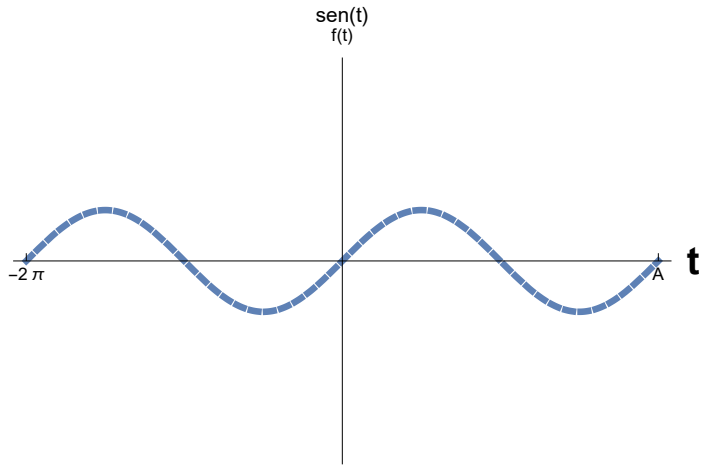
```
(* Comandos usan [],
listas o estructuras de almacenamiento usan {}, metodos usan → *)
(* Si pones xy wolfram piensa que es el nombre de una variable,
si pones x y, como tiene espacio, wolfram piensa que es el producto x * y *)
(* Ctrl + 6: exponentes
  Con tab mueves entre espacios de escritura, el actual espacio se pinta en azul.
   Alt + arriba o abajo con mouse: zoom a un plot (debe hacerse sobre el plot) *)
(* Tienes un metodo, por ejemplo PlotTheme,
y quiero que el tema sea tanto Detailed como clasico,
entonces cambias el input del metodo por una lista de parámetros dentro de {}
 A cualquier constante de texto ("") se le puede hacer un StyleForm *)
Plot[Sin[x], {x, -2 Pi, 2 Pi},
 PlotRange → {-8/2, 8/2}, PlotStyle -> {Dashed, Thickness[0.01]},
 AxesLabel → {StyleForm["t", Bold, 20], "f(t)" },
 Ticks → {{-2 Pi, {2 Pi, "A"}}, None }, PlotLabel → "sen(t)"]
```

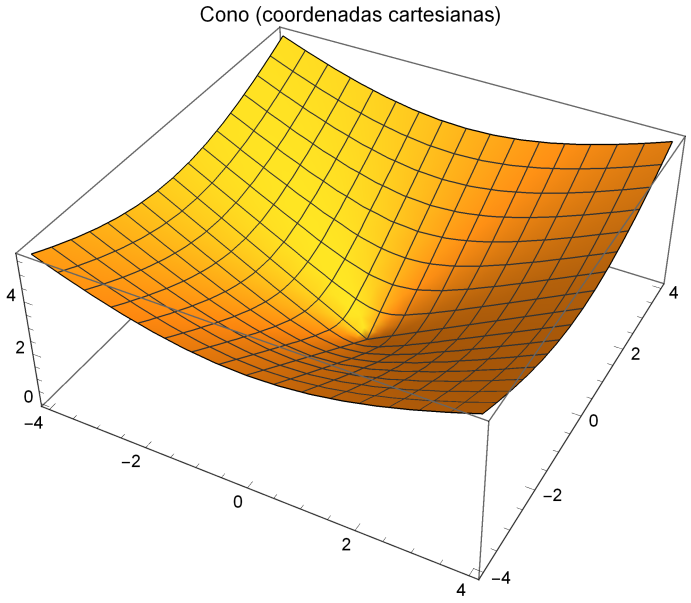
Out[11]=



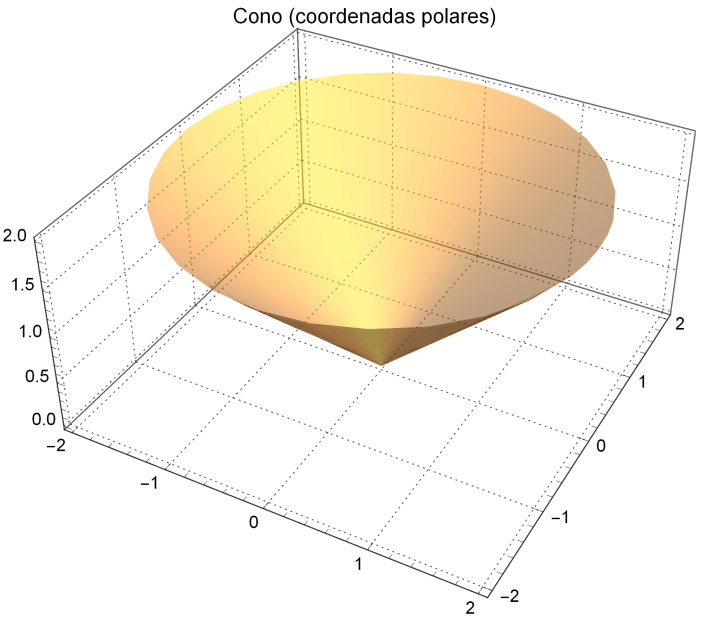
In[58]:=

```
Plot3D[Sqrt[x^2 + y^2], {x, -4, 4}, {y, -4, 4},
 PlotLabel → "Cono (coordenadas cartesianas)", PlotTheme → "Automatic"]
 (* Cono con Plot3D, y este comando necesita funciones*)
ParametricPlot3D[{{r Cos[t], r Sin[t], r}}, {r, 0, 2 },
 {t, 0, 2 Pi}, Mesh → None, PlotStyle → {Opacity[0.5]},
 PlotLabel → "Cono (coordenadas polares)", PlotTheme → "Detailed"]
(* Si no tienes o quieres comandos, mejor parametrizas con coordenadas polares *)
(* Si definimos parametrización en coordenadas cartesianas, tendríamos x = u,
y = v, donde z (dependiente) resultaría igual. Como no sirve,
usamos parametrizaciones llamadas coordenadas polares, esféricas, etc.  *)
ParametricPlot3D[{{r Cos[t], r Sin[t], r^2}}, {r, 0, 2 },
 {t, 0, 2 Pi}, Mesh → None, PlotStyle → {Opacity[0.8]},
 PlotLabel → StyleForm["Paraboloide (coordenadas polares)", Bold,
   15, FontFamily → "Helvetica"], PlotTheme → {"Detailed", "Classic"}]
```

Out[58]=

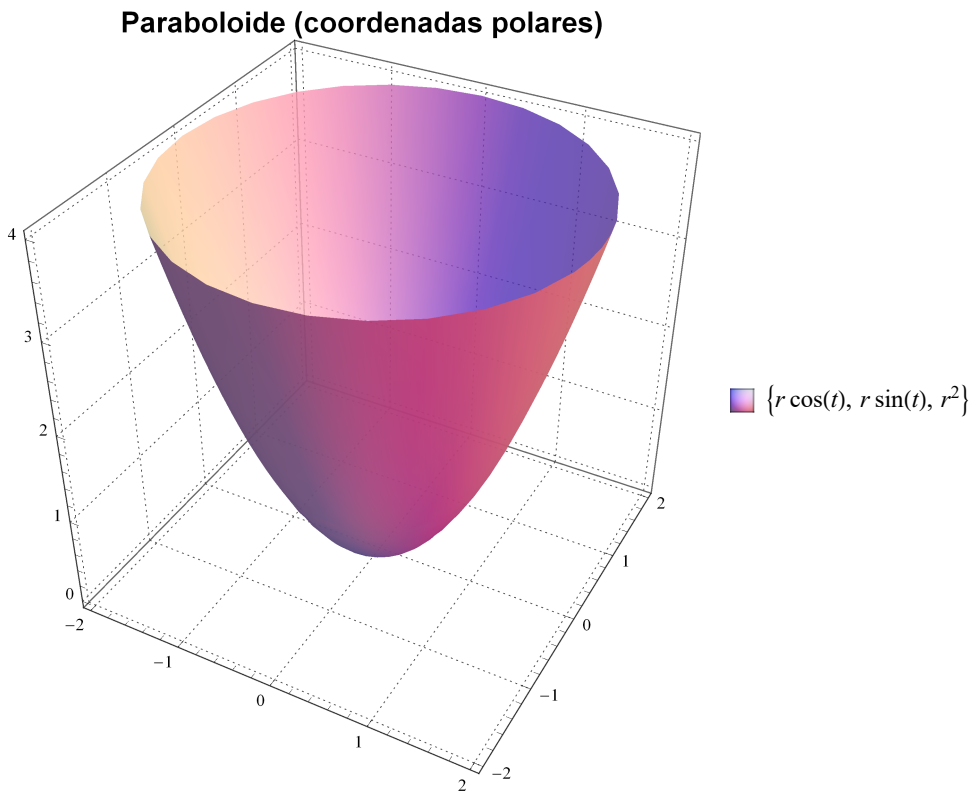


Out[59]=



{r cos(t), r sin(t), r}

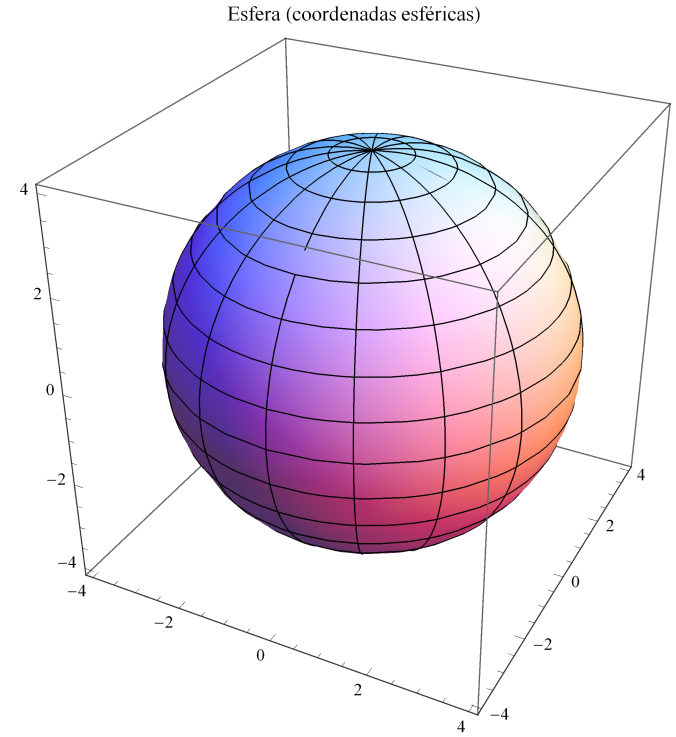
Out[60]=




```
(* Hacer esfera con parametrización de coordenadas esféricas *)
```

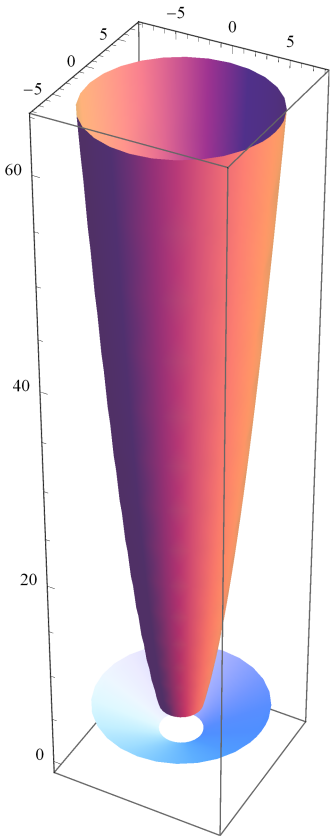
In[5]:=
```
ParametricPlot3D[{{4 Sin[x] Cos[t], 4 Sin[x] Sin[t], 4 Cos[x]}}, {x, 0, Pi},
 {t, 0, 2 Pi}, PlotLabel → "Esfera (coordenadas esféricas)", PlotTheme → "Classic"]
```

Out[5]=



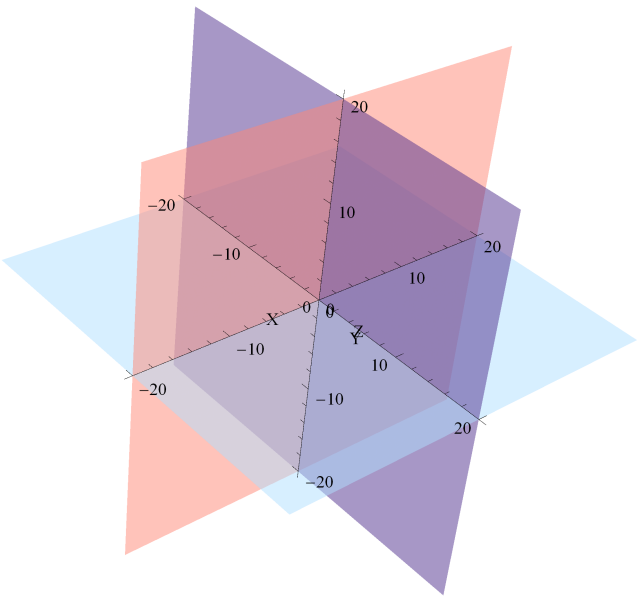
In[26]:=
```
fig1 = ParametricPlot3D[{{r Cos[t], r Sin[t], 1/2 r}, {r Cos[t], r Sin[t], r^2}},
  {r, 2, 8}, {t, 0, 2 Pi}, Mesh → None, PlotTheme → "Classic"]
```

Out[26]=



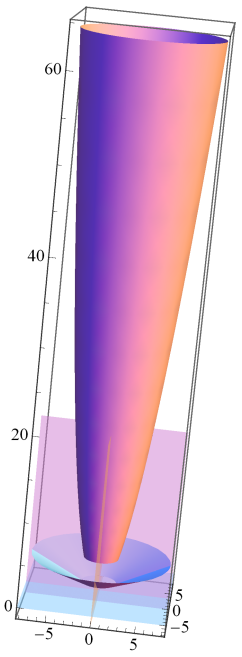
In[19]:=
```
planos = ParametricPlot3D[{{a, b, 0}, {a, 0, b}, {0, a, b}}, {a, -20, 20},
  {b, -20, 20}, Mesh → None, PlotStyle → {Opacity[0.5]}, PlotTheme → "Classic",
  Boxed → False, AxesOrigin → {0, 0, 0}, AxesLabel → {"X", "Y", "Z"}]
```

Out[19]=



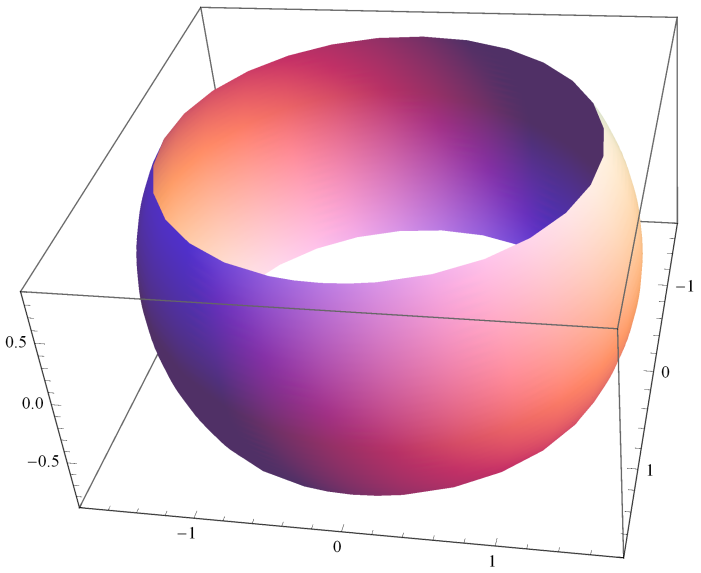
In[20]:=
```
Show[fig1, planos]
```

Out[20]=



In[30]:=
```
ParametricPlot3D[{{Sqrt[3] Sin[x] Cos[t], Sqrt[3] Sin[x] Sin[t], Sqrt[3] Cos[x]}},
 {x, Pi / 3, (2 * Pi) / 3}, {t, 0, 2 Pi}, Mesh → None , PlotTheme → "Classic"]
```

Out[30]=

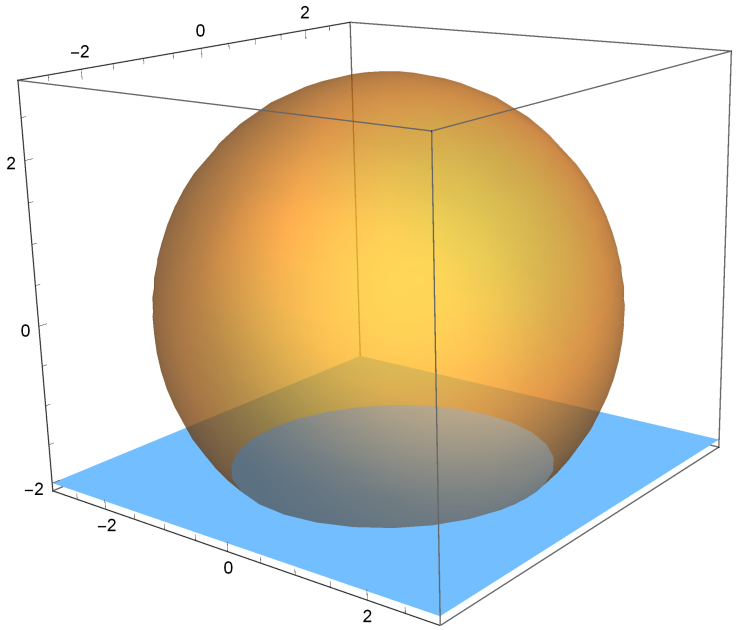



```
(* porción superior de esfera x^2 +  y^2 + z^2 = 8 cortada por plano z = - 2 *)
```

In[20]:=
```
esfera1 = ParametricPlot3D[
  {2 √2 Sin[x] Cos[t], 2 √2 Sin[x] Sin[t], 2 √2 Cos[x]}, {x, 0, 3π/4},
  {t, 0, 2π}, Mesh → None, PlotTheme → "Automatic", PlotStyle → {Opacity[0.5]}]
planoZ = ParametricPlot3D[{x, y, -2}, {x, -4, 4},
  {y, -4, 4}, Mesh → None, PlotTheme → "Classic"]
```

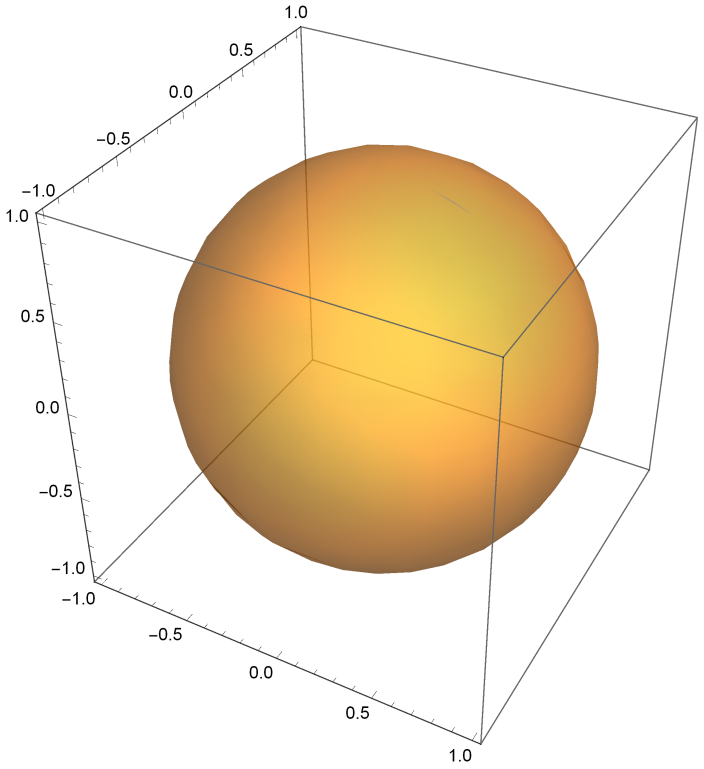
In[22]:=
```
Show[esfera1, planoZ]
```

Out[22]=



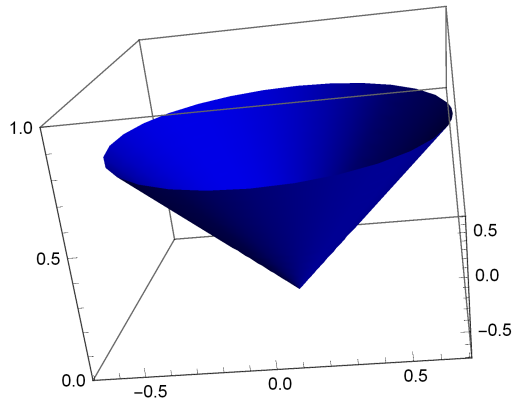
In[4]:=
```
esfera2 = ParametricPlot3D[{Sin[x] Cos[t], Sin[x] Sin[t], Cos[x]}, {x, 0, Pi},
  {t, 0, 2π}, Mesh → None, PlotTheme → "Automatic", PlotStyle → {Opacity[0.5]}]
```

Out[4]=



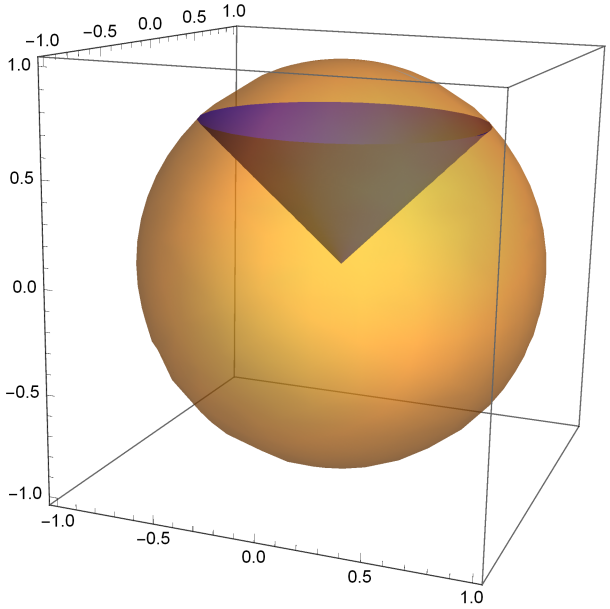
In[20]:=
```
cono2 = ParametricPlot3D[{r Cos[t], r Sin[t], r}, {r, 0, 1/Sqrt[2]}, {t, 0, 2 Pi},
  Mesh → None, PlotStyle → {Blue}, PlotRange → {{-1/Sqrt[2], 1/Sqrt[2]}, {-1/Sqrt[2], 1/Sqrt[2]}, {0, 1}}]
```

Out[20]=



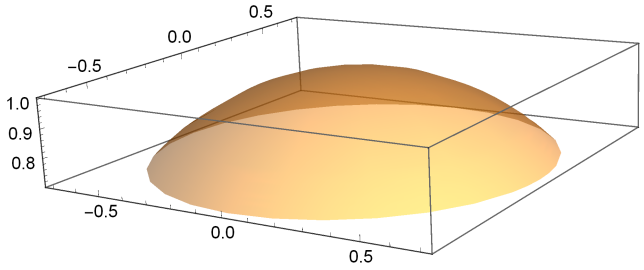
In[21]:=
```
Show[esfera2, cono2]
```

Out[21]=



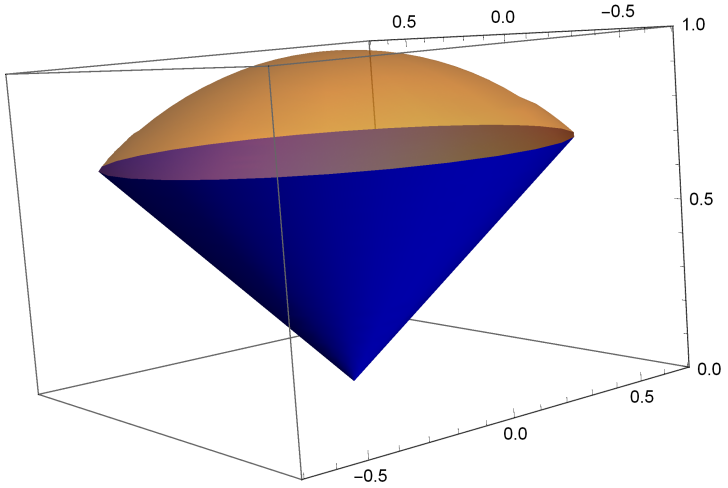
```
esfera3 = ParametricPlot3D[{Sin[x] Cos[t], Sin[x] Sin[t], Cos[x]}, {x, 0, Pi / 4},
  {t, 0, 2 π}, Mesh → None, PlotTheme → "Automatic", PlotStyle → {Opacity[0.5]}]
```

Out[14]=



In[24]:=
```
Show[cono2, esfera3]
```

Out[24]=

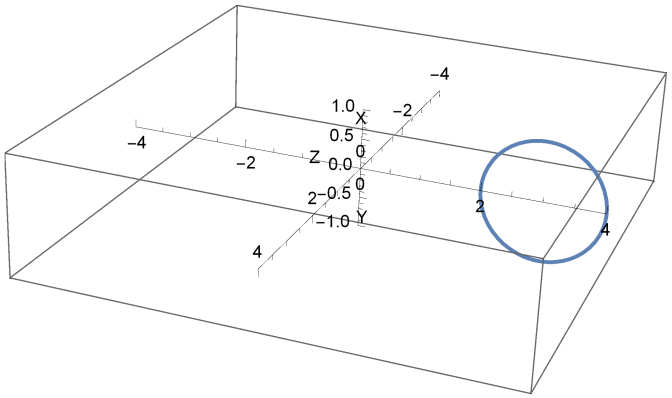



```
(* 1*)

(*ParametricPlot3D[{0, r Cos[x], r Sin[x]}, {r, 0, 2 Cos[x]},
 {x, -Pi / 2, Pi / 2}, AxesOrigin→{0, 0, 0}, AxesLabel→ {"X", "Y", "Z"}]*)
(* cambias centro en x, y la dejas en sinX porque ya está centrada *)
```

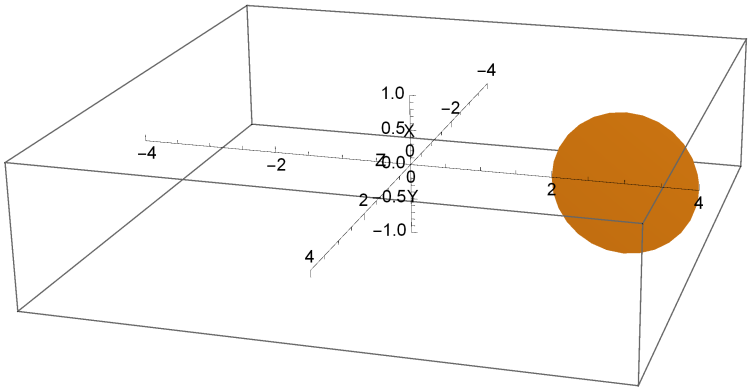
In[73]:=
```
ParametricPlot3D[{0, (3 + Cos[x]), Sin[x]}, {x, 0, 2 Pi}, AxesOrigin → {0, 0, 0},
 AxesLabel → {"X", "Y", "Z"}, PlotRange → {{-4, 4}, {-4, 4}, {-1, 1}}]
```

In[76]:=




```
ParametricPlot3D[{0, (3 + r Cos[x]), r Sin[x]}, {x, 0, 2 Pi},
 {r, 0, 1}, AxesOrigin → {0, 0, 0}, AxesLabel → {"X", "Y", "Z"},
 PlotRange → {{-4, 4}, {-4, 4}, {-1, 1}}, Mesh → None]
```

Out[77]=

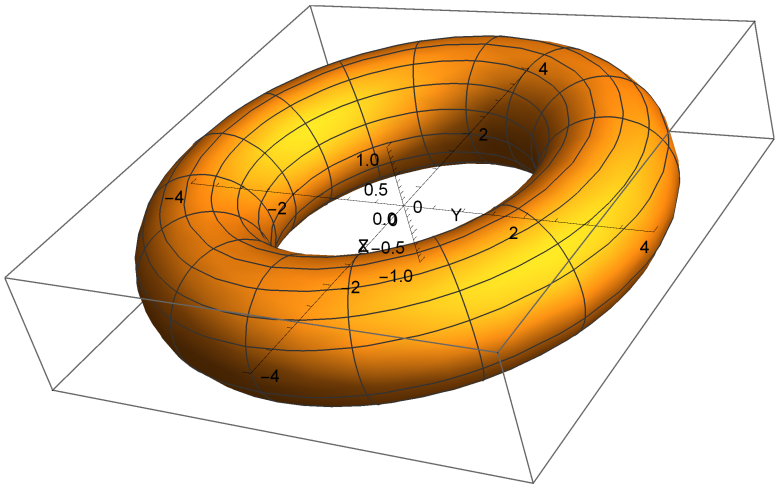



```
(* Ahora la distancia al origen es 3 + cosX *)
distance = (3 + Cos[x])
```

In[72]:=

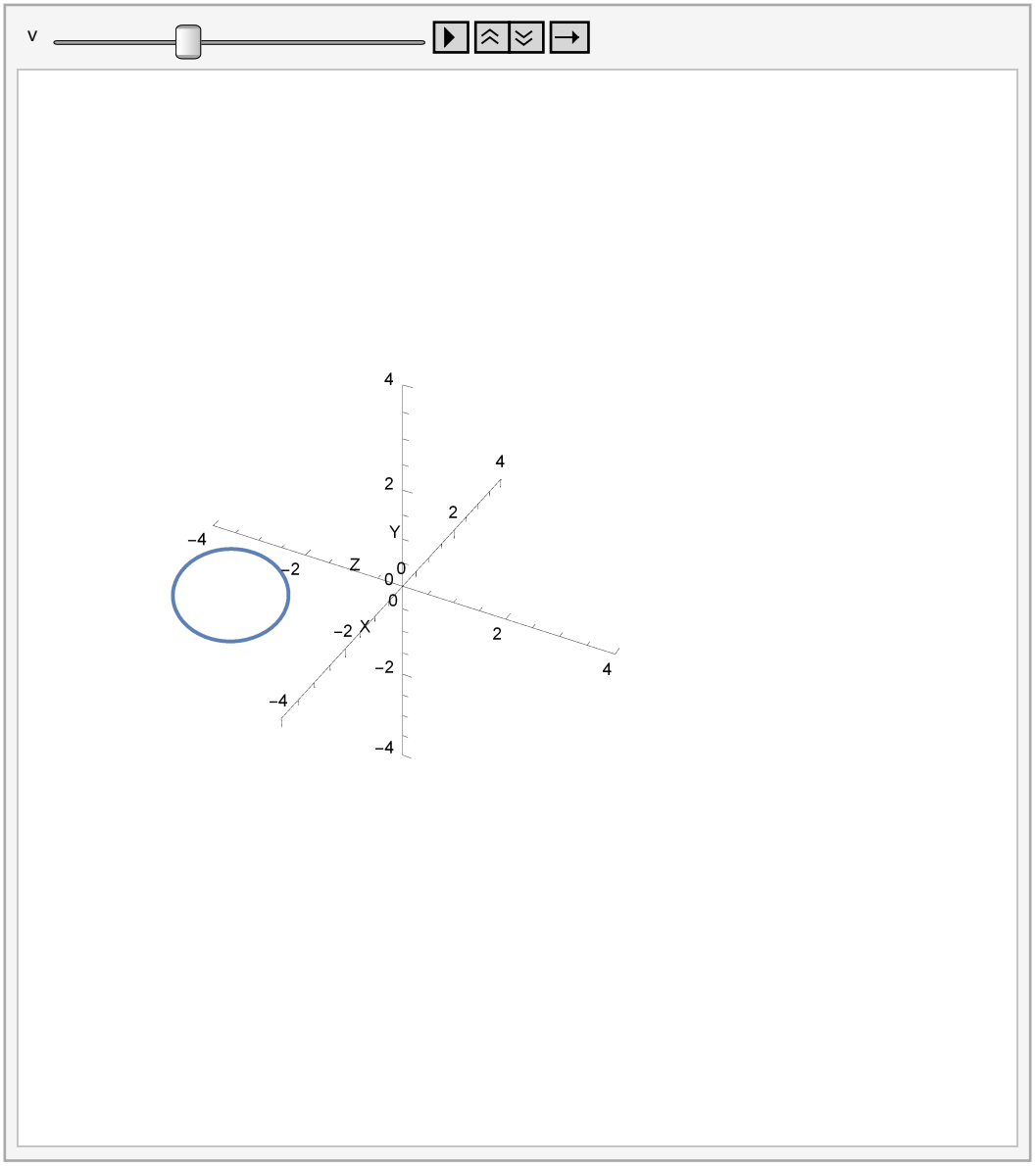
```
ParametricPlot3D[{distance * Cos[t], distance * Sin[t], Sin[x]},
 {x, 0, 2 Pi}, {t, 0, 2 Pi}, AxesOrigin → {0, 0, 0},
 AxesLabel → {"X", "Y", "Z"}, PlotRange → {{-4, 4}, {-4, 4}, {-1, 1}}]
```

Out[72]=



```
Animate[ParametricPlot3D[RotationMatrix[v, {0, 0, 1}].{0, (3 + Cos[x]), Sin[x]},
  {x, 0, 2 Pi}, AxesOrigin → {0, 0, 0}, AxesLabel → {"X", "Y", "Z"}, Boxed → False,
  PlotRange → {{-4, 4}, {-4, 4}, {-4, 4}}], {v, 0, 2 Pi}, AnimationRunning → False]
RotationMatrix[v, {0, 0, 2}] // MatrixForm
(*RotationMatrix[v, {0, 0, 1}].{0, (3 +  Cos[x]), Sin[x]} esto funciona generando
 cada punto y rotándolo, porque una parametrización ya es una matriz *)
```

Out[9]=



Out[10]//MatrixForm=

$$\begin{pmatrix} \text{Cos}[v] & -\text{Sin}[v] & 0 \\ \text{Sin}[v] & \text{Cos}[v] & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

```
(* Esto es el eje de rotacion, si dejan de ser ejes coordenados {1, 0, 0},
{0, 1, 0}, {0, 0, 1}, la matriz se complica mas. *)
RotationMatrix[v, {0, 1, 0}] // MatrixForm
```

Out[5]//MatrixForm=

$$\begin{pmatrix} \text{Cos}[v] & 0 & \text{Sin}[v] \\ 0 & 1 & 0 \\ -\text{Sin}[v] & 0 & \text{Cos}[v] \end{pmatrix}$$

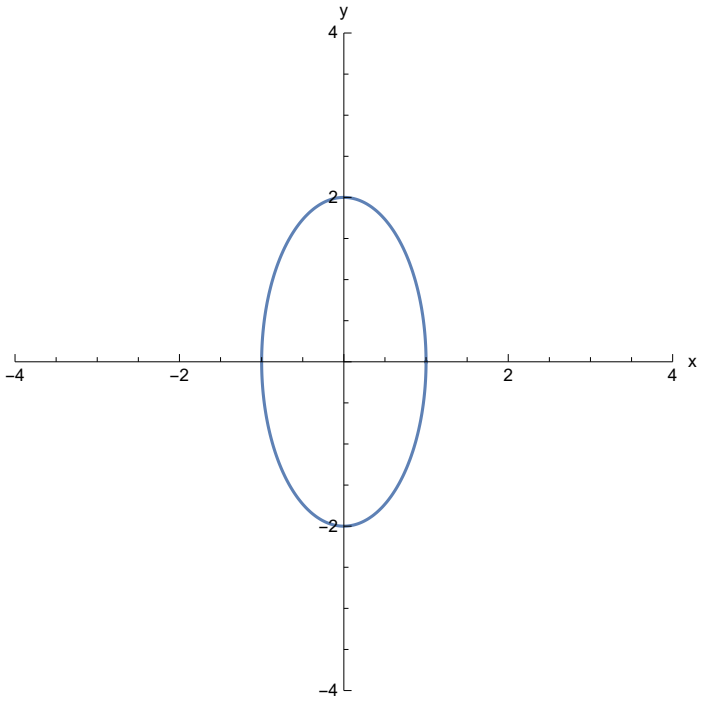
In[6]:=
```
RotationMatrix[v, {1, 0, 0}] // MatrixForm
```

Out[6]//MatrixForm=

$$\begin{pmatrix} 1 & 0 & 0 \\ 0 & \text{Cos}[v] & -\text{Sin}[v] \\ 0 & \text{Sin}[v] & \text{Cos}[v] \end{pmatrix}$$

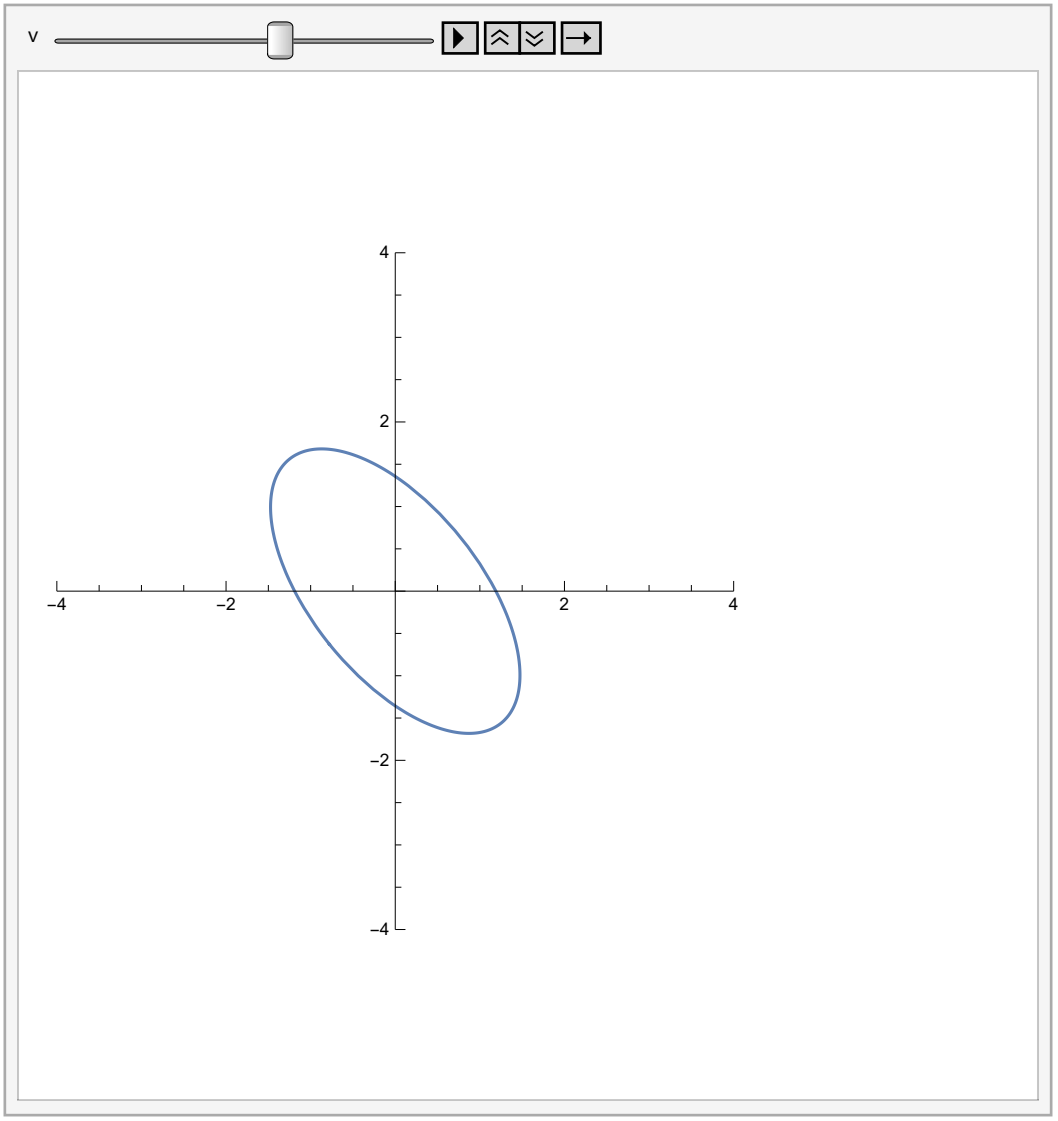
In[43]:=
```
ParametricPlot[{Cos[t], 2 Sin[t]}, {t, 0, 2 π},
 PlotRange → {{-4, 4}, {-4, 4}}, AxesLabel → {"x", "y"}]
```

Out[43]=



In[16]:=
```
Animate[ParametricPlot[RotationMatrix[v].{Cos[t], 2 Sin[t]}, {t, 0, 2 π},
  PlotRange → {{-4, 4}, {-4, 4}}], {v, 0, 2 Pi}, AnimationRunning → False]
```

Out[16]=



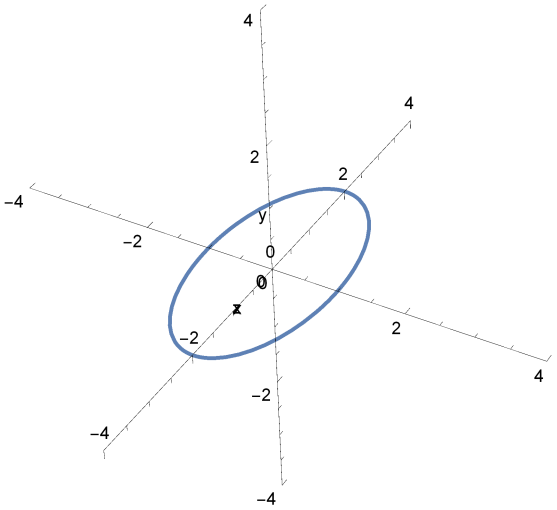

```
RotationMatrix[v] // MatrixForm (*Matriz de rotación 2D, con eje y {0, 1}*)
```

Out[15]//MatrixForm=

$$\begin{pmatrix} \text{Cos}[v] & -\text{Sin}[v] \\ \text{Sin}[v] & \text{Cos}[v] \end{pmatrix}$$

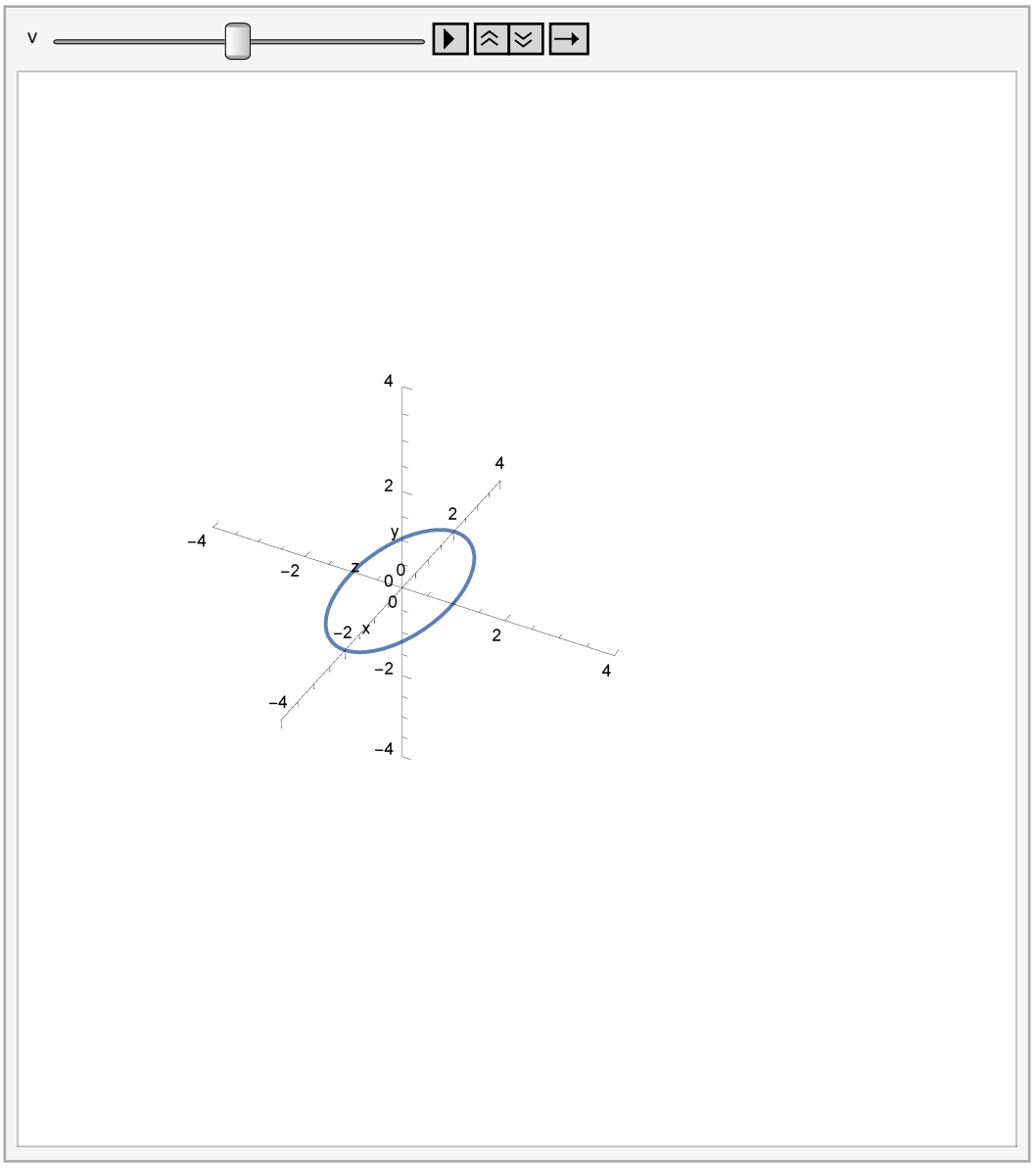
In[21]:=
```
ParametricPlot3D[{Cos[t], 2 Sin[t], 0}, {t, 0, 2 π}, AxesOrigin → {0, 0, 0},
 AxesLabel → {"x", "y", "z"}, PlotRange → {{-4, 4}, {-4, 4}, {-4, 4}}, Boxed → False]
```

Out[21]=



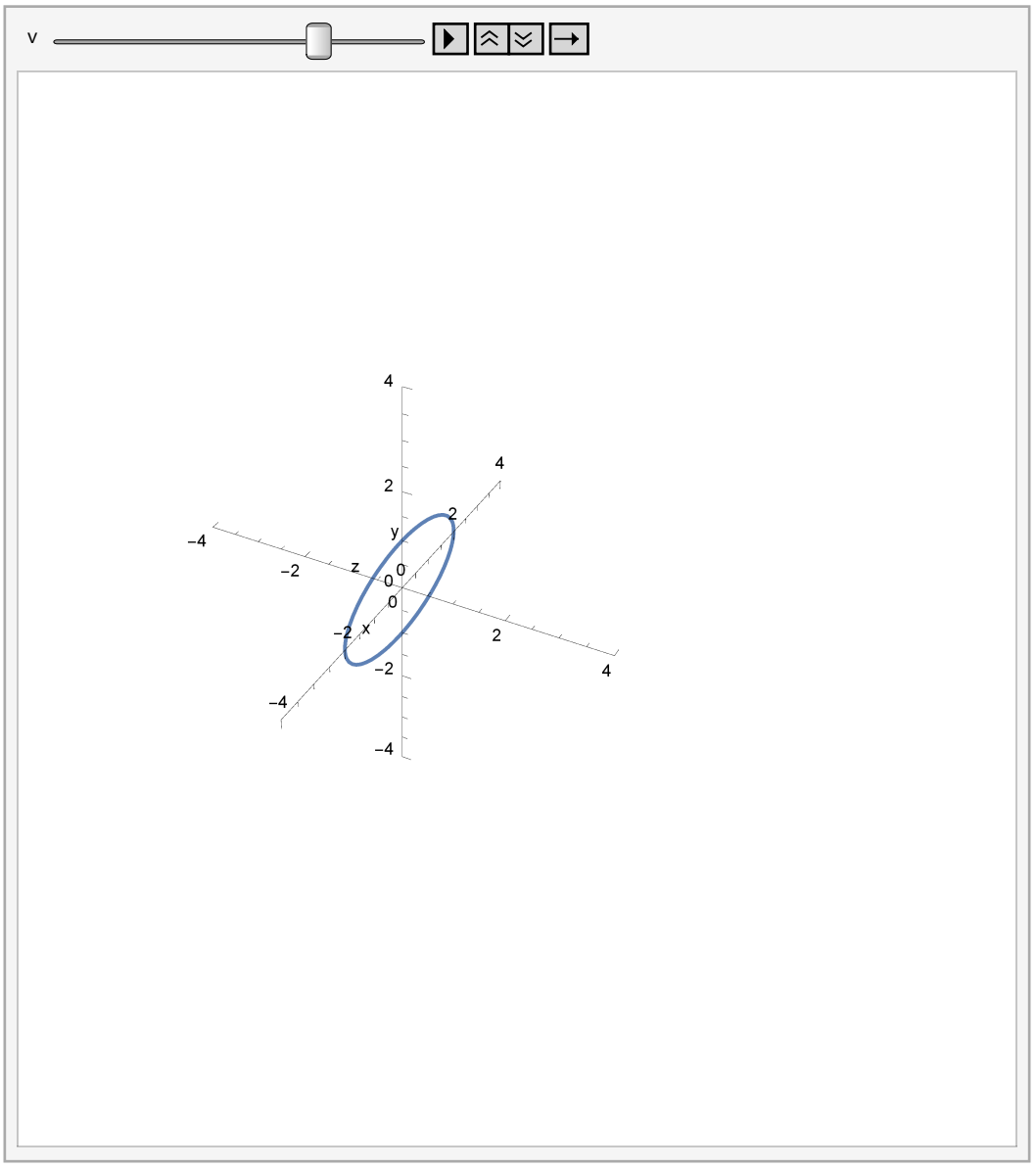
In[24]:=
```
Animate[ParametricPlot3D[RotationMatrix[v, {0, 0, 1}].{Cos[t], 2 Sin[t], 0},
  {t, 0, 2 π}, AxesOrigin → {0, 0, 0}, AxesLabel → {"x", "y", "z"},
  PlotRange → {{-4, 4}, {-4, 4}, {-4, 4}}, Boxed → False],
 {v, 0, 2 π}, AnimationRunning → False]
```

Out[24]=



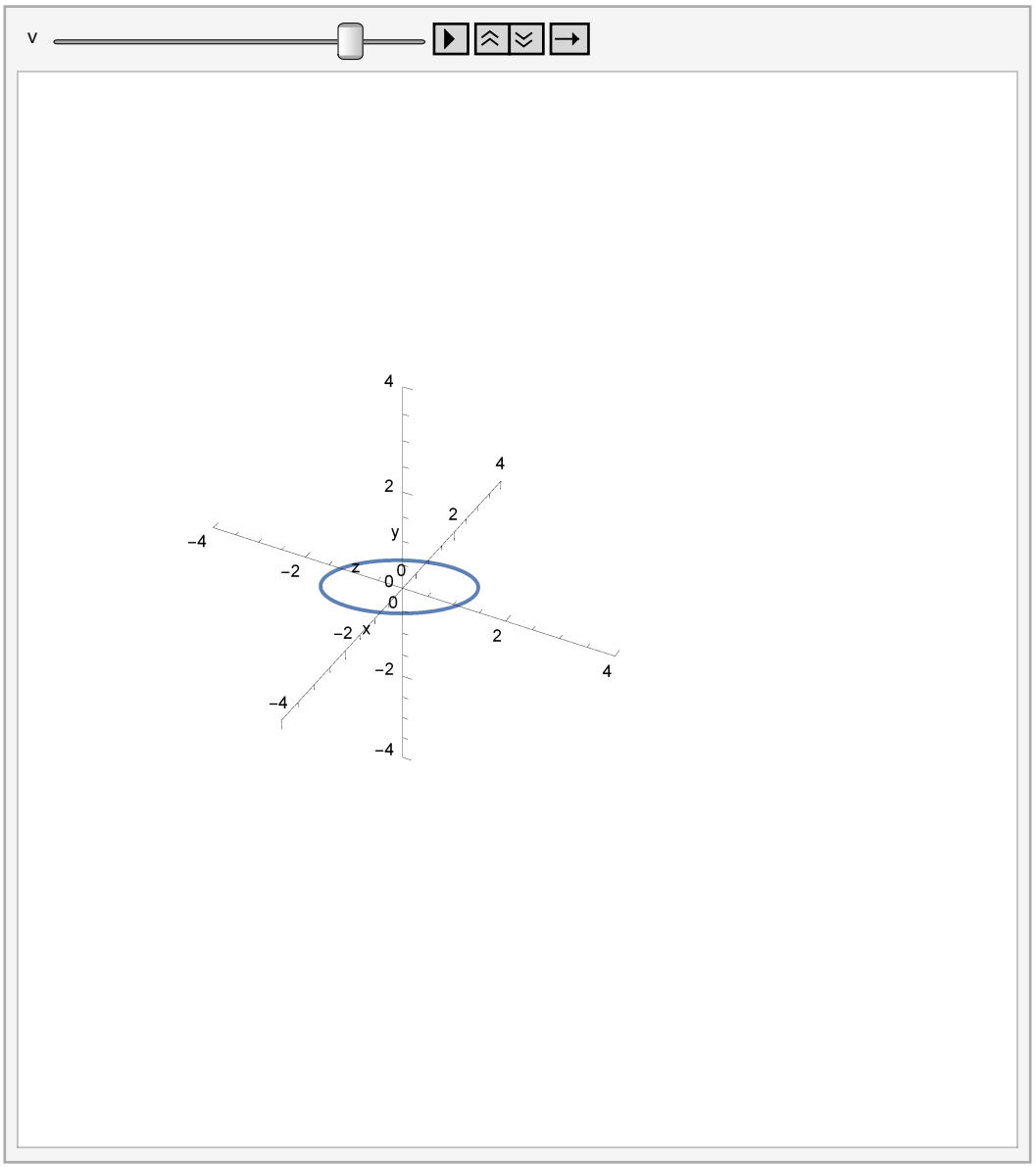
In[25]:=
```
Animate[ParametricPlot3D[RotationMatrix[v, {0, 1, 0}].{Cos[t], 2 Sin[t], 0},
  {t, 0, 2 π}, AxesOrigin → {0, 0, 0}, AxesLabel → {"x", "y", "z"},
  PlotRange → {{-4, 4}, {-4, 4}, {-4, 4}}, Boxed → False],
 {v, 0, 2 π}, AnimationRunning → False]
```

Out[25]=



In[50]:=
```
Animate[ParametricPlot3D[RotationMatrix[v, {1, 1, 0}].{Cos[t], 2 Sin[t], 0},
  {t, 0, 2 π}, AxesOrigin → {0, 0, 0}, AxesLabel → {"x", "y", "z"},
  PlotRange → {{-4, 4}, {-4, 4}, {-4, 4}}, Boxed → False],
 {v, 0, 2 π}, AnimationRunning → False]
```

Out[50]=




```
(* Si el eje de rotación deja de ser un eje coordenado {0, 0, 1},
{0, 1, 0}, {0, 0, 1}, la matriz de rotación se complica *)
RotationMatrix[v, {1, 1, 0}] // MatrixForm
 (*Matriz de rotación para el eje de rotación i + j *)
```

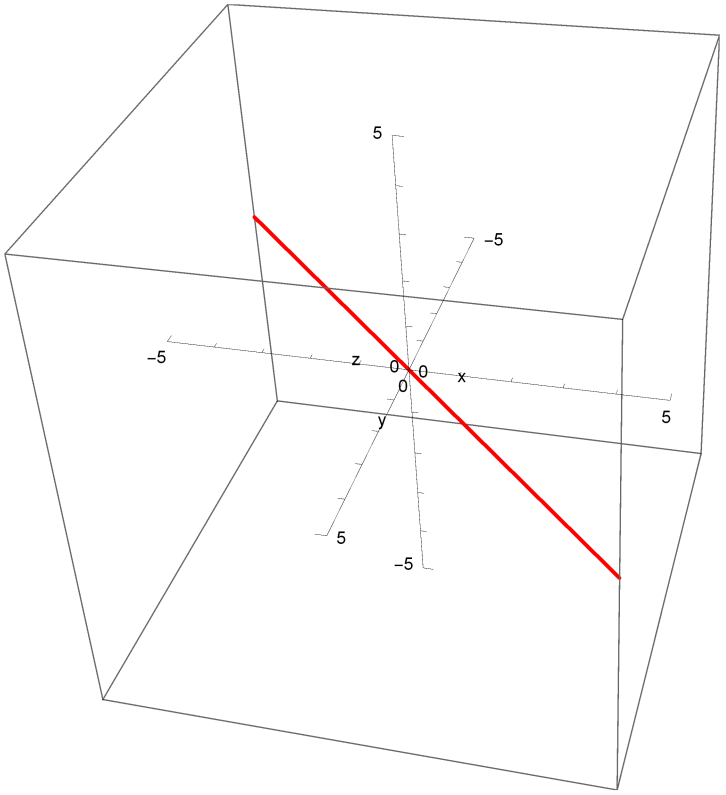
Out[51]//MatrixForm=

$$\begin{pmatrix} \frac{1}{2}\left(1+\text{Cos}[v]\right) & \frac{1}{2}\left(1-\text{Cos}[v]\right) & \frac{\text{Sin}[v]}{\sqrt{2}} \\ \frac{1}{2}\left(1-\text{Cos}[v]\right) & \frac{1}{2}\left(1+\text{Cos}[v]\right) & -\frac{\text{Sin}[v]}{\sqrt{2}} \\ -\frac{\text{Sin}[v]}{\sqrt{2}} & \frac{\text{Sin}[v]}{\sqrt{2}} & \text{Cos}[v] \end{pmatrix}$$

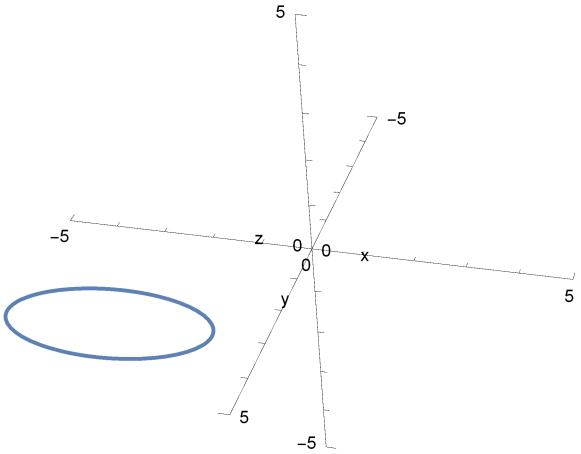
```
(*Parametrización de la recta z = y en coordenadas polares,
extensión del vector i + j *)
```

In[67]:=
```
recta = ParametricPlot3D[{r Cos[π/4], r Cos[π/4], 0}, {r, -√50, √50},
  AxesOrigin → {0, 0, 0}, PlotRange → {{-5, 5}, {-5, 5}, {-5, 5}},
  AxesLabel → {"x", "y", "z"}, Boxed → True, PlotStyle → {Red}]
elipse = ParametricPlot3D[{3 + Cos[t], -3 + 2 Sin[t], 0},
  {t, 0, 2π}, AxesOrigin → {0, 0, 0}, AxesLabel → {"x", "y", "z"},
  PlotRange → {{-5, 5}, {-5, 5}, {-5, 5}}, Boxed → False]
Show[recta, elipse]
```

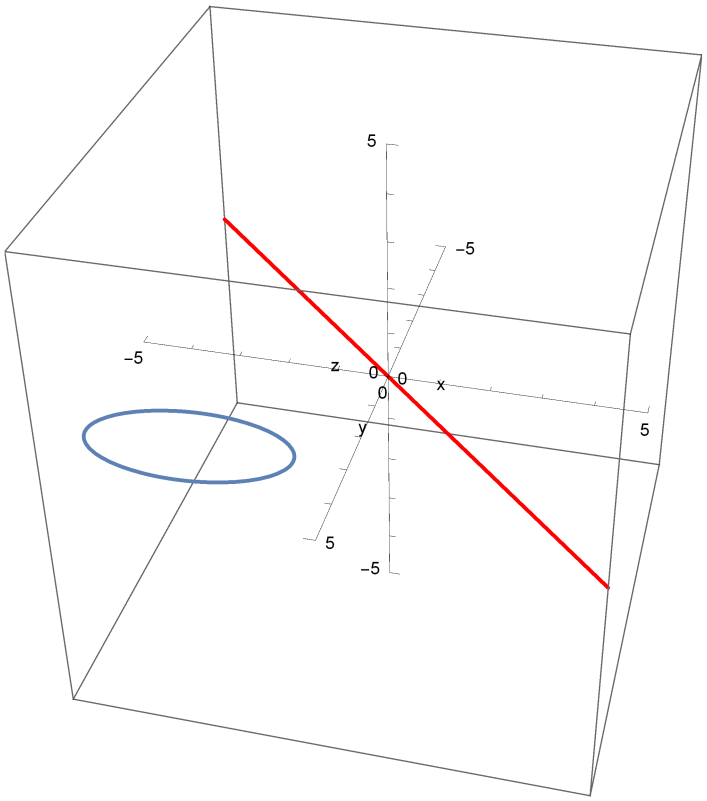
Out[67]=



Out[68]=



Out[69]=



In[74]:=
```
(* Si giramos esa elipse y mostramos la recta i + j:*)
Animate[
 Show[ParametricPlot3D[RotationMatrix[v, {1, 1, 0}].{3 + Cos[t], -3 + 2 Sin[t], 0},
   {t, 0, 2 π}, AxesOrigin → {0, 0, 0}, AxesLabel → {"x", "y", "z"},
   PlotRange → {{-5, 5}, {-5, 5}, {-5, 5}}, Boxed → False],
  ParametricPlot3D[{r Cos[π/4], r Cos[π/4], 0}, {r, -√50, √50},
   AxesOrigin → {0, 0, 0}, PlotRange → {{-5, 5}, {-5, 5}, {-5, 5}},
   AxesLabel → {"x", "y", "z"}, Boxed → True, PlotStyle → {Red}]],
 {v, 0, 2 π}, AnimationRunning → False]
```

Out[74]=