Homework 02: Review

Saturday, March 26, 2022

10:41 AM

(2) since for (sf) -> the reward has nothing to do with the action done or the previous state.

$$T_{1} = s_{1} \xrightarrow{-1} s_{2} \xrightarrow{-1} s_{3} \xrightarrow{-1} s_{1} \xrightarrow{2} s_{1}$$
even if
$$f_{Ra}(T_{1}) = 1 + \gamma(-1) + \gamma^{2}(2) + \gamma^{3}(1) + \gamma^{4}(2)$$
there were
two actions
that $s_{1} \xrightarrow{-1} s_{2}$,
the reward is
$$f_{Ra}(S_{1}) = V(S_{1}) = coverage \ cacc \ reward$$
of all trayedories
thus, one
$$starting \ on \ S_{1}$$
path

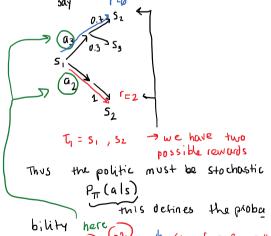
9.6 0.7 0.3 $0.3a_3$ $0.4a_3$ $0.3a_3$ $0.2a_2$ $0.8a_2$ $0.8a_2$

The probabilities of transition are not used since we are calculating the fact of just one trajectory.

S1 - 1/24 SUM 1

> coincidentally,
on every state
there is one
action that
takes you to
another state.

Let's suppose what's on red now we have two actions that take us from s, to s_ (a_3 and a_2). Thus the Decision of which action to take can be decided based on a distribution. Let's say red



the of trajectories

bility here 03 03 03 03 5ay, fan= 3 -> this will be multiplied by the probabilities

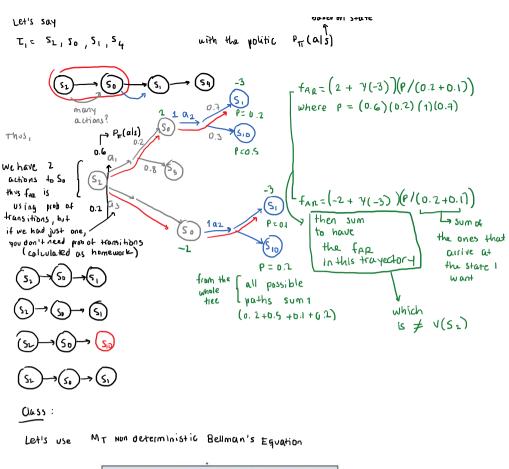
(0.3)(0.2) so that it can be summed with the others, instead of doing the average like before.

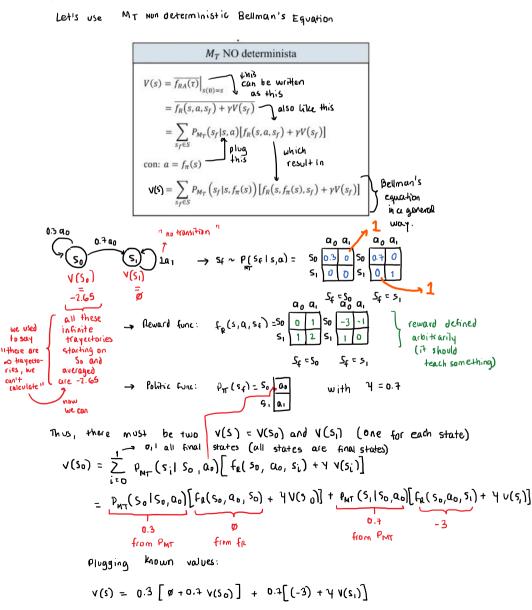
prob of happening far

FAR = (0.3) (0.7)(0.2)(0.2)(3) + ...

Let's say

based on state \mathfrak{f} uith the politic $\mathfrak{p}_{\pi}(\mathsf{als})$





$$= 0.21 \text{ V}(S_0) - 2.1 + 0.49 \text{ V}(S_1)$$

$$\text{Thus}_1$$

$$\text{V}(S_0) - 0.21 \text{ V}(S_0) = -2.1 + 0.49 \text{ V}(S_1)$$

$$\text{Giving out the first equation of a 2x2 system}$$

$$\boxed{0.39 \text{ V}(S_0) = -2.1 + 0.49 (S_1)}$$

$$\text{Let's calculate eq 2}$$

$$\text{V}(S_1) = \frac{1}{2} \rho_{\text{MT}} (S_1 | S_1 | a_1) \left[f_R(S_1, a_1, S_1) + \forall \text{V}(S_1) \right]$$

$$= \rho_{\text{MT}} (S_0 | S_1, a_1) \left[f_R(S_1, a_1, S_0) + \forall \text{V}(S_0) \right] + \rho_{\text{MT}} (S_1 | S_1, a_1) \left[f_R(S_1, a_1, S_0) + \forall \text{V}(S_0) \right]$$

$$\text{V}(S_1) = 1 \left[0.3 \text{ V}(S_1) \right]$$

$$\text{V}(S_1) = 0$$

$$\text{O.3 V}(S_1) = 0$$

$$\text{V}(S_1) = 0$$

$$\text{V}(S_1) = 0$$

$$\text{O.3 V}(S_1) = 0$$

Thus, the system is:

$$0.79 \text{ V(So)} = -2.1 + 0.49 \text{ (D)}$$

$$\text{V(So)} = -\frac{2.1}{0.79} = -2.65$$

which we now go to the graph and complete.