

# DOUBLE QUASARS: PROBES OF BLACK HOLE SCALING RELATIONSHIPS AND MERGER SCENARIOS

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## ABSTRACT

We analyze the available sample of double quasars, and investigate their physical properties. Our sample comprises 85 pairs, selected from the Sloan Digital Sky Survey (SDSS). We derive physical parameters for the engine and the host, and model the dynamical evolution of the pair. First, we compare different scaling relationships between massive black holes and their hosts (bulge mass, velocity dispersion, and their possible redshift dependences), and discuss their consistency. We then compute dynamical friction timescales for the double quasar systems to investigate their frequency and their agreement with the “merger driven” scenario for quasar triggering. In optical surveys, such as the SDSS,  $N_{\text{double, qso}}/N_{\text{qso}} \approx 0.1\%$ . Comparing typical merging timescales to expected quasar lifetimes, the fraction of double quasars should be roughly a factor of 10 larger than observed. Additionally, we find that, depending on the correlations between black holes and their hosts, the occurrence of double quasars could be redshift dependent. Comparison of our models to the SDSS quasar catalog suggests that double quasars should be more common at high redshift. We compare the typical separations at which double quasars are observed to the predictions of merger simulations. We find that the distribution of physical separations peaks at  $\sim 30$  kpc, with a tail at larger separations ( $\sim 100$ – $200$  kpc). The peak of the distribution is roughly consistent with the first episode of quasar activity found in equal mass mergers simulations. The tail of the quasar pairs distribution at large separations is instead inconsistent with any quasar activity predicted by published simulations. These large separation pairs are instead consistent with unequal mass mergers where gas is dynamically perturbed during the first pericentric passage, but the gas reaches the black hole only at the next apocenter, where the pair is observed.

**Key words:** black hole physics – galaxies: active – galaxies: evolution – quasars: general

*Online-only material:* color figures

## 1. INTRODUCTION

It is thought that interactions and mergers are an integral part of the process that builds up the galaxy population. Mergers are expected to be the dominant growth route of high redshift galaxies in hierarchical scenarios linked to cold dark matter cosmologies (White & Rees 1978). Recent high-resolution observations have shown evidence of such phenomena, revealing that many of the most massive galaxies at  $z \sim 1$ – $4$ , traced by submillimeter-detected galaxies are indeed interacting/merging galaxies (Chapman et al. 2003). Many of the submillimeter galaxies also show signs of nuclear activity Alexander et al. (2001, 2003, 2005), and are found near radio galaxies, suggesting that quasar activity was common in dense environments at high redshift. Theoretical models indeed link quasar activity to mergers (e.g., Haehnelt & Rees 1993; Cavaliere & Vittorini 2000; Kauffmann & Haehnelt 2000; Wyithe & Loeb 2003; Volonteri et al. 2003; Di Matteo et al. 2005). If most galaxies host a central massive black hole (MBH), as implied by the local observations, and nuclear activity is triggered in mergers, double/binary quasars should also be common in a hierarchically evolving Universe. Volonteri et al. (2003) investigated the expected fraction of double quasars expected in a hierarchical scenario where mergers trigger nuclear activity. If Volonteri et al. assumed accretion on both MBHs involved in a major merger (that is, mergers between galaxies with similar masses, up to a factor of 10 difference), the fraction of binary quasars would be about 10%, in conflict with the existing data. A rough agreement with the data could be reached assuming that only the MBH hosted in the larger halo accretes and radiates during a major merger. In this scenario at least two subsequent major mergers are required to give origin to a double quasar

system, the satellite MBH being activated in the first merger event. In these models, the mean timescale over which MBHs accrete and radiate is of order  $\sim 4 \times 10^7$  years, much shorter than the typical time between two major mergers (Somerville et al. 2001).

Only 16 pairs are known in the Large Bright Quasar Survey (Hewett et al. 1995) out of  $10^4$  quasars, and among these 16, the confirmed physical associations are less than 10 (Kochanek et al. 1999). Even the most recent optical samples imply the same fraction of binaries, 0.1%–0.4%. Hennawi et al. (2006) analyze a sample of  $\sim 59,000$  quasars in the Sloan survey, identifying only 26 close ( $< 50$  kpc) systems. On the other hand, about 30% of X-ray detected submillimeter galaxies at  $z = 2$  are in pairs (Alexander et al. 2005).

There are only a few well studied cases of ongoing mergers at sub-galactic scales in which each companion is an active galactic nuclei (AGN), e.g., NGC 6240 (Komossa et al. 2003) and Arp 229 (Ballo et al. 2004). Both are advanced state merging systems, belonging to the class of ultraluminous infrared galaxies. Noticeably, none of the nuclei show signs of activity in the optical band, due to obscuration. LBQS 0103–2753 is an example of an optically selected double quasar with separation below galactic scale, 3.5 kpc (Junkkarinen et al. 2001).

Kochanek et al. (1999) analyzed the then available optical sample of double quasars in order to assess the correspondence between mergers and quasar activity. They concluded that the merger scenario (as proposed by Bahcall et al. 1997) was in good agreement with the double quasar population. They supported the merger scenario by noticing that the maximum separations between pairs are characteristic of scales on which tidal perturbations become important ( $\sim 70$  kpc), and that the absence of small separation pairs is characteristic of dynamically

**Table 1**  
Properties of the Double Quasar Sample

Name	$z$	$R_{\max}$ (kpc)	$L_B$ quasar 1 ( $10^{12} L_{\odot}$ )	$L_B$ quasar 2 ( $10^{12} L_{\odot}$ )	BH Mass quasar 1 ( $10^9 M_{\odot}$ )	BH Mass quasar 2 ( $10^9 M_{\odot}$ )	Ref.*
SDSSJ1120+6711	1.49	12.69	$3.09 \pm 1.72$	$7.72 \pm 0.05E-1$	$7.32 \pm 1.16E-1$	$2.23 \pm 0.29E-1$	1, A
SDSSJ2336-0107	1.29	14.23	$9.37 \pm 0.61E-1$	$3.90 \pm 0.02E-1$	$5.67^{+10.81}_{-3.86}E-1$	$1.18^{+4.50}_{-1.61}E-1$	1
SDSSJ0048-1051	1.56	30.49	$1.06 \pm 0.06$	$1.68 \pm 0.09$	$3.57^{+2.11}_{-1.33}E-1$	$9.93^{+18.92}_{-6.77}E-1$	1, A
SDSSJ0054-0946	2.13	117.11	$2.63 \pm 0.15E+1$	$2.02 \pm 0.11$	$2.24^{+0.25}_{-0.22}E-1$	$1.19^{+2.26}_{-0.81}E-1$	1, A
SDSSJ0117+3153	2.13	93.85	$2.38 \pm 0.13$	$4.43 \pm 0.25$	$1.39^{+0.65}_{-0.95}E-1$	$2.52^{+1.73}_{-0.73}E-1$	1
SDSSJ0201+0032	2.30	155.90	$7.63 \pm 0.42$	$3.35 \pm 0.19$	$4.28^{+8.17}_{-2.93}E-1$	$1.93^{+3.68}_{-1.32}E-1$	1
SDSSJ0248+0009	1.64	58.45	$4.07 \pm 0.23$	$1.07 \pm 0.06$	$1.68^{+0.85}_{-0.56}E-1$	$6.47^{+12.32}_{-4.40}E-1$	1, A
SDSSJ0332-0722	2.10	150.62	$2.95 \pm 0.16$	$2.24 \pm 0.12$	$1.71^{+3.26}_{-1.17}E-1$	$1.31^{+2.50}_{-0.89}E-1$	1
SDSSJ0846+2749	2.12	156.25	$5.84 \pm 0.32$	$4.41 \pm 0.24$	$3.30^{+6.30}_{-2.26}E-1$	$2.52^{+4.81}_{-1.72}E-1$	1
SDSSJ0939+5953	2.53	262.47	$6.34 \pm 0.35$	$1.85 \pm 0.10E+1$	$1.15 \pm 0.40$	$1.02^{+1.94}_{-0.70}E+1$	1, A
SDSSJ0955+6045	0.72	134.40	$1.81 \pm 0.10E-1$	$1.50 \pm 0.08E-1$	$8.01 \pm 4.26E-1$	$9.98^{+19.00}_{-6.74}E-2$	1, A
SDSSJ0959+5449	1.95	32.73	$2.93 \pm 0.16$	$1.86 \pm 0.10$	$1.69^{+3.23}_{-1.16}E-1$	$1.09^{+2.08}_{-0.75}E-1$	1
SDSSJ1010+0416	1.51	145.59	$1.56 \pm 0.09$	$1.41 \pm 0.08$	$3.40 \pm 2.16E-1$	$8.37^{+15.95}_{-5.70}E-1$	1, A
SDSSJ1014+0920	2.29	180.65	$9.19 \pm 0.51$	$3.39 \pm 0.19$	$1.17 \pm 0.26$	$1.95^{+3.72}_{-1.33}E-1$	1, A
SDSSJ1028+3929	1.89	63.12	$3.21 \pm 0.18$	$1.38 \pm 0.08$	$1.85^{+3.53}_{-1.27}E-1$	$8.21^{+15.64}_{-5.59}E-1$	1
SDSSJ1034+0701	1.25	25.85	$1.63 \pm 0.09$	$3.37 \pm 0.19E-1$	$1.43 \pm 0.22$	$2.15^{+4.09}_{-1.45}E-1$	1, A
SDSSJ1056-0059	2.13	59.80	$4.11 \pm 0.23$	$1.94 \pm 0.11$	$2.35^{+4.48}_{-1.61}E-1$	$1.14^{+2.17}_{-0.78}E-1$	1
SDSSJ1123+0037	1.17	465.12	$2.22 \pm 0.12$	$6.96 \pm 0.39E-1$	$4.83 \pm 1.09E-1$	$4.27^{+8.17}_{-2.90}E-1$	1, A
SDSSJ1225+5644	2.38	48.92	$8.93 \pm 0.49$	$2.95 \pm 0.16$	$4.99^{+9.52}_{-3.42}E-1$	$1.71^{+3.25}_{-1.16}E-1$	1
SDSSJ1254+6104	2.05	146.91	$8.33 \pm 0.46$	$5.32 \pm 0.29$	$3.60 \pm 1.31$	$3.02^{+3.76}_{-2.06}E-1$	1, A
SDSSJ1259+1241	2.19	29.78	$4.06 \pm 0.22$	$4.42 \pm 0.24$	$2.32^{+4.43}_{-1.59}E-1$	$2.52^{+4.81}_{-1.73}E-1$	1
SDSSJ1303+5100	1.68	32.18	$1.60 \pm 0.09$	$1.22 \pm 0.07$	$9.47^{+18.06}_{-6.46}E-1$	$7.31^{+13.92}_{-4.97}E-1$	1
SDSSJ1310+6208	2.06	391.25	$1.12 \pm 0.06E+1$	$2.27 \pm 0.13$	$2.52 \pm 0.55$	$1.32^{+2.52}_{-0.90}E-1$	1, A
SDSSJ1337+6012	1.73	26.23	$8.73 \pm 0.48$	$2.31 \pm 0.13$	$2.95^{+1.09}_{-0.80}E-1$	$1.35^{+2.57}_{-0.92}E-1$	1, A
SDSSJ1349+1227	1.72	25.39	$1.80 \pm 0.10E+1$	$4.46 \pm 0.25$	$9.87^{+18.83}_{-6.77}E-1$	$2.55^{+4.86}_{-1.74}E-1$	1
SDSSJ1400+1232	2.05	121.87	$2.73 \pm 0.15$	$2.40 \pm 0.13$	$1.59^{+3.02}_{-1.08}E-1$	$1.40^{+2.67}_{-0.96}E-1$	1
SDSSJ1405+4447	2.23	61.04	$2.26 \pm 0.12E+1$	$3.67 \pm 0.20$	$1.23^{+2.35}_{-0.84}E+1$	$2.11^{+3.02}_{-1.44}E-1$	1
SDSSJ1409+3919	2.08	56.66	$2.96 \pm 0.16$	$1.61 \pm 0.09$	$1.72^{+3.27}_{-1.17}E-1$	$9.53^{+18.15}_{-6.49}E-1$	1
SDSSJ1530+5304	1.53	34.72	$1.02 \pm 0.06$	$9.55 \pm 0.53E-1$	$6.13^{+11.68}_{-4.17}E-1$	$5.78^{+11.01}_{-3.93}E-1$	1
SDSSJ1546+5134	2.95	326.69	$3.91 \pm 0.22$	$1.22 \pm 0.07E+1$	$2.24^{+4.28}_{-1.53}E-1$	$6.77^{+12.90}_{-4.63}E-1$	1
SDSSJ1629+3724	0.92	34.49	$9.56 \pm 0.53E-1$	$8.48 \pm 0.47E-1$	$6.46 \pm 2.53E-1$	$5.16^{+9.83}_{-3.51}E-1$	1, A
SDSSJ1719+2549	2.17	121.76	$4.26 \pm 0.24$	$4.99 \pm 0.28$	$1.17 \pm 0.77$	$2.84^{+5.42}_{-1.94}E-1$	1, A
SDSSJ1723+5904	1.60	31.35	$4.49 \pm 0.25$	$1.16 \pm 0.06$	$2.28^{+0.83}_{-0.61}E-1$	$6.98^{+13.30}_{-4.73}E-1$	1, A
SDSSJ2128-0617	2.07	69.20	$4.91 \pm 0.27$	$4.48 \pm 0.25$	$2.80^{+5.33}_{-1.91}E-1$	$2.56^{+4.88}_{-1.75}E-1$	1
SDSSJ2214+1326	2.00	48.55	$2.76 \pm 0.15$	$2.24 \pm 0.12$	$1.60^{+3.06}_{-1.09}E-1$	$1.31^{+2.50}_{-0.89}E-1$	1
SDSSJ2220+1247	1.99	133.17	$3.22 \pm 0.18$	$1.52 \pm 0.08$	$1.86^{+3.54}_{-1.27}E-1$	$9.00^{+17.15}_{-6.13}E-1$	1
SDSSJ0740+2926	0.98	20.72	$2.36 \pm 0.13$	$7.54 \pm 0.42E-1$	$4.14 \pm 0.62E-1$	$4.61^{+3.78}_{-3.13}E-1$	1, A
SDSSJ1035+0752	1.22	22.45	$2.22 \pm 0.12$	$6.61 \pm 0.37E-1$	$5.79 \pm 1.93E-1$	$4.07^{+7.75}_{-2.76}E-1$	1, A
SDSSJ1124+5710	2.31	18.04	$1.49 \pm 0.08E+1$	$5.24 \pm 0.29$	$2.55 \pm 0.34$	$2.97^{+3.67}_{-2.03}E-1$	1, A
SDSSJ1138+6807	0.77	19.26	$1.98 \pm 0.11$	$3.75 \pm 0.21E-1$	$1.76^{+0.21}_{-0.19}E-1$	$2.37^{+4.51}_{-1.61}E-1$	1, A
SDSSJ1508+3328	0.88	22.45	$3.41 \pm 0.19$	$3.11 \pm 0.17E-1$	$1.96^{+3.74}_{-1.34}E-1$	$1.99^{+3.79}_{-1.35}E-1$	1
SDSSJ0012+0052	1.63	135.55	$8.64 \pm 0.48E-1$	$9.34 \pm 0.52E-1$	$5.25^{+10.00}_{-3.57}E-1$	$5.66^{+10.78}_{-3.85}E-1$	1
SDSSJ0117+0020	0.61	299.78	$1.49 \pm 0.08$	$1.74 \pm 0.10E-1$	$2.26^{+0.22}_{-0.26}E-1$	$1.15^{+2.12}_{-0.78}E-1$	1, A
SDSSJ0141+0031	1.89	361.05	$2.47 \pm 0.14$	$1.67 \pm 0.09$	$1.44^{+2.74}_{-0.98}E-1$	$9.88^{+18.83}_{-6.73}E-1$	1
SDSSJ0245-0113	2.46	36.45	$5.78 \pm 0.32$	$3.04 \pm 0.17$	$3.27^{+6.24}_{-2.24}E-1$	$1.76^{+3.35}_{-1.20}E-1$	1
SDSSJ0258-0003	1.32	246.69	$3.27 \pm 0.18$	$1.40 \pm 0.08$	$8.36 \pm 2.13E-1$	$8.32^{+15.86}_{-5.67}E-1$	1, A
SDSSJ0259+0048	0.89	152.21	$8.59 \pm 0.48E-1$	$1.07 \pm 0.06$	$1.60 \pm 0.94$	$6.42^{+12.23}_{-4.37}E-1$	1, A
SDSSJ0350-0031	2.00	380.88	$2.82 \pm 0.16$	$5.66 \pm 0.31$	$1.64^{+3.12}_{-1.12}E-1$	$3.21^{+5.12}_{-2.19}E-1$	1
SDSSJ0743+2054	1.56	300.71	$2.03 \pm 0.11$	$1.64 \pm 0.09$	$3.63 \pm 1.52E-1$	$9.70^{+18.48}_{-6.93}E-1$	1, A
SDSSJ0747+4318	0.50	56.16	$2.17 \pm 0.12E-1$	$1.78 \pm 0.10E-1$	$2.85^{+0.94}_{-0.70}E-1$	$1.17^{+0.79}_{-0.79}E-1$	1, A
SDSSJ0824+2357	0.54	94.66	$5.18 \pm 0.29E-1$	$4.39 \pm 0.24E-1$	$3.23^{+6.14}_{-2.19}E-1$	$2.75^{+5.25}_{-1.87}E-1$	1
SDSSJ0856+5111	0.54	138.49	$5.00 \pm 0.28E-1$	$1.91 \pm 0.11E-1$	$1.79^{+0.22}_{-0.20}E-1$	$1.43^{+0.54}_{-0.40}E-1$	1, A
SDSSJ0909+0002	1.87	126.35	$6.16 \pm 0.34E+1$	$2.72 \pm 0.15$	$5.92^{+0.95}_{-0.82}E-1$	$9.41^{+15.05}_{-9.41}E-1$	1
SDSSJ0955+0616	1.28	368.00	$6.99 \pm 0.39$	$8.58 \pm 0.48E-1$	$2.08 \pm 0.39$	$5.21^{+9.93}_{-3.54}E-1$	1, A
SDSSJ1032+0140	1.46	465.77	$4.42 \pm 0.25$	$1.02 \pm 0.06$	$7.14 \pm 1.54E-1$	$6.14^{+11.70}_{-4.18}E-1$	1, A
SDSSJ1103+0318	1.94	481.14	$1.43 \pm 0.08E+1$	$7.58 \pm 0.42$	$2.27^{+0.81}_{-0.60}E-1$	$4.88 \pm 2.23$	1, A
SDSSJ1107+0033	1.88	208.81	$7.70 \pm 0.43$	$2.83 \pm 0.16$	$4.32^{+8.24}_{-2.96}E-1$	$1.64^{+3.12}_{-1.12}E-1$	1
SDSSJ1116+4118	2.99	106.41	$2.63 \pm 0.15E+1$	$1.12 \pm 0.06E+1$	$1.43^{+2.72}_{-0.98}E+1$	$6.24^{+11.90}_{-4.27}E-1$	1
SDSSJ1134+0849	1.53	229.47	$3.90 \pm 0.22$	$2.72 \pm 0.15$	$1.19 \pm 0.36$	$1.58^{+4.01}_{-1.08}E-1$	1, A
SDSSJ1146-0124	1.98	238.83	$2.55 \pm 0.14$	$2.15 \pm 0.12$	$1.49^{+2.82}_{-1.01}E-1$	$1.26^{+2.39}_{-0.86}E-1$	1
SDSSJ1152-0030	0.55	187.86	$4.19 \pm 0.23E-1$	$1.23 \pm 0.07E-1$	$5.01 \pm 0.88E-1$	$8.33^{+15.85}_{-5.62}E-2$	1, A
SDSSJ1207+0115	0.97	281.41	$1.49 \pm 0.08$	$3.81 \pm 0.21E-1$	$2.95 \pm 0.57E-1$	$2.41^{+5.58}_{-1.63}E-1$	1, A
2QZJ1217+0006	1.78	437.70	$2.71 \pm 0.15$	$4.96 \pm 0.27$	$1.57^{+3.00}_{-1.07}E-1$	$2.82^{+5.38}_{-1.93}E-1$	1

**Table 1**  
(Continued)

Name	$z$	$R_{\max}$ (kpc)	$L_B$ quasar 1 ( $10^{12} L_{\odot}$ )	$L_B$ quasar 2 ( $10^{12} L_{\odot}$ )	BH Mass quasar 1 ( $10^9 M_{\odot}$ )	BH Mass quasar 2 ( $10^9 M_{\odot}$ )	Ref.*
2QZJ1217+0055	0.90	315.54	$3.74 \pm 0.21E-1$	$4.84 \pm 0.27E-1$	$2.37^{+4.51}_{-1.61}E-1$	$3.02^{+5.75}_{-2.05}E-1$	1
SDSSJ1226-0112	0.920	396.67	$5.46 \pm 0.30$	$5.97 \pm 0.33E-1$	$9.75 \pm 0.18E-1$	$3.69^{+7.03}_{-2.51}E-1$	1, A
SDSSJ1300-0156	1.620	377.02	$1.00 \pm 0.06E+1$	$2.58 \pm 0.14$	$7.84^{+0.95}_{-0.85}E-1$	$1.50^{+2.86}_{-1.02}E-1$	1, A
2QZJ1328-0157	2.37	429.23	$7.76 \pm 0.43$	$5.08 \pm 0.28$	$4.35^{+8.30}_{-1.98}E-1$	$2.89^{+5.51}_{-1.98}E-1$	1
2QZJ1354-0108	1.99	464.84	$5.17 \pm 0.29$	$2.85 \pm 0.16$	$2.94^{+5.60}_{-2.01}E-1$	$1.65^{+3.15}_{-1.13}E-1$	1
SDSSJ0846+2710	2.17	38.42	$2.15 \pm 0.12$	$2.23 \pm 0.12$	$1.26^{+2.39}_{-0.86}E-1$	$1.30^{+2.48}_{-0.89}E-1$	2
SDSSJ0927+0707	1.38	40.59	$9.11 \pm 0.50E-1$	$5.70 \pm 0.31E-1$	$5.52^{+10.52}_{-3.76}E-1$	$3.53^{+6.72}_{-2.40}E-1$	2
SDSSJ1004+4112	1.73	31.82	$8.09 \pm 0.45$	$5.53 \pm 0.31$	$4.53^{+8.64}_{-3.10}E-1$	$1.59^{+0.49}_{-0.37}E-1$	2, A
SDSSJ1007+0126	1.23	34.85	$3.80 \pm 0.21E-1$	$6.03 \pm 0.33E-1$	$2.40^{+4.58}_{-1.63}E-1$	$3.73^{+7.10}_{-2.53}E-1$	2
SDSSJ1207+1408	1.77	33.38	$1.71 \pm 0.09$	$1.91 \pm 0.11$	$1.01^{+1.92}_{-0.69}E-1$	$1.13^{+2.15}_{-0.77}E-1$	2
SDSSJ1431+2705	2.38	48.21	$3.73 \pm 0.21$	$5.56 \pm 0.31$	$2.14^{+4.08}_{-1.46}E-1$	$3.15^{+6.01}_{-2.16}E-1$	2
SDSSJ1447+6327	1.23	33.19	$4.02 \pm 0.22E-1$	$1.57 \pm 0.09$	$2.53^{+4.83}_{-1.72}E-1$	$9.32^{+17.77}_{-6.35}E-1$	2
SDSSJ1649+1733	2.08	30.17	$6.59 \pm 0.36$	$4.43 \pm 0.24$	$3.72^{+7.09}_{-2.54}E-1$	$2.53^{+4.82}_{-1.73}E-1$	2
SDSSJ1158+1235	0.60	23.73	$1.77 \pm 0.10E-1$	$1.43 \pm 0.08 E-1$	$1.17^{+2.23}_{-0.79}E-1$	$9.54^{+18.17}_{-6.45}E-2$	3
SDSSJ1320+3056	1.60	40.16	$6.83 \pm 0.38$	$1.97 \pm 0.11$	$3.85^{+7.34}_{-2.63}E-1$	$1.16^{+2.20}_{-0.79}E-1$	3
SDSSJ1418+2441	0.57	29.44	$2.82 \pm 0.16E-1$	$1.16 \pm 0.06E-1$	$1.81^{+3.45}_{-1.23}E-1$	$7.88^{+15.00}_{-5.32}E-2$	3
SDSSJ1426+0719	1.31	35.80	$1.08 \pm 0.06$	$5.68 \pm 0.31E-1$	$6.49^{+12.37}_{-4.42}E-1$	$3.52^{+6.71}_{-2.39}E-1$	3
SDSSJ1430+0714	1.25	45.14	$1.69 \pm 0.09$	$7.98 \pm 0.44E-1$	$9.97^{+19.00}_{-6.80}E-1$	$4.87^{+9.28}_{-3.31}E-1$	3
SDSSJ1458+5448	1.91	43.21	$1.79 \pm 0.10$	$1.41 \pm 0.08$	$1.05^{+2.01}_{-0.72}E-1$	$8.37^{+15.94}_{-5.70}E-1$	3
SDSSJ1606+2900	0.77	25.55	$1.33 \pm 0.07$	$1.21 \pm 0.07$	$7.91^{+15.07}_{-5.39}E-1$	$7.23^{+13.77}_{-4.92}E-1$	3
SDSSJ1635+2911	1.59	41.68	$1.23 \pm 0.07$	$5.37 \pm 0.30$	$7.36^{+14.03}_{-5.01}E-1$	$3.05^{+5.82}_{-2.09}E-1$	3

**Notes.** We list the name and redshift of the pair, the physical separation between the two quasars, along with the luminosity and BH mass for both quasars in the pair. The last column lists the reference for the photometric or spectroscopic information. (1) Hennawi et al. (2006), (2) Myers et al. (2007), (3) Myers et al. (2008), (A) Vestergaard et al. (2008)

evolving binaries. Mortlock et al. (1999) analyzes the same sample, providing a dynamical model that suggests that double quasars are associated with the very first stages of galaxy mergers. They compare the dynamical timescale of the mergers, which results close to a Hubble time, to the expected quasar lifetime. Comparison of the timescales implies that binary quasars are short-lived. They further suggest that the most likely explanation for the death of the binaries is that the in-flow of gas ceases, probably as the merger becomes more stable.

We build-up on the inspirational paper by Mortlock et al. (1999), and analyze the larger sample of double quasars available today. We focus on the currently favored merger scenario, comparing the double quasar population to models related to merger simulations, and deriving black hole and galaxy properties using the most recent results on quasar-host correlations. The redshift dependences of the observationally determined relations linking MBHs to their hosts is an important factor in determining the merging timescale. We discuss the implications of the claimed observed redshift-dependent scaling relations in terms of quasar host and pair fraction evolution.

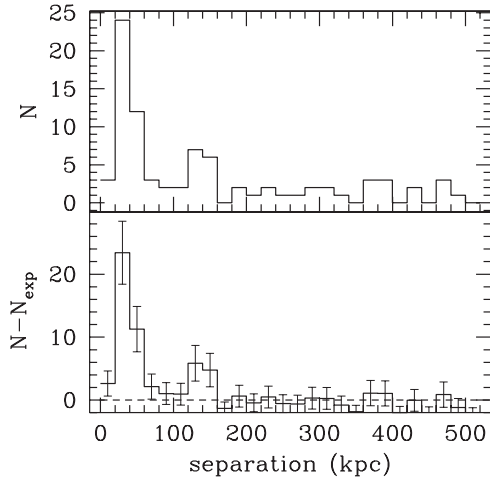
## 2. SAMPLE SELECTION

For our sample, we select a total of 85 quasar pairs reported in the following papers: Hennawi et al. (2006; H06), Myers et al. (2007; M07), and Myers et al. (2008; M08). The quasars in our sample are selected as physical pairs rather than lenses. The authors of our sample papers list several ways to establish whether a quasar pair is a lens or a binary. The characteristics of a lens include similar optical and radio flux ratios between the two images, measured velocity differences  $\lesssim 1000 \text{ km s}^{-1}$ , an observation of the lens candidate, an observation of more than two images, a measured time delay between images, and an identical set of spectra.

H06, from which we take 69 out of our 85 quasar pairs, report quasar pairs observed using three samples from the Third Data Release (Schneider et al. 2005) of the Sloan Digital Sky Survey, namely the SDSS Spectroscopic Quasar Sample, the SDSS Faint Photometric Quasar Sample, and the SDSS + 2QZ Quasar Sample. H06 select quasar pairs using three different methods. For pairs at separation  $\Delta\theta < 3''$ , the authors examine the SDSS in search of gravitationally lensed quasars and select pairs that do not meet the lens criteria discussed in Kochanek et al. (1999). For pairs with  $\Delta\theta > 3''$ , the authors further compare the emission of the two quasars at radio wavelengths. A pair must be a binary if it is composed by one radio bright image and one radio quiet image. Three of the reported pairs are confirmed as binaries using this method. For pairs at larger separations, they use color selection via the digital photometry of the SDSS. Follow-up observations were made to confirm the binary hypothesis.

Finally, M07 report quasar pairs found in the Fourth Data Release of the SDSS. The authors use the color selection technique outlined in Richards et al. (2004) to distinguish quasars among  $\sim 300,000$  SDSS objects. M07 reports 111 quasar pairs with separations  $\Delta\theta < 0.1$ . Of these 111 pairs, we select eight, requiring both images be at the same photometric redshift. We use all pairs from Table 1b in M08. These quasars are confirmed binaries and are all included in M07.

Table 1 lists the data for each pair. The distribution of physical three-dimensional separations, assuming a concordance cosmology (Spergel et al. 2007), is shown in Figure 1. We do not find any trend between quasar separation and luminosity. To estimate the significance of the distribution over chance superpositions, we subtract in every bin the number of companions expected within that bin, based on the extrapolation of the quasar correlation function. For simplicity, we adopt a single power-law function  $\xi(r) = (r/r_0)^\gamma$  (Porciani et al. 2004, where



**Figure 1.** Distribution of physical separations of double quasars. The overall distribution peaks at  $\sim 30$  kpc, with a tail extending to more than 100 kpc. The bottom panel shows the distribution when the extrapolation of the power-law quasar correlation function is subtracted (Porciani et al. 2004). Both the peak  $\simeq 30$  kpc, and the large separation pairs (100–200 pc) are above the expected number of chance superpositions.

$r_0 = 6.6$  Mpc,  $\gamma = -1.53$ ), although our sample covers a large redshift range (see also Hennawi et al. 2006). Most of the pairs are found either at galactic separations ( $< 60$  kpc), in agreement with the results, and the arguments, of Kochanek (1999) and Mortlock (1999). The scales over with binarity is common correspond to those where tidal perturbations become important during the early phases of galaxy mergers. A number of pairs above the expected number of chance superpositions appears also at larger scales ( $\sim 150$  kpc). We will discuss these pairs further in Sections 6 and 7.

### 3. SAMPLE ANALYSIS

#### 3.1. Bolometric Luminosities

Our first step consists in creating a uniform photometric sample, by deriving  $B$ -band luminosities for all quasars in our sample.

We convert the  $g$ - and  $u$ -bands to the  $B$ -band using a conversion appropriate to quasar spectral energy distributions:  $B = g + 0.17(u - g) + 0.11$  (Jester et al. 2005). From the apparent magnitude  $B$ , we derive the intrinsic luminosity  $L_B$  in a concordance cosmology (Spergel et al. 2007). The conversion proposed by Jester et al. (2005) was found using synthetic photometry using quasars from the SDSS as well as from the Bright Quasar Survey.

Bolometric luminosities  $L_{\text{bol}}$  are found using the relation

$$\log L_B = 0.80 - 0.067\mathcal{L} + 0.017\mathcal{L}^2 - 0.0023\mathcal{L}^3, \quad (1)$$

where  $\mathcal{L} = \log(L_{\text{bol}}/L_\odot) - 12$  (Marconi et al. 2004). Bolometric luminosities range from  $6.69 \times 10^{11} L_\odot$  to  $5.94 \times 10^{14} L_\odot$ . The average bolometric correction found from the above equation is  $L_{\text{bol}}/L_B = 5.6$ .

#### 3.2. Black Hole Masses

For a sample of 41 quasars belonging to the Sloan Data Release 3 we can use MBH masses derived by Vestergaard et al. (2008) by adopting the scaling relations based on the broad emission line widths and nuclear continuum luminosities (e.g., Vestergaard 2002; Warner et al. 2003; Vestergaard & Peterson

2006; Peterson et al. 2004). For the remaining quasars, we derive black hole masses by applying a constant Eddington ratio,  $f_{\text{Edd}}$ . We compute  $f_{\text{Edd}}$  on the sample compiled by Woo & Urry (2002), selecting sources with luminosities in the same range as our quasars. We find a median Eddington ratio  $f_{\text{Edd}}$  of 0.29 with a 0.3 dex scatter. Kollmeier et al. (2006) find  $f_{\text{Edd}} = 0.25$  with a 0.3 dex scatter on a sample of X-ray and mid-infrared ( $24 \mu\text{m}$ ) AGNs from the AGN and Galaxy Evolution Survey where black hole masses are measured using  $H\beta$ ,  $\text{Mg II}$ , and  $\text{C IV}$  line emission along with continuum luminosities. This result is consistent with our Eddington ratio of 0.29. Using  $L_{\text{bol}}/L_\odot = 3.27 \times 10^4 f_{\text{Edd}} (M_{\text{BH}}/M_\odot)$ , black hole masses range from  $7.05^{+13.4}_{-4.76} \times 10^7 M_\odot$  to  $6.26^{+12.0}_{-4.31} \times 10^{10} M_\odot$ .

As a further check on our black hole masses, we apply also the relation suggested by Peng et al. (2006), based on the blue luminosity of the quasar:

$$\log M_{\text{BH},8} = 7.88 + 0.79 \times \log \left( \frac{\lambda L_{\lambda,5100}}{10^{44} \text{ erg s}^{-1}} \right), \quad (2)$$

where  $M_{\text{BH},8}$  is the black hole mass in units of  $10^8 M_\odot$ . We convert  $L_{\text{bol}}$  to  $\lambda L_{\lambda,5100}$  using  $L_{\text{bol}} \approx 9\lambda L_{\lambda,5100}$  (Peterson et al. 2004; Kaspi et al. 2000). The black hole mass range is  $1.7 \pm 1.0 \times 10^8 M_\odot$  to  $3.7 \pm 3.4 \times 10^{10} M_\odot$ . These black hole masses are consistent within error with those found from the Eddington ratio. Finally, as a final check, for the 41 black holes with masses determined by Vestergaard et al. (2008), the masses we derive stepping through bolometric correction and Eddington ratio are within a factor of two from the more reliable masses estimated by Vestergaard et al. (2008). Whenever an MBH mass is available from Vestergaard et al. (2008), we use the spectroscopically determined MBH value for our analysis.

#### 3.3. Host Galaxy Properties

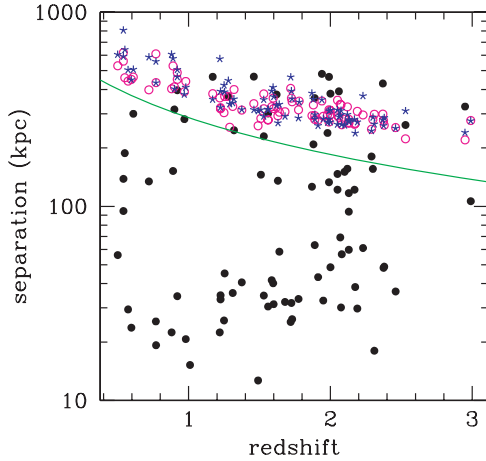
Since our goal is to investigate the dynamical properties of quasar pairs, we need to embed quasars and their black hole engines in appropriate hosts, providing the potential for the dynamical decay. Since measuring quasar host properties rather than with Hubble Space Telescope is daunting, we adopt here an indirect method, in which we *assume* that black hole masses scale with the properties of their hosts (Ferrarese & Merritt 2000; Tremaine et al. 2002; Treu et al. 2004; McLure et al. 2006; Peng et al. 2006; Hopkins et al. 2007). Albeit indirect, our method allows us to consider how different correlations, and their possible redshift evolution, affect the dynamical evolution of quasar pairs.

Using black hole masses,  $M_{\text{BH}}$ , we then proceed to calculate several properties of the galaxies that host the quasars in our sample, namely stellar velocity dispersion  $\sigma$ , stellar bulge mass  $M_{\text{bulge}}$ , dark matter halo mass  $M_{\text{halo}}$ , and dark matter halo radius  $R_{\text{halo}}$ . Our starting point for the analysis will be in one case the  $M_{\text{BH}}-\sigma$  relation from Tremaine et al. (2002; case A), and in a second instance the  $M_{\text{BH}}-M_{\text{bulge}}$  relation from Häring & Rix (2004; case A), which does not include redshift evolution. We also test the redshift evolution of the correlation between  $M_{\text{BH}}-\sigma$  suggested by Treu et al. (2004), the  $M_{\text{BH}}-M_{\text{bulge}}$  relation from McLure et al. (2006; cases C and D). We will comment on this test in Section 4.

##### 3.3.1. Case A: The Velocity Dispersion

Our first endeavor at estimating the properties of the host stems from the correlation between black hole mass and velocity dispersion of the host bulge (Ferrarese & Merritt 2000; Tremaine





**Figure 2.** Physical separations of double quasars as a function of redshift (solid circles). The sizes of the halos that we derive for our sample are shown as well. Open circles: case A, velocity dispersion. Asterisks: case B, bulge masses. For comparison we show by a solid curve the size of a halo with mass  $5 \times 10^{12} M_{\odot}$ , the typical quasar host halo found in clustering analysis (Myers et al. 2007; Coil et al. 2007).

(A color version of this figure is available in the online journal.)

et al. 2002; Woo et al. 2008). In particular, we adopt the correlation proposed by Tremaine et al. (2002), for the more simplified definition of velocity dispersion, and the relation proposed by Woo et al. (2008) to test evolutionary effects (see Section 4).

From black hole masses we compute stellar velocity dispersions via

$$\log M_{\text{BH},8} = 0.13 + 4.02 \log \sigma_{200}. \quad (3)$$

From this relation, we find stellar velocity dispersions to range from  $160 \text{ km s}^{-1}$  to  $540 \text{ km s}^{-1}$ .

Since one of our goals is to compare the sample of quasar pairs to the merger scenario, we relate the bulge mass to a velocity dispersion by assuming the “fundamental plane of black holes” proposed by Hopkins et al. (2007), where the authors use galactic merger simulations to relate MBH masses, host bulge mass and velocity dispersion. The plane defined in Hopkins et al. (2007) is claimed to be redshift independent, if quasar progenitors at each redshift have a wide range of gas fractions. Once we derive velocity dispersions from the MBH masses using the relationship from Tremaine et al. (2002) we use

$$\log M_{\text{BH},8} = 0.11 + 0.54 \log M_{\text{bulge},11} + 1.82 \log \sigma_{200} \quad (4)$$

to find the bulge masses of the host galaxies in our sample, where  $\sigma_{200}$  is the velocity dispersion in units of  $200 \text{ km s}^{-1}$  and  $M_{\text{bulge},11}$  is the bulge mass in units of  $10^{11} M_{\odot}$ .

From this relation we find  $M_{\text{bulge}}$  to range from  $3.2 \times 10^{10} M_{\odot}$  to  $1.2 \times 10^{13} M_{\odot}$ . Assuming that the stellar velocity dispersion is a proxy for the virial velocity (Ferrarese 2002), we can find the properties of the host dark matter halos. From the virial theorem and the spherical collapse model, we derive dark matter halo masses that range from  $4.5 \times 10^{12} M_{\odot}$  to  $1.9 \times 10^{13} M_{\odot}$ , and the radii of the dark matter halo are in the range 190–660 kpc. The masses of the host halos are in agreement with, although slightly higher than, the typical masses of quasar hosts derived from clustering analysis (Myers et al. 2007; Coil et al. 2007; see Figure 2).

### 3.3.2. Case B: The Bulge Mass

We can derive the mass of the host bulge by applying two observational, empirical relations, one that was found for local quiescent MBHs (Marconi & Hunt 2003; Häring & Rix 2004) and one that was found for high-redshift radio-loud quasars McLure et al. (2006). Our case B adopts the relationship proposed by Häring & Rix (2004):

$$\log M_{\text{BH},8} = 0.2 + 1.12 \log M_{\text{bulge},11}. \quad (5)$$

Bulge masses are in the range  $2.9 \times 10^{10} M_{\odot}$  to  $6.2 \times 10^{12} M_{\odot}$ . We will discuss the effect of adopting the relationship proposed by McLure et al. (2006) in the next section.

We now reverse the method used for case A and we apply Equation (2) to compute velocity dispersions starting from the stellar bulge masses. Velocity dispersions range from  $170 \text{ km s}^{-1}$  to  $840 \text{ km s}^{-1}$ . We can compare the velocity dispersion that we derive “directly” from the black hole properties, e.g., using Tremaine et al. (2002), to the velocity dispersion that we derive “indirectly” by applying in order the relationship by Häring & Rix (2004) to find the bulge mass and then the black hole fundamental plane to find the velocity dispersion, from black hole and bulge mass. The relationship reads  $\log M_{\text{BH},8} = 0.02 + 3.50 \log \sigma_{200}$ , leading to a steeper dependence of  $\sigma$  on BH mass. The “indirect” method therefore results in a larger velocity dispersion at fixed BH mass for  $M_{\text{BH}} > 2 \times 10^7$ . From the stellar velocity dispersion we once again find the dark matter halo mass, ranging from  $4.8 \times 10^{12} M_{\odot}$  to  $3.0 \times 10^{13} M_{\odot}$ . The radii of the dark matter halo range from 180 kpc to 840 kpc.

## 4. REDSHIFT EVOLUTION OF MBH–HOST CORRELATIONS

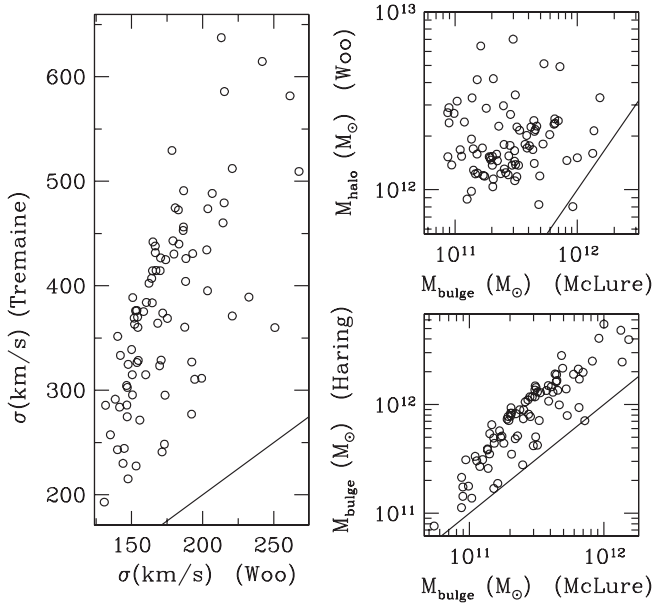
In the previous models we have assumed that the correlations between black holes and their host are redshift independent. This is indeed claimed, theoretically, for the black hole fundamental plane (Hopkins et al. 2005). However, the two correlations between  $M_{\text{BH}}$  and  $M_{\text{bulge}}$ , and  $M_{\text{BH}}$  and  $\sigma$  might evolve with the cosmic time (McLure et al. 2006; Peng et al. 2006; Treu et al. 2004; Woo et al. 2006).

### 4.1. Case C: Redshift Evolution of $M_{\text{BH}}-M_{\text{bulge}}$

McLure et al. (2006) use the 3C RR sample of radio-loud quasars to investigate the evolution of the correlation between black hole and bulge masses in the redshift range  $0 < z < 2$ . Stellar bulge masses are computed by the authors for a sample of radio-loud quasars from the 3C RR sample from  $K$ -band magnitude measurements, while black hole masses are found from  $\text{H}\beta$ ,  $\text{Mg II}$ , or  $\text{C IV}$  line widths.  $M_{\text{bulge}}-z$  and  $M_{\text{BH}}-z$  relations are found independently, and the two are combined to form the relation we use. Below  $z = 1$  the 3C RR sample is consistent with a black hole weighing 0.002 times the mass of the bulge. The ratio between black hole and bulge mass is found to evolve with redshift as  $M_{\text{BH}}/M_{\text{bulge}} \sim (1+z)^2$ . We define a case C, where from black hole masses we compute stellar bulge masses via

$$\log(M_{\text{BH}}/M_{\text{bulge}}) = 2.07 \log(1+z) - 3.09 \quad (6)$$

(McLure et al. 2006), and subsequently calculate velocity dispersions using Equation (4).



**Figure 3.** Comparison between galaxy properties derived directly from black hole masses, using the relationships found for  $z > 0$  black holes (Woo et al. 2008; McLure et al. 2006). Left panel: velocity dispersions. Right bottom panel: bulge masses. Right top panel: bulge mass vs halo mass, if we assume that the velocity dispersion can be used as a tracer of the total potential (e.g., Ferrarese 2002).

#### 4.2. Case D: Redshift Evolution of both $M_{\text{BH}}-M_{\text{bulge}}$ and $M_{\text{BH}}-\sigma$

Treu et al. (2004) and Woo et al. (2006) estimate black hole masses for a sample of AGNs at  $z = 0.36$  from the  $\text{H}\beta$  line width and the optical luminosity at  $5100 \text{ \AA}$ , based on the empirically calibrated photoionization method (e.g., Kaspi et al. 2000). They also directly measure velocity dispersions from stellar absorption lines in the host spectra. Woo et al. (2006) find that, at a fixed velocity dispersion, the mass of the MBH increases with redshift. In other words, MBHs are hosted by galaxies with smaller velocity dispersion at earlier cosmic times. At redshift  $z$ ,

$$\log M_{\text{BH}}(z) - \log M_{\text{BH}}(0) = 1.66z + 0.04. \quad (7)$$

Treu et al. (2007) further find that, for the same galaxies in the sample, MBHs are hosted by galaxies with smaller bulges, with a redshift dependence similar to what McLure et al. (2006) find (at least for  $z \ll 1$ ). The redshift scaling proposed by Woo et al. (2006) has been derived on a sample at a very specific redshift, much lower than the redshift of our quasars (see Table 1 and Figure 2). The extrapolation of their relationship at much higher redshifts leads to some “peculiar” cases, such as our highest redshift quasar, apparently powered by a  $1.4 \times 10^{10} M_{\odot}$  MBH, strikes us as being hosted by a bulge with velocity dispersion less than  $50 \text{ km s}^{-1}$ . Furthermore, in this case if we were to assume that the velocity dispersion can be used as a tracer of the dark matter potential the mass of the halo would be roughly equivalent to the mass of the bulge.

A more recent analysis by Woo et al. (2008) modifies the redshift scaling as

$$\log M_{\text{BH}}(z) - \log M_{\text{BH}}(0) = 3.1 \log(1+z) + 0.05. \quad (8)$$

This scaling relation improves somewhat on the “peculiar” cases mentioned above (now the host of the  $1.4 \times 10^{10} M_{\odot}$  MBH

has a velocity dispersion of  $\simeq 210 \text{ km s}^{-1}$ ), and the galaxy properties are now illustrated in Figure 3. Still, the redshift dependence leads to very different properties for the hosts, which reflect on the dynamical evolution, when we compute the merging timescales. Figure 3 illustrates these differences. If the relationships between black hole masses and their hosts are redshift dependent, typically MBHs are hosted in smaller galaxies (both smaller velocity dispersions, and smaller bulges). In most cases, therefore, the separation between the quasars in a pair are larger than the size of their host halos, leading to the conclusion that the merger of the systems is still in its first phases, and has a long way until coalescence.

Our case D couples the relationship by Woo et al. (2008) and McLure et al. (2006) to find joint velocity dispersions and bulge masses.

#### 5. DYNAMICAL FRICTION TIMESCALES

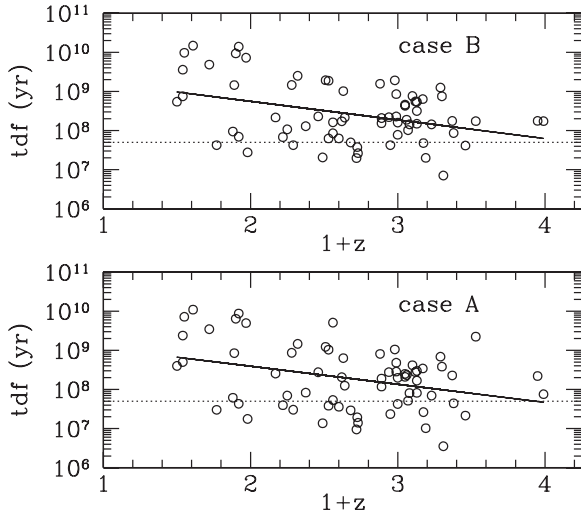
From the host galaxy properties, we can compute dynamical friction timescales  $t_{\text{DF}}$ , i.e., the time needed for the host galaxies to merge, using the Chandrasekhar formula<sup>1</sup> (M99; see also Binney & Tremaine 1987, p. 747)

$$t_{\text{DF}} \simeq 4 \times 10^9 (r_{\text{max}}/20 \text{ kpc})^2 (\sigma_{200}) / (10^9 M_{\odot}/M) \text{ yr}. \quad (9)$$

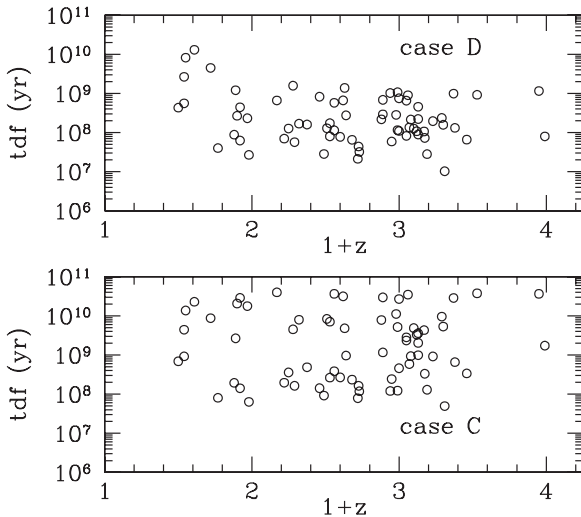
This equation is derived by integrating the equation for the time spent at a separation  $r$ ,  $|dt/dr| \simeq 3.3(\sigma/\text{GM} \ln(\Lambda))r$ , where  $\ln(\Lambda) \simeq \ln(2r_*\sigma^2/\text{GM})$  and  $r_* \simeq 10 \text{ kpc}$  (Lacey & Cole 1993). Here  $\sigma$  is the velocity dispersion of the largest host galaxy, and  $M$  is the mass of the infalling system. To find  $t_{\text{DF}}$  for the galactic mergers of our sample, we use the separation of the quasars as  $r_{\text{max}}$  and the largest velocity dispersion in the pair as  $\sigma$ .  $M$  has to be related to properties of the smaller system (the “satellite”). For quasars with separations larger than the size of their host halos, we assume that the merger of the systems is still in its first phases, and we expect the total time to coalescence and formation of the new galaxy to be determined by the global potential wells, hence we choose  $M = M_{\text{halo}}$  in Equation (9). When instead the two quasars appear to be already “inside” the main host halo, we use  $M = M_{\text{bulge}}$ , assuming that the black holes are still surrounded by their stellar envelopes (Yu 2002). Figure 2 compares the separations between pairs to the typical halo sizes for cases A, B. Only about 20% of mergers appear to be still “outside” the respective halos of galaxies.

Our treatment is very simplified, as it does not include the possibility that we are detecting the quasars at pericenter or apocenter on eccentric orbits (Khochfar & Burkert 2006), however, it is very unlikely to detect a merger at pericentric passage, where the system spends the least amount of time, and our results are not strongly biased if the systems are near apocenter. The timescales we find for galactic mergers are in rough agreement with simulations when we apply the appropriate radii and masses from our sample. For both cases A and B we find that the timescales range from  $10^6$  yr to  $10^{10}$  yr, compared to  $\sim 10^9$  yr from Hopkins et al. (2005). The agreement is best at low redshifts, with merger timescales decreasing with increasing redshift both in cases A and B. We

<sup>1</sup> Detailed calculations of the merging timescales will depend on the galaxy potentials and on orbital parameters of the encounters, e.g., Taffoni et al. (2003); Boylan-Kolchin et al. (2008). Given the uncertainties on which is the most appropriate choice for the potential wells of galaxies, and the fact that there is at most a factor of a few discrepancy between the dynamical friction timescale and the merging timescale in the case of major mergers, we prefer a simple, clear, physically motivated choice such as the Chandrasekhar formula.



**Figure 4.** Dynamical friction timescale for quasar pairs, in case A (bottom) and case B (top). Solid curves are linear fits. The dotted horizontal line marks the Salpeter time,  $t_{\text{Salp}} \sim 4.5 \times 10^7 \text{ yr} (\epsilon/0.1)$ .

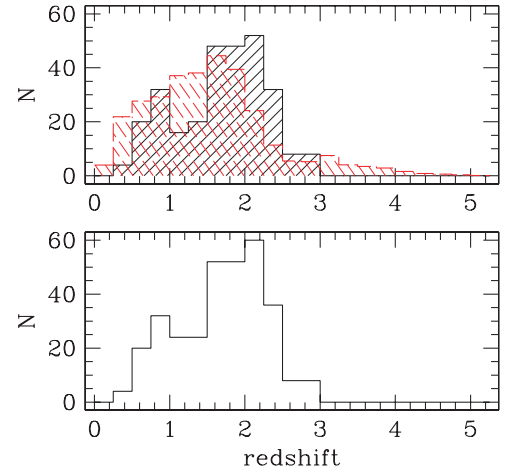


**Figure 5.** Dynamical friction timescale for quasar pairs, in case C (bottom) and case D (top).

show the merger timescales of the quasar hosts as a function of redshift in Figure 4. In our cases C and D the merger timescales vary extremely slowly with cosmic time (Figure 5). The typical merging timescales remain on the order of  $10^8$ – $10^{10}$  years.

## 6. RESULTS

We compare the merger timescales to the lifetime expectancy of quasars in order to understand the link between mergers and quasar fueling:  $N_{\text{double, qso}}/N_{\text{qso}} \simeq t_{\text{qso}}/t_{\text{DF}}$  (see Martini 2004). A numerical investigation of the quasar lifetime in galaxy mergers has been presented in Hopkins et al. (2005). They suggest that the time spent at a given luminosity is “luminosity dependent.” The quasars in our sample have  $L_B > 10^{11} L_\odot$ , which leads to  $t_{\text{qso}} \lesssim 10^7 \text{ yr}$ . However, luminosities larger than  $L_B > 10^{11} L_\odot$  are predicted to occur only after the systems have coalesced, in the merger remnant, where the quasar separation is well below the SDSS resolution limit. Since this set of simulations is not representative of the double quasar population that we are investigating, for sake of simplicity we adopt as “standard” value associated to quasar lifetimes the Salpeter time,  $t_{\text{Salp}} =$



**Figure 6.** Redshift distribution of double quasars in our sample. Bottom panel: all quasars in the sample. Top panel: double quasars from Hennawi et al. (2006) only (solid histogram). For comparison we show the redshift distribution of all quasars in the Fifth Data Release of the SDSS quasar catalog (Schneider et al. 2007, dashed histogram), renormalized by a factor of  $10^{-3}$ .

(A color version of this figure is available in the online journal.)

$\epsilon c \sigma_T / (4\pi G m_p) \sim 4.5 \times 10^7 \text{ yr} (\epsilon/0.1)$ , where  $\epsilon$  is the radiative efficiency. If we compare  $t_{\text{qso}} \sim 4.5 \times 10^7 \text{ yr}$  to the average merging time scale, we find that  $N_{\text{double, qso}}/N_{\text{qso}} \sim 4\%$ – $5\%$  for case A ( $\langle t_{\text{DF}} \rangle = 9.2 \times 10^8 \text{ yr}$ ), and similarly for case B ( $\langle t_{\text{DF}} \rangle = 1.3 \times 10^9 \text{ yr}$ ).

Figure 4 also suggests that, depending on what the intimate link between black holes and their host really is, we should see a varying fraction of double quasars with redshift. We can compute the average merging timescale in 3 redshift bins, and repeat the same analysis. In case A, for quasars at  $z < 1$  we find  $\langle t_{\text{DF}} \rangle = (4.1 \pm 6.2) \times 10^9 \text{ yr}$ , yielding a binary fraction  $N_{\text{double, qso}}/N_{\text{qso}} \lesssim 1\%$ . For quasars at  $1 < z < 2$  the fraction increases, as  $\langle t_{\text{DF}} \rangle = (3.5 \pm 5.6) \times 10^8 \text{ yr}$ , yielding a binary fraction  $N_{\text{double, qso}}/N_{\text{qso}} \sim 3\%$ . In our last redshift bin,  $2 < z < 3$ , the average merging timescale is similar to the previous bin, but the dispersion decreases, as more quasars have similar, short, merging timescales:  $\langle t_{\text{DF}} \rangle = (3.2 \pm 3.9) \times 10^8 \text{ yr}$ , so  $N_{\text{double, qso}}/N_{\text{qso}} \sim 3\%$ . Results are similar for case B. In our cases C and D the merger timescales are roughly redshift independent, leading to the expectation of an approximately constant binary fraction

We postpone a detailed analysis of the redshift dependence of quasar pairs to a forthcoming paper, for now we show in Figure 6 some tentative evidence that the pair fraction might indeed be redshift dependent. Here we can calculate the binary fraction in the same redshift bins where we have compared  $t_{\text{qso}}$  to the merging time scale. We find  $N_{\text{double, qso}}/N_{\text{qso}} \lesssim 0.1\%$  at  $z < 1$ , and also at  $1 < z < 2$ , while  $N_{\text{double, qso}}/N_{\text{qso}} \sim 0.2\%$  at  $2 < z < 3$ .

Assuming that only one physical process triggers quasars, we can compare the overall redshift distribution of quasars in a homogenous statistical sample to the distribution of pairs only. We select only double quasars from Hennawi et al. (2006) and compare their redshift distribution to that of all quasars in the Fifth Data Release of the SDSS quasar catalog (Schneider et al. 2005). Figure 6 shows a hint of increasing pair occurrence at  $z > 1.5$ .

Finally, we compare the typical separations at which binary quasars are observed (Figure 1) to the merger phase and sep-



arations that should correspond to the quasar phase in merger simulations. We find that the distribution of physical separations peaks at  $\sim 30$  kpc, with a tail at larger separations ( $\sim 100$ – $200$  kpc). The peak of the distribution is roughly consistent with the first, earliest (low-luminosity) episode of quasar activity found in equal mass mergers simulations (see Figure 2 in Hopkins et al. 2006), although the numerically predicted luminosities in this phase of the merger are smaller than the typical double quasar luminosity in our sample. The tail of the quasar pairs distribution at large separations is instead inconsistent with any quasar activity predicted by published simulation results.

Nevertheless, the mass ratio of the black holes in the pairs (that we can use as a proxy for the typical mass ratios of the merging galaxies) does not match the 1:1 ratio that was typically selected in galaxy merger simulations. The average mass ratio is  $\langle 2.4 \pm 1.3 \rangle$ , which corresponds to a regrettably unexplored range. When we consider a smaller secondary galaxy, we expect a smaller deceleration due to dynamical friction, and consequently a larger galaxy separation at the first apocenter. Colpi et al. (2007) indeed show that in a 1:4 galaxy merger (Kazantzidis et al. 2005) the first apocenter occurs at approximately 180 kpc.

The presence of the large separations tail suggests that a significant fraction of double quasars is seen at the first apocentric passage, where the two galaxies spend a much longer time with respect to the pericenter. This scenario would follow naturally if gas is dynamically perturbed during the first pericentric passage, forming soon after a gaseous circumnuclear disk (with a size of a few hundred parsecs, e.g., Kazantzidis et al. 2005), but a delay occurs before the gas in the disk loses enough angular momentum to be driven at subparsec scales where it can finally be accreted by the MBH. This final stage likely occurs during the first apocenter, where the quasars are observed, causing the tail at  $\sim 100$ – $200$  kpc.

## 7. CONCLUSIONS

If most galaxies host a MBH (e.g., Richstone 2004) and galaxy mergers trigger quasar activity (Haehnelt & Rees 1993; Wyithe & Loeb 2003; Kauffmann & Haehnelt 2000; Cavaliere & Vittorini 2000; Di Matteo et al. 2005) then the observational sample of binary quasars can be used as a probe of quasar lifetimes. Let's start with Occam's razor and assume that every galaxy hosts a MBH and quasar activity is triggered by galaxy mergers. If the lifetime of quasars equals the merger timescale,  $t_{\text{qso}} = t_{\text{DF}}$ , the probability of observing a double quasar is in principle 100%, if we do not consider additional factors, such as obscuration. If  $t_{\text{qso}} \ll t_{\text{DF}}$ , then the probability is much smaller than 100%. Additionally, if there is a delay in the triggering of the two quasars, then one might have ceased its activity before the other started, for instance. Face value, our results require that the lifetime of quasars is extremely short, about an order of magnitude shorter than the Salpeter time, or the lifetime expected from numerical simulations.

In a merger driven scenario for quasar activity, with MBHs in most galaxies, where naively all sources are expected to be in binaries, the 0.1% binary fraction can be explained in different ways.

1. Quasar pairs are obscured much more than expected from simulations, at Compton thick levels ( $N_H > 10^{24} \text{ cm}^{-2}$ ), otherwise pairs would be easily detected in X-rays.
2. Activity is triggered on only one of the two black holes, or on the MBH(s) in the merger remnant. Even if there is

a MBH binary in the remnant (Hopkins et al. 2006), we should expect the binary to be hard, or at least the MBHs to be bound by the time the galaxy merger remnant has relaxed enough to be considered a “normal galaxy.” A pc-scale binary would not be resolved in the SLOAN or LBQS surveys. However, this hypothesis does not explain pairs occurring at ten-kpc or hundred-kpc scales.

3. There is a time delay between the onset of activity in the two merging systems (e.g., the gas infall timescale depends on the dynamical time of each host, rather than the dynamical time of the merging system, see Colpi et al. (2007)). If the two quasars light up at different, random times, then  $N_{\text{double, qso}}/N_{\text{qso}} \simeq (t_{\text{qso}}/t_{\text{DF}})^2 \simeq 0.1\%$ , consistent with the observational result. If the time delay is longer than the quasar timescale, then binarity is avoided completely.

The average mass ratio of the quasar pairs we analyzed is  $\simeq 2$ , while, since the mass function decreases steeply at large galaxy masses it is more probable that a very massive galaxy<sup>2</sup> interacts with a much smaller secondary. If the mass ratio is very large, quasar activity is not supposed to be triggered at the level of observability our sample requires. If the mass ratio is  $\gtrsim 4$ , quasar activity is expected (Colpi et al. 2007), but the delay between the onset in the primary and in the secondary is too long for the pair to be detected as a “double quasar.” Hence we prefer the third hypothesis above.

Clearly the occupation fraction (that is the fraction of galaxies hosting a MBH) is indeed an important factor. If not all galaxies host a MBH the fraction of binaries decreases. As long as we do not have a demography of inactive MBHs at  $z > 0$ , this issue cannot be addressed properly. This fair comparison has to await for the Laser Interferometric Space Antenna, probing the BH population via gravitational waves detections. However, we can compare our hypothesis to theoretical expectations. In quasar evolution models that evolve the population ab initio a minimum number density of MBHs is required to match the luminosity function of quasars. That is, one can not have less MBHs than quasars, at a given time. With this constraint in mind models such as those described in Volonteri et al. (2003; see also Marulli et al. 2007) require an occupation fraction higher than 90% for MBHs hosted in halos with mass above  $10^{12} M_{\odot}$ , the typical quasar host halo found in clustering analysis (Myers et al. 2007; Coil et al. 2007).

Finally, we compared the typical separations at which binary quasars are observed (Figure 1) to the merger phase and separations that should correspond to the quasar phase in merger simulations. We find that the distribution of physical separations peaks at  $\sim 30$  kpc, with a tail at larger separations ( $\sim 100$ – $200$  kpc). The peak of the distribution is roughly consistent with the first episode of quasar activity found in equal mass mergers simulations (see Figure 2 in Hopkins et al. 2006). The tail of the quasar pairs distribution at large separations does not correspond to any quasar phase predicted by published simulation results. However, the mass ratio of the black holes in the pairs does not match the 1:1 ratio that was typically selected in galaxy merger simulations. The average mass ratio is  $\langle 2.4 \pm 1.3 \rangle$ , a regrettably still unexplored range.

The pairs at large separation could be unequal mass mergers seen at the first apocentric passage. This scenario would follow naturally if gas is dynamically perturbed during the first pericentric passage, but the gas in the disk requires longer timescales

<sup>2</sup> As all the MBHs in our sample have masses above  $10^8 M_{\odot}$ , they are hosted in large galaxies sitting at the steep end of the mass function.



to loose enough angular momentum to be driven at subparsec scales and fuel the MBH. This final stage likely occurs when the two galaxies are at the first apocenter.

Finally, we explored how the redshift dependence (or independence) of the correlations between MBHs and their hosts can be tested using large samples of quasar pairs. If MBHs follow a redshift independent correlation with either the velocity dispersion of the host (e.g., Tremaine et al. 2002; Ferrarese & Merritt 2000; case A), or with the mass of the bulge (e.g., Marconi & Hunt 2003; Haring & Rix 2004; case B), we expect merger timescales to decrease at high redshift, leading to a higher fraction of double quasars. If, on the other hand, the correlations between MBHs and their hosts evolve with time (cases C and D, e.g., McLure et al. 2006; Woo et al. 2006), the merger timescales vary extremely slowly with cosmic time, and an increase in the binary fraction is not expected.

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