

Dijkstra Algorithm:-

Given an undirected, weighted graph with V vertices numbered from 0 to $V-1$ and E edges, represented by 2d array `edges[][]`. where `edges[i]=[u, v, w]` represents the edge between the nodes u and v having w edge weight. You have to find the shortest distance of all the vertices from the source vertex `src`, and return an array of integers where the i th element denotes the shortest distance between i th node and source vertex `src`.

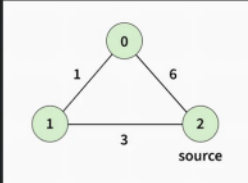
Note: The Graph is connected and doesn't contain any negative weight edge.

Examples:

Input: $V = 3$, `edges[][] = [[0, 1, 1], [1, 2, 3], [0, 2, 6]]`, `src = 2`

Output: `[4, 3, 0]`

Explanation:



Shortest Paths:

For 2 to 0 minimum distance will be 4. By following path 2 -> 1 -> 0

For 2 to 1 minimum distance will be 3. By following path 2 -> 1

For 2 to 2 minimum distance will be 0. By following path 2 -> 2

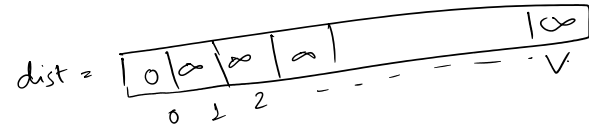
Constraints:

$1 \leq V \leq 10^5$

$1 \leq E = \text{edges.size()} \leq 10^5$

$0 \leq \text{edges}[i][j] \leq 10^4$

$0 \leq \text{src} < V$



class Solution {

public:

vector<int> dijkstra(int V, vector<vector<int>>& edges,

int src) {

vector<vector<pair<int, int>>> graph(V);

vector<int> dist(V, INT_MAX);

for(int i = 0; i < edges.size(); i++) {

graph[edges[i][0]] . push_back(make_pair(edges[i][1],

edges[i][2]));

graph[edges[i][1]] . push_back(make_pair(edges[i][0],

edges[i][2])); }

priority_queue<pair<int, int>, vector<pair<int, int>>,

compare > > >

q.push(make_pair(src, 0));

while(!q.empty()) {

pair<int, int> p = q.top();

q.pop();

... if (first > p.second) dist[p.first] = p.second;

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    q.pop();
    if (dist[p.first] > p.second) dist[p.first] = p.second;
    else continue;

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    for (int i=0; i < graph[p.first].size(); i++) {
        int x = p.second + graph[p.first][i].second;
        q.push(make_pair(graph[p.first][i].first, x));
    }

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    }
    return dist;
}

```

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struct compare {
    bool operator()(const pair<int, int> &a,
        const pair<int, int> &b) {
        return a.second > b.second;
    }
}

```

```

}
}
}

```

T.C. $O(E \log V)$

S.C. $O(V)$