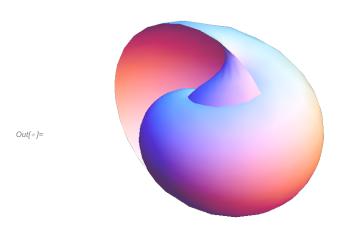
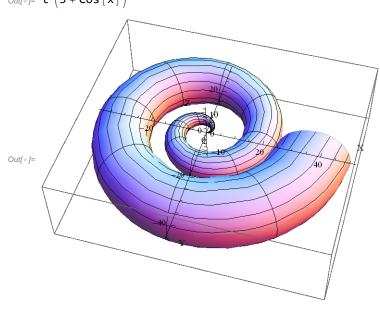
```
In[*]:= radius = (3 + t Cos[x])
      ParametricPlot3D[{radius * Cos[t], radius * Sin[t], t * Sin[x]},
        \{x, 0, 2\pi\}, \{t, 0, 3\pi\}, Axes \rightarrow \{False, False\},
       AxesLabel \rightarrow {"X", "Y", "Z"}, Mesh \rightarrow None, Boxed \rightarrow False, PlotTheme \rightarrow "Classic"]
Out[ \circ ] = 3 + t Cos[x]
```

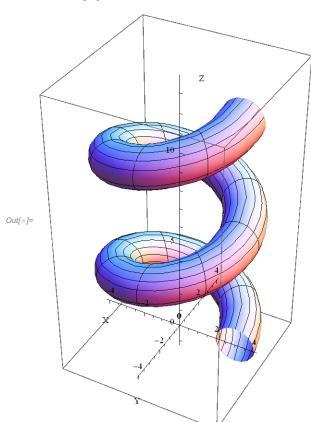


$$\label{eq:loss_continuous_loss} $$ \inf\{s: \ \mathsf{Cos}[x] $ \}$ $$ ParametricPlot3D[\{radius * \mathsf{Cos}[t], \ \mathsf{radius} * \mathsf{Sin}[t], \ \mathsf{t} * \mathsf{Sin}[x] \}, $$ $ \{x, \ 0, \ 2\pi\}, \ \{t, \ 0, \ 4\pi\}, \ \mathsf{AxesOrigin} \to \{0, \ 0, \ 0\}, $$ $ \mathsf{AxesLabel} \to \{\mathsf{"X"}, \ \mathsf{"Y"}, \ \mathsf{"Z"}\}, \ \mathsf{PlotTheme} \to \{\mathsf{"Classic"}\}] $$ Out[s] = $t \left(3 + \mathsf{Cos}[x]\right)$$$

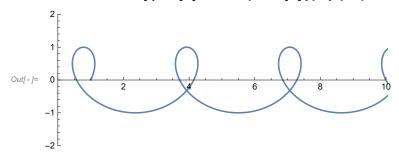


```
In[*]:= radius = (3 + Cos[x])
     ParametricPlot3D[{radius * Cos[t], radius * Sin[t], t + Sin[x]},
       \{x, 0, 2\pi\}, \{t, 0, 4\pi\}, AxesOrigin \rightarrow \{0, 0, 0\},\
      AxesLabel \rightarrow \{"X", "Y", "Z"\}, PlotTheme \rightarrow \{"Classic"\}]
```

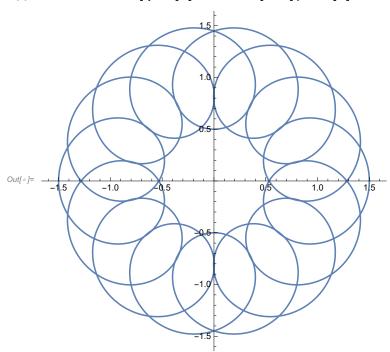




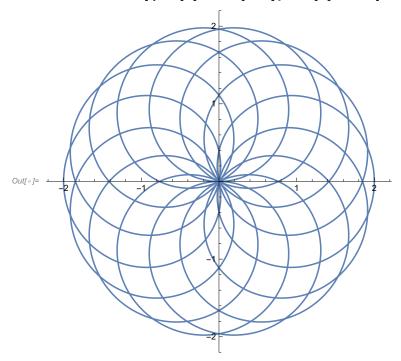
 $ln[*]:= ParametricPlot[{Cos[t] + 0.5t, Sin[t]}, {t, 0, 10\pi}, PlotRange <math>\rightarrow {\{0, 10\}, \{-2, 2\}}]$ 



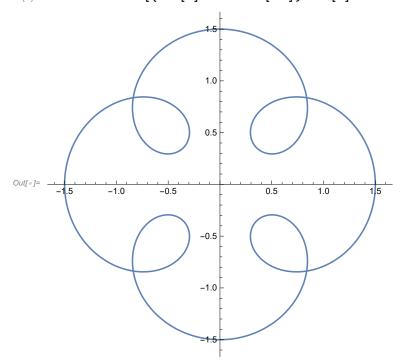
los[\*]:= ParametricPlot[{Cos[t] + 0.5 Cos[15 t], Sin[t] + 0.5 Sin[15 t]}, {t, 0, 2  $\pi$ }]



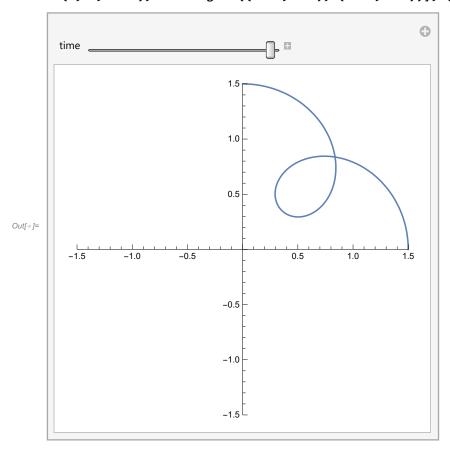
los[\*] ParametricPlot[{Cos[t] + Cos[15t], Sin[t] + Sin[15t]}, {t, 0, 2 $\pi$ }]



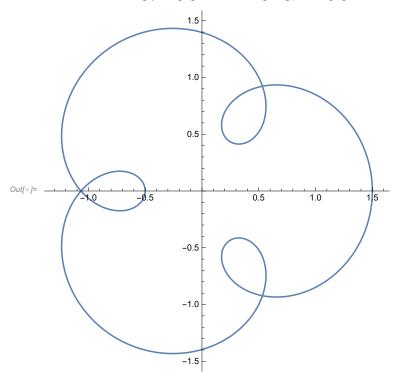
 $los[s] = ParametricPlot[{Cos[t] + 0.5 Cos[5t], Sin[t] + 0.5 Sin[5t]}, {t, 0, 2\pi}]$ 



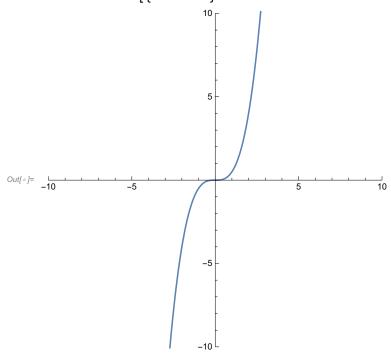
## In[\*]:= Manipulate[ParametricPlot[{Cos[t] + 0.5 Cos[5 t], Sin[t] + 0.5 Sin[5 t]}, $\{t, 0, time\}, PlotRange \rightarrow \{\{-1.5, 1.5\}, \{-1.5, 1.5\}\}], \{time, 0.001, 0.5\pi\}]$



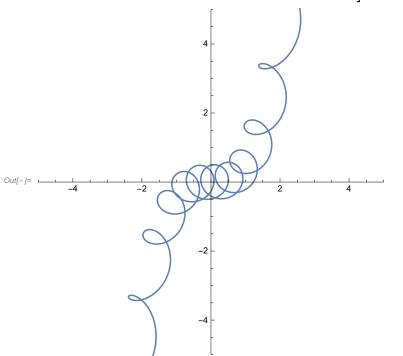
ln[\*]:= ParametricPlot[{Cos[t] + 0.5 Cos[4t], Sin[t] + 0.5 Sin[4t]}, {t, 0, 2 $\pi$ }]

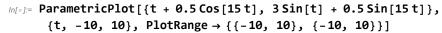


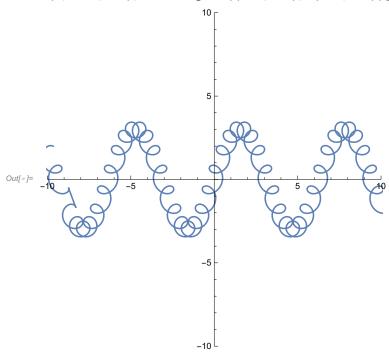
 $log_{0} := ParametricPlot[\{t, 0.5t^3\}, \{t, -10, 10\}, PlotRange \rightarrow \{\{-10, 10\}, \{-10, 10\}\}]$ 



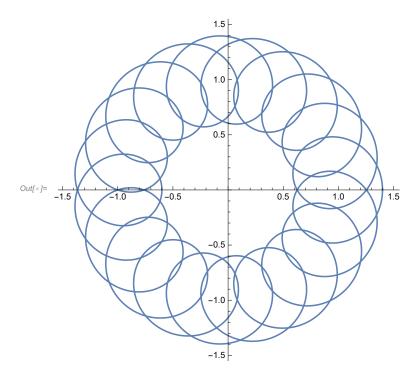
 $lo[*] = ParametricPlot[{t + 0.5 Cos[15t], 0.5 t^3 + 0.5 Sin[15t]}, {t, -10, 10}, PlotRange → {{-5, 5}, {-5, 5}}]$ 



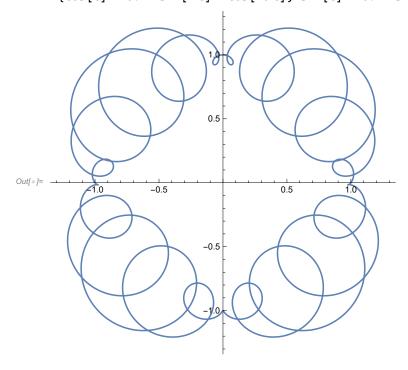




los[\*] ParametricPlot[{Cos[t] + 0.4 Cos[20 t], Sin[t] + 0.4 Sin[20 t]}, {t, 0, 2  $\pi$ }]

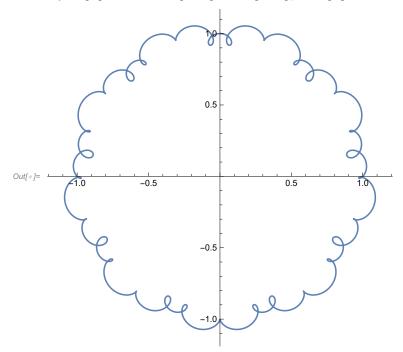


## In[\*]:= ParametricPlot[ $\{\cos[t] + 0.4 * \sin[2t] * \cos[20t], \sin[t] + 0.4 * \sin[2t] * \sin[20t]\}, \{t, 0, 2\pi\}$

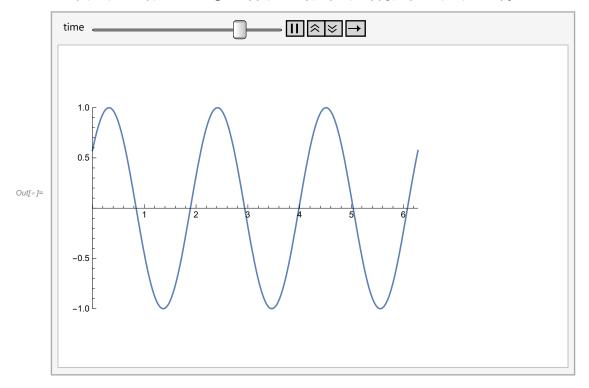


## In[\*]:= ParametricPlot[

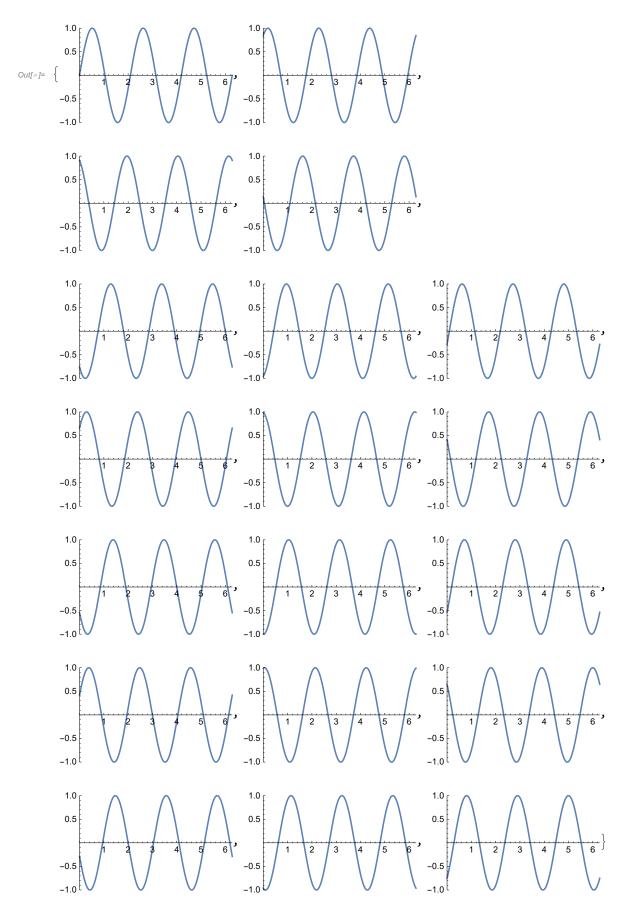
 $\{ \cos[t] + 0.1 * \sin[10t] * \cos[20t], \ \sin[t] + 0.1 * \sin[10t] * \sin[20t] \}, \ \{t, \ 0, \ 2\pi\} ]$ 



```
//o[*]:= gif = Animate[Plot[Sin[3t + time],
         \{t, 0, 2Pi\}, PlotRange \rightarrow \{\{0, 2Pi\}, \{-1, 1\}\}\}, \{time, 0, 6Pi\}\}
```



```
ln[ \circ ] :=  Export["sineTimed.swf", gif]
Out[*]= sineTimed.swf
In[@]:= SystemOpen["sineTimed.swf"]
ln[*]:= gif2 = Table[Plot[Sin[3t + time], {t, 0, 2Pi},
         PlotRange \rightarrow \{\{0, 2Pi\}, \{-1, 1\}\}\}, \{time, 0, 6Pi\}]
     Export["sin.gif",
      gif2]
```



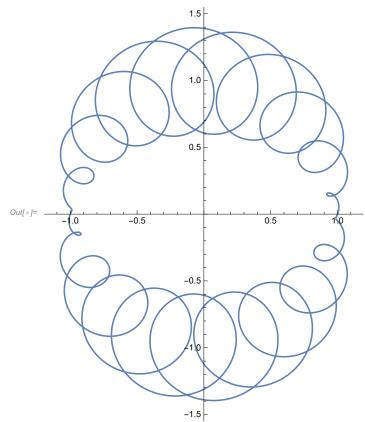
Out[•]= sin.gif

In[@]:= SystemOpen[DirectoryName[AbsoluteFileName["sin.gif"]]]

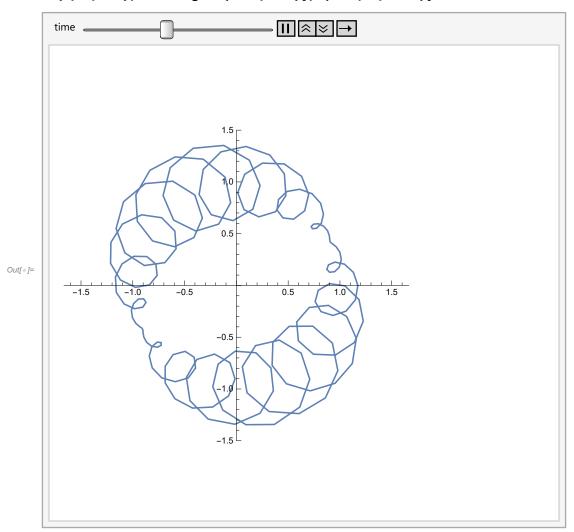
In[\*]:= SystemOpen["sin.gif"]

In[\*]:= ParametricPlot[

 $\{ \cos[t] + 0.4 * \sin[t] * \cos[20t], \\ \sin[t] + 0.4 * \sin[t] * \sin[20t] \}, \\ \{t, 0, 2\pi\} ]$ 



```
In[*]:= Animate[ParametricPlot[
        {\cos[t] + 0.4 * \sin[t + time] * \cos[20t], \sin[t] + 0.4 * \sin[t + time] * \sin[20t]},
        \{t, 0, 2\pi\}, PlotRange \rightarrow \{-1.5, 1.5\}], \{time, 0, 2Pi\}]
```



```
In[ • ]:=
ln[-]:= time2 = 4 Pi + 1; fps = 24; da = 1 / time2; a0 = da;
     frames = Table[ParametricPlot[
          {\cos[t] + 0.4 * \sin[t + time] * \cos[20t], \sin[t] + 0.4 * \sin[t + time] * \sin[20t]},
          {t, 0, 2\pi}, PlotRange \rightarrow {-1.5, 1.5}], {time, a0, da * time2 * fps, da}]
     Export["test.mov", frames, "FrameRate" \rightarrow fps]
```

