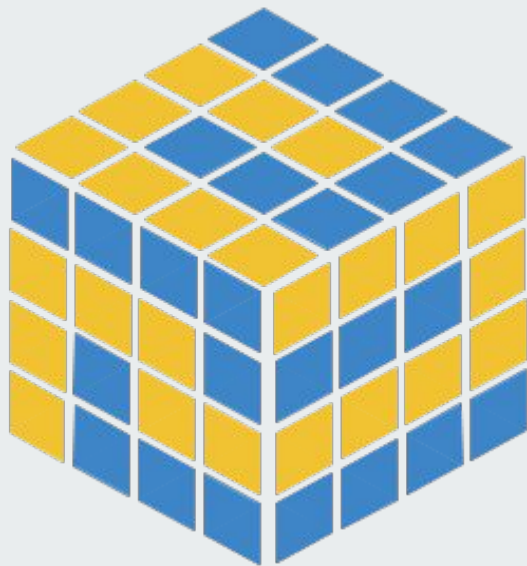


Talk On



NumPy

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1. About NumPy



- Stands for Numerical Python.
- NumPy is a python library used for working with arrays.
- NumPy array is a collection of homogeneous data types stored in contiguous memory location
- Has function for working in domain of linear algebra, fourier transform, and matrices.
- Written partially in Python, but parts that require fast computation are written in C or C++.
- Source code of NumPy is located at github repository.
 - <https://github.com/numpy/numpy>

NumPy Vs Python List



- NumPy arrays are by default Homogeneous, whereas List can be either Homogeneous or Heterogeneous.
- NumPy arrays have fixed size at creation, unlike python lists which can grow dynamically.
- In NumPy array element wise operation is possible, whereas in list element wise operation is not possible.
- NumPy array can be multidimensional, whereas python list is by default 1 dimensional.
- NumPy are very fast compared Python Lists.

Why NumPy is Fast?



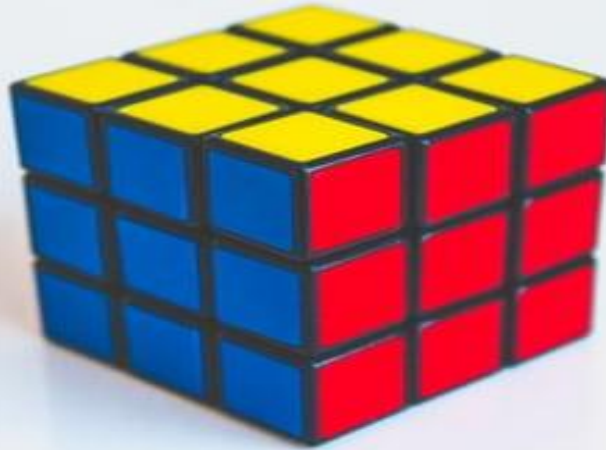
- An array is a collection of homogeneous data types that are stored in contiguous memory locations.
- Vectorized operations are possible in NumPy.
- NumPy package integrates C, C++, and Fortran codes in Python.
 - These programming language have very little execution time compared to Python.

2.NumPy Array manipulation



- Creating arrays
- Attributes of arrays
- Indexing of arrays
- Slicing of arrays
- Reshaping of arrays
- Joining and Splitting of arrays

Creating arrays



3D array:

```
[[[ 1  2  3]  
 [ 4  5  6]  
 [ 7  8  9]]
```

```
[[10 11 12]  
 [13 14 15]  
 [16 17 18]]]
```

Attributes of Numpy arrays



- **ndim:**
 - *Represents the number of dimensions (axes) of the array*
- **shape:**
 - *Given the tuple of integers representing size of the ndarray in each dimension*
- **size:**
 - *Gives the total number of elements in the ndarray. Equals to the product of elements of the result of the attribute **shape***
- **dtype:**
 - *tells the data type of the elements of a Numpy array. In Numpy array, all the elements have the same data type.*
- **itemsize:**
 - *returns the size(in bytes) of each element of a Numpy array.*
- **nbytes:**
 - *Add size(in bytes) of individual elements in the array.*
 - **Nbytes** = **itemsize*****size**

Attributes of Numpy arrays: Example

```
In [76]: # create array
sample_array = np.array([[3, 4, 6], [0, 8, 1]])
sample_array
```

```
Out[76]: array([[3, 4, 6],
               [0, 8, 1]])
```

Now, let's understand mentioned **attributes** of numpy array:

```
In [3]: # ndarray.ndim
print(f"The dimension of sample array is: {sample_array.ndim}")
The dimension of sample array is: 2
```

```
In [4]: # ndarray.shape
print(f"The shape of sample array is: {sample_array.shape}")
The shape of sample array is: (2, 3)
```

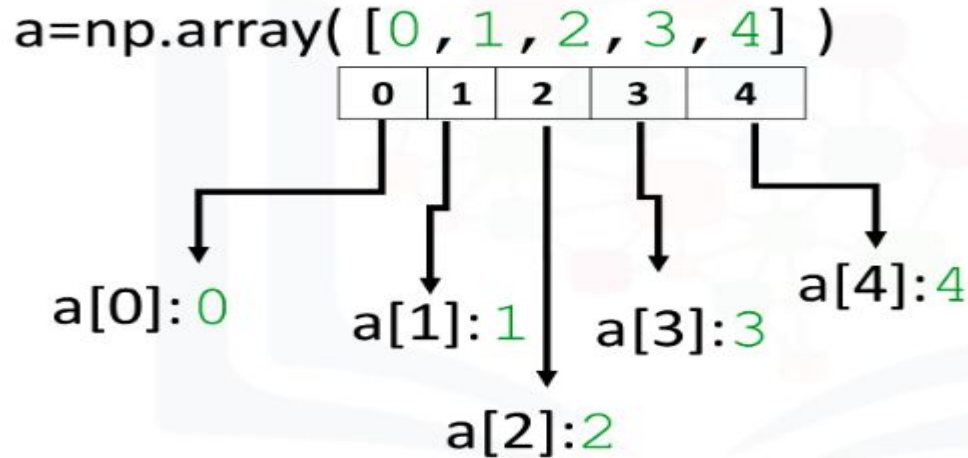
```
In [5]: # ndarray.size
print(f"The total number of elements in the sample array is: {sample_array.size}")
The total number of elements in the sample array is: 6
```

```
In [6]: # ndarray.dtype
print(f"The data type of elements of sample array is: {sample_array.dtype}")
The data type of elements of sample array is: int64
```

```
In [7]: # ndarray.itemsize, returns the size (in bytes) of each element of a Numpy array
print(f"The size of each element in the numpy array is: {sample_array.itemsize}")
The size of each element in the numpy array is: 8
```

Array Indexing: One-dimensional Array

- Array indexing means accessing element via array.
- i th value can be accessed by specifying desired index in square brackets.



Array Indexing: multi-dimensional array

- Items can be accessed using comma-separated list of indices.

A: $[A[0,0], A[0,1], A[0,2]], [A[1,0], A[1,1], A[1,2]], [A[2,0], A[2,1], A[2,2]]$

$$\begin{bmatrix} A[0,0] & A[0,1] & A[0,2] \\ A[1,0] & A[1,1] & A[1,2] \\ A[2,0] & A[2,1] & A[2,2] \end{bmatrix}$$

	0	1	2
0	11	12	13
1	21	22	23
2	31	32	33

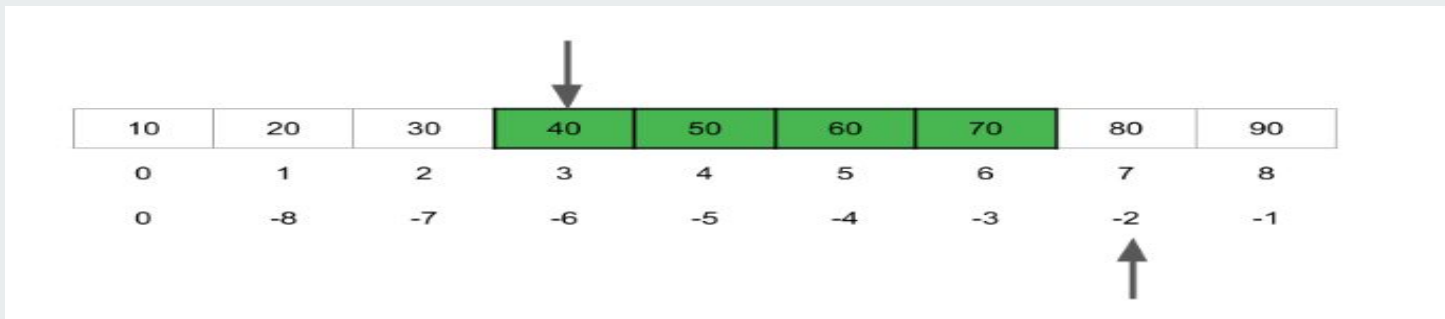
Array Slicing: Accessing Subarrays



- Slicing means taking elements from one given index to another
- Like lists, we can slice numpy array
- We pass slice instead of index like this: `sample_array[start:stop:step]`
 - If we don't pass start its considered as 0
 - If we don't pass end its considered length of array in that dimension
 - If we don't pass step its considered as 1
- Types:
 - Slicing , one-dimensional array (1D array)
 - Slicing, multi-dimensional array (e.g. 2D array)

Slicing, one-dimensional array

- **Case 1: Step is positive**
 - **Example:** Access subarray `[40, 50, 60, 70]` from array shown:



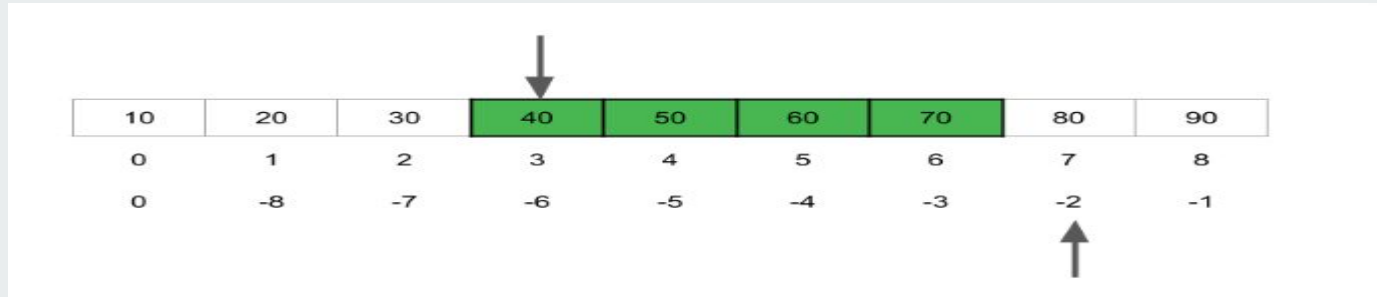
The diagram shows a 1D array with 9 elements: 10, 20, 30, 40, 50, 60, 70, 80, 90. The elements 40, 50, 60, and 70 are highlighted in green. A downward arrow points to the element 40 at index 3. An upward arrow points to the element 80 at index -2. Below the array, two rows of indices are shown: the first row contains positive indices 0 through 8, and the second row contains corresponding negative indices -8 through -1.

10	20	30	40	50	60	70	80	90
0	1	2	3	4	5	6	7	8
0	-8	-7	-6	-5	-4	-3	-2	-1

- using positive index: `array[3:7]`
- using negative index: `array[-6:-2]`
- using both positive and negative index: `array[3:-2]`
- **Note:** end index is exclusive

Slicing, one-dimensional array (Cont...)

- **Case 2: Step is negative**
 - Negative step refer to an index from the end
 - **Example:** Access subarray `[70, 50, 60, 40]` from array shown:



10	20	30	40	50	60	70	80	90
0	1	2	3	4	5	6	7	8
0	-8	-7	-6	-5	-4	-3	-2	-1

- using positive index: `array[6:2:-1]`
- using negative index: `array[-3:-7:-1]`
- using both positive and negative index: `array[6:-7:-1]`
- **Note:** end index is exclusive

Slicing, one-dimensional array (Code)

```
In [11]: import numpy as np

# Define array
a = np.array([10, 20, 30, 40, 50, 60, 70, 80, 90])

# Case1: Step is positive
print("***Case 1: Step is positive***")
print(f"Slicing using positive index: {a[3:7]}")
print(f"Slicing using negative index: {a[-6:-2]}")
print(f"Slicing using both positive and negative index: {a[3:-2]}")

# Case2 : Step is negative
print("***\nCase 2: Step is negative***")
print(f"Slicing using positive index: {a[6:2:-1]}")
print(f"Slicing using negative index: {a[-3:-7:-1]}")
print(f"Slicing using both positive and negative index: {a[6:-7:-1]}")

***Case 1: Step is positive***
Slicing using positive index: [40 50 60 70]
Slicing using negative index: [40 50 60 70]
Slicing using both positive and negative index: [40 50 60 70]
***
Case 2: Step is negative***
Slicing using positive index: [70 60 50 40]
Slicing using negative index: [70 60 50 40]
Slicing using both positive and negative index: [70 60 50 40]
```

Slicing, multi-dimensional array

- Consider the case of 2D array.
- Slicing a 2D array is similar to a 1D array.
- Use a comma to separate the row slice and the column slice.
- **Example:** Access subarray `[[1, 2], [5, 6]]` from array shown below:

	0	1	2	3
0	0	1	2	3
1	4	5	6	7
2	8	9	10	11
3	12	13	14	15

Row slice

Column slice

➤ **Syntax:** `array[0:2, 1:3]`

Slicing, multi-dimensional array(code)

```
In [13]: # Slicing, 2D array

# define array
a = np.array([[0, 1, 2, 3], [4, 5, 6, 7], [8, 9, 10, 11], [12, 13, 14, 15]])

# slice array,
print(f"Slicing subarrays containing row=[row1, row2] and column=[column1, column2]:\n {a[0:2, 1:3]}")

Slicing subarrays containing row=[row1, row2] and column=[column1, column2]:
[[1 2]
 [5 6]]
```

View and Copy of array

```
In [46]: # Copy

# define array
arr = np.array([1, 2, 3, 4, 5])

# make copy
copy_arr = arr.copy()

# display original and copy of an array
print(f"Original array= {arr}    Copy array= {copy_arr}")

# verify memory is not shared
print(f"\nDo original array and view of an array shares memory?\nAns: {np.shares_memory(arr, copy_arr)}")

# edit index 0 in copy array i.e. from 1 to -1
copy_arr[0] = -1
print(f"\nCopy array changed from [1 2 3 4 5] to {copy_arr}")
print(f"But original array doesnot changed i.e. {arr}")
```

Original array= [1 2 3 4 5] Copy array= [1 2 3 4 5]

Do original array and view of an array shares memory?
Ans: False

Copy array changed from [1 2 3 4 5] to [-1 2 3 4 5]
But original array doesnot changed i.e. [1 2 3 4 5]

Subarrays as no-copy view

```
# Define array
arr = np.array([[0, 1, 2, 3], [4, 5, 6, 7], [8, 9, 10, 11]])
print(f"Original array:\n{arr}")

# Slice
sliced_arr = arr[0:2, 1:3]
print(f"\nmemory address of original array: {id(arr)}")
print(f"memory address of sliced subarray: {id(sliced_arr)}")
print(f"\nDo original array and sliced subarray shares memory?\nAns: {np.shares_memory(arr, sliced_arr)}")

# edit sliced array, i.e. index=[0, 1] of original array
sliced_arr[0][0] = 100
print(f"\nChanges reflected to original array i.e.\n {arr}")
```

Original array:

```
[[ 0  1  2  3]
 [ 4  5  6  7]
 [ 8  9 10 11]]
```

memory address of original array: 139968340233152

memory address of sliced subarray: 139968340353392

Do original array and sliced subarray shares memory?

Ans: True

Changes reflected to original array i.e.

```
[[ 0 100  2  3]
 [ 4  5  6  7]
 [ 8  9 10 11]]
```

Reshaping of arrays



- The shape of an array is the number of elements in each dimension
- Reshaping means changing the shape of an array.
- By reshaping we can add or remove dimensions or change the number of elements in each dimension.
- **Example:**
 - *Reshape from 1D to 2D*
 - *Reshape from 1D to 3D*

Example: Reshape from 1D to 2D

Q. Convert the following 1D array with 12 elements into a 2D array

```
In [19]: # create a array
arr = np.array([1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12])

new_arr = arr.reshape(4, 3)

print(f"array before reshaping:\n {arr}")

print(f"\narray after reshaping to shape (4, 3):\n {new_arr}")
```

```
array before reshaping:
[ 1  2  3  4  5  6  7  8  9 10 11 12]
```

```
array after reshaping to shape (4, 3):
[[ 1  2  3]
 [ 4  5  6]
 [ 7  8  9]
 [10 11 12]]
```

Example: Reshape from 1D to 3D

Q. Convert the following 1D array with 12 elements into a 3D array

```
In [20]: # sample array
arr = np.array([1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12])

# reshape to 3D array
new_arr = arr.reshape(2, 3, 2)

print(f"array before reshaping to 3D is:\n {arr}")

print(f"\narray after reshaping to 3D is:\n {new_arr}")
```

```
array before reshaping to 3D is:
[ 1  2  3  4  5  6  7  8  9 10 11 12]
```

```
array after reshaping to 3D is:
[[[ 1  2]
  [ 3  4]
  [ 5  6]]

 [[ 7  8]
  [ 9 10]
  [11 12]]]
```

Can we Reshape into any Shape



- Yes, as long as elements required for reshaping are equal in both shapes.
- Question:
 - Convert 1D array with 8 elements to a 2D array with shape (3, 3)
 - Is it possible?
- Answer:
 - This process will raise an exception as there are 8 elements in 1D and 9 elements in 2D after reshaping
- Coding example:

Exception when Reshaping

```
In [21]: arr = np.array([1, 2, 3, 4, 5, 6, 7, 8])
```

```
# reshape to 3x3
newarr = arr.reshape(3, 3)

print(newarr)
```

```
-----
ValueError                                Traceback (most recent call last)
```

```
<ipython-input-21-416b01fa8732> in <module>
```

```
2
3 # reshape to 3x3
----> 4 newarr = arr.reshape(3, 3)
5
6 print(newarr)
```

```
ValueError: cannot reshape array of size 8 into shape (3,3)
```

As we can see this lead to an exception as expected

Array Joining



- Array Joining means putting content of two or more array in a single array
- In SQL we join tables based on keys, whereas in NumPy we join arrays by axes.
- Array Joining can be done in two ways:
 - **Concatenation:** using *concatenate()* function
 - **Stacking:** using *stack()* function
- Now, let's understand each of them.

Concatenation



- **Syntax:** `numpy.concatenate((a1, a2, ...), axis=0, out=None)`
 - `a1, a2, ...`: Sequence of `array_like`. The array must have the same shape
 - `axis`: `Int`, optional. axis along which array will be concatenated
 - `out`: `ndarray`, optional. The destination to place the result
- We pass sequence of arrays that we want to the `concatenate()` function.
- After concatenating dimensions of resulting array will be same as that of individual array.
- Order of concatenation will be based on the order in which array are passed to the `concatenate()` function.

Concatenation(Cont..)



- **Concatenate 1D array**
- **Concatenate 2D array**
 - Concatenate along row axis (axis=0)
 - Concatenate along column axis (axis=1)
- **Concatenate 3D array**
 - Concatenate along axis=0
 - Concatenate along axis=1
 - Concatenate along axis=2

Concatenate 1D array

- 1D array only have one axis i.e **axis=0**
- So, concatenation is only along **axis=0**
- **Example:**

```
In [2]: arr1 = np.array([1, 2, 3])
        arr2 = np.array([4, 5, 6])

        # display array
        print(f"Array 1: {arr1}")
        print(f"Array 2: {arr2}")

        arr = np.concatenate((arr1, arr2))

        print(f"Concatenating 1D array: {arr}")
```

Array 1: [1 2 3]

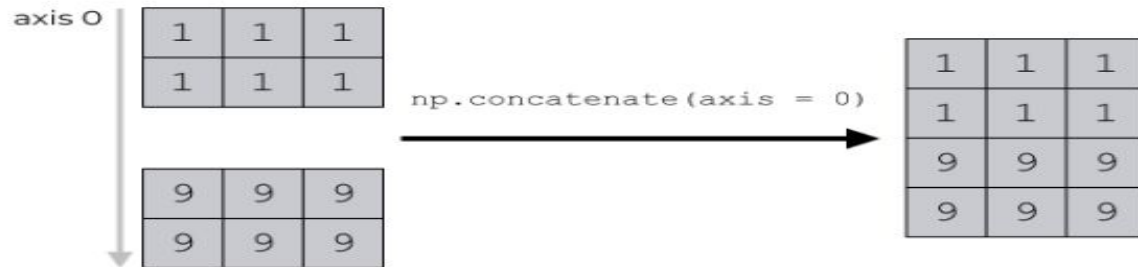
Array 2: [4 5 6]

Concatenating 1D array: [1 2 3 4 5 6]

Concatenate 2D array (Along axis=0)

- Setting axis=0 concatenates along the row axis.
- Similar to NumPy `vstack()` i.e. vertical stacking function.
 - `numpy.vstack((arr1, arr2))`

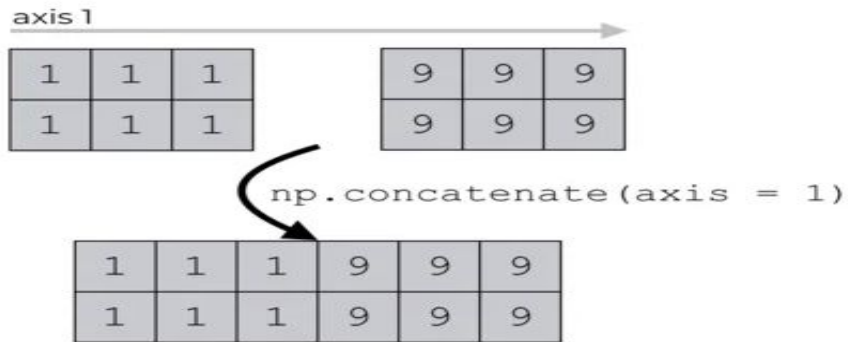
Setting `axis=0` concatenates along the row axis



Concatenate 2D array (Along axis=1)

- Setting axis=1 concatenates along the column axis.
- Similar to NumPy `hstack()` i.e. horizontal stacking function.
 - `numpy.hstack((arr1, arr2))`

Setting `axis=1` concatenates along the column axis



Stacking



```
In [69]: # Define two array
arr1 = np.array([[1, 2], [3, 4]])
arr2 = np.array([[5, 6], [7, 8]])

# display array
print(f"array1:\n{arr1}")
print(f"\narray2:\n{arr2}")

# stack array
np.stack((arr1, arr2), axis=0)
```

```
array1:
[[1 2]
 [3 4]]
```

```
array2:
[[5 6]
 [7 8]]
```

```
Out[69]: array([[1, 2],
                [3, 4],
                [5, 6],
                [7, 8]])
```

Splitting



- Splitting is reverse operations of joining
 - Joining merges multiple arrays into one.
 - Splitting breaks one array into multiple one.
- Can be implemented using numpy functions:
 - `numpy.split()`
 - `numpy.array_split()`
 - `numpy.hsplit()`
 - `numpy.vsplit()`
- We pass array we want to split and the number of split.
- Sub-arrays obtained after splitting is only view of the original arrays.
 - Changes made to the sub-arrays also reflect changes in the original array

array_split() VS split()



- Both are used to split numpy arrays.
- **numpy.split():**
 - Does not adjust elements when elements are less in source array.
 - Meaning: if the array has less element than required for splitting, it will raise an exception.
- **numpy.array_split():**
 - Adjust elements when elements are less in source array.
 - Meaning: if the array has less element than required for splitting, the last end array is null.
- **Coding Example:**

array_split() vs split() (Example)

Q. Split [1, 2, 3, 4, 5, 6] into four parts

```
# define array
arr = np.array([1, 2, 3, 4, 5, 6])
print(f"origina array: {arr}")

# split
splitted_arr = np.array_split(arr, 4)
print(f"splitted array using array_split(): {splitted_arr}")
```

origina array: [1 2 3 4 5 6]

splitted array using array_split(): [array([1, 2]), array([3, 4]), array([5]), array([6])]

```
arr = np.array([1, 2, 3, 4, 5, 6])

print("***As Expected split() throws an error:***\n")

split_arr = np.split(arr, 4)
```

As Expected split() throws an error:

ValueError: array split does not result in an equal division

Splitting (via specifying axis name)



- Can specify axis to do the split around.
- For 2D arrays, splitting can be done in two ways:
 - ***Splitting across axis=0***
 - Similar to `numpy.hsplit()` for equal division case
 - ***Splitting across axis=1***
 - Similar to `numpy.vsplit()` for equal division case
- Now let's understand each of them separately

Splitting 2D array (axis=0)



- **Syntax:** `numpy.array_split(arr, split_num, axis=0)`
- Comparison with `numpy.vsplit()`
 - Similar to `numpy.vsplit()` when splitting results in the equal division.
 - `numpy.array_split()`: can work with both equal and unequal division case
 - `numpy.vsplit()`:
 - work only in the equal division case
 - raise an exception in the case of unequal division..
- **Example:**

Splitting 2D array (axis=0) Example

```
# define array
arr = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9], [10, 11, 12], [13, 14, 15], [16, 17, 18]])
print(f"sample array:\n {arr}")

# split via array_split()
print(f"array_split(axis=0) result:\n {np.array_split(arr, 3, axis=0)}")

# split via vstack()
print(f"vsplit() result:\n {np.vsplit(arr, 3)}")
```

sample array:

```
[[ 1  2  3]
 [ 4  5  6]
 [ 7  8  9]
 [10 11 12]
 [13 14 15]
 [16 17 18]]
```

array_split(axis=0) result:

```
[array([[1, 2, 3],
       [4, 5, 6]]), array([[ 7,  8,  9],
       [10, 11, 12]]), array([[13, 14, 15],
       [16, 17, 18]])]
```

vsplit() result:

```
[array([[1, 2, 3],
       [4, 5, 6]]), array([[ 7,  8,  9],
       [10, 11, 12]]), array([[13, 14, 15],
       [16, 17, 18]])]
```

Splitting 2D array(axis=1)



- **Syntax:** `numpy.array_split(arr, split_num, axis=1)`
- Comparison with `numpy.hsplit()`
 - Similar to `numpy.hsplit()` when splitting results in the equal division.
 - `numpy.array_split()`: can work with both equal and unequal division case.
 - `numpy.hsplit()`:
 - work only in the equal division case.
 - raise an exception in the case of unequal division.
- **Example:**

Splitting 2D array (axis=1) Example

```
# define array
arr = np.array([[1, 2, 3], [3, 4, 3], [5, 6, 3], [7, 8, 3]])
print(f"Sample array:\n {arr}")

# Split via array_split with axis=1
print(f"\narray_split(axis=1) result:\n {np.array_split(sample_arr, 3, axis=1)}")

# split via hsplit()
print(f"\nhsplit() result:\n {np.hsplit(sample_arr, 3)}")
```

Sample array:

```
[[1 2 3]
 [3 4 3]
 [5 6 3]
 [7 8 3]]
```

array_split(axis=1) result:

```
array([[1],
       [3],
       [5],
       [7]]), array([[2],
       [4],
       [6],
       [8]]), array([[3],
       [3],
       [3],
       [3]])
```

hsplit() result:

```
array([[1],
       [3],
       [5],
       [7]]), array([[2],
       [4],
       [6],
       [8]]), array([[3],
       [3],
       [3],
       [3]])
```

3. NumPy Universal functions (Ufuncs)



- Looping over the array to perform repeated task like addition, subtraction, etc on each array element are common.
- Computation time to perform such repeated task increases with relatively larger data.
- NumPy makes this faster by using vectorized operations, implemented through **ufuncs**.
- **Types:**
 - *Unary ufuncs*
 - *Binary ufuncs*
- **Example:**
 - *Compare computation time for element-wise multiplication without and with using ufuncs*

Types of Ufuncs

- **Unary ufuncs**
 - Operates on single inputs.
 - **Example:** negation of input array x
- **Binary ufuncs**
 - Operates on two inputs.
 - **Example:** addition of two input array x and y
- **Operators and Equivalent ufunc:**

Operator	Equivalent ufunc	Description
+	<code>np.add</code>	Addition (e.g., <code>1 + 1 = 2</code>)
-	<code>np.subtract</code>	Subtraction (e.g., <code>3 - 2 = 1</code>)
-	<code>np.negative</code>	Unary negation (e.g., <code>-2</code>)
*	<code>np.multiply</code>	Multiplication (e.g., <code>2 * 3 = 6</code>)
/	<code>np.divide</code>	Division (e.g., <code>3 / 2 = 1.5</code>)
//	<code>np.floor_divide</code>	Floor division (e.g., <code>3 // 2 = 1</code>)
**	<code>np.power</code>	Exponentiation (e.g., <code>2 ** 3 = 8</code>)
%	<code>np.mod</code>	Modulus/remainder (e.g., <code>9 % 4 = 1</code>)

Computation time comparison

Element-Wise multiplication using Ufuncs

```
In [27]: import time
import numpy as np

# Define two numpy array
x1 = np.arange(1, 1000)
x2 = np.arange(1, 1000)
tic = time.process_time()

# Element-wise multiplication using Ufuncs
mul = np.multiply(x1,x2)

# Display Element-wise multiplication time using Ufuncs
toc = time.process_time()
print ("elementwise multiplication using Ufuncs" "\n ----- Computation time = " + str(1000*(toc - tic)) + "ms")

elementwise multiplication using Ufuncs
----- Computation time = 0.09755300000025002ms
```

- Using **ufuncs** computation time is less compared to classic python for loops.
- The reason behind less computation time using ufuncs is due to **Vectorization**

Vectorization



- It's a technique in order to getting rid of explicit *for loop* in python.
- Vectorization can be performed using parallelization instruction called **SIMD instruction**.
- SIMD stands for **single instruction multiple data**.
- In python **SIMD** is enabled through Ufuncs.
 - Helps python NumPy to take much better advantage of parallelism to do computation faster.

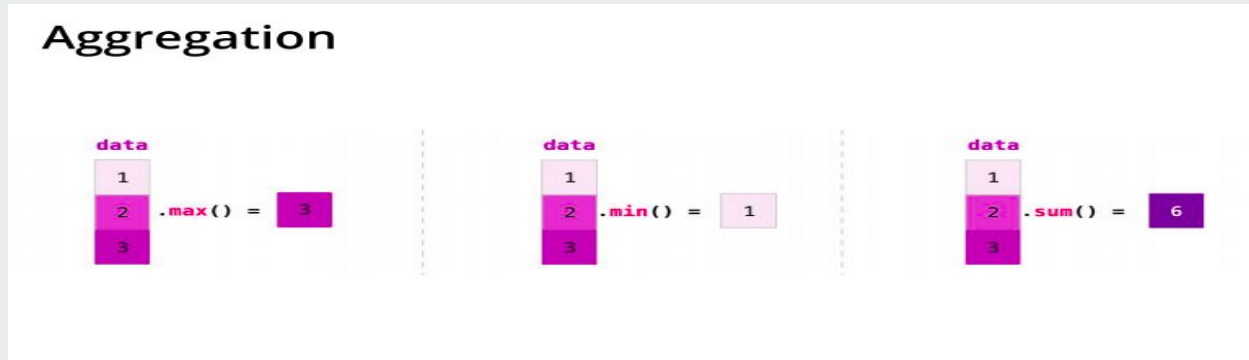
Vectorization in Deep Learning



- Famous in different task such as Classification, Segmentation, Detection, etc.
- Deep Learning demands large number of data that helps model to generalize.
- Large number of training set leads to large number of time to run the code i.e. need to wait long time to get the result.
- So, in deep learning ability to perform **vectorization** has become key skill.
- **Note:**
 - *whenever possible avoid using explicit for loops*

4. Aggregation: Min, Max

- As data analyst, the first step is to explore and understand the data.
- One way to understand the data is to compute summary statistics.
- Mean and standard deviation are most common statistical method to summarize the data.
- These are called **Aggregates**.
- Different useful aggregates are: sum, product, minimum, maximum, etc
- **Visual interpretation of python built-in aggregation:**



NumPy aggregation functions

- Like python NumPy also has built-in aggregation functions.
- Specially designed for working with Numpy arrays.
- Different NumPy aggregation functions:

Function Name	NaN-safe Version	Description
<code>np.sum</code>	<code>np.nansum</code>	Compute sum of elements
<code>np.prod</code>	<code>np.nanprod</code>	Compute product of elements
<code>np.mean</code>	<code>np.nanmean</code>	Compute mean of elements
<code>np.std</code>	<code>np.nanstd</code>	Compute standard deviation
<code>np.var</code>	<code>np.nanvar</code>	Compute variance
<code>np.min</code>	<code>np.nanmin</code>	Find minimum value
<code>np.max</code>	<code>np.nanmax</code>	Find maximum value
<code>np.argmin</code>	<code>np.nanargmin</code>	Find index of minimum value
<code>np.argmax</code>	<code>np.nanargmax</code>	Find index of maximum value
<code>np.median</code>	<code>np.nanmedian</code>	Compute median of elements
<code>np.percentile</code>	<code>np.nanpercentile</code>	Compute rank-based statistics of elements
<code>np.any</code>	N/A	Evaluate whether any elements are true
<code>np.all</code>	N/A	Evaluate whether all elements are true

Python VS NumPy aggregation



- Q. Why to use NumPy aggregate functions when they are already available in Python?
- **Speed:**
 - NumPy aggregate functions are much faster than Python aggregate functions.
- **Aware of dimensions:**
 - NumPy aggregate functions are aware of dimensions.
 - However python aggregate functions behave differently on multi-dimensional arrays.
- **Note:**
 - *Whenever possible make use of NumPy version of aggregates when operating on NumPy arrays*

Python VS NumPy aggregation (Cont...)

- Aware of dimensions:
 - Consider code snippet as shown:

```
In [28]: 1 array = np.arange(10).reshape(2,5)
          2 print(array)
          3 print('Summation:',sum(array))

[[0 1 2 3 4]
 [5 6 7 8 9]]
Summation: [ 5  7  9 11 13]
```

- Expected output: 45 i.e. *sum of all elements in the array*
- But output are not according to expectation using python inbuilt `sum()`.

- Using numpy sum:

```
print(f"Result using NumPy sum(): {np.sum(array)}")

Result using NumPy sum(): 45
```


5.Application of NumPy



- **MATLAB Replacement**
 - Can do all sorts of mathematics with NumPy.
 - There are functions for Linear algebra, fourier transform, and so on.
- **Machine Learning**
 - Knowing NumPy you can do some of the stuff with machine learning.
- **NumPy with pandas**
 - Pandas interoperates with NumPy for faster computations.
 - Using both libraries together is a very helpful resource for scientific computation.



**Thank you
for your
Valuable time....**