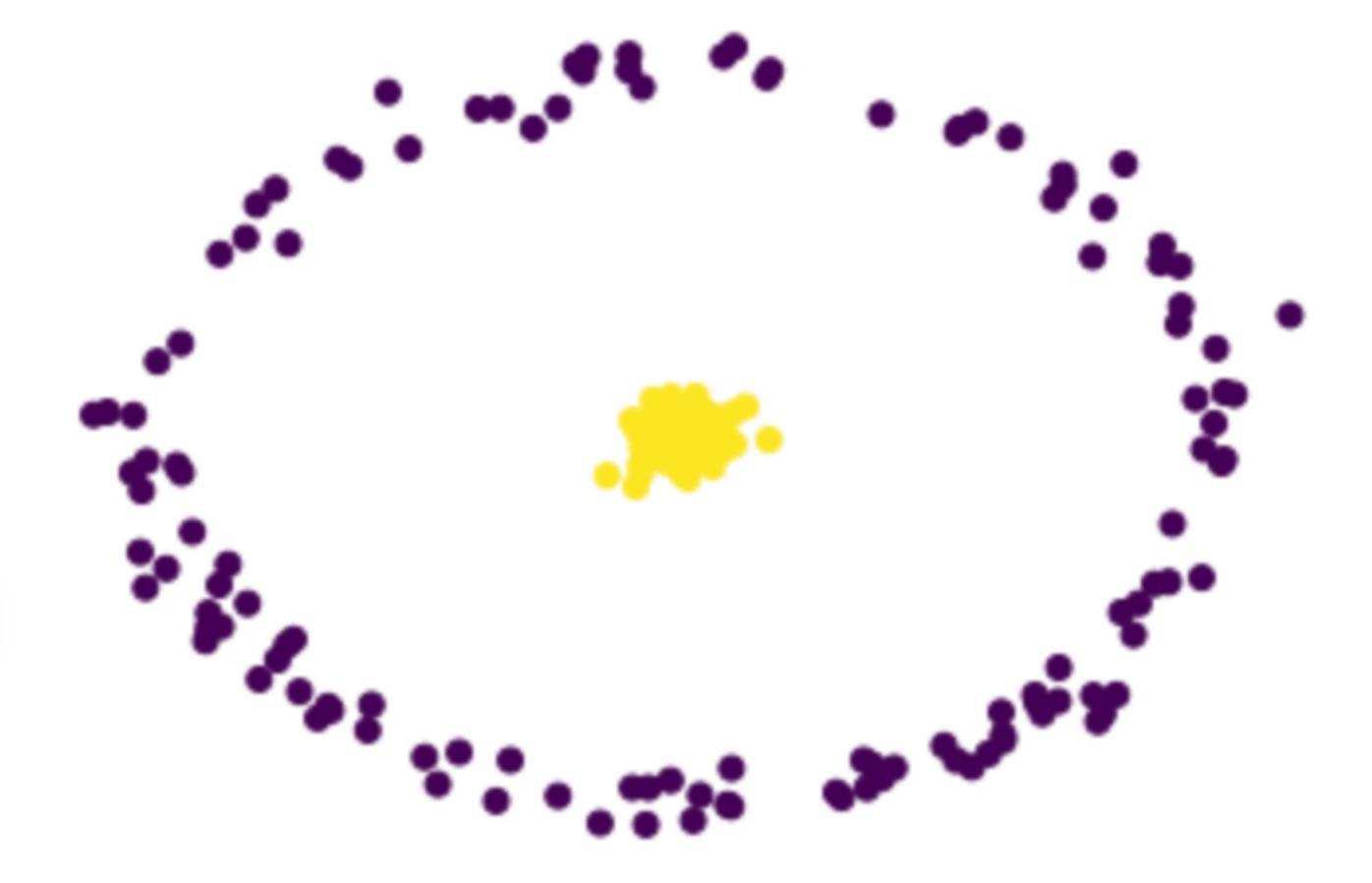
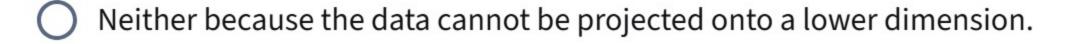
1. Given the data visualized below with the classes represented by different colors, should PCA or kernel PCA be used, and why?

1/1 point





Either is fine because the two classes are clearly separable.

Kernel PCA because the data is not linearly separable.

O PCA because the data is clearly separable when projected onto a lower dimension.



⊘ Correct

Correct! If the data is projected directly onto a lower dimension, the different classes cannot be clearly separated with a single plane. Hence, we use a kernel function to map it to a higher dimension first, before applying PCA.

2. How does the goal of MDS (Multidimensional Scaling) compare to PCA?

1/1 point

- PCA tries to maintain geometric distances between data points, whereas MDS tries to preserve variance within data.
- O Both MDS and PCA try to preserve variance within data.
- MDS tries to maintain geometric distances between data points, whereas PCA tries to preserve variance within data.
- Both MDS and PCA try to to maintain geometric distances between data points.



Correct! Although both are dimensionality reduction techniques, MDS will not strive to maintain the variance within the original data.

3. (True/False) If the number of components is equal to the dimension of the original features, kernel PCA will reconstruct the data, returning the original.

1/1 point

False





True

Correct! Kernel PCA spans a subspace of the original data, so applying inverse transformation on the data after kernel PCA will not return the original data. You can review Practice lab: Kernel PCA for more information.