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% Prática 5 - Thallys Oliveira - 11819827
% Dados dos problema
P1 x = 0; P2 x = -1.236; P3 x = -2.500;
P1_y = 0; P2_y = +2.138; P3_y = +2.931;
beta 2 = 30; beta 3 = 60;
gama 2 = -10; gama 3 = 25;
theta P1 = 210; theta P2 = 147.5; theta P3 = 110.2;
% Criando vetores com os dados
P1 = [P1 \times P1 \ y]; P2 = [P2 \times P2 \ y]; P3 = [P3_x \ P2_y];
beta = [0 beta 2 beta 3];
gama = [0 gama 2 gama 3];
theta = [theta P1 theta P2 theta P3];
% Transformando os ângulos de grau para radianos
beta = (pi/180)*beta;
gama = (pi/180)*gama;
theta = (pi/180)*theta;
% Cálculo iniciais
P 21 = sqrt(P2(1)^2 + P2(2)^2);
P 31 = sqrt(P3(1)^2 + P3(2)^2);
delta = [0 (-1)*atan2(P2(1),P2(2))+pi/2 (-1)*atan2(P3(1),P3(2))+pi/2]; % delta = [ △1 ✓
alpha = [0 \text{ theta}(2) - \text{theta}(1) \text{ theta}(3) - \text{theta}(1)]; % alpha = <math>[\alpha 1 \ \alpha 2 \ \alpha 3]
% Constantes do Sistema 1
A = \cos(beta(2)) -1; B = \sin(beta(2));
C = cos(alpha(2))-1; D = sin(alpha(2));
E = P 21*cos(delta(2));
F = cos(beta(3)) - 1; G = sin(beta(3));
H = cos(alpha(3)) -1; K = sin(alpha(3));
L = P 31*cos(delta(3));
M = P 21*sin(delta(3)); N = P 21*sin(delta(3));
% Sistema 1
M1 = [A -B C -D];
      [F -G H -K];
      [B A D C];
      [G F K H];];
v = [E L M N]';
x1 = M1 \setminus v;
W1 = [x1(1) x1(2)];
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Z1 = [x1(3) x1(4)];
% Magnitude e Orientação de W e Z
W \text{ mag} = \text{sqrt}(W1(1)^2+W1(2)^2);
Z_mag = sqrt(Z1(1)^2+Z1(2)^2);
t = (-1)*atan2(W1(1),W1(2))+pi/2;
phi = (-1)*atan2(Z1(1),Z1(2))+pi/2;
% Constantes do Sistema 2
A2 = \cos(\text{gama}(2)) - 1; B2 = \sin(\text{gama}(2));
F2 = cos(gama(3)) - 1; G2 = sin(gama(3));
% Sistema 1
M2 = [[A2 -B2 C -D];
      [F2 -G2 H -K];
      [B2 A2 D C];
      [G2 F2 K H];];
x2 = M2 \v;
U1 = [x2(1) x2(2)];
S1 = [x2(3) x2(4)];
% Magnitude e Orientação de U e S
U \text{ mag} = \text{sqrt}(U1(1)^2+U1(2)^2);
S mag = sqrt(S1(1)^2+S1(2)^2);
sigma = (-1)*atan2(U1(1),U1(2))+pi/2;
psi = (-1)*atan2(S1(1),S1(2))+pi/2;
% Analisando os Elos
% Elo 3
V1 = [Z1(1)-S1(1) Z1(2)-S1(2)];
V1 \text{ mag} = \text{sqrt}(V1(1)^2 + V1(2)^2);
t3 = (-1) *atan2(V1(1), V1(2)) + pi/2;
% Elo 4
G1 = [W1(1) + V1(1) - U1(1) W1(2) + V1(2) - U1(2)];
G1 \text{ mag} = \text{sqrt}(G1(1)^2 + G1(2)^2);
t1 = (-1) *atan2(G1(1),G1(2))+pi/2;
% Vetores e Angulos Finais
W = sqrt((x1(1,1)^2) + (x1(2,1)^2));
Z = sqrt((x1(3,1)^2) + (x1(4,1)^2));
U = sqrt((x2(1,1)^2) + (x2(2,1)^2));
S = sqrt((x2(3,1)^2) + (x2(4,1)^2));
```

```
W 1x = x1(1,1); W 1y = x1(2,1);
Z 1x = x1(3,1); Z 1y = x1(4,1);
U 1x = x2(1,1); U_1y = x2(2,1);
S_1x = x2(3,1); S_1y = x2(4,1);
vetW = [W_1x W_1y];
vetZ = [Z 1x Z 1y];
vetU = [U 1x U_1y];
vetS = [S 1x S 1y];
Vx = Z 1x - S 1x;
Vy = Z_1y - S_1y;
V = [Vx Vy];
Gx = W 1x + Vx - U 1x;
Gy = W 1y + Vy - U 1y;
G = norm([Gx Gy]);
theta3=atan2(Vy, Vx);
t2i = t - t1;
t2f = t2i + beta(3);
% Condicao Grashof
barras = [W U V G];
s = min(barras); l = max(barras);
pq = W + U + V + G - (s + 1);
sl = s + 1;
if sl <= pq
    disp("Grashof");
else
    disp("Nao Grashof");
end
% Localização dos pivos
02x = -Z*cos(phi) - W*cos(theta3);
O2y = -Z*sin(phi) - W*sin(theta3);
O4x = -S*cos(psi) - U*cos(sigma);
O4y = -S*sin(psi) - U*sin(sigma);
thetarot = (-1)*atan2((04x - 02x), (04y - 02y)) + pi/2;
% Comprimento dos elos
a=W; b=norm(V); c=U; d=G; e=norm(vetZ);
% Numero de passos
N=1000;
t=linspace(0,1,N)';
% Analise do movimento
w2=4*pi;
t2v = [linspace(t2i, t2f, N/4) linspace(t2f, t2i, N/4) ...
       linspace(t2i,t2f,N/4) linspace(t2f,t2i,N/4)]';
% Metodo de Newton-Raphson para determinacao dos angulos t3 e t4
tol=0.001;
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t3=theta3;
t4=acos((S.^2+V.^2-Z.^2)/(2*S*V));
for it2=1:length(t2v)
    t2=t2v(it2); B=tol+1; iconv=0;
    while norm(B)>tol
    iconv=iconv+1;
    A = [-b*sin(t3) c*sin(t4);b*cos(t3) -c*cos(t4)];
    B = [a*\cos(t2) + b*\cos(t3) - c*\cos(t4) - d; a*\sin(t2) + b*\sin(t3) - c*\sin(t4)];
    Dt=-A\setminus B;
    t3=t3+Dt(1); t4=t4+Dt(2);
    end
    t3v(it2,1)=t3;
    t4v(it2,1)=t4;
end
% Declaracao dos vetores velocidade angular e aceleracao angular
w3=[]; w4=[];
a3=[]; a4=[];
% Declaracao dos vetores velocidade linear e aceleracao linear
Va=[]; Vb=[];
Aa=[]; Ab=[];
for i=1:length(t)
    Theta2=t2v(i);
    Theta3=t3v(i);
    Theta4=t4v(i);
    % Usando as equações da dinamica
    w3(i) = (a*w2/b)*(sin(Theta4-Theta2)/sin(Theta3-Theta4));
    w4(i) = (a*w2/c)*(sin(Theta2-Theta3)/sin(Theta4-Theta3));
    % Constantes necessarias para o calculo das aceleracoes angulares
    A=c*sin(Theta4);
    B=b*sin(Theta3);
    C=a*0*sin(Theta2)+a*(w2^2)*cos(Theta2)+b*(w3(i)^2)*cos(Theta3)-c*(w4(i)^2)*cos ✓
(Theta4);
    D=c*cos(Theta4);
    E=b*cos(Theta3);
    F=a*0*cos(Theta2)-a*(w2^2)*sin(Theta2)-b*(w3(i)^2)*sin(Theta3)+c*(w4(i)^2)*sin ✓
(Theta4);
    a3(i) = (C*D-A*F) / (A*E-B*D);
    a4(i) = (C*E-B*F) / (A*E-B*D);
    % Calculando cada componente das velocidades lineares e depois seu modulo
    Va i=a*w2*(-sin(Theta2));
    Va j=a*w2*(cos(Theta2));
    Va(i) = ((Va i^2) + (Va j^2))^(1/2);
    Vb i=c*w4(i)*(-sin(Theta4));
    Vb j=c*w4(i)*(cos(Theta4));
    Vb(i) = ((Vb i^2) + (Vb j^2))^(1/2);
    % Calculando cada componente das aceleracoes lineares e depois seu modulo
    Aa i=-(a*0*sin(Theta2)+a*(w2^2)*cos(Theta2));
    Aa j=a*0*cos(Theta2)-a*(w2^2)*sin(Theta2);
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```
Aa(i) = ((Aa i^2) + (Aa j^2))^(1/2);
    Ab i=-(c*a4(i)*sin(Theta4)+c*(w4(i)^2)*cos(Theta4));
    Ab j=c*a4(i)*cos(Theta4)-c*(w4(i)^2)*sin(Theta4);
    Ab(i) = ((Ab i^2) + (Ab j^2))^(1/2);
end
% Plotagem dos graficos das velocidades angulares w3 e w4
figure(1)
plot(t,w3);
xlabel('Tempo (s)');
ylabel('Velocidade Angular (Rad/s)');
title('Velocidade Angular x Tempo');
grid on;
hold on;
plot(t,w4);
legend('Elo 3', 'Elo 4');
axis([0 1 -60 30]);
hold off;
% Plotagem dos graficos das aceleracoes angulares a3 e a4
figure(2)
plot(t,a3);
xlabel('Tempo (s)');
ylabel('Aceleração Angular (rad/s²)');
title('Aceleração Angular x Tempo');
grid on;
hold on
plot(t,a4);
legend('Elo 3','Elo 4');
axis([0 1 -3000 4000]);
hold off;
% Plotagem dos graficos das velocidades lineares Va e Vb
figure(3)
plot(t, Va);
xlabel('Tempo (s)');
ylabel('Velocidade Linear (m/s)')
title('Velocidade Linear x Tempo');
grid on;
hold on;
plot(t, Vb);
legend('Ponto A', 'Ponto B');
axis([0 1 0 150]);
hold off;
% Plotagem dos graficos das aceleracoes lineares Aa e Ab
figure (4)
plot(t,Aa);
xlabel('Tempo (s)');
ylabel('Aceleração Linear (m/s²)');
title('Aceleração Linear x Tempo');
grid on;
hold on;
plot(t,Ab);
legend('Ponto A', 'Ponto B');
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```
axis([0 1 0 12000]);
hold off;
% Evaluate positions of points A,B,C,D,P
AP = 7.1:
tAP=S1;
rA=zeros(length(t2v),2);
rB=a*[cos(t2v) sin(t2v)];
rC=rB+b*[cos(t3v) sin(t3v)];
rD = [rA(:,1) + d rA(:,2)];
rP=rB+Z1.*[cos(t3v+(phi-theta3)) sin(t3v+(phi-theta3))];
tol=0.003;
posP2 = find(t2v>t2i+beta(2)-tol & t2v>t2i+beta(2)+tol);
% Show simulation
outvid=0;
figure(1), clf, set(1, 'position',[0 0 690 650])
    if outvid==1
         filename='analuiza-pr tica5.gif';
         frame=getframe(gcf); im=frame2im(frame); [A,map]=rgb2ind(im,256);
         imwrite(A, map, filename, 'gif', 'LoopCount', Inf, 'DelayTime', 1e-3);
    end
    rT=[rA; rB; rC; rD; rP]; mx=max(max(abs(rT)));
    rT=[rA; rB; rC; rD; rP]; mx=max(max(abs(rT))); axis([-mx mx -mx mx]),
    axis equal,
    hAB=line([rA(1,1) rB(1,1)],[rA(1,2) rB(1,2)]); set(hAB,'Color',.7*[1 1 \checkmark])
1], 'LineStyle', '-'),
    hBC=line([rB(1,1) rC(1,1)],[rB(1,2) rC(1,2)]); set(hBC,'Color',.7*[1 1 ✓
1], 'LineStyle', '-'),
    hCD=line([rC(1,1) rD(1,1)],[rC(1,2) rD(1,2)]); set(hCD, 'Color', .7*[1 1 \nneq 0])
1], 'LineStyle', '-'),
    hDA=line([rD(1,1) rA(1,1)],[rD(1,2) rA(1,2)]); set(hDA,'Color',.7*[1 1 \checkmark])
1], 'LineStyle', '-'),
    hBP1=line([rB(1,1) rP(1,1)],[rB(1,2) rP(1,2)]); set(hBP1,'Color',.7*[1 1\(\n'\)
1], 'LineStyle', '-'),
    hBP2=line([rB((length(rB)/4),1) rP((length(rP)/4),1)],[rB((length(rB)/4),2) rP\checkmark
((length(rP)/4),2)]); set(hBP2, 'Color', .7*[1 1 1], 'LineStyle','-'),
     \label{eq:hbp3} \texttt{hbP3} = \texttt{line}([\texttt{rB}(\texttt{posP2}(1,1),1) \ \texttt{rP}(\texttt{posP2}(1,1),1)], [\texttt{rB}(\texttt{posP2}(1,1),2) \ \texttt{rP}(\texttt{posP2}(1,1), \checkmark) 
2)]); set(hBP3,'Color',.7*[1 1 1],'LineStyle','-'),
    hBP1=line([rB(1,1) rP(1,1)],[rB(1,2) rP(1,2)]); set(hBP1,'Color',.7*[1 1\(\n'\)
1], 'LineStyle', '-'),
    text (rA(1,1) - mx/100, rA(1,2) - mx/20, 'A')
    text (rB(1,1) - mx/100, rB(1,2) - mx/20, 'B')
    text (rC(1,1) - mx/100, rC(1,2) - mx/20, 'C')
    text (rD(1,1) - mx/100, rD(1,2) - mx/20, 'D')
    if outvid==1 dts=5; else dts=1; end
    for n=2:dts:length(t)
         set(hAB,'xdata',[rA(n,1) rB(n,1)],'ydata',[rA(n,2) rB(n,2)]);
         set(hBC,'xdata',[rB(n,1) rC(n,1)],'ydata',[rB(n,2) rC(n,2)]);
         set(hCD,'xdata',[rC(n,1) rD(n,1)],'ydata',[rC(n,2) rD(n,2)]);
         set(hBP1,'xdata',[rB(n,1) rP(n,1)],'ydata',[rB(n,2) rP(n,2)]);
         hP=line([rP(n-1,1) rP(n,1)], [rP(n-1,2) rP(n,2)]); set \checkmark
(hP, 'Color', 'r', 'LineStyle', ':');
```

```
if outvid==1
    frame=getframe(gcf); im=frame2im(frame); [A,map]=rgb2ind(im,256);
    imwrite(A,map,filename,'gif','WriteMode','append','DelayTime',1e-3);
    else pause(1e-12);
    end
end
```