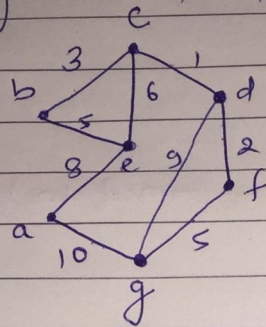


(1)

Q.

* Kruskal algorithm to find edges of graph that form a minimum spanning tree for graph.



Min. * Minimum Spanning tree for a weighted, connected and undirected graph is a spanning tree with weight less than or equal to the weight of every other spanning tree. The weight of a spanning tree is the sum of weights given to each edge of the spanning tree.

* A minimum spanning tree has $(V-1)$ edges where V is the number of vertices in given graph.

so, our MST will contain 6 edges since our graph has 7 vertices from a to g.

→ Steps to find Minimum Spanning tree using Kruskal's algo.

- (1) Sort all the edges in non-decreasing order of their weights.
- (2) Select the smallest edge. Check whether it forms a cycle with the spanning tree formed so far. If cycle is not there, include this edge, else discard it.
- (3) Repeat step 2 until there are $(V-1)$ edges in the spanning tree.

2.

This is a Greedy algorithm.

Solutions:

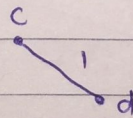
The graph contains 7 vertices and 9 edges. So the minimum spanning tree will be having $(7-1) = 6$ edges.

After sorting:-

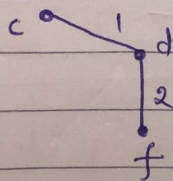
weight	source	destination
1	c	d
2	d	f
3	b	c
5	b	e
5	f	g
6	c	e
8	a	e
9	d	g
10	a	g

Now picking edges one by one from sorted list of edges.

(1) Select edge c-d: No cycle is formed, include it.

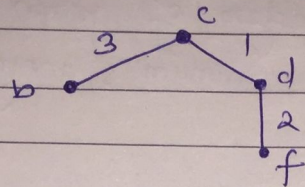


2) Select edge d-f: No cycle is formed, include it.

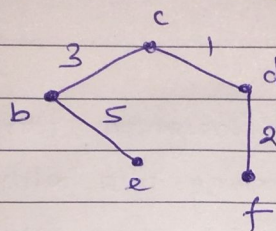


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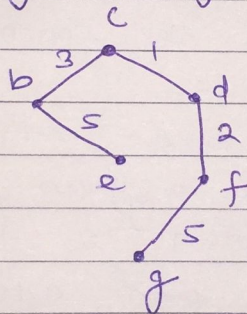
3) select edge b-c: No cycle is formed, include it



4) select edge b-e: No cycle is formed, include it

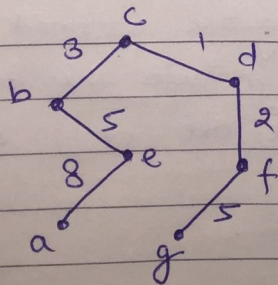


5) select edge f-g: No cycle is formed, include it



6) select edge c-e: Since including this results in cycle, so discard it.

7) select edge a-e: No cycle is formed, include it.



8) select edge d-g: since including this results in cycle, so discard it.

9) select edge a-g: since including this results in cycle, so discard it.

Since the number of edges included equals $(V-1)$, the algorithm stops here.

Final Answer:-

