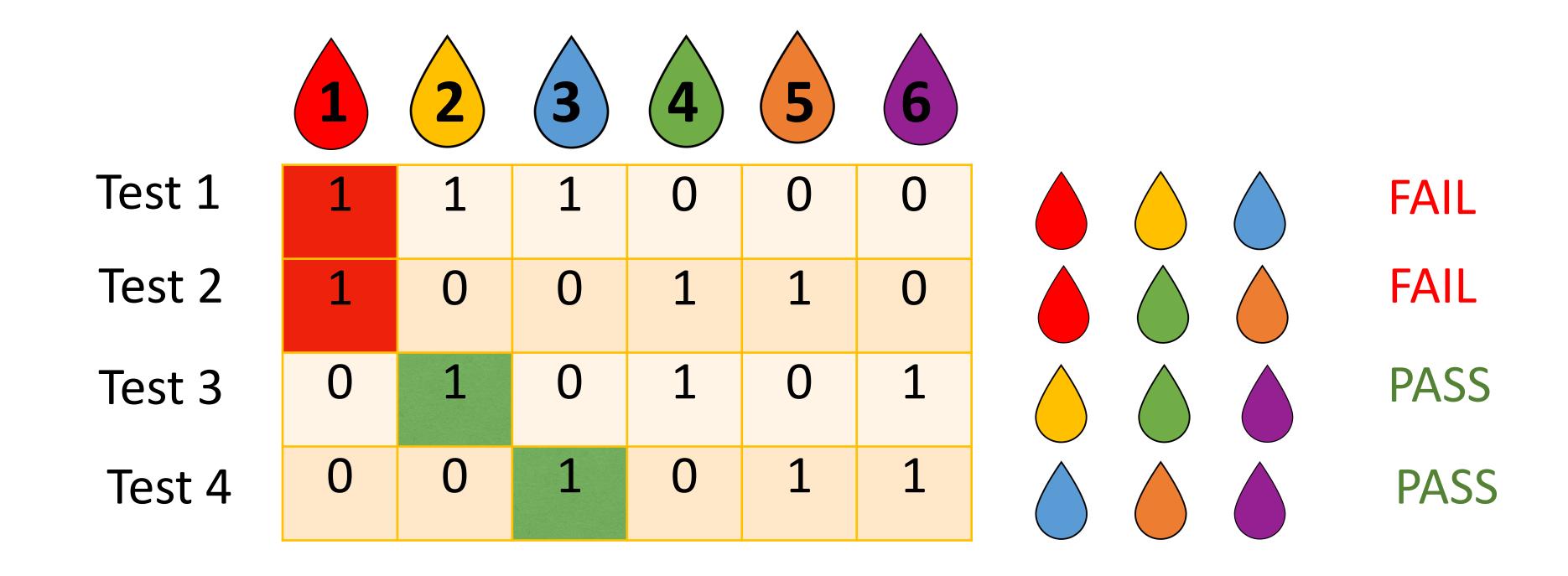


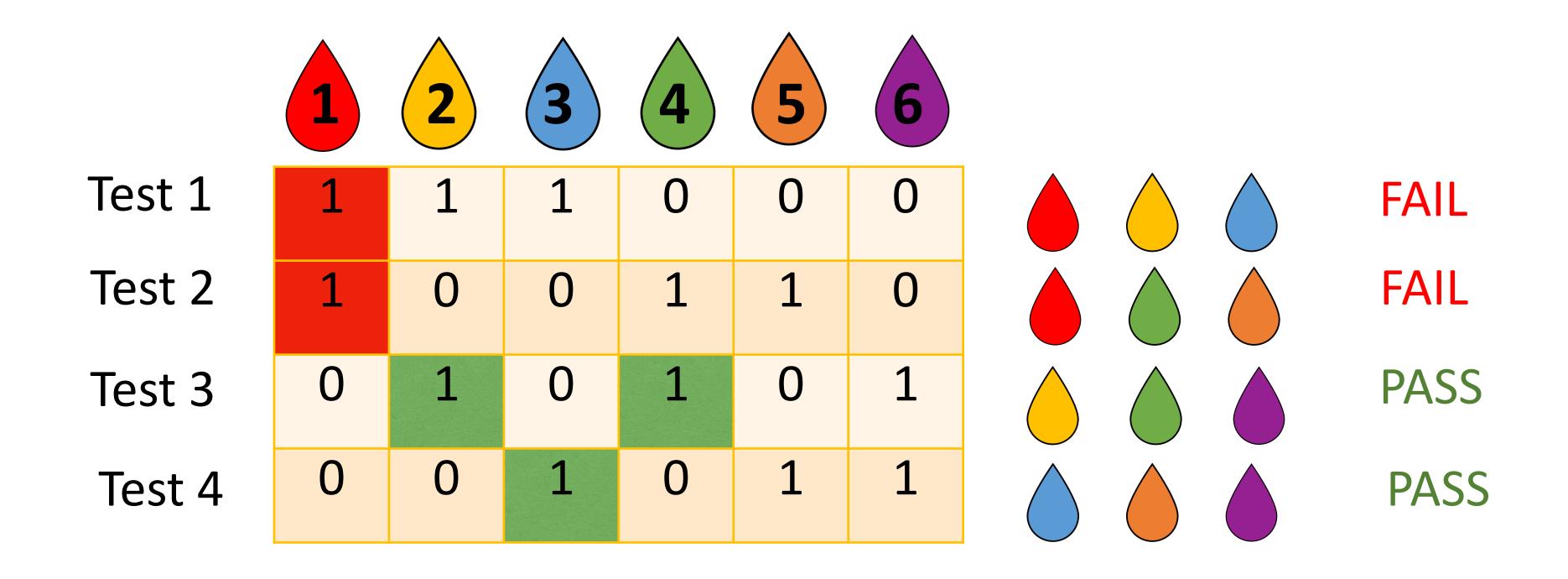


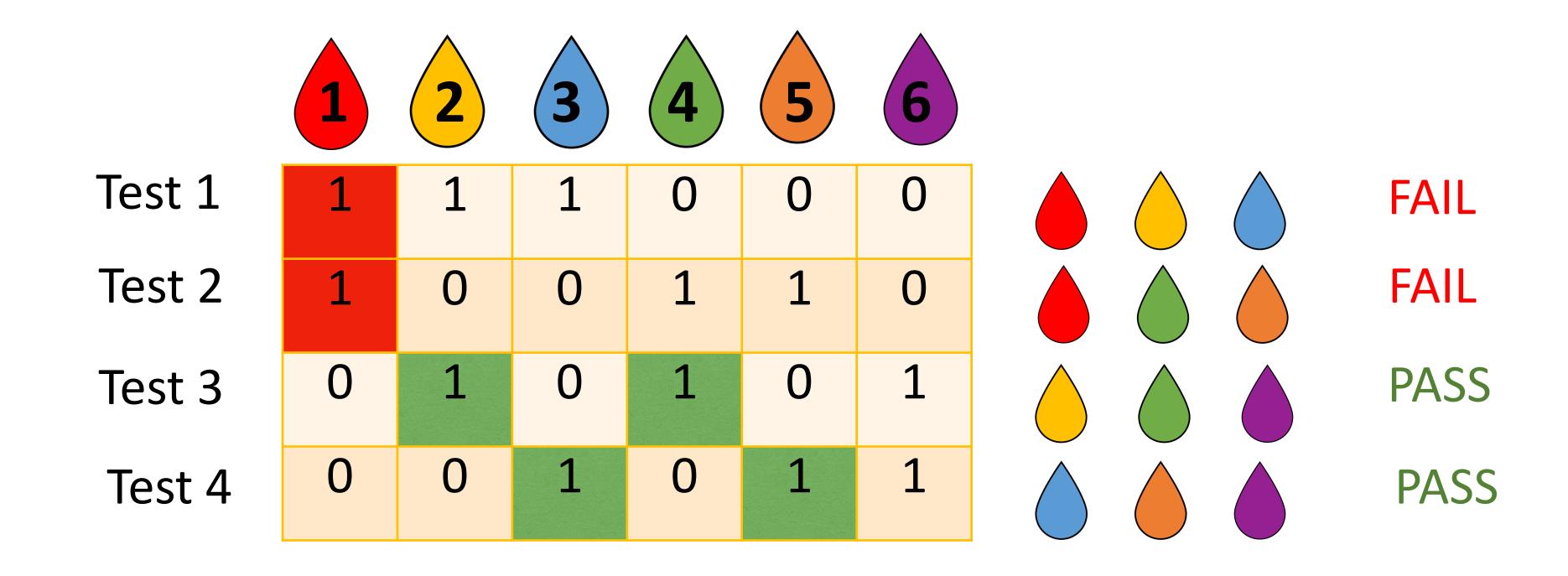
d – cover-free family

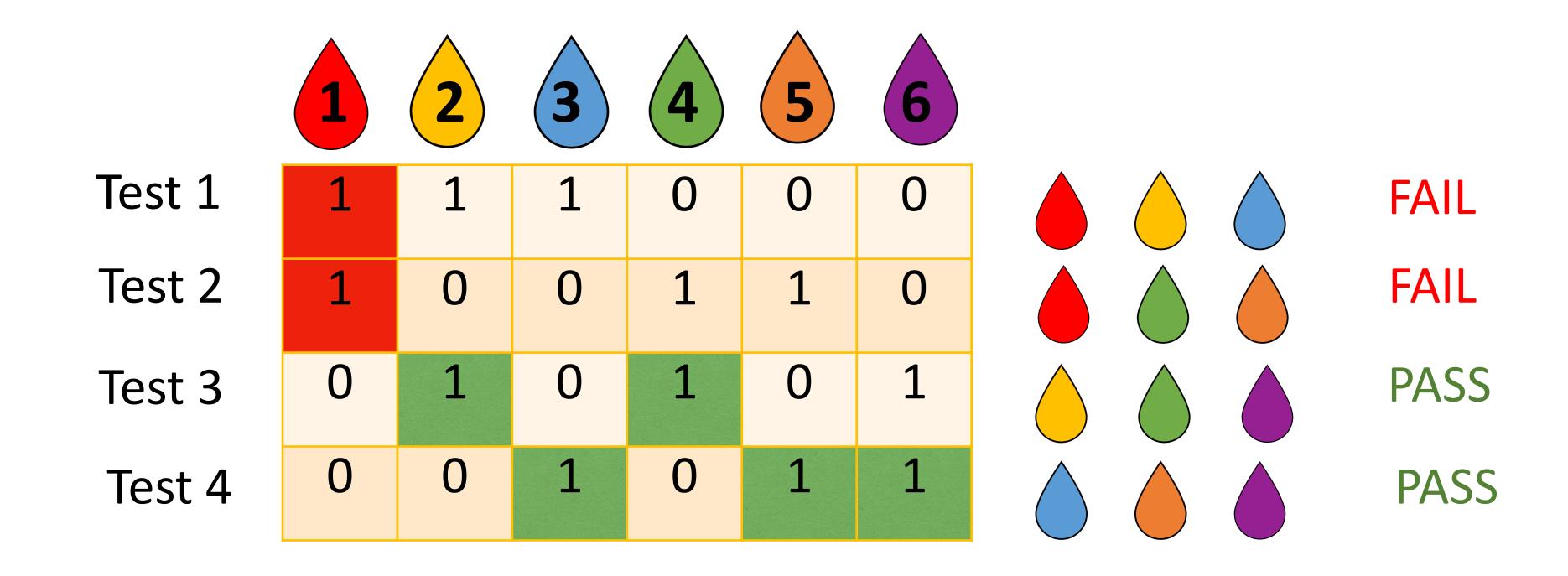












Constructions

- When d = 1 we can use Sperner sets, where t grows as $\log_2 n$ as $n \to \infty$;
- For $d \ge 2$, the best known lower bound on t for d-CFF(t, n) is given by

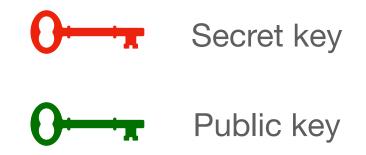
$$t \ge c \frac{d^2}{\log d} \log n$$

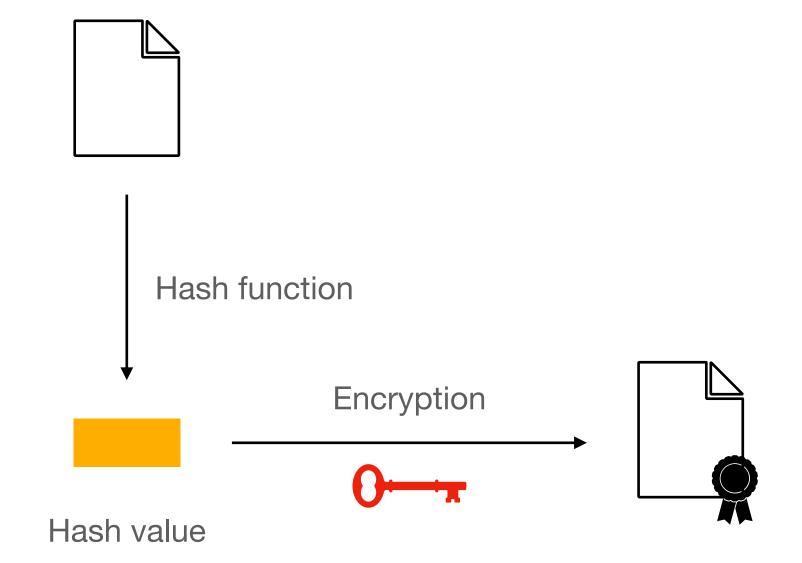
for some constant c;

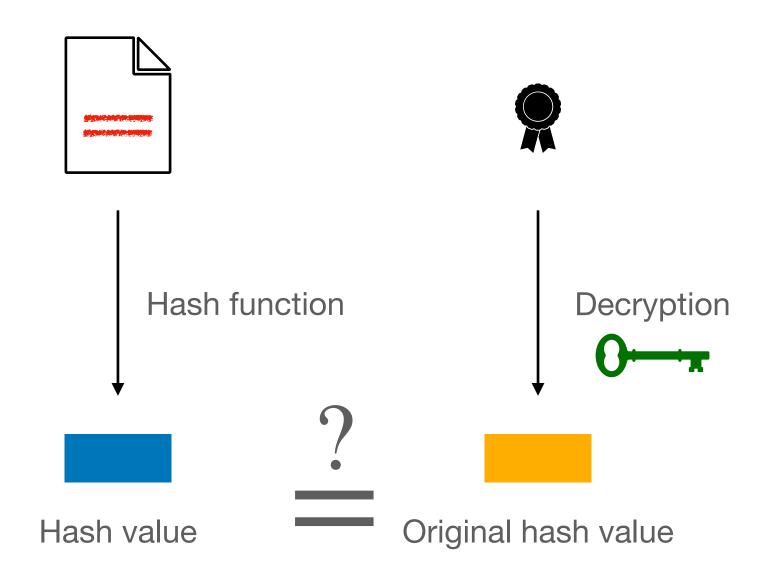
- Constructions based on Latin squares, OAs, PHFs, CAs, Codes, and many others;
- Constructions based on polynomials over finite fields;
- Constructions based on probabilistic algorithms.

Q

How to locate modifications



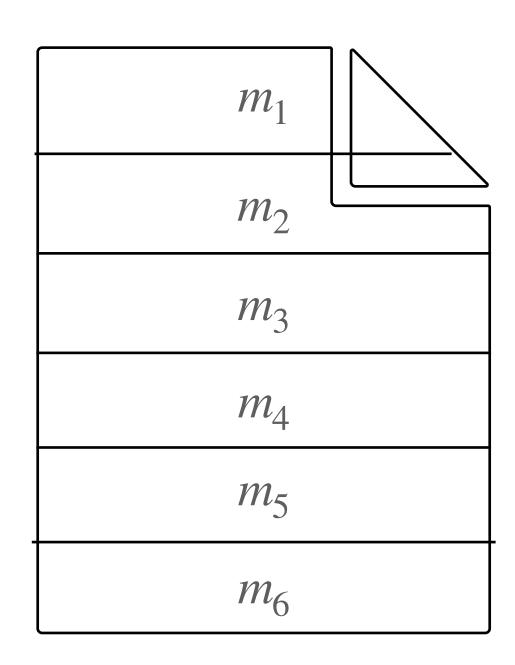








Document



Document

m_1	
m_2	
m_3	
m_4	
m_5	
m_6	

$$h_1 = \operatorname{Hash}(m_1)$$

$$h_2 = \operatorname{Hash}(m_2)$$

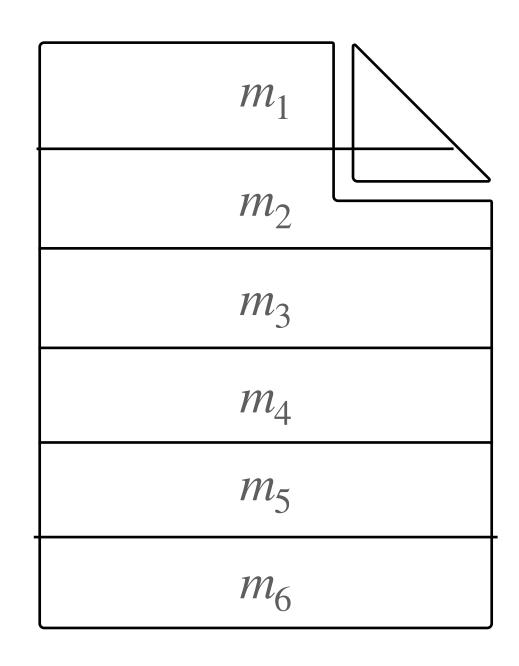
$$h_3 = \operatorname{Hash}(m_3)$$

$$h_4 = \operatorname{Hash}(m_4)$$

$$h_5 = \operatorname{Hash}(m_5)$$

$$h_6 = \operatorname{Hash}(m_6)$$

Document



Signature

1	1	1	0	0	0
1	0	0	1	1	0
0	1	0	1	0	1
0	0	1	0	1	1

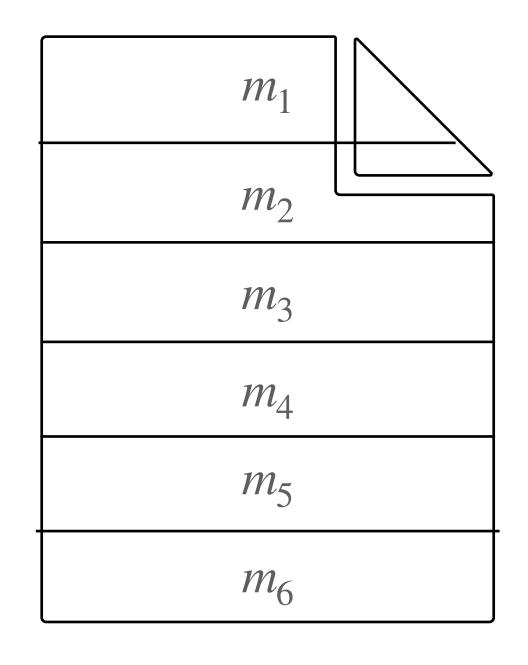


Document Signature $Hash(h_1 \mid h_2 \mid h_3)$ m_1 m_2 $Hash(h_2 | h_4 | h_6)$ $Hash(h_3 \mid h_5 \mid h_6)$ m_3 Hash(m) m_4 Sign(**0**→**,** *T*) σ m_5 m_6 d-CFF 0

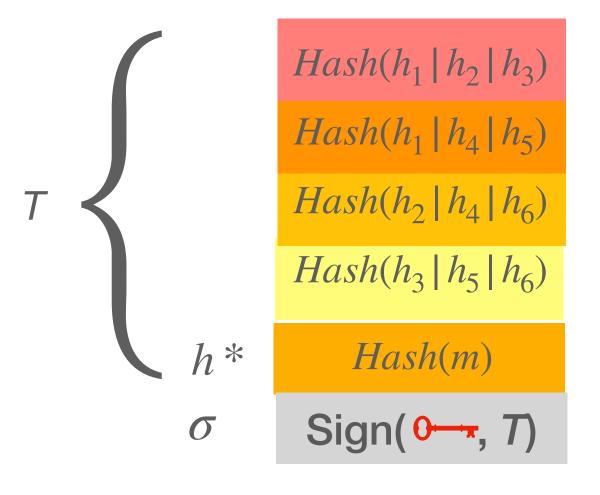
Q

How to locate modifications

Document



Signature



d-CFF

1	1	1	0	0	0
1	0	0	1	1	0
0	1	0	1	0	1
0	0	1	0	1	1

Verification

- 1) $Verify(T, \sigma, f)$ OK?
- 2) $h^* \stackrel{?}{=} Hash(m')$
- 3)

 Hash(h'_1 | h'_2 | h'_3)

 Hash(h'_1 | h'_4 | h'_5)

 Hash(h'_2 | h'_4 | h'_6)

 Hash(h'_3 | h'_5 | h'_6)



Document Signature $Hash(h_1 \mid h_2 \mid h_3)$ m_1 $Hash(h_1 \mid h_4 \mid h_5)$ m_2 $Hash(h_2 | h_4 | h_6)$ $Hash(h_3 \mid h_5 \mid h_6)$ m_3 X Hash(m)Sign(**0**→**,** *T*) σ m_5 m_6 d-CFF

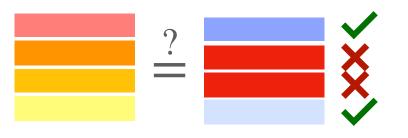
Verification

- 1) $Verify(T, \sigma, f)$ OK?
- 2) $h^* \stackrel{?}{=} Hash(m')$
- Hash(h'₁ | h'₂ | h'₃)

 Hash(h'₁ | h'₄ | h'₅)

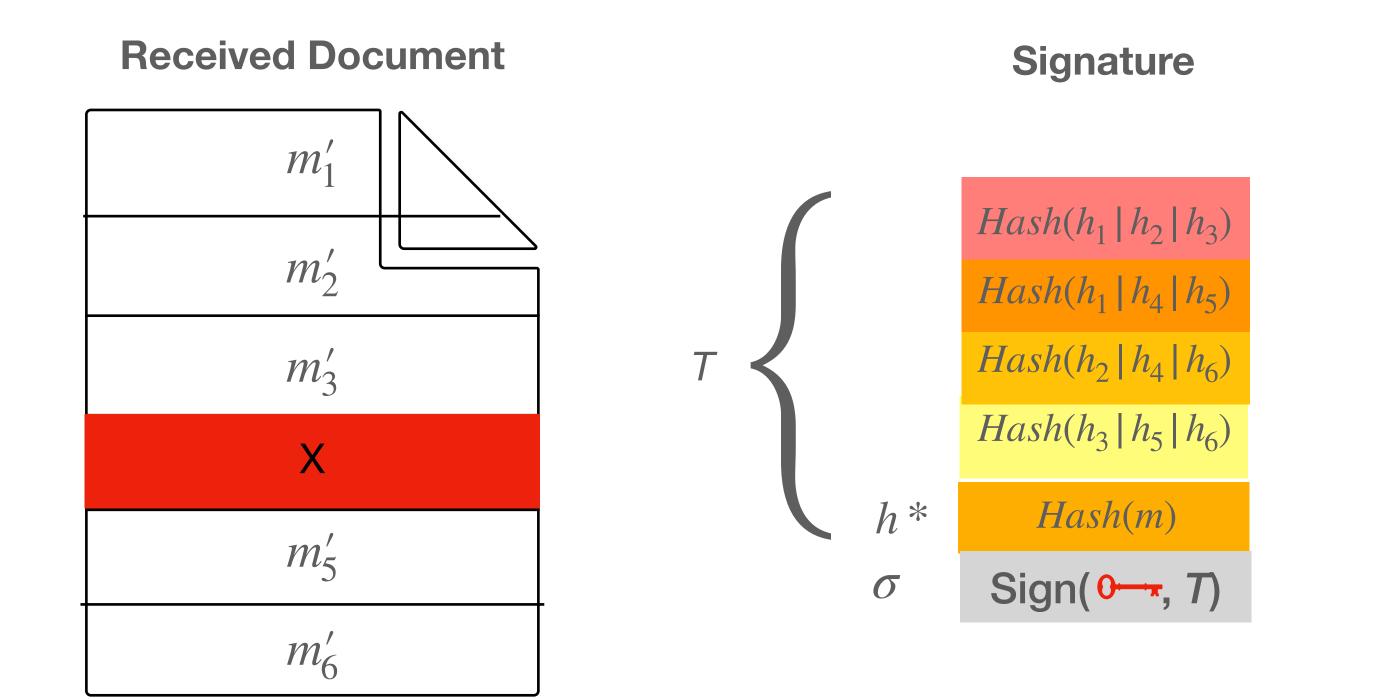
 Hash(h'₂ | h'₄ | h'₆)

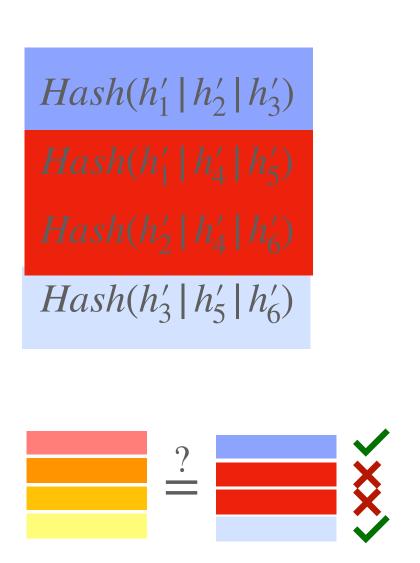
 Hash(h'₃ | h'₅ | h'₆)





For small enough blocks, we can correct modifications:

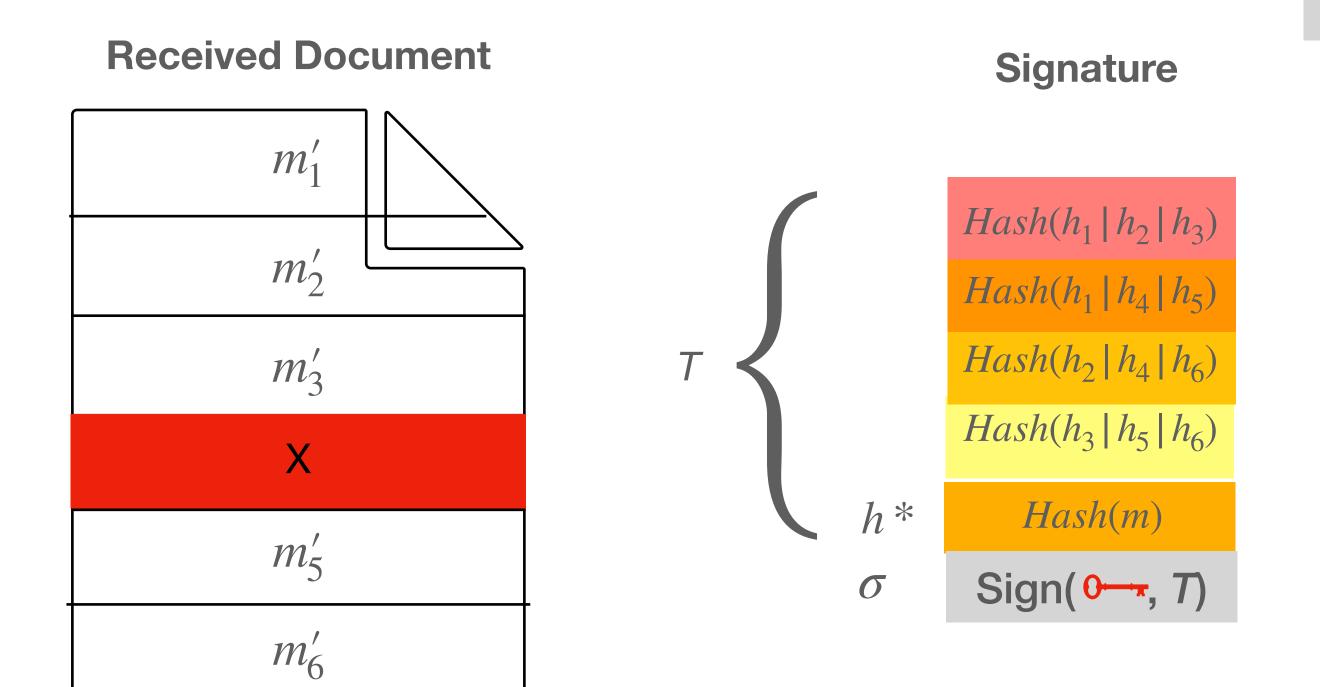


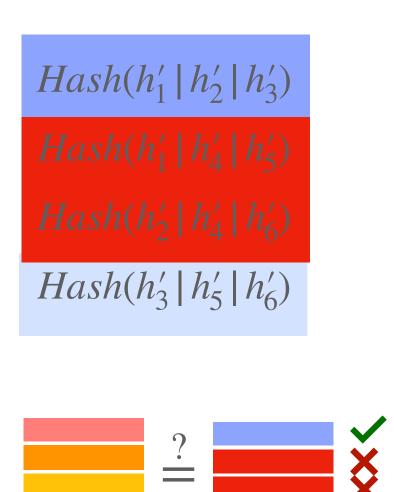




For small enough blocks, we can correct modifications:

- 1. Compute $h_1' = \operatorname{Hash}(m_1')$ and $h_5' = \operatorname{Hash}(m_5')$ For each possible value of m_4' :
- 2. Compute $h'_4 = \operatorname{Hash}(m'_4)$
- 3. Stop when the values below match

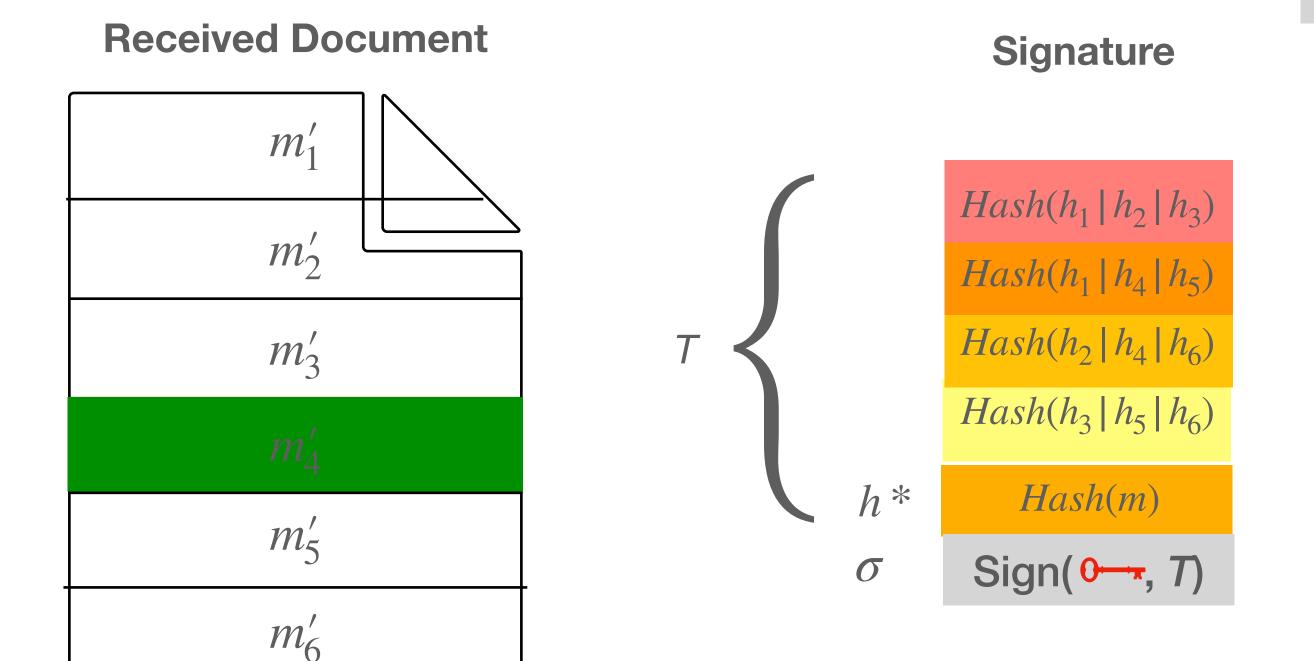






For small enough blocks, we can correct modifications:

- 1. Compute $h_1' = \operatorname{Hash}(m_1')$ and $h_5' = \operatorname{Hash}(m_5')$ For each possible value of m_4' :
- 2. Compute $h'_4 = \operatorname{Hash}(m'_4)$
- 3. Stop when the values below match



 $Hash(h'_{1}|h'_{2}|h'_{3})$ $Hash(h'_{1}|h'_{4}|h'_{5})$ $Hash(h'_{2}|h'_{4}|h'_{6})$ $Hash(h'_{3}|h'_{5}|h'_{6})$

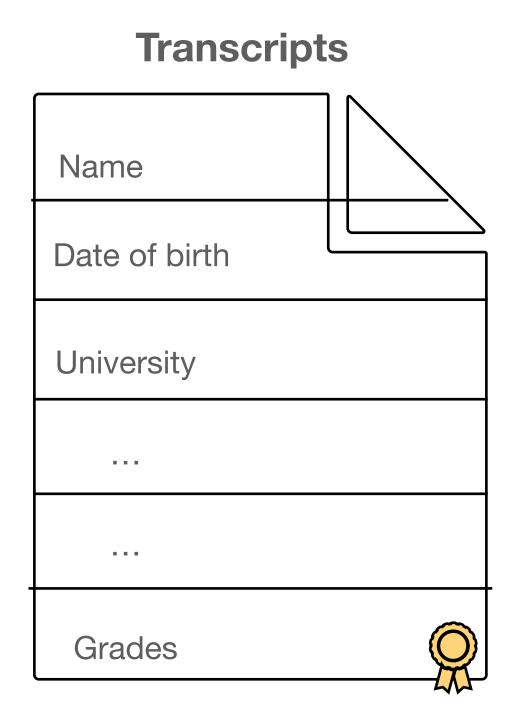


Extra details:

- We consider blocks of size at most *s*
- Our algorithm keeps track of possible preimages of the modified blocks
- The probability of collision is very small, since *s* is small
 - For SHA-256 and s = 20, the probability is $\approx 3.70 \times 10^{-68}$
 - We experimentally verified that SHA-256 has no collision for s = 20
- The correction algorithm computes $O(d2^s + n)$ hash calculations
- These schemes are existentially unforgeable

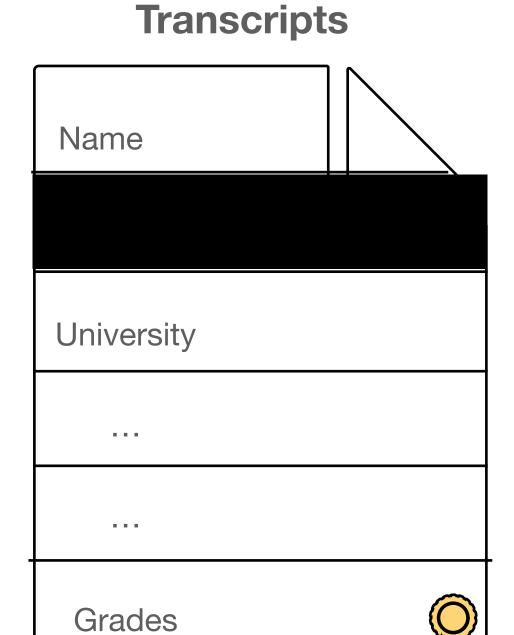


Redactable Signature





Redactable Signature



Rules:

- Hide content without invalidating signature
- Should not be able to correct redacted blocks
- Should not leak information about them.

Our first two schemes are not suitable for this application



Document Signature $Hash(h_1 \mid h_2 \mid h_3)$ m_1 m_2 $Hash(h_3 \mid h_5 \mid h_6)$ m_3 Hash(m)Sign(**0**→, *T*) σ m_5 m_6 d-CFF 0

Verification

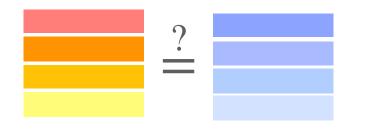
- 1) $Verify(T, \sigma, f)$ OK?
- 2) $h^* \stackrel{?}{=} Hash(m')$
- 3)

 Hash(h'_1 | h'_2 | h'_3)

 Hash(h'_1 | h'_4 | h'_5)

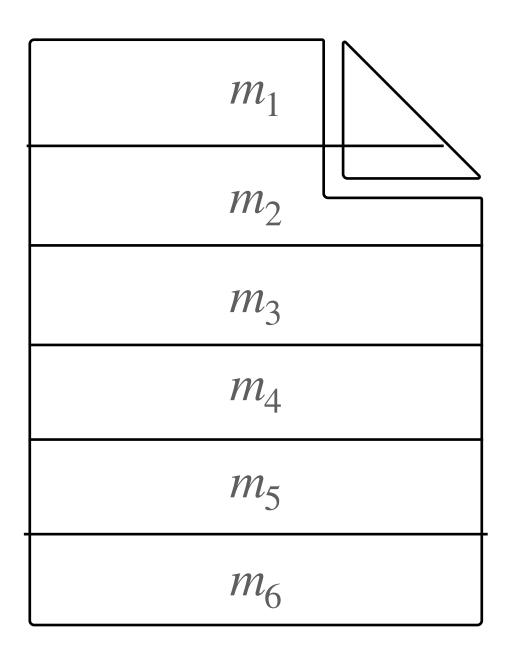
 Hash(h'_2 | h'_4 | h'_6)

 Hash(h'_3 | h'_5 | h'_6)





Document



T[1]	$Hash(h_1 \mid h_2 \mid h_3)$
T[2]	$Hash(h_1 \mid h_4 \mid h_5)$
T[3]	$Hash(h_2 \mid h_4 \mid h_6)$
T[4]	$Hash(h_3 \mid h_5 \mid h_6)$
T[5]	Hash(m)

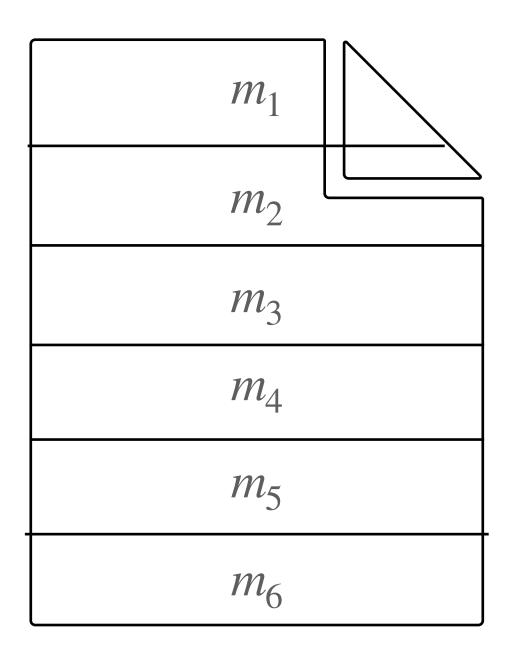
Signature

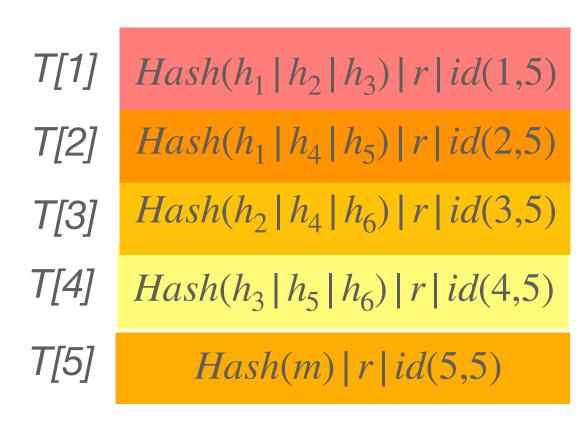
$$\sigma'[1]$$
Sign(0---, T[1]) $\sigma'[2]$ Sign(0---, T[2]) $\sigma'[3]$ Sign(0---, T[3]) $\sigma'[4]$ Sign(0---, T[4]) $\sigma'[5]$ Sign(0---, T[5])

1	1	1	0	0	0
1	0	0	1	1	0
0	1	0	1	0	1
0	0	1	0	1	1



Document





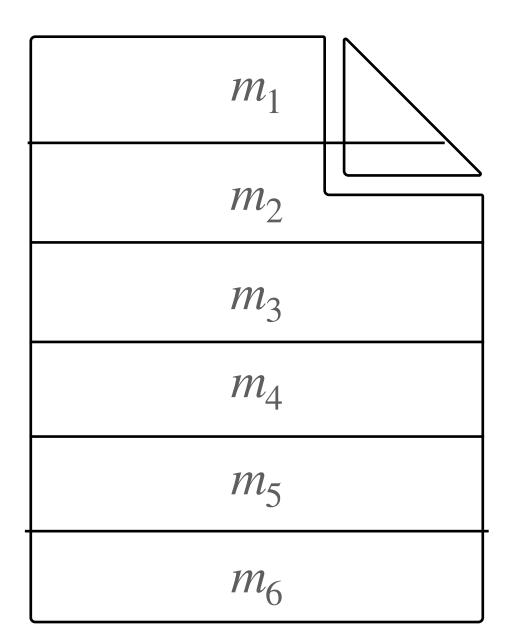
Signature

$$\sigma'[1]$$
Sign(0---, T[1]) $\sigma'[2]$ Sign(0---, T[2]) $\sigma'[3]$ Sign(0---, T[3]) $\sigma'[4]$ Sign(0----, T[4]) $\sigma'[5]$ Sign(0----, T[5])

1	1	1	0	0	0
1	0	0	1	1	0
0	1	0	1	0	1
0	0	1	0	1	1



Document





Signature

$\sigma'[1]$	Sign(0, T[1])
$\sigma'[2]$	Sign(0, T[2])
$\sigma'[3]$	Sign(0, T[3])
$\sigma'[4]$	Sign(0, T[4])
$\sigma'[5]$	Sign(0, T[5])
	$\sigma = (\sigma', r)$

Verification

Verify($h(m') | r | id(5,5), \sigma'[5], f')$ OK?

T'[1] $Hash(h_1 | h_2 | h_3) | r | id(1,5)$

T'[2] $Hash(h_1 | h_4 | h_5) | r | id(2,5)$

T'[3] $Hash(h_2 | h_4 | h_6) | r | id(3,5)$

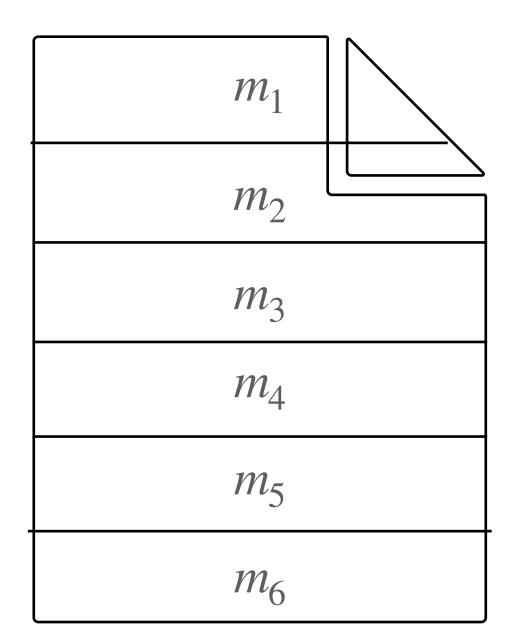
T'[4] $Hash(h_3 | h_5 | h_6) | r | id(4,5)$

 $Verify(T'[i] | r | id(i,5), \sigma'[i], f)$ OK?

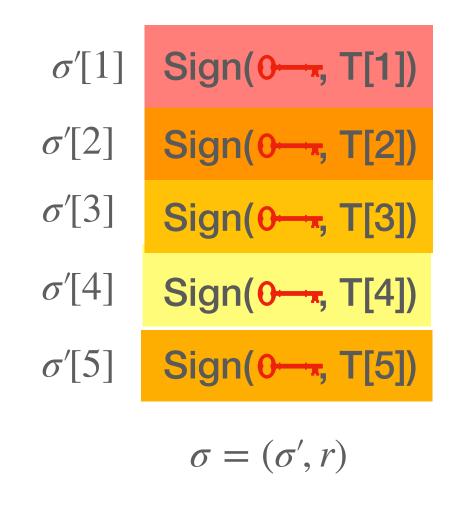
1	1	1	0	0	0
1	0	0	1	1	0
0	1	0	1	0	1
0	0	1	0	1	1



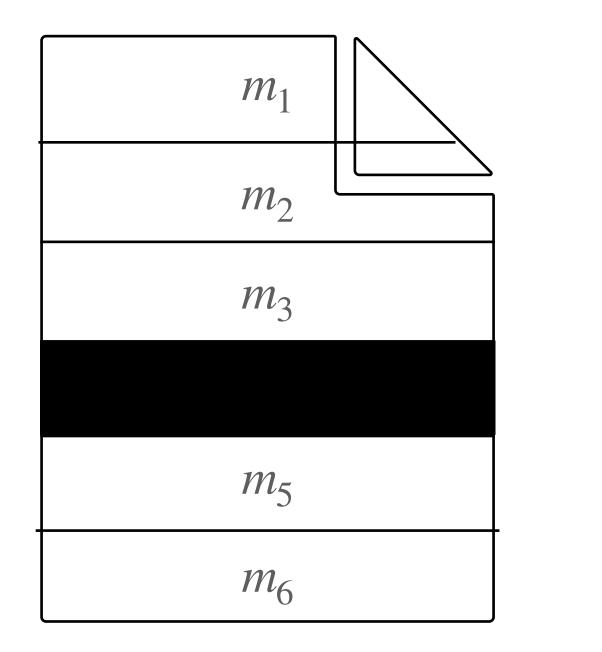
Document

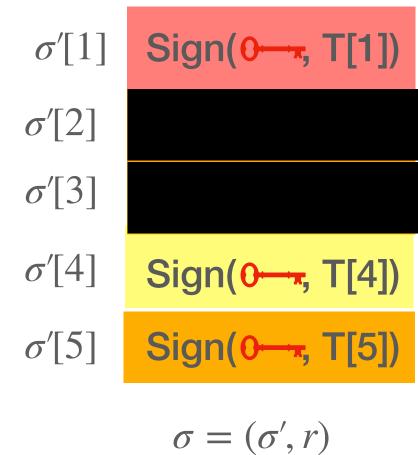


Signature



Redaction





1	1	1	0	0	0
1	0	0	1	1	0
0	1	0	1	0	1
0	0	1	0	1	1

In this talk



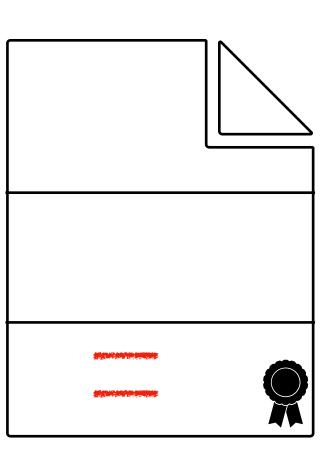
- A modification-tolerant signature scheme using cover-free families
- How to locate modifications.
- How to correct modifications.
- How to guarantee privacy of redacted data.

How can this be improved?

Variable CFFs

Acceptable modifications

- Traditional *d*-CFFs:
 - Any combination of d modifications is allowed.
- Variable CFFs:
 - ullet We specify a set ${\mathcal S}$ with the allowed modifications (we call them ${\mathcal S}$ -CFFs).



Variable CFFs

What are the benefits?

- ullet Less requirement for coverage might give us \mathcal{S} -CFFs with less rows than d-CFFs.
 - This means less tests, smaller signatures, etc.
- ullet We are working on constructions and bounds for ${\mathcal S}$ -CFFs.

What else?

- Batch verification of signatures
- Aggregation of signatures *
- One-time signature schemes resistant against attacks by quantum computers
- Broadcast communication **

^{*} T.B. Idalino, L. Moura. Nested Cover-Free Families for Unbounded Fault-Tolerant Aggregate Signatures. Theoretical Computer Science, 2021.

^{**} T.B. Idalino, L. Moura. Embedding Cover-Free Families and Cryptographical Applications. Advances in Mathematics of Communications, 2018.

Thank you!