# Summary of Toy Scale Model

### November 9, 2018

## 1 Variable Glossary

A is the set of nodes in the multigraph

D is the constant matrix of shortest path travel costs from row location i to column location j

 $L_i$  is the decision variable representing whether or not the supply depot is located at  $i \in A$ 

P is the set of parts to be stocked in order to repair grid elements

 $h_i$  is the cost of stocking excess of part i

 $s_i$  is the cost of stocking out of part i

 ${\cal C}$  is the set of scenarios to be optimized over

 $d_{ic}$  is the demand of part i in scenario c

 $q_i$  is the stock quantity of part i

### 2 Math Model

$$\begin{aligned} & \textit{minimize} \sum_{c \in C} (\sum_{a \in A} \sum_{i \in A} D_{ia} L_i + \sum_{p \in P} h_p(max(q_p - d_{pc}, 0)) + \sum_{p \in P} s_p(max(0, d_{pc} - q_p))) \\ & \text{subject to} \\ & q_i > 0 \quad \forall i \in P \end{aligned}$$

 $L_i \in (0,1)$ 

some budget constraint?

some part size/inventory size constraint?

#### 3 Comments

I'm unsure if inventory size is a necessary constraint since inventory holding areas can usually be expanded if it's going to be necessary. Maybe treat it as a cost to do so

I need to figure out multiple depots still, but that's on the to-do list.