

Biometric Privacy Protection with Untrusted Servers

Presenter: **Nguyễn Thị Ái Thảo**

Content



Introduction



Kerberos



Separated Server



Secure Processor

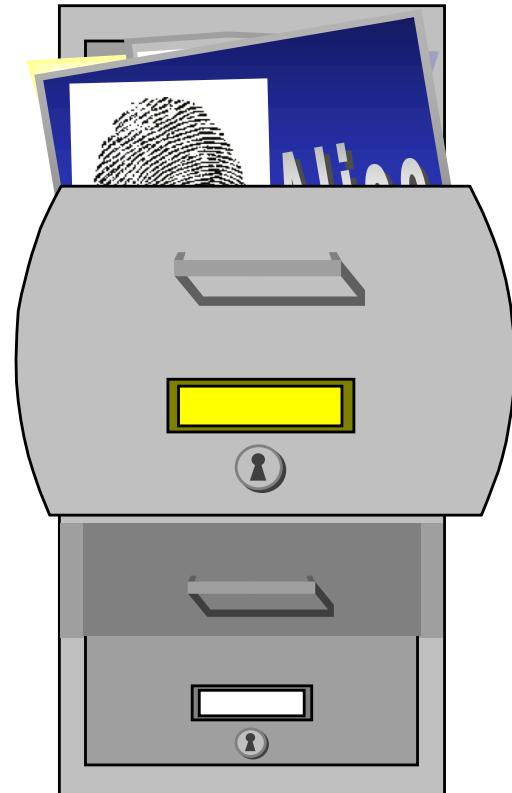
Registration

Alice



Template

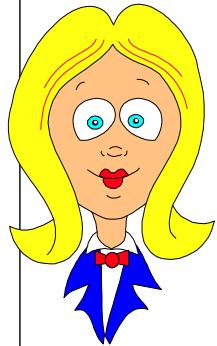
Template is stored



Authentication

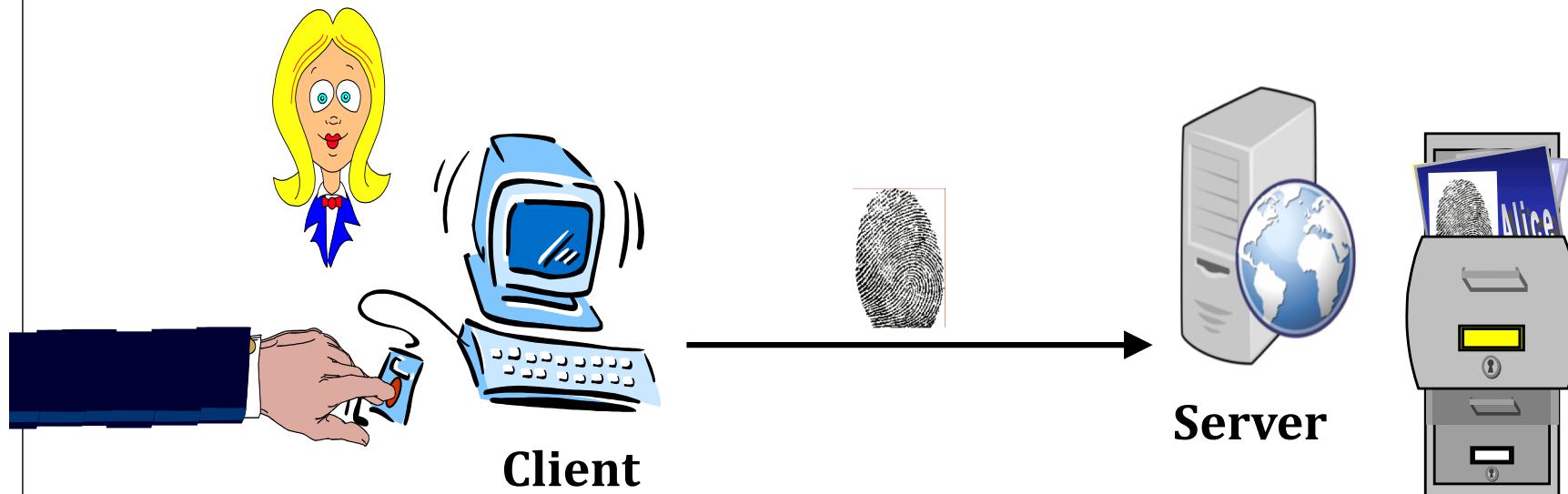


Authentication

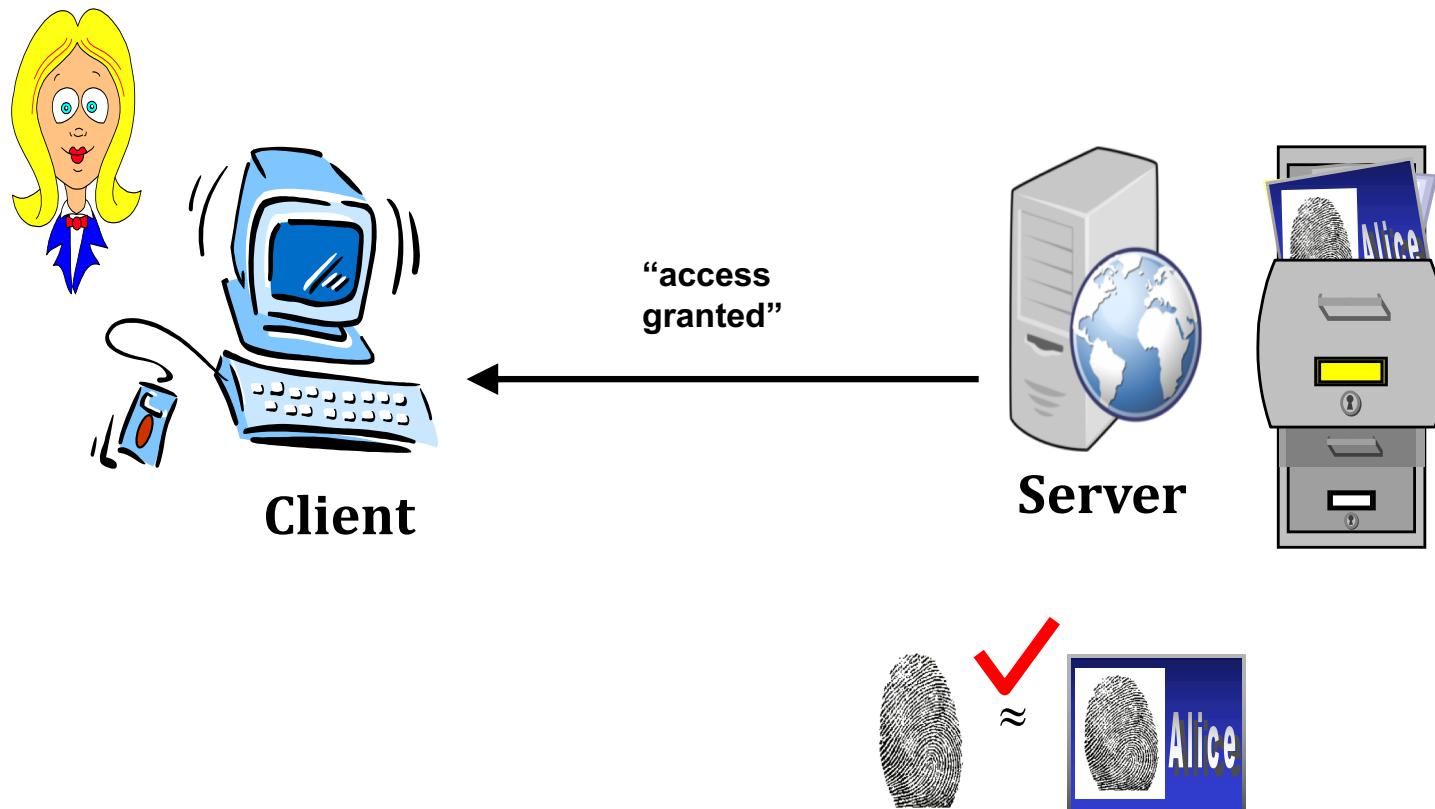


It's Alice!

Remote authentication system



Remote authentication system

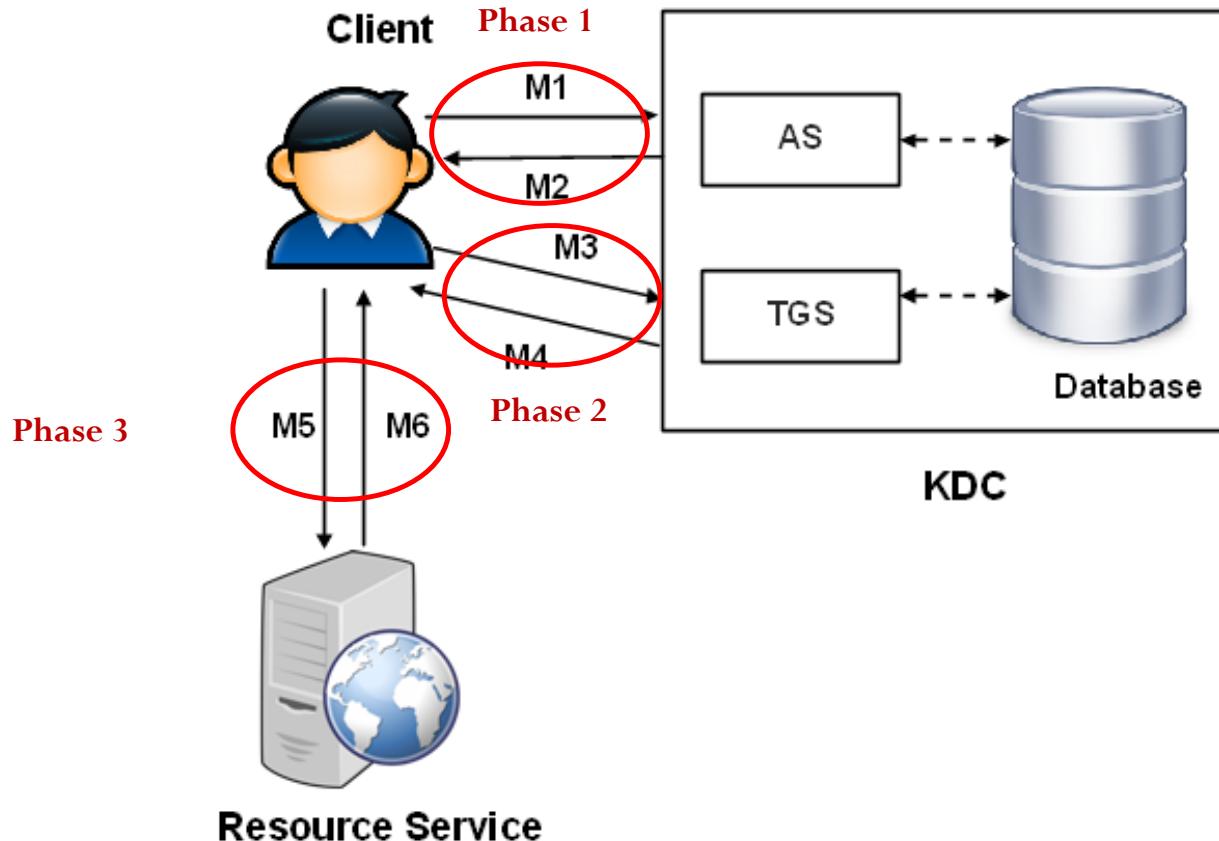


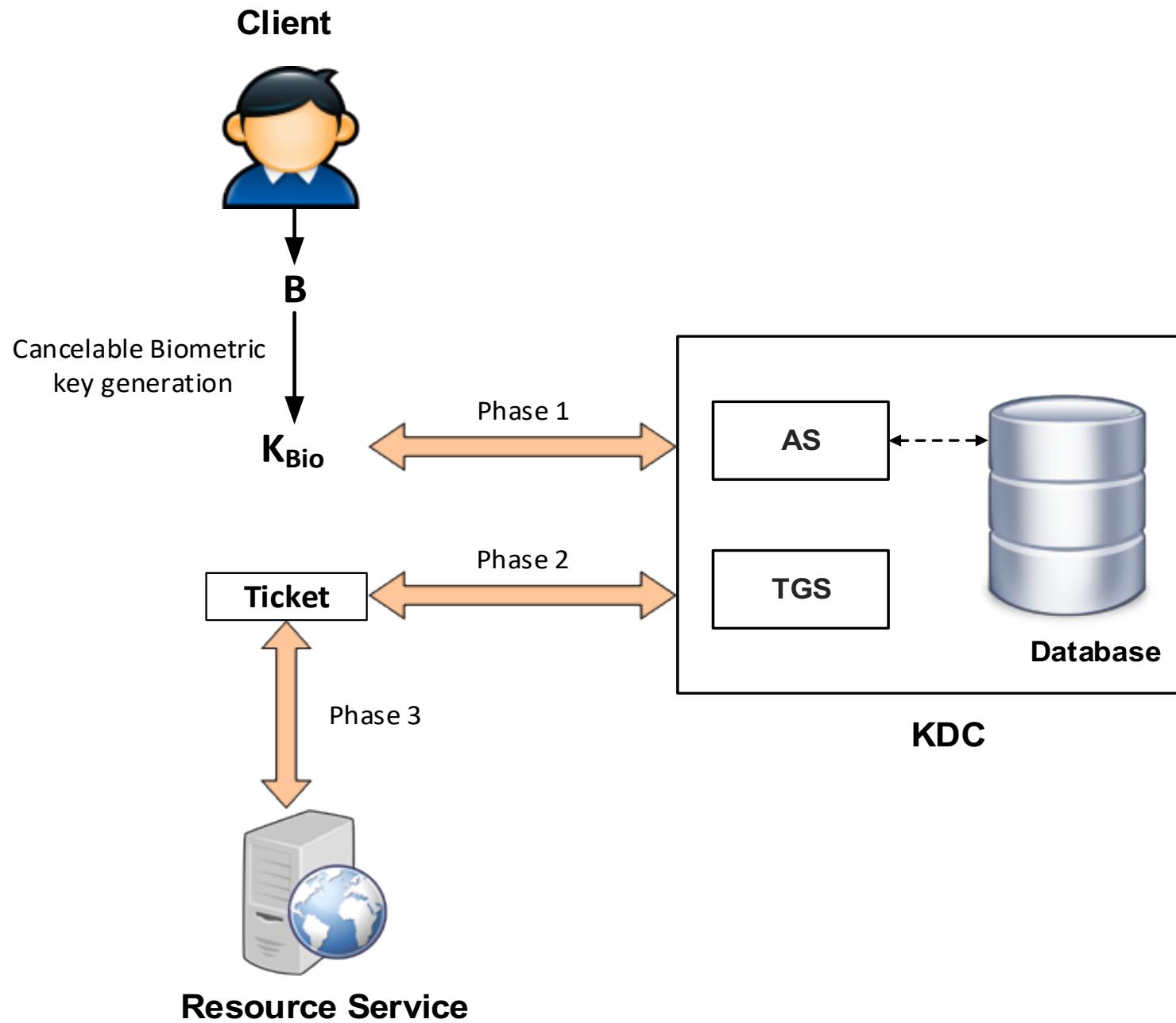
Problems

- Biometric template is compromised
- Privacy is violated
- ...

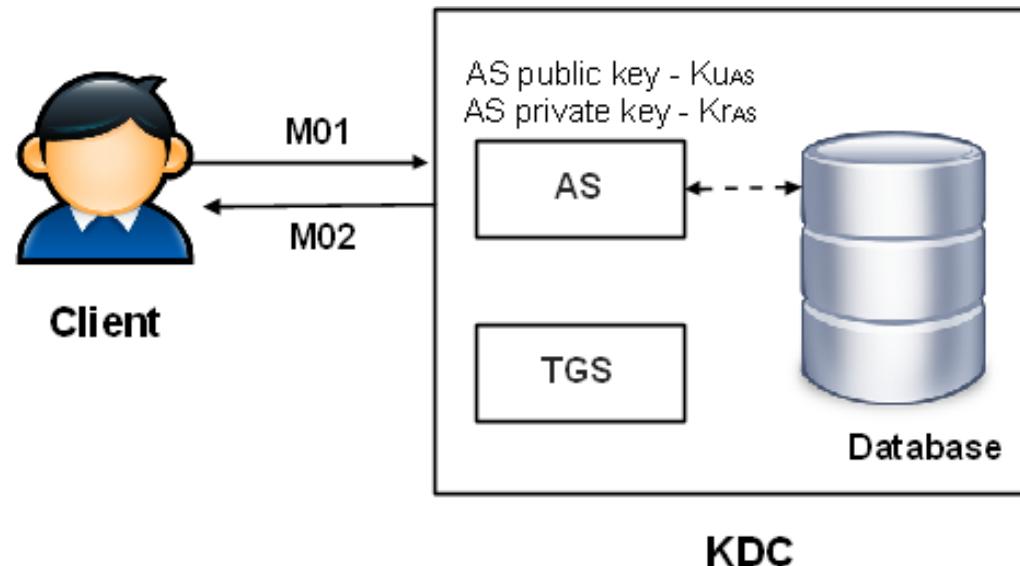
→ *everybody is allowed to know that you are registered to a particular service, but no one is able to know when you use it and for which purpose, moreover none is able to distinguish you among the other clients*

Biometric-Kerberos based authentication





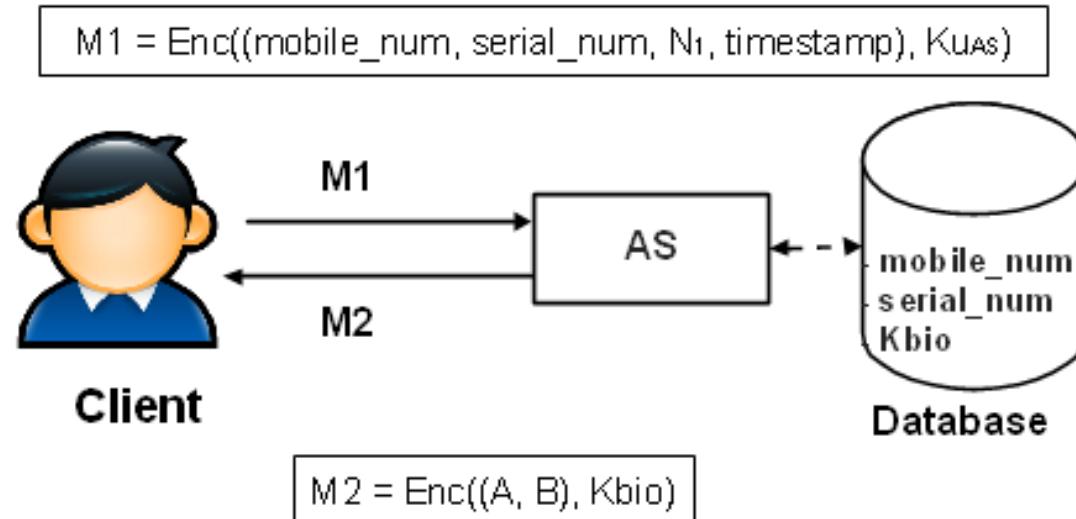
Enrollment stage



$$M_{01} = \text{Enc}((\text{mobile_num}, \text{serial_num}, K_{bio}, N_{01}, \text{timestamp}, \text{is_enroll}), Ku_{As})$$

$$M_{02} = \text{Enc}((N_{01}, \text{timestamp}, \text{is_success}), Kr_{As})$$

Authentication stage



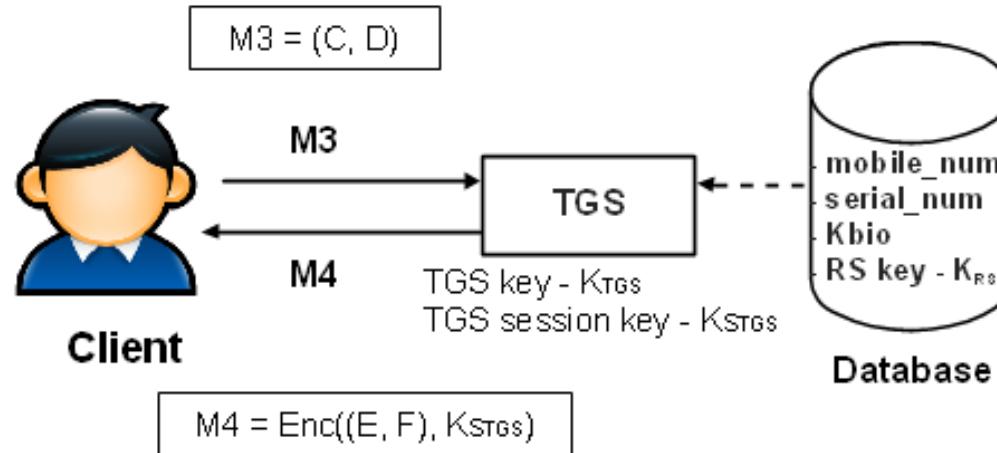
$$A = (\text{timestamp}, N_1, K_{TGS})$$

$$B = \text{Enc}((K_{TGS}, \text{mobile_num}, \text{serial_num}, N_1, \text{timestamp}), K_{TGS})$$

Authentication stage

$$C = \text{Enc}((\text{mobile_num}, \text{serial_num}, N_1, \text{timestamp}, RS_ID), K_{s_{TGS}})$$

$$D = M_2 \cdot B$$



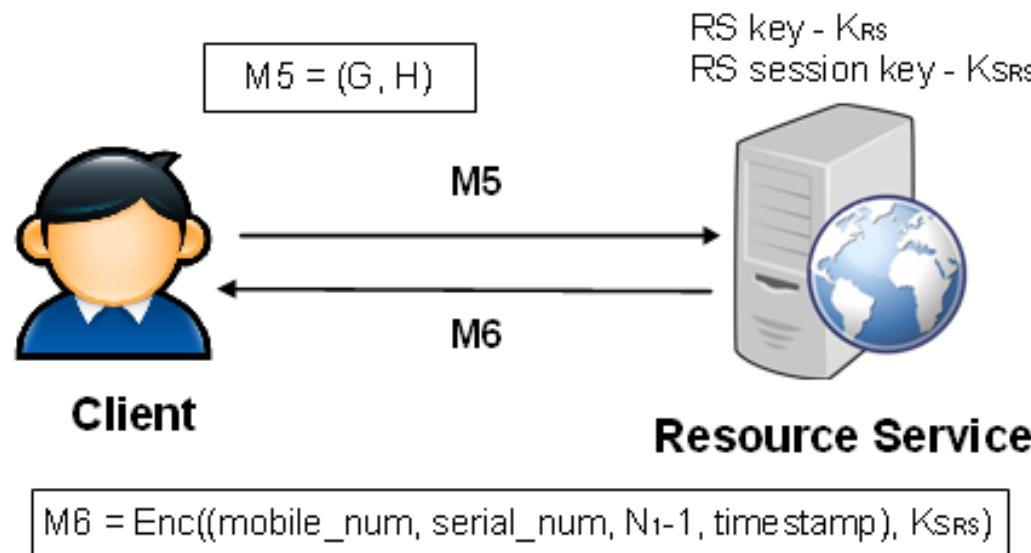
$$E = K_{s_{RS}}$$

$$F = \text{Enc}((K_{s_{RS}}, \text{mobile_num}, \text{serial_num}, N_1, \text{timestamp}, RS_ID), K_{RS})$$

Authentication stage

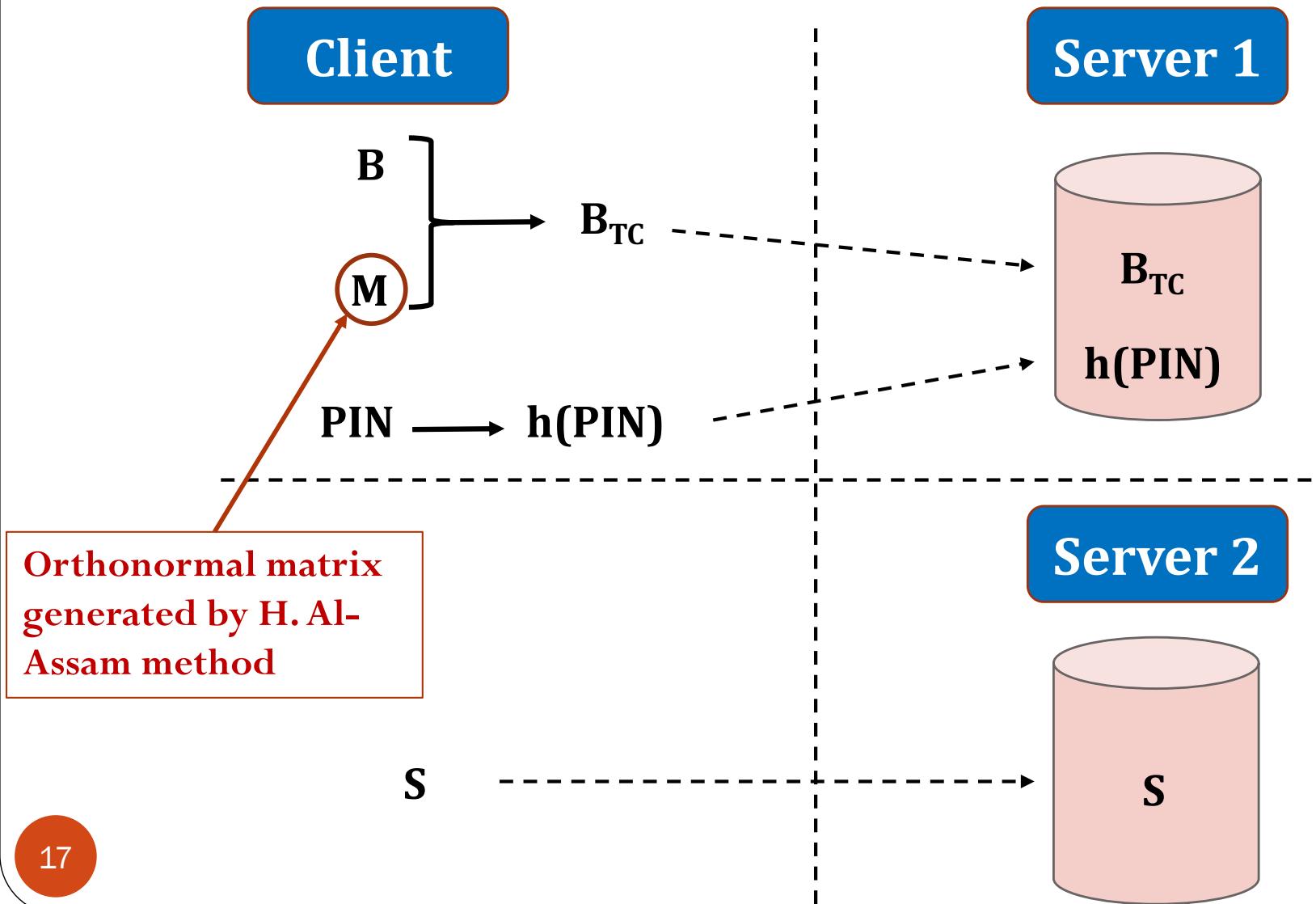
$$G = \text{Enc}((\text{mobile_num}, \text{serial_num}, N_1, \text{timestamp}), K_{RS})$$

$$H = M_4.F$$



Separated servers approach

Enrollment



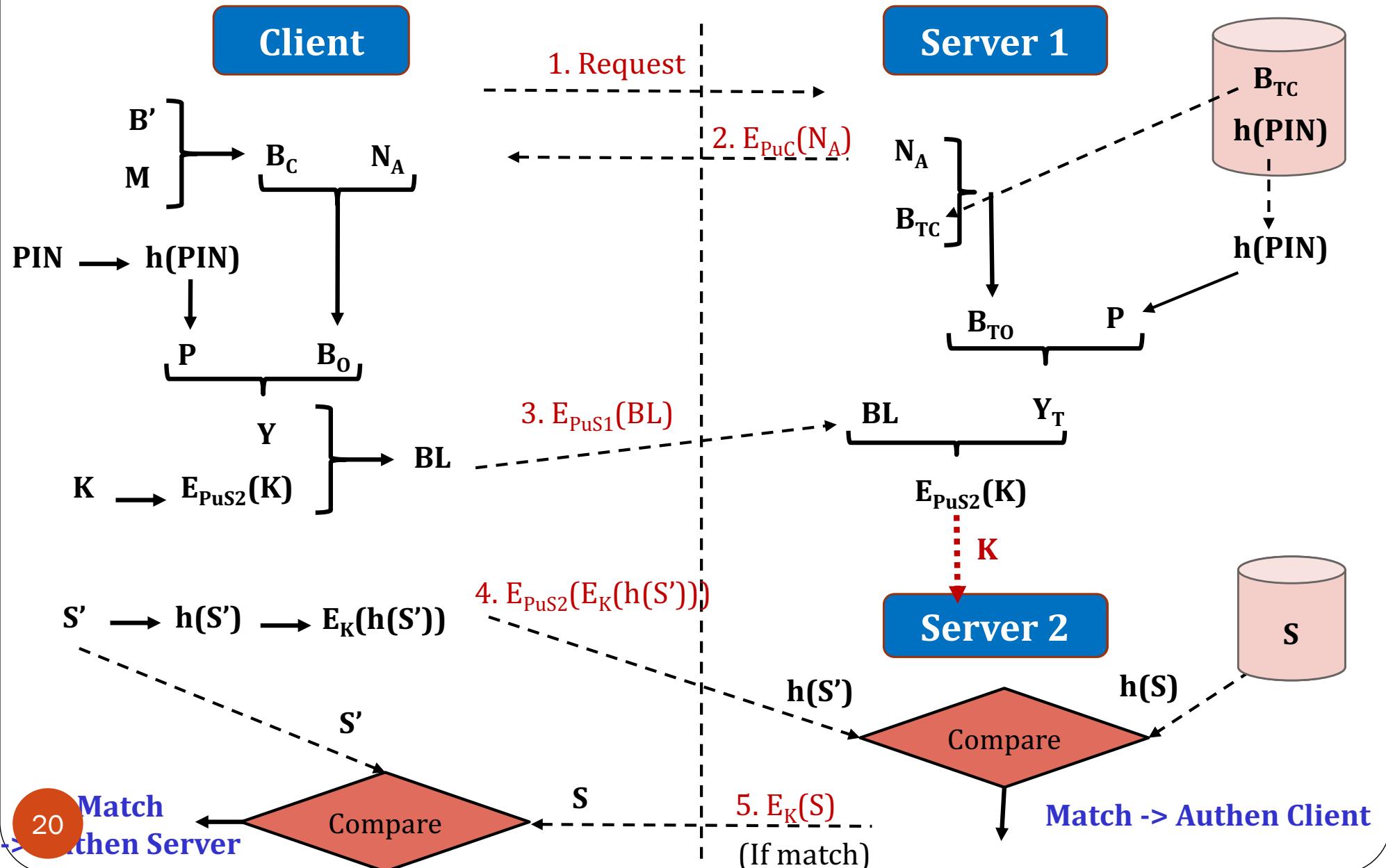
Orthonormal Random Project

- Traditional method: Gram-Schmidt
- New method: Orthonormal Random (by H. Al – Assam)

$$M = \begin{bmatrix} \cos \theta_1 & \sin \theta_1 & 0 & 0 & \dots & \dots & 0 \\ -\sin \theta_1 & \cos \theta_1 & 0 & 0 & \dots & \dots & 0 \\ 0 & 0 & \cos \theta_2 & \sin \theta_2 & \dots & \dots & 0 \\ 0 & 0 & -\sin \theta_2 & \cos \theta_2 & \dots & \dots & 0 \\ \vdots & \vdots & \vdots & \vdots & \ddots & \ddots & \vdots \\ \vdots & \vdots & \vdots & \vdots & \ddots & \ddots & \vdots \\ 0 & 0 & 0 & 0 & 0 & \cos \theta_n & \sin \theta_n \\ 0 & 0 & 0 & 0 & 0 & -\sin \theta_n & \cos \theta_n \end{bmatrix}$$

Al-Assam, H., H. Sellahewa, and S. Jassim. *A lightweight approach for biometric template protection.* in *Proceedings of SPIE*. 2009.

Authentication



Separated servers approach

- The proposed protocol relying on
 - ❑ Fuzzy commitment
 - ❑ Orthonormal random transformation
- Mutual authentication
- Immune from some main attacks over insecure network.
- Reduce the possibility of inside attackers

Encrypted Computation

- Homomorphic cryptosystems
- Secure processor

Homomorphism

- If G and H are groups, a **homomorphism** from G to H is a function $f: G \rightarrow H$ such that

$$f(g_1 + g_2) = f(g_1) +' f(g_2)$$

For any elements $g_1, g_2 \in G$

Where $+$ denotes the operation in G

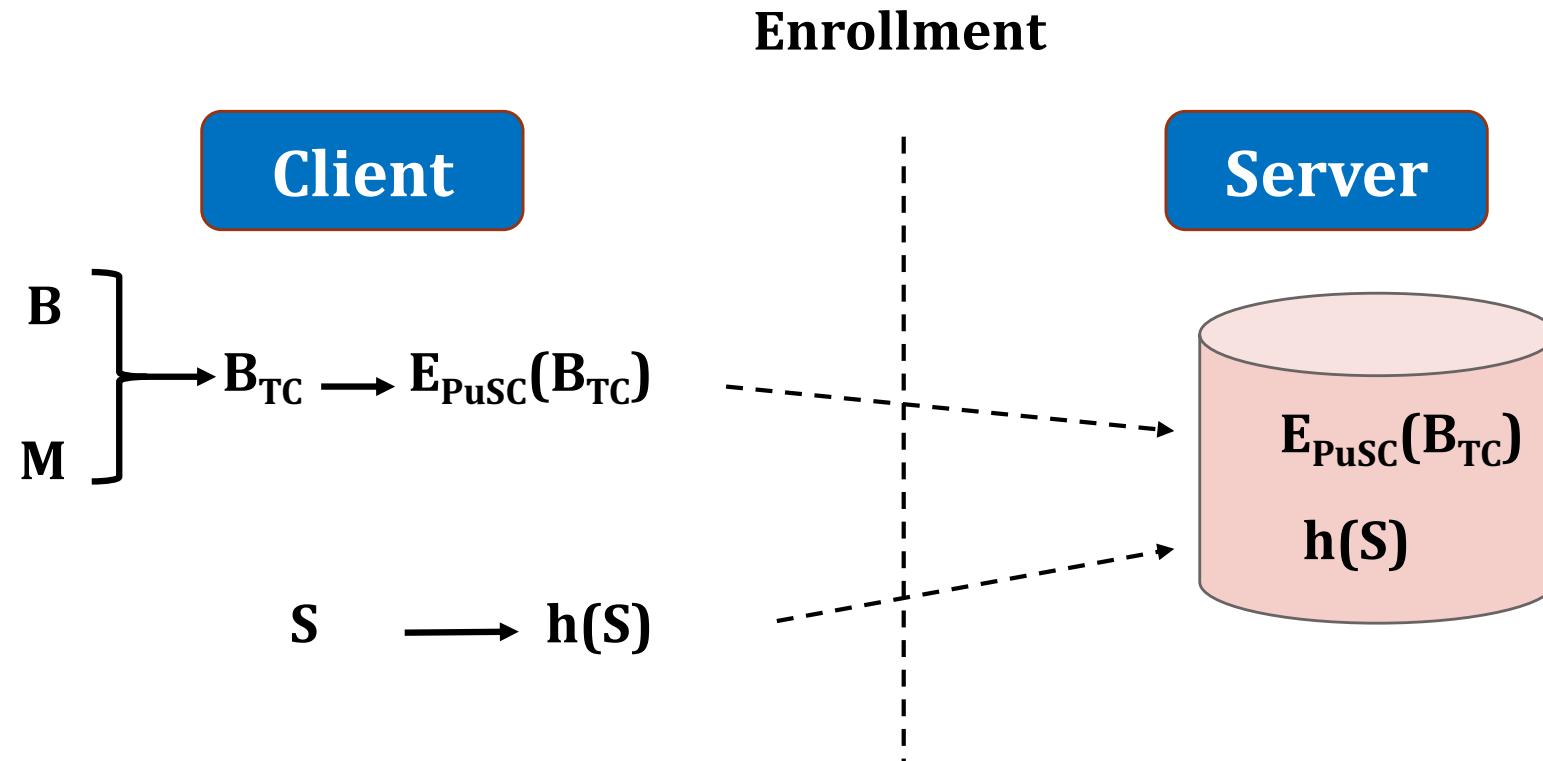
$+'$ denotes the operation in H .

Example: $f: \text{matrix } 2*2 \rightarrow \text{matrix } 2*2$

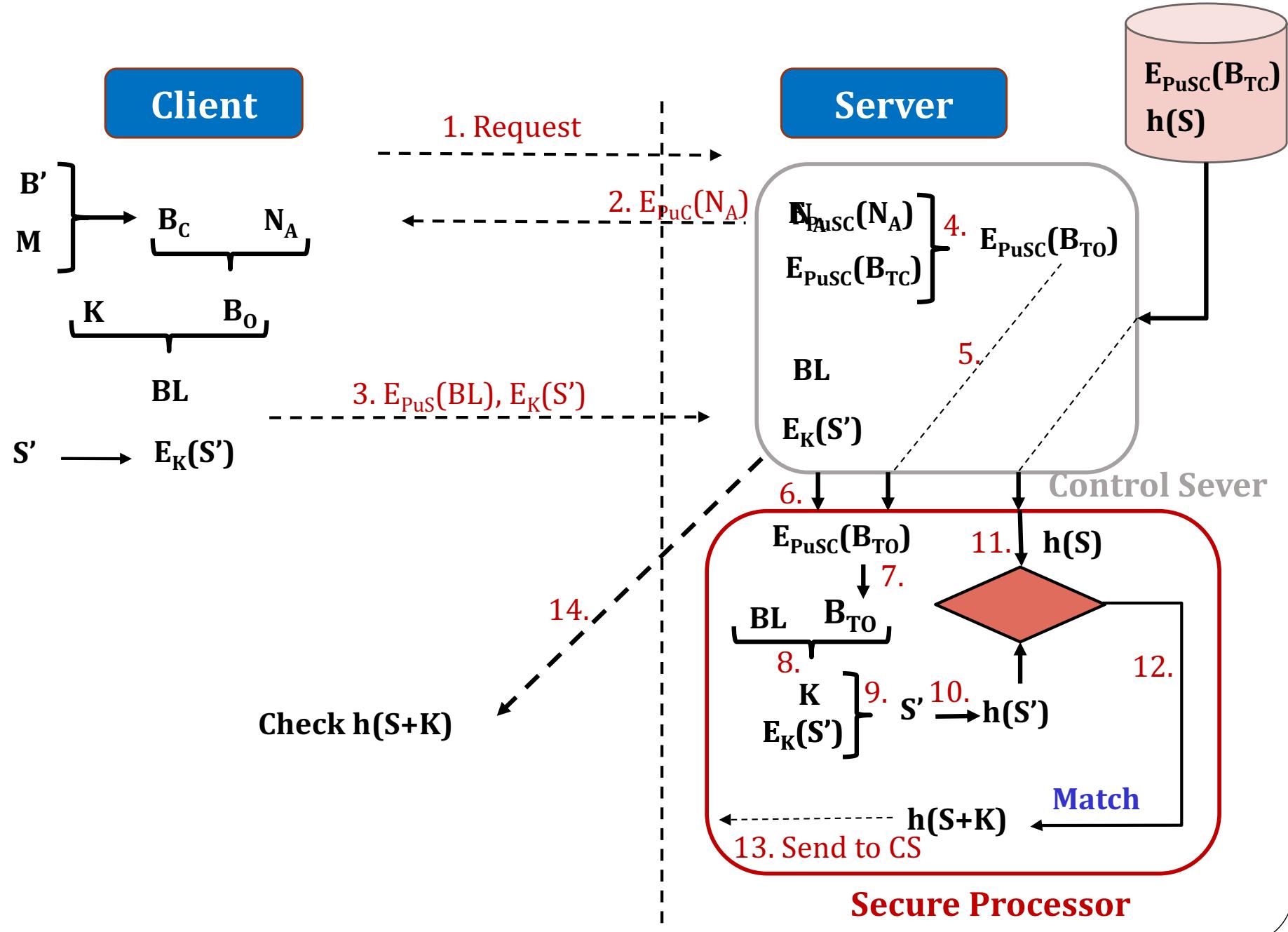
where r is real number, then f is a homomorphism group, since f preserves the ‘addition’ operation.

$$f(r+s) = f \begin{bmatrix} r+s & 0 \\ 0 & r+s \end{bmatrix} = \begin{bmatrix} r & 0 \\ 0 & r \end{bmatrix} + \begin{bmatrix} s & 0 \\ 0 & s \end{bmatrix} = f(r) + f(s)$$

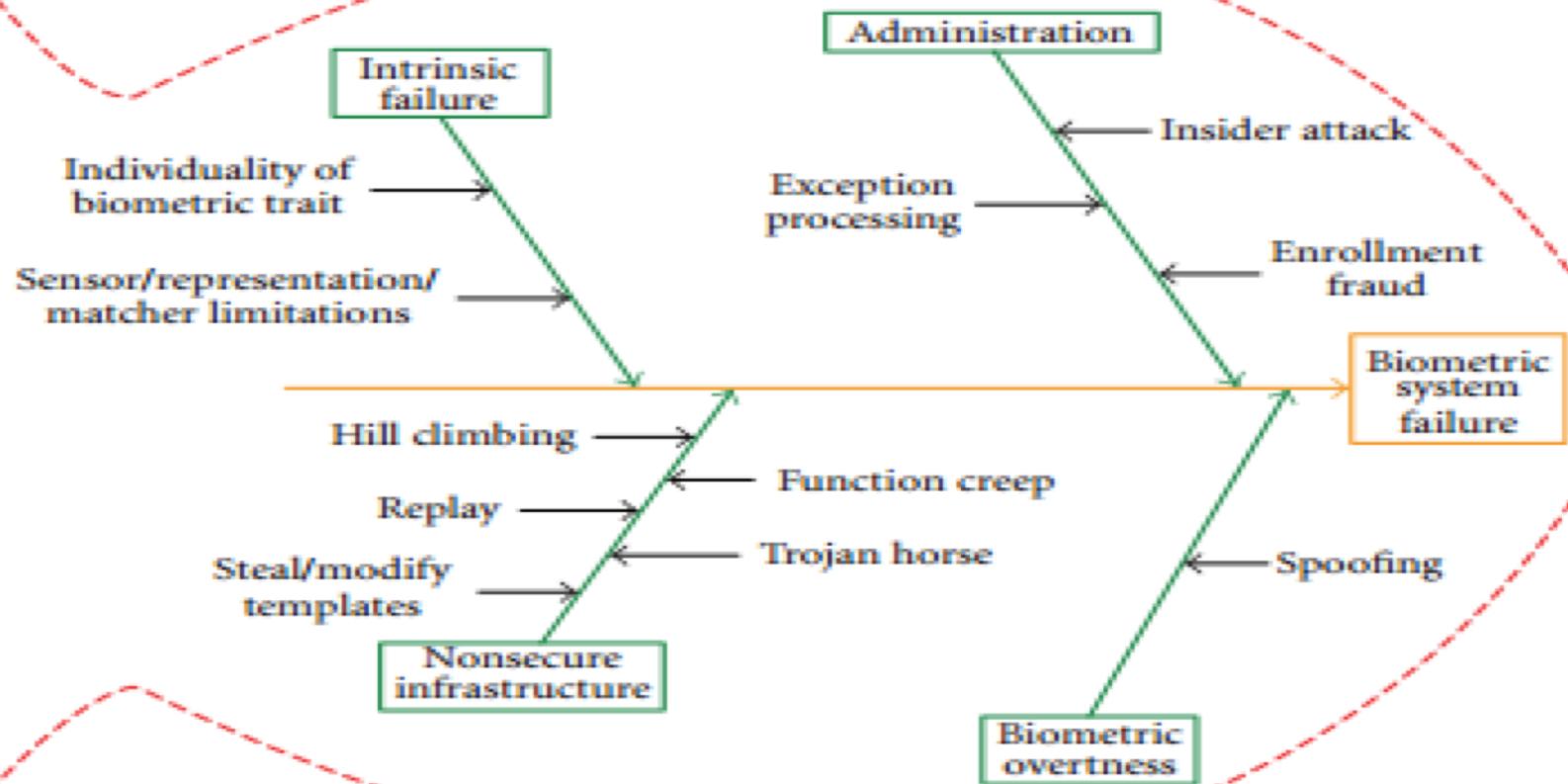
Secure Processor approach



Authentication



Biometric system failures

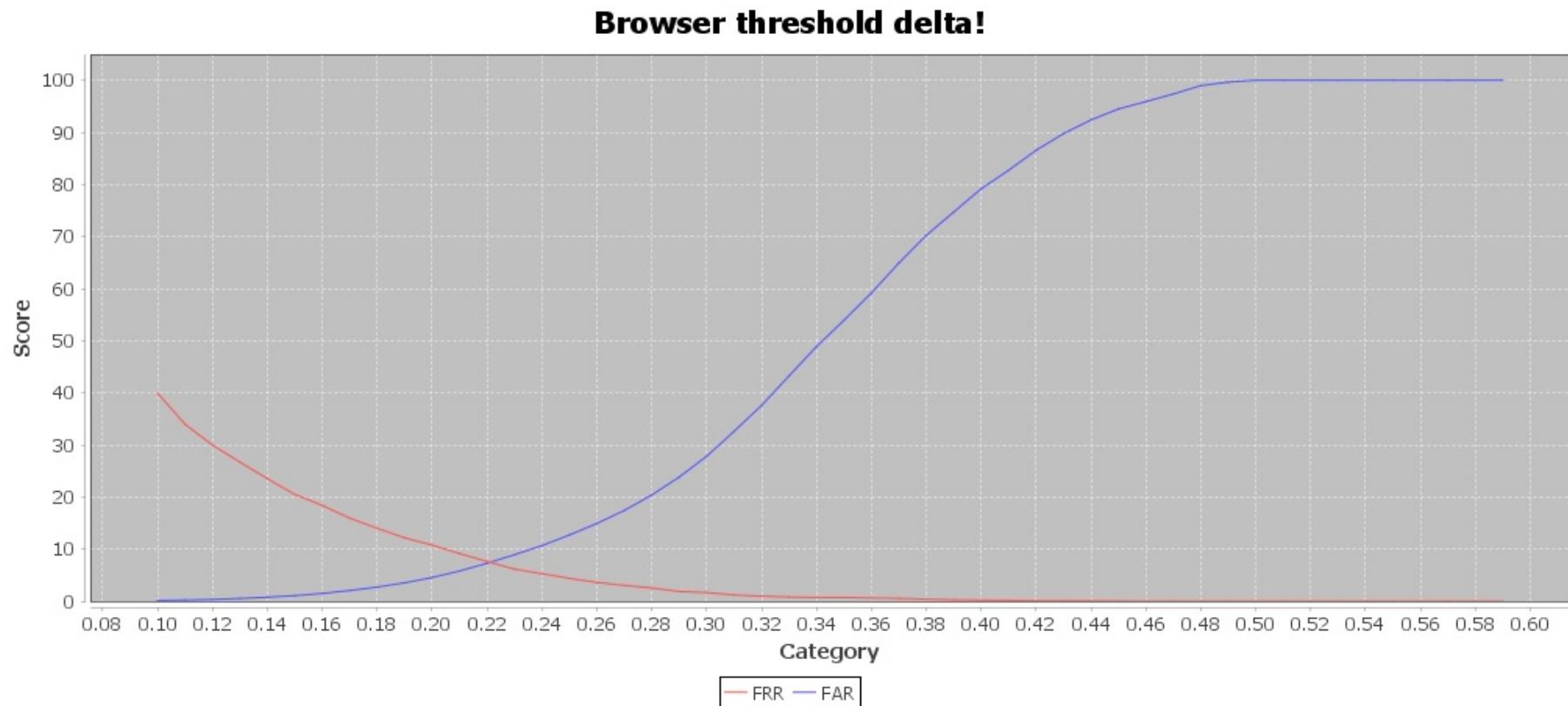


Biometric system failures

- **Adversary attacks:** an adversary intentionally attack to the biometric system.
- Three main classes:
 - ❑ Administration attack: due to improper administration of the biometric system (insider attack)
 - ❑ Non-secure infrastructure: hardware, software, and the communication channels
 - ❑ Biometric overtness: not distinguish between a live biometric presentation and an artificial spoof

Experimental Results

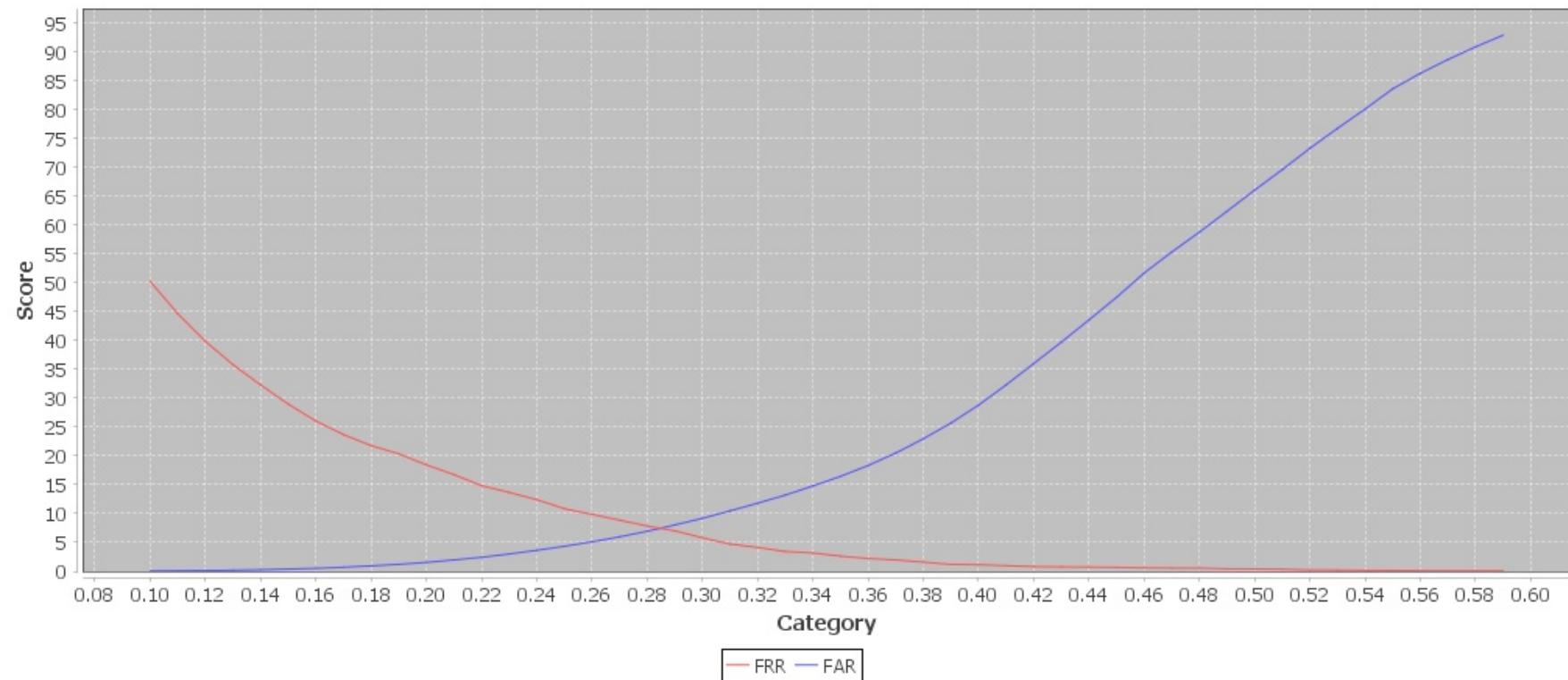
- *Authentication with original feature vectors*



Experimental Results

- Authentication with transformed feature vectors by orthonormal matrix

Browser threshold delta!



Experimental Results

- Authentication with secure feature vectors by orthonormal matrix and fuzzy commitment.

