Quy Execution guery Overy Compilation

- Queny Compilation
- a) Parsing. A parse tree is constructed · Create an algebraic expression.
- (b) Query Reunte:
 - · Several equivalent queny expression

 - c) Physical plan generation. Each expression is converted to an evaluation plan by indicating the alg. to use.
- b) and c) are the gren optimizer => find best queny plan:

- 1) Which algebraic expression is the one leading to the most efficient alg.
- 2) For each operation in the expression which alg. will be used to answer it.
- 3) How should each operation pass data to the next operation.
- 4) How are the relations going to be accessed.

$$E_{x}$$
: $R(a,b)$ $S(a,c)$

SELECT * from R natural Join S WHERE b = 5

Equivalent Expressions

$$\begin{array}{cccc}
\nabla_{b=s} & & & \\
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Annotate tree with algorithms and access methodi Result is not stored to disk! dy to use. Nested Loop Join table scan bottom of using b=5. tree Access to relations. => choose fastest! Access to tiplet: · Segrential scan of heap of Rel. · Using an index to scan a about of types of R (index scan) Realt of greny: · Kept in memory.

Iterators:

· Many operations access only, one type at a time.

· read type.

· inspect

· dispose

. read next tiple.

Open () - initiates the process Get Next () - return next tople Close () - ends process

Example:

That a = 3 RThe plant of R

Respectively

Seq scan of R

The and the can be implemented as iterators of inspects one type at a time, sends one type at a time to TT No need to stone any type in memory

Parameters to measure cost

M. Amount of memory available in number of blocks

B(R) # of blocks used by heap of R |P| # of types of R (book uses V(R, a) # of different valuer of atta in 12

In general:

VCP, [a1, az ... an]) = \ X a1, a2... an R | => # of different values for tiple

Git Model

- . We assume that the mager component of oft is I10
- · Gost of read equal to cost of write · Gost of random accurs of pages equal to cost of seg accuss.

Algorithms to answer gener.

2 main classifications.

- a) based on type of algorithm:
 - 1) Sorting based
 - 2) Hash based
 - 3) Index based
- b) based an difficulty.
 - 1) One-pasi: Delatures are read only once.
 - 2) Two passer.
 - · Read data (1st pass)
 - · Procesa
 - · Write data.
 - · Read data agan. (2nd pass).

2nd parr might read diff number of blocks than 1st pass.

3) Three de more passer. (needed fer very large relations).

· Generalization of Two passes.

One Pass Alg.
1) Tuple-at-a time TT, o
· We can read one block at a time. =) use one memony buffer.
The Read one block at atome,
o in spect each tiple,
2 · Repect.
R. Pepe <-1.
if he received tiples from another operation, one tiple at a time with
operation, one type at atime with
The rest of the state of the st
no need for buffering. (on the fly - no menning needed)
11 a. on the fly.
· Receive tople from
M via iterator. OutpA realt
Muaiterator. OutpA realt
· Pepeat.
No block in memory
needed.
BH assure 1 block for simplicity
sake.

Other one pass unary specators. Deplicate elimination (8) · Read each tyle. . If we have seen it ignore . Otherwise output and keep track ofit. We need to keep a copy of each district tople. at mort tiples ! distinct. literator or from R heap) We do not need block for output. > type in realt off pt immediately. We can do & P in one pass as long as: B(&(R)) = M-1. Book user. B(8(2)) & M because M>>1 So use latter for consistency.

Det, how do we know B(B(R)) without calculating & (R) first? >> State. R (a, a2 ... an) We can use V(P, q... an) and the size of the type in P to calclete 1 E(P). Group By: Generalization of &(R) Remember 6(R) = 8 a...an R Y (att list) R We need to keep track of: · Each different value of Kattlint>

· Info needed to compute <explist>.

(9)

- · min (x) / Keep ament min/mex mcx(x)
- · sum (x) · Keep ament sum
 - · count(x) Verp wount count
 - avg (x) Veer both ament count and sum.

We cannot out pA types will be have read all inpt types.

- ·We must also cocate access structures in memory (hash tables, b+trees) to efficiently find group tuple belongs to.
- . In general
 - the amount of money regard per group is small.
 - . Proportional to the number of different groups.

| 8 d'amai P | X V(R, an... ai)

We can do it in one pass if he have enough memory to

- hold all different groups
- · data structures for grack access to
- · any data regreed to compute grouping function.

In general size of tiple of realt much smaller than enjoined tiple.

So ue simplify

We can de group-by in one pars

B(R) < M

One Parr alg. for known operations.

U, N, -, X, M

In practice set operations of trotyper:

• The sets: Noduplicates (default).

• Bags: deplicates.

UNION

INTERSECT & ALL

Except

Prepresented UB, NB, -B

TABLE RUNION ALL TABLES

Rest contains all types in R plus
all types in r.

TABLE & INTERSECT ALL TABLES

if a typle in hais madphicaterin R

and n dylicater in S

resit contains min(m,n) typlicates

of typle.

TABLE R EXCEPT ALL TABLES

if a typle in has madphicaterin R

and n dylicater in S

rest contains min(m-n, 0)

(2)

UB

· Similar to TI:

· We only need to inspect one type at a time.

M = 1. regardless of size of imput.

U

· Permaes diplicater:

· Egnalento. & (RUOS)

The book is wrong. It states we only need to read Sin M-1 and do are -typle-at-a time for R (page 716)

We can do in one pass if $G(RUBS) \leq M$

We can approximate to:

8(B(R))+ 8(B(S)) ≤ M

We can remae diplicates as we read

if typle already read, ignere otherwise 4 output ladd to read typles.

 \bigcap , \bigcap _B, \times , \bowtie , -, -_B.

- . All commutative operations.
- · Keep smaller table in memong (plus data structures for fast access).
- · Plus at most are block for other tenle:

One pair if, approximately: $M = M(B(B), B(S)) \leq M$

Specifically for each of these operations. Because they are commutative, assume

 $B(E) \geqslant B(E)$

Pead S, organize in data structure.

for event typle tim P

if tim S

if bagop > ortput tif needed

otherwise output tirit time only.

Fred S
for every tiple t in R
for every tiple s in S
compete cross produt, output.

M

EMS = OP (EXS)

Since we can do op anthefly.

deer not need memory).

But join is common, so DBMS optimize it!

Freed S
for ever, type t in R
for every type s in S
if t and s satirfy P
output join(t,s)

Liké N, U, etc. Le load smaller table into memony.

But algorithm is different depending on which table is smaller: We always read smaller table into M To compte R-S, R-05. Read S
for every tiple tim R
if troot in S
output
(for — also keep track of those
autput)

To compte S-R, S-BP

- removall diplicates at the same time. For every type to in R if t in S remae from S for -3 remove one approache only

_Output typer left in S