

# Maximum Candies Allocated to K Children

## 2226. Maximum Candies Allocated to K Children

Medium Topics Companies Hint

You are given a 0-indexed integer array `candies`. Each element in the array denotes a pile of candies of size `candies[i]`. You can divide each pile into any number of **sub piles**, but you **cannot** merge two piles together.

You are also given an integer `k`. You should allocate piles of candies to `k` children such that each child gets the **same** number of candies. Each child can be allocated candies from **only one** pile of candies and some piles of candies may go unused.

Return the **maximum number of candies** each child can get.

### Example 1:

Input: `candies = [5,8,6]`, `k = 3`

Output: 5

Explanation: We can divide `candies[1]` into 2 piles of size 5 and 3, and `candies[2]` into 2 piles of size 5 and 1. We now have five piles of candies of sizes 5, 5, 3, 5, and 1. We can allocate the 3 piles of size 5 to 3 children. It can be proven that each child cannot receive more than 5 candies.

### Example 2:

Input: `candies = [2,5]`, `k = 11`

Output: 0

Explanation: There are 11 children but only 7 candies in total, so it is impossible to ensure each child receives at least one candy. Thus, each child gets no candy and the answer is 0.

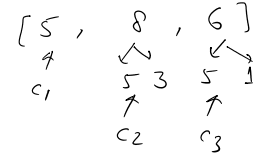
### Constraints:

- $1 \leq \text{candies.length} \leq 10^5$
- $1 \leq \text{candies}[i] \leq 10^7$
- $1 \leq k \leq 10^{12}$

Seen this question in a real interview before? 1/5

candies

eg `candies = [5,8,6]`, `k = 3`



max. candies = 5

Observations:-

1.  $k$  must be equal to  $n$ .

2.  $lo = 1$

$hi = \min(\text{candies})$ .

3. Test function checks if  $mid$  is less than/ equal to all elements.

Here we need maximum value, so binary search conditions are changed.

while ( $lo < hi$ ) {

$\text{int mid} = \frac{lo + hi}{2};$

if (test(candies, mid))  $\text{ans} = \text{mid};$   $lo = \text{mid} + 1;$

else  $hi = \text{mid};$

}

return  $\text{ans};$

}

$\begin{matrix} 3 \\ [5, 8, 6] \end{matrix}$

$lo = 1, hi = 6$

①  $\frac{1+6}{2} = 3$

$\text{ans} = 3, lo = 4$

②  $\frac{4+6}{2} = 5$

$\text{ans} = 5, lo = 6$

class Solution {

public:

int maximumCandies(vector<int> &candies,

long long k) {

...

```
long long k) {
```

```
int n = candies.size();
```

```
int lo = 1, hi = INT_MIN, ans = 0;
```

```
for (int i: candies) hi = max(hi, i);
```

```
hi++; // exclusive hi
```

```
while (lo < hi) {
```

```
    int mid = (lo + hi) / 2;
```

```
    if (test(candies, mid, k)) {
```

```
        ans = mid; lo = mid + 1;
```

```
    } else hi = mid;
```

```
    return ans;
```

```
int test (vector<int> &candies, int mid, long long k)
```

```
{ long long ans = 0;
```

```
for (int i: candies) {
```

```
    ans += (i / mid);
```

```
return ans >= k;
```

```
}
```

T.C.  $O(n \log(\max(\text{candies})))$

S.C.  $O(1)$ .