

CS 260: Foundations of Data Science

Prof. Thao Nguyen

Fall 2024



HAVERFORD
COLLEGE

Admin

- Sit somewhere new!
- Sign up for lecture note-taking
- Lab 2 posted (due next Monday)
- Lab 1 is due tomorrow (Tuesday) at midnight
- My office hours: 10-11:30am on Tuesday (H110)

Outline for today

- Data representation and featurization
- Introduction to modeling
- Why are models useful?
- Linear models

Outline for today

- Data representation and featurization
- Introduction to modeling
- Why are models useful?
- Linear models

Tennis Data

Day	Outlook	Temperature	Humidity	Wind	PlayTennis (y)
x_1	Sunny	Hot	High	Weak	No
x_2	Sunny	Hot	High	Strong	No
x_3	Overcast	Hot	High	Weak	Yes
x_4	Rain	Mild	High	Weak	Yes
x_5	Rain	Cool	Normal	Weak	Yes
x_6	Rain	Cool	Normal	Strong	No
x_7	Overcast	Cool	Normal	Strong	Yes
x_8	Sunny	Mild	High	Weak	No
x_9	Sunny	Cool	Normal	Weak	Yes
x_{10}	Rain	Mild	Normal	Weak	Yes

Data from Machine Learning by Tom Mitchell (Table 3.2)

- Input or **features**: outlook, temp, humidity, wind
- Output or “**label**”: play tennis (yes or no)

Sea Ice data (Lab 2)

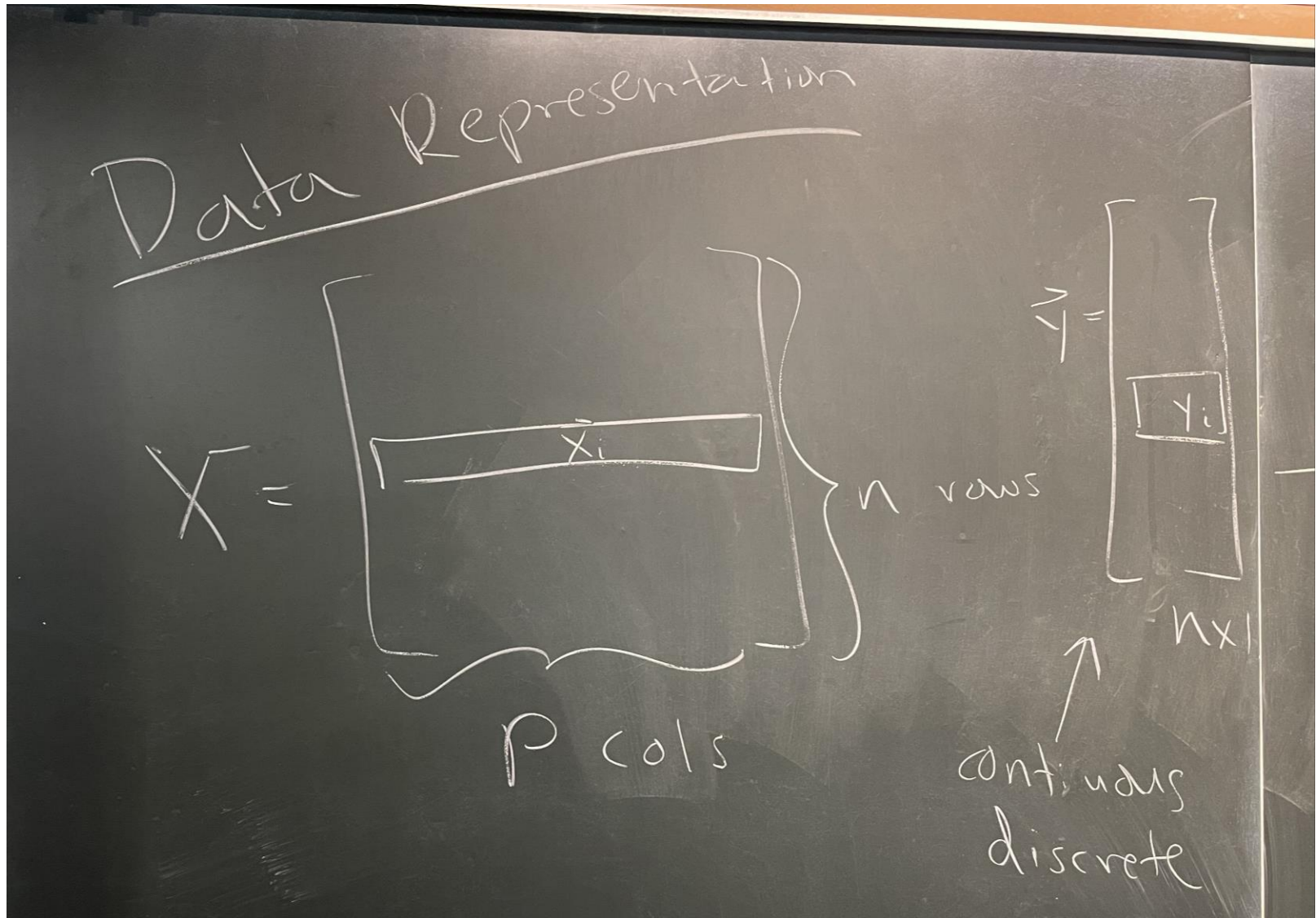
Year **Sea Ice Extent***

1996	7.88
1997	6.74
1998	6.56
1999	6.24
2000	6.32
2001	6.75
2002	5.96
2003	6.15
2004	6.05
2005	5.57
2006	5.92
2007	4.3
2008	4.63

- Input or **feature**: year
- Output or **“label”**: sea ice extent

*Arctic sea ice extent (1,000,000 km²)

Data Representation Notation



Feature Terminology

- *Features*: feature names
 - shape
 - sea ice extent
- *Feature values*: what values are possible
 - {circle, square, triangle}
 - all non-negative values
- *Feature vector*: values for a particular example/data point
 - $\mathbf{x} = [x_1, x_2, x_3, \dots, x_p]$

Featurization: make numerical

- Real-valued features get copied directly. *Duame, Chap 3*
- Binary features become 0 (for false) or 1 (for true).
- Categorical features with V possible values get mapped to V -many binary indicator features.

Q: what about features that might already be on a spectrum
(e.g. sunny, rain, overcast)?

Featurization: make numerical

Featurization (make numerical)

humidity $\in \{\text{normal}, \text{high}\}$
 $\downarrow \quad \quad \downarrow$
 $0 \quad \quad 1$

shape $\in \{\Delta, O, \square\}$
#sides 3 1 4

x ↓	is Δ ?	is O ?	is \square ?
\square	0	0	1
Δ	1	0	0
Δ	1	0	0

What is a model?

(informal) Way of explaining phenomena observed through data

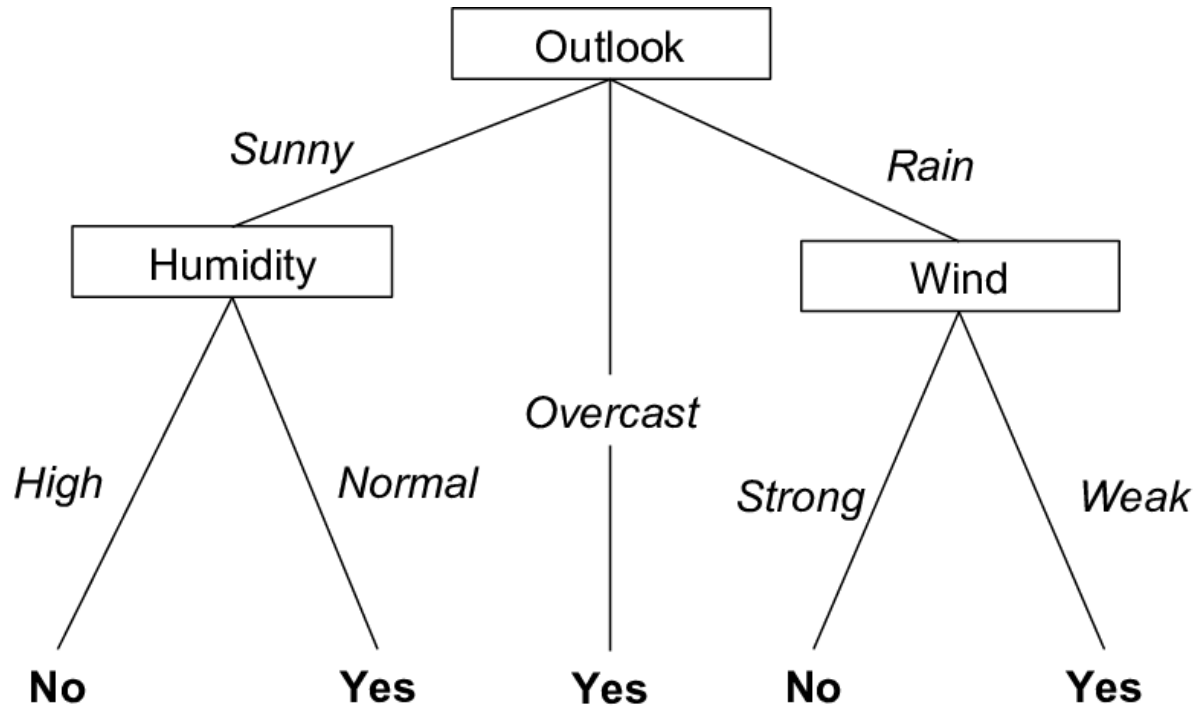
(formally) a distribution (that captures data)

What is a model?

Outline for today

- Data representation and featurization
- **Introduction to modeling**
- Why are models useful?
- Linear models

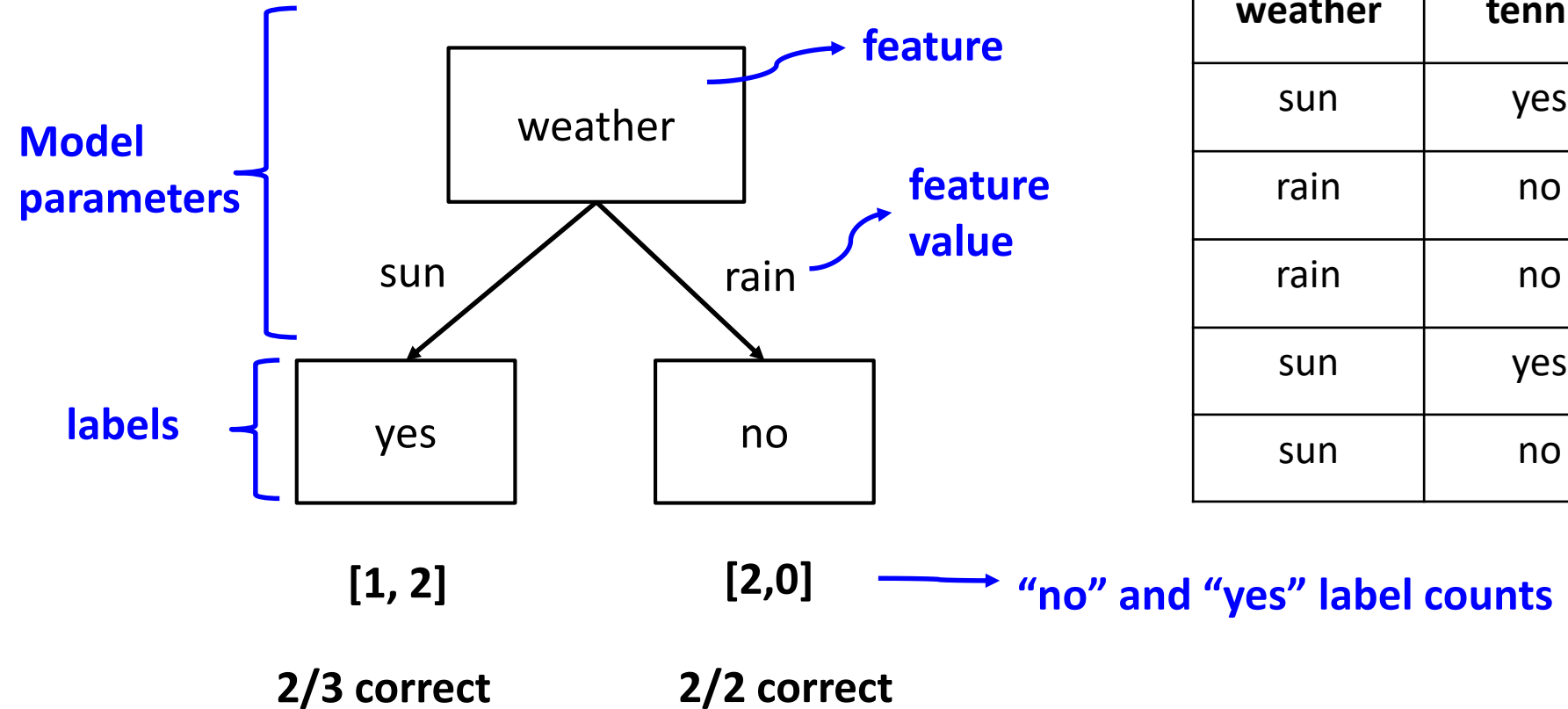
Example of a model



- Each internal node: one feature
- Each branch from node: selects one value of the feature
- Each leaf node: predict y

Model Examples

1) Decision Tree



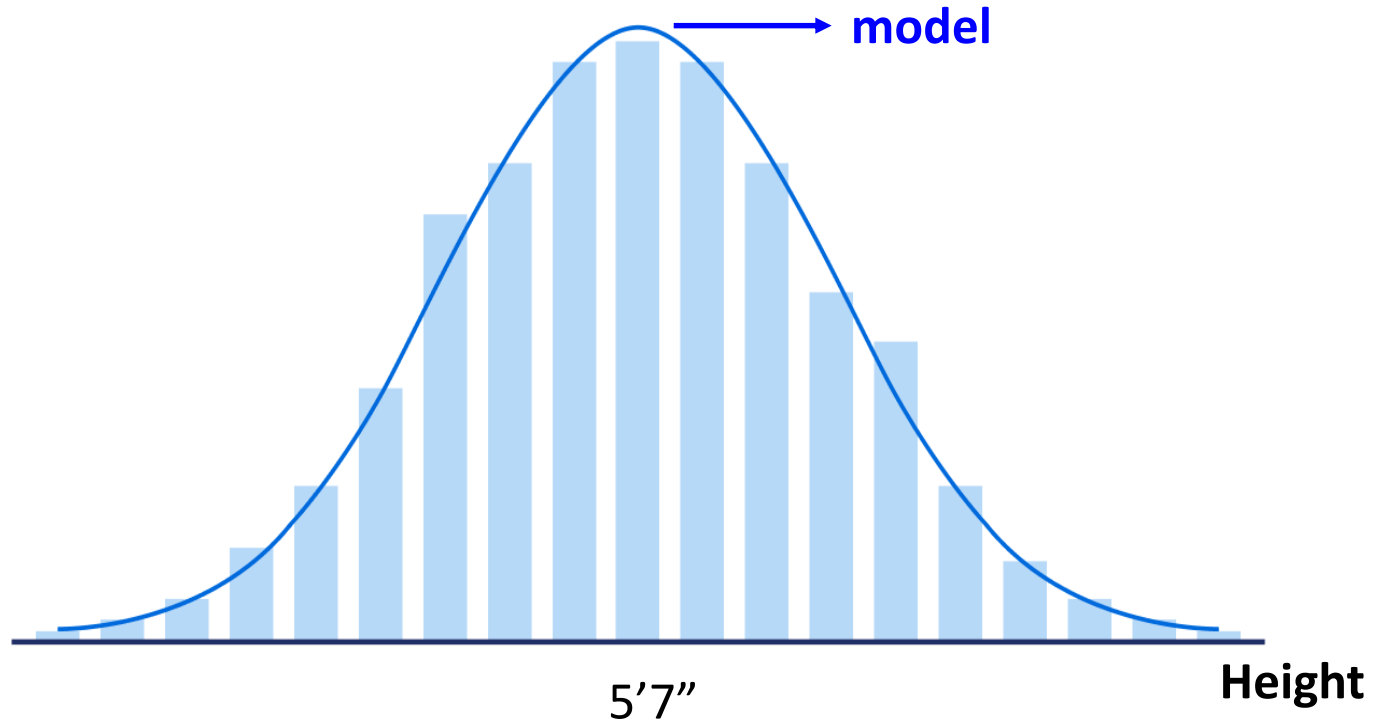
Data

weather	tennis
sun	yes
rain	no
rain	no
sun	yes
sun	no

=> 80% accuracy

Model Examples

2) Normal distribution

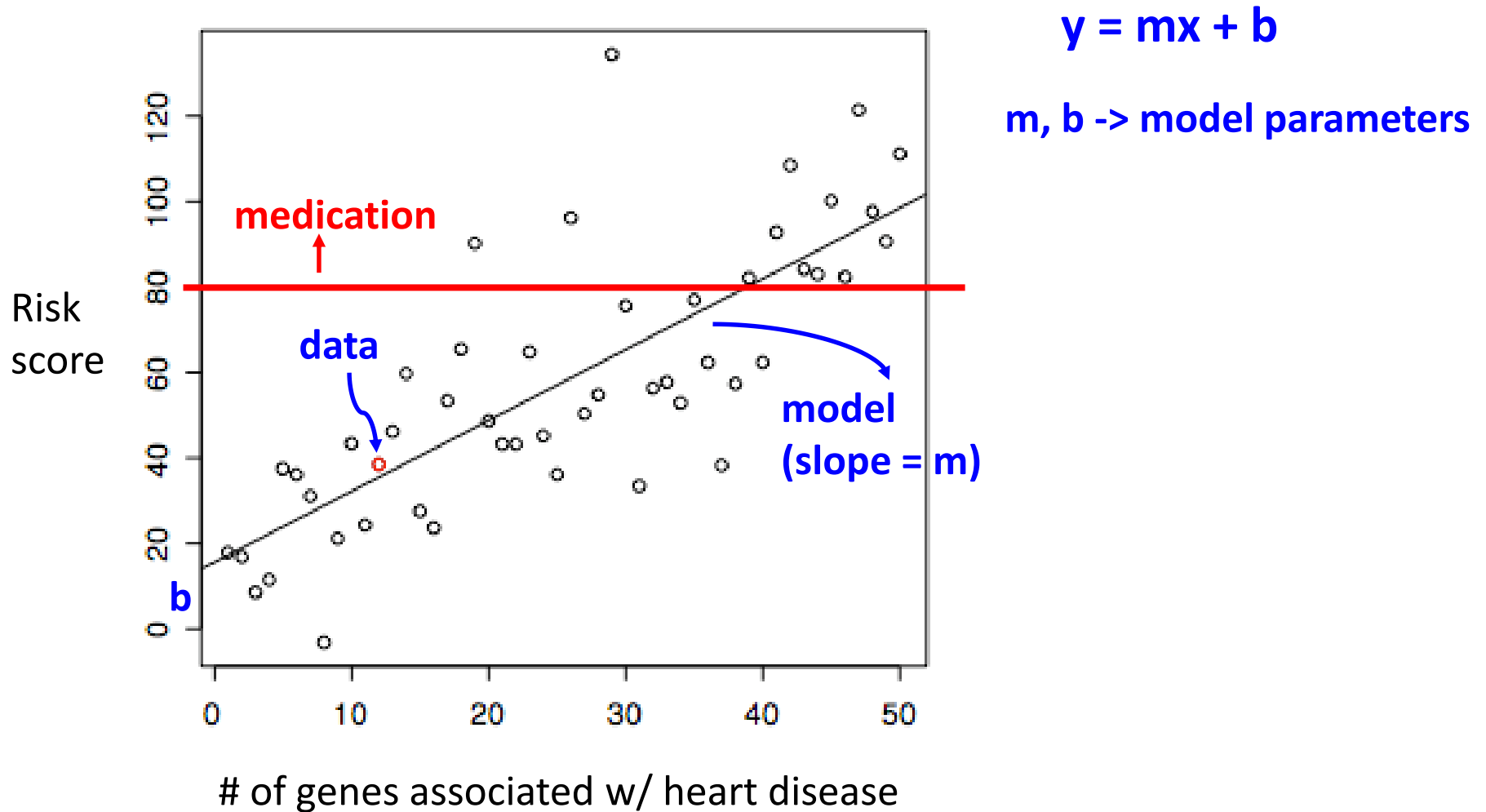


mean: 5'7"
variance: 2"

} **Model
parameters**

Model Examples

3) Linear models



Handout 3

Handout 3

Q1: $n=10, p=4$

Day	Outlook	Temperature	Humidity	Wind	PlayTennis (y)
x_1	Sunny	Hot	High	Weak	No
x_2	Sunny	Hot	High	Strong	No
x_3	Overcast	Hot	High	Weak	Yes
x_4	Rain	Mild	High	Weak	Yes
x_5	Rain	Cool	Normal	Weak	Yes
x_6	Rain	Cool	Normal	Strong	No
x_7	Overcast	Cool	Normal	Strong	Yes
x_8	Sunny	Mild	High	Weak	No
x_9	Sunny	Cool	Normal	Weak	Yes
x_{10}	Rain	Mild	Normal	Weak	Yes

Q2

Sunny: {0,1}
 Overcast: {0,1}
 Rain: {0,1}
 Temperature: {0, 1, 2} (Cool, Mild, Hot)
 Humidity: {0,1} (Normal, High)
 Wind {0,1} (Weak, Strong)

Data from Machine Learning by Tom Mitchell (Table 3.2)

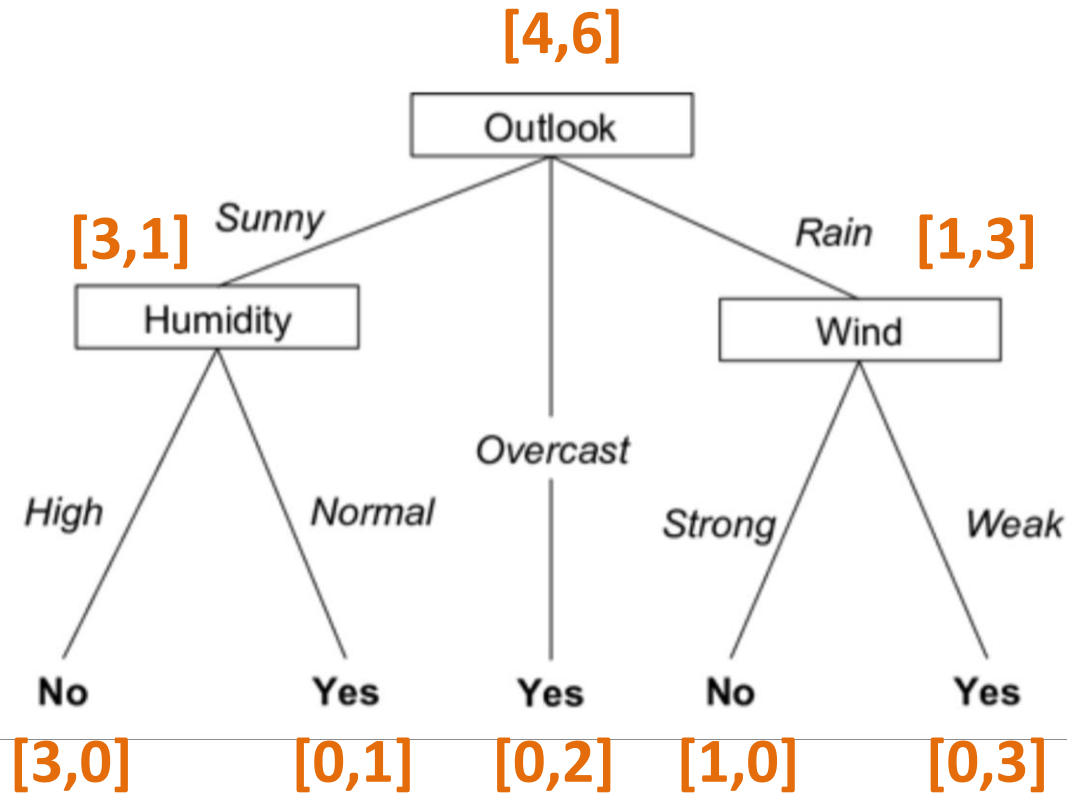
Q3

	Sunny	Overcast	Rain	Temp	Humidity	Wind
x_1	1	0	0	2	1	0

Handout 3

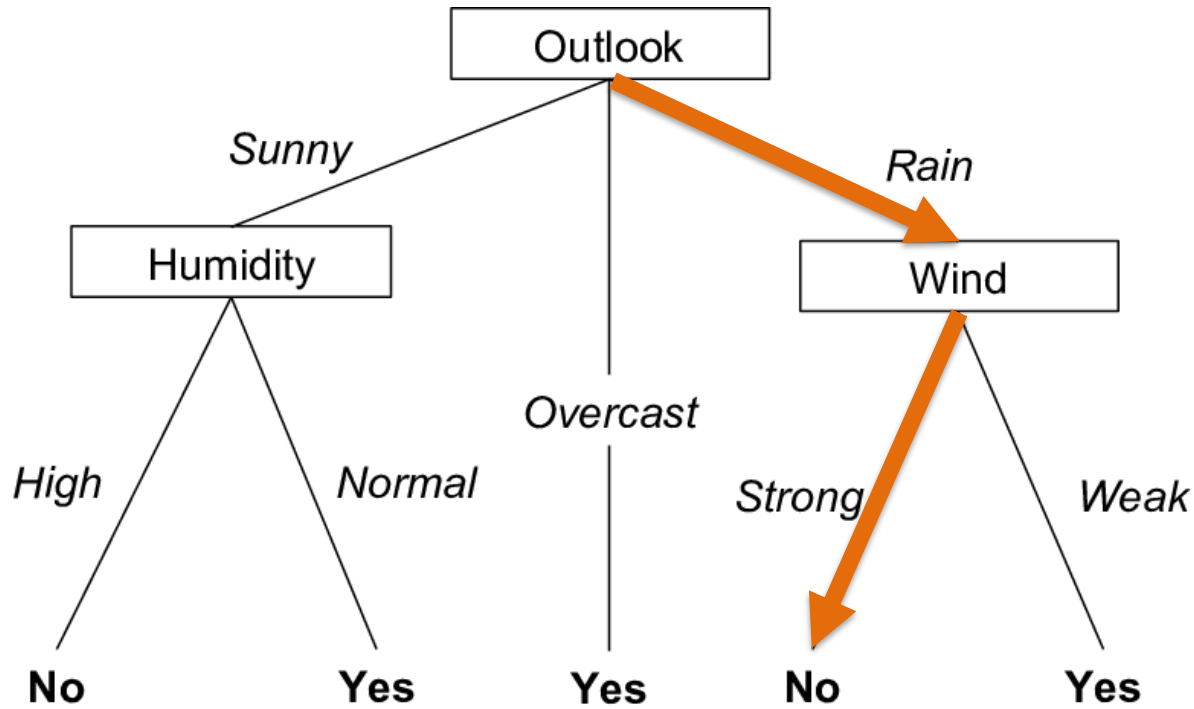
Q4

In the model below, the children of each node divide the data into partitions. Label each node (both internal nodes and leaves) with the counts of “No” and “Yes” labels based on the partition. For example, the counts for the node labeled *Outlook* would be [4,6]. Does this model perfectly classify all examples?



Handout 3

Q5



(test example) $x =$

Outlook	Temp	Humidity	Wind
Rain	Hot	High	Strong

$y_{pred} = \text{No}$

Outline for today

- Data representation and featurization
- Introduction to modeling
- **Why are models useful?**
- Linear models

Why are models useful?

- Understand/explain/interpret the phenomenon
- Predict outcomes for future examples

What are the most important features?

X

Color	Shape	Size
red	square	big
blue	square	big
red	circle	small
blue	square	small
red	circle	big

Y

Likes toy?
+
+
-
-
+

What are the most important features?

X

Y

Color	Shape	Size
red	square	big
blue	square	big
red	circle	big
blue	square	big
red	circle	big

Likes toy?
+
+
-
-
+

Outline for today

- Data representation and featurization
- Introduction to modeling
- Why are models useful?
- **Linear models**

Linear Models

* features: \vec{x} (right now just x)

* output: y (response)

Goals:

- ① describe linear dependence
- ② predict response given new data

model

$$h_{\vec{w}}(x) = w_0 + w_1 x = \hat{y} \quad (\text{prediction})$$

how good is our model?

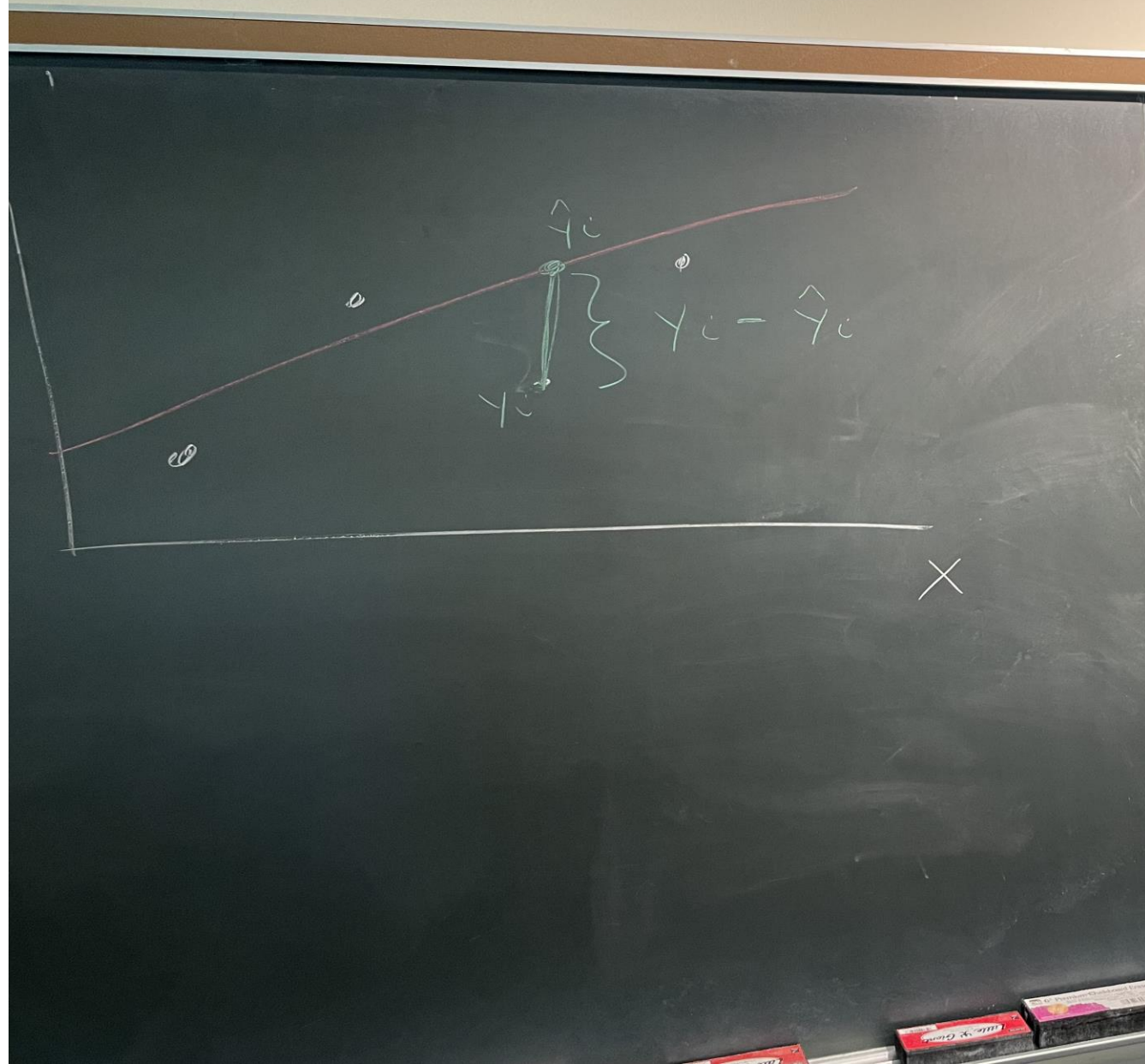
residual: $y_i - \hat{y}_i$ } one example

Overall

minimize

$$\sum_{i=1}^n (y_i - \hat{y}_i)^2$$

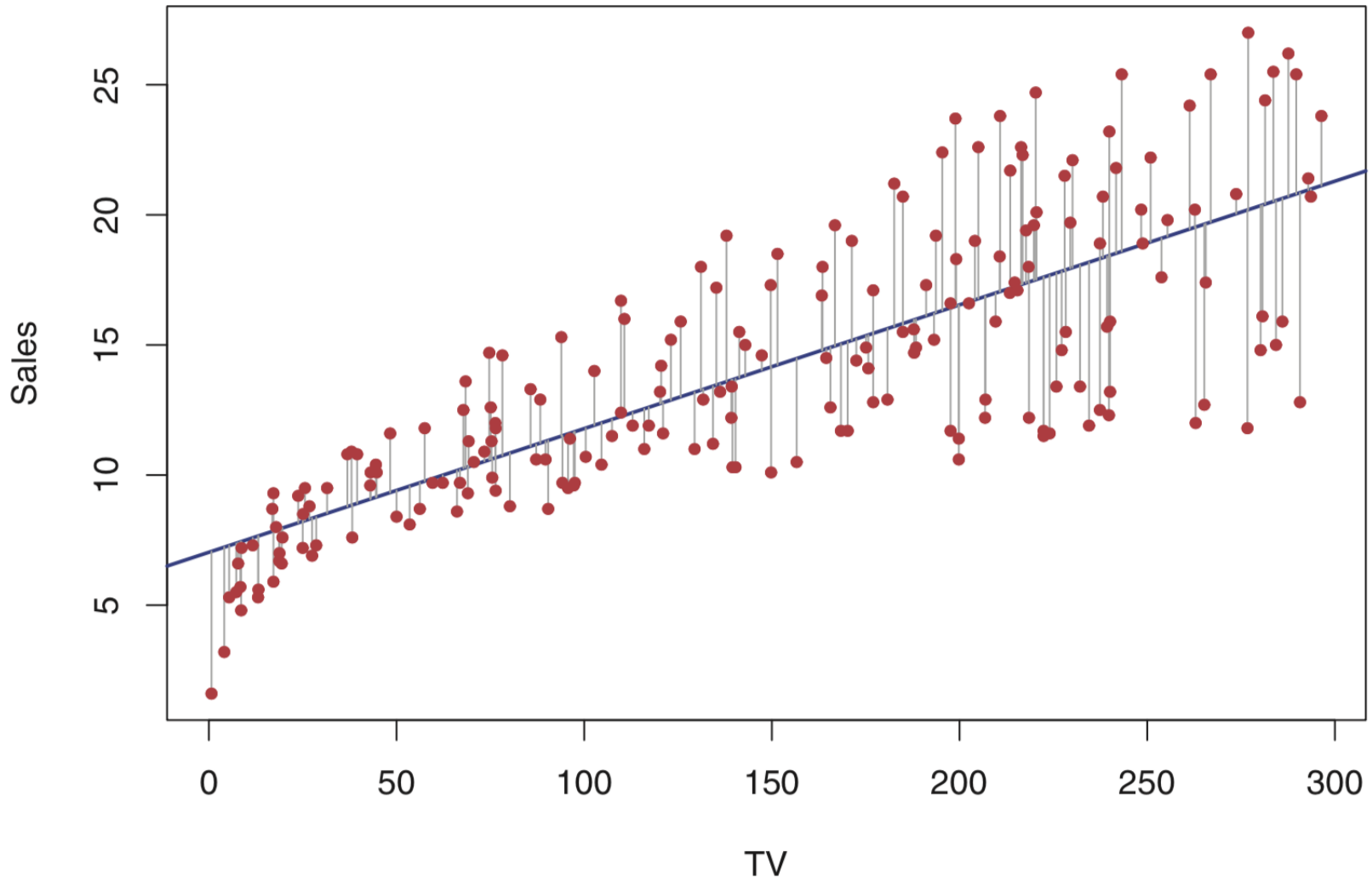
↑
RSS or SSE



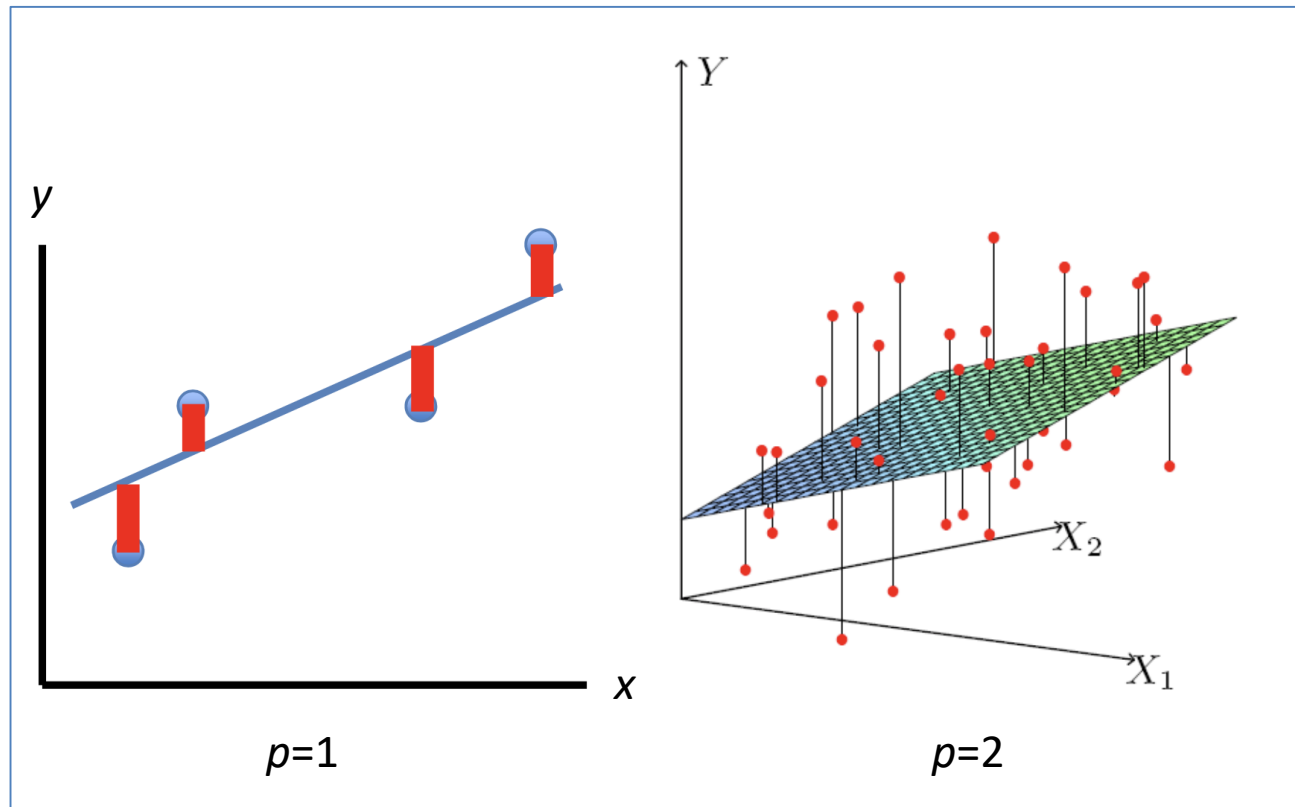
Goals of fitting a linear model

- 1) Which of the features/explanatory variables/predictors (x) are associated with the response variable (y)?
- 2) What is the relationship between x and y ?
- 3) Can we predict y given a new x ?
- 4) Is a linear model enough?

Example: predict sales from TV advertising budget



Linear model with 1 or 2 features



Linear Regression

- Output (y) is continuous, not a discrete label
- Learned model: *linear function* mapping input to output (a *weight* for each feature + *bias*)
- Goal: minimize the *RSS* (residual sum of squares) or *SSE* (sum of squared errors)

Maybe a linear model is not enough

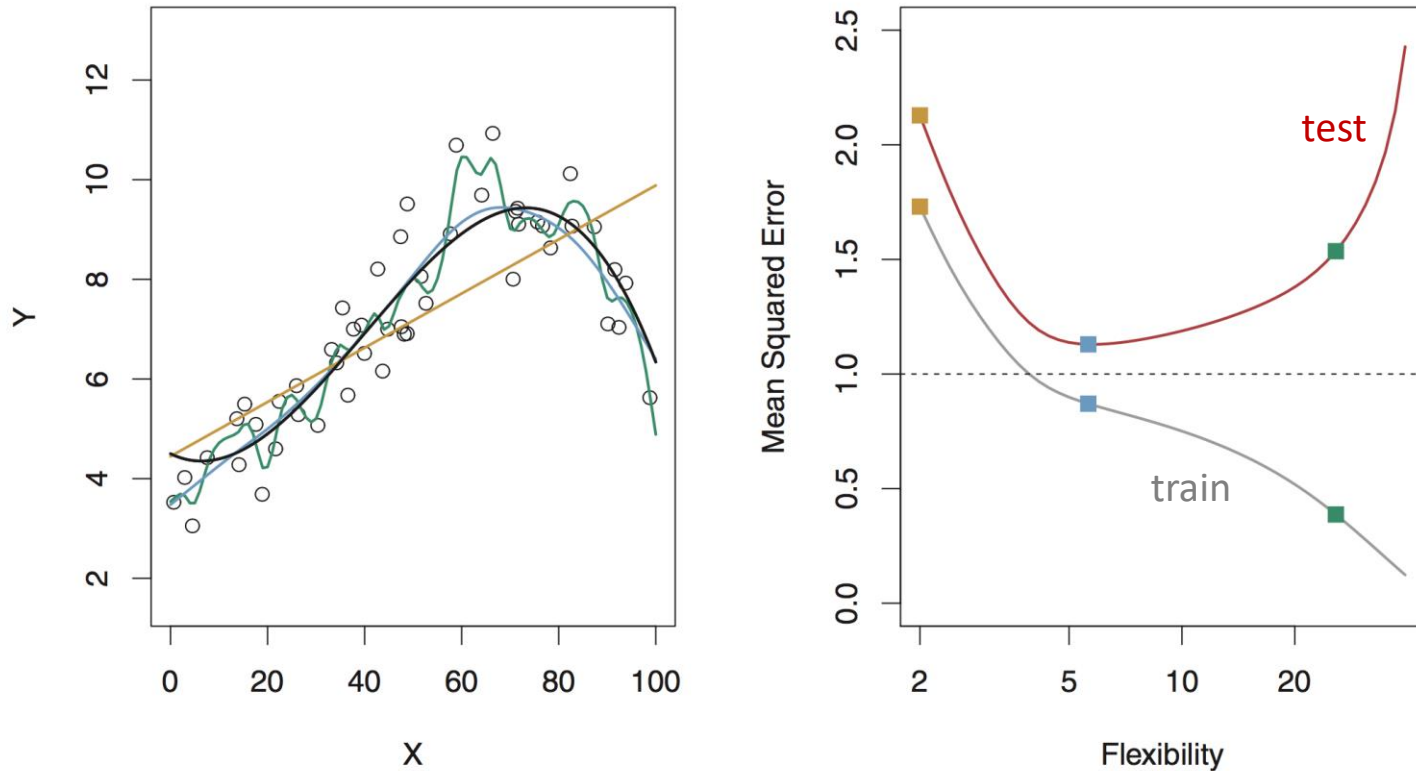


FIGURE 2.9. Left: Data simulated from f , shown in black. Three estimates of f are shown: the linear regression line (orange curve), and two smoothing spline fits (blue and green curves). Right: Training MSE (grey curve), test MSE (red curve), and minimum possible test MSE over all methods (dashed line). Squares represent the training and test MSEs for the three fits shown in the left-hand panel.

Command line arguments example

```
def parse_args():
    """Parse command line arguments (train and test data files)."""
    parser = argparse.ArgumentParser(description='climate change model analysis')

    # specify all command line options here
    parser.add_argument('train_filename', help='path to train csv file')
    parser.add_argument('-test', '--test_filename', help='path to test csv file')

    args = parser.parse_args()
    return args

def main() :
    args = parse_args()
    print(args.train_filename)
```

